

# Routing Algorithm Report

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## 1 Network Topology

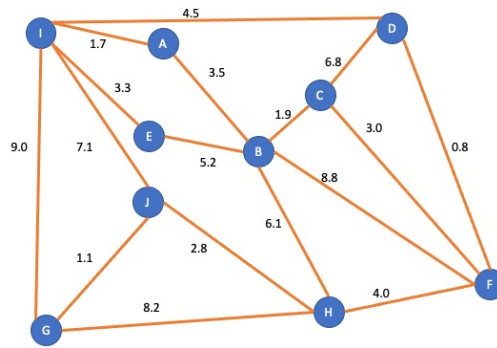


Figure 1: The topology built upon loading the default node configuration files

## 2 Routing Algorithm

Distributed, asynchronuous Bellman-Ford algorithm from the lecture slide.

$$D_x(y) = \min_v (c(x, v) + D_v(y)), \forall y \in \text{network}$$

## 3 Implementation

The *main* program calls *manager* to create threads for each specific task. The threads use some shared memory like *neighbor\_status* and *routing\_table* to handle data concurrency. A *send* thread of a node to one of its neighbors encodes the node's *routing\_table* in such format:

```
node name >>> [destination node : least cost distance , next hop port number;  
]>>> [activated nodes]
```

A *receive* thread for the neighbor decodes the incoming messages by the delimiters above.

The *receive* and *send* threads can be regarded as two ends of a pipe which is labelled by a *port* number since they share the same ip address. After the main program has collapsed for 60s, the *receive* threads will chain new routing calculation threads(*dv\_routing*)

## 4 Limitations

- Concrete least cost path can't be generated from only one routing table.  
While it is possible to output the whole path by keeping a record of other nodes' routing table, I decide not to do so, since the key feature of a distance vector algorithm is to track local information at each node, in this case, information about one node's neighbors. If global information is tracked, it is better to use a link-cost algorithm. However, a whole path could be think of jumping from one node to it's next hop towards its destination. For example, a path should be A-B-C-F-D. Starting from A, we could see an entry in the routing table of A, which, as an instance, is D: 3.5, B. We know that the next hop node is B, thus, we refer to the routing table of B of which one destination is D. Repeat such a chain in routing tables, a complete path could be achieved.
- The implementation failure to reset and converge to another state if any node is disconnected/ have increased costs.  
My implementation only has a mechanism to check new connections/smaller costs changes due to the implementation of *update\_node\_status* function. If the codes could be reconstructed, a more suitable logic pattern could be similar to the sample pseudo code from the textbook, which, at each node,  $x$ , there is an initialization and an update.  
During initialization,  $D_x(y) = c(x, y)$  if  $y$  is a neighbor.  $\infty$  otherwise. Send the  $D$  matrix to each neighbor.  
During the update loop, a node waits for a link cost change(where my implementation doesn't fully detect) or a distance vector from a neighbor(in my implementation, vectors are received every 10 s, because of the following step). Then use the Bellman-Ford algorithm to find the least cost. If the distance vector for the node changes, broadcast to its neighbors.(but my implementation keeps broadcasting every 10s no matter there's a change or not).
- Missing implementation of command line modifying edge length(cost between two neighboring nodes)  
This is a direct side effect of the item just mentioned above.