

## #1 Simulation Practice

**GOAL** create 3:8 decoder**Solution** implement decoder

$in_2$	$in_1$	$in_0$	$out_7$	$out_6$	$out_5$	$out_4$	$out_3$	$out_2$	$out_1$	$out_0$
0	0	0	0	0	0	0	0	0	0	0
0	0	1	0	0	0	0	0	0	1	0
0	1	0	0	0	0	0	0	1	0	0
0	1	1	0	0	0	0	1	0	0	0
1	0	0	0	0	0	1	0	0	0	0
1	0	1	0	0	1	0	0	0	0	0
1	1	0	0	1	0	0	0	0	0	0
1	1	1	1	0	0	0	0	0	0	0

Apply OR of ANDs

→ see that  $out_x$  is only 1 for one combination of  $in_s$   
 For each  $out_x$  write a AND rule

ex:

$$out[7] = in[2] \& in[1] \& in[0];$$

Add enable logic

→ if ena on → normal  
 → if ena off → 0

} boolean truth table  
 just another AND

ex:

$$out[7] = in[2] \& in[1] \& in[0] \& ena;$$

## #2 Conway's Game of Life - Cell Module

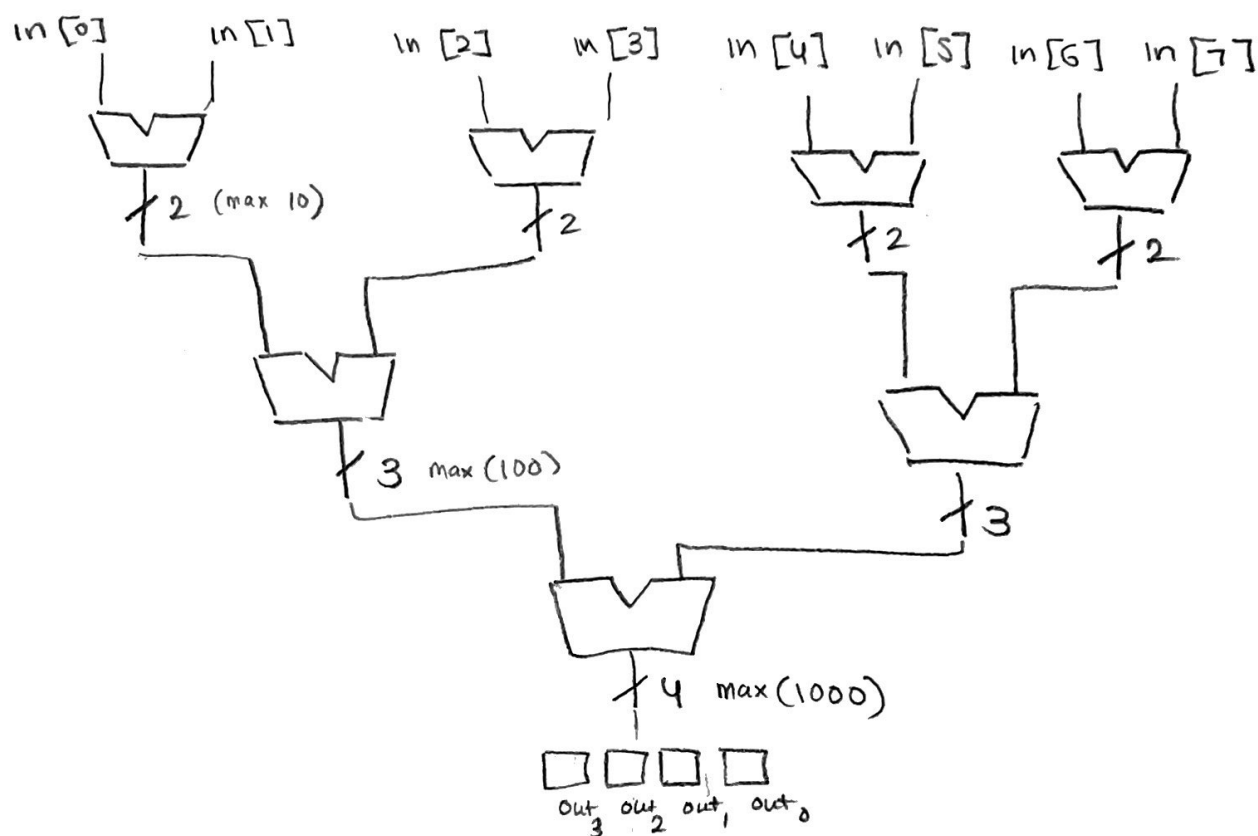
## ① Implement adder

→ use hierarchical design, as binary tree uses a minimum number of adders

→ do not have to worry about overflow because most significant bit is the AND of previous location's bit (if most significant bit is ON then all other bits are off)

e.g. 1000 ✓ (all 8 neighbors on)

1111 ✗ (Invalid, impossible to have more than 8)

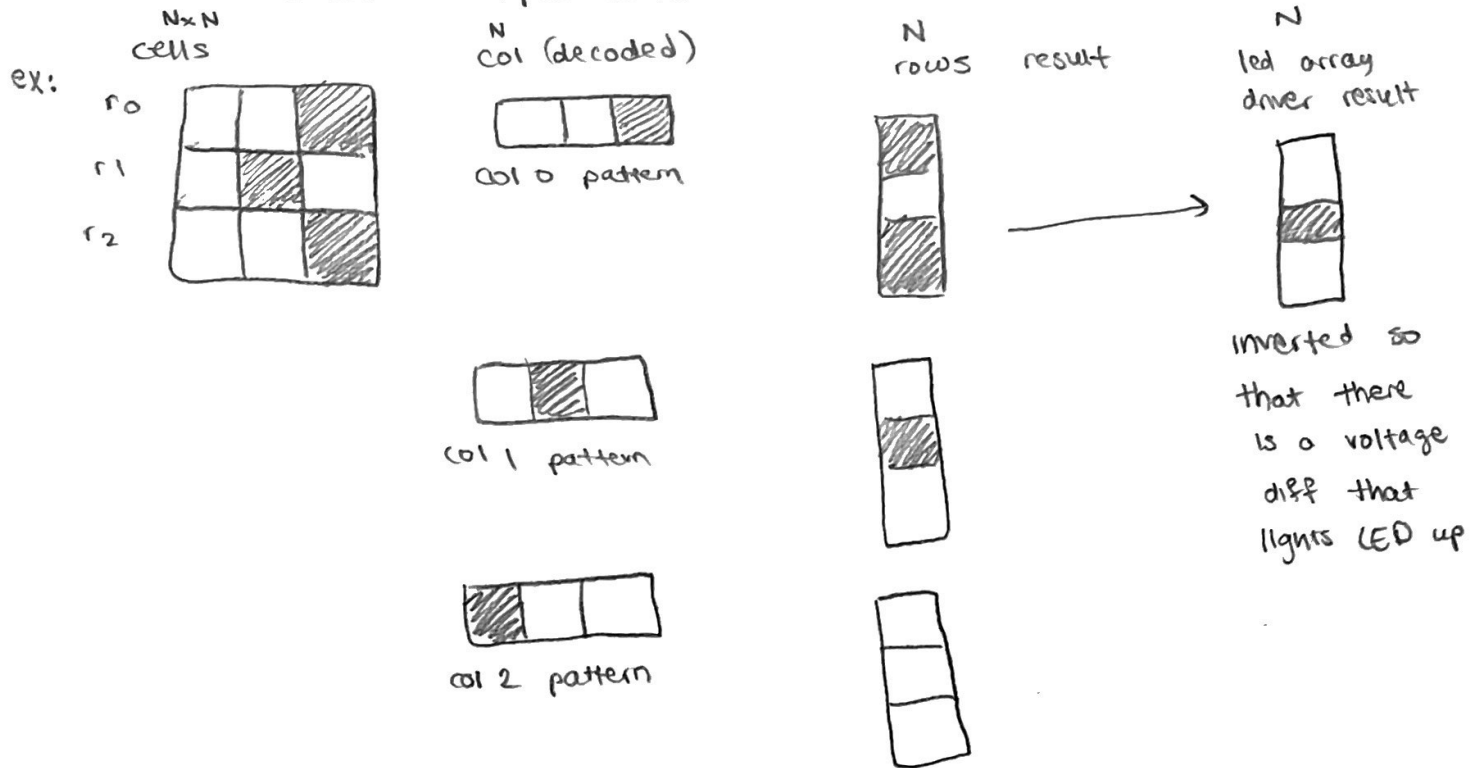


## ② logic to set new state based on old state &amp; count of live neighbors

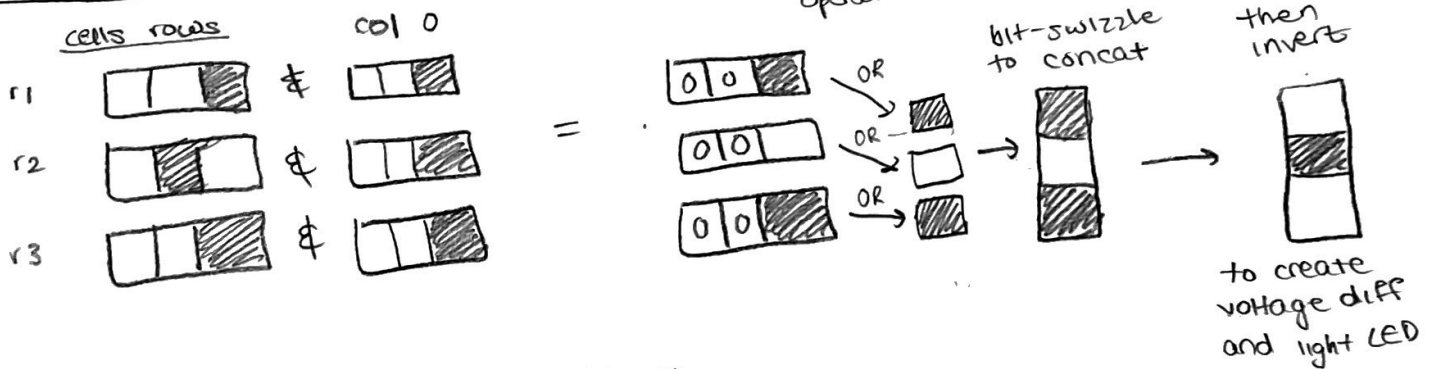
	out <sub>3</sub>	out <sub>2</sub>	out <sub>1</sub>	out <sub>0</sub>	state-o	state-d	
(3)	0	0	1	1	x	1	← 1 OR, write assign AND statement
(2)	0	0	1	0	1	1	← 1 OR, write assign AND statement
	all other cases					0	

## #4 LED Array Driver

## ① define behavior expectations



## ② pattern to calculate rows

③ use generator to handle all possible  $N$ 

$$\text{row}[i] = \text{NOT} \left( \text{OR}_{\text{bus}} \left( \text{cells} \left[ \begin{array}{c} \text{corresponding} \\ \text{row of } N \\ \text{neighbors} \end{array} \right] \& \text{decoder} \right) \right)$$

## ④ and add enable logic

$$\text{assign rows}[(N-1)-i] = N(1(\text{cells}[(i+1)*N-1:i*N] \& x\_decoded) \& \text{ena};$$