```
close all
clear
clc
%Miranda Heredia 100996160
%Assignment 2
```

Question 1 - Part A

A grid and specifix boundary conditions were defined for this problem. Using finite difference method and (GV = F), the electrostatic potential was found and plotted

```
%Intializing the Dimensions of the matrix
Length = 30;
                %the x-axis upper limit
Width = 20;
                %The y-axis upper limit
%Initialize G and F matrix
Solution will be in the form of Ax = b, where x = b A
%Our solution will be GV = F, solving for V
G = sparse(Length*Width, Length*Width); %sparse to store non-zero
 elements
F = zeros(Length*Width, 1);
%Populating G matrix and Boundary Conditions using a loop
for x = 1:Length
    for y=1:Width
        n = y + (x-1)*Width;
                                 %Mapping equation FD - current
 position
        %Local mapping of the nodes around (x,y)
        nxm = y+(x-2)*Width;
        nxp = y+(x)*Width;
        nym = (y-1)+(x-1)*Width;
        nyp = (y+1) + (x-1) *Width;
        %Boundaries
        if x==1
                 %Left BC
            G(n,n) = 1;
            F(n) = 1;
        elseif x==Length
                            %Right BC
            G(n,n) = 1;
            F(n) = 1;
        elseif y==Width
                             %Upper BC
            G(n,n) = 1;
        elseif y==1
                             %Lower BC
            G(n,n) = 1;
        else
            %Laplacian Equation in Differences
            G(n,n) = -4;
            G(n,nxm) = 1;
            G(n, nxp) = 1;
```

```
G(n,nym) = 1;
            G(n,nyp) = 1;
        end
    end
end
%Creating sparse matrix
figure(1)
spy(G)
SolV = G\backslash F;
%must create matrix to plot the surf()
SolVmatrix = zeros(Length, Width);
for i=1:Length
    for j=1: Width
        n = j+(i-1)*Width;
        SolVmatrix(i,j) = SolV(n);
    end
end
% Plot 1
figure(2)
surf(SolVmatrix)
colorbar
title("Voltage Plot using FD in 1D")
xlabel("X position")
ylabel("Y position")
zlabel("Voltage")
```





