

# yacoub: a Python package for Simulating Generalized Fading Channels

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**Abstract**—We present a well tested Python-based library for simulating and computing generalized fading channels, named **yacoub**. We describe the applicability of **yacoub** using examples in recent communications systems challenges, namely: cooperative spectrum sensing, bit error rate computation in generalized fading channel, and parameter estimation in free space optics. The development of **yacoub** open source and its code is available at <http://github.com/mirca/yacoub>.

## I. INTRODUCTION

### A. Note on notation

Scalars and random variables are denoted as *italic* small-case letters *e.g.*  $x$ ; vectors and random vectors are denoted as *italic*, boldface, small-case letters *e.g.*  $\mathbf{x}$ . A complex vector of length  $n$  is defined as  $\mathbf{x} \in \mathbb{C}^{1 \times n}$ . All vectors are column vectors. Matrices are denoted as *italic*, boldface, capital letters as in  $\mathbf{X}$ ; the identity matrix of order  $n$  is denoted as  $\mathbf{I}_n$ . We define a discrete-time circularly symmetric Gaussian process  $\mathbf{z}$  as any (finite or infinite) collection of random variables  $\mathbf{z} = \mathbf{x} + j\mathbf{y}$ ,  $j \triangleq \sqrt{-1}$ , such that  $\mathbf{x}$  and  $\mathbf{y}$  are iid jointly Gaussian with zero mean vector and covariance matrix given by  $\mathbb{E}[\mathbf{z}\mathbf{z}^\dagger]$ , in which  $\mathbf{z}^\dagger$  means the conjugate transpose of  $\mathbf{z}$ .

## II. THE ACCEPTANCE-REJECTION SAMPLER IN LOG-SPACE

## III. EXAMPLES

### A. Spectrum Sensing in Complex Generalized Fading Channels

The spectrum sensing problem consists in deciding whether or not a given channel frequency band is being occupied by a licensed (primary) user and, in case that such frequency band is available, how to opportunistically allocate secondary users such that...

From a probabilistic point of view, the spectrum sensing problem may be framed as a decision theory problem, as follows

$$\mathcal{H}_0 : \mathbf{y} = \mathbf{w}, \quad (1)$$

$$\mathcal{H}_1 : \mathbf{y} = h\mathbf{s} + \mathbf{w}, \quad (2)$$

in which  $\mathbf{y} \in \mathbb{C}^{1 \times n}$  is the decoded received vector,  $\mathbf{w} \in \mathbb{C}^{1 \times n}$  is complex Gaussian noise process with zero mean vector and covariance matrix given as  $\sigma^2 \mathbf{I}_n$

### B. Parameter Estimation in Free Space Optics

### C. BER in Complex $\alpha - \mu$ Fading

## IV. CONCLUSIONS

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