

# Mitigation of rocuronium induced residual neuromuscular blockade risk by means of a population PK/PD model

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## Supporting material

### Derivation of dual input effect compartment

$$V_e \frac{dCe}{dt} = k_{1e} \times Cc \times V_1 + k_{2e} \times Cp \times V_2 - k_{e0} \times Ce \times V_e \quad (1)$$

$$\frac{dCe}{dt} = \frac{V_1}{V_e} k_{1e} \times Cc + \frac{V_2}{V_e} k_{2e} \times Cp - k_{e0} \times Ce \quad (2)$$

$$\text{at equilibrium } V_e \frac{dCe}{dt} = 0 \quad \text{and} \quad Cc = Cp = Ce$$

$$V_1 \times k_{1e} + V_2 \times k_{2e} = V_e \times k_{e0} \quad (3)$$

$$V_e = \frac{V_1 \times k_{1e} + V_2 \times k_{2e}}{k_{e0}} \quad (4)$$

$$\frac{dCe}{dt} = k_{e0} \times \left( \frac{V_1 \times k_{1e} \times Cc + V_2 \times k_{2e} \times Cp}{V_1 \times k_{1e} + V_2 \times k_{2e}} - Ce \right) \quad (4) \text{ in } (2) \rightarrow (5)$$

$$\text{if } k_{1e} = k_{2e} :$$

$$\frac{dCe}{dt} = -k_{e0} \times \left( Ce - \frac{V_1 \times Cc + V_2 \times Cp}{V_1 + V_2} \right) \quad (6)$$

**Mlxtran code for structural pharmacokinetic/pharmacodynamic model with two pharmacokinetic compartments, linear elimination from the central compartment, and a sigmoid I max model linked to the central and peripheral compartment via a dual input effect compartment.**

DESCRIPTION:

Administration: IV bolus into the central compartment.

PK-model has two compartments: a central compartment (volume V), a peripheral compartment (transfer rate to and from k12 and k21), and a linear elimination from the central compartment (elimination rate k).

The PD model is an I-max model with an effect compartment and a full inhibition ( $I_{max} = 1$ ) at high concentrations. The model has a baseline effect  $E_0$  and a half maximal inhibitory concentration  $IC_{50}$ . The effect compartment (elimination rate  $ke_0$ ) is linked to the central and peripheral compartments. The parameter gamma accounts for the sigmoidicity of the drug effect.

[LONGITUDINAL]

input = {V, k, k12, k21, ke0, gamma, E0, IC50}

PK:

; parameter transformations

V1 = V

Cl = k\*V1

Q = k12\*V1

V2 = Q/k21

; administration

depot (type = 1, target = Ac)

EQUATION:

; initial conditions

t\_0 = 0

Ac\_0 = 0

Ap\_0 = 0

Ce\_0 = 0

; PK compartments

ddt\_Ac = k21\*Ap - k12\*Ac - k\*Ac

Cc = Ac/V1

ddt\_Ap = k12\* Ac - k21\*Ap

Cp = Ap/V2

; effect compartment

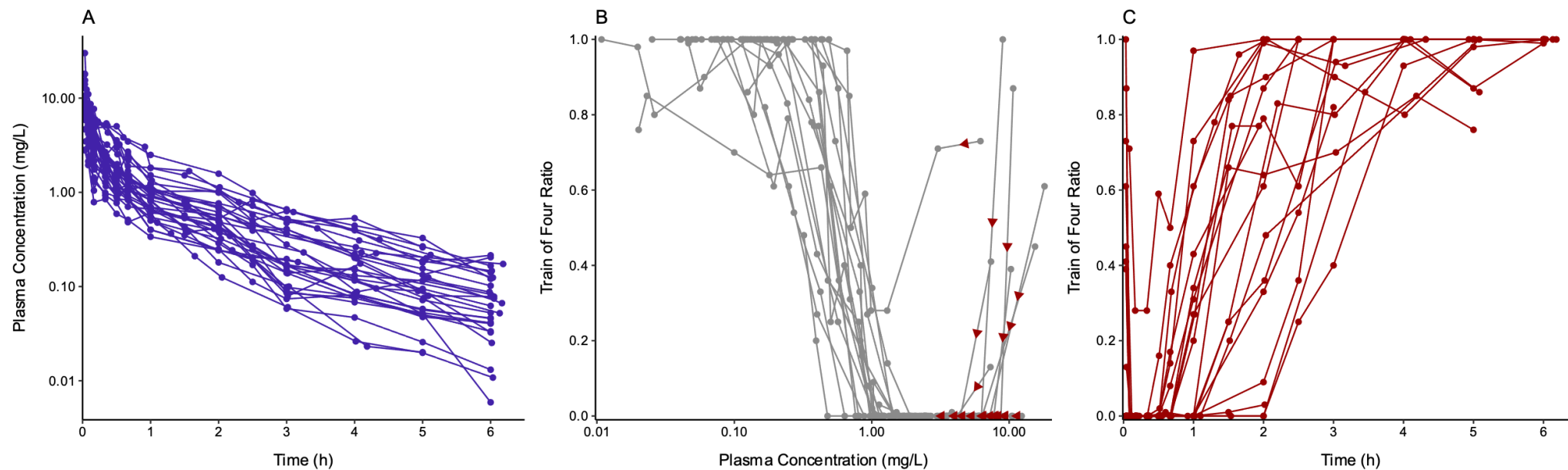
ddt\_Ce = - ke0 \* (Ce - ((V\*Cc + V2\*Cp)/(V + V2)))

; concentration-effect relationship

E = E0 \* (1 - max(Ce,0) ^ gamma / (max(Ce,0) ^ gamma + IC50 ^ gamma))

OUTPUT:

output = {Cc, E, Ce}



**Figure 1:** Concentration-time profiles of rocuronium for all subjects in semi-logarithmic scaling (A); train of four ratio versus rocuronium plasma concentration (B); and train of four ratio over time (C). The investigated subjects received single intravenous bolus doses of 0.3–1.2 mg/kg rocuronium.