

opportunity cost  $\rightarrow$  next best option

## # Factors/Resources of Production

- ① Labor  $\rightarrow$  for a student, labor is how many hours he's studying.
- ② Capital  $\rightarrow$  hours working
- ③ Land
- ④ Entrepreneurs

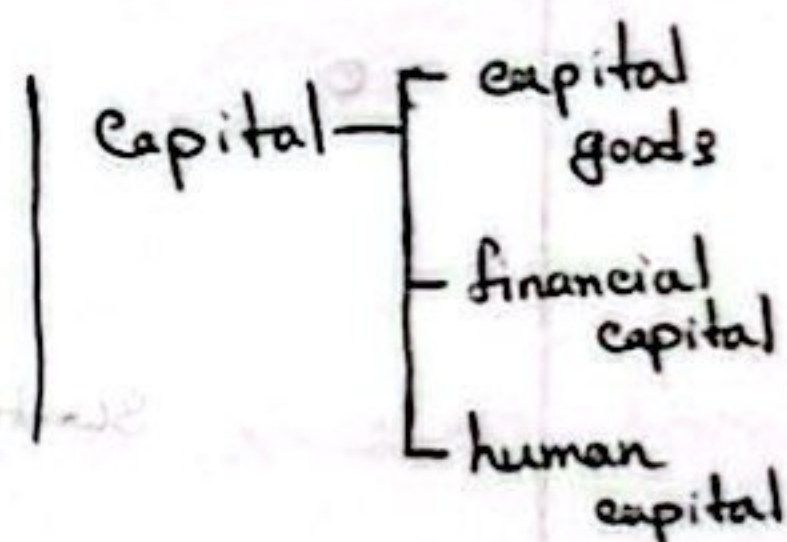
tradeoff of labor  $\rightarrow$  wages

Salary  $\rightarrow$  job based

income  $\rightarrow$  depends on source

## # Capital

$\rightarrow$  money that's being used for  
 $\rightarrow$  capital goods (tools, machinery)



The return of capital is interest

The purpose of capital is to increase efficiency

## # Land

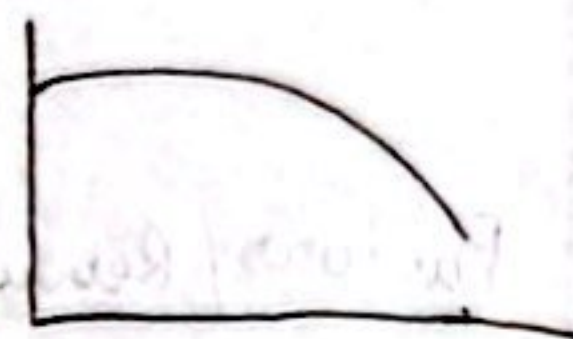
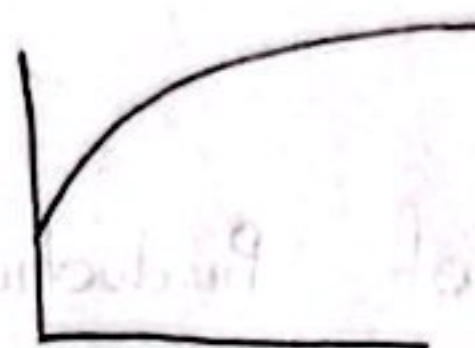
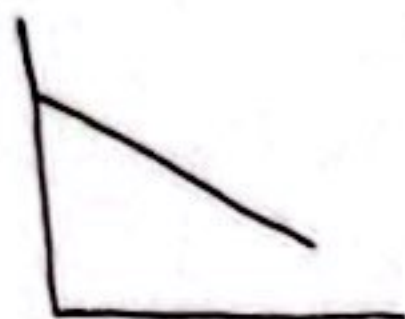
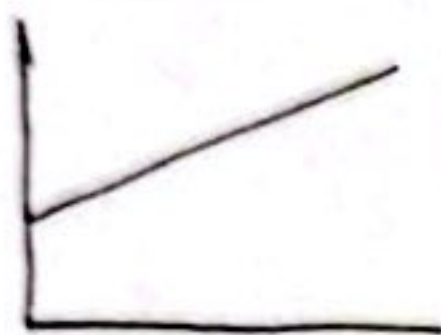
$\rightarrow$  place for facility

## # Entrepreneurs

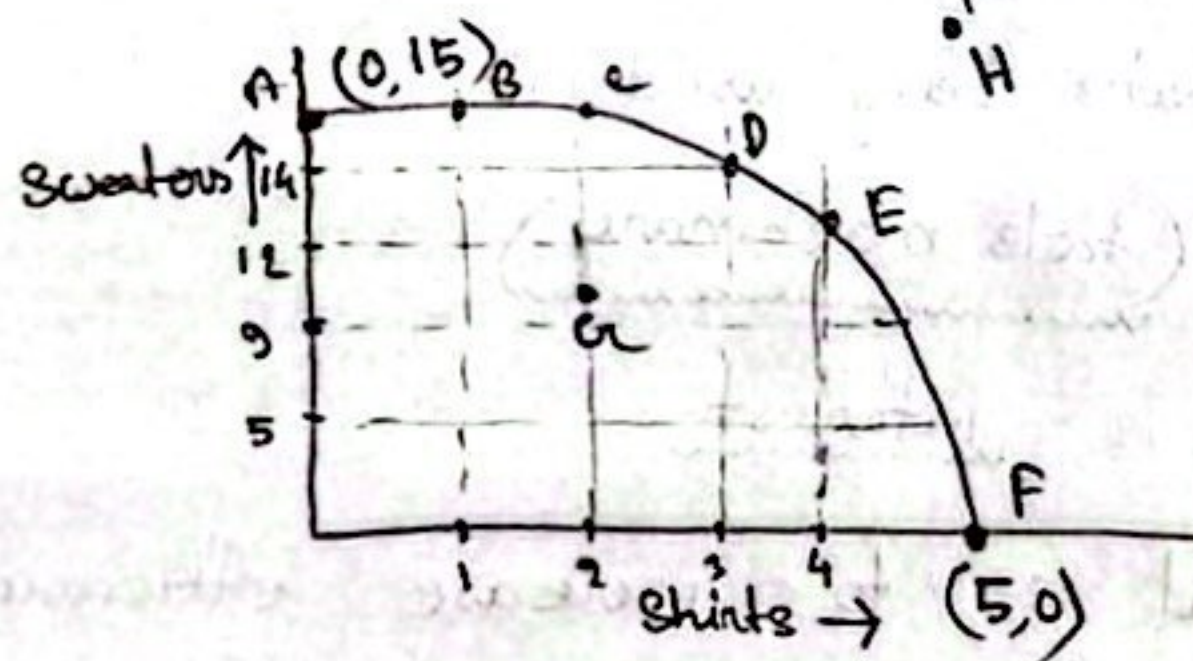
$\rightarrow$  owners / who get profit



# # Production Possibilities Frontier (PPF)



<u>Sweaters</u>	<u>Shirts</u>
15	0
14	1
12	2
9	3
5	4
0	5



H point not possible

G point is inefficient



## # Allocative Efficiency

↳ Curve પર દિગત ટોચન combination or bundle best  
રહેવાર હોય.

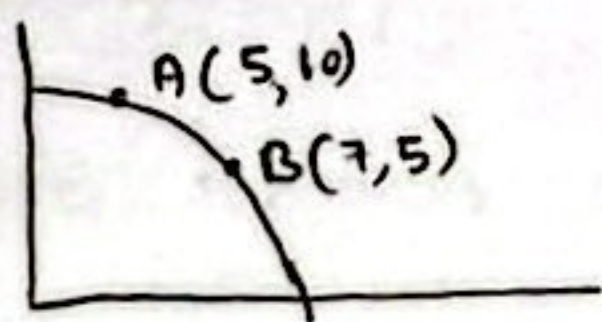
it depends on cost, demand, time

opportunity cost  $\rightarrow$  increasing: graph bend outward

## # opportunity cost

$$\begin{aligned} B \rightarrow C &= \frac{\text{decreasing}}{\text{increasing}} \\ &= \frac{14 - 12}{2 - 1} \\ &= 2 \end{aligned}$$

For 1 unit of shirt I'm sacrificing 2 unit of sweaters from point B to C.



$$A \rightarrow B = \frac{10 - 5}{7 - 5}$$

$$= \frac{5}{2}$$

for 2 additional units of shirts

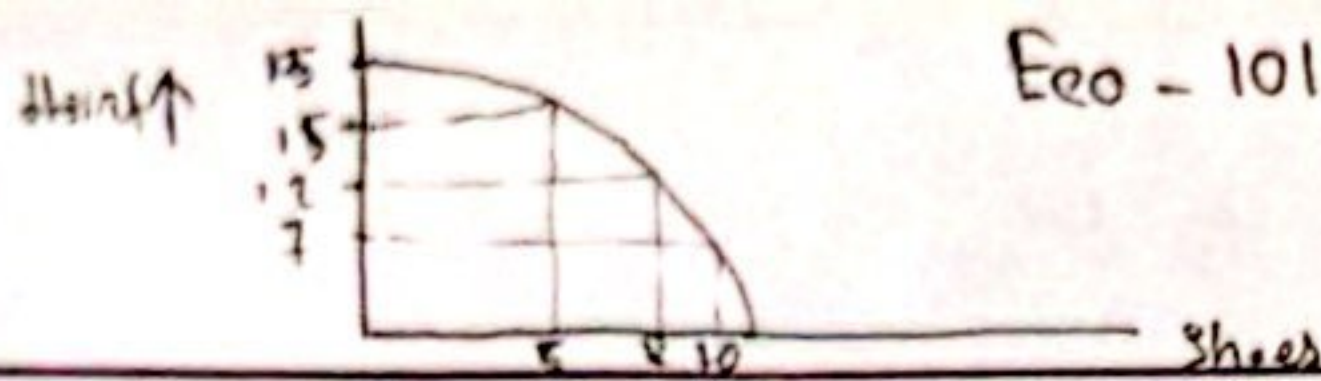
$$= 2.5$$

I've to sacrifice 5 units of sweaters

$$S_w : S_h = 5 : 2$$

$$S_w : S_h = 10 : 4$$





$$O.C = \frac{\text{decreasing}}{\text{increasing}}$$

$$= \frac{15 - 12}{8 - 5}$$

$$= \frac{3}{3}$$

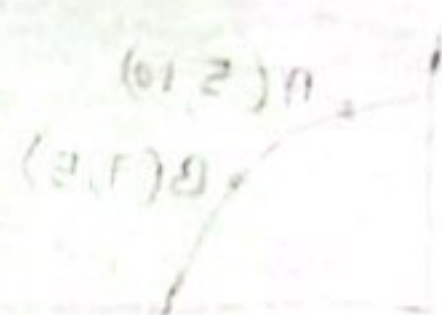
$$= 1$$

for 1 unit of extra shoe I've to decrease 1 unit of shirts

$$O.C = \frac{12 - 7}{10 - 8}$$

$$= \frac{5}{2}$$

for 2 unit of extra shoes, I've to decrease 5 units of shirts.



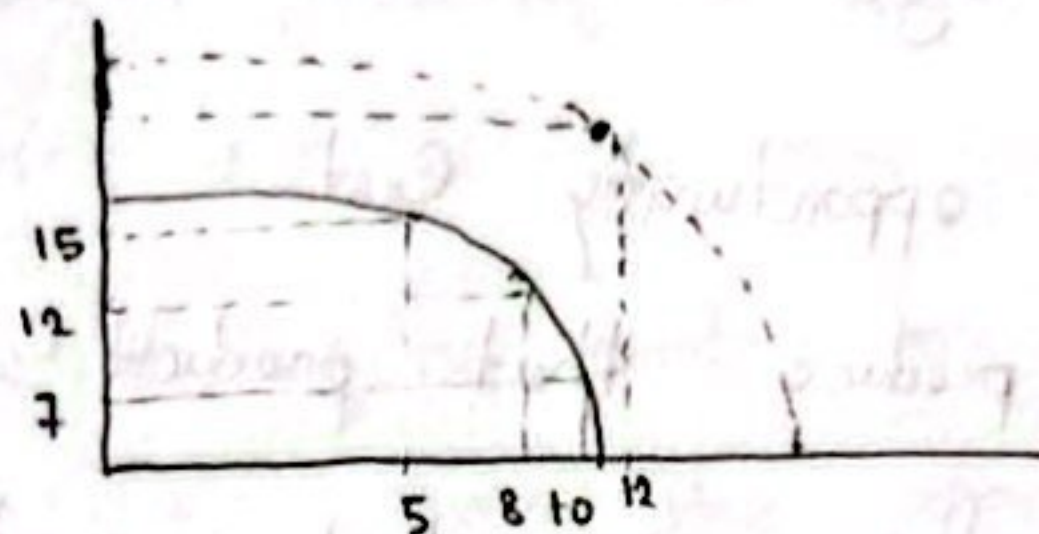
$$O.C = \frac{12 - 7}{10 - 8}$$

$$= \frac{5}{2}$$

for 2 additional units of shoes I've to sacrifice 5 units of shirts

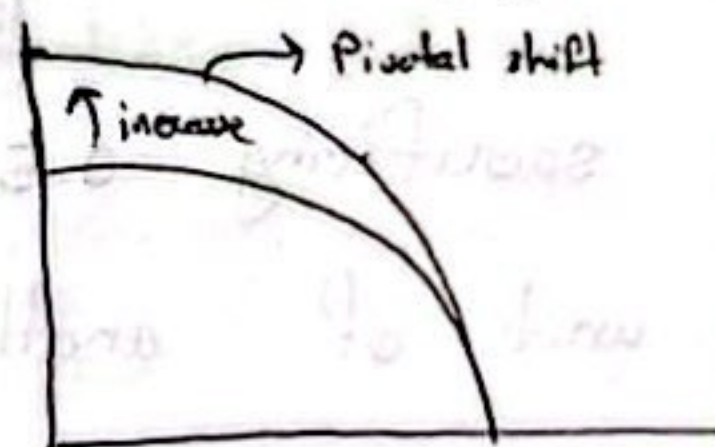
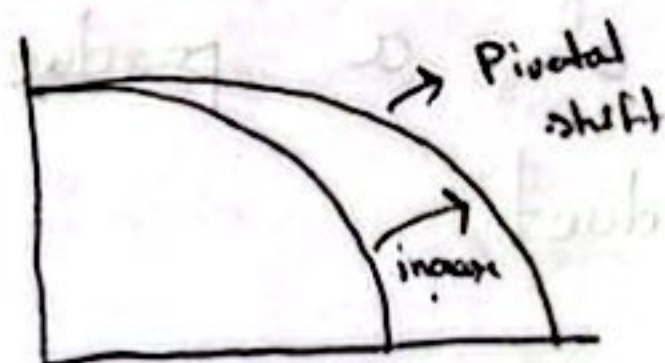


## # Parallel effect



other Factors (resource) - ସାମଗ୍ରୀକ ଚଳନ ସହଜ Production ବଢ଼େ  
ଯାଏ ।

• Factors - ଏହି କାର୍ଯ୍ୟକାରୀ Production ବାଢ଼ିବା ବା କମିବା ଓ ନାହାନ୍ତି



## # Trade

### # Absolute Advantage

↳ Proposed by Adam Smith

With the same resources, who produces the same product more has Absolute Advantage on that product.

↳ It depends on the volume of the product

• But it doesn't allow to trade.



## # Comparative Advantage

↳ Focuses on opportunity Cost

- Country should produce that product which has lower O.C than other on that product

China — 0.8 O.C

India — 0.5 O.C

means India has to sacrifice less compared to China.

India is sacrificing 0.5 unit of a product to produce 1 unit of another product.

	Shirt	Shoes
Japan	200	100
BD	80	100

(100, 0)  
(0, 200)

$$\text{O.C of Japan for producing Shirt} = \frac{100}{200} = \boxed{\frac{\text{sacrifice}}{\text{increase}}} = \frac{1}{2} = 0.5$$

$$\text{O.C of " " " Shoes} = \frac{200}{100} = 2$$

$$\text{O.C " BD " " Shirt} = \frac{100}{80} = 1.25$$

$$\text{O.C " " " Shoes} = \frac{80}{100} = 0.8$$

Shirt absolute advantage — Japan

Shoe " " — Same



Shirt Comparative Advantage — Japan

Shoe " " — B.D

if both are same: no country has comparative advantage over the other.

- As Japan has comparative advantage on shirt production, Japan should only produce shirt

loc or O.P = Comparative Advantage

	Pen	Pencil
India	5 P in 5 mins	8 Pencils in 10 min
USA	4 P in 6 min	10 Pencils in 14 min

① Absolut advantage in Pencil?

② Comparative advantage in Pen?

⇒ India

5 min — 5 Pen , 10 min — 8 Pencil

1 min — 1 Pen , 1 min —  $\frac{8}{10}$  Pencil

= 1 Pen , = 0.8 Pencil

USA

6 min — 4 Pen , 14 min — 10 Pencil

1 min —  $\frac{4}{6}$  Pen , 1 min —  $\frac{10}{14}$  Pencil

= 0.67 Pen

= 0.714 Pencil

= absolut = India

• absolut advantage trade 50 0) 511 0 0(2 24



$$O.C \text{ of Pen of } \overset{\text{India}}{\text{USA}} \text{ of for Pencil} = \frac{0.8}{1} = 0.8$$

$$O.C \text{ " Pencil of " " } = \frac{1}{0.8} = 1.25$$

$$O.C \text{ of Pen of } \overset{\text{USA}}{\text{India}} = \frac{0.714}{0.67} = 1.06$$

$$O.C \text{ " Pencil " " } = \frac{0.67}{0.714} = 0.938$$

Comparative advantage of Pen = India

Comparative advantage of Pencil = USA



# ECO-101 : Lecture-03

01. Company X Produces 5 PCs in 1.5 min or 10 tabs in 2 min

Company Y " 7 PCs in 3 min or 10 tabs in 3.5 min

①

X

$$1.5 \text{ min} = 5 \text{ PC}$$

$$1 \text{ min} = \frac{5}{1.5} = 3.33 \text{ PC}$$

$$2 \text{ min} = 10 \text{ tab}$$

$$1 \text{ min} = \frac{10}{2} = 5 \text{ tab}$$

Y

$$3 \text{ min} = 7 \text{ PC}$$

$$1 \text{ min} = \frac{7}{3} = 2.33 \text{ PC}$$

$$3.5 \text{ min} = 10 \text{ tab}$$

$$1 \text{ min} = \frac{10}{3.5} = 2.857 \text{ tab}$$

So, absolute advantage in PC = ~~Y~~ X

now,

$$\text{O.C of tab for X} = \frac{3.33}{5} = 0.666$$

$$\text{O.C of tab for Y} = \frac{2.33}{2.857} = 0.815$$

O.C of X is lower than Y. means Company X has to sacrifice lower amount of PC for extra units of tab production. So, Comparative advantage of X for tab is better, as X has to sacrifice 0.666 units of PC for 1 unit of extra tab and Y has to sacrifice 0.815 unit of PC for 1 unit of extra tab



# ECO-101 : Lecture-03

3. Company X Produces 5 PC in 1.5 min or 10 tabs in 2 min

Company Y " 7 PCs in 3 min or 10 tabs in 3.5 min

④

<u>X</u>	<u>Y</u>
1.5 min = 5 PC	3 min = 7 PC
1 min = $\frac{5}{1.5} = 3.33$ PC	1 min = $\frac{7}{3} = 2.33$ PC
2 min = 10 tabs	3.5 min = 10 tabs
1 min = $\frac{10}{2} = 5$	1 min = $\frac{10}{3.5} = 2.857$ tabs

So, absolute advantage in PC = Y

now,

$$\text{O.C of tab for X} = \frac{3.33}{5} = 0.666$$

$$\text{O.C of tab for Y} = \frac{2.33}{2.857} = 0.815$$

O.C of X is lower than Y. means Company X has to sacrifice lower amount of PC for extra units of tab production. So, Comparative advantage of X for tab is better. as X has to sacrifice 0.666 units of PC for 1 unit of extra tab and Y has to sacrifice 0.815 unit of P.C for 1 unit of extra tab



## # Demand and Supply

### # Demand

→ want or desire in general

↳ Based of want

Feature:

① Willingness to pay

② It must be affordable. → Affordability

both affordability and will to pay is necessary.

③ Time : over time demand changes

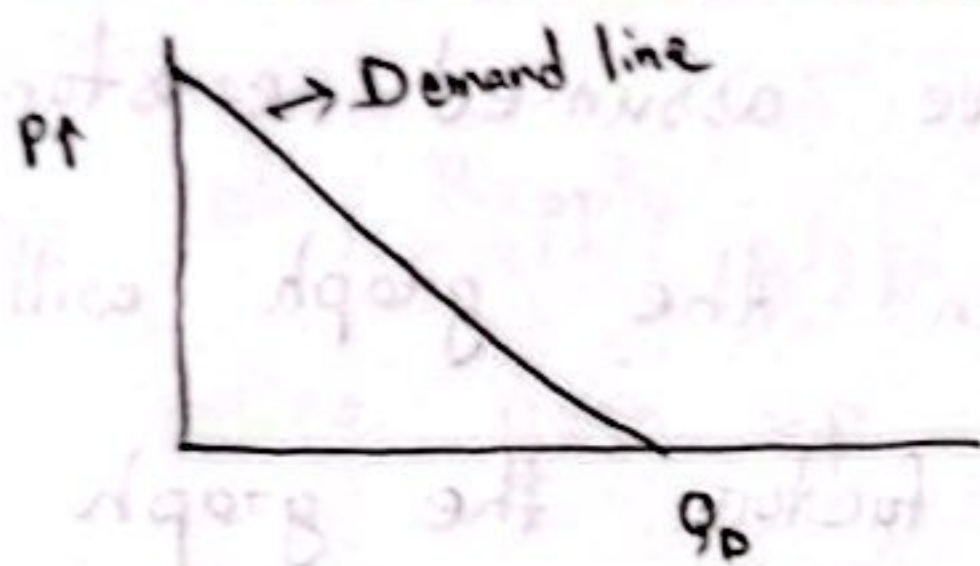
### # Law of demand

If the price of a product goes up Quantity demand decreases

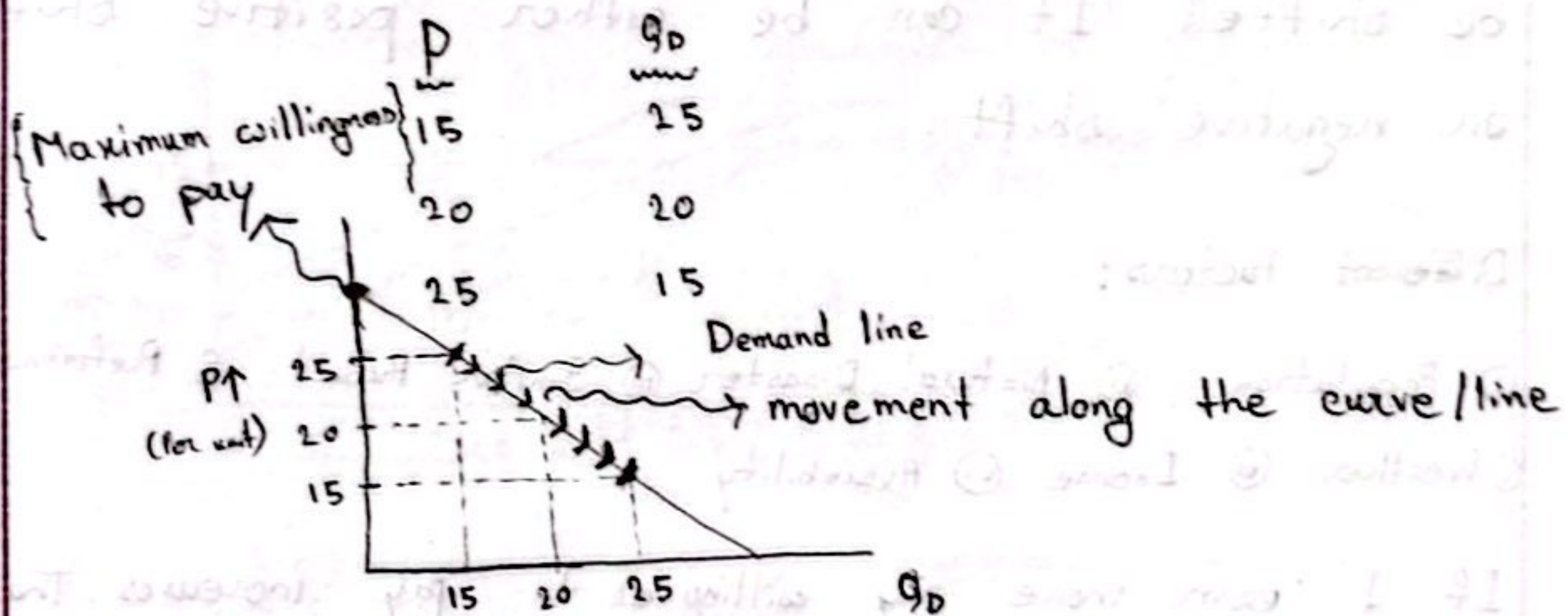
If the price of a product goes down Quantity demand increases

- Ceteris Paribus " Having all other factor constant"





• Price is price per unit



If price per unit increase from 15 to 20, the quantity demand will decrease 5 units

when Price per unit is 25; I'm spending =  $(15 \times 25) = 375$

when " " " " 20; " " =  $(20 \times 20) = 400$

when " " " " 15; " " =  $(15 \times 25) = 375$

• Find the price per unit and price

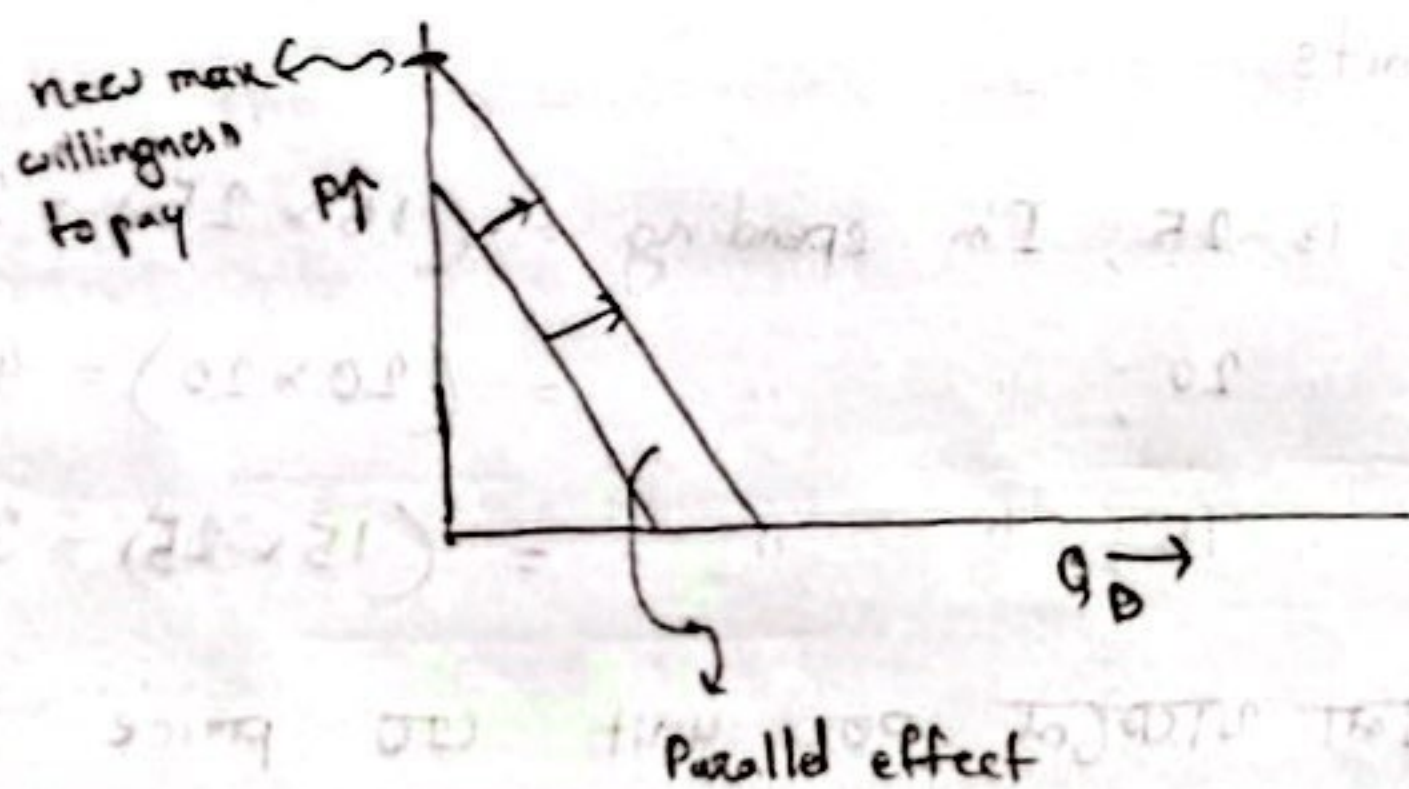


- If any factors that we assumed constant previously is changed then the graph will be affected. For that changed factor, the graph will be shifted. It can be either positive shift or negative shift.

Different factors:

- ① Population ; ② Natural Disaster ③ Similar Product ④ Preference  
⑤ Weather ⑥ Income ⑦ Availability

If I earn more my willingness to pay increases. That takes the graph up.



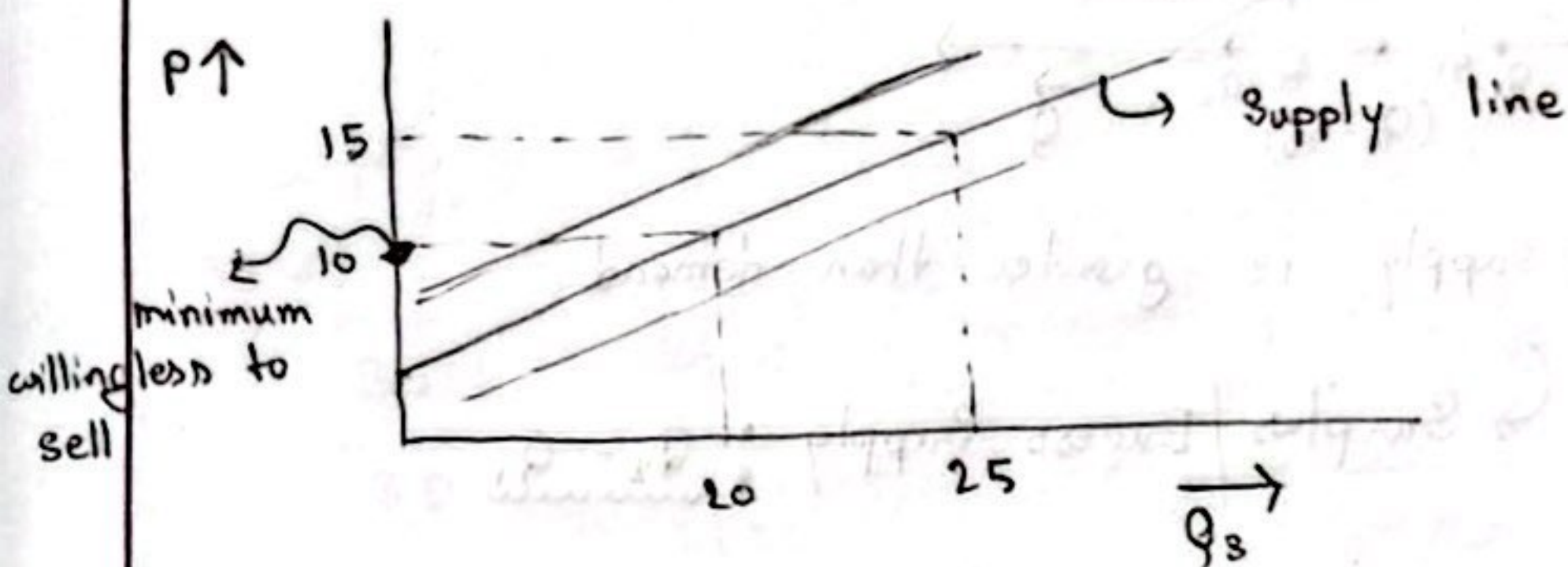


# Supply

# Law of Supply

If price goes up Quantity Supply goes up

If price goes down Quantity Supply goes down



Factors/Determinants :

- ① availability of raw material
- ② labor cost
- ③ Cost production
- ④ Tax/Subsidy

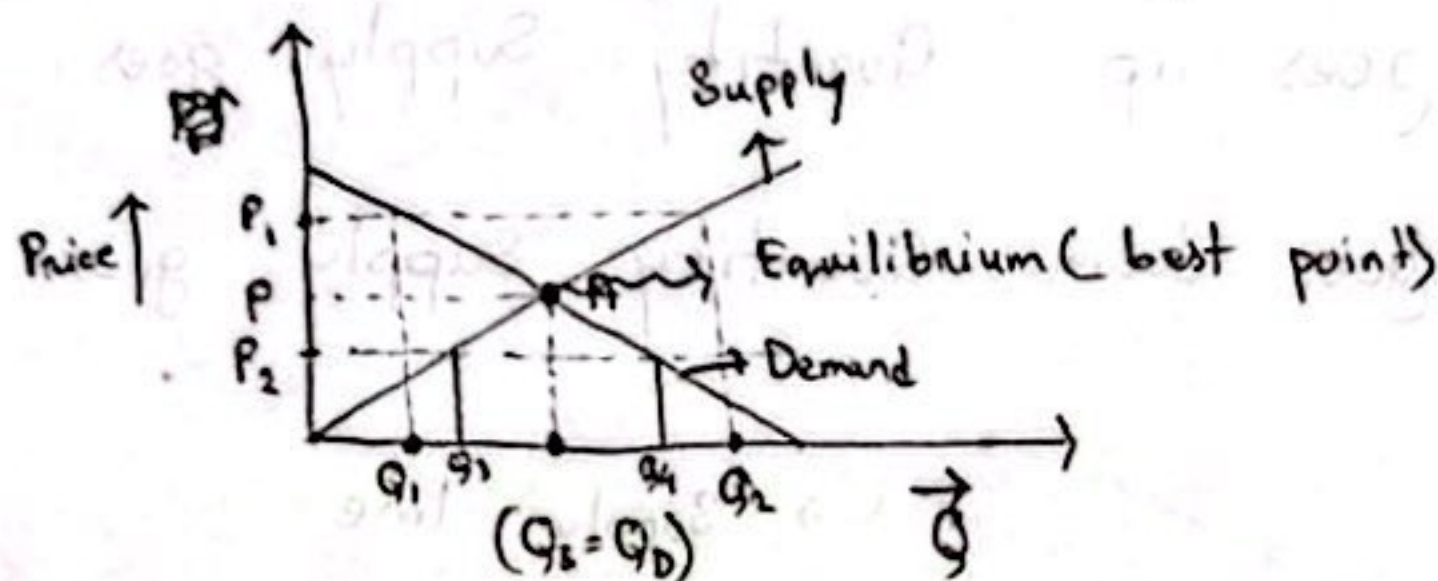
if cost production increases,  $Q_s$  decreases

if subsidy increases  $Q_s$  increases



## # Market

↪ in market demand and supply interacts



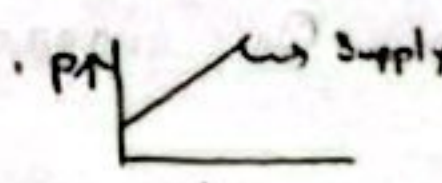
at  $P_1$  Point: supply is greater than demand

↪ Surplus / Excess Supply :  $Q_2 - Q_1$

at  $P_2$  Point: demand is greater than supply.

↪ Shortage / Deficit :  $Q_4 - Q_3$

If the price goes up, the quantity supply increases and quantity demand decreases.

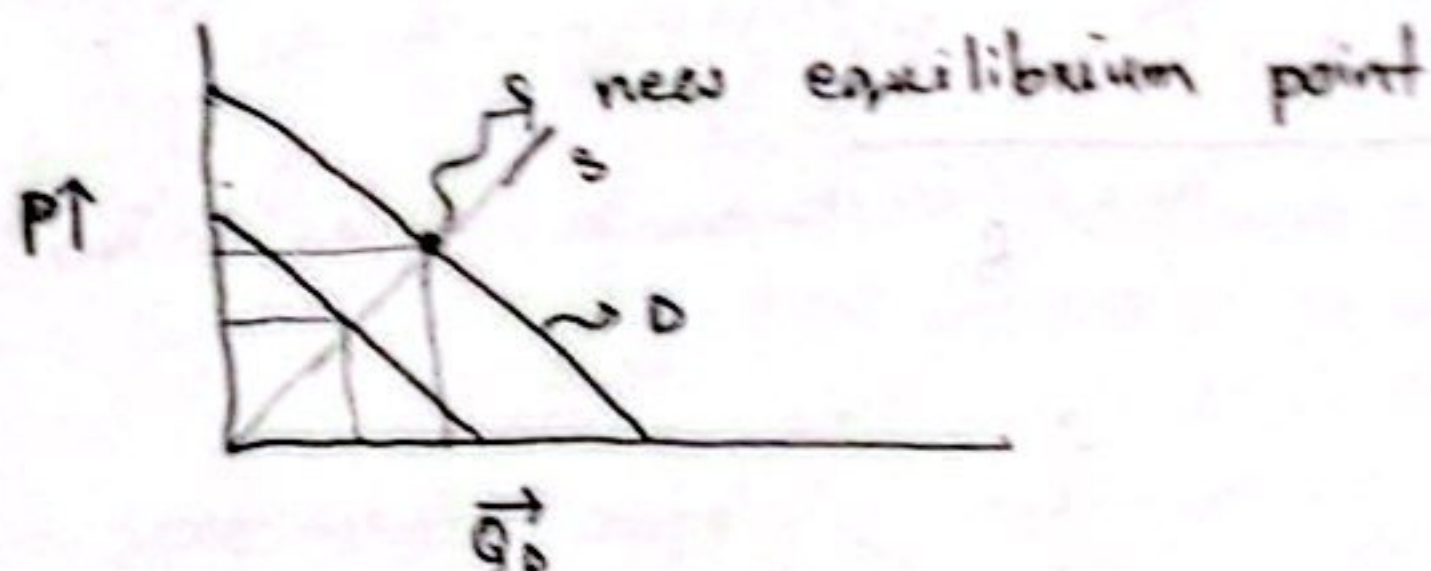
- Price ~~କମାଏ~~ Revenue ~~ବାଢ଼ାଏ~~ ~~କମାଏ~~, ~~କମାଏ~~ Quant Quantity  
Supply ~~କମାଏ~~ ~~ବାଢ଼ାଏ~~, 

- Market eventually reaches to equilibrium point. Because at this point there is no shortage or no surplus. The supply quantity and demand quantity difference is zero.



- change of factors will cause shifting in graph

Let, if price income goes up, demand goes up



now:

$S \downarrow D \downarrow$

$S \downarrow D \uparrow$

$S \uparrow D$

$S \downarrow D$

$S \uparrow D \uparrow$

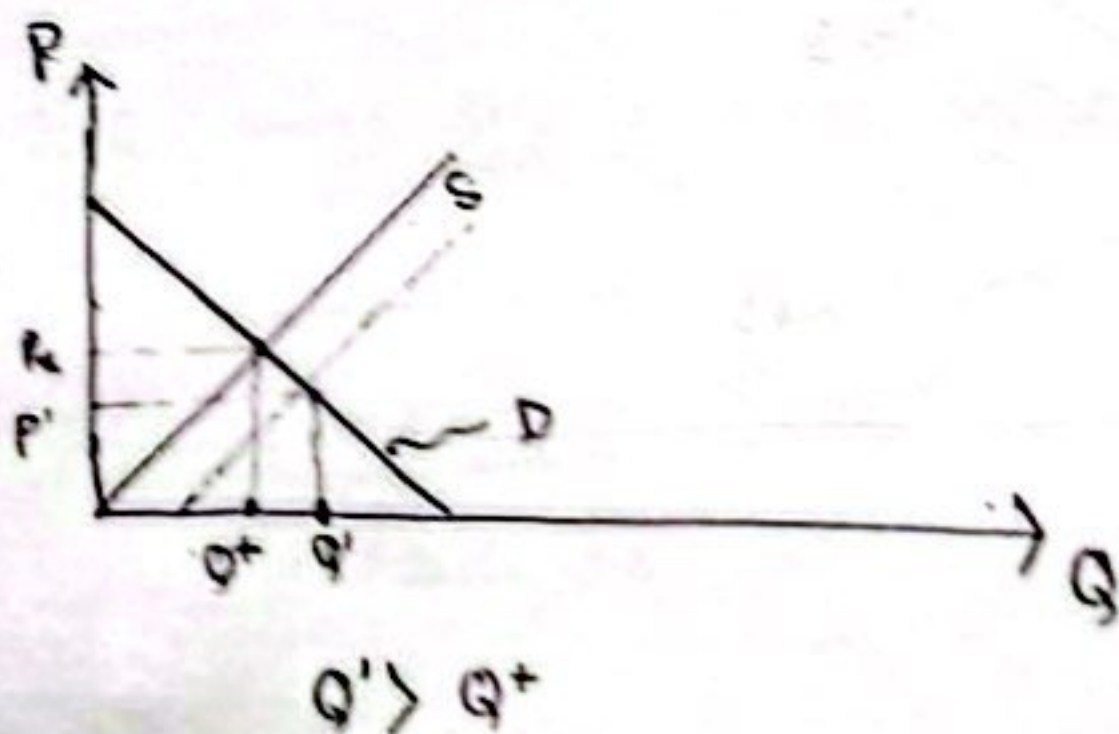
$S \downarrow D \uparrow$

$S \downarrow D \downarrow$

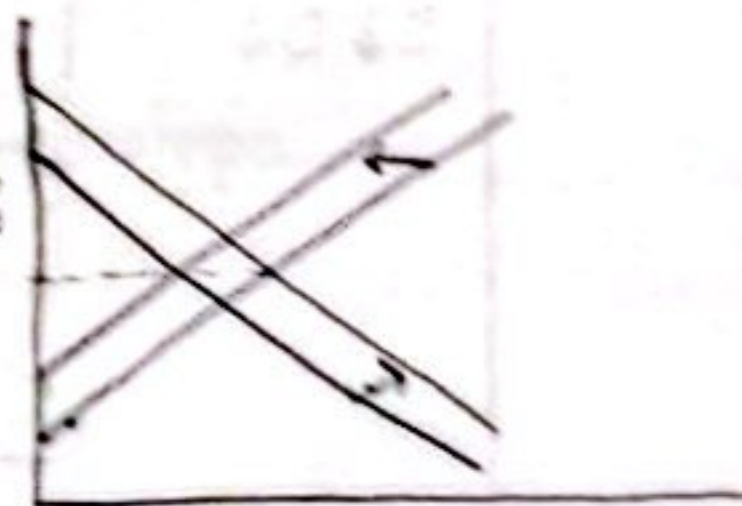
$S \uparrow D \downarrow$

$S \uparrow D:$

$P < P_e$

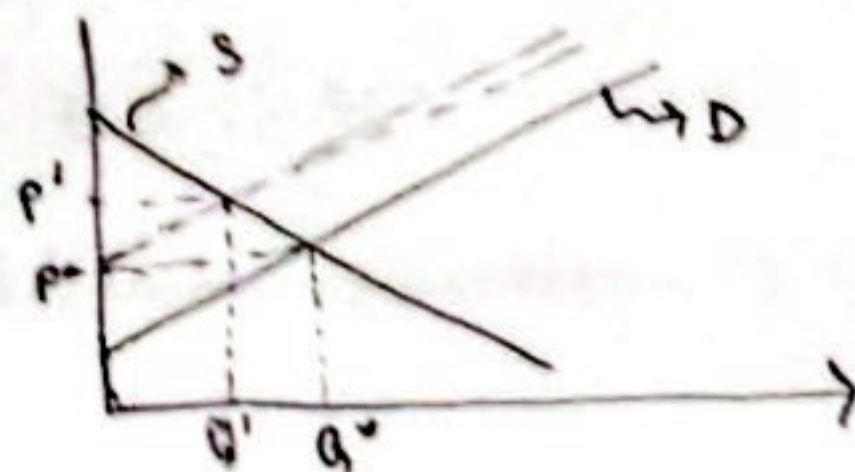


$S \downarrow D \uparrow:$

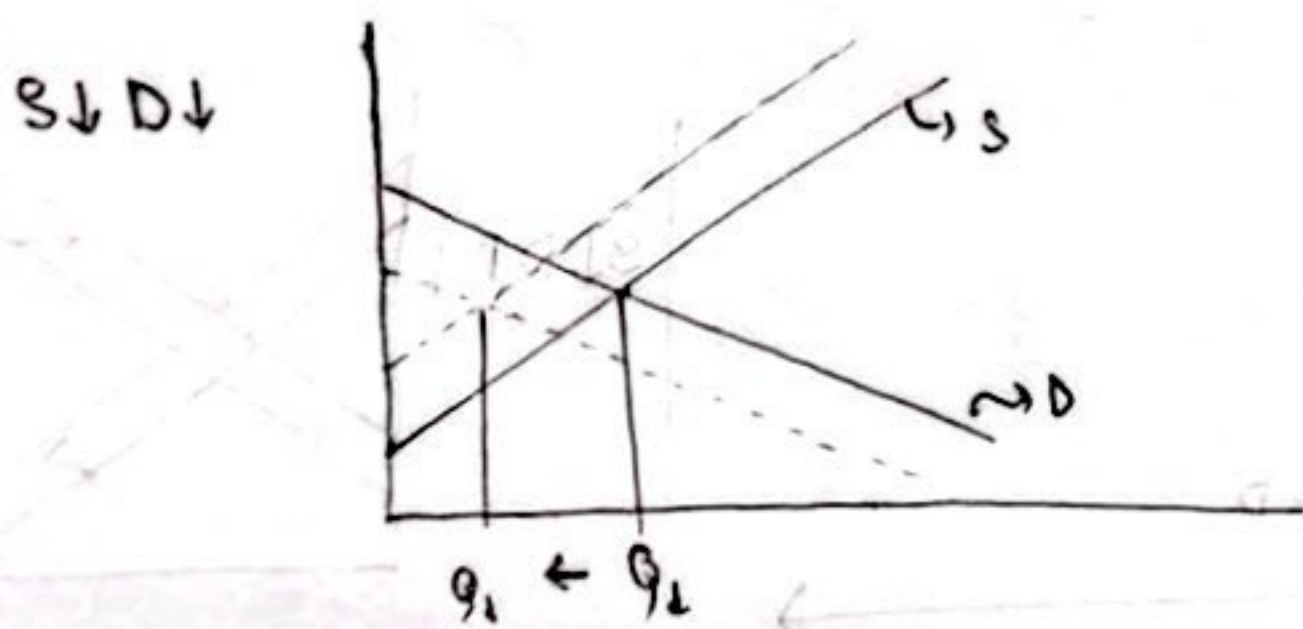
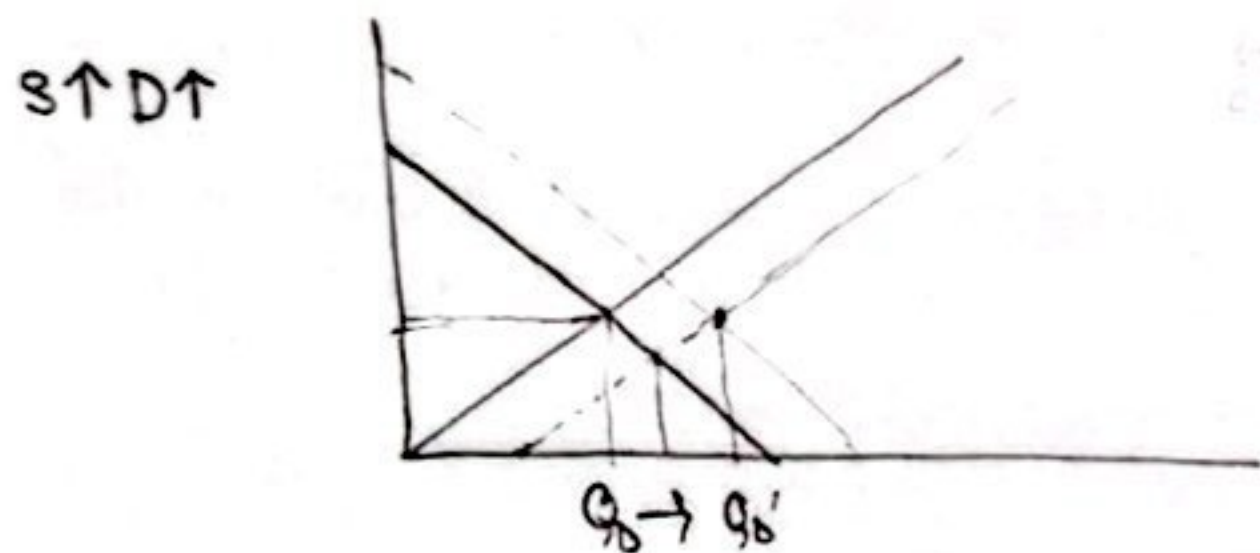
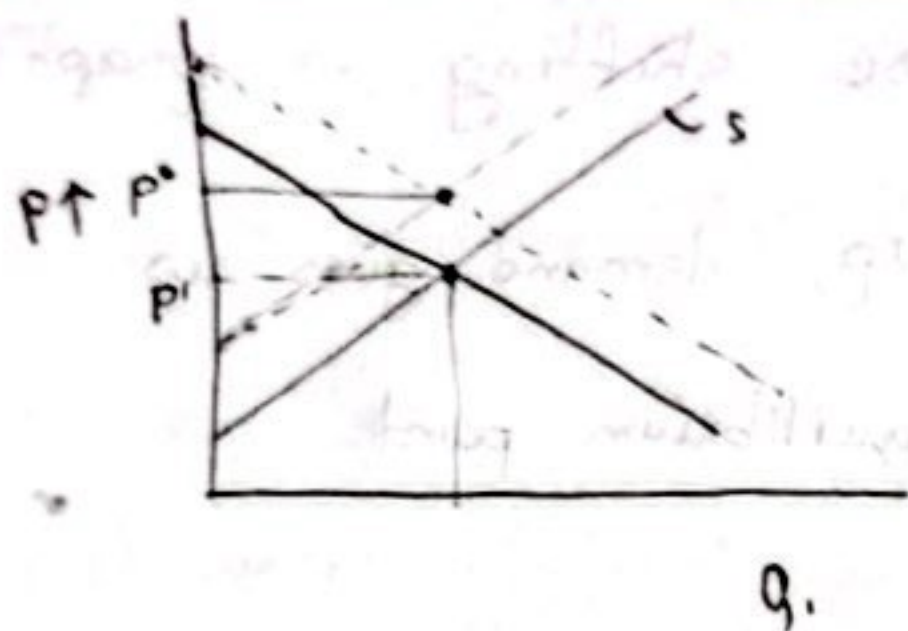


Price will always increase but quantity & may or may not change.

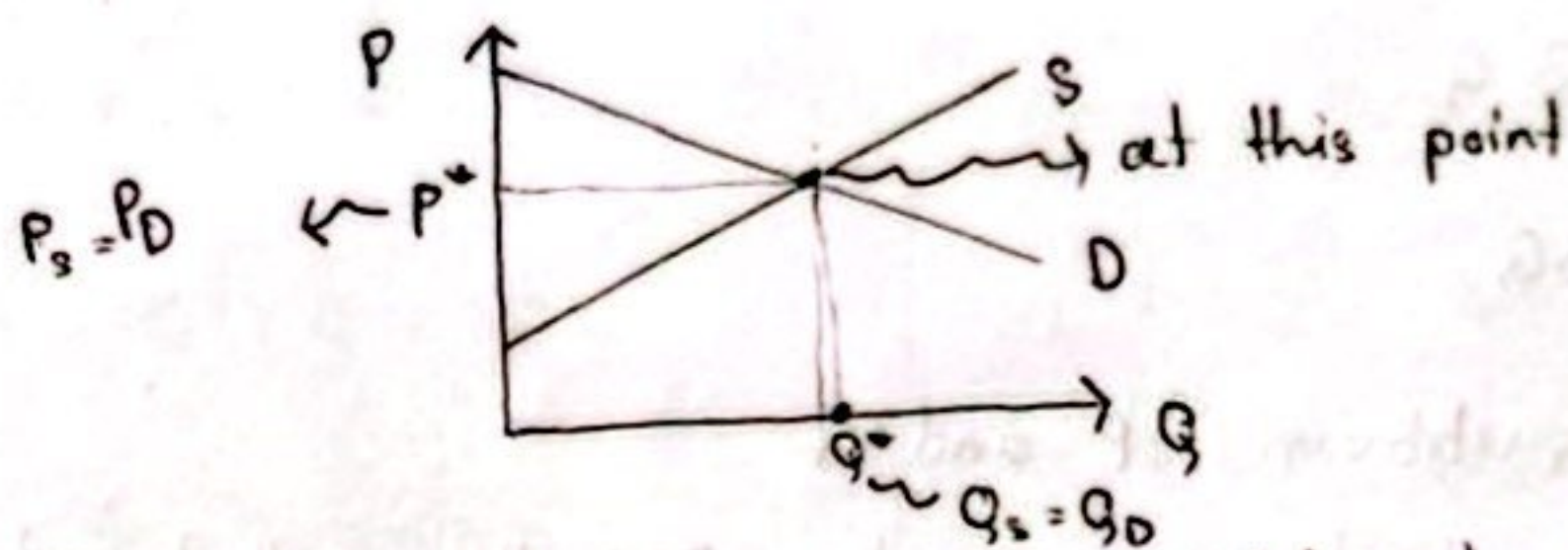
$S \downarrow D:$











S, D line based on:  $y = mx + c \rightarrow y$ -intercept  
 slope

$m \rightarrow (+)$  : it represents supply :

$m \rightarrow (-)$  : it represents demand :



$$P = f(Q)$$

$$Q = f(P)$$

#  $P = 100 - 4Q \rightarrow$  demand function as negative slope.

$P = 20 + 2Q \rightarrow$  supply function as positive slope.

$\Rightarrow$

at equilibrium ;

$$\text{Supply} = \text{Demand}$$

$$\therefore P_D = P_S$$

$$\therefore 100 - 4Q = 20 + 2Q$$

$$\Rightarrow 6Q = 80$$

$$Q = 13.367$$

Equilibrium quantity = 13.367

$$P = 100 - 4 \times (13.367)$$

$$= 100 - 26$$

$$= 46.73 \text{ Tk/unit.}$$



$$H \quad P = 60 - 3Q$$

$$P = 6 + 3Q$$

① Find the equilibrium  $P$  and  $Q$

② If the income level increases by 30%, the overall demand is positively affected by 10%, assume a parallel effect.

① now find  $P$  when,  $Q_D = Q^*$  from (1)

② Find the equilibrium  $P$  and  $Q$  after change in that income.

$\Rightarrow$

at equilibrium,  $P_D = P_S$

$$60 - 3Q = 6 + 3Q$$

$$\Rightarrow 6Q = 54$$

$$Q = 9$$

$$\therefore P = 60 - 27$$

$$= 33$$

$$P = 33 \text{ unit} ; Q = 9 \text{ unit}$$

$$G \cdot 10\% = 60 \cdot 10\% = 6$$

2. ①  $P = 6 + 3.1Q \rightarrow \text{supply}$

$P = 60 - 3.1Q \rightarrow \text{demand}$

now,  
 $60 - 3.1Q = 9$

$$\Rightarrow 3.1Q = 51$$

$$P = 60 - 3.1 \times 16.45$$

$$= 9$$

$$P = 66 - 3Q \rightarrow 66 - 3Q$$

$$= 60.1 - 3Q \quad P = 66 - 3Q = 9$$

$$60.1 - 3Q = 9 \quad \Rightarrow 3Q = 51$$

$$Q = 17.03$$

$$P = 66 - 3 \times 17.03$$

$$= 11.91$$

$$P = 7.207$$

$$P = 66 - 3 \times 17.03$$

$$= 11.91$$

$$= 11.91$$

$$= 11.91$$





$$\begin{array}{l|l}
 \textcircled{VI} & 6 + 3.1Q = 60 - 3.1Q \\
 & \Rightarrow 6.2Q = 54 \\
 & Q = 8.709 \\
 & P = 33.0021 \\
 \hline
 & 60.1 - 3Q = 6 + 3.1Q \\
 & \Rightarrow 6.1Q = 54 \\
 & Q = 8.85 \\
 & P = 33.55
 \end{array}$$

$$\begin{array}{l}
 \textcircled{VII} \\
 S = D \\
 \begin{array}{c} \nearrow \\ Q = 10 \\ \searrow \end{array} \\
 P = 36
 \end{array}$$



$$P = 70 - 2Q$$

$$P = 20 + 3Q$$

$$\text{or, just } 70 - 2 \times 35 \neq 20 + 3 \times 35$$

Q If the market price is at 35 tk/unit

→ Q is the market at equilibrium

Q If not, what problem would arise in the market

⇒

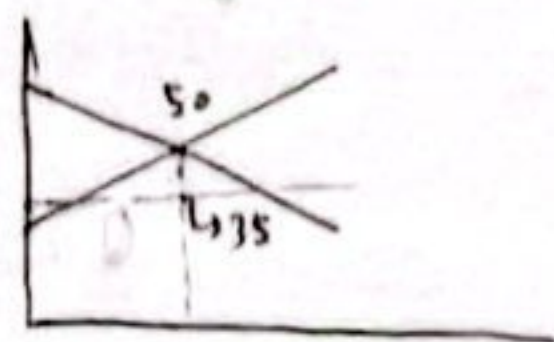
$$\textcircled{1} \quad P = 70 - 2Q = 20 + 3Q$$

$$\Rightarrow 5Q = 50$$

$$\Rightarrow 5Q = 50$$

$$Q = 10$$

$$\therefore P = 70 - 2Q \\ = 50$$



$$P_d = P_s = 50 \text{ tk/unit ; } Q$$

not at equilibrium

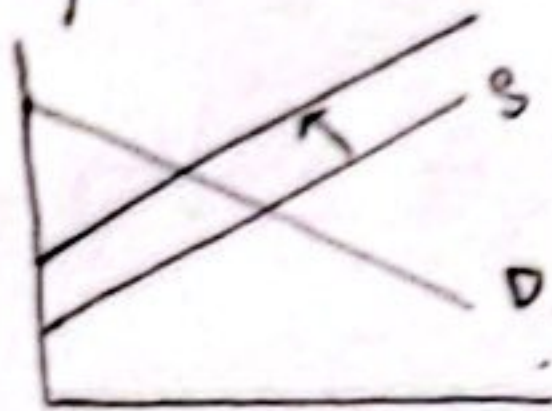
$$Q_2 = 17.25, Q_1 = 5$$

Q  $Q_2 > Q_1$  : Quantity demand is greater than quantity supply. So, there's a shortage problem of

$$(17.25 - 5) = 12.25 \text{ unit.}$$

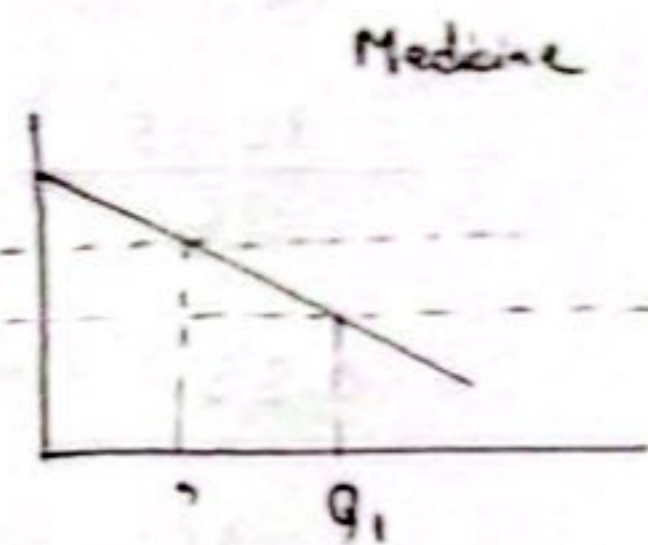
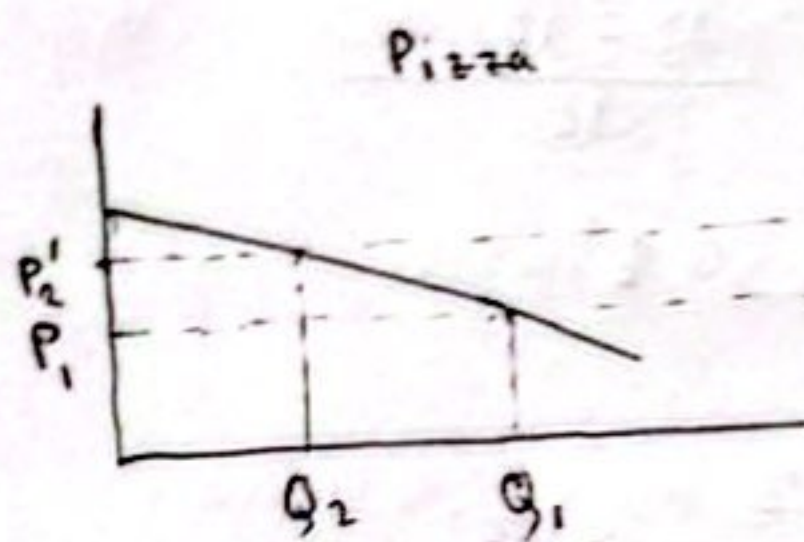


# # Elasticity



the impact of change in one sector on another sector is elasticity

↓  
slope/gradient



Elasticity → Response of price change

## # Price Elasticity of Demand (PED)

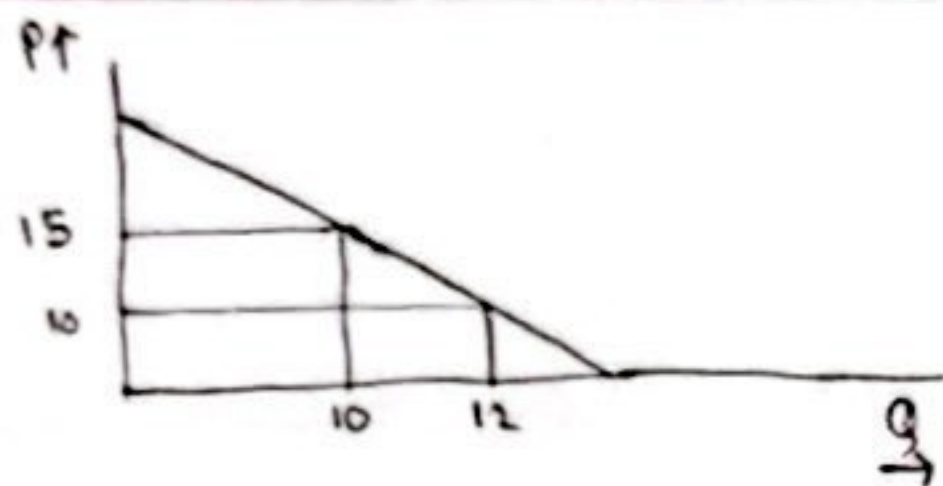
↳ how any change in price affects the quantity level

$$PED = \frac{\Delta Q \%}{\Delta P}$$
 → effect of price change on quantity

$$\Delta Q = \frac{Q_2 - Q_1}{Q_1}$$

$$\Delta P = \frac{P_2 - P_1}{P_1}$$





$$P_1 = 15, Q_1 = 10$$

$$\Delta P = \frac{P_2 - P_1}{P_1}$$

$$= \frac{10 - 15}{15}$$

$$= -0.33$$

$$\Delta Q = \frac{Q_2 - Q_1}{Q_1}$$

$$= \frac{12 - 10}{10}$$

$$= 0.2$$

$$PED = \frac{\Delta Q}{\Delta P} = \frac{0.2}{-0.33} \times 100\%$$

$$= -60.7\%$$

PED is always negative.

So, we ignore the sign. That's just direction. ~~कोई~~

~~वापस आकर~~ ~~कोई~~ ~~कोई~~.

• Here PED has two values. But PED on slope will be same. Having two different value is inconsistency.

The problem happens because of  $P_1$  and  $Q_1$  as  $P_1, Q_1$  has different values.



absolut will be taken just for PED

### # Midpoint Average Method

$$PED = \frac{\Delta Q}{\Delta P} = \frac{\frac{Q_2 - Q_1}{\frac{Q_2 + Q_1}{2}}}{\frac{P_2 - P_1}{\frac{P_2 + P_1}{2}}}$$

$$\Delta Q = \frac{Q_2 - Q_1}{\frac{Q_2 + Q_1}{2}} = \frac{12 - 10}{\frac{(12 + 10)}{2}} = 0.182$$

$$\Delta P = \frac{P_2 - P_1}{\frac{P_2 + P_1}{2}} = \frac{10 - 15}{\frac{(10 + 15)}{2}} = -0.4$$

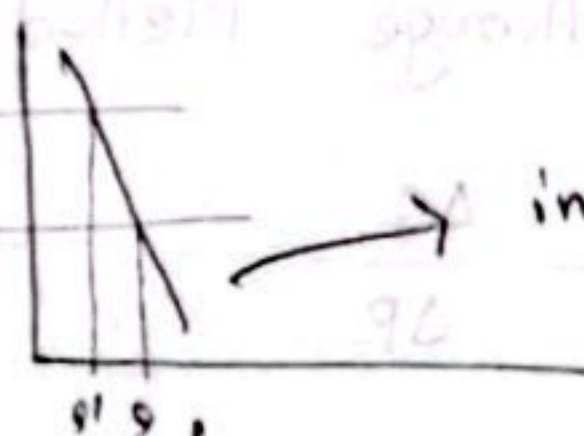
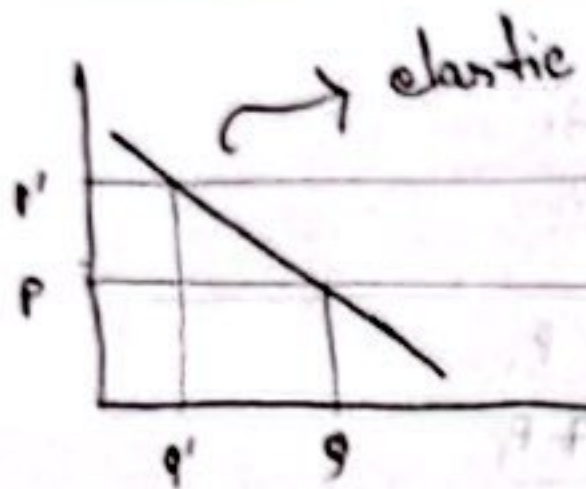
$$PED = \frac{\Delta Q}{\Delta P} = \frac{0.18}{-0.4} = -0.45$$

$$|PED| = 0.45$$

If I increase the price 1 tk Quantity demand will fall by 0.45 unit.

If  $|PED| < 1 \rightarrow$  low sensitive: inelastic





low sensitive / responsive

if  $0 < |PED| < 1 \leadsto$  inelastic demand

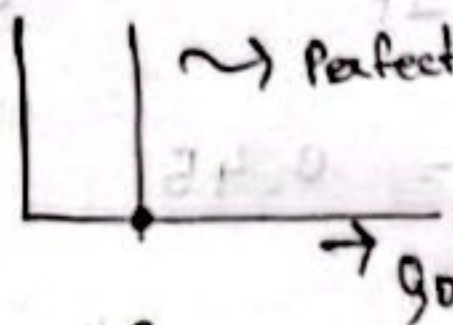
$|PED| > 1 \leadsto$  elastic

$|PED| = 1 \leadsto$  unit elastic

$\hookrightarrow$  one to one change

$\hookrightarrow$  ମାତ୍ରୁକା ଗଲେ ମାତ୍ରୁକା ଗଲେ

$|PED| = 0 \leadsto$  Perfectly inelastic

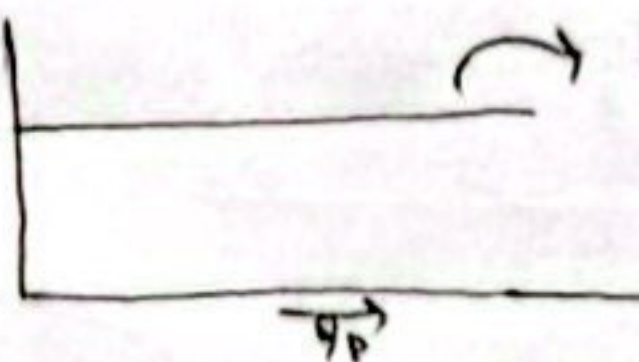


$\hookrightarrow$  Price change କିନ୍ତୁ

quantity demand same

or, price ବଦଳିଲେ ମାତ୍ରୁକା ସମାନ ରହେ

$|PED| = \infty$  Perfectly elastic



P ଗଲେ କିନ୍ତୁ point - 1

there is no demand.



A Producer can sell based on,

$$P = 100$$

$$Q = 100$$

$$\text{Total Revenue} = 100 \times 100 = 10000$$

①  $P \uparrow 20\%$  ;  $Q \downarrow 10\%$

$$P = 100 + 100 \times \frac{20}{100}$$

$$= 120$$

$$Q = 100 - 100 \times \frac{10}{100}$$

$$= 90$$

$$\begin{aligned} \text{total revenue} &= 120 \times 90 \\ &= 10,800 \end{aligned}$$

→ inelastic

↳ if the demand is inelastic the revenue will be more.

②  $P \uparrow 10\%$  ;  $Q \downarrow 20\%$

$$P = 100 + 10$$

$$= 110$$

$$Q = 100 - 100 \times \frac{20}{100}$$

$$= 80$$

$$\begin{aligned} \text{total revenue} &= 110 \times 80 \\ &= 8800 \end{aligned}$$