

Studying for a Tech Interview Sucks, so Here's a Cheat Sheet to Help

This list is meant to be both a quick guide and reference for further research into these topics. It's basically a summary of that comp sci

Data Structure Basics

####Array

####Definition:

- Stores data elements based on an sequential, most commonly 0 based, index.
- Based on [tuples](http://en.wikipedia.org/wiki/Tuple) from set theory.
- They are one of the oldest, most commonly used data structures.

####What you need to know:

- Optimal for indexing; bad at searching, inserting, and deleting (except at the end).
- **Linear arrays**, or one dimensional arrays, are the most basic.
 - Are static in size, meaning that they are declared with a fixed size.
- **Dynamic arrays** are like one dimensional arrays, but have reserved space for additional elements.
 - If a dynamic array is full, it copies it's contents to a larger array.
- **Two dimensional arrays** have x and y indices like a grid or nested arrays.

####Big O efficiency:

- Indexing: Linear array: $O(1)$, Dynamic array: $O(1)$
- Search: Linear array: $O(n)$, Dynamic array: $O(n)$
- Optimized Search: Linear array: $O(\log n)$, Dynamic array: $O(\log n)$
- Insertion: Linear array: n/a Dynamic array: $O(n)$

####Linked List

####Definition:

- Stores data with **nodes** that point to other nodes.
 - Nodes, at its most basic it has one datum and one reference (another node).
 - A linked list _chains_ nodes together by pointing one node's reference towards another node.

####What you need to know:

- Designed to optimize insertion and deletion, slow at indexing and searching.
- **Doubly linked list** has nodes that reference the previous node.
- **Circularly linked list** is simple linked list whose **tail**, the last node, references the **head**, the first node.
- **Stack**, commonly implemented with linked lists but can be made from arrays too.
 - Stacks are **last in, first out** (LIFO) data structures.
 - Made with a linked list by having the head be the only place for insertion and removal.
- **Queues**, too can be implemented with a linked list or an array.
 - Queues are a **first in, first out** (FIFO) data structure.
 - Made with a doubly linked list that only removes from head and adds to tail.

####Big O efficiency:

- Indexing: Linked Lists: $O(n)$
- Search: Linked Lists: $O(n)$
- Optimized Search: Linked Lists: $O(n)$
- Insertion: Linked Lists: $O(1)$

####Hash Table or Hash Map

####Definition:

- Stores data with key value pairs.
- **Hash functions** accept a key and return an output unique only to that specific key.
 - This is known as **hashing**, which is the concept that an input and an output have a one-to-one correspondence to map information.
 - Hash functions return a unique address in memory for that data.

####What you need to know:

- Designed to optimize searching, insertion, and deletion.
- **Hash collisions** are when a hash function returns the same output for two distinct outputs.
 - All hash functions have this problem.
 - This is often accommodated for by having the hash tables be very large.
- Hashes are important for associative arrays and database indexing.

####Big O efficiency:

- Indexing: Hash Tables: $O(1)$
- Search: Hash Tables: $O(1)$
- Insertion: Hash Tables: $O(1)$

####Binary Tree

####Definition:

- Is a tree like data structure where every node has at most two children.
 - There is one left and right child node.

####What you need to know:

- Designed to optimize searching and sorting.
- A **degenerate tree** is an unbalanced tree, which if entirely one-sided is essentially a linked list.
- They are comparably simple to implement than other data structures.
- Used to make **binary search trees**.
 - A binary tree that uses comparable keys to assign which direction a child is.
 - Left child has a key smaller than it's parent node.
 - Right child has a key greater than it's parent node.
 - There can be no duplicate node.
 - Because of the above it is more likely to be used as a data structure than a binary tree.

####Big O efficiency:

- Indexing: Binary Search Tree: $O(\log n)$
- Search: Binary Search Tree: $O(\log n)$
- Insertion: Binary Search Tree: $O(\log n)$

Search Basics

####Breadth First Search

####Definition:

- An algorithm that searches a tree (or graph) by searching levels of the tree first, starting at the root.

- It finds every node on the same level, most often moving left to right.
- While doing this it tracks the children nodes of the nodes on the current level.
- When finished examining a level it moves to the left most node on the next level.
- The bottom-right most node is evaluated last (the node that is deepest and is farthest right of it's level).

####What you need to know:

- Optimal for searching a tree that is wider than it is deep.
- Uses a queue to store information about the tree while it traverses a tree.
- Because it uses a queue it is more memory intensive than **depth first search**.
- The queue uses more memory because it needs to store pointers

####Big O efficiency:

- Search: Breadth First Search: $O(|E| + |V|)$
- E is number of edges
- V is number of vertices

####Depth First Search

####Definition:

- An algorithm that searches a tree (or graph) by searching depth of the tree first, starting at the root.
- It traverses left down a tree until it cannot go further.
- Once it reaches the end of a branch it traverses back up trying the right child of nodes on that branch, and if possible left from the right.
- When finished examining a branch it moves to the node right of the root then tries to go left on all it's children until it reaches the bottom.
- The right most node is evaluated last (the node that is right of all it's ancestors).

####What you need to know:

- Optimal for searching a tree that is deeper than it is wide.
- Uses a stack to push nodes onto.
- Because a stack is LIFO it does not need to keep track of the nodes pointers and is therefore less memory intensive than breadth first search.
- Once it cannot go further left it begins evaluating the stack.

####Big O efficiency:

- Search: Depth First Search: $O(|E| + |V|)$
- E is number of edges
- V is number of vertices

####Breadth First Search Vs. Depth First Search

- The simple answer to this question is that it depends on the size and shape of the tree.
- For wide, shallow trees use Breadth First Search
- For deep, narrow trees use Depth First Search

####Nuances:

- Because BFS uses queues to store information about the nodes and its children, it could use more memory than is available on your computer
- If using a DFS on a tree that is very deep you might go unnecessarily deep in the search. See [xkcd](http://xkcd.com/761/) for more information
- Breadth First Search tends to be a looping algorithm.
- Depth First Search tends to be a recursive algorithm.

Efficient Sorting Basics

####Merge Sort

####Definition:

- A comparison based sorting algorithm
- Divides entire dataset into groups of at most two.
- Compares each number one at a time, moving the smallest number to left of the pair.
- Once all pairs sorted it then compares left most elements of the two leftmost pairs creating a sorted group of four with the smallest number.
- This process is repeated until there is only one set.

####What you need to know:

- This is one of the most basic sorting algorithms.
- Know that it divides all the data into as small possible sets then compares them.

####Big O efficiency:

- Best Case Sort: Merge Sort: $O(n)$
- Average Case Sort: Merge Sort: $O(n \log n)$
- Worst Case Sort: Merge Sort: $O(n \log n)$

####Quicksort

####Definition:

- A comparison based sorting algorithm
- Divides entire dataset in half by selecting the average element and putting all smaller elements to the left of the average.
- It repeats this process on the left side until it is comparing only two elements at which point the left side is sorted.
- When the left side is finished sorting it performs the same operation on the right side.
- Computer architecture favors the quicksort process.

####What you need to know:

- While it has the same Big O as (or worse in some cases) many other sorting algorithms it is often faster in practice than many other sorting algorithms.
- Know that it halves the data set by the average continuously until all the information is sorted.

####Big O efficiency:

- Best Case Sort: Merge Sort: $O(n)$
- Average Case Sort: Merge Sort: $O(n \log n)$
- Worst Case Sort: Merge Sort: $O(n^2)$

####Bubble Sort

####Definition:

- A comparison based sorting algorithm
- It iterates left to right comparing every couplet, moving the smaller element to the left.
- It repeats this process until it no longer moves and element to the left.

####What you need to know:

- While it is very simple to implement, it is the least efficient of these three sorting methods.
- Know that it moves one space to the right comparing two elements at a time and moving the smaller one to left.

####Big O efficiency:

- Best Case Sort: Merge Sort: $O(n)$
- Average Case Sort: Merge Sort: $O(n^2)$
- Worst Case Sort: Merge Sort: $O(n^2)$

```

####Merge Sort Vs. Quicksort
- Quicksort is likely faster in practice.
- Merge Sort divides the set into the smallest possible groups immediately then reconstructs the incrementally as it sorts the groupings.
- Quicksort continually divides the set by the average, until the set is recursively sorted.

## Basic Types of Algorithms
####Recursive Algorithms**
####Definition:
- An algorithm that calls itself in its definition.
- **Recursive case** a conditional statement that is used to trigger the recursion.
- **Base case** a conditional statement that is used to break the recursion.

####What you need to know:
- **Stack level too deep** and **stack overflow**.
- If you've seen either of these from a recursive algorithm, you messed up.
- It means that your base case was never triggered because it was faulty or the problem was so massive you ran out of RAM before reaching it
- Knowing whether or not you will reach a base case is integral to correctly using recursion.
- Often used in Depth First Search

####Iterative Algorithms**
####Definition:
- An algorithm that is called repeatedly but for a finite number of times, each time being a single iteration.
- Often used to move incrementally through a data set.

####What you need to know:
- Generally you will see iteration as loops, for, while, and until statements.
- Think of iteration as moving one at a time through a set.
- Often used to move through an array.

####Recursion Vs. Iteration
- The differences between recursion and iteration can be confusing to distinguish since both can be used to implement the other. But know that
- Recursion is, usually, more expressive and easier to implement.
- Iteration uses less memory.
- **Functional languages** tend to use recursion. (i.e. Haskell)
- **Imperative languages** tend to use iteration. (i.e. Ruby)
- Check out this [Stack Overflow post](http://stackoverflow.com/questions/19794739/what-is-the-difference-between-iteration-and-recursion) for

####Pseudo Code of Moving Through an Array (this is why iteration is used for this)
```
Recursion	Iteration
recursive method (array, n) | iterative method (array)
 if array[n] is not nil | for n from 0 to size of array
 print array[n] | print(array[n])
 recursive method(array, n+1) |
 else |
 exit loop |
```
####Greedy Algorithm**
####Definition:
- An algorithm that, while executing, selects only the information that meets a certain criteria.
- The general five components, taken from [Wikipedia](http://en.wikipedia.org/wiki/Greedy_algorithm#Specifics):
  - A candidate set, from which a solution is created.
  - A selection function, which chooses the best candidate to be added to the solution.
  - A feasibility function, that is used to determine if a candidate can be used to contribute to a solution.
  - An objective function, which assigns a value to a solution, or a partial solution.
  - A solution function, which will indicate when we have discovered a complete solution.

####What you need to know:
- Used to find the optimal solution for a given problem.
- Generally used on sets of data where only a small proportion of the information evaluated meets the desired result.
- Often a greedy algorithm can help reduce the Big O of an algorithm.

####Pseudo Code of a Greedy Algorithm to Find Largest Difference of any Two Numbers in an Array.
```
greedy algorithm (array)
 var largest difference = 0
 var new difference = find next difference (array[n], array[n+1])
 largest difference = new difference if new difference is > largest difference
 repeat above two steps until all differences have been found
 return largest difference
```

```

This algorithm never needed to compare all the differences to one another, saving it an entire iteration.