

Deep Learning para series temporales

Part III

Forecasting



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Máster
Deep Learning

**Part I: Introduction**

Why am I here?

**Part II: Preprocessing
and analysis**

ETL + First observations

Part III: Forecasting

Predicting the future

Part IV: Supervised

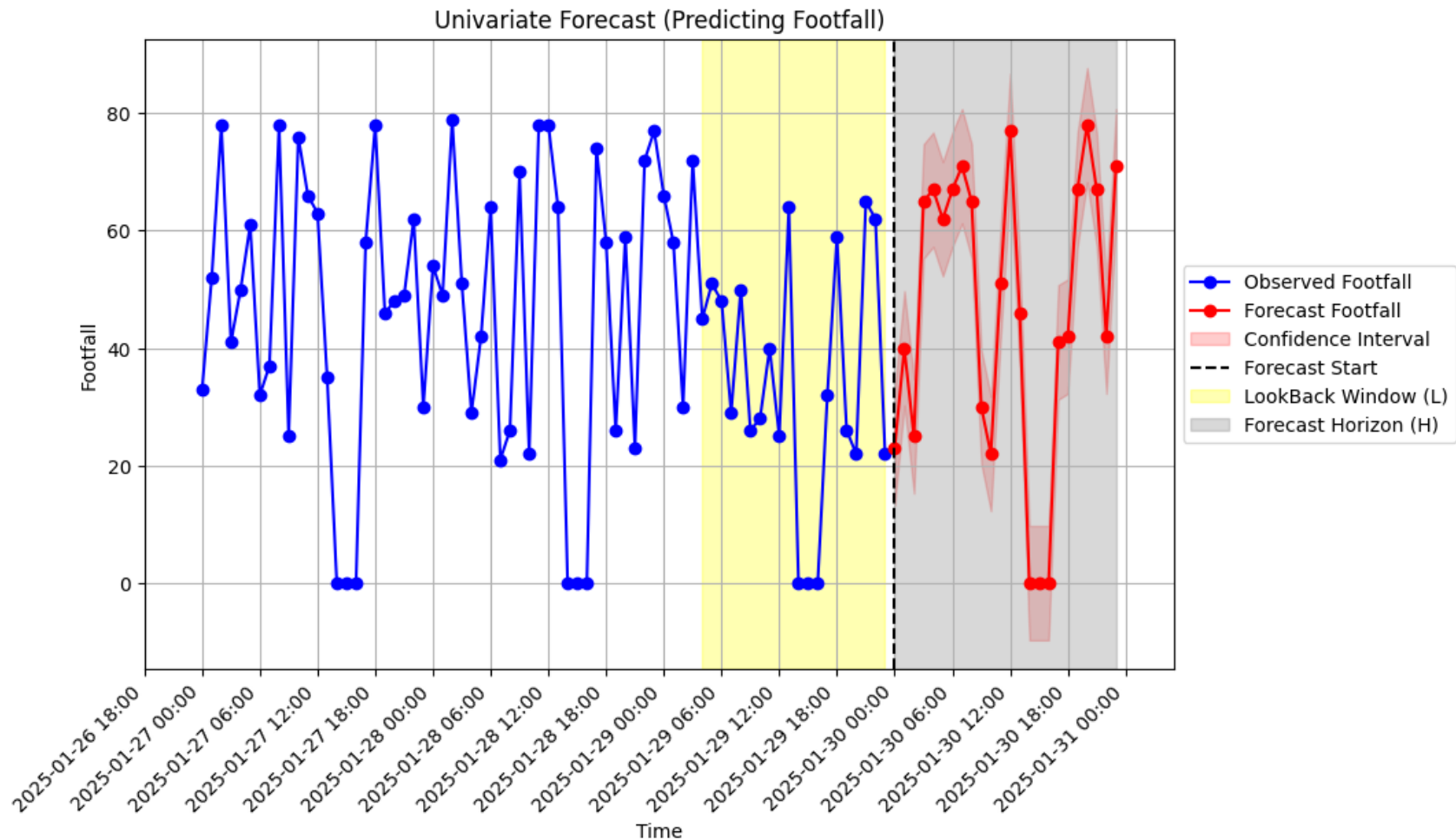
Supervised ML

**Part V: Other Deep
Learning tasks**

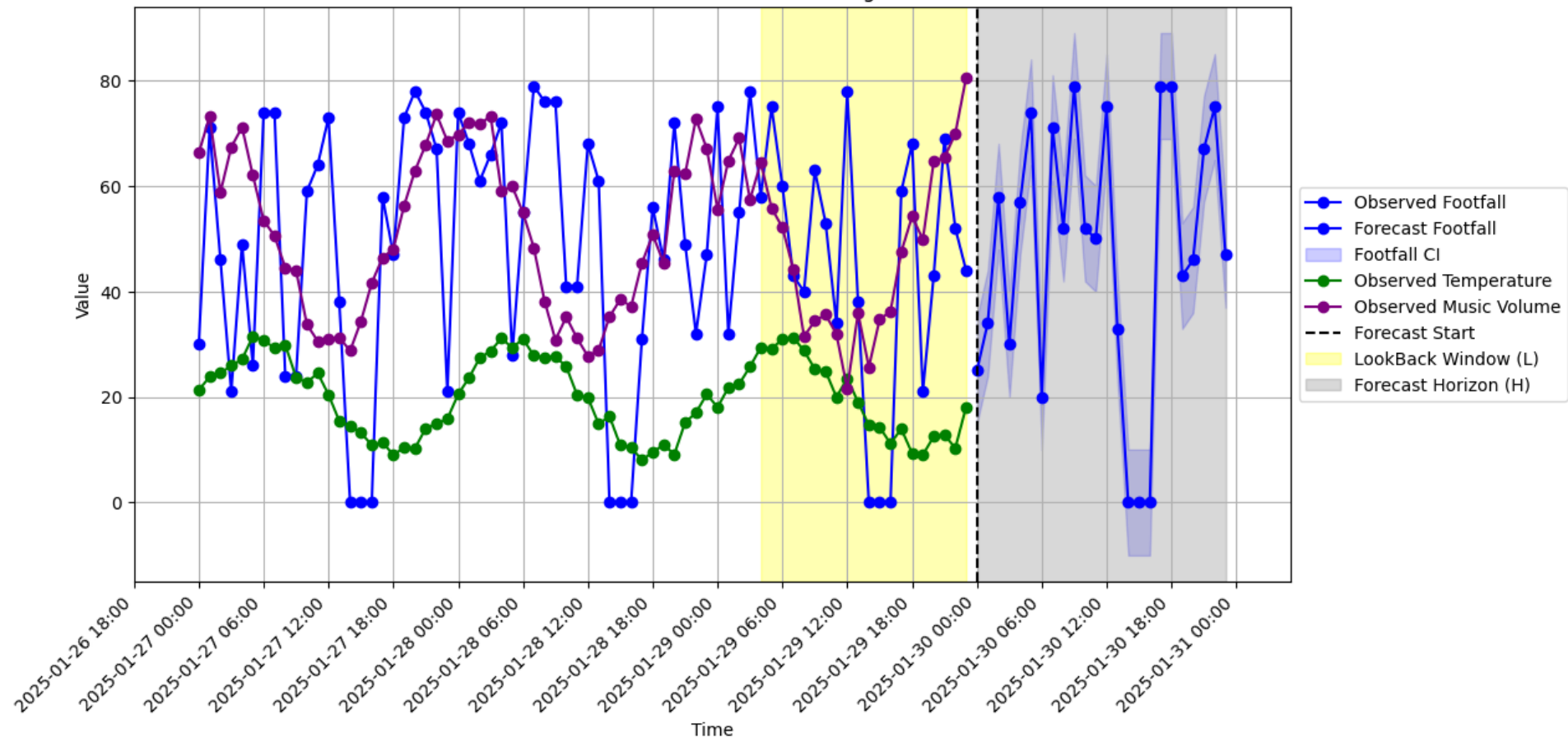
Other Deep Learning tasks

Task definition

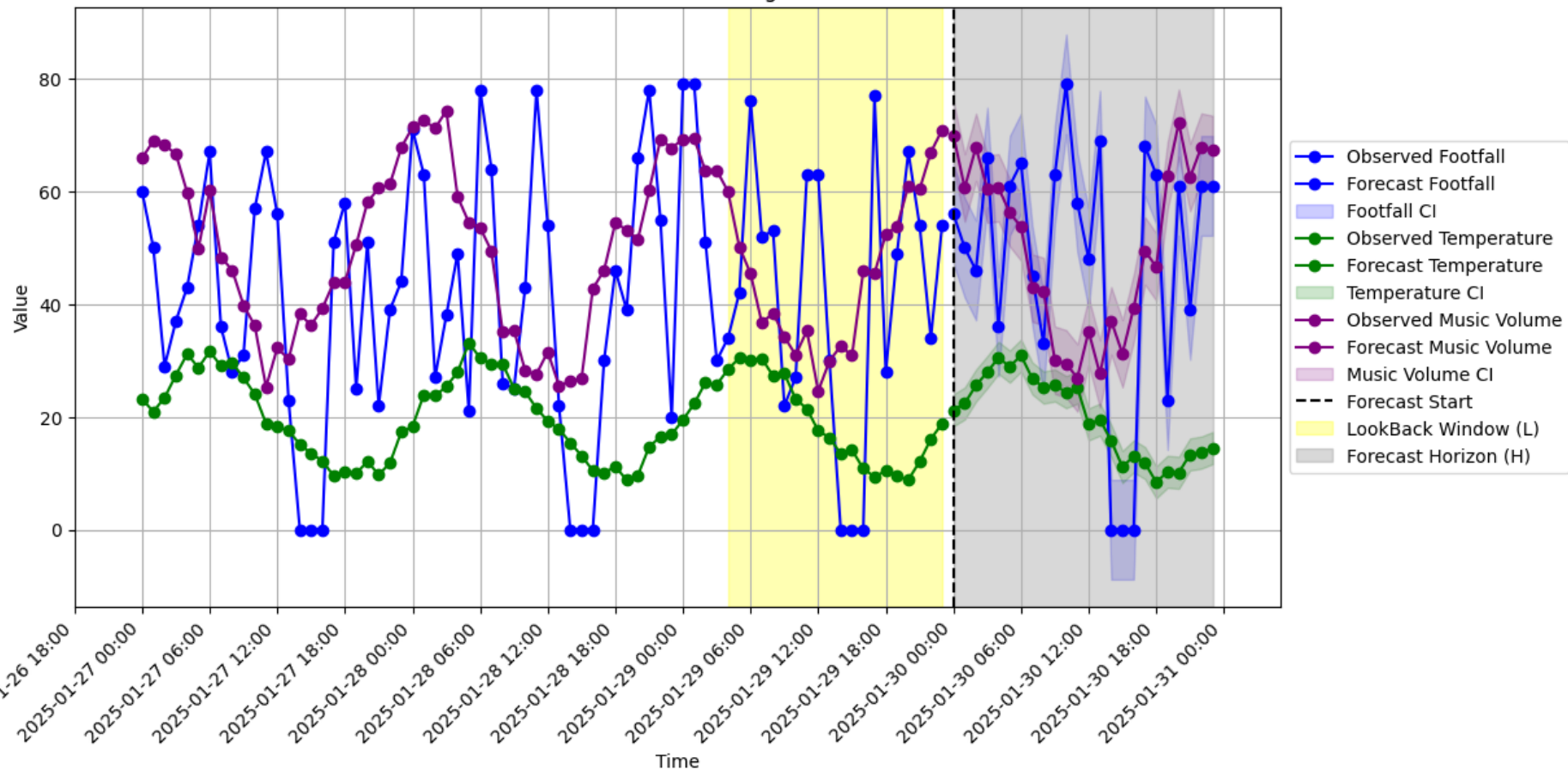
What does forecast mean?



Multivariate Footfall Forecast (Predicting Footfall)



Multivariate Forecast (Predicting All Variables)



Definition: Forecasting (informal)

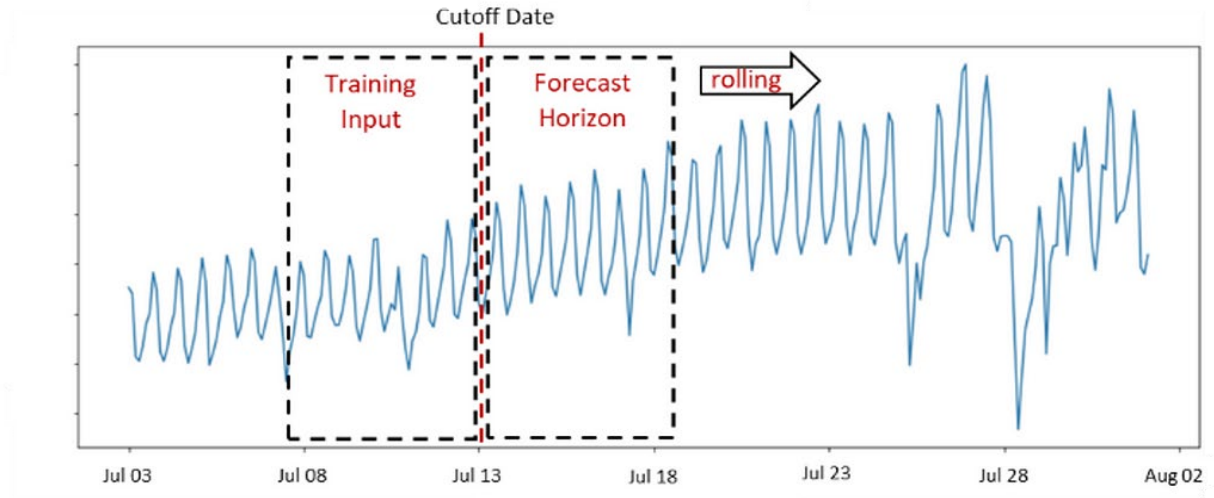
Given the historical data of **d** features at the lookback
(the yellow part)

we want to guess the value of **d2** variates at timestamps the horizon
(the gray part)

The most similar to the real time series, the better we are doing.



Task definition | How to fill the full time series





<https://medium.com/data-science-at-microsoft/time-series-forecasting-part-2-of-3-selecting-algorithms-11b6635f61bb>

<https://machinelearningmastery.com/lstm-model-architecture-for-rare-event-time-series-forecasting/>





Task definition | How to fill the full time series

Forecast Epoch	Day										
Day 4	Day 1	Day 2	Day 3	Day 4	Day 5	Day 6	Day 7	Day 8	Day 9	Day 10	Day 11
Day 5	Day 1	Day 2	Day 3	Day 4	Day 5	Day 6	Day 7	Day 8	Day 9	Day 10	Day 11
Day 6	Day 1	Day 2	Day 3	Day 4	Day 5	Day 6	Day 7	Day 8	Day 9	Day 10	Day 11
Day 7	Day 1	Day 2	Day 3	Day 4	Day 5	Day 6	Day 7	Day 8	Day 9	Day 10	Day 11
Day 8	Day 1	Day 2	Day 3	Day 4	Day 5	Day 6	Day 7	Day 8	Day 9	Day 10	Day 11
Day 9	Day 1	Day 2	Day 3	Day 4	Day 5	Day 6	Day 7	Day 8	Day 9	Day 10	Day 11

Current Day Lookback

Horizon Values Unused for Step

<https://agupubs.onlinelibrary.wiley.com/doi/full/10.1029/2023SW003675>



Task definition

Definition: Types of time series forecasting

- ▶ **Get 1 feature -> Predict 1 feature**
 - ARIMA, Exponentials, N-BEATS
- ▶ **Get d -> predict 1**
 - ARIMAX, TimeGPT, Prophet
- ▶ **Get d -> predict d2**
 - TFT
- ▶ **Get d -> predict d**
 - VAR, PatchTST

Definition: Long-term/short-term

The task can be further divided into

- ▶ **long-term** (large H)
- ▶ **short-term** (small H)

Some models mix both long and short term

What can we use forecasting for?

Real world applications



- ▶ Supply Chain & Inventory Management
 - ▶ [Walmart](#): forecasts product demand to optimize inventory & supply chains
 - ▶ Inditex ([Zara](#)): Analyzes seasonal trends to adjust production & stock levels.
- ▶ HHRR
 - ▶ [Workday](#): helps other enterprises to model, forecast, and budget their workforce all from the same unified data core



Real-Word applications II/II

- ▶ Mobility & Transportation
 - ▶ [Uber](#): uses real-time ride demand forecasts for Dynamic pricing and driver allocation
 - ▶ [Delta Airlines](#): predicts passenger volumes to optimize flight schedules and staffing.
- ▶ Agricultural Production
 - ▶ [Olam International](#): predicts crop yields and commodity volumes for improved logistics and market planing

Model classification

Checking the options we have



- ▶ Models for stationary data
- ▶ Models for non-stationary data
- ▶ Models for confidence intervals
- ▶ Multivariate forecasting
- ▶ Adapting ML to forecasting
- ▶ Neural & DL forecasting

Models for stationary data

Existing models

Stationary data | Persistence

- ▶ Used as benchmark model
- ▶ Used for predicting
 - ▶ Future wind, solar power, photovoltaic power generation, load for households
 - ◆ Assuming clear sky. Bad due to cloud change, wind speed
 - ▶ Security returns (changes in the Price of a security –stocks, commodities- over time)
- ▶ <https://www.sciencedirect.com/topics/engineering/persistence-model>
- ▶ <https://arxiv.org/abs/2501.05000>
- ▶ https://www.researchgate.net/publication/254714552_Forecasting_Security_Returns_With_Simple_Moving_Averages



Stationary data | Persistence

Assume events repeat along time

$$\hat{f}(t + h) = f(t)$$

<i>H=2</i>					
0	t0	t1	t2	t3	t4
1	t0	t1	t2	t3	t4
2	t0	t1	t2	t3	T4



Stationary data | Persistence

Assume events repeat along time

$$\hat{f}(t+h) = f(t)$$

Lookback $L = 2$

Horizon $H = 2$

Current day: $t+h$ (t_2, t_3, t_4)

History: $[t+h-L, t+h-1]$ | **Forecast:** $[t+h, t+h+H-1]$

h = 2 H = 2 L = 2 Epoch					
0	t0t1		t2t3		t4
1	t0	t1t2		t3	t4
2	t0	t1	t2t3		t4

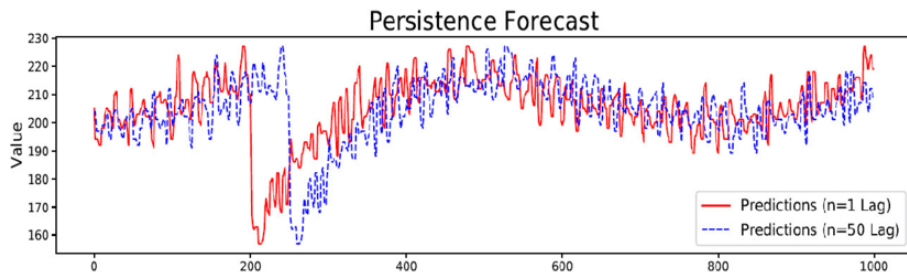


Stationary data | Persistence

Assume events repeat along time

$$\hat{f}(t + h) = f(t)$$

$L = 1$ $H = ?$



	0	1	2	3	4	5	6	7	8	9	10	11	12	13
value	10.0	12.0	9.0	10.0	15.0	13.0	18.0	18.0	20.0	NaN	NaN	NaN	NaN	NaN
predict	NaN	NaN	NaN	NaN	NaN	10.0	12.0	9.0	10.0	15.0	13.0	18.0	18.0	20.0

https://www.researchgate.net/figure/Persistence-naive-forecast-model-plot-for-50-lag-Root-Mean-Square-Error-RMSE-of_fig8_330125062

Stationary data | Persistence

Assume events repeat along time

$$\hat{f}(t + h) = f(t)$$



- Cat with refills
 - Perfect
- Cat without refills in a normal day
 - Maybe
- Cat without refills when you go out for a day for the first time
 - Good luck



Stationary data | Simple Moving Average

PROS

Simple, intuitive

CONS

Very difficult in some domains (e.g. weather)

- ▶ Further: <https://otexts.com/fpp2/ses.html>
- ▶ Eg.: <https://academy.binance.com/en/glossary/exponential-moving-average-ema>.



Stationary data | Simple Moving Average

- ▶ Traders use simple moving averages (SMAs) to chart the long-term trajectory of a stock or other security, while ignoring the noise of day-to-day price movements.
- ▶ Predict entry & exit point (any stock market)
- ▶ May be used, for example, for predicting online sales:
<https://www.youtube.com/watch?v=rlZTk8O6ac0>



<https://www.tradingview.com/chart/DOGEUSDT/nhmKCC9Q-DOGE-Easy-Trick-Targets-with-Moving-Averages/>

<https://www.investopedia.com/terms/s/sma.asp#:~:text=Traders%20use%20simple%20moving%20averages,over%20a%20larger%20time%20horizon.>



Stationary data | Simple Moving Average

- ▶ Assumes stationarity with very low variance over time
 - ▶ $\hat{f}(t+h) = \text{avg}(\{x_i\}_{i=t-L+1}^t) = \frac{x_{t-L+1} + \dots + x_t}{L}$
 - ▶ Usually, $H = 1$

	0	1	2	3	4	5	6	7	8	9	10	11
prices	10.0	12.0	9.0	10.0	15.0	13.0	18.0	18.0	20.0	NaN	NaN	NaN
RollingMean_2	NaN	11.0	10.5	9.5	12.5	14.0	15.5	18.0	19.0	NaN	NaN	NaN
predict_L2_H3	NaN	NaN	NaN	NaN	11.0	10.5	9.5	12.5	14.0	11.0	13.25	12.5



Stationary data | Simple Moving Average

PROS

Simple

Easy to compute and understand

Reduces noise (smooth the function)

Helps to highlight global trend

CONS

Delay showing recent changes

Sensitive to window size

Outlier impact

- ▶ Further: <https://otexts.com/fpp2/ses.html>
- ▶ E.g.: <https://academy.binance.com/en/glossary/exponential-moving-average-ema>.



Stationary data | Simple Exponential Smoothing (SES)

- ▶ Used for forecasting:
 - ▶ Blood components demand
 - ▶ Spare parts inventory

- ▶ https://www.researchgate.net/profile/I-Gede-Iwan-Sudipa/publication/386424134_Performance_of_Moving_Average_and_Exponential_Smoothing_Methods_in_Forecasting_Demand_for_Blood_Components/links/6750e134f309a268c0243c91/Performance-of-Moving-Average-and-Exponential-Smoothing-Methods-in-Forecasting-Demand-for-Blood-Components.pdf
- ▶ <https://eduvest.greenvest.co.id/index.php/edv/article/view/1079>



Stationary data | Simple Exponential Smoothing (SES)

- ▶ Assumes stationarity with very low variance over time

$$\hat{f}(t+h) = \alpha f(t) + (1-\alpha)\hat{f}(t)$$

- ▶ Further: <https://otexts.com/fpp2/ses.html>
- ▶ E.g.: <https://academy.binance.com/en/glossary/exponential-moving-average-ema>.



Stationary data | Simple Exponential Smoothing (SES)

PROS

Simple

More responsive to recent data
(quickly reflect new trends or changes)

Reduced lag (reacts faster to
movements => Good for short-term
analysis)

Smooths out random fluctuations

CONS

Sensitive to volatility

α is subjective and may affect
performance and consistence

Less effective for long-term analysis

- ▶ Further: <https://otexts.com/fpp2/ses.html>
- ▶ Eg.: <https://academy.binance.com/en/glossary/exponential-moving-average-ema>.



Stationary data | Exponential Moving Average

Tradeciety published on TradingView.com, April 16, 2016 09:00 UTC

FX:USDJPY, 60 108.744 ▼ -0.636 (-0.58%) O:108.713 H:108.784 L:108.713

U.S. Dollar/Japanese Yen, 60, FXCM

EMA (21, close)

MA (21, close)



https://26693533.fs1.hubspotusercontent-eu1.net/hubfs/26693533/Imported_Blog_Media/EMA_SMA.png



Stationary data | MA: Moving Average

- ▶ Inventory forecasting
 - ▶ Clothing sales forecasting
 - ▶ Demand forecasting
 - ▶ Forecasting demand for blood components
-
- ▶ <https://ejournal.techcart-press.com/index.php/dimis/article/view/17>
 - ▶ <https://www.jurnal.polgan.ac.id/index.php/sinkron/article/view/13686>
 - ▶ <https://www.sciencedirect.com/science/article/pii/S0307904X1630292X>
 - ▶ https://www.researchgate.net/profile/I-Gede-Iwan-Sudipa/publication/386424134_Performance_of_Moving_Average_and_Exponential_Smoothing_Methods_in_Forecasting_Demand_for_Blood_Components/links/6750e134f309a268c0243c91/Performance-of-Moving-Average-and-Exponential-Smoothing-Methods-in-Forecasting-Demand-for-Blood-Components.pdf

32 Stationary data | MA: Moving Average

- ▶ $MA(order=L)$ model

$$\hat{f}(t+h) = c + \epsilon_t + \sum_{i=1}^L \theta_i \epsilon_{t-i}$$

- ▶ c constant
- ▶ ϵ white noise
- ▶ θ weights or parameters
- ▶ Lagged errors as inputs



Stationary data | MA: Moving Average

PROS

Models noise (smooth)

Captures transitory (short-term) effects (shocks, noise)

Simple

CONS

Difficult to select the parameters

Assumes linear relationship with past errors

34 Stationary data | AR: AutoRegression

- ▶ Lagged observation as inputs
- ▶ AR(orden = p)

$$\hat{f}(t) = c + \sum_{i=1}^p \phi_i \hat{f}(t - i) + \epsilon_t$$

- ▶ c constant, ϕ_i weight or parameters, e noise/error
- ▶ <https://www.geeksforgeeks.org/autoregressive-ar-model-for-time-series-forecasting/>



Stationary data | AR: AutoRegression

- ▶ Lagged observation as inputs
- ▶ $AR(\text{orden} = p)$

$p = 2$ $H = 1$ $L = p$					
0	t0	t1	t2	T3	t4
1	t0	t1	t2	t3	t4
2	t0	t1	t2	t3	T4



Stationary data | AR: AutoRegression

PROS

Simple: easy to understand and analyze the results

Models the noise

CONS

Only considers linear relationships with past values

Does not capture shocks – Does not directly incorporate errors or disturbances



Stationary data | ARMA: AutoRegressive Moving Average

AR: autoRegression

MA: moving average



AR + MA

- ▶ Combines the best of both
- ▶ Used for short-term load forecasting

<https://www.sciencedirect.com/science/article/pii/0378779695009771>



Stationary data | ARMA: AutoRegressive Moving Average

PROS

Integrates influence of past values and errors

Captures complex dynamics (e.g. trend)

CONS

Errors in parameter selection can affect accuracy

Stationary data | Other examples

- ▶ Weighted Moving Average

$$\hat{f}(t + h) = \frac{2}{n(n + 1)} \sum_{i=1}^{L-1} i f(t + i)$$

- ▶ Used for product stock inventory forecasting:
<https://jutif.if.unsoed.ac.id/index.php/jurnal/article/view/421>

Models for non-stationary data

Existing models

Models for non-stationary data

- ▶ Based on the previous ones
- ▶ Model trend, stationarity, ...
- ▶ Predict the results using all the modelled parts, not only previous values/errors



ARIMA: AutoRegressive Integrated Moving Average

- ▶ AR: lagged observations as inputs
- ▶ I: differencing to make the time series stationary
- ▶ MA: lagged errors as inputs
- ▶ Case of use
 - ▶ Short-run forecasting of commodity prices:
<https://www.jstor.org/stable/3866657>



ARIMA: AutoRegressive Integrated Moving Average

- ▶ ARIMA(p,d,q)
 - ▶ $\Delta^d f(t)$ -> difference f d times
 - ▶ $\Delta^d \hat{f}(t) = \mathbf{c} + \sum_{i=1}^p \phi_i \Delta^d f(t-i) + \sum_{i=1}^q \theta_i \epsilon_{t-i}$
 - ▶ $\hat{f}(0) = f(0), \dots, \hat{f}(d-1) = f(d-1)$
 - ▶ $\hat{f}(t) = \Delta^d \hat{f}(t) + \hat{f}(t-1)$

<https://otexts.com/fpp3/MA.html>

Diference: $d = 1 \Delta^d f(t) = f(t+1) - f(t)$ | length decreases by 1!

ARIMA: AutoRegressive Integrated Moving Average

- ▶ AR: $\sum_{i=1}^p \phi_i \Delta^d f(t - i)$
- ▶ I: $\Delta^d f$
- ▶ MA: $\sum_{i=1}^q \theta_i \epsilon_{t-i}$



Stationary data | ARMA: AutoRegressive Moving Average

PROS

Suitable for non-stationary data as differencing removes trend and mean changes

Allows modeling evolving behaviors

CONS

Differencing may remove useful information of the original series

Parameter selection is not easy

Complex interpretation



ARIMA

▶ SeasonalARIMA

- ◆ Detects seasonal patterns
- ◆ Check: <https://www.geeksforgeeks.org/sarima-seasonal-autoregressive-integrated-moving-average/>

▶ ARMAeXogeneous

- ◆ More comprehensive analysis
- ◆ Check: <https://www.geeksforgeeks.org/what-is-an-arimax-model/>



ETS – Exponential Trend Seasonality models

- ▶ SES expands to ES models:
 - ▶ Holt-Linear (Double exponential smoothing) & Damped trend methods
 - ◆ adds a trend component
 - ◆ Double exponential smoothing is used for estimating rice sales
 - <https://international.arimsi.or.id/index.php/IJSME/article/view/12>
 - ▶ Holt-Winters' seasonal method
 - ◆ adds to Holt-Linear a seasonal component
 - ▶ And much more depending on the decomposition.
 - ◆ Check <https://otexts.com/fpp2/taxonomy.html>.



ETS – Exponential Trend Seasonality models

- ▶ ES models expands to ETS models:
 - ▶ Named as...
 - ◆ Exponential-Trend-Seasonal
 - ◆ Level – Trend – Seasonal
 - ◆ State Spaced models
 - ▶ Adds prediction errors to the formulas
 - ▶ Check <https://otexts.com/fpp2/ets.html>

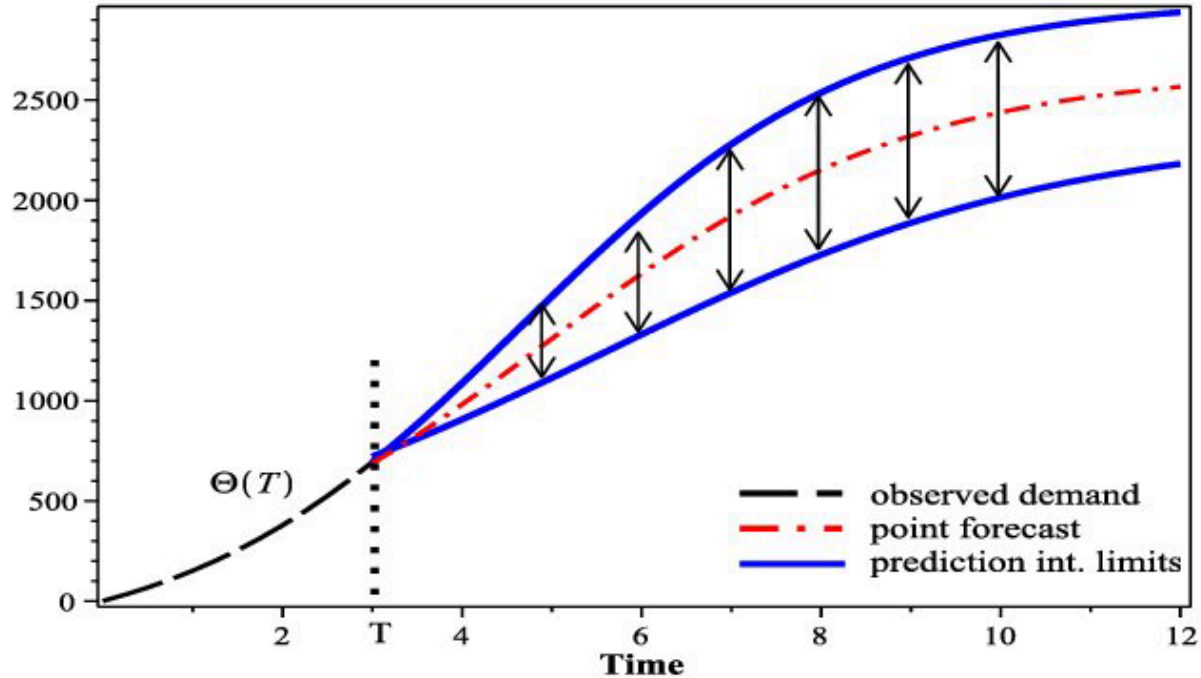


ETS – Exponential Trend Seasonality models

- ▶ ETS expands to ETSX? Yes!
 - ▶ And make them more accurate
 - ▶ Some old trials:
 - ♦ The neutral Interest Rate And The Stance Of **Monetary Policy In Brazil**
 - ♦ Demand forecasting in **supply chain**: The impact of demand volatility in the presence of promotion
- ▶ Research paper with generic explanation (p. 15)
 - ♦ Analysis of the impact of policy measures on **parking behavior** using interpretable time series models

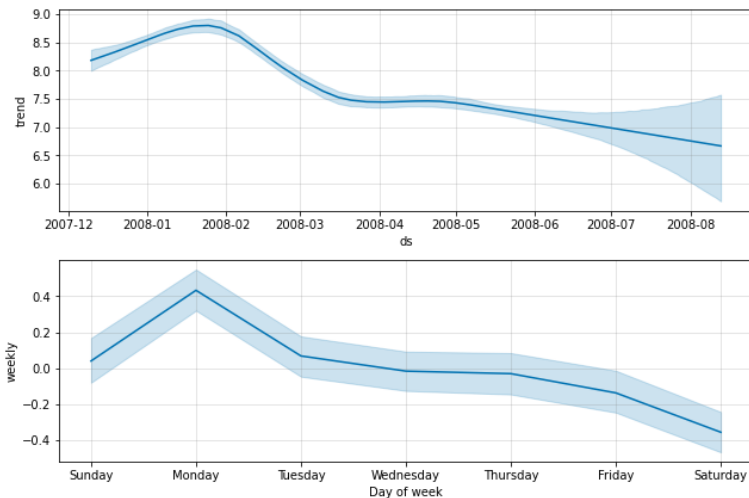
Models based on confidence intervals

Existing models



Confidence Interval | Prophet

- ▶ Robust forecasting model
- ▶ Developed by Meta
- ▶ Computes the confidence
- ▶ Good at modeling holidays



- ▶ https://facebook.github.io/prophet/docs/uncertainty_intervals.html
- ▶ <https://www.linkedin.com/advice/1/how-does-prophet-handle-seasonality-holidays-better>



Confidence Interval | Are they used?

- ▶ Probabilistic load **forecasting** for integrated energy systems based on quantile regression patch time series Transformer
- ▶ **Forecasting** coastal stability: Digital shoreline analysis system and machine learning techniques in evaluating Impacts of cyclones
- ▶ A Time Series Approach to **Forecasting** Financial Indicators in the Wholesale and Retail Trade
- ▶ Assessing the efficacy of machine learning algorithms in weather **forecasting**: A comparative study of Erode weather data from local weather station
- ▶ Long-Term Product **Forecasting** in Pharmaceuticals.

Other

Existing models

Other | Multivariate forecasting

Vector Autoregression



- ▶ VAR is a stochastic process to fit a model.
- ▶ It models the time series using matrices to define equations

$$\hat{F}(t) = C + AF(t - 1)Err(t)$$

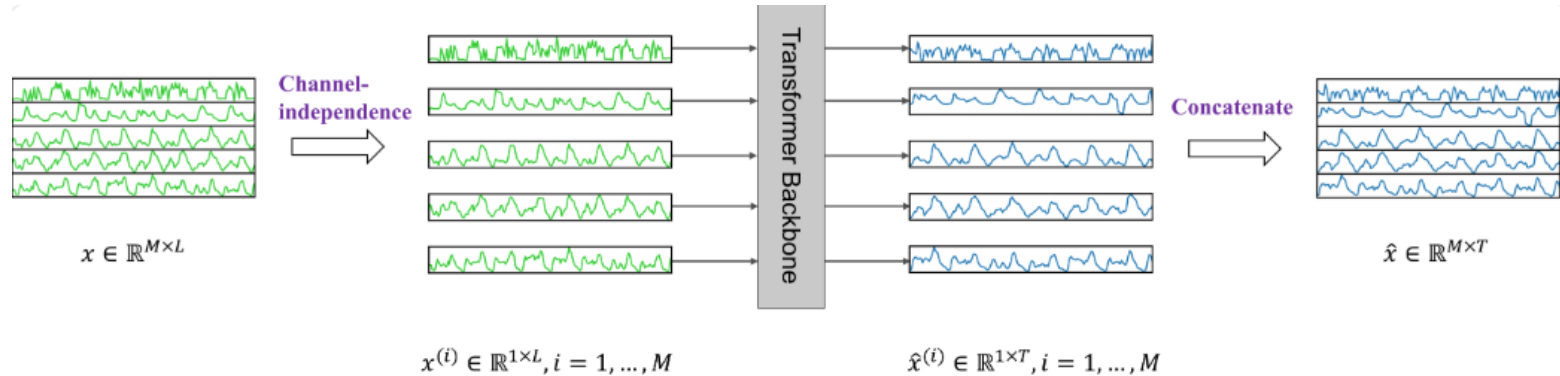


- ▶ Any ML may be used to model a time series using
$$\hat{f}(t + H) = \text{model}(f(t) + \dots + f(t - L))$$
- ▶ Usually, they lack on detect temporal dependencies
- ▶ Are language **models** actually useful for time series **forecasting**?



- ▶ LTSMs: long-term short-term
 - ▶ Recurrent Neural Networks
 - ▶ Capture temporal relations on data
 - ▶ Fail to capture trends

► Transformers



(a) PatchTST Model Overview

► <https://arxiv.org/abs/2211.14730>



► Transformers

- Are they useful for time series?
 - ◆ [2023] Are you sure Transformers are good?
 - Temporal loss correlation
 - [Are Transformers Effective for Time Series Forecasting?](#)
 - ◆ [2023] [Autoformer](#) | Yes! They are useful: <https://huggingface.co/blog/autoformer>
 - ◆ [2025] People are using it: [A systematic review for transformer-based long-term series forecasting](#)



Other | Neural & Deep IV

▶ **Informer**

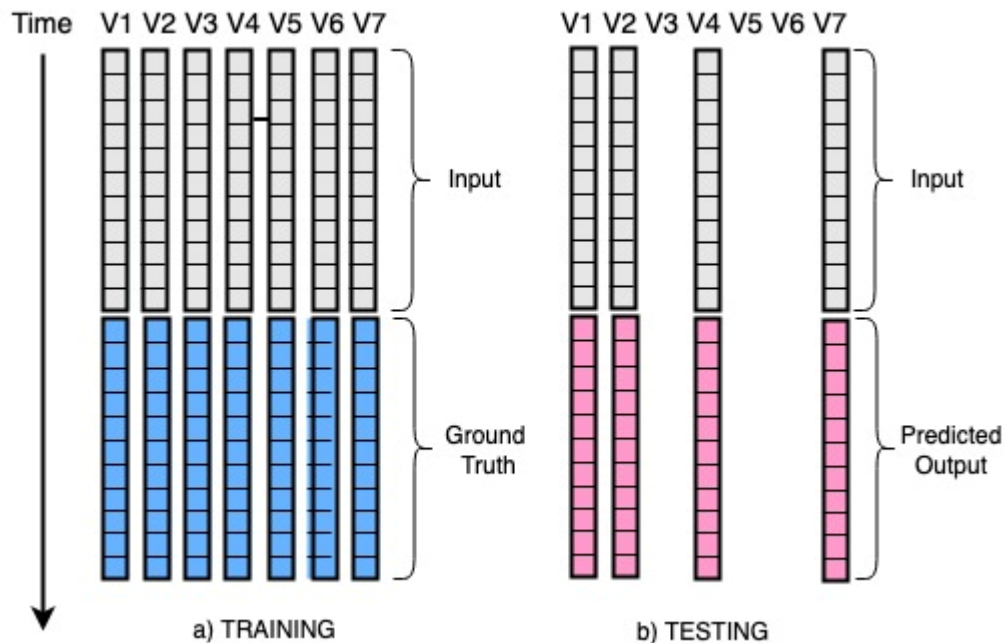
- ▶ Insights: <https://huggingface.co/blog/informer>
- ▶ Research paper: <https://arxiv.org/abs/2012.07436>

▶ **Other:**

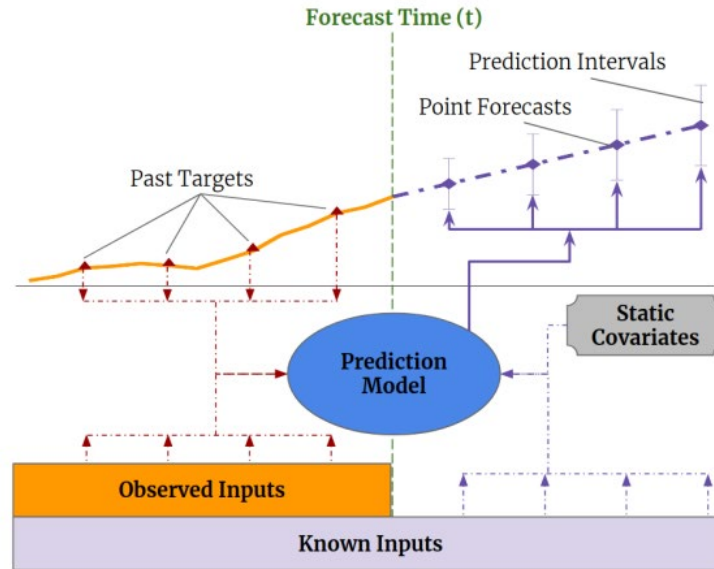
- ▶ CT-PatchTST: <https://arxiv.org/abs/2501.08620>
- ▶ PathFormer: <https://arxiv.org/abs/2402.05956>
- ▶ Timexer: <https://arxiv.org/abs/2402.19072>
- ▶ QR-PatchTST:
<https://www.sciencedirect.com/science/article/pii/S2352484724007777>



Other | Multi-Variate Time Series Forecasting on Variable Subsets



- What if when I am inferring I don't have all the variates?



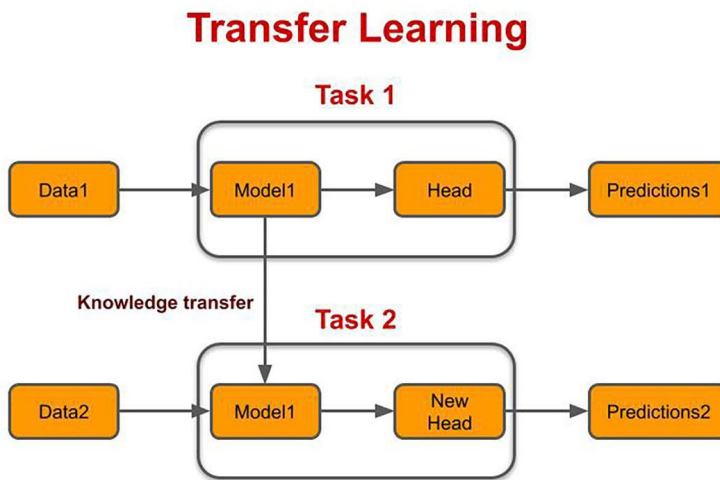
- ▶ ... We like exogeneous variates 😊
- ▶ TFT: <https://arxiv.org/pdf/1912.09363>

... What about Transfer Learning?
... Is it possible in time series?

?

Other | Transfer Learning

- ▶ Using learned knowledge to boost performance on a related task.



- ▶ <https://www.topbots.com/transfer-learning-in-nlp/>



Other | Transfer Learning

- ▶ [Pushing the Limits of Pre-training for Time Series Forecasting in the CloudOps Domain](#)

lightweight models outperform expressive Transformer-based architectures and data scale is not a limiting factor. Secondly, unlike image and text data which naturally share semantic information across datasets and domains, time series data may not enjoy such properties of transferability as the semantics of time series data may be unique to their dataset or domain. As such, it is still unclear how time series models can benefit from pre-training and transfer learning.



Other | Transfer Learning

- ▶ Transfer learning for time series classification

results achieved by the conventional neural network.

Our results should motivate the big data practitioners to no longer train models from scratch when classifying time series, but instead to fine-tune pre-trained models. Especially because CNNs, if designed properly, can be adapted across different time series datasets with varying length.

In our future work, we aim again to reduce the deep neural



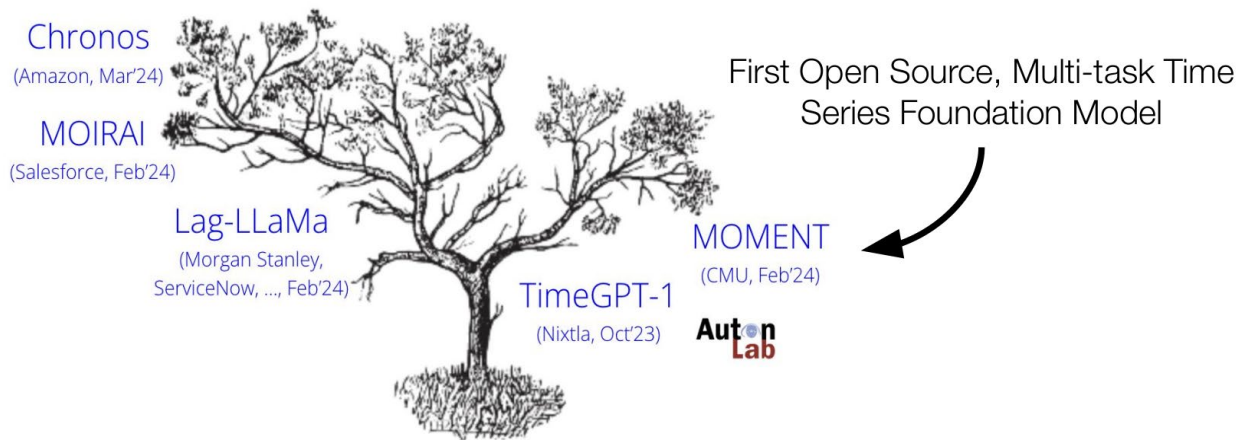
Other | Transfer Learning

- ▶ Mixed contrastive **transfer learning** for few-shot workload **prediction** in the cloud
- ▶ A prospective real-time transfer learning approach to estimate influenza hospitalizations with limited data



Other | Foundational models

Time Series Foundation Models



Most influential foundational models published, ordered from bottom top in chronological order and with the AutonLab branch to the right.

- ▶ Video: <https://www.youtube.com/watch?v=D87XbbdB11M>
- ▶ Slides: https://conference.mlinpl.org/docs/srw_talk_3.pdf

Miscellaneous

Auxiliar material



Further reading

- ▶ TimeGPT: https://docs.nixtla.io/docs/getting-started-about_timegpt
- ▶ Moirai: <https://github.com/SalesforceAIResearch/uni2ts/tree/main>
- ▶ Moment: <https://github.com/moment-timeseries-foundation-model/moment/tree/fb620934ef6b67f878bc21b8640b22d117dbffa6>
- ▶ Moving average (MA)/exponential smoothing (ETS) forecasting examples: <https://people.brunel.ac.uk/~mastijb/jeb/or/formore.html>
- ▶ Holt-winters: <https://ichi.pro/es/una-introduccion-completa-a-la-prediccion-de-holt-winters-213408615547110>



Further reading

- ▶ Research paper (Multi-Variate Time Series Forecasting on Variable Subsets): <https://arxiv.org/abs/2206.12626>.
- ▶ Prophet docs: <https://h1ros.github.io/posts/prophet-101-a-time-series-forecasting-module/>
- ▶ Prophet example: <https://h1ros.github.io/posts/prophet-101-a-time-series-forecasting-module/>
- ▶ Prophet example with multiple regressors: <https://www.kaggle.com/code/pythonafroz/fb-prophet-with-multiple-regressors>



Further reading

- ▶ Research paper TFT (Temporal Fusion Transformers for Interpretable Multi-horizon Time Series Forecasting): <https://arxiv.org/pdf/1912.09363>.
- ▶ Research paper (Short-Term Forecasting of Off-Street Parking Occupancy): https://www.researchgate.net/publication/354324012_Short-Term_Forecasting_of_Off-Street_Parking_Occupancy/download?tp=eyJjb250ZXh0Ijp7ImZpcnN0UGFnZSI6Il9kaXJlY3QiLCJwYWdlIjoX2RpcmVjdCJ9fQ.
- ▶ Research paper (Forecasting electric vehicle sales with arima and exponential smoothing method: The case of india): https://idp.springer.com/authorize/casa?redirect_uri=https://link.springer.com/article/10.1007/s40890-024-00216-y&casa_token=f1vkGCcAengAAAAA:rQYYouO_sfH1kf0t5DeJ6wf7es5hu0ROiKlzGjjELPp_66W5mraLoACghxdf-ElferWfVKgmykn8NHaLew



Further reading

- ▶ Research paper (A Novel Theoretical Framework for Exponential Smoothing): <https://arxiv.org/abs/2403.04345>.
- ▶ Research paper (Analysis of the impact of policy measures on parking behavior using interpretable time series models): <https://www.jtlu.org/index.php/jtlu/article/view/2455>.
- ▶ Research paper (N-BEATS: Neural basis expansion analysis for interpretable time series forecasting): <https://arxiv.org/abs/1905.10437>.
- ▶ Example using transfer learning for time series forecasting: <https://github.com/Nixtla/transfer-learning-time-series>

Google Collab
03_forecasting.ipynb

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Summary

Summary of the lesson

What this we just learned?

- ▶ What is forecasting
- ▶ Classical & Deep Learning models for forecasting
- ▶ Models classification

Google Collab
03_forecasting_exercises.ipynb

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What is the next step?

- ▶ Supervised learning:
 - ▶ Classification
 - Can we automatically assign labels to different time series?
 - ▶ Clustering
 - Can we automatically assign labels to subsequences of the time series?
 - ▶ ...

To be continued...

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Deep Learning para series temporales

Part II

Preprocessing and Analysis



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