

Details of each benchmark line

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Details (fail safe note) for each of my analyses.

$$\begin{aligned}\tilde{l}_L &= (\tilde{e}_L, \tilde{\mu}_L, \tilde{\tau}_L), & \tilde{\nu} &= (\tilde{\nu}_e, \tilde{\nu}_\mu, \tilde{\nu}_\tau), & \text{slepton} &= (\tilde{l}_L, \tilde{\nu}, (\tilde{l}_R)), \\ l &= (e, \mu, \tau), & \ell &= (e, \mu), \dots\end{aligned}$$

1 Decay chain categorization

$$\text{chain-3L} : \tilde{\chi}^0 \tilde{\chi}^+ \rightarrow (\tilde{l}_L \nu; 1/3 \text{ each}) + (\tilde{l}_L^{(*)} l^{(*)} \text{ or } \tilde{\nu}^{(*)} \tilde{\nu}^{(*)}; 1/12 \text{ each}) \otimes (\tilde{l}_L \rightarrow l \tilde{\chi}_{\text{LSP}}^0, \tilde{\nu} \rightarrow \nu \tilde{\chi}_{\text{LSP}}^0; 100\%) \quad (1.1)$$

ATLAS 1803 analyzes Chain 3L by “a statistical combination of the five SR3-slep regions.” The SRs require three signal lepton (ℓ)*¹, where the lepton ℓ may as well come from leptonic tau decays.

2 tab1-0.50

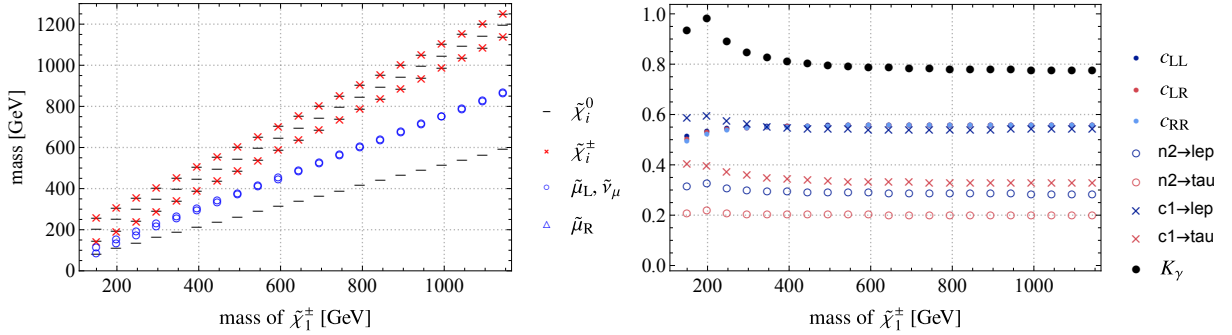


Figure 1: Mass spectrum and c -factors of tab1-0.50 benchmark line. The models are generated with $M_2 = 200, 250, \dots, 1200$ GeV, while $m_{\tilde{\chi}_1^\pm}$ is used to label.

This line is characterized by

$$M_2 = \mu = 2M_1, \quad x = \frac{m_{\tilde{l}_L} - m_{\tilde{\chi}_1^0}}{m_{\tilde{\chi}_2^0} - m_{\tilde{\chi}_1^0}} = 0.5, \quad \tan \beta = 40, \quad \tilde{l}_R, \tilde{q}, \text{heavy-Higgs: decoupled.} \quad (2.1)$$

The mass spectrum is shown below, and we use $m_{\tilde{\chi}_1^\pm}$ (in GeV) as the label of each model point.

$P < 300$ is not considered in our analysis, as neither by ATLAS. P150 has $\tilde{\nu}$ -LSP.

In $P \geq 300$, $\tilde{\chi}_2^0 \tilde{\chi}_1^\pm$ mainly produces chain-3L. Also, $\tilde{\chi}_{3,4}^0$ and $\tilde{\chi}_2^\pm$ decays similarly. We safely ignore $\tilde{\chi}_3^0$ because of non-degeneracy and, as it has less \tilde{W} -component, smaller production rate. A degenerate pair $\tilde{\chi}_4^0 \tilde{\chi}_2^\pm$ may serve as the chain-3L target. At this first stage I will ignore it, but it may be interesting to include the effect (but how?).

The c -factors are similar and thus we use the factor

$$K_\sigma = \text{mean}(c_{LL}, c_{LR}, c_{RR}) \quad (2.2)$$

*¹Note that they do not define “signal tau.”

to compensate the difference in production cross section from pure-wino (ATLAS 1803) case. We thus estimate the production cross section as

$$\sigma(pp \rightarrow \tilde{\chi}_2^0 \tilde{\chi}_1^\pm) \approx K_{\text{sigma}} \cdot \sigma(pp \rightarrow \tilde{W}^\pm \tilde{W}^3), \quad (2.3)$$

where the pure-wino production cross section $\sigma(pp \rightarrow \tilde{W}^\pm \tilde{W}^3)$ is taken from LHCSUSYXSWG^{*2}.

The decays of $\tilde{\chi}_2^0 \tilde{\chi}_1^\pm$ does not equally branch because of Yukawas and slepton mass differences;

$$\tilde{\chi}_2^0 : \tau > e = \mu \gtrsim \nu_e = \nu_\mu = \nu_\tau \quad (\text{also to } Z, H), \quad (2.4)$$

$$\tilde{\chi}_1^\pm : \tau > e = \mu \gtrsim \nu_\tau \gtrsim \nu_e = \nu_\mu \quad (\text{also to } W^\pm). \quad (2.5)$$

In ATLAS analysis, since the $\tilde{\chi}_2^0 \tilde{\chi}_1^\pm$ pair is pure-Wino and sleptons masses are degenerate, three- ℓ signature is expected by a probability of

$$\left(\frac{2}{3} + \frac{1}{3}p(\ell|\tau)\right) \left(\frac{4}{12} + \frac{2}{12}p(\ell|\tau)\right) \approx 0.307, \quad (2.6)$$

where $p(\ell|\tau) \simeq 0.352$ is the leptonic decay rate of τ . We therefore compensate the difference in the branching ratios with K_Γ -factor:

$$K_\Gamma = \frac{1}{0.307} \left[p(\tilde{\ell}_L, \tilde{\nu}_\ell | \tilde{\chi}_1^\pm) + p(\ell|\tau)p(\tilde{\tau}_L, \tilde{\nu}_\tau | \tilde{\chi}_1^\pm) \right] \left[p(\tilde{\ell}_L^{(*)} | \tilde{\chi}_2^0) + p(\ell|\tau)p(\tilde{\tau}_L^{(*)} | \tilde{\chi}_2^0) \right] \quad (2.7)$$

(the notation $p(\text{daughters}|\text{mothers})$ should be understood). Here one should note that we ignore the kinematics difference due to the origin of lepton (whether τ , $\tilde{\chi}$, or sleptons) as well as slepton non-degeneracy.

We then compare our cross section with σ_{UL} ; the points with

$$\frac{K_\sigma K_\Gamma \cdot \sigma(pp \rightarrow \tilde{W}^\pm \tilde{W}^3)}{\sigma_{\text{UL}}} \geq 1 \quad (2.8)$$

are excluded.^{*3}

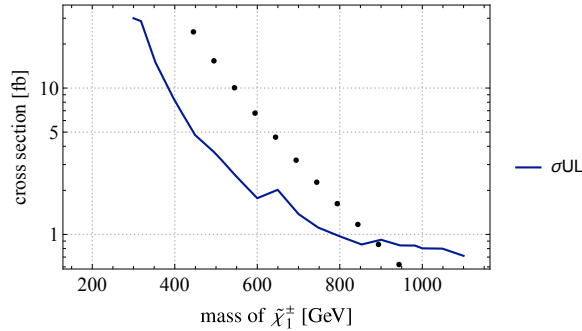


Figure 2: ATLAS 1803 analysis (3l-slep) on tab1-0.50 benchmark line.

The results against ATLAS1803 is shown in Fig. 2, where the black dots correspond to $K_\sigma K_\Gamma \sigma(\text{Wino})$. It shows that the ATLAS 1803 analysis nearly excludes P900 (and below). The wiggles in σ_{UL} is due to interpolation of the σ_{UL} -grid ATLAS provides, for which logarithmic interpolation (i.e., linear interpolation on the function $\log \sigma_{\text{UL}}(m_{\tilde{\chi}_1^\pm}, m_{\tilde{\chi}_1^0})$) is used.

References

^{*2}<https://twiki.cern.ch/twiki/bin/view/LHCPhysics/SUSYCrossSections13TeVn2x1wino>

^{*3} ATLAS 1803: <https://doi.org/10.17182/hepdata.81996.v1/t80>