Background Contact Rates & Age Mixing Mobility Patterns Complete Mixing

Quasi-Spatial Mixing Patterns for Covid-19

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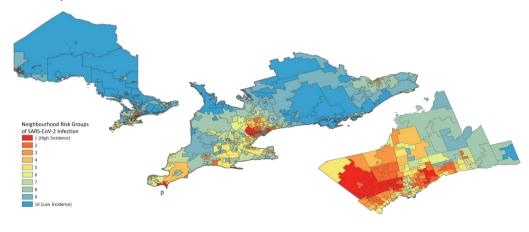
2021 June 29

Modelling Research Question

- ► Research Question: impact of hotspot vs non-hotspot covID-19 vaccine prioritization in Ontario
- **▶** Transmission Model:
 - ▶ 513 FSA (first 3 postal code) \rightarrow **10 deciles** by cases
 - ▶ **12 age** groups: [0-11, 12-15, 16-39, 40-44, 45-49, ..., 80+]
 - **2 contact types**: home, travel¹
 - covid-19 stuff ...

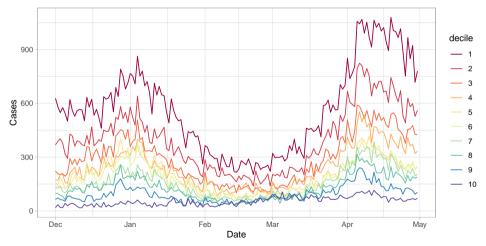
¹travel = work + school + transport + leisure + other

513 FSA by Cumulative Covid-19 Cases Deciles



²Brown 2021

Covid-19 Cases by Decile (t)



Objective

Develop a **mixing matrix** (number of contacts formed, and with whom) stratified by:

self decile, g

ightharpoonup other decile, g'

contact type, *y*

► self age, *a*

ightharpoonup other age, a'

calendar month, *t*

Dimensions: $10 \times 12 \times 10 \times 12 \times 2 \times t$

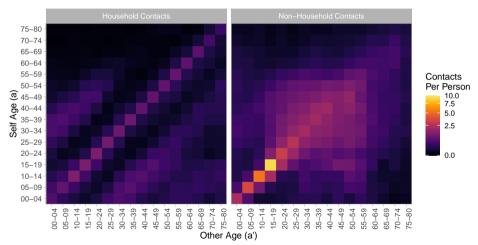
Two versions:

- ► *X*: total number of contacts in the model
- \blacktriangleright χ : contacts formed per person, $\chi = X/P$

Methods Overview

- 1. Contact Rates & Age Mixing
- 2. Mobility Patterns
- 3. Complete Mixing

POLYMOD Contact Matrices, for Canada (Prem 2017)



Age Mixing: Three Challenges

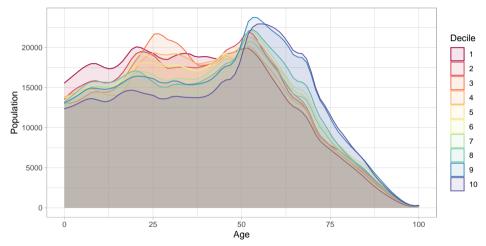
- 1. Рогумор study did not include Canada ightarrow Prem 2017
- 2. Each decile: unique age distribution
- 3. Age stratification not aligned

Age Mixing 1: Canada-Specific

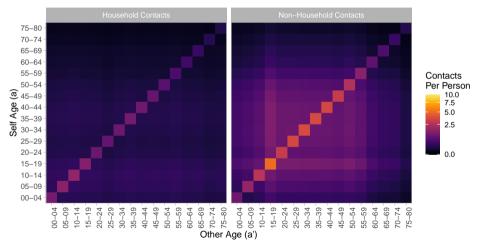
Prem et al. (2017): project POLYMOD contact matrices onto 152 countries, using:

- ightharpoonup age pyramid ightharpoonup all types
- ▶ labour force participation → work
- ightharpoonup school participation & teacher-student ratio ightarrow school
- lacktriangle household age structure & socio-demographic factors ightarrow home

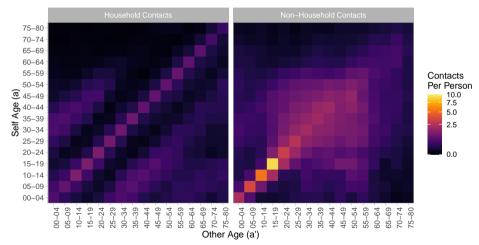
Age Mixing 2: Decile Age Distributions



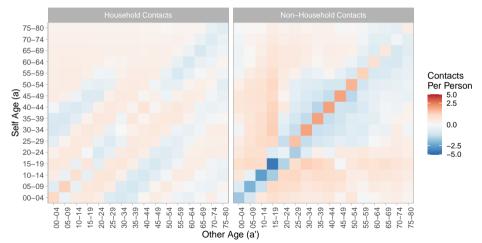
Age Mixing 2: Polymod ϵ Approximation



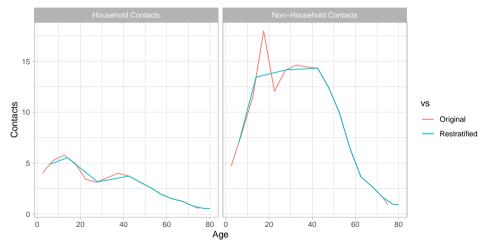
Age Mixing 2: Polymod Original



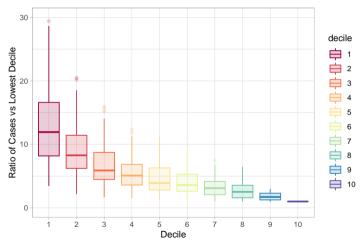
Age Mixing 2: Polymod ϵ Approx — Original



Age Mixing 3: Re-stratified Age by Interpolation



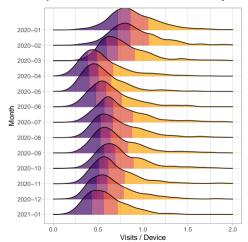
Contact Rates: Forced Scaling by Decile



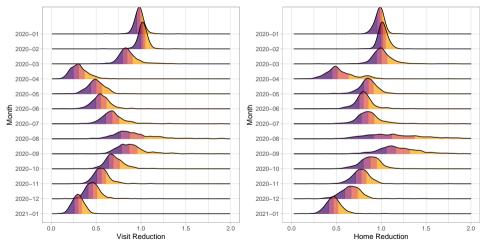
Mobility Data

- ► ~2 % devices in each FSA
- ► For each device:
 - ► Define **Home** FSA
 - Count Visits to other FSA per day (2h+)
- ► Average # devices per FSA per day:
 - ightharpoonup at Home, H_g
 - ▶ Visited other FSA, $V_{gg'}$
- ► Repeat by calendar month, *t*

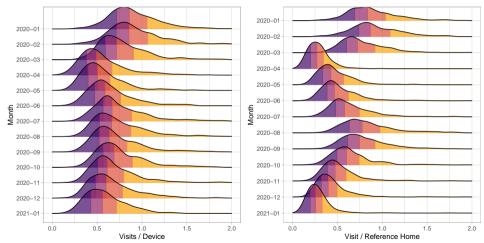
Mobility Data: Unbiased Sample?



Mobility Data: Unbiased Sample?



Mobility Data: Unbiased Sample?



Mobility Data: Assumptions

Problem 1: Visits $(V_{gg'})$ per device (H_g) does not reflect mobility reduction

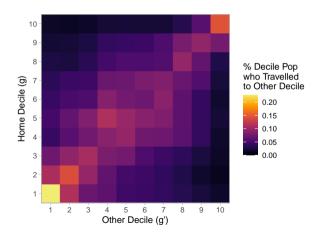
Solution 1: Use denominator $(H_{g'})$ from REF period $(t_0: Jan-Feb\ 2020)$

Problem 2: Unobserved devices (98%) less mobile

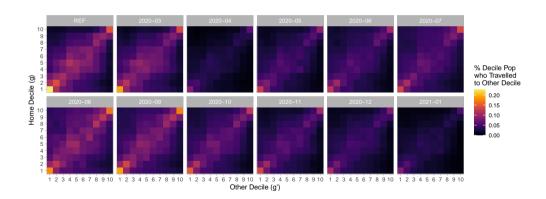
Solution 2: Assume $\phi = 0.9$ as mobile

Define:
$$B_{gg't} = V_{gg't}/H_{gt_0} \left[1 + \phi \left(P_g - H_{gt_0} \right) \right]$$

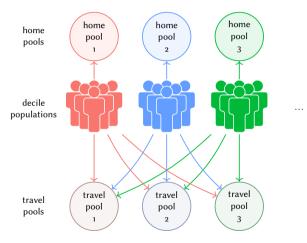
Mobility Matrix, $B_{gg'}$ (REF)



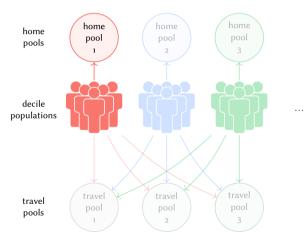
Mobility Matrix, $B_{gg'}(t)$



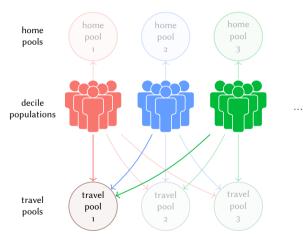
Mixing Pools Model:



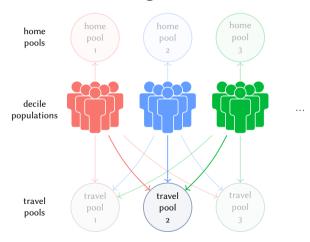
Mixing Pools Model: home contacts



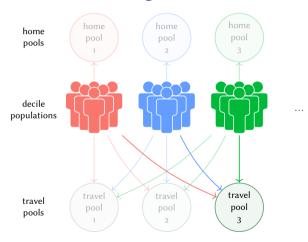
Mixing Pools Model: others visiting my decile



Mixing Pools Model: others visiting same decile as me



Mixing Pools Model: others visiting same decile as me



Mixing Pools: Math

Total type y contacts made available by age group a in decile g: $Q_{gay} = P_{ga} \times C_{gay}$

Home Contacts:

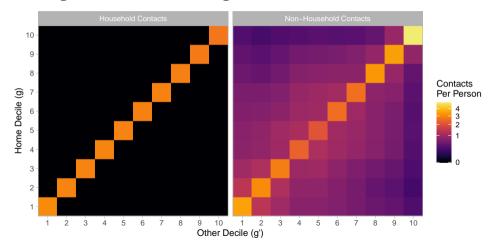
- ▶ 100% Q_{gay} with same decile
- $ightharpoonup X_{gg'}$ mixing by decile g: identity matrix
- $ightharpoonup X_{aa'}$ mixing by age a: from ε-роцумор "home"

Mixing Pools: Math

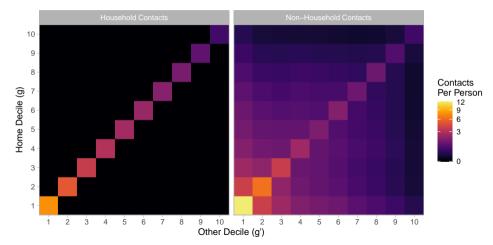
Other Contacts:

- ► $B_{gg'}$ % of Q_{gay} formed in (not with) g'
- ► Within *g** travel pool:
 - ▶ Total contacts available (denominator): $T_{g^*} = \sum_g B_{gg^*} Q_{gay}$
 - ► $X_{gg'}^{g^*}$ mixing by decile g: proportionate
 - $X_{aa'}^{g^*}$ mixing by age a: from ε-polymod "travel"
- \blacktriangleright Total mixing across all travel pools: $\sum_{g^*} X_{gag'a'y}^{g^*}$
- Assume remaining contacts $(1 \sum_{g'} B_{gg'})$ formed with local travel pool

Decile Mixing: No Contact Scaling



Decile Mixing: With Contact Scaling



Age Mixing

