

Agenda

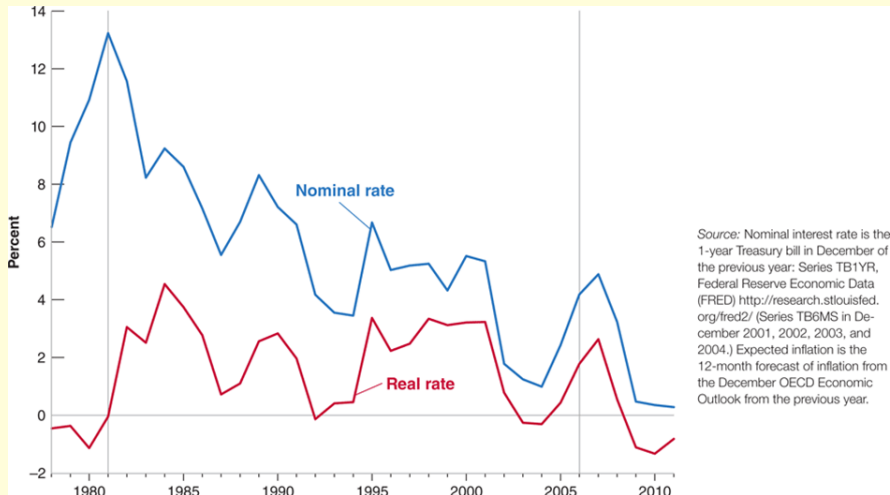
- The distinction between the *real* and the *nominal* interest rate.
- The role of expectations in financial markets.
- The role of expectations in consumption and investment decisions.
- Material: Blanchard, Chapters 14, 15, and 16.

Chapter 14

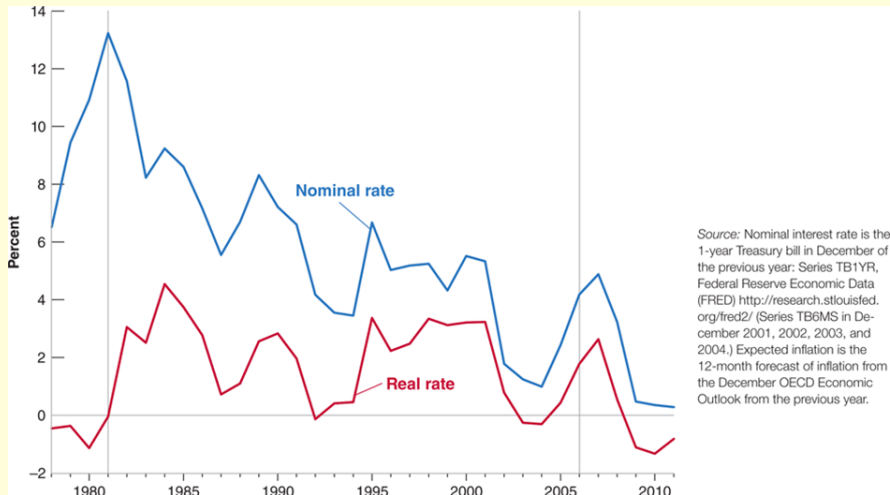
Nominal Vs Real Interest Rate

The real interest rate is equal to the nominal interest rate minus the expected inflation.

$$r_t = i_t - \pi_{t+1}^e$$



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- Aren't low rates and low inflation good for economy?

Why Deflation Can Be Devastating

Year	Unemployment Rate (%)	Output Growth Rate (%)	One-Year Nominal Interest Rate (%) i	Inflation Rate (%) π	One-Year Real Interest Rate (%) r
1929	3.2	-9.8	5.3	0.0	5.3
1930	8.7	-7.6	4.4	-2.5	6.9
1931	15.9	-14.7	3.1	-9.2	12.3
1932	23.6	-1.8	4.0	-10.8	14.8
1933	24.9	9.1	2.6	-5.2	7.8

- In 1933, the US economy was stuck in a **deflation trap**.
- Among other things, rising real rates led to worsening of the situation.

The IS – LM Model Revisited

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- Therefore, the impact of monetary policy on output

The IS – LM Model Revisited

- Investments and consumption are determined by the **real interest rates**.
- The rate that the RBI announces is the **nominal interest rate**.
- Therefore, the impact of monetary policy on output depends upon how nominal rates affect real rates.

Money Growth, Inflation, and Interest Rate

Two key features: real or nominal; short or long run.

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The Short Run

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The Short Run

- The feature of the model is: prices do not adjust quickly.
- People and firms do not revise their inflation expectations immediately.
- So, short-run monetary policy story is a happy story.

The Medium Run

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- A 5% increase in money growth leads to a 5% rise in inflation and a 5% rise in nominal rates.
- This is known as the **Fisher hypothesis**.

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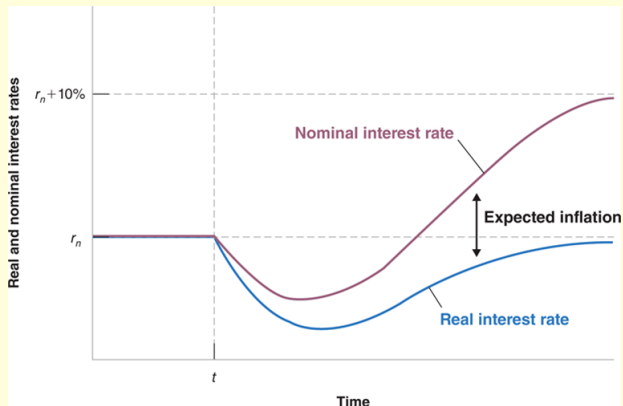
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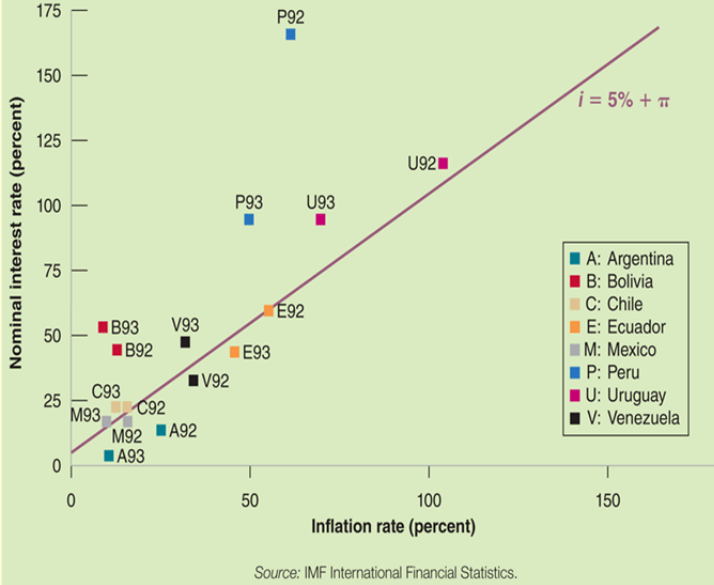
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- Example: Let $i = 0.1$, the weight on payment 20 years later will be 0.148.
- So, a payment of ₹1000 in 20 years will be worth ₹148.6 today.

Expected Present Discounted Value

A typical mortgage requires constant payment over a fixed time period.

- The present discounted value in today's rupees V_t

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$$V_t = z \left[1 + \frac{1}{(1+i)} + \frac{1}{(1+i)^2} + \dots \right]$$

- The above is a sum of a GP.

$$V_t = z \frac{1 - [1/(1+i)^n]}{1 - [1/(1+i)]}$$

- Example: interest rate = 5%, annual payment = ₹10,000, time = 20 years.

Expected Present Discounted Value

Constant Interest Rate and Payment Forever

- The present value would be

$$V_t = \frac{z}{i}$$

- Example: $i = 5\%$, $z = 100$.

Chapter 15

Bond Prices and Bond Yields

Bonds vary across two variables:

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- **Yield:** The interest rate associated with the bond.
- Yield and maturity are tied together. We call it the **term structure of interest rates**.
- Let's think about
 - 1 *Bond prices*
 - 2 Examine the determinants of the yield curve.
 - 3 The relationship between short-term and long-term interest rates.

Bond Prices and Present Value

Two bonds: one-year and two-years.

- The price of one-year bond is

$$P_{1t} = \frac{100}{1 + i_{1t}}$$

- The price of two-years bond is

$$P_{2t} = \frac{100}{(1 + i_{1t})(1 + i_{2t})}$$

NOTE: Interest rate is nominal one.

Arbitrage and Bond Prices

- Assumption: Investors care about **expected returns**.
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- If the above doesn't hold true, market for one bond will vanish.
- Arbitrage between the two bonds implies that the price of two years bond is the present value of the payment in two years.

$$P_{2t} = \frac{100}{(1 + i_{1t})(1 + i_{1t+1}^e)}$$

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- Some maths later:

$$i_{2t} = \frac{1}{2}(i_{1t} + i_{1t+1}^e)$$

The two year interest rate is the average of the current one year interest rate and next year's expected one-year interest rate.

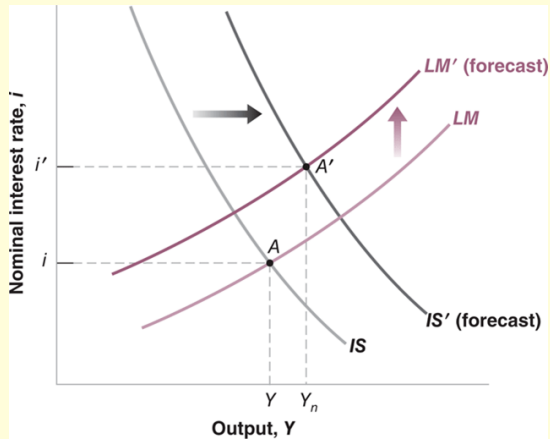
The Yield Curve

- Rearrange the interest rate equation to get

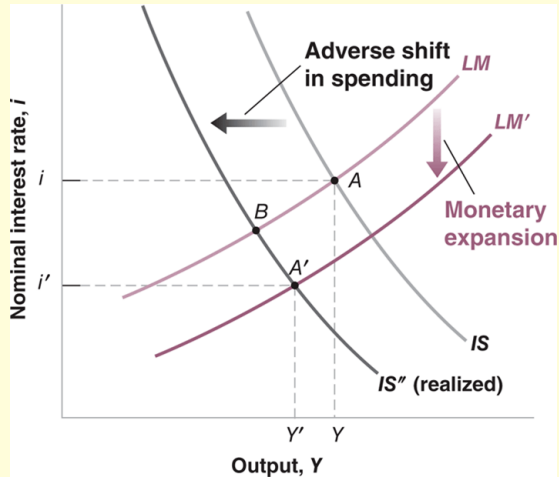
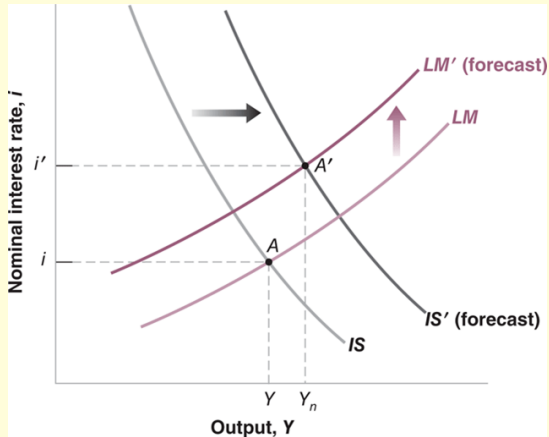
$$i_{1t+1}^e = 2i_{2t} - i_{1t}$$

- Let one year interest rate be 4% and two-year rate be 5%.
- The interest rate in one year's time are supposed to be up by 6%.

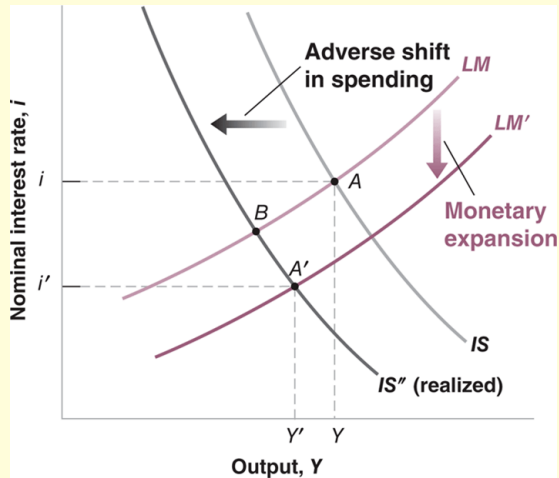
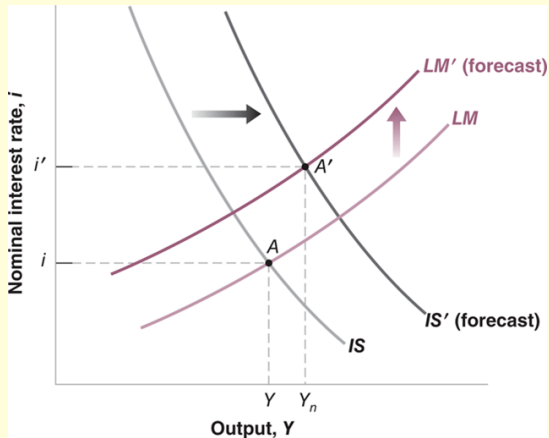
Expectations Versus Reality: US Circa 2001



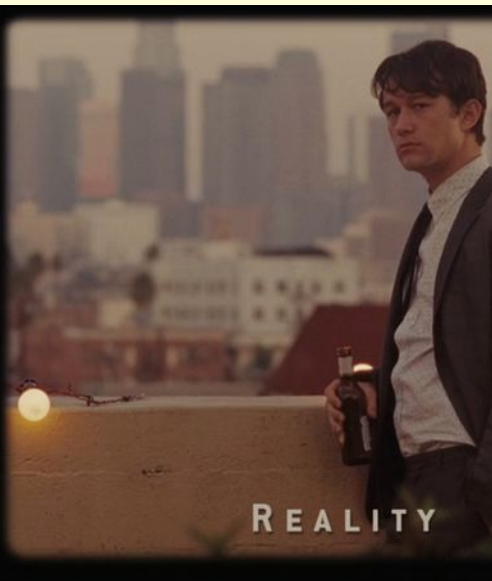
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Try explaining the difference.



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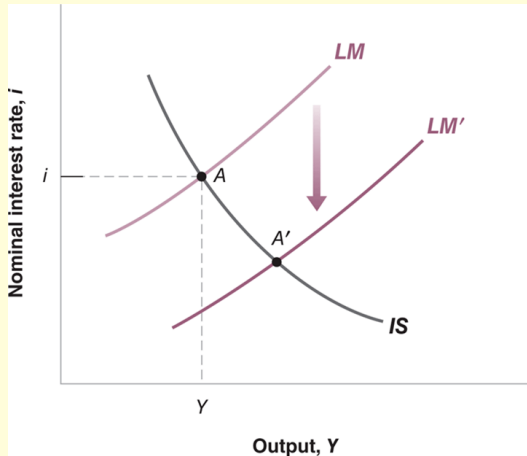
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- How do stock prices respond to macro-policy?
- The real stock price is the present value of future dividends, discounted by interest rates.
- \uparrow Future dividends $\Rightarrow \uparrow$ real stock price.
- \uparrow Future expected real interest rates $\Rightarrow \downarrow$ real stock prices.

Stock Market and Monetary Policy

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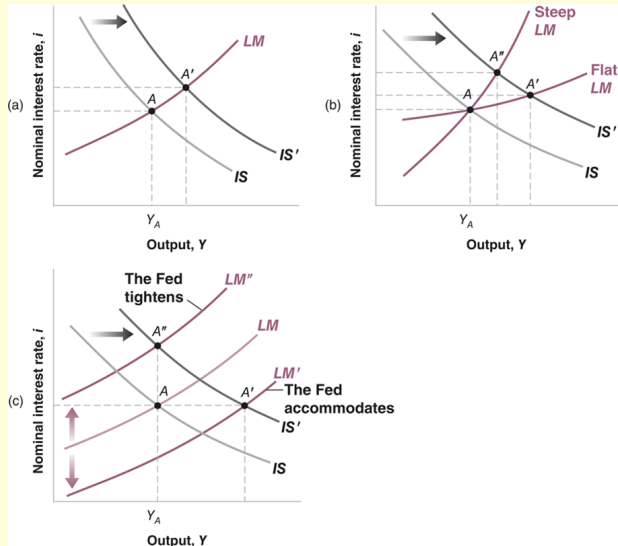
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Risks, Bubbles, Fads

- In 1994 a Russian “financier” Sergei Mavrodi, created a company called MMM and proceeded to sell shares, promising shareholders a rate of return of at least 3,000% per year.
- This was an instant hit.
- The price of MMM shares increased from 1,600 rubles (then worth \$1) to in February to 105,000 rubles (then worth \$51) in July.
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Risks, Bubbles, Fads

Three distinctive features of markets may give rise to bubbles:

- 1 *Resale value*: A person may buy a house both for the rental income and also to make gains by holding on to the house and reselling it later.
- 2 *Ease of trading*: You can switch between being a buyer and being a seller.
- 3 *Ease of borrowing to finance purchases*: If market participants can borrow to increase their demand for an asset that they believe will increase in price, well, we are staring at a possible bubble.

Risks, Bubbles, and Fads



Beliefs dampen price rises



**Beliefs amplify price rises:
a bubble**

Chapter 16

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- Embed expectations into consumption decision.
- Show that investments are function of expected interest rate.

Consumption

Consumption decision can take the following forms:

- $C_t = C(\text{total wealth}_t)$.
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Implications:

- 1 There may not be a one-to-one correspondence in current income and consumption movements.
- 2 Consumption may rise even when there is no change in current income.

A Model of Consumption

- People like to consumption smooth
- Let initial wealth = W , R be number of working years, $Y_{Lt} - T_t$ is the annual income.
- Let there be L years in life.
- $C = \frac{W + R(Y_{Lt} - T_t)}{L}$

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- $C = \frac{W + R(Y_{Lt} - T_t)}{L}$
- $APC = \frac{C}{Y}$
- In short run, average propensity to consume falls when income rises.
- In long run, average propensity to consume doesn't change when income increases.

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$$V(\Pi_t^e) = \frac{1}{1+r_t} \Pi_{t+1}^e + \frac{1}{(1+r_t)(1+r_{t+1}^e)} (1-\delta) \Pi_{t+2}^e$$

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- Under this assumption:

$$V(\Pi_t^e) = \frac{\Pi_t}{r+\delta}$$

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- $\Pi_t = \Pi \left(\frac{Y_t}{K_t} \right)$

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- In English: q is basically the ratio of market to book value.

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- In English: q is basically the ratio of market to book value.
- If $q < 1$, then **don't invest**.
- If $q > 1$, then **invest**.

Chapter 17

Agenda

- Bring expectation effects into $IS - LM$.
- Discuss monetary and fiscal policies.
- Material: Blanchard, Chapter 17.

Expectations and the *IS* Relation

- We define aggregate private spending as:

$$A(Y, T, r) = C(Y - T) + I(Y, r)$$

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- Output now depends upon current and expected future parameters

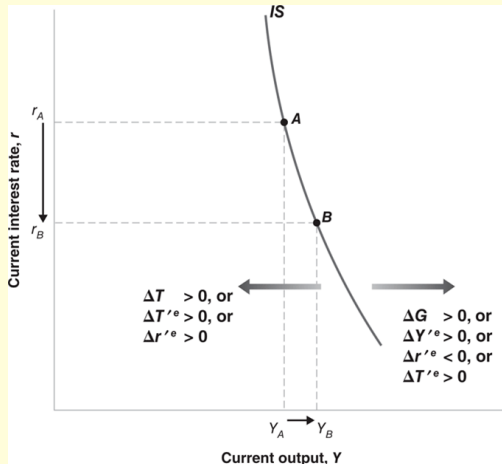
$$Y = A(Y, T, r, Y^e, T^e, r^e) + G$$

Expectations and the *IS* Curve

- A fall in current interest rate does not have much impact on spending.
 - A fall in current interest rate doesn't shift the present value.
 - Firms are not likely to change their investment plans until the expectations shift.
- The multiplier is going to be smaller.

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The *LM* Curve Revisited

- Decision to hold money is a myopic one.
 - Depends upon current income and current interest rate.
 - Doesn't depend upon future expected nominal interest rate.
- The multiplier is going to be smaller.

Expectations and the *IS* Curve

- *IS*:

$$Y = A(Y, T, r, Y^e, T^e, r^e) + G$$

- *LM*:

$$\frac{M}{P} = YL(r)$$

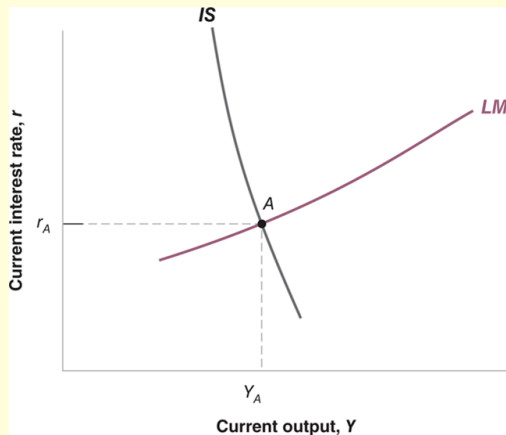
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Monetary Policy Revisited

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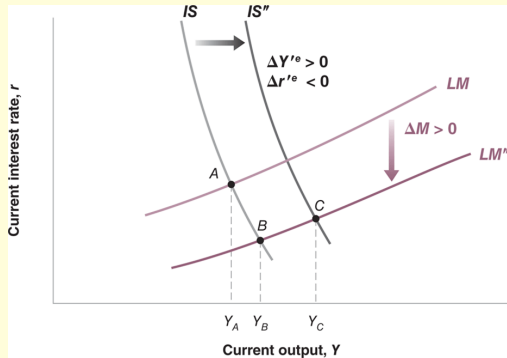
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The Liquidity Trap, QE, and Expectations

Three channels through which QE may affect the economy.

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 - The price of the asset rise (interest rate falls).
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 - If expansionary monetary policy signals future expansionary policies, signal may be +ve.
 - Future nominal rates go up \Rightarrow Spending goes up.

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 - If expansionary monetary policy signals future expansionary policies, signal may be +ve.
 - Future nominal rates go up \Rightarrow Spending goes up.
- 3 Expectations of inflation.
 - Higher expected inflation \Rightarrow \downarrow current (and future) expected real interest rates.

Deficit Reduction Redux

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