

Car Price Prediction

Submitted by:

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Introduction

The price of the new car in the industry is fixed by the manufacturer with some additional costs incurred by the Government in the form of taxes. So, customers buying a new car can be assured of the money they invest to be worthy. But, due to the Covid19 impact and increased prices of the new cars and financial incapability of the customers to buy them, used car sales on a global increase. Therefore, there is an urgent need for a used car prediction system which effectively determines the worthiness of the car using variety of features. Existing system includes a process where seller decides a price randomly and buyer has no idea about the car and its value in the present day scenario. In fact, seller also has no idea about the car existing value or the price he should be selling the car at. To overcome this problem, we have developed a model which will be highly effective. Regression Algorithm are used because they provide us with continuos value as output and not a categorized value. Because of which it will be possible to predict the actual price of a car rather than price range of a car. User interface has also been developed which acquires input from any user and displays the price of a car according to the user's inputs

Problem Statement

With the Covid19 impact in the market, we have seen lot of changes in the market. Now some cars in the demand hence making them costly and some are not in demand hence cheaper. One of the clients work with small traders, who sell used cars. With the change in market due to covid19 impact, The client is facing problems with the previous car price valuation. So they are looking for new machine learning models from new data

Objective

The main objective of this project is to predict the car price.

EDA STEPS

- 1. Importing Libraries
- 2. Loading the dataset
- 3. Checking the missing value
- 4. Checking the d-type of the dataset
- 5. Checking the information of the dataset
- 6. Checking the distribution of the categorical variable

1.Importing Libraries

```
import numpy as np#for Data Analysis
import pandas as pd#for scientific computataion
import matplotlib.pyplot as plt#for Data Visualization
import seaborn as sns#for Data Visualization
```

2. Loading the dataset

```
df=pd.read_csv(r'F:\ucar2.csv')
```

3. Checking the missing values

```
df.isnull().sum()
               0
Brand
fueltype
               0
               0
mileage
model
               a
price
               a
transmission
              0
               0
variant
               0
year
dtype: int64
```

4. Checking the d-types of the dataset

```
df.dtypes

Brand object
fueltype object
mileage int64
model object
price int64
transmission object
variant object
year int64
dtype: object
```

5. Checking the information of the dataset

```
df.info()
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 199 entries, 0 to 198
Data columns (total 8 columns):
# Column
                Non-Null Count Dtype
                 -----
   Brand
                                object
0
                 199 non-null
1
    fueltype
                 199 non-null
                                object
    mileage
2
                 199 non-null
                                int64
3
   model
                 199 non-null
                                object
    price
                 199 non-null
                                int64
5
    transmission 199 non-null
                                object
   variant
                 199 non-null
                                object
   year
                 199 non-null
                                int64
dtypes: int64(3), object(5)
memory usage: 12.6+ KB
```

6.checking the columns

7. Checking the distribution of the categorical variables

Checking the value count of fuel type

```
df.fueltype.value_counts()

Diesel 72
0 71
Petrol 54
CNG & Hybrids 2
Name: fueltype, dtype: int64
```

Checking the value count of transmission

```
df.transmission.value_counts()

0 106
Manual 70
Automatic 23
Name: transmission, dtype: int64
```

Checking the value count of brand

NO rating	71	
Maruti Suzuki	29	
Hyundai	27	
Mahindra	8	
Ford	8	
BMW	8	
Toyota	8	
Volkswagen	6	
Mercedes-Benz	6	
Tata	5	
Renault	5	
Honda	5	
Audi	3	
Chevrolet	2	
Fiat	2	
Land Rover	2	
Kia	1	
Nissan	1	
Mitsubishi	1	
Skoda	1	
Name: Brand, d	ltype:	int64

Checking the value count of model

EDA STEPS

1. Checking the missing values

```
#1. Checking the Missing Values
missing_value=[feature for feature in df.columns if df[feature].isnull().sum()>1]
missing_value
[]
```

2.checking for numerical columns

```
#Checking the number of numerical features
numerical_feature=[feature for feature in df.columns if df[feature].dtypes!="0"]
df[numerical_feature]
     mileage
               price year
      70500 2650000 2015
          0 2295000 2018
             530000 2016
             32000 2013
  3
      30808
             140999 2014
  ...
             500000 2011
194
             345000 2013
195
196
             625000 2018
          0 410000 4036
197
          0 420000 2014
198
199 rows × 3 columns
```

print('Number of numerical variables', len(numerical_feature))

Number of numerical variables 3

3. checking for the distribution of numerical variables

```
#Checking the number of numerical features
numerical_feature=[feature for feature in df.columns if df[feature].dtypes!="0"]
```

df[numerical_feature]

	mileage	price	year
0	70500	2650000	2015
1	0	2295000	2018
2	0	530000	2016
3	0	32000	2013
4	30808	140999	2014
194	0	500000	2011
195	0	345000	2013
196	0	625000	2018
197	0	410000	4036
198	0	420000	2014

199 rows × 3 columns

```
print('Number of numerical variables', len(numerical_feature))
```

Number of numerical variables 3

```
#checking the number of unique values present in numerical column

print("Number of unique values in numeric column:", df['price'].nunique())

print("The unique value in the numerical column: \n", df['price'].unique())
```

```
Number of unique values in numeric column: 154
The unique value in the numerical column:
                                     140999
[ 2650000 2295000 530000
                               32000
                                                400000
                                                        355000
                                                                 640000
 1845000 1025000
                    599000
                             199999
                                      225000
                                               265000
                                                        499599
                                                                 285000
  250000
          841000
                    300000
                             275000
                                      860000
                                              3450000
                                                        560000
                                                                1021000
          2241000
                             800000
                                      361000
                                               710000
                                                       1600000
  1735000
                    824000
                                                                 396000
         4650000
                    590000
                                               675000
  470000
            40000
                   1530000
                             145000
                                      535000
                                              1300000
                                                       1100000
                                                                 780000
  450000 1750000
                    199000
                             980000
                                     3700000
                                              1900000
                                                        245000
  120000
           550000
                    375000
                           1350000
                                     1709999
                                               161000
                                                        420000
                                                                 990000
                                      350000
   545000
           525000
                    820000
                             730000
                                               865000
                                                        340000
                                                                 330000
  561000
            35000
                    415000
                             380000
                                       95000
                                               660000
                                                        655555
                                                                 575000
  490000
           570000
                    440000
                             495000
                                     1650000
                                              1397000
                                                        251000
                                                                 211000
  125000
          1050000
                    625000 26510297
                                      210000
                                               200000
                                                        465000
                                                                 425000
   320000
          4900000
                    155000 2250000
                                       68000
                                               240000
                                                        430000
                                                                 150000
  975000
           370000
                    485000
                            2992000
                                       82000
                                              1625000
                                                        540000
                                                                  94000
  160000
          2775000
                    220000
                             230000 14771998
                                               175000
                                                        195000
                                                                1890000
  850000
           235000
                   5500000
                             585000
                                      295000
                                               345000
                                                        581000
                                                                 140000
  655000
          2372000
                    915000
                             650000
                                       79000
                                              1256000
                                                        100000
                                                                3350000
   60002
          1085000
                   1250000
                             565000
                                      799733
                                               139999
                                                       1175000
                                                                  99000
   725000
           311000
                    390000
                             855000 1270000
                                               711000 2850000
                                                                 130000
  500000
           410000]
```

4. Checking for categorical variables

```
#checking the categorical feature
discrete_feature=[feature for feature in df.columns if feature not in numerical_feature]
```

df[discrete_feature]

	Brand	fueltype	model	transmission	variant
0	Audi	Diesel	A4	Automatic	35 TDI Premium + Sunroof
1	Audi	Diesel	A6	0	0
2	Audi	Diesel	Q3	0	0
3	BMW	Diesel	3 Series	0	2.5 GX (Diesel) 8 Seater BS IV
4	BMW	Diesel	3 Series	Manual	2.5 GX (Diesel) 8 Seater
194	Volkswagen	Diesel	Vento	0	0
195	Volkswagen	Diesel	Vento	0	V
196	Volkswagen	Petrol	Ameo	0	2002-2013 SLE BS IV
197	Volkswagen	Petrol	Polo	0	0
198	Volkswagen	Petrol	Polo	0	Others

199 rows × 5 columns

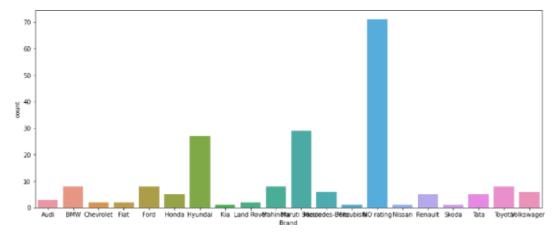
```
print("Count of discrete columns:", len(discrete_feature))
```

Count of discrete columns: 5

5. Types of categorical variables

```
: plt.figure(figsize=(15,6))
  print(df['Brand'].value_counts())
print("-"*70)
  sns.countplot(df['Brand'].sort_values())
  NO rating
  Maruti Suzuki
  Hyundai
                   27
  Mahindra
  Ford
                    8
  BMM
  Toyota
  Volkswagen
  Mercedes-Benz
  Tata
  Renault
  Honda
  Audi
  Chevrolet
  Fiat
  Land Rover
  Kia
  Nissan
  Mitsubishi
  Skoda
                   1
  Name: Brand, dtype: int64
```

< xesSubp1ot:x1abe1= 'Brand', y Labe J=' ccunt' >

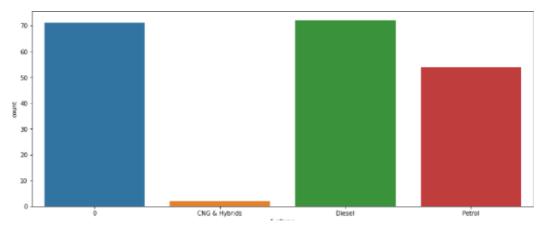


```
plt.figure(figsize=(15,6))
print(df['fueltype'].value_counts())
print("-"*70)
sns.countplot(df['fueltype'].sort_values())
```

D1ese1 72 8 71 Petrol s4 CuG 8 Hybrids 2 rame: fueltype, dtvpe: into

c:\users\admin\appdata\local\programs\python\Qthon37\lib\site-packages\seaborn_decorators.py:43: FutureWarning: Pass the foll owing variable as a keyword arg: x. From version 0.12, the only valid positional argument will De'data', and passing other arg uments without an explicit keyord will result in an error or misinterpretation.
Futurewarning

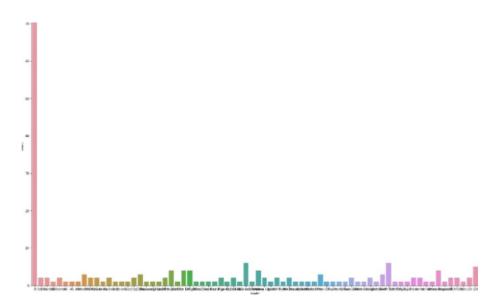
< xessubp1ot:x1abe1= ' fueltype' , \ label= ' count ' >



```
\begin{array}{l} plt. -Fi.=ure(figs~i~ie=(2s,a6~))\\ print~(df[~'odel~']~.~value\_count~s(~)\}\\ print~('-~''7a~)\\ sns~.~c~ountplct(df[~'odel~'j~,sort\_va~lues~()~)\\ \end{array}
```

```
brand:i10 6
St'Jzft Dz Irve 6
I2B 5
Innc'.'a -

§3 1
Bolt 1
venue 1
Tigcr 1
Rapid 1
name: izcdeJ, Length: 72, dtj- pe: Tnt64
```

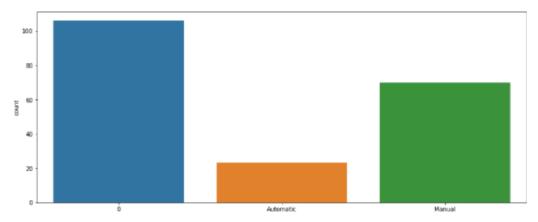


```
 \begin{array}{l} \mbox{pit . -f1=ure(figs1ze=(1s, \, \color{red} s) \, } \\ \mbox{print(df[ ttrarisr \, iec \, zen \, ] .'value counts \, } \, \end{array} ) \\ \end{array} 
sns countpl I(df[ 'tr an* n- sc z en ']. sort va1ues(})
rame: transmi5szcn, dtype: into
```

c:\users\admin\appdata\local\programs\python\q4hon37\lzb\site-packages\seaborn/decorators.py:43: FutureWarning: Pass the foll owing variable as a keyword arg: x. From version 0.52, the only valid positional argument will be 'data', and passing other arg uments without an explic it keyword wit 1 re s ult in an error or m:i sinterpretation.

F uturet4arning

< xessubp1ot:x1abe1= 'transm1s sion ', \ label= 'count' >



Algorithm used:-

- 1.Linear Regression
- 2.Lasso Regression
- 3. Random Forest Regression
- 4.Decision Tree Regression
- 1.Linear Regression:-

```
# loading linear regression model
lin_reg_model=LinearRegression()
```

```
lin_reg_model.fit(X_train,Y_train)
LinearRegression()
predicted_values=lin_reg_model.predict(X_train)
```

```
# R square error
```

```
error_saore=metrics.r2_score(Y_train,predicted_values)
print("R square error:",error_score)

R s qua re e r ro r: B . 19 1 24B885433 283B
```

```
plt.scatter(Y_train,predicted_values,c='g')
plt.xlabel('Actual Price')
plt.ylabel(' Predicted Price')
plt.title('Actual Price vs Predicted Price')
plt.shO ()
```



predict=lin re model.predict(X test)

predict

```
array{[1337021.75443433, 836695.63765552,
                                            351463.48454735,
        838925.4380242, 1024953.598B7806, 10250*3.19161544,
       1B24834.36940336,
                        122674.668B2815, 133702*.75443t33,
        838806. 23654948,
                           7527€I.B0665244,
                                             BB3B8.94975967,
        65 5B16.52077439, 1337€I21.75443433, 12652*4.48123334,
       838925.43B0242 , 12B4791.54138327,
                                            83BB36.03691B16,
       1337021.75443433, 836667.03507476, 83B925.4360242
       899032.7B165042,
                         838B36.03691816, 1652775.3853B4B7,
       475583.90173019, 892090.0135835 , 4016B3.64107023,
       838985.03876i56, 1024864.1B9772B4, 1337021.754#5433,
       839014.83P*3ez4, 588s59.3&223632, 1092799.66236BBl,
      1025013.19161544, 271630.77011906, 83BB95.63765552
      1337021.75443433, 1024983.39124676, 1337021.75445433,
      1824744.98829732j)
```

```
lasso_repmodel=Lasso()
lasso_repmodel.fit(X_train,Y_train)
```

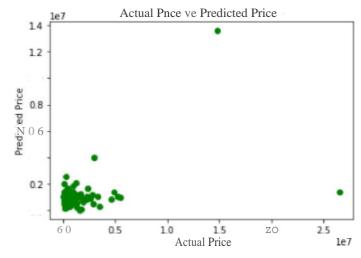
La s so()

```
predicted_values1=lasso_reg_model.predict(X_train)

# fi squore error
error_score2=metrics.r2_score(Y_train,predicted_values*)
print("R square error:",error_score2)

R s qua re e rror: 8.191 24B88 54327981

plt.scatter(Y_train,predicted_values1,c='g')
plt.xlaBel('Sctuol Price')
plt.ylaBel('Predicted Price')
plt.title('=ctual Price vs Predicted Price')
plt.show()
```



```
pr-edta te<l_v a1u+s 1
        8.39GL5333s+05. 6.6Ld61777e+BE. 8.38866336e*09
9.31018523e+05. 1.1•l488S89e+-B6. 1.0Z#95I5Le 06.
                                          6.676043Z7e 65,
                                        1.02492271* 86, 6.hMB3829e+05. 6.OZ660608e+85. 1.3370L937e 46, 1.339L4315e-MD7. 6.73791272e+BS. 9.152998385* 4d, 6.31M8137 5. 8.389855336+BS. 1.32701937ei06. 8.49619878e+BE. 5.513B1880e*05. 7.68163180e 45, 8.8856536e+05. 7.4L575970e+85. 7.77468197e 05. 8.99067279k 46. 9.181B0870e+05. 5.63L12789a+85.
                                                                                                                8.8B56536e+05. 7.4L575970e+85. 7.77468197e 09.181B0870e+05. 5.63L12789a+85. f_k8J1A924e*05
                                       8.9906t219k 4G,
4.19278385e 4G,
8.41627669e+05,
1.33M1937
1.6Z49227 le+-B6.
1.0254484Be*-06.
8.38955734e*05.
1.48997454e+86,
1.33701937e+06,
1.0210151* 86,
4.1193485be+95,
1.33701937e 86,
1.33836536e+BE.
1.05533935ei-06.
1.88499839e+06,
5.53416239u+05,
1.611B7588e+26.
1.62504191e+0F.
8.38866336e*85.
1.05533935ei-06.
8.3876937e+BS.
8.38866336e*85.
1.617B4810e*05.
8.38866336e*85.
1.617B4810e*05.
8.38866336e*86.
1.6187588e+26.
1.6187588e+26.
1.6187588e+26.
1.6187588e+26.
1.6187588e+26.
1.6187588e+26.
1.62504191e+0F.
1.6250419e+0F.
1.6250419e+0F.
1.6250419e+0F.
1.6250419e+0F.
1.6250419e+
                                         8.9906t2I9k 4G,
                                         8.38955734u+0/5, 5.97491566e+05.

8.38866336e+05, 1.82498231e+06,
                                                                                                                                    '491566e+05. I.84217751e+B6. &.3883653d'ei-05. 
1.12528B4de+B6. 1.6773542Bs*05.
                                       9.8271414Ie 45,

J.95676377e 45,

8.38985533e 05,

9.05565 e 45,

1.0622866276496.

1.12326546486405.

8.38876937e 05.

1.33701937e+B6.

1.39701f137e*06.

1.39701f137e*06.

1.63185648e+06.

7.37728947e 05.

1.085L7719e+46.

1.085L7719e+46.

1.095B419Le*06.
                                    | 1.08d87920e 86, | 1.779%3395e+05. | 1.01095251*+B6. | 7.78995197e*05. | 1.01095251*+B6. | 1.30701937e*106. | 1.3070193
          # checking mean square error, RMSE
          print ("mean square error™, nean_squared_errer(Y_test,predict))
         print ("RHSE™, np. sqrt{mean_squared_ernor{ Y_test, pred1ct)))
         mean square error sze378656i7t.42Z9
         I¥•OE 79396Z . 88845552B1-
  Iron sk1earn .ensemble laport RandoeFowstRegressor
   Iron sk1eann .eetr1cs Zz$xx•t eean_abso1ute_error, eean_squaned_ermr, r2_score
  Iron sk1earn.zode1_se1ect1on Art
                                                                                                                                                                          RandazlzedSearchCv, tra1n_test_sp1it
# Zmpf ementing made forest regressor
   #coL £ zng a object
  Ff=RandomFOrestRegressor()
  #model fitting rf.UI(x_train,Y_train)
   @redzttng tW nodeL
   y M=H. ped1H(x_test)
   print('Train score', rf.score(X train, Y train))
   Train score e. sees ssssasys
```

```
print("Mean square error",mean_squared_error(Y_test,y_pred))
print("RMSE",np.sqrt(mean_squared_error(Y_test,y_pred)))
Mean square error 962151488171.7551
RMSE 980893.2093616283
# import the regressor
  from sklearn.tree import DecisionTreeRegressor
   # create a regressor object
  regressor = DecisionTreeRegressor()
  # fit the regressor with X and Y data
  regressor.fit(X,Y)
DecisionTreeRegressor()
: # predicting a new value
 y_pred = regressor.predict(X_test)
: # checking MSE and RMSE
  print("Mean square error",mean_squared_error(Y_test,y_pred))
  print("RMSE",np.sqrt(mean_squared_error(Y_test,y_pred)))
  Mean square error 306531212443.76025
  RMSE 553652.6098951943
```

- 1.N_estimators: The number of decision trees being built in the forest. Default values in sklearn are 100. N_estimators are mostly correlated to the size of data, to encapsulate the trends in the data, more number of DTs are needed.
- 2.Max_depth: The maximum levels allowed in a decision tree. If set to nothing, The decision tree will keep on splitting until purity is reached
- 3.Max_features: Maximum number of features used for a node split process. Types: sqrt, log2. If total features are n_features then: sqrt(n_features) or log2(n_features) can be selected as max features for node splitting
- 4.Min_samples_split: This parameter decides the minimum number of samples required to split an internal node. Default value =2. The problem with such a small value is that the condition is checked on the terminal node. If the data points in the node exceed the value 2, then further splitting takes place. Whereas if a more lenient value like 6 is set, then the splitting will stop early and the decision tree wont overfit on the data.
- 5.Min_sample_leaf: This parameter sets the minimum number of data point requirements in a node of the decision tree. It affects the terminal node and basically helps in controlling the depth of the tree. If after a split the data points

in a node goes under the min_sample_leaf number, the split won't go through and will be stopped at the parent node.

```
#Randomizedsearchcv
  'min_samples_split':[2,5,10,15,100],
'min_samples_leaf':[1,2,5,10]}
random_rf=RandomizedSearchCV(estimator=rf,param_distributions=random_parameters,n_iter=10,scoring="neg_mean_squared_error",
                                 cv=10,verbose=2,random_state=42,n_jobs=1)
random_rf.fit(X_train,Y_train)
random_rf.best_params_
{'n_estimators': 127,
  min_samples_split': 100,
 'min_samples_leaf': 1,
 'max_features': 'auto',
 'max_depth': 10}
 pred_y=random_rf.predict(X_test)
 pred y
 array([1079134.07430144, 930250.55388736, 862257.59595561,
            930250.55388736, 963977.46522513, 963977.46522513, 953836.36085038, 919186.80626237, 1079134.07430144,
            920109.44951261, 868158.67801555, 910578.43190793, 915121.80142748, 1079134.07430144, 1074146.42621632,
             930250.55388736, 969041.11815618, 920109.44951261,
           1079134.07430144, 920109.44951261, 930250.55388736, 938858.9282418, 920109.44951261, 1084197.7272325,
           1025735.04098425, 1014744.24122039, 899587.63214408, 938858.9282418, 953836.36085038, 1079134.07430144, 938858.9282418, 925262.90580223, 899497.82878551,
           963977.46522513, 865860.7208063, 930250.55388736, 1079134.07430144, 963977.46522513, 1079134.07430144, 953836.36085038])
 print("Mean square error",mean_squared_error(Y_test,pred_y))
 print("RMSE",np.sqrt(mean_squared_error(Y_test,pred_y)))
 Mean square error 549386585946.4761
 RMSE 741206.1696629866
parameters={"splitter":["best", "random"],
               "max_depth" : [1,3,5,7,9,11,12],

"min_samples_leaf":[1,2,3,4,5,6,7,8,9,10],

"min_weight_fraction_leaf":[0.1,0.2,0.3,0.4,0.5,0.6,0.7,0.8,0.9],

"max_features":["auto","log2","sqrt",None],

"max_leaf_nodes":[None,10,20,30,40,50,60,70,80,90] }
```

max_features: int, float, string or None, optional (default=None)

from sklearn.model_selection import GridSearchCV

The number of features to consider when looking for the best split:

If int, then consider max_features features at each split.

If float, then max_features is a fraction and int(max_features * n_features) features are considered at each split.

If "auto", then max features=sqrt(n features).

If "sqrt", then max features=sqrt(n features).

If "log2", then max features=log2(n features).

If None, then max_features=n_features.

splitter: string, optional (default="best")

The strategy used to choose the split at each node. Supported strategies are "best" to choose the best split and "random" to choose the best random split.

max_depth: int or None, optional (default=None)

The maximum depth of the tree. If None, then nodes are expanded until all leaves are pure or until all leaves contain less than min_samples_split samples.

min_samples_split: int, float, optional (default=2)

The minimum number of samples required to split an internal node:

If int, then consider min_samples_split as the minimum number.

If float, then min_samples_split is a fraction and ceil(min_samples_split * n_samples) are the minimum number of samples for each split.

min_samples_leaf: int, float, optional (default=1)

The minimum number of samples required to be at a leaf node. A split point at any depth will only be considered if it leaves at least min_samples_leaf training samples in each of the left and right branches. This may have the effect of smoothing the model, especially in regression.

If int, then consider min_samples_leaf as the minimum number.

If float, then min_samples_leaf is a fraction and ceil(min_samples_leaf * n_samples) are the minimum number of samples for each node.

```
tunin model=sridSearchCv(re°resscr, param rid=paraneters, s ccrin°= 'n.°• mean sq'uerefl error ', c /=3, /erbcse=3'
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                                 ] }
\begin{array}{l} print (\ ^{\circ}F \ \ cc \ n \ sc \ u \ a \ e \ er \ or \ ^{\circ}, \ me \ an \ squared \ ernc \ r \ (Y \ test, \ tuned \ r \ ed) \ \} \\ print (\ ^{\circ}RAISE \ ^{\circ}, \ np. \ sqnt \ t \ mean \ squa \ ared \ ernc \ r \ (Y \ test, \ tuneflp \ red) \ \} \end{array}
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Conclusion

The best fit model is Random Forest which has less mean Squared error future scope:- here we have only less features and the large amount of data is not available so the accuracy is low