

Aiming at an alpine wide assessment of  
**the temporal changes in the distribution of  
snow depth using quantile regression:**  
Results from a case study in the southern alps



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research

# Motivation

Why snow?

Expectations with changing climate:

- Less snow (temperatures rising)
- More snow (winter precipitation increasing)

How much can already be seen in past station data?

Why alpine wide?

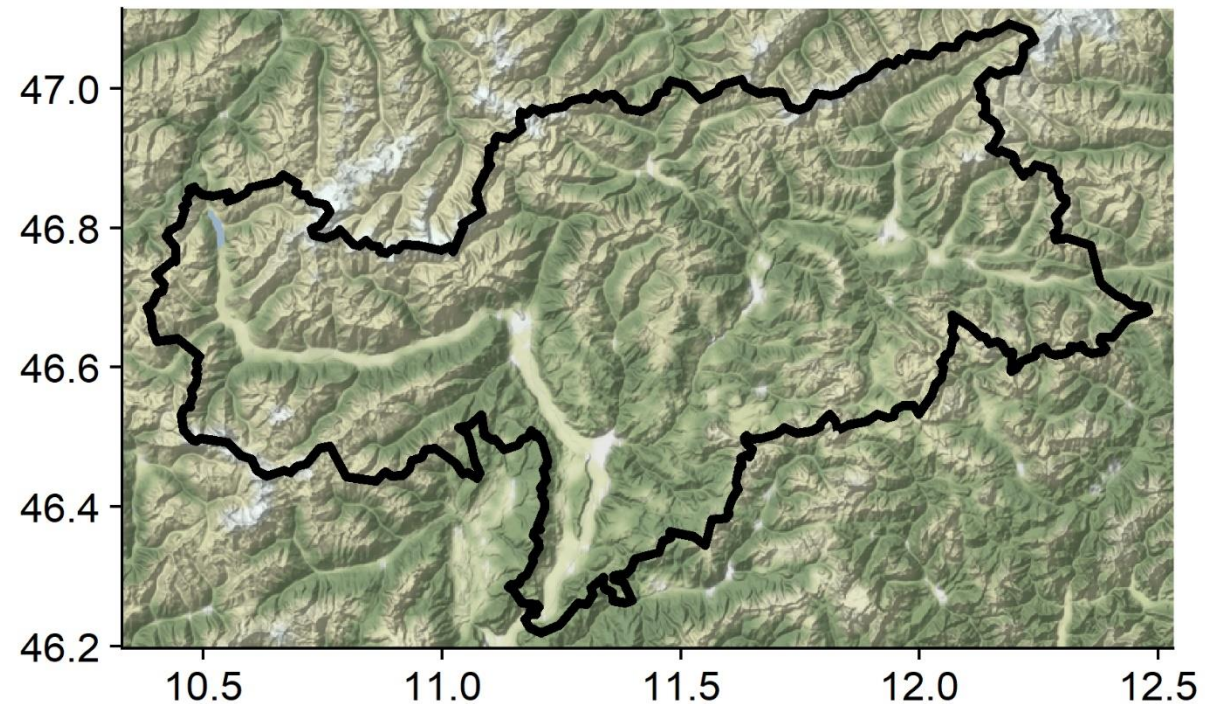
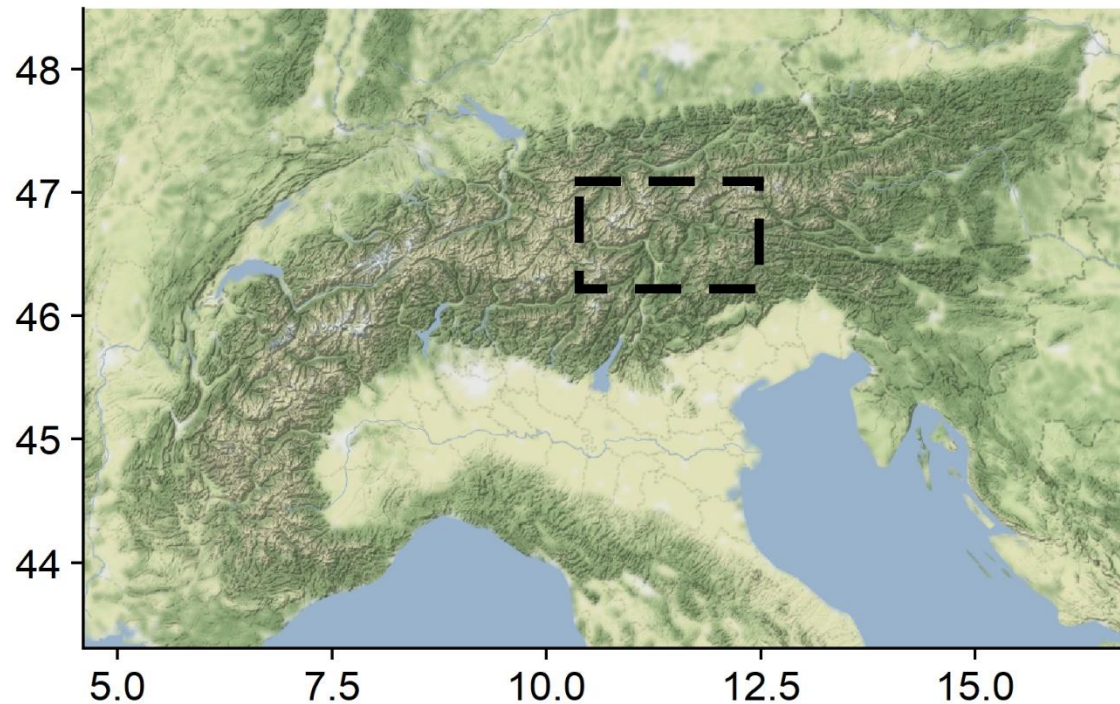
Excellent (sub-)country studies covering the whole alps already exist:

- Can be summarized qualitatively
- Hard to summarize quantitatively (because different winter seasons, parameters, statistics)

A unified approach covering the whole alps would yield a comprehensive view.



# Case study area



# Data

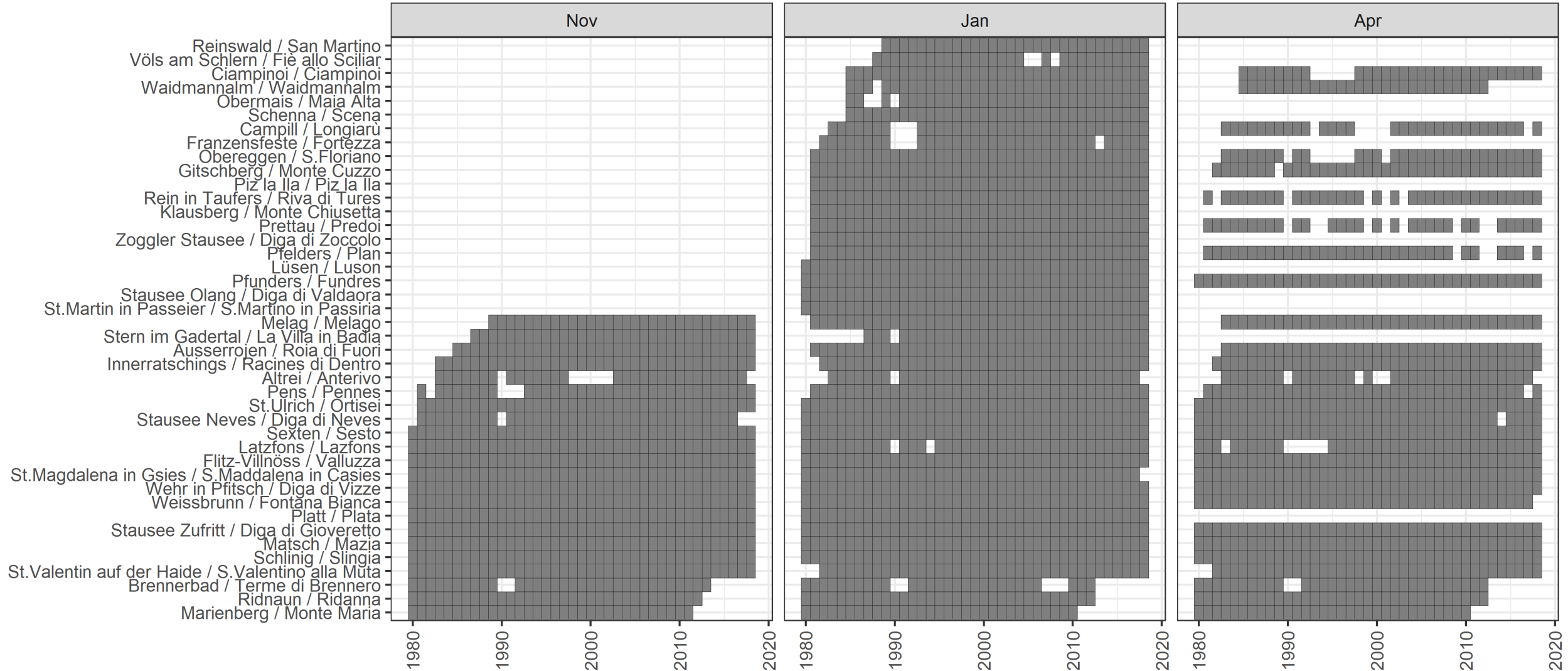
Source: Hydrological office of Bolzano, Italy  
Parameter: Snow depth (HS)  
Time period: 1980-01-01 – 2019-07-14  
Time frequency: Daily  
Number of stations: (initial) 101 -> (after QC/subset) 42

Three step data processing:

1. Basic QC & pre-subsetting
2. Gapfilling
3. Final subsetting

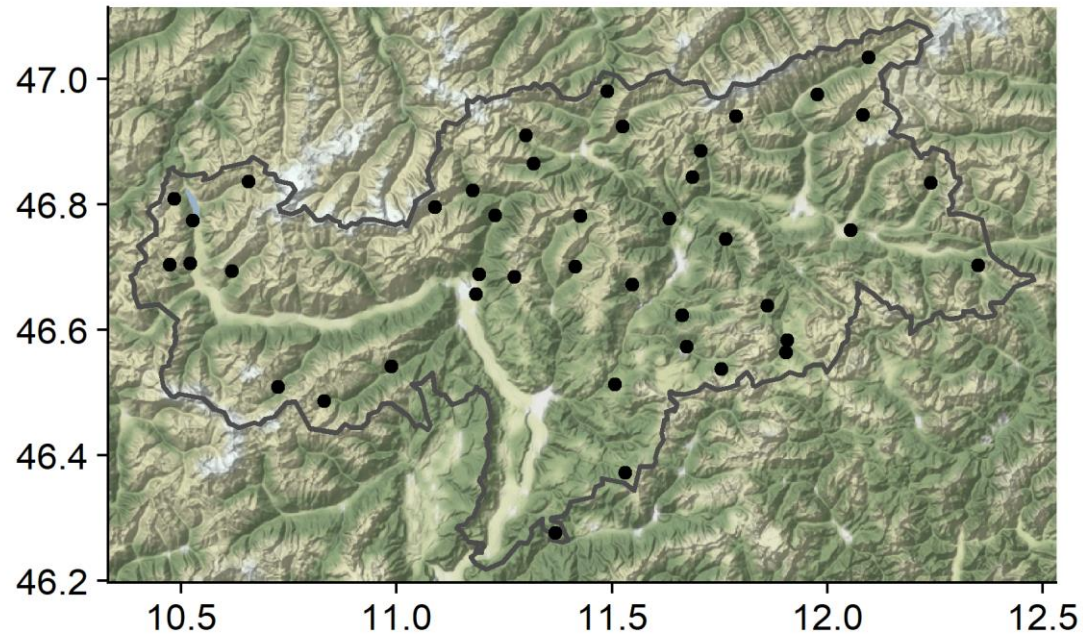
# Data

Station - years

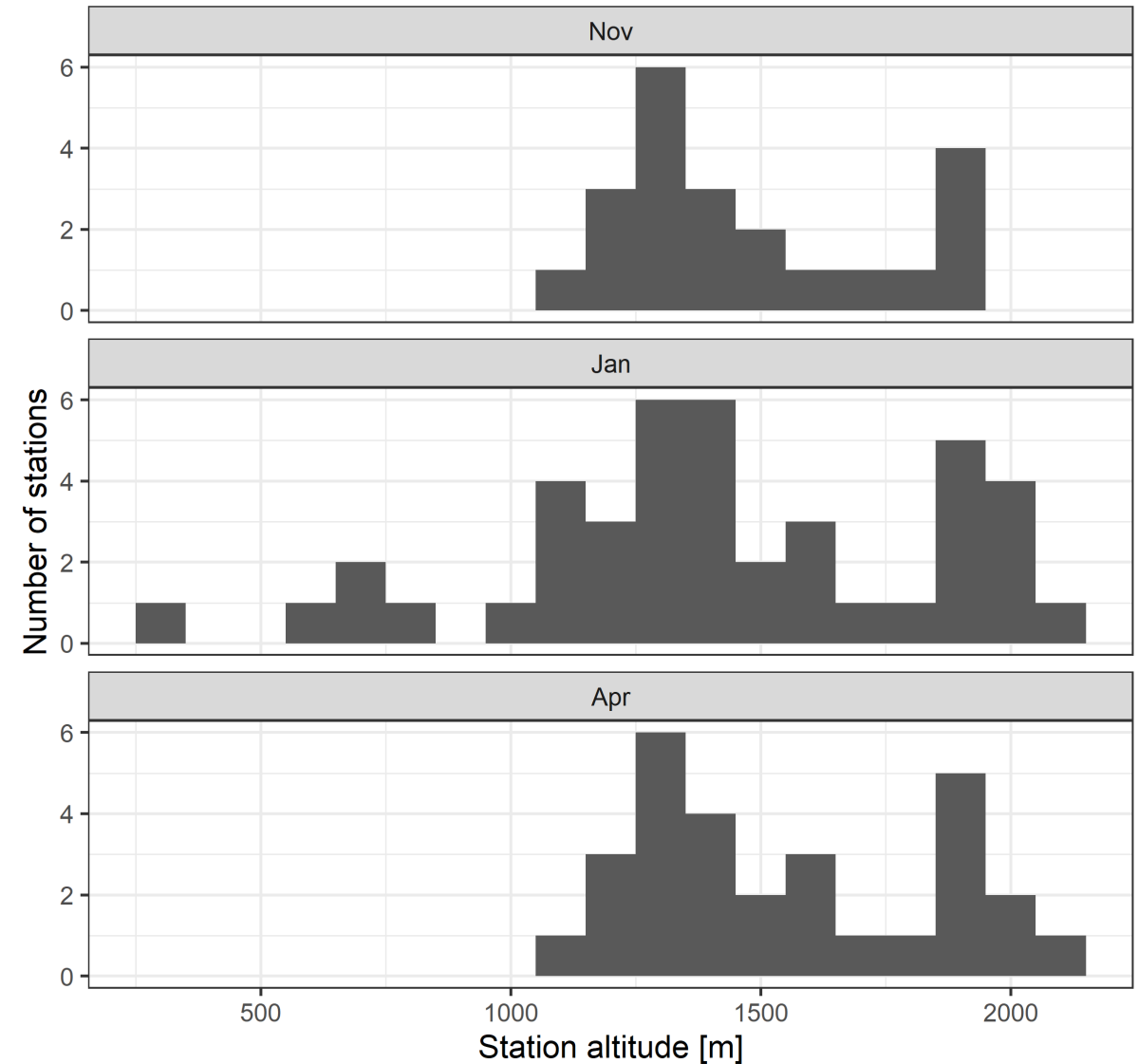




# Data



Altitudinal distribution



# Quantile Regression: Intro

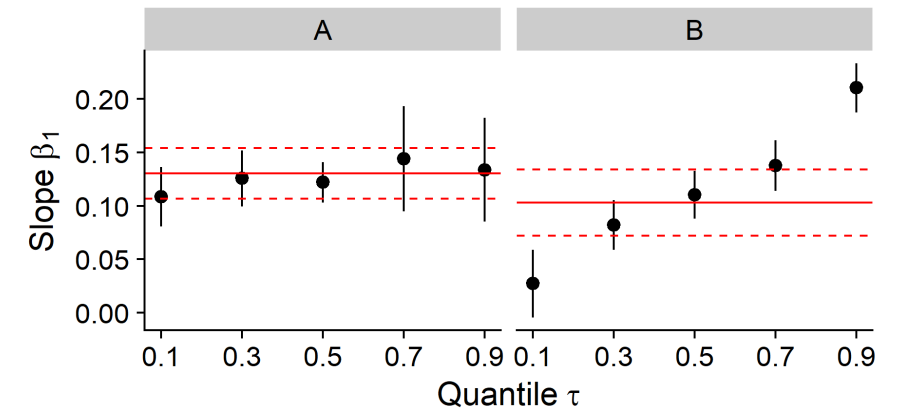
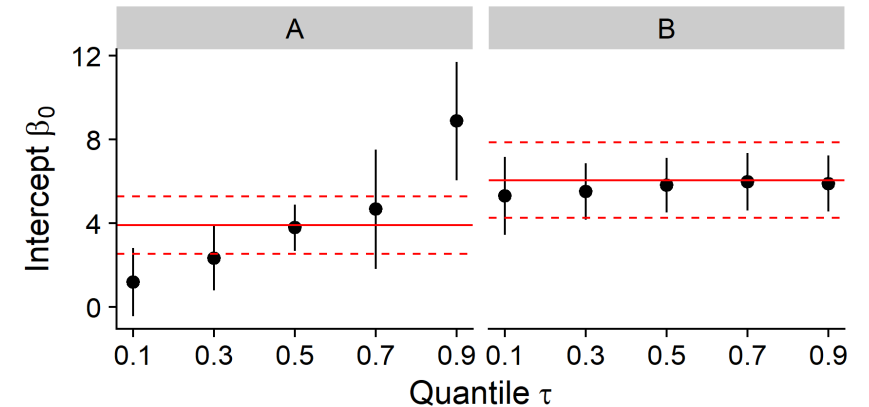
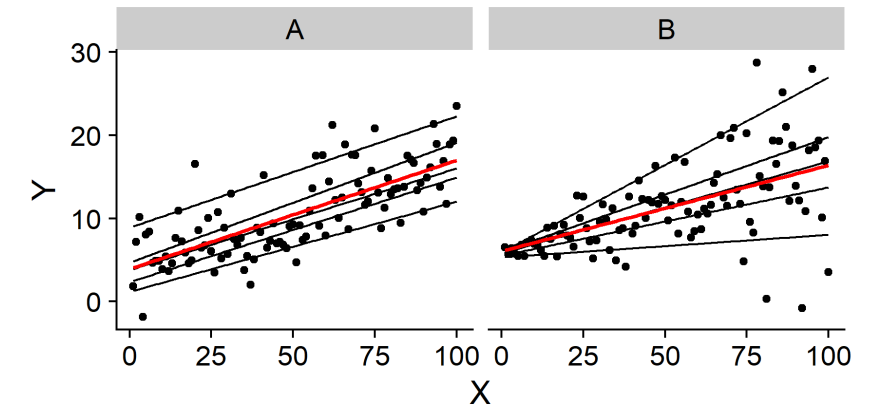
- Statistical regression technique
- Allows differing coefficients (trends) by quantile (tau) of response variable:

$$Q_y(\tau|X) = \beta_0(\tau) + \beta_1(\tau)X_1 + \beta_2(\tau)X_2 + \dots$$

compared to OLS, which models the mean:

$$E(y|X) = \beta_0 + \beta_1X_1 + \beta_2X_2 + \dots$$

- Suited for
  - Heterogenic variances
  - Modelling changes in the distribution



# Quantile Regression: Model setup

- Separate models by
  - Station
  - Month
- Covariate is season-year only  
(e.g. Sep 2013-May 2014 all have season-year 2013)
- Five quantiles:

$$\tau \in (0.1, 0.3, 0.5, 0.7, 0.9)$$

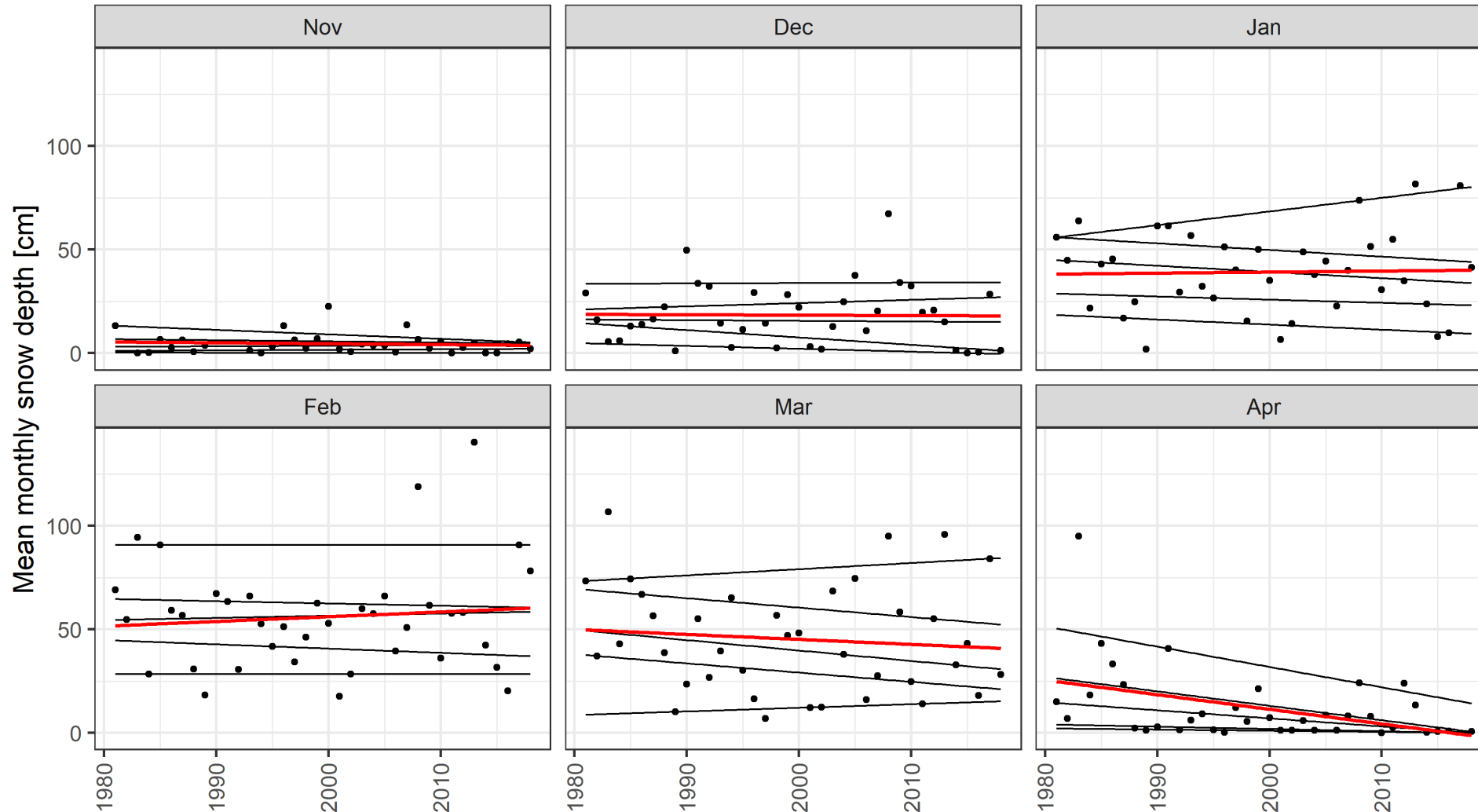
- Model formula:

$$Q_{HS_i}(\tau|X) = \beta_0(\tau) + \beta_1(\tau)seasonyear_i \quad \text{for } i \in 1, \dots, n$$



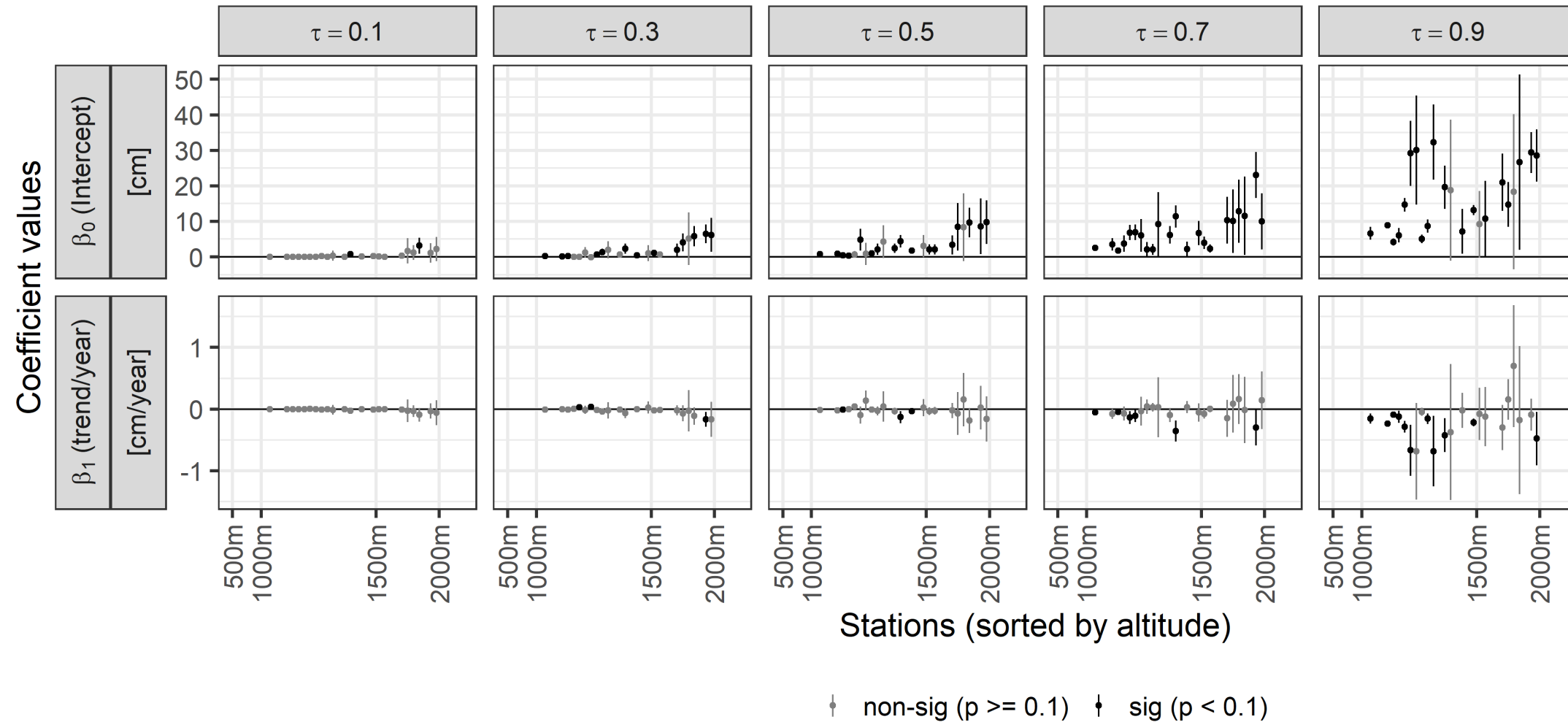
# Quantile Regression: Real data example

Pens Beobachter / Pennes Osservatore (1487m)

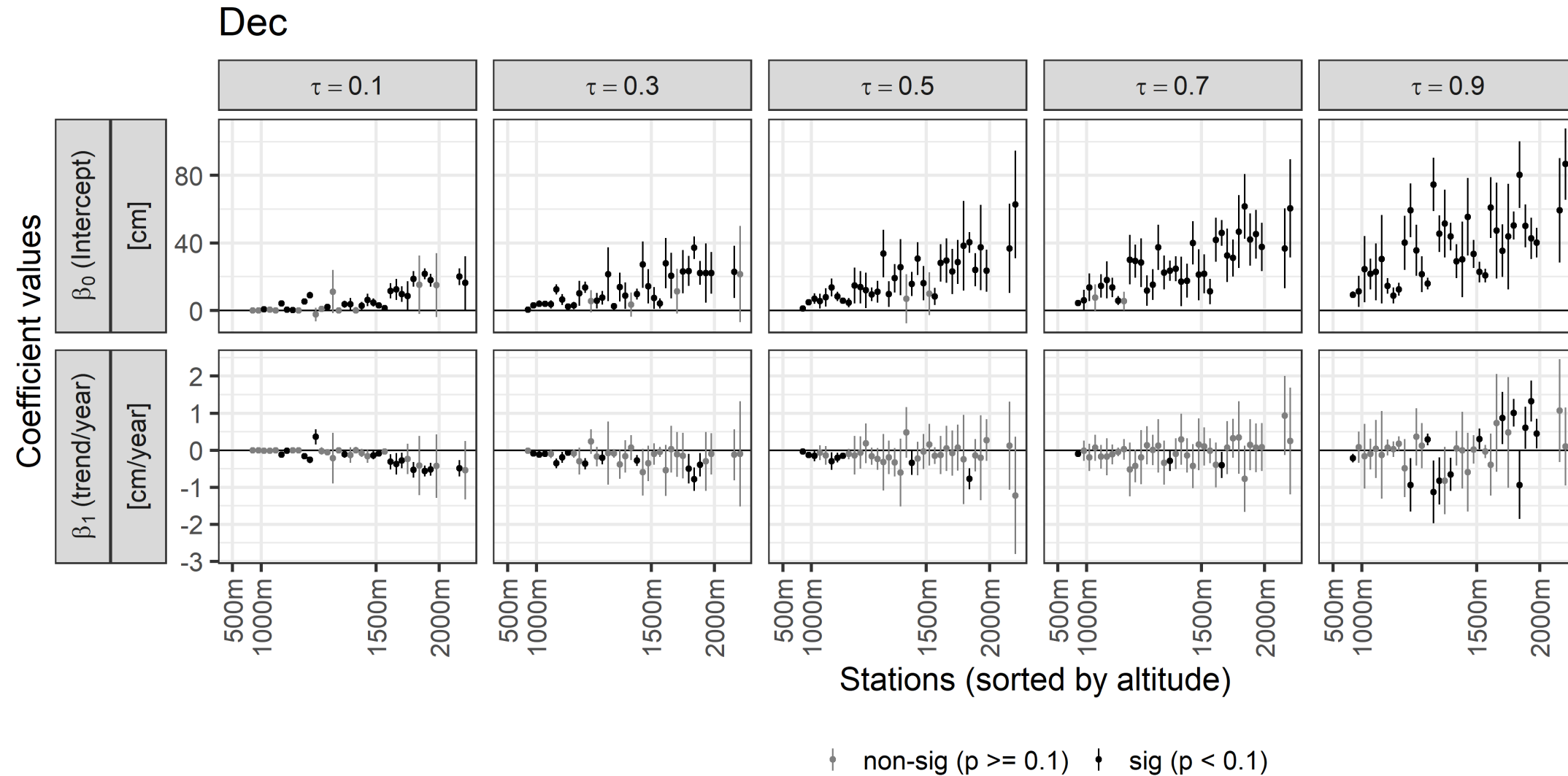


# Results

Nov

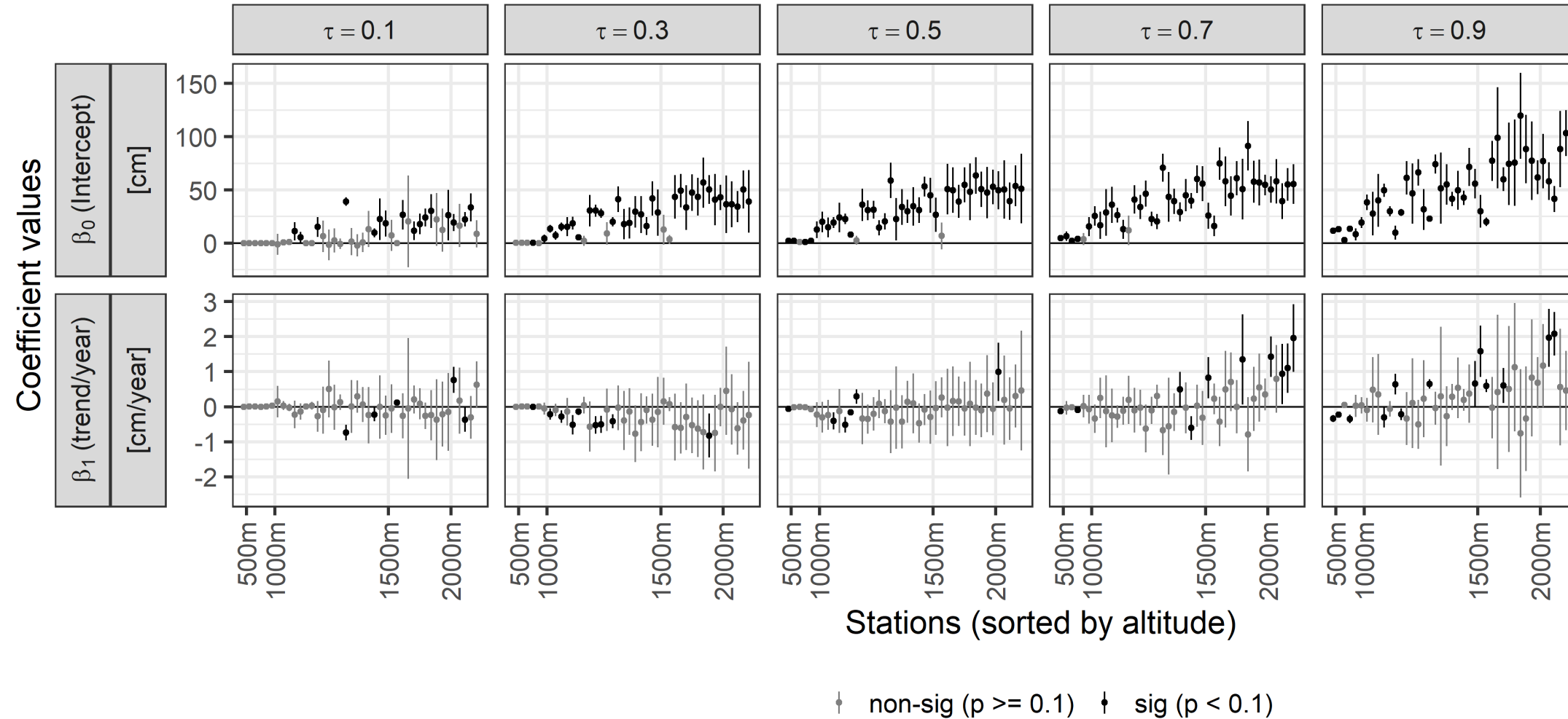


# Results



# Results

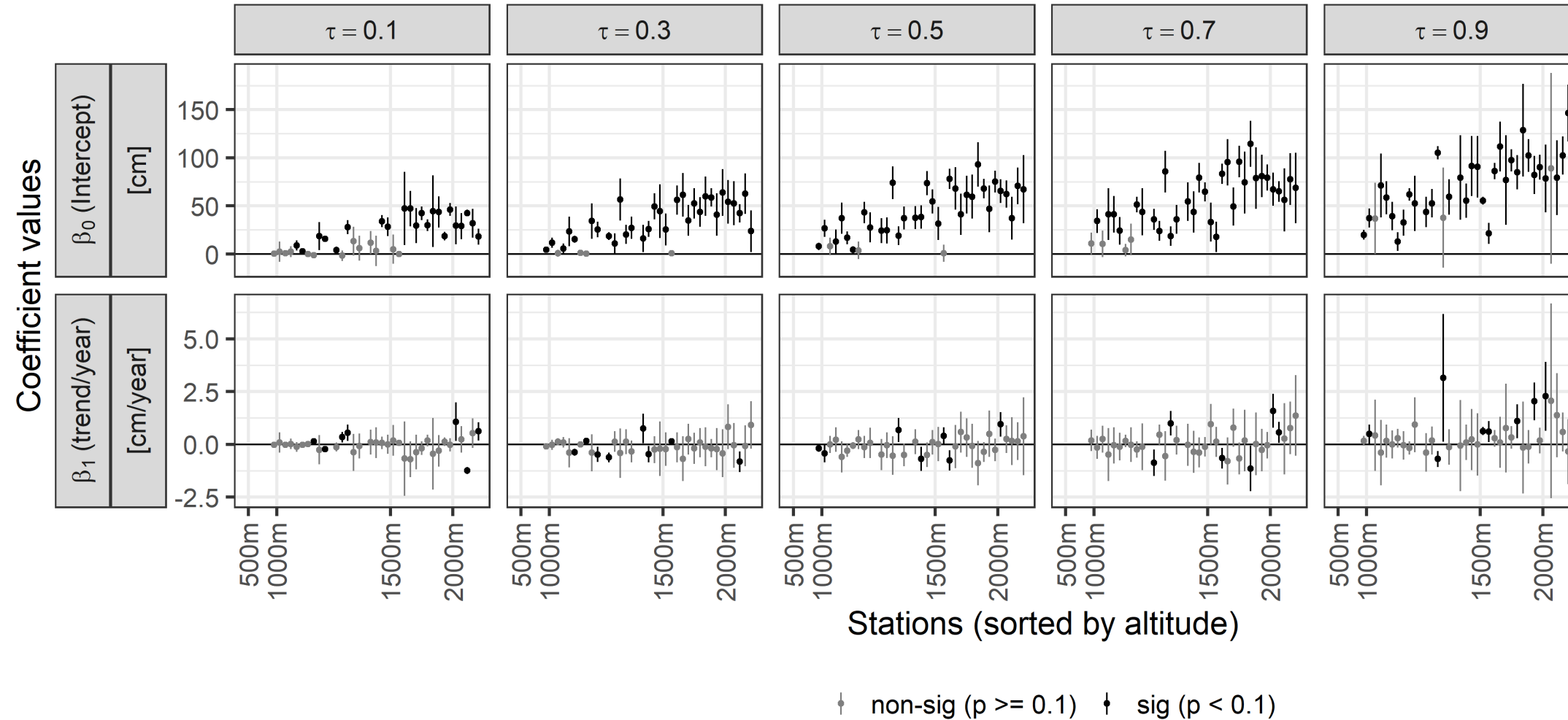
Jan





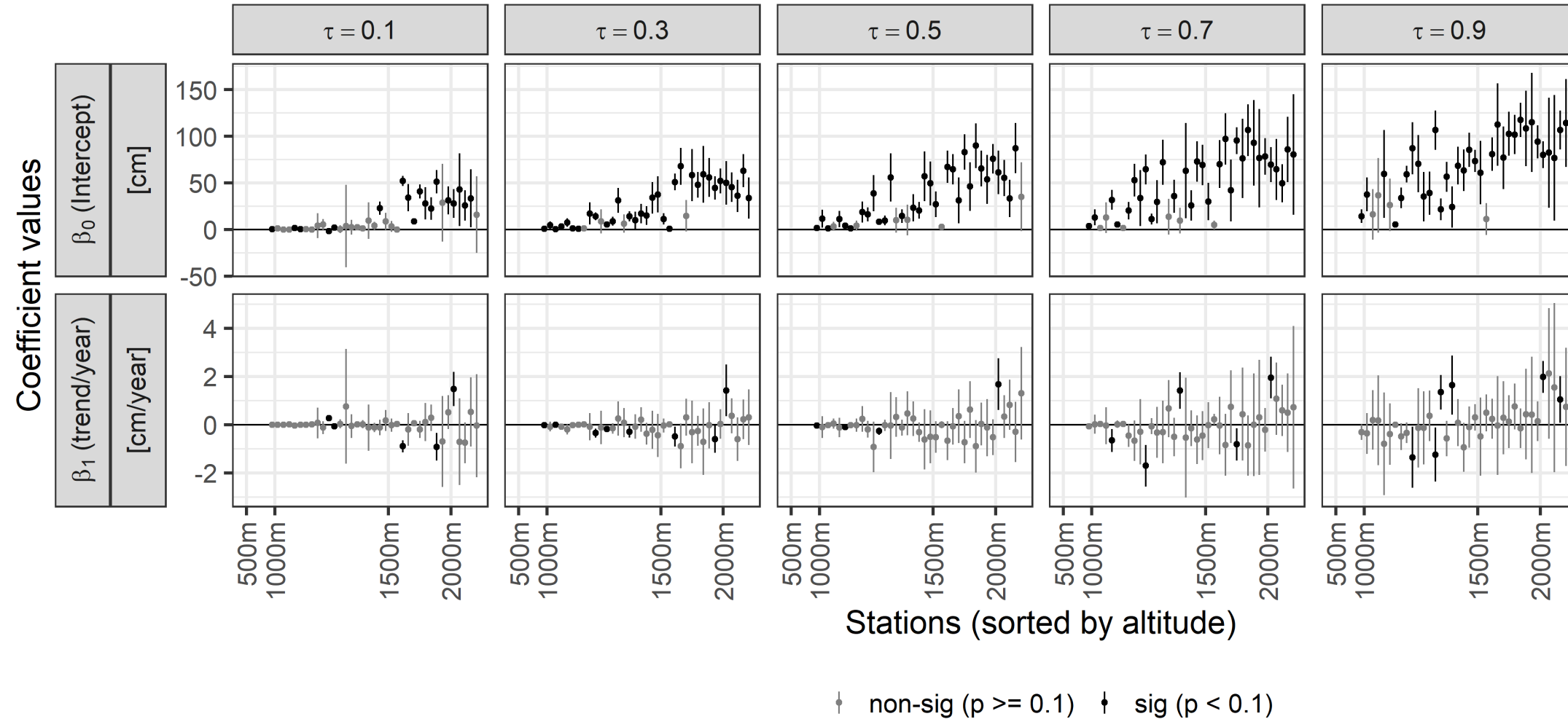
# Results

Feb



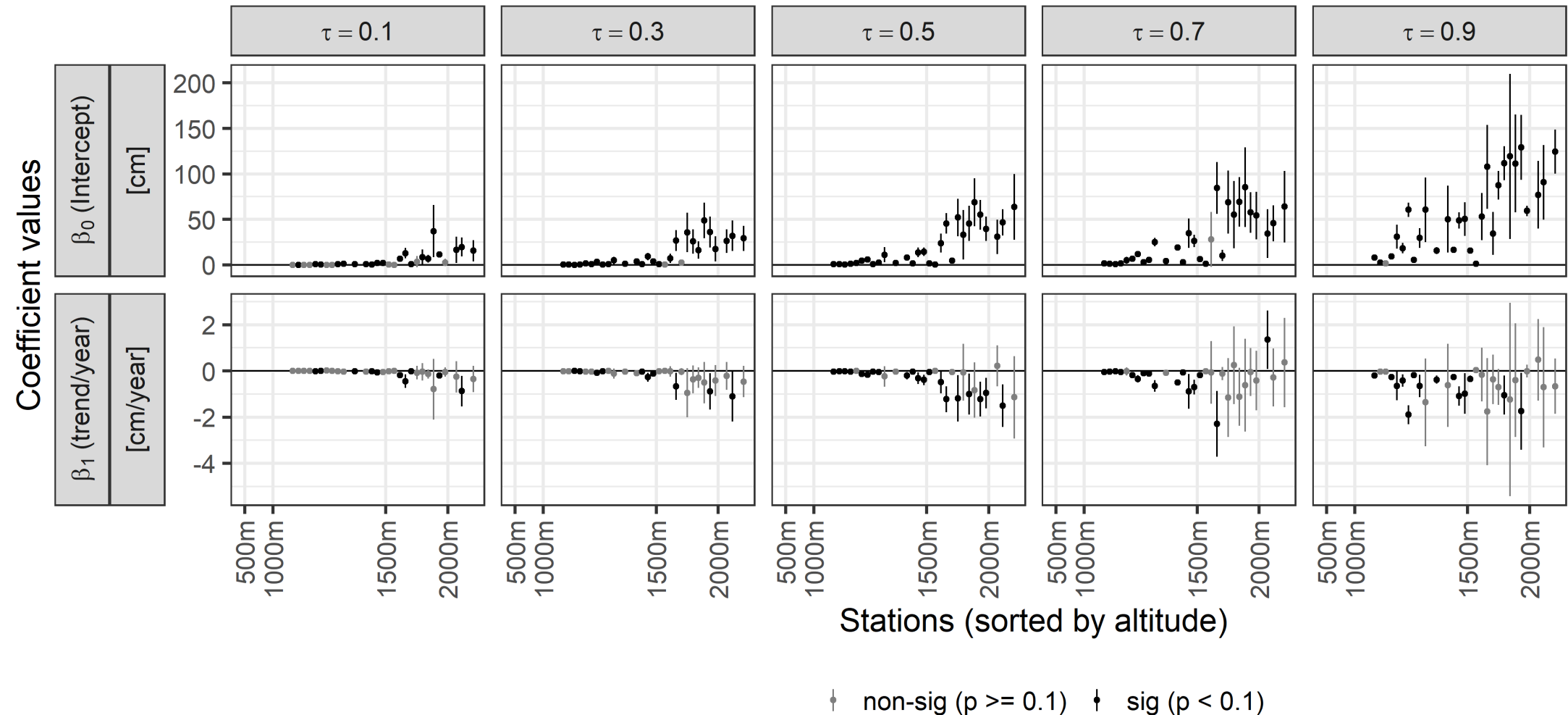
# Results

Mar



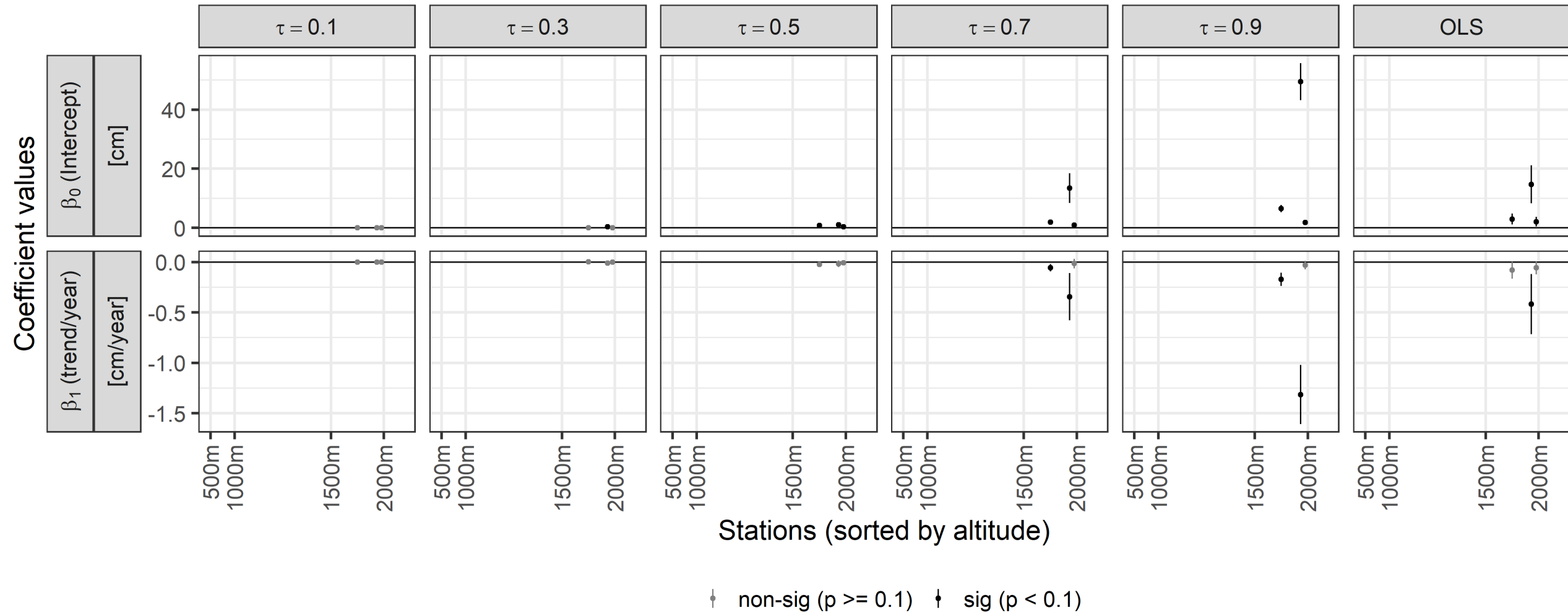
# Results

Apr



# Results

May





# Conclusion

## Results indicate

- Strongest decreases of snow depth in April-May
- Decreases in winter snow depth for low&mid-altitudes ( $< \sim 1500\text{m}$ ) (temperature dominated); with some exceptions
- Increased variability in winter for high altitudes ( $> \sim 1500\text{m}$ ) (because of increased persistence? precipitation dominated)

## Quantile regression

- Is a useful tool to quantify changes in past snow depth
- Can provide a more comprehensive view of trends compared to OLS

# Outlook

We aim to

- Collect more snow depth data (starting at least before 1990) in the alps
- Check the robustness of the trends (-> sensitivity analysis)
- With more data, also evaluate trend magnitude by latitude and longitude

We are looking for collaborators

- With local/regional expertise
- Possibly with access to historical data

# Contact

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# Data (preprocessing)

## 1. Initial QC & pre-subsetting

- Basic snow melt/accumulation thresholds
- Start year  $\leq 1990$ , end year  $\geq 2010$ , min number of years  $\geq 20$
- At least 8 years for each 15-year window

## 2. Gapfilling

- Weighted mean of up to 3 reference stations
- 21 year window \* x days around gap (until non-missing 150 values)
- At least 80% data in common and correlation  $> 0.8$

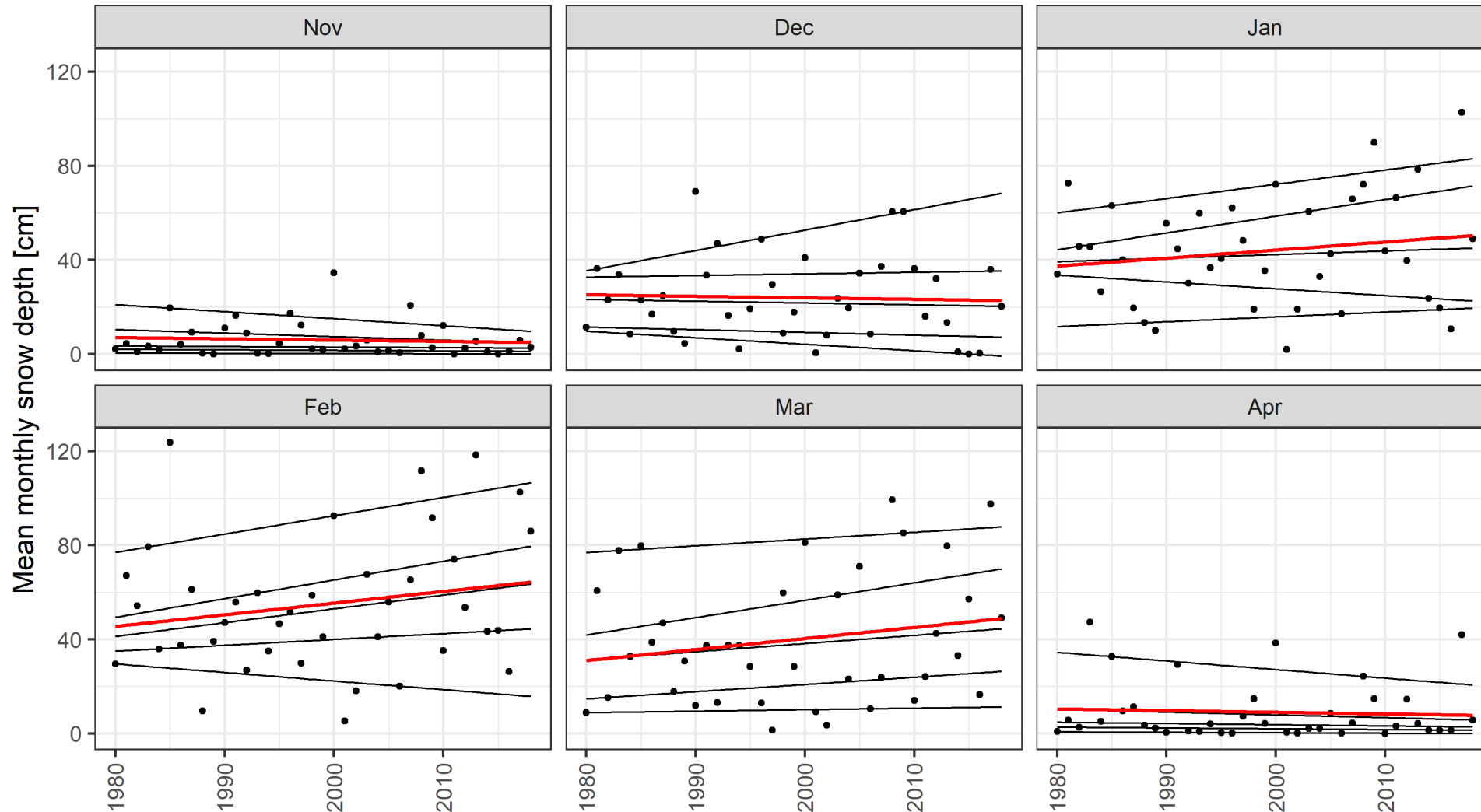
## 3. Final subsetting

- Months: September - May; minimum 90% daily values for each (-> calculate monthly averages)
- At least 6 years for each 11-year window
- At least 3 years in the first and last 5 years
- At least 9 years with non-zero monthly averages



# Quantile Regression: Real data example

Schlingig Beobachter / Slingia Osservatore (1690m)



# Quantile Regression: Real data example

Melag Beobachter / Melago Osservatore (1915m)

