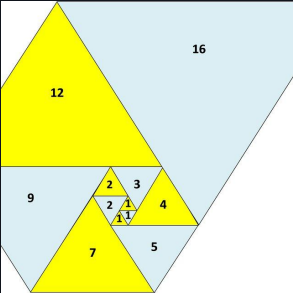


■ Lists

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## Agenda

- Recap
- Lists
- Loops
- Map



Recap

## Code recap

What can we infer from the following type annotation?

```
something : Bool -> String
```

What does this function do?

```
getIdByName : String -> Int
getIdByName name =
  case name of
    "Fernanda" -> 1
    "Miguel" -> 2
    "Juan" -> 3
    _ -> 0
```

```
getGradeById : Int -> Float
getGradeById id =
  case id of
    1 -> 9.4
    2 -> 8.7
    3 -> 9.3
    _ -> 0
```

```
getFinalGrade : String -> Float
getFinalGrade name =
  getGradeById (getIdByName name)
```

## Commands recap

Create an elm project?

- `elm init`

Start an elm repl session?

- `elm repl`

Track changes in git?

- `git add <file>`

Commit changes in git?

- `git commit -m'description'`

Push to remote repo in git?

- `git push origin main`

Verify elm code compilation?

- `elm make src/*`



## Lists

## Lists

To write more interesting functions, we have to introduce the primitive `List`

For any type `alpha`, there's a type `List alpha`, which describes an ordered collection of 0 or more elements of type `alpha`

$$[] : \text{List } \alpha$$

So we have:

- `List Int`
- `List String`
- `List List Int`

For example:

- `[1,2,3]`
- `["Fernanda", "Juan", "Luis"]`
- `[[1,2,3]]`

## Lists

A list is **two possible variants** (two possible things):

- Nil: [] an empty list of type  $\alpha$
- Cons: (::) An operator such that:

$x :: xs : \text{List } \alpha$

*if*

$x : \alpha$

*and*

$xs : \text{List } \alpha$

So we can say:

$2 :: []$

Take take 2 and put it in this list  
as the first element

$2 :: [] \cong [2]$



## Lists

In elm repl if we type `(::)` we get:

```
<function> : a -> List a -> List a
```

This is our first function with two parameters.

1. An element of type `alpha`
2. A list of type `alpha`

The output is of type `List alpha` (last arrow)

```
"Hi" :: [] : List String
```

## Lists

When we write a list:

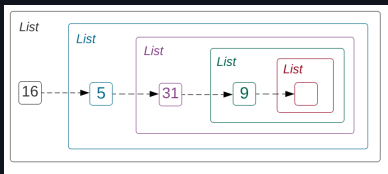
```
[16, 5, 31, 9] : List Int
```

We are actually doing this:

```
16 :: 5 :: 31 :: 9 :: [] : List Int
```

Which will be right-associative:

```
16 :: (5 :: (31 :: (9 :: []))) : List Int
```



## Lists & Cases

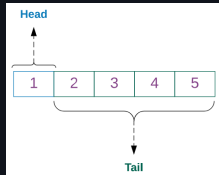
We just saw how to construct Lists, now let's learn how to deconstruct them, with cases.

Remember that cases have the notation:

```
case e1 :  $\alpha$  of
  pat1 :  $\alpha$  ->
    e2 :  $\beta$ 
  pat2 :  $\alpha$  ->
    e3 :  $\beta$ 
```

The pat stands for **pattern** which means we can **case on structures** rather than only on values:

```
case [1,2,3,4,5] of
  [] ->
    []
  x :: xs ->
    [x]
```



## List

Let's make a quick function that uses the cons operator:

```
headAdder : a -> List a -> List a
headAdder newElement list =
    newElement :: list

headAdder 1.1 [1.2, 1.3]
```

## List exercises

1. Make a function "isEmpty" that returns if a given String List is empty or not (Bool).
2. Make a function "head" that returns the first Int in a Int list of -100 if it's an empty list.



Loop



## Our old ways

Remember how in imperative contexts we have:

```
1 int x = 0;
2 for (int i = 0; i < 5; i++){
3     x = x + 1;
4 }
```

- We agreed that  $x = x + 1$  on line 3 is **no bueno** because we modify the value
- By the same principle  $i++$  ( $i = i + 1$ ) on line 2 must be gone
- Actually the whole concept of a for loop or while loop needs to be gone, so how is this done in functional programming?

## Length

Let's use our new knowledge on lists to calculate the length of a given list  
What's our type annotation?

```
length : List Int -> Int
```

We mentioned our list can be either one of two things...

```
length : List Int -> Int
length l =
  case l of
    [] ->
    x :: xs ->
```



## Length

Current progress:

```
length : List Int ->
Int
length l =
  case l of
    [] ->
    x :: xs ->
```

- If our list is empty (nil) what's the length?

```
length : List Int -> Int
length l =
  case l of
    [] -> 0
    x :: xs ->
```

## Length

Current progress:

```
length : List Int ->
Int
length l =
  case l of
    [] -> 0
    x :: xs ->
```

- If our list is not empty ( $x::xs$ ) what should we do? How does it affect our length calculation?

```
length : List Int -> Int
length l =
  case l of
    [] -> 0
    x :: xs -> 1 + ??
```

At ?? do we care about  $x$  or  $xs$ ?

We don't care about  $x$  because we already encoded its value as  $1 + \text{something}$

## Length

If we know that the list is not-empty, we add one and try to get the length of the rest of the list.

```
length : List Int -> Int
length l =
  case l of
    [] -> 0
    x :: xs -> 1 + length xs
```



## Map

Map is our first higher order function, it's one powerfull function that allows us to make a transformation to each element in our list. Let's start by analizing it's type:

```
List.map  
<function> : (a -> b) -> List a -> List b
```

How many parameters does it have?

- Answer 2:
  1. (a -> b)
  2. List a

Which type is the output?

- List b

What does the parameter (a -> b) mean?

## Map

Let's review our understanding with `(a -> b)`: If I say

```
mystery : a -> b
```

What does it mean?

It means a function with input  $a$  (alpha) and output  $b$  (beta) Previously we used both alpha and beta as placeholder for a lot of types lets consider:

```
always2 : a -> Int  
always2 x =  
    2
```

How do we apply always2?

```
always2 1  
always2 "1"  
always2 'a'  
always2 False
```

## Map

Let's track back into map.

```
List.map  
<function> : (a -> b) -> List a -> List b
```

List.map is a function that receives a function and a list and returns other list.

This is a powerfull concept, functions are values, and as such we can pass them as parameters!

This notion has been adopted by a lot of programming paradigms & languages because is quite usefull.

## Map

Let's make a simple function `a->b` with two different types.

```
cBool in =  
  case in of  
    0 ->  
      False  
  _   ->  
      True
```

What's the type annotation of this function?

```
cBool : Int -> Bool
```

Now we have a type for `a -> b` let's replace on `List.map`:

- `a => Int`
- `b => Bool`

```
List.map  
<function> : (a -> b) -> List a -> List b
```

```
List.map  
<function> : (Int -> Bool) -> List Int ->  
List Bool
```

Any idea on what `List.map` may do?



## Map

1.  $(a \rightarrow b)$  = Performs a transformation on input  $a$ 's and produces  $b$ 's
2. List  $a$  = The transformation will be applied to each element in a list

```
cBool : Int -> Bool
```

```
cBool inp =
```

```
  case inp of
```

```
    0 -> False
```

```
    _ -> True
```

```
listA : List Int
```

```
listA = [-2,-1,0,1,2]
```

```
List.map cBool listA -- => [True, True, False, True, True]
```

## Map Exercises

1. Create a function "canBuyAlcohol" that given an array of ages return True or False if is able to buy alcohol (+17)
2. Create a function "allUpperCase" that given an array of names return the same names in uppercase (String.toUpperCase)
3. Create a function "approveCourse" that given an array of grades (Float) return if it approve or not the course.