
Table of Contents

.....	1
definition	1
part a	1
part b	2
RLS algorithms	2

```
clc;
clear;
close all;
```

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definition

```
% d : desired signal
% N :length of filter
% M : length of input signal
% e : errors
% w : weights of filter
% v : noise
% l : noise amplitude
% d_t : corrupted desired signal
a=1;
b=[1,1.8,0.81];          % impulse response
inputs=randn(1,100);
d=filter(b,a,inputs);
M=length(inputs);
```

part a

```
l = 1;
N = 4;

v = randn(1,100);
d_t=d+l*v;

% N=4 and

[w,~]=RLS(inputs,d_t,N,M);
disp("weights for N=4 and l=1 :");
disp(w');

%N=5 and
N=5;

[w,~]=RLS(inputs,d_t,N,M);
disp("weights for N=5 and l=1 :");
```

```

disp(w');
disp(" The LMS is more quicker than RLS algorithm but the error in RLS is much
    better than LMS ");

```

part b

```

l = 0.1;
N = 4;

v = randn(1,100);
d_t=d+l*v;

% M=4 and l=0.1

[w,~]=RLS(inputs,d_t,N,M);
disp("weights for N=4 and l=0.1 :");
disp(w');

%N=5 and l=0.1
N=5;

[w,~]=RLS(inputs,d_t,N,M);
disp("weights N=5 and l=0.1 :");
disp(w');

disp(' in the best practice noise of desired signal not eliminate and if noise
    amplitude is lower, the output of system is more accurate ')

```

RLS algorithms

```

function[w,cost,J_min,J_inf]=RLS(inputs,d,N,M)
% z : error
% N :length of filter
% M : length of input signal

z=zeros(1,M-N+1);
w=zeros(1,N);
lambda=0.6;
delta= 1e-10;

p=delta*eye(N);

for i=N:M-1
    u=inputs(i:-1:i-N+1);
    y=dot(w,u);
    z(i-N+1)=d(i)-y;
    k=(p*u')/(lambda+u*p*u');
    w=w+k'*conj(z(i-N+1));
    p=(p -k*conj(u)*p)/lambda;

end
cost=z.^2;

```

```
J_min=min(z);  
J_inf=sum(z(M-N-19:M-N))/20;  
  
end
```

```
weights for N=4 and l=1 :  
    0.6941  
    2.0778  
   -0.3311  
   -0.1451
```

```
weights for N=5 and l=1 :  
    0.5566  
    1.9743  
   -0.8008  
   -0.6804  
   -0.7823
```

The LMS is more quicker than RLS algorithm but the error in RLS is much better than LMS

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