References: Chapter 17 of Geron's book. For 1-Dim plots, Keras tutorial:

https://www.tensorflow.org/tutorials/generative/autoencoder

This file trains a VAE with the instances of the normal digits in the training data.

Then, it measures the reconstruction loss for the digits in the test data.

The reconstruction loss for the instances of the abnormal digits in the test data is higher.

A threshold is determined based on the distribution of the reconstruction losses of the normal training data (threshold = mean + 2.5\*std of this distribution).

Then, if the reconstruction loss of a digit in the test data is higher than this threshold, it is classified as abnormal.

By comparing with the known labels of test data (with T for normal digit(s) and F for abnormal digit(s)), the confusion matrix and the accuracy is calculated.

```
import sklearn
import tensorflow as tf
from tensorflow import keras
import numpy as np

import matplotlib as mpl
import matplotlib.pyplot as plt
mpl.rc('axes', labelsize=14)
mpl.rc('xtick', labelsize=12)
mpl.rc('ytick', labelsize=12)

from sklearn.metrics import accuracy_score, precision_score, recall_score, confusion_matrix
from sklearn.model_selection import train_test_split
```

# Loading the MNIST data and forming arrays of the normal training data, the validation data (normal and abnormal) and the test data (normal and abnormal)

```
# 0 T-shirt/top
# 1 Trouser
# 2 Pullover
# 3 Dress
# 4 Coat
# 5 Sandal
# 6 Shirt
# 7 Sneaker
# 8 Bag
# 9 Ankle boot

nl1 = 6
nl2 = 6
```

#Labels

```
abn1 = 7
abn2 = 7
(x_train_0, y_train_0), (x_test, y_test) = keras.datasets.fashion_mnist.load_data()
x_train_0 = x_train_0.astype(np.float32) / 255
x_{test} = x_{test.astype}(np.float32) / 255
train_size = x_train_0.shape[0] * 9 // 10
x_train, x_valid, y_train, y_valid = train_test_split(x_train_0, y_train_0, train_size = train_size)
normal_data = x_train[(y_train == nl1) | (y_train == nl2)]
                                                                 # Normal training data (Normal digits
normal_labels = y_train[(y_train == nl1) | (y_train == nl2)]
valid_data = x_valid[(y_valid == abn1) | (y_valid == abn2) | (y_valid == nl1) | (y_valid == nl2)]
valid_labels = y_valid[(y_valid == abn1) | (y_valid == abn2) | (y_valid == nl1) | (y_valid == nl2)]
test_data = x_test[(y_test == abn1) | (y_test == abn2) | (y_test == nl1) | (y_test == nl2)]
                                                                                              # Test d
test_labels = y_test[(y_test == abn1) | (y_test == abn2) | (y_test == nl1) | (y_test == nl2)]
test_labels_T_F = np.where((test_labels == nl1) | (test_labels == nl2), True, False)
# Array of T and F, T where test digits are normal and F where test digits are abnormal
valid_labels_T_F = np.where((valid_labels == nl1) | (valid_labels == nl2), True, False)
# Array of T and F, T where test digits are normal and F where test digits are abnormal
     Downloading data from <a href="https://storage.googleapis.com/tensorflow/tf-keras-datasets/train-labels-id">https://storage.googleapis.com/tensorflow/tf-keras-datasets/train-labels-id</a>:
     Downloading data from <a href="https://storage.googleapis.com/tensorflow/tf-keras-datasets/train-images-id">https://storage.googleapis.com/tensorflow/tf-keras-datasets/train-images-id</a>;
     26435584/26421880 [===========] - 1s Ous/step
     Downloading data from <a href="https://storage.googleapis.com/tensorflow/tf-keras-datasets/t10k-labels-idx">https://storage.googleapis.com/tensorflow/tf-keras-datasets/t10k-labels-idx</a>
     Downloading data from <a href="https://storage.googleapis.com/tensorflow/tf-keras-datasets/t10k-images-idx">https://storage.googleapis.com/tensorflow/tf-keras-datasets/t10k-images-idx</a>
     4431872/4422102 [=============== ] - 0s Ous/step
normal_data.shape, normal_labels.shape, valid_data.shape, valid_labels.shape, test_data.shape, test_lab
     ((5383, 28, 28), (5383,), (1222, 28, 28), (1222,), (2000, 28, 28), (2000,))
normal_test_data = test_data[(test_labels == nl1) | (test_labels == nl2)]
                                                                                    # The normal digit
abnormal_test_data = test_data[(test_labels == abn1) | (test_labels == abn2)]
                                                                                    # The abnormal dig
normal_test_labels = test_labels[(test_labels == nl1) | (test_labels == nl2)]
                                                                                    # Their labels
abnormal_test_labels = test_labels[(test_labels == abn1) | (test_labels == abn2)]
                                                                                    # Their labels
normal_test_data.shape, abnormal_test_data.shape
     ((1000, 28, 28), (1000, 28, 28))
normal_valid_data = valid_data[(valid_labels == nl1) | (valid_labels == nl2)]
                                                                                        # The normal d
```

```
abnormal_valid_data = valid_data[(valid_labels == abn1) | (valid_labels == abn2)]  # The abnormal normal_valid_labels = valid_labels[(valid_labels == nl1) | (valid_labels == nl2)]  # Their labels abnormal_valid_labels = valid_labels[(valid_labels == abn1) | (valid_labels == abn1)]  # Their labels normal_valid_data.shape, abnormal_valid_data.shape
```

## Building and training the network

((617, 28, 28), (605, 28, 28))

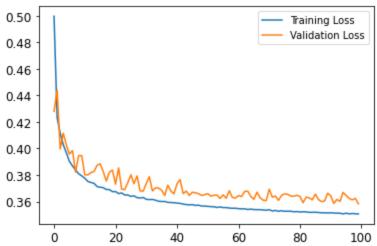
```
K = keras.backend
# def rounded_accuracy(y_true, y_pred):
  # return keras.metrics.binary_accuracy(tf.round(y_true), tf.round(y_pred))
# For details please see Geron's book. Uses the reparametrization trick to do stochastic
# sampling from the MVN distribution, while allowing the 2 parallel layers containing the
# means and stds of the MVN distribution for each dimension to be trained via
# backpropogation of the error signal.
class Sampling(keras.layers.Layer):
    def call(self, inputs):
        mean, log_var = inputs
        return K.random_normal(tf.shape(log_var)) * K.exp(log_var / 2) + mean
# For details please see Geron's book.
codings_size = 16  # The number of dimensions of the MVN distribution in the sampling layer
inputs = keras.layers.Input(shape=[28, 28])
z = keras.layers.Flatten()(inputs)
z = keras.layers.Dense(256, activation="selu")(z)
z = keras.layers.Dense(128, activation="selu")(z)
z = keras.layers.Dense(64, activation="selu")(z)
# Parallel layers at the end of the encoder for means
# and standard deviations of the Multivariate Normal (MVN) distribution
# in the dimensions of the coding size (here 32).
codings_mean = keras.layers.Dense(codings_size)(z)
codings_log_var = keras.layers.Dense(codings_size)(z)
# Sampling layer at the end of the encoder
codings = Sampling()([codings_mean, codings_log_var])
variational_encoder = keras.models.Model(
    inputs=[inputs], outputs=[codings_mean, codings_log_var, codings])
decoder_inputs = keras.layers.Input(shape=[codings_size])
x = keras.layers.Dense(64, activation="selu")(decoder_inputs)
x = keras.layers.Dense(128, activation="selu")(x)
x = keras.layers.Dense(256, activation="selu")(x)
x = keras.layers.Dense(28 * 28, activation="sigmoid")(x)
outputs = keras.layers.Reshape([28, 28])(x)
variational_decoder = keras.models.Model(inputs=[decoder_inputs], outputs=[outputs])
```

```
_, _, codings = variational_encoder(inputs)
reconstructions = variational_decoder(codings)
variational_ae = keras.models.Model(inputs=[inputs], outputs=[reconstructions])
# The latent loss function
\# latent_loss = -0.5 * K.sum(
   1 + codings_log_var - K.exp(codings_log_var) - K.square(codings_mean),
   axis=-1)
# Add the latent loss to the reconstruction loss
# variational_ae.add_loss(K.mean(latent_loss) / 784.)
# For the reconstruction loss binary cross-entropy loss is used.
# For details please see Chapter 17 of Geron's book (Stacked AE and VAE sections)
variational_ae.compile(loss="binary_crossentropy", optimizer="rmsprop")
checkpoint_cb = keras.callbacks.ModelCheckpoint("wo_latent_VAE_model", monitor="val_loss", save_best_on
history = variational_ae.fit(normal_data, normal_data, epochs=100, batch_size=128, callbacks=[checkpoin
                  validation_data=(normal_valid_data, normal_valid_data), shuffle=True)
   LPUCII /2/100
   Epoch 73/100
   43/43 [=============== ] - 0s 9ms/step - loss: 0.3533 - val_loss: 0.3642
   Epoch 74/100
   43/43 [=============== ] - 0s 9ms/step - loss: 0.3527 - val_loss: 0.3609
   Epoch 75/100
   43/43 [=============== ] - 0s 8ms/step - loss: 0.3531 - val_loss: 0.3647
   Epoch 76/100
   Epoch 77/100
   Epoch 78/100
   Epoch 79/100
   Epoch 80/100
   Epoch 81/100
   43/43 [=============== ] - 0s 9ms/step - loss: 0.3522 - val_loss: 0.3638
   Epoch 82/100
   40/43 [===================>...] - ETA: 0s - loss: 0.3523INFO:tensorflow:Assets written t
   Epoch 83/100
   Epoch 84/100
   43/43 [=============== ] - 0s 9ms/step - loss: 0.3518 - val_loss: 0.3627
   Epoch 85/100
   Epoch 86/100
   43/43 [=============== ] - 0s 9ms/step - loss: 0.3519 - val_loss: 0.3656
   Epoch 87/100
   43/43 [=============== ] - 0s 9ms/step - loss: 0.3518 - val_loss: 0.3615
   Epoch 88/100
   43/43 [=============== ] - 0s 9ms/step - loss: 0.3515 - val_loss: 0.3600
   Epoch 89/100
```

```
Epoch 90/100
43/43 [================ ] - 0s 8ms/step - loss: 0.3514 - val_loss: 0.3663
Epoch 91/100
43/43 [=============== ] - 0s 9ms/step - loss: 0.3515 - val_loss: 0.3644
Epoch 92/100
43/43 [=============== ] - ETA: 0s - loss: 0.3513INFO:tensorflow:Assets written t
Epoch 93/100
43/43 [================= ] - 0s 8ms/step - loss: 0.3512 - val_loss: 0.3616
Epoch 94/100
43/43 [=============== ] - 0s 8ms/step - loss: 0.3512 - val_loss: 0.3601
Epoch 95/100
43/43 [============== ] - 0s 8ms/step - loss: 0.3507 - val loss: 0.3669
Epoch 96/100
43/43 [=============== ] - 0s 9ms/step - loss: 0.3512 - val_loss: 0.3646
Epoch 97/100
Epoch 98/100
Epoch 99/100
2/42 F
```

```
plt.plot(history.history["loss"], label="Training Loss")
plt.plot(history.history["val_loss"], label="Validation Loss")
plt.legend()
```

#### <matplotlib.legend.Legend at 0x7f4e2abcd510>



model = variational\_ae
model.summary(expand\_nested=True, show\_trainable=True)

Model: "model\_2"

Layer (type)	Output Shape	Param #	Trainable
input_1 (InputLayer)	[(None, 28, 28)]	0	Υ
model (Functional)	[(None, 16), (None, 16), (None, 16)]	244192	Υ
   input_1 (InputLayer) 	[(None, 28, 28)]	0	Y

	(None, 784)	0	Υ	
dense (Dense)	(None, 256)	200960	Υ	
dense_1 (Dense)	(None, 128)	32896	Υ	
dense_2 (Dense)	(None, 64)	8256	Υ	
dense_3 (Dense)	(None, 16)	1040	Υ	
dense_4 (Dense)	(None, 16)	1040	Υ	
   sampling (Sampling)	(None, 16)	0	Υ	
model_1 (Functional)	(None, 28, 28)	243920	Υ	
   input_2 (InputLayer)	[(None, 16)]	0	Υ	
dense_5 (Dense)	(None, 64)	1088	Υ	
dense_6 (Dense)	(None, 128)	8320	Υ	
dense_6 (Dense) dense_7 (Dense)	(None, 128) (None, 256)	8320 33024	Y Y	
dense_7 (Dense) dense_8 (Dense)	(None, 256)	33024	Υ	

Total params: 488,112 Trainable params: 488,112 Non-trainable params: 0

```
model_encoder = variational_encoder
# model_encoder.summary(expand_nested=True, show_trainable=True)
model_decoder = variational_decoder
# model_decoder.summary(expand_nested=True, show_trainable=True)
model_layers = np.array(model.layers)
n_layers = model_layers.shape[0]
# np.concatenate((np.arange(n_layers).reshape(n_layers,1), model_layers.reshape(n_layers,1)), axis = 1)
```

The original and reconstructed images for the first 30 instances of the normal training ▼ data, validation data, normal validation data, abnormal validation data, test data, normal test data, and abnormal test data

```
def plot_image(image):
    plt.imshow(image, cmap="binary")
    plt.axis("off")
```

```
def show_reconstructions(model, images, n_images=5):
    reconstructions = model.predict(images[:n_images])
    fig = plt.figure(figsize=(n_images * 1.5, 3))
    for image_index in range(n_images):
        plt.subplot(2, n_images, 1 + image_index)
        plot_image(images[image_index])
        plt.subplot(2, n_images, 1 + n_images + image_index)
        plot_image(reconstructions[image_index])
```

show\_reconstructions(variational\_ae, normal\_data, 30)
plt.show()



show\_reconstructions(variational\_ae, valid\_data, 30)
plt.show()



show\_reconstructions(variational\_ae, normal\_valid\_data, 30)
plt.show()



show\_reconstructions(variational\_ae, abnormal\_valid\_data, 30)
plt.show()



show\_reconstructions(variational\_ae, test\_data, 30)
plt.show()



show\_reconstructions(variational\_ae, normal\_test\_data, 30)
plt.show()



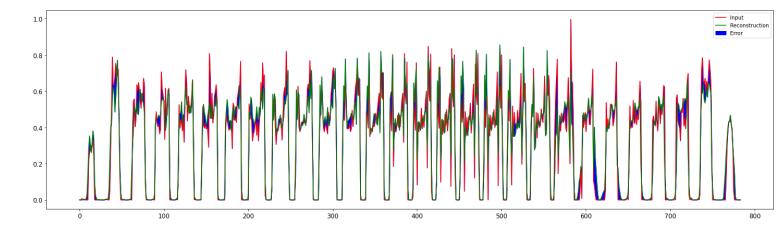
show\_reconstructions(variational\_ae, abnormal\_test\_data, 30)
plt.show()



#### 1-Dim plot of pixels of the first normal test data

```
reconstructions_nl_test = variational_ae.predict(normal_test_data)

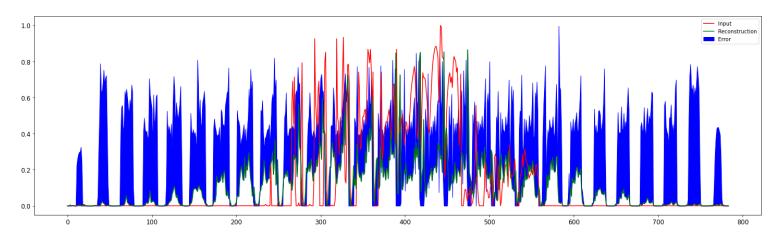
plt.figure(figsize=(25,7))
plt.plot(normal_test_data[0].ravel(), 'r')
plt.plot(reconstructions_nl_test[0].ravel(), 'g')
plt.fill_between(np.arange(28*28), reconstructions_nl_test[0].ravel(), normal_test_data[0].ravel(), col
plt.legend(labels=["Input", "Reconstruction", "Error"])
plt.show()
```



## 1-Dim plot of pixels of the first abnormal test data

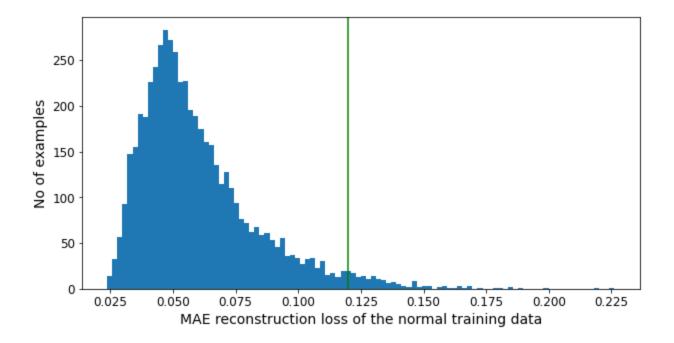
```
reconstructions_abn_test = variational_ae.predict(abnormal_test_data)

plt.figure(figsize=(25,7))
plt.plot(abnormal_test_data[0].ravel(), 'r')
plt.plot(reconstructions_abn_test[0].ravel(), 'g')
plt.fill_between(np.arange(28*28), reconstructions_abn_test[0].ravel(), normal_test_data[0].ravel(), coplt.legend(labels=["Input", "Reconstruction", "Error"])
plt.show()
```



**▼** Distributions of the reconstruction losses and the calculation of the threshold.

```
reconstructions = variational_ae.predict(normal_data)
train_loss = tf.keras.losses.mae(reconstructions.reshape(-1, 784), normal_data.reshape(-1, 784))
plt.figure(figsize=(10,5))
plt.hist(train_loss[None,:], bins=100)
threshold1 = np.mean(train_loss) + 2.5*np.std(train_loss)
plt.axvline(threshold1,c='g')
plt.xlabel("MAE reconstruction loss of the normal training data")
plt.ylabel("No of examples")
plt.show()
```



```
print("Mean: ", np.mean(train_loss))
print("Std: ", np.std(train_loss))
```

Mean: 0.060375232 Std: 0.023860663

```
threshold_train_mean_2_5_std = np.mean(train_loss) + 2.5*np.std(train_loss)
print("Threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the mean of the training data MAE reconstruction losses + 2.5 std: ", threshold based on the mean of the
```

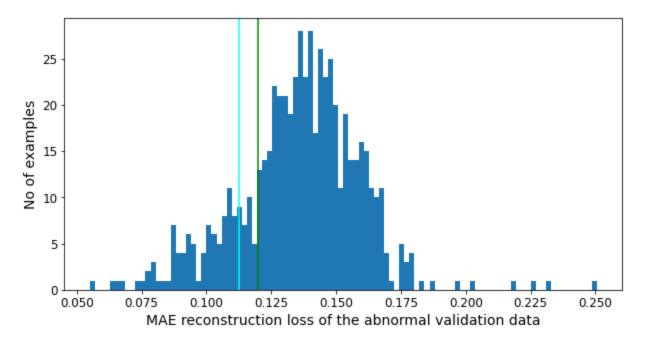
Threshold based on the mean of the training data MAE reconstruction losses + 2.5 std: 0.12002689

```
threshold1 = threshold_train_mean_2_5_std
```

#### Distribution of the reconstruction losses of the abnormal validation data

```
reconstructions = variational_ae.predict(abnormal_valid_data)
abn_valid_loss = tf.keras.losses.mae(reconstructions.reshape(-1,784), abnormal_valid_data.reshape(-1,784)
plt.figure(figsize=(10,5))
plt.hist(abn_valid_loss[None, :], bins=100)
threshold2 = np.mean(abn_valid_loss) - np.std(abn_valid_loss)
plt.axvline(threshold2,c='cyan')
plt.axvline(threshold1,c='g')
```

```
plt.xlabel("MAE reconstruction loss of the abnormal validation data")
plt.ylabel("No of examples")
plt.show()
```



#### Distribution of the reconstruction losses of the normal validation data

```
reconstructions = variational_ae.predict(normal_valid_data)
nl_valid_loss = tf.keras.losses.mae(reconstructions.reshape(-1,784), normal_valid_data.reshape(-1,784))
plt.figure(figsize=(10,5))
plt.hist(nl_valid_loss[None, :], bins=100)
threshold3 = np.mean(nl_valid_loss) + np.std(nl_valid_loss)
plt.axvline(threshold3, c='magenta')
plt.axvline(threshold2, c='cyan')
plt.axvline(threshold1, c='g')
plt.xlabel("MAE reconstruction loss of the normal validation data")
plt.ylabel("No of examples")
plt.show()
```

```
25
      No of examples
         20
         15
        10
          5
normal_valid_mean_loss = np.mean(nl_valid_loss)
                       0.050
                                  0.075
                                                        0.125
                                                                   0.150
                                                                             0.175
                                                                                        0.200
normal_valid_mean_loss , np.std(nl_valid_loss)
     (0.06431188, 0.026296)
threshold3 = normal_valid_mean_loss + np.std(nl_valid_loss)
print("Threshold3: ", threshold3)
     Threshold3: 0.09060788
```

Calculation of a preliminary threshold based on (threshold2 + threshold3) / 2 = Average of (mean + std of the distribution of the reconstruction losses of the normal validation data) and (mean - std of the distribution of the reconstruction losses of the abnormal validation data)

```
Avg_of_threshold_2_3 = (threshold2 + threshold3)/2
print("Average of threshold 2 and 3: ", Avg_of_threshold_2_3)
    Average of threshold 2 and 3: 0.10153123736381531
threshold4 = Avg_of_threshold_2_3
```

Calculation of the threshold that gives the best accuracy on the validation data and set this as the threshold.

```
def predict(model, data, threshold):
    reconstructions = model.predict(data)
    loss = tf.keras.losses.mae(reconstructions.reshape(-1, 784), data.reshape(-1, 784))
    return tf.math.less(loss, threshold)

increment = (abnormal_valid_mean_loss- normal_valid_mean_loss)/100
thresholds = np.arange(normal_valid_mean_loss, abnormal_valid_mean_loss, increment)
thrs_size = thresholds.shape[0]
```

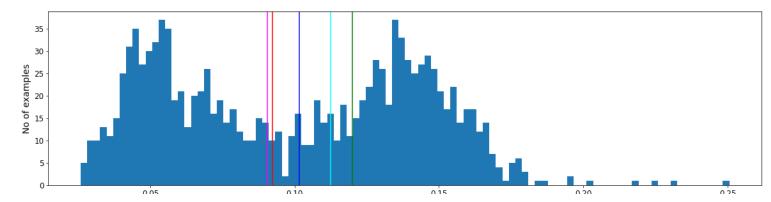
```
accuracies = np.zeros(thrs_size)
for i in range(thrs_size):
  preds = predict(variational_ae, valid_data, thresholds[i])
  accuracies[i] = accuracy_score(preds, valid_labels_T_F)
argmax = np.argmax(accuracies)
valid_data_best_threshold = thresholds[argmax]
print("The best threshold based on validation data: ", valid_data_best_threshold)
     The best threshold based on validation data: 0.09225660249590893
thr_acc = np.zeros((thrs_size, 2))
thr_acc[:, 0] = thresholds
thr_acc[:, 1] = accuracies
thr_acc[argmax-2:argmax+3]
     array([[0.09082354, 0.91080196],
            [0.09154007, 0.91243863],
            [0.0922566 , 0.91325696],
            [0.09297313, 0.91243863],
            [0.09368967, 0.91162029]])
threshold5 = valid_data_best_threshold
threshold = threshold5
```

## ▼ Distribution of the reconstruction losses of all the validation data (normal and abnormal)

The blue line is threshold4 (= the average of threshold3 [magenta] and threshold2 [cyan]).

The red line is the threshold that gives the best accuracy for the validation data.

```
reconstructions = variational_ae.predict(valid_data)
valid_loss = tf.keras.losses.mae(reconstructions.reshape(-1,784), valid_data.reshape(-1,784))
plt.figure(figsize=(20,5))
plt.hist(valid_loss[None, :], bins=100)
plt.axvline(threshold, c='r')
plt.axvline(threshold4, c='b')
plt.axvline(threshold2, c='cyan')
plt.axvline(threshold3, c='magenta')
plt.axvline(threshold1, c='green')
plt.xlabel("MAE reconstruction loss of the validation data")
plt.ylabel("No of examples")
plt.show()
```

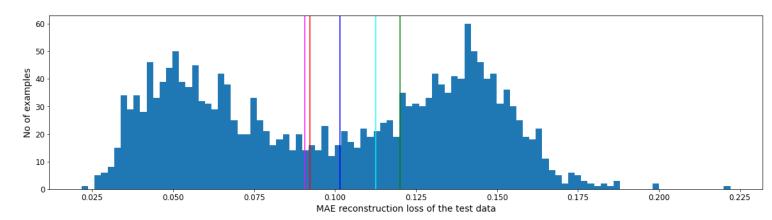


## Distribution of the reconstruction losses of the test data (normal and abnormal)

The blue line is threshold4 (= the average of threshold3 [magenta] and threshold2 [cyan]).

The red line is the threshold that gives the best accuracy for the validation data.

```
reconstructions = variational_ae.predict(test_data)
test_loss = tf.keras.losses.mae(reconstructions.reshape(-1,784), test_data.reshape(-1,784))
plt.figure(figsize=(20,5))
plt.hist(test_loss[None, :], bins=100)
plt.axvline(threshold, c='r')
plt.axvline(threshold4, c='b')
plt.axvline(threshold2, c='cyan')
plt.axvline(threshold3, c='magenta')
plt.axvline(threshold1, c='green')
plt.xlabel("MAE reconstruction loss of the test data")
plt.ylabel("No of examples")
plt.show()
```



### Mean and standard deviation of reconstruction losses for normal and abnormal test data

```
nl_test_loss = tf.keras.losses.mae(reconstructions.reshape(-1,784), normal_test_data.reshape(-1,784))
np.mean(nl_test_loss) , np.std(nl_test_loss)

        (0.06429024, 0.02582075)

reconstructions = variational_ae.predict(abnormal_test_data)
abn_test_loss = tf.keras.losses.mae(reconstructions.reshape(-1,784), abnormal_test_data.reshape(-1,784)
np.mean(abn_test_loss) , np.std(abn_test_loss)

        (0.13432911, 0.02094467)
```

## Calculation of the accuracy and the confusion matrix on the test data with threshold set based on the best threshold from the validation data

```
# def predict(model, data, threshold):
# reconstructions = model.predict(data)
# loss = tf.keras.losses.mae(reconstructions.reshape(-1, 784), data.reshape(-1, 784))
# return tf.math.less(loss, threshold)
def print_stats(predictions, labels):
  cf = confusion_matrix(labels, predictions)
  print("Confusion Matrix: \n prediction: F
  print("
                          {}".format(preds[preds == False].shape[0], preds[preds == True].shape[0]))
                     {}
  print(" label: F
                     [[{}
                                   {}".format(cf[0,0], cf[0,1], test_labels_T_F[test_labels_T_F == Fals
                            {}]]
                                   {}".format(cf[1,0], cf[1,1], test_labels_T_F[test_labels_T_F == True
  print("
                      [{}
  print("Accuracy = {}".format(accuracy_score(labels, predictions)))
  print("Normal Test Data Mean = {}".format(np.mean(nl_test_loss)))
  print("Normal Test Data Standard Deviation = {}".format(np.std(nl_test_loss)))
  print("Abnormal Test Data Mean = {}".format(np.mean(abn_test_loss)))
  print("Abnormal Test Data Standard Deviation = {}".format(np.std(abn_test_loss)))
  print("Precision = {}".format(precision_score(labels, predictions)))
  print("Recall = {}".format(recall_score(labels, predictions)))
  print(accuracy_score(labels, predictions))
  print(np.mean(nl_test_loss))
  print(np.std(nl_test_loss))
  print(np.mean(abn_test_loss))
  print(np.std(abn_test_loss))
  print(precision_score(labels, predictions))
  print(recall_score(labels, predictions))
  print(accuracy_score(labels, predictions), np.mean(nl_test_loss), np.std(nl_test_loss), np.mean(abn_t
         precision_score(labels, predictions), recall_score(labels, predictions))
preds = predict(variational_ae, test_data, threshold)
print_stats(preds, test_labels_T_F)
 Confusion Matrix:
      prediction: F
                         Τ
                  1085
                         915
      label: F
                 [[959
                         41]
                                1000
                  [126
                         874]]
                                 1000
             Т
     Accuracy = 0.9165
     Normal Test Data Mean = 0.06429024040699005
     Normal Test Data Standard Deviation = 0.02582075074315071
```

```
Abnormal Test Data Mean = 0.13432911038398743
     Abnormal Test Data Standard Deviation = 0.020944669842720032
     Precision = 0.9551912568306011
     Recall = 0.874
     0.9165
     0.06429024
     0.02582075
     0.13432911
     0.02094467
     0.9551912568306011
     0.874
     0.9165 0.06429024 0.02582075 0.13432911 0.02094467 0.9551912568306011 0.874
print("Threshold =", valid_data_best_threshold)
     Threshold = 0.09225660249590893
print(confusion_matrix(test_labels_T_F, preds))
     [[959 41]
      [126 874]]
```

## Extra accuracy info

Just informative. Please record the above accuracy.

Accuracy on the test data with threshold set based on (threshold2 + threshold3) / 2 = Average of

(mean + std of the distribution of the reconstruction losses of the normal validation data) and
(mean - std of the distribution of the reconstruction losses of the abnormal validation data)

```
preds = predict(variational_ae, test_data, Avg_of_threshold_2_3)
print_stats(preds, test_labels_T_F)
    Confusion Matrix:
     prediction: F
                        Τ
                 1010
                        990
     label: F
                [[925
                        75]
                              1000
                       915]]
                 [85
                              1000
    Accuracy = 0.92
    Normal Test Data Mean = 0.06429024040699005
    Normal Test Data Standard Deviation = 0.02582075074315071
    Abnormal Test Data Mean = 0.13432911038398743
    Abnormal Test Data Standard Deviation = 0.020944669842720032
    Recall = 0.915
    0.92
    0.06429024
    0.02582075
    0.13432911
    0.02094467
    0.9242424242424242
    0.915
    0.92 0.06429024 0.02582075 0.13432911 0.02094467 0.9242424242424242 0.915
```

Accuracy on the test data with threshold set based on the mean of the training data MAE reconstruction losses + 2.5 std

```
preds = predict(variational_ae, test_data, threshold_train_mean_2_5_std)
print stats(preds, test labels T F)
     Confusion Matrix:
      prediction: F
                         Τ
                  821
                        1179
      label: F
                 [[780
                         220]
                                 1000
             Τ
                  [41
                        959]]
                                1000
     Accuracy = 0.8695
     Normal Test Data Mean = 0.06429024040699005
     Normal Test Data Standard Deviation = 0.02582075074315071
     Abnormal Test Data Mean = 0.13432911038398743
     Abnormal Test Data Standard Deviation = 0.020944669842720032
     Precision = 0.813401187446989
     Recall = 0.959
     0.8695
     0.06429024
     0.02582075
     0.13432911
     0.02094467
     0.813401187446989
     0.959
     0.8695 0.06429024 0.02582075 0.13432911 0.02094467 0.813401187446989 0.959
```

#### **Extra Info**

Giving the VAE codings (please see book) (Just informative, not the goal here)

```
def plot_multiple_images(images, n_cols=None):
    n_cols = n_cols or len(images)
    n_rows = (len(images) - 1) // n_cols + 1
    if images.shape[-1] == 1:
        images = np.squeeze(images, axis=-1)
    plt.figure(figsize=(n_cols, n_rows))
    for index, image in enumerate(images):
        plt.subplot(n_rows, n_cols, index + 1)
        plt.imshow(image, cmap="binary")
        plt.axis("off")

codings = tf.random.normal(shape=[12, codings_size])
images = variational_decoder(codings).numpy()
plot_multiple_images(images, 4)
# save_fig("vae_generated_images_plot", tight_layout=False)
```

```
codings_grid = tf.reshape(codings, [1, 3, 4, codings_size])
larger_grid = tf.image.resize(codings_grid, size=[5, 7])
interpolated_codings = tf.reshape(larger_grid, [-1, codings_size])
images = variational_decoder(interpolated_codings).numpy()

plt.figure(figsize=(7, 5))
for index, image in enumerate(images):
    plt.subplot(5, 7, index + 1)
    if index%7%2==0 and index//7%2==0:
        plt.gca().get_xaxis().set_visible(False)
        plt.gca().get_yaxis().set_visible(False)
    else:
        plt.axis("off")
    plt.imshow(image, cmap="binary")

# save_fig("semantic_interpolation_plot", tight_layout=False)
```

