

# Data Augmentation for Graph Neural Networks

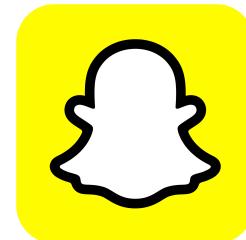
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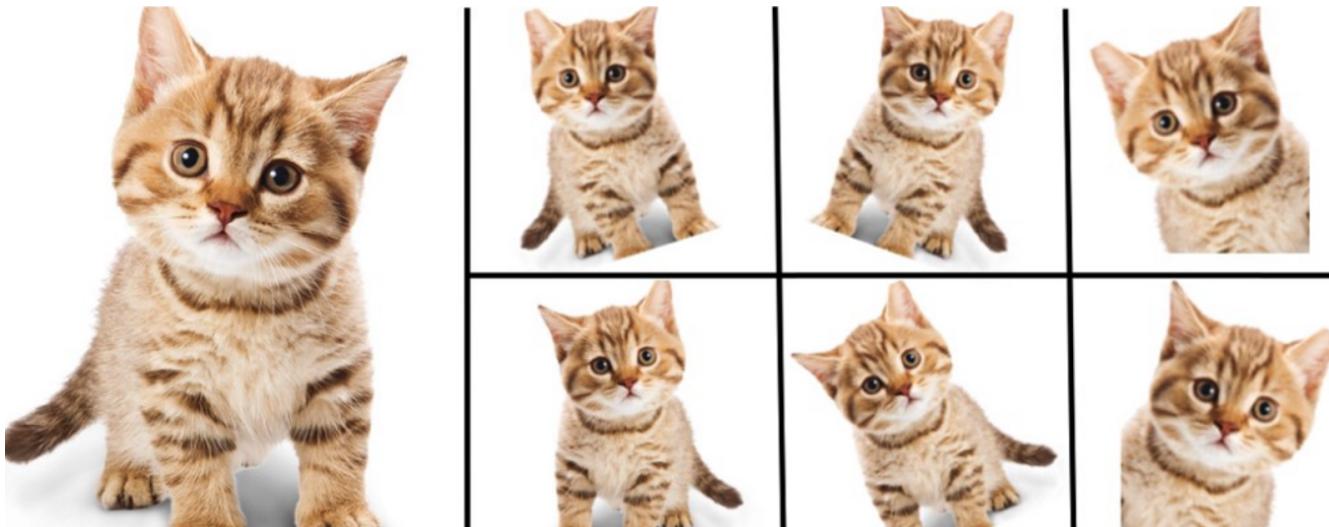


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# Backgrounds on Data Augmentation

- Why data augmentation is important for machine learning?
  - Provides more training data.
  - Reduce overfitting.
  - Improves generalization.



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A boy is holding a bat.

Ein Junge hält einen Schläger.

*translation*

*augmentation*

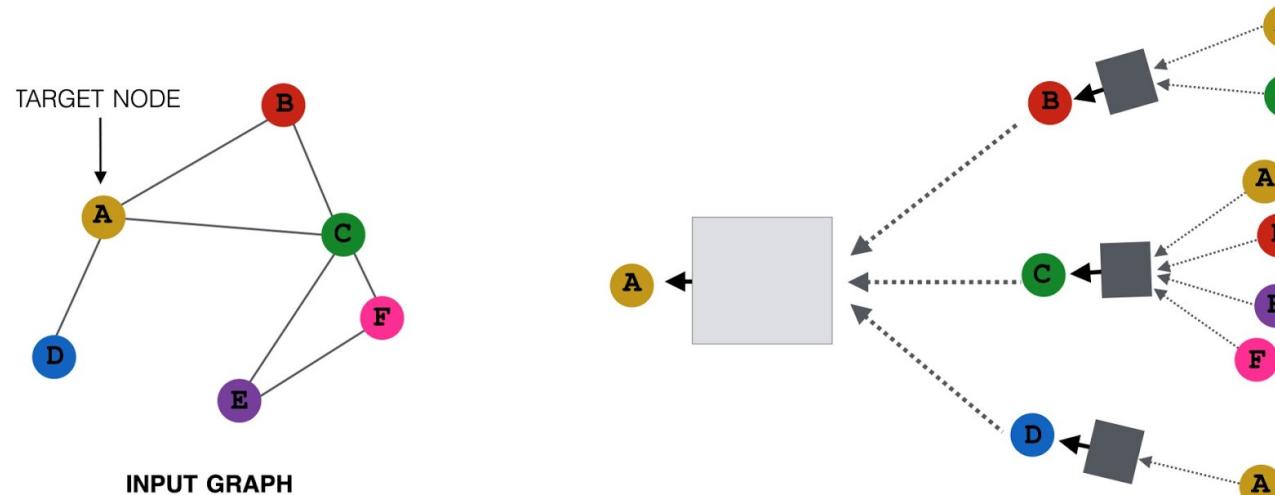
A boy is holding a **backpack**.

Ein Junge hält einen *Rucksack*.



# Background on Graph Neural Networks

- Given: graph  $G = (V, E)$ , node features  $\mathbf{x}_v \in \mathbb{R}^m, \forall v \in V$ .
- Learn: low dimensional node representations  $\mathbf{z}_v \in \mathbb{R}^d, \forall v \in V$ .
- Neighborhood aggregation: generate node representations based on local neighborhoods.



# Data Augmentation for GNNs

- **Goal:** use graph data augmentation to improve the performance of GNNs on the task of node classification.
- **Challenges:**
  - There's no direct analogs of traditional data augmentation operations (flipping, rotating, blurring, etc.) on graphs.
  - Very limited operations exist for perturbing graphs.
    - Any manipulation would affect the whole graph (dataset).
    - Adding/removing edges are the best strategy available.
    - But which edges to add/remove?

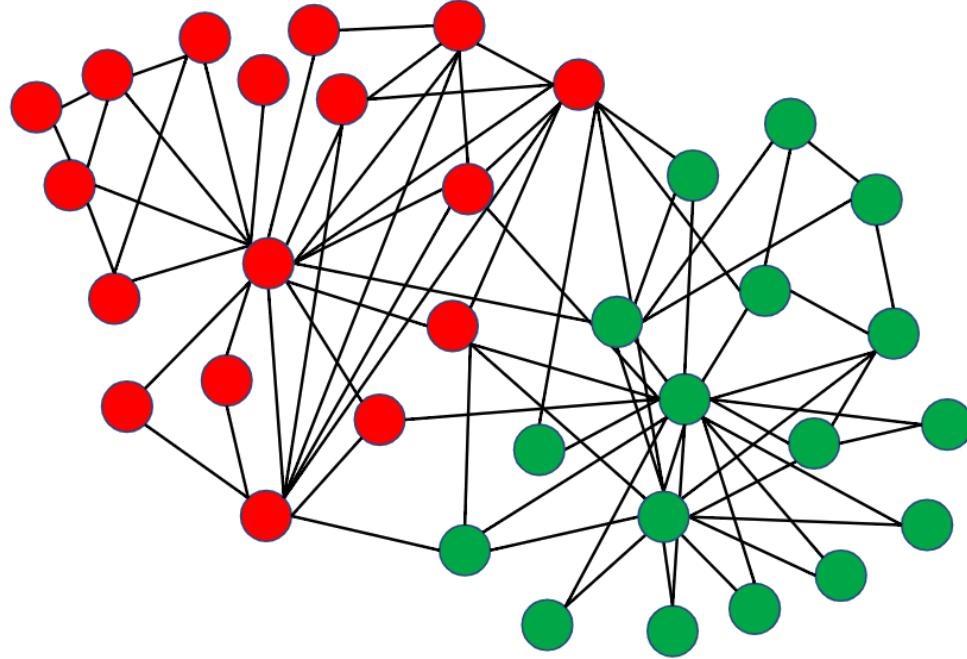


# Manipulating Edges to Augment Graph Data

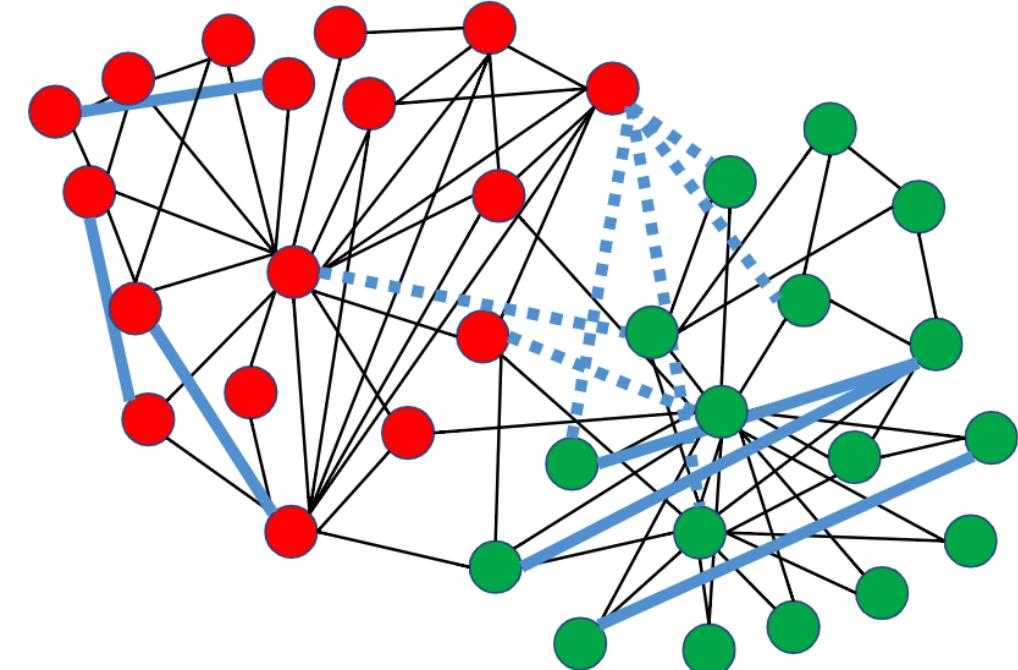
- For node classification task,
  - There could be noise edges generated by spammers, anomalies, adversarial attacks, etc.
- Adding(removing) intra(inter)-class edges improves node classification performance.



# Zackary's Karate Club (ZKC) Graph

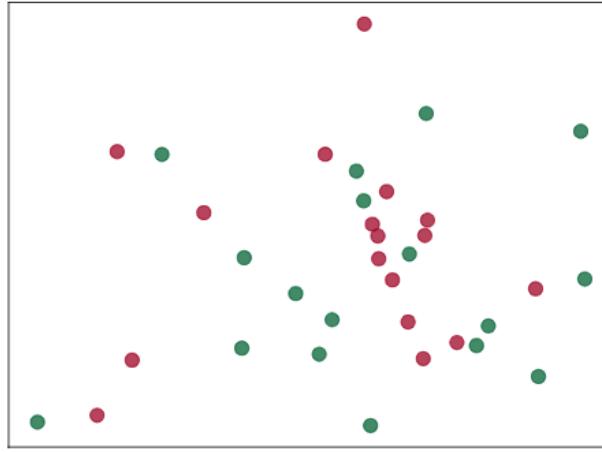
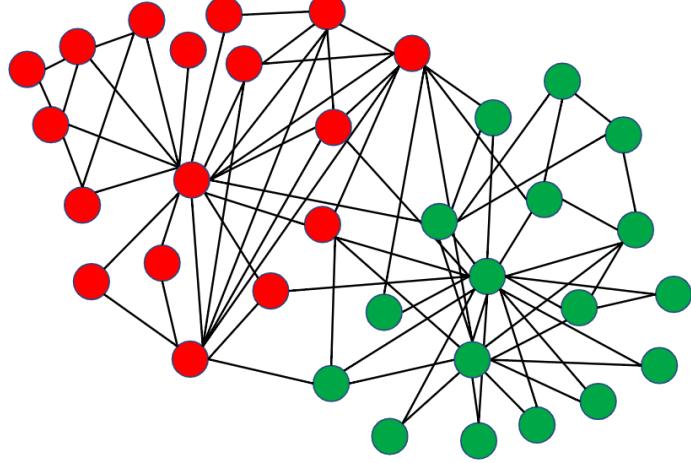


Original graph.  
GCN Performance: 92.4



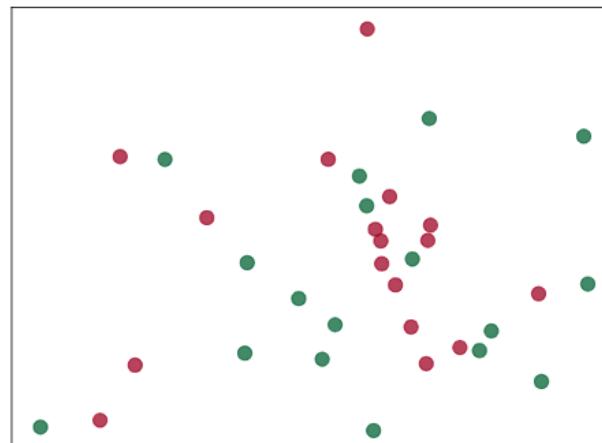
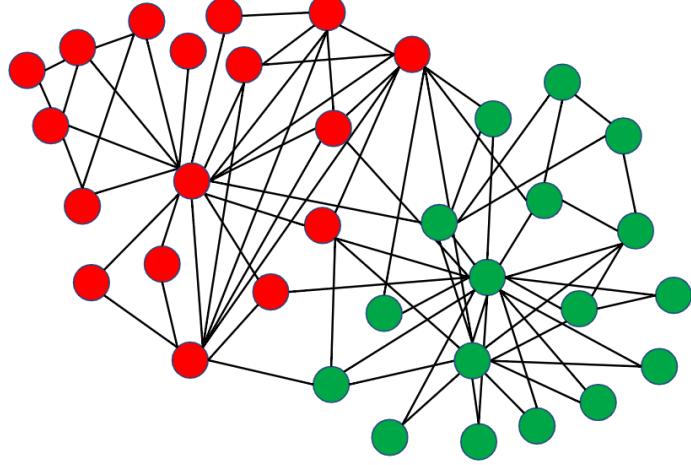
Omniscient modified graph.  
GCN Performance: 98.6

# Random Initialized Features of ZKC Graph

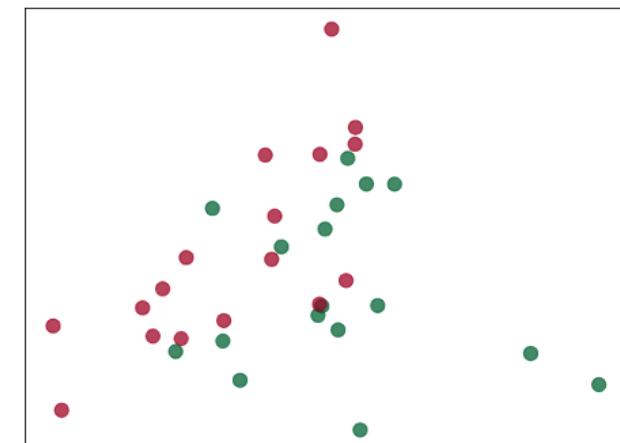


Random initialized features

# Embeddings of ZKC Graph after GCN Layer

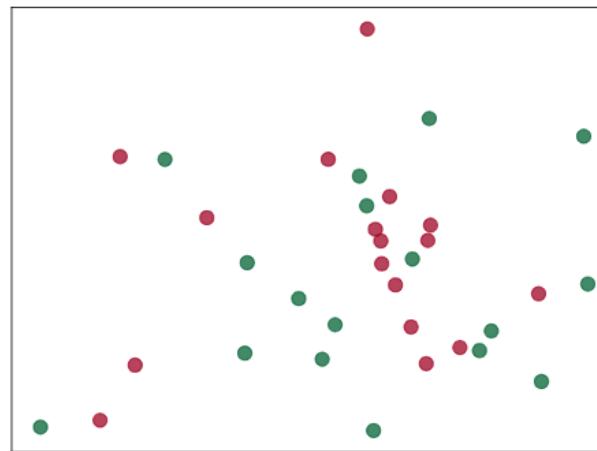
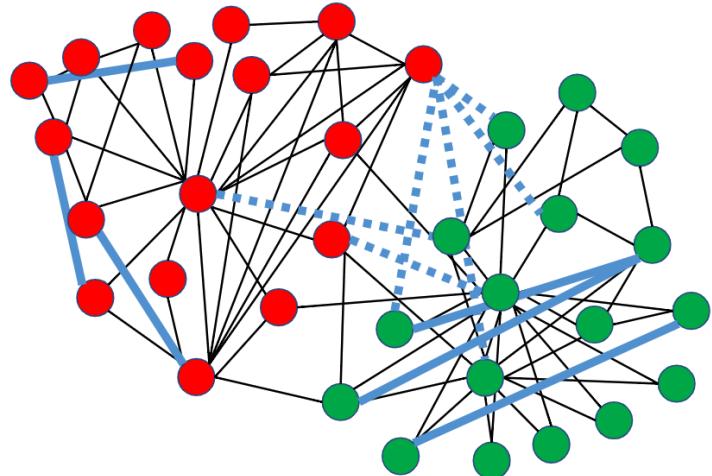
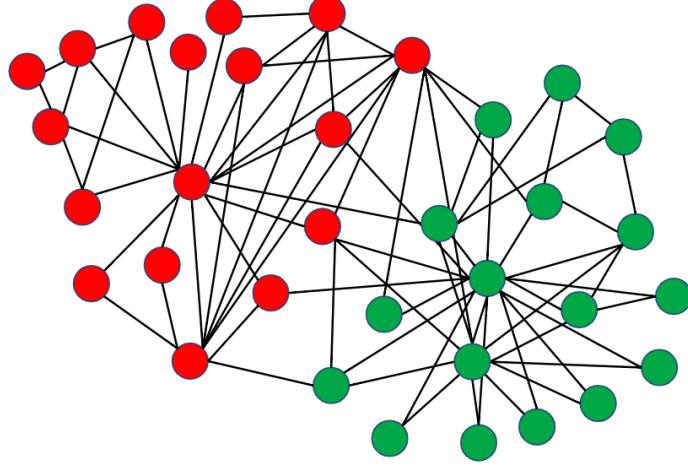


Random initialized features

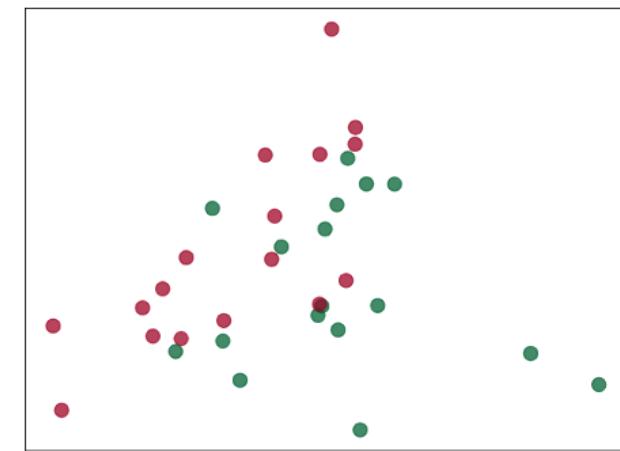


Original Graph

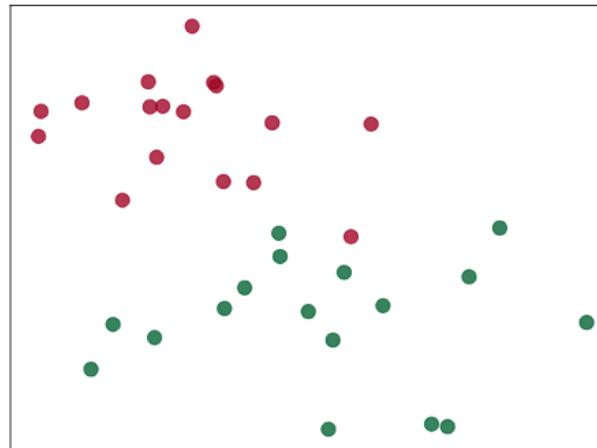
# Embeddings of ZKC Graph after GCN Layer



Random initialized features



Original Graph

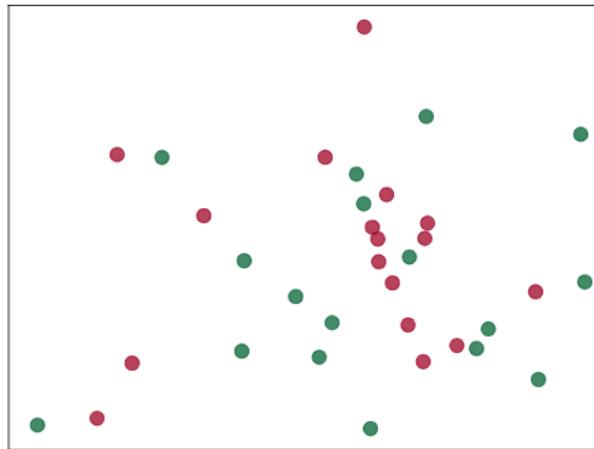
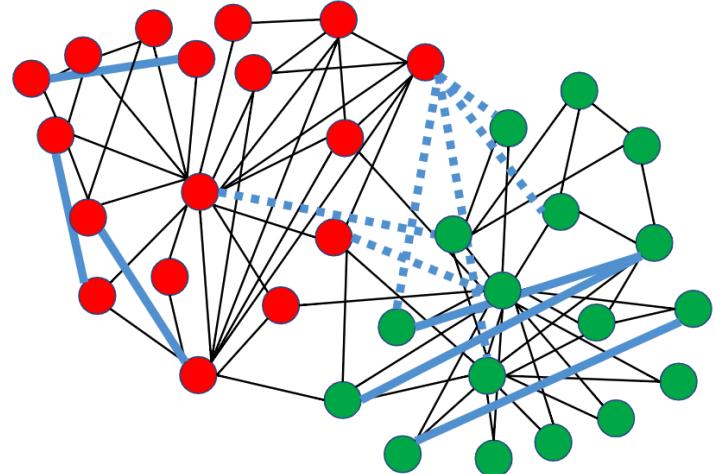
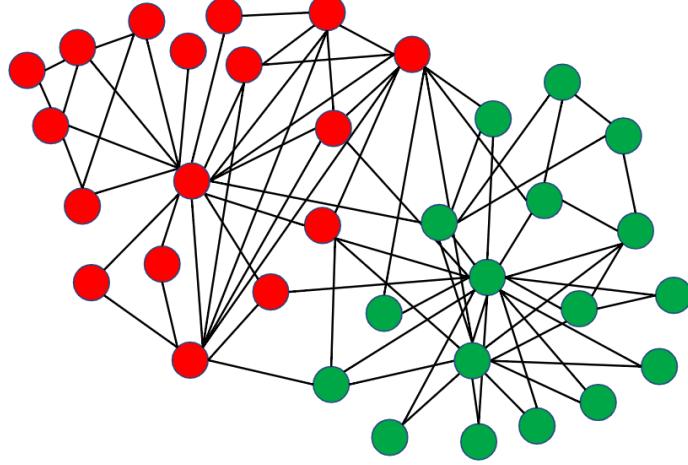


Modified Graph

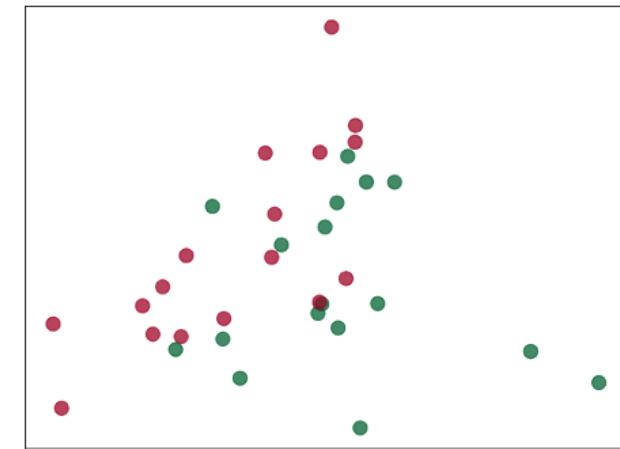
Tong Zhao



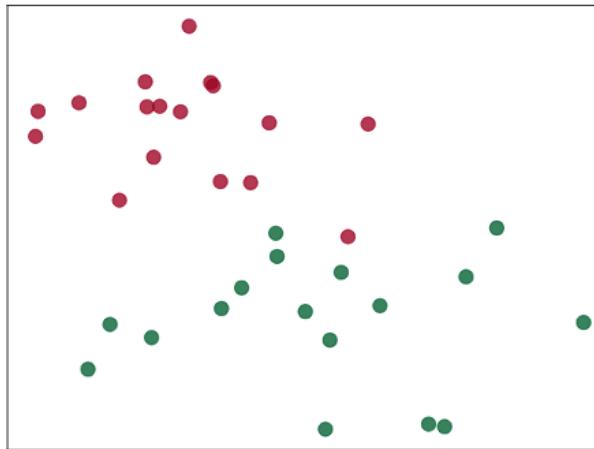
# Embeddings of ZKC Graph after GCN Layer



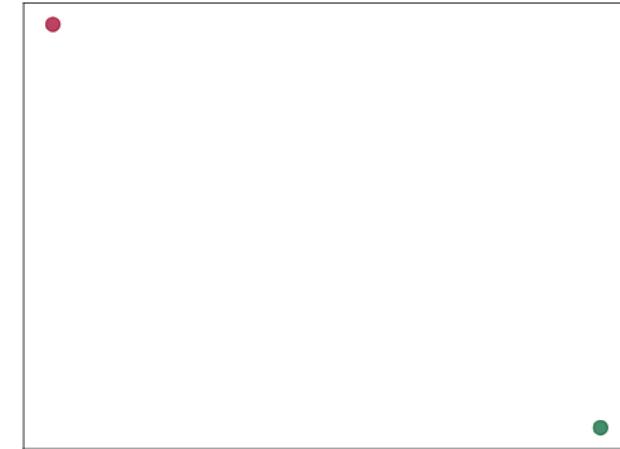
Random initialized features



Original Graph



Modified Graph



Ideal Graph



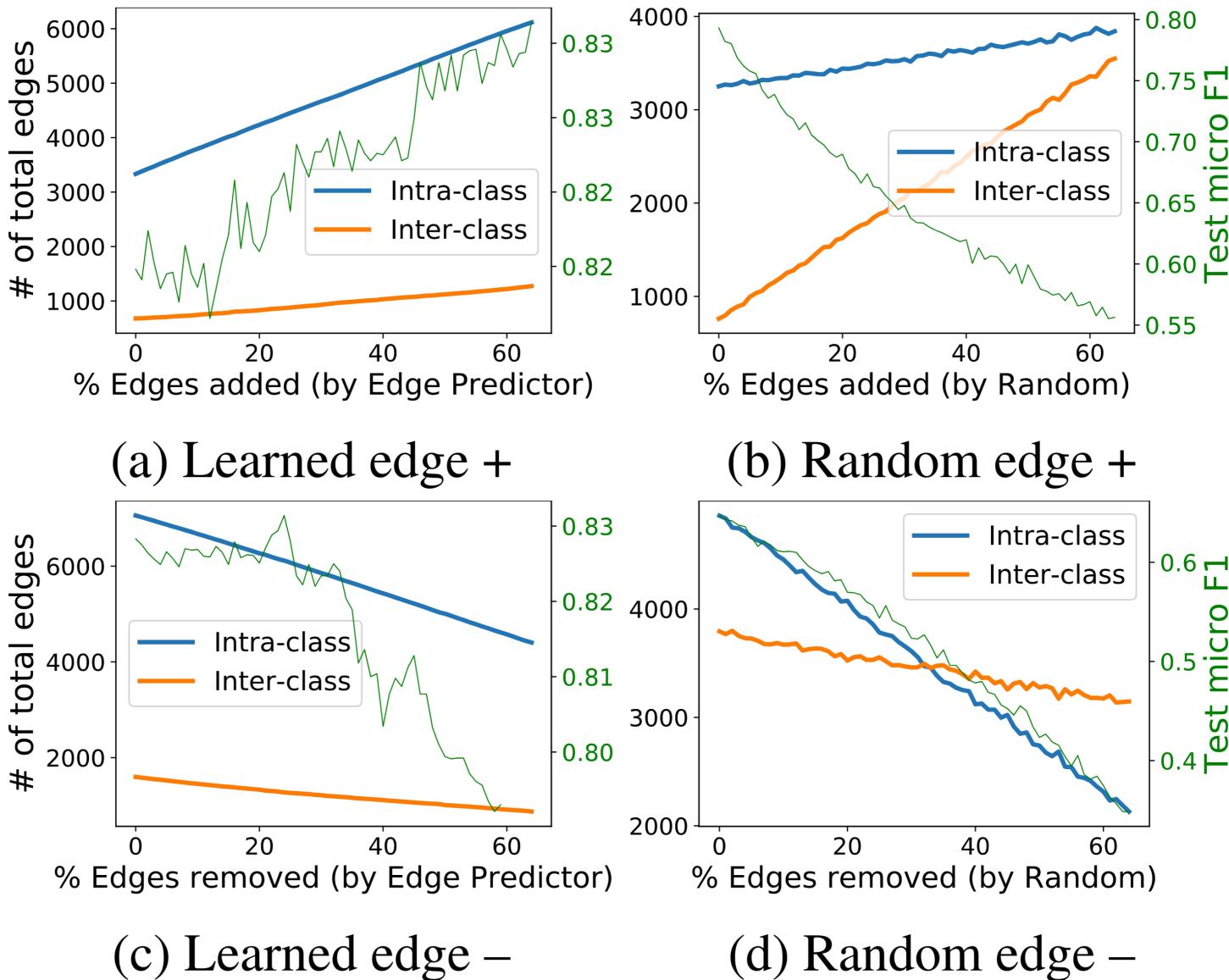
# Evaluating on Modified or Original Graph

- How traditional data augmentation methods in CV works:
  - Generate augmented data variants for each data object.
  - Train model with both original and augmented data.
- On graphs: augmentation results with a new graph.
  - Training & inference on different graphs → train-test gap.
  - For real-life social networks that are consistently growing/changing, ability of inferencing with original graph is preferred.



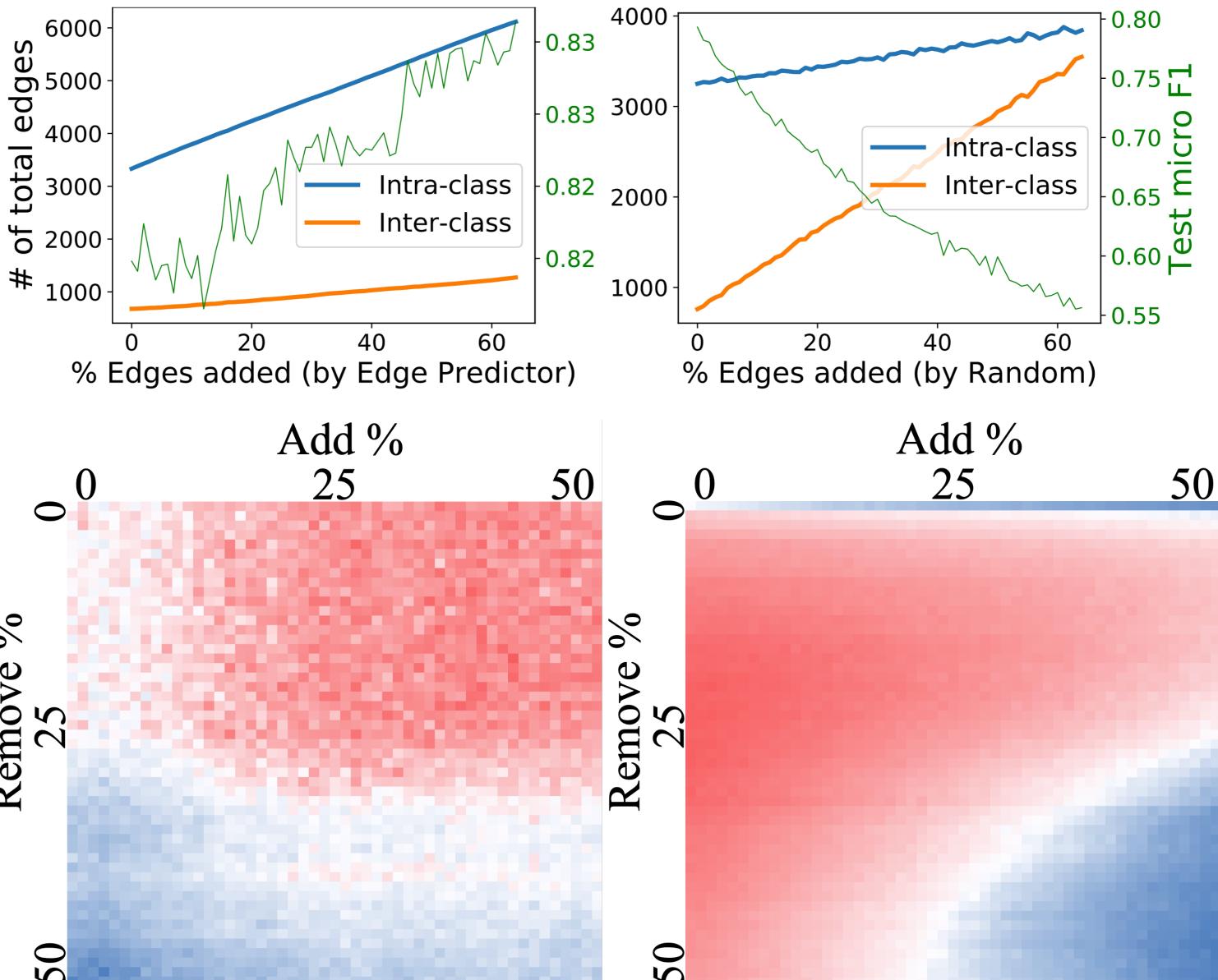
# GAug-M

1. Use an edge predictor to predict edge probabilities for all node pairs.
2. Based on the edge probabilities, deterministically add (remove) new (existing) edges to create a modified graph.

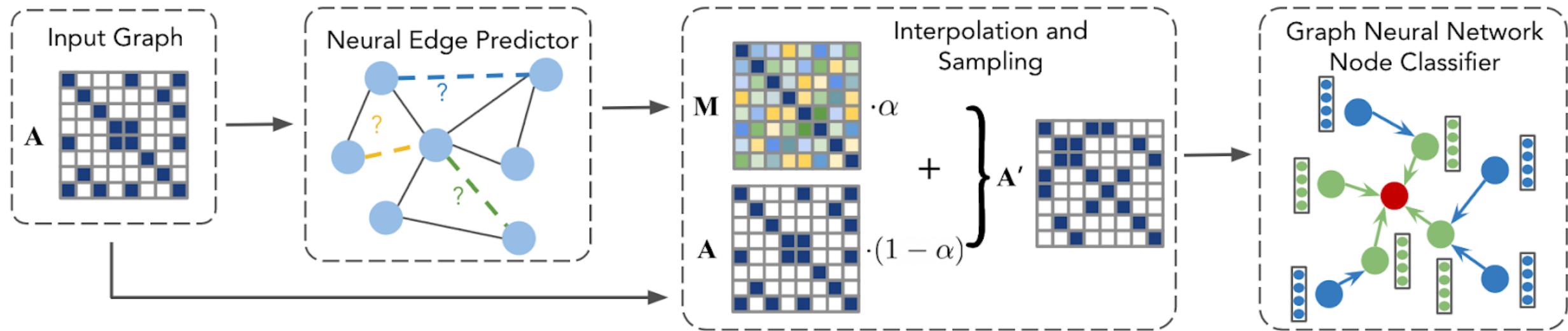


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# GAug-O for Evaluating on Original Graph



$$\mathbf{A}'_{ij} = \left\lfloor \frac{1}{1 + e^{-(\log \mathbf{P}_{ij} + G)/\tau}} + \frac{1}{2} \right\rfloor, \quad \text{where} \quad \mathbf{P}_{ij} = \alpha \mathbf{M}_{ij} + (1 - \alpha) \mathbf{A}_{ij}$$

$$\mathcal{L} = \mathcal{L}_{nc} + \beta \mathcal{L}_{ep}, \quad \text{where} \quad \mathcal{L}_{nc} = CE(\hat{\mathbf{y}}, \mathbf{y}) \quad \text{and} \quad \mathcal{L}_{ep} = BCE(\sigma(f_{ep}(\mathbf{A}, \mathbf{X})), \mathbf{A})$$

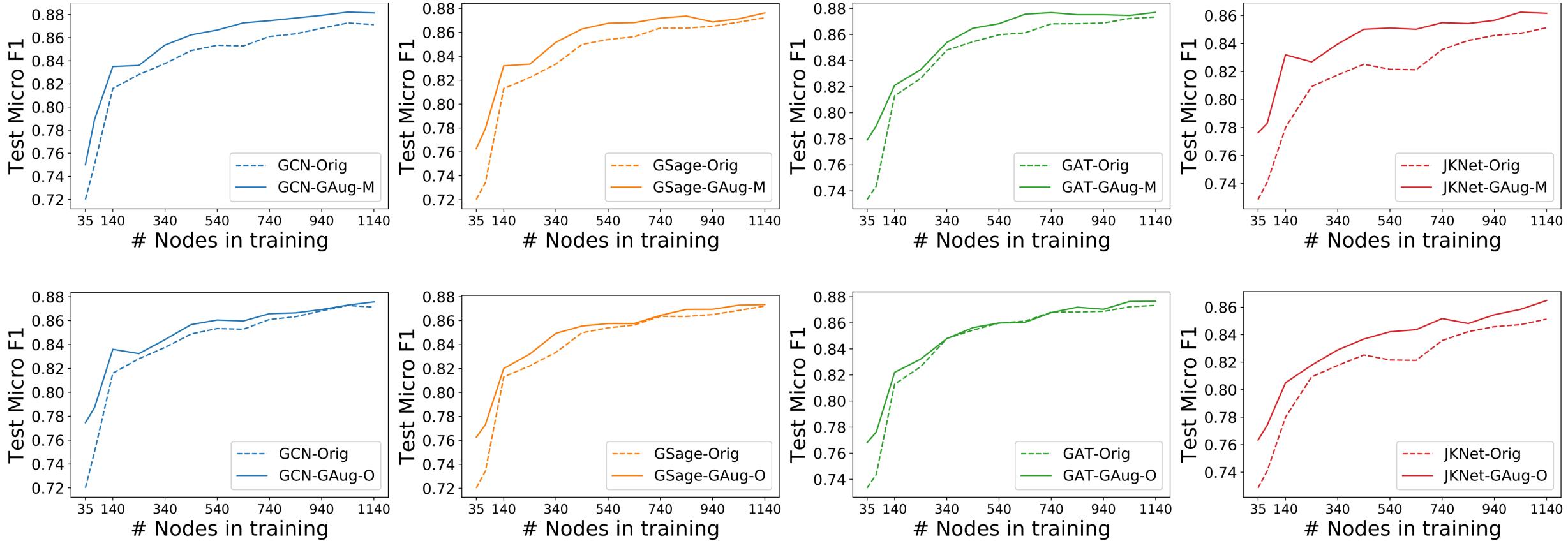


# Results

GNN Arch.	Method	CORA	CITESEER	PPI	BLOGC	FLICKR	AIR-USA
GCN	Original	81.6±0.7	71.6±0.4	43.4±0.2	75.0±0.4	61.2±0.4	56.0±0.8
	+ADAEDGE	81.9±0.7	72.8±0.7	43.6±0.2	75.3±0.3	61.2±0.5	57.2±0.8
	+GAUG-M	83.5±0.4	72.3±0.4	43.5±0.2	<b>77.6±0.4</b>	<b>68.2±0.7</b>	61.2±0.5
	+DROPOEDGE	82.0±0.8	71.8±0.2	43.5±0.2	75.4±0.3	61.4±0.7	56.9±0.6
	+GAUG-O	<b>83.6±0.5</b>	<b>73.3±1.1</b>	<b>46.6±0.3</b>	75.9±0.2	62.2±0.3	<b>61.4±0.9</b>
GSAGE	Original	81.3±0.5	70.6±0.5	40.4±0.9	73.4±0.4	57.4±0.5	57.0±0.7
	+ADAEDGE	81.5±0.6	71.3±0.8	41.6±0.8	73.6±0.4	57.7±0.7	57.1±0.5
	+GAUG-M	<b>83.2±0.4</b>	71.2±0.4	41.1±1.0	<b>77.0±0.4</b>	<b>65.2±0.4</b>	<b>60.1±0.5</b>
	+DROPOEDGE	81.6±0.5	70.8±0.5	41.1±1.0	73.8±0.4	58.4±0.7	57.1±0.5
	+GAUG-O	82.0±0.5	<b>72.7±0.7</b>	<b>44.4±0.5</b>	73.9±0.4	56.3±0.6	57.1±0.7
GAT	Original	81.3±1.1	70.5±0.7	41.5±0.7	63.8±5.2	46.9±1.6	52.0±1.3
	+ADAEDGE	82.0±0.6	71.1±0.8	42.6±0.9	68.2±2.4	48.2±1.0	54.5±1.9
	+GAUG-M	82.1±1.0	71.5±0.5	42.8±0.9	70.8±1.0	<b>63.7±0.9</b>	<b>59.0±0.6</b>
	+DROPOEDGE	81.9±0.6	71.0±0.5	<b>45.9±0.3</b>	70.4±2.4	50.0±1.6	52.8±1.7
	+GAUG-O	<b>82.2±0.8</b>	<b>71.6±1.1</b>	44.9±0.9	<b>71.0±1.1</b>	51.9±0.5	54.6±1.1
JK-NET	Original	78.8±1.5	67.6±1.8	44.1±0.7	70.0±0.4	56.7±0.4	58.2±1.5
	+ADAEDGE	80.4±1.4	68.9±1.2	44.8±0.9	70.7±0.4	57.0±0.3	59.4±1.0
	+GAUG-M	<b>81.8±0.9</b>	68.2±1.4	47.4±0.6	<b>71.9±0.5</b>	<b>65.7±0.8</b>	60.2±0.6
	+DROPOEDGE	80.4±0.7	69.4±1.1	46.3±0.2	70.9±0.4	58.5±0.7	59.1±1.1
	+GAUG-O	80.5±0.9	<b>69.7±1.4</b>	<b>53.1±0.3</b>	71.0±0.6	55.7±0.5	<b>60.4±1.0</b>



# Results



# Thank you!

Any Questions?

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