

# A Lightweight ISA Extension for AES and SM4

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**Abstract**—We describe a lightweight RISC-V ISA extension for AES and SM4 block ciphers. Sixteen 32-bit instructions (and a subkey fetch) is required to implement an AES round with the extension, instead of 80 without. An SM4 step (quarter-round) has 6.5 arithmetic instructions, a similar reduction. Perhaps even more importantly the ISA extension helps to eliminate slow, secret-dependent table lookups and to protect against cache timing side-channel attacks. Having only one S-box, the extension has a minimal hardware size and is well suited for ultra-low power applications. AES and SM4 implementations using ISA extension also have a much-reduced software footprint. The AES and SM4 instances can share the same data paths but are independent in the sense that a chip designer can implement SM4 without AES and vice versa. Full HDL source code for the instruction’s combinatorial logic and C code for emulation is provided for the community under a permissive open source license. The implementation contains depth- and size-optimized joint AES and SM4 S-Box logic based on the Boyar-Peralta construction with a shared non-linear middle layer, demonstrating additional avenues for logic optimization. The instruction logic has been experimentally integrated into the single-cycle execution path of the “Pluto” RV32 core and has been tested on FPGA.

**Index Terms**—RISC-V, AES, SM4, Cryptographic ISA Extension, Lightweight Cryptography

## I. INTRODUCTION

The Advanced Encryption Standard (AES) is a 128-bit block cipher with 128/192/256 - bit key, defined in the FIPS 197 standard [1]. AES is a mandatory building block of the TLS 1.3 [2] security protocol and is widely used for storage encryption, shared-secret authentication, cryptographic random number generation, and in many other applications.

The SM4 block cipher [3] fulfills a similar role to AES in the Chinese market and is the main block cipher recommended for use in China. SM4 also has a 128-bit block size, but only one key size, 128 bits. Even though its high-level structure differs completely from AES, the two share significant similarities in their sole nonlinear component, which is a single  $8 \times 8$ -bit “S-Box” substitution table in both cases.

Cache timing attacks on AES became well known in mid-2000s when it was demonstrated that common table-based implementations can be exploited even remotely [4], [5]; very similar issues also affect SM4. In presence of a cache, the only way to make the execution time of these ciphers fully independent of secret data is to eliminate the table lookup

either by implementing it as bitsliced Boolean logic or by providing a specific ISA extension for the S-Box lookup.

Consumer CPUs have had instructions to support AES for almost a decade via the Intel AES-NI in x86 [6] and ARMv8-A cryptographic extensions [7]; these are almost universally available in PCs and higher-end mobile devices such as phones. ARM also supports SM4 via the ARMv8.2-SM extension. The AES instructions have been shown to make AES much less of a throughput bottleneck for high-speed TLS communication (servers) and storage encryption (mobile devices), thereby also extending battery life in the latter. Both Intel and ARM cryptographic ISAs require 128-bit (SIMD) registers, and are not available on lower-end CPUs.

In this work, we show that it is possible to create a simple AES and SM4 ISA extension that offers a significant performance improvement and timing side-channel resistance with a minimally increased hardware footprint. It is especially suitable for lightweight RV32 targets.

## II. A LIGHTWEIGHT AES AND SM4 ISA EXTENSION

The ISA extension operates on the main register file only, using two source registers, one destination register, and a 5-bit field  $fn[4:0]$  which can be seen either as an “immediate constant” or just code points in instruction encoding. In either case, the interface to the (reference) combinatorial logic is:

```
module enc1s(  
    output [31:0] rd,    // to output register  
    input  [31:0] rs1,   // input register 1  
    input  [31:0] rs2,   // input register 2  
    input  [4:0]  fn     // 5-bit func specifier  
);
```

See Section IV-B for encoding details of ENC1S as an RV32 R-type custom instruction for testing purposes. For RV64 the words are simply truncated or zero-extended.

For emulation, the instructions are encapsulated in C as:

```
uint32_t enc1s(uint32_t rs1, uint32_t rs2,  
               int fn);           // ENC1Sfn rd, rs1, rs2
```

The five bits of  $fn$  cover encryption, decryption, and key schedule for both algorithms. Bits  $fn[1:0]$  first select a single byte from  $rs1$ . Two bits  $fn[4:3]$  indicate which  $8 \rightarrow 8$  - bit S-Box is used (AES,  $AES^{-1}$ , or SM4), and additionally  $fn[4:2]$  specifies a  $8 \rightarrow 32$  - bit linear expansion transformation (each of three S-Boxes has two alternative linear transforms, indicated by  $fn[2]$ ). The expanded 32-bit

TABLE I  
HIGH-LEVEL IDENTIFIERS (PSEUDO INSTRUCTIONS) FOR FN[4:2].

Identifier	fn[4:2]	Description or Use
AES_FN_ENC	3'b000	AES Encrypt round.
AES_FN_FWD	3'b001	AES Final / Key sched.
AES_FN_DEC	3'b010	AES Decrypt round.
AES_FN_REV	3'b011	AES Decrypt final.
SM4_FN_ENC	3'b100	SM4 Encrypt and Decrypt.
SM4_FN_KEY	3'b101	SM4 Key Schedule.
Unused	3'b11x	( $4 \times 6 = 24$ points used.)

value is then rotated by 0–3 byte positions based on  $fn[1:0]$ . The result is finally XORed with  $rs2$  and written to  $rd$ .

Table I contains the identifiers (pseudo instructions) that we currently use for bits  $fn[4:2]$ . Usually we may arrange computation so that  $rd = rs2$  without increasing instruction count, making a two-operand “compressed” encoding possible.

For AES the instruction selects a byte from  $rs1$ , performs a single S-box lookup (*SubBytes* or its inverse), evaluates a part of the MDS matrix (*MixColumns*) if that linear expansion is step selected, rotates the result by a multiple of 8 bits (*ShiftRows*), and XORs the result with  $rs2$  (*AddRoundKey*). There is no need for separate instructions for individual steps of AES as small parts of each of them have been incorporated into a single instruction. We’ve found that each one of these substeps requires surprisingly little additional logic.

For SM4 the instruction has the same data path with byte selection, S-Box lookup, and two different linear operations, depending on whether encryption/decryption or key scheduling task is being performed.

Both AES [1] and SM4 [3] specifications are written using big-endian notation while RISC-V uses primarily little-endian convention [8]. To avoid endianness conversion the linear expansion step outputs have a flipped byte order. This is less noticeable with AES, but the 32-bit word rotations of SM4 become less intuitive to describe (while wiring is equivalent).

We refer to the concise reference implementation discussed in Section IV for details about specific logic operations required to implement the ISA extension, and for unit tests and intermediate values.

### III. USING THE AES AND SM4 INSTRUCTIONS

AES and SM4 were originally designed primarily for 32-bit software implementation. The ECN1S adopts this “intended” 32-bit implementation logic but removes the table lookup and rolls several individual steps into the same instruction. Both AES and SM4 implementations seem to be also realizable with the reduced “E” register file without major changes.

Note that due to its Feistel-like structure SM4 does not require an inverse S-Box for decryption like AES, which is a substitution-permutation network (SPN).

#### A. AES Computation and Key Schedule

The structure of an AES implementation is equivalent to a “T-Table” implementation, with sixteen invocations of

AES\_FN\_ENC per round and not much else (apart from fetching the round subkeys). In practice, two sets of four registers are used to store the state, with one set being used to rewrite the other, depending on whether an odd or even-numbered round is being processed. AES has  $r \in \{10, 12, 14\}$  rounds, depending on the key size which can be  $\{128, 192, 256\}$ , respectively. The final round requires sixteen invocations of AES\_FN\_FWD. The same instructions are also used in the key schedule which expands the secret key to  $4r+4$  subkey words.

The inverse AES operation is structured similarly, with 16 AES\_FN\_DEC per main body round and 16 AES\_FN\_REV for the final round. These instructions are also used for reversing the key schedule. Four precomputed subkey words must be fetched in each round, requiring four loads (lw instructions) in addition to their address increment (typically every other round). There is no need for separate *AddRoundKey* XORs as the subkeys simply initialize either one of the four-register sets used to store the state.

It is also possible to compute the round keys “on the fly” without committing them to RAM. This may be helpful in certain types of security applications. The overhead is roughly 30%. However, if the load operation is much slower than register-to-register arithmetic, the overhead of on-the-fly subkey computation can become negligible. On-the-fly keying is more challenging in reverse.

#### B. SM4 Computation and Key Schedule

SM4 has an unbalanced Feistel structure. The inverse cipher is equivalent to the forward cipher with a reversed subkey order. There is only one key size, 128 bits, and 32 steps which are typically organized into 8 rounds of 4 steps each. Each step uses all four state words and one subkey word as inputs, overwriting a single state word. Since input mixing is made with XORs, some of the temporary XOR values are unchanged and can be shared between steps. Each round requires ten XORs in addition to sixteen SM4\_FN\_ENC invocations, bringing the total number of arithmetic instructions to 26 per round or 6.5 per step. Therefore the SM4 performance is slightly lower than that of AES despite having fewer rounds.

The key schedule similarly requires 16 invocations of SM4\_FN\_KEY and 10 XORs to produce a block of four subkey words. The key schedule uses 32 “CK” round constants which can be either fetched from a table or computed with 8-bit addition operations on the fly.

For SM4 each block of four consecutive invocations of SM4\_FN\_ENC and SM4\_FN\_KEY share the same source and destination registers, differing only in  $fn[1:0]$  which steps through  $\{0, 1, 2, 3\}$ . We denote such a four-ENC1S block as pseudo instruction ENC4S. One can reduce the per-round instruction count of SM4 from 26 (+4 lw) to 14 (+4 lw) by implementing it as a “real” instruction that is almost four times larger than ENC1S in hardware. Note that without additional instructions an AES implementation does *not* benefit from ENC4S in encryption or decryption, only in key schedule.

TABLE II

ALGEBRAIC GATE COUNTS FOR A BOYAR-PERALTA TYPE LOW-DEPTH S-BOXES THAT IMPLEMENT SM4 IN ADDITION TO AES AND AES<sup>-1</sup>.

Component	In, Out	XOR	XNOR	AND	Total
Shared middle	21 → 18	30	-	34	64
AES top	8 → 21	26	-	-	26
AES bottom	18 → 8	34	4	-	38
AES <sup>-1</sup> top	8 → 21	16	10	-	26
AES <sup>-1</sup> bottom	18 → 8	37	-	-	37
SM4 top	8 → 21	18	9	-	27
SM4 bottom	18 → 8	33	5	-	38

#### IV. REFERENCE IMPLEMENTATION

An open-source reference implementation is available<sup>1</sup>. The initial distribution contains a C-language “emulator” code for the instruction and mock implementations for full AES-128/192/256 and SM4-128, together with essential unit tests.

The distribution also contains full combinatorial logic for the ENC1S instruction (including the S-Boxes) in Verilog. This implementation is intended for deriving instruction counts and obtaining intermediate values for debugging purposes, but can be readily integrated into many RISC-V cores.

##### A. About the AES, SM4 S-Boxes

AES and SM4 can share data paths so it makes sense to explore their additional structural similarities and differences. Both SM4 and AES S-Boxes are constructed from finite field inversion  $x^{-1}$  in  $GF(2^8)$  together with a linear (affine) transformations on input and/or output. The inversion makes them “Nyberg S-Boxes” [9] with desirable properties against differential and linear cryptanalysis, while the linear mixing steps are intended to break the bitwise algebraic structure.

Since  $x^{-1}$  is self-inverse (an involution) and affine isomorphic regardless of polynomial basis, AES, AES<sup>-1</sup>, and SM4 S-Boxes really differ only in their inner and outer linear layers.

Boyar and Peralta [10] show how to build low-depth circuits for AES that are composed of a linear top and bottom layers and a shared nonlinear middle stage. Here XOR and XNOR gates are “linear” and the shared nonlinear layer consists of XOR and AND gates only. We created additional top and bottom layers for SM4 specifically for this project that use the same the middle layer as AES and AES<sup>-1</sup>.

Each S-Box expands an 8-bit input to 21 bits in a linear inner (“top”) layer, uses the shared nonlinear 21-to-18 bit mapping as a middle layer, and again compresses 18 bits to 8 bits in the outer (“bottom”) layer. Table II gives the individual gate counts to each layer; summing up top, middle, and bottom gives the total S-Box gate count ( $\approx 128$ ).

Despite such a strict structure and limited choice of gates (that is suboptimal for silicon but very natural to mathematics), these are some of the smallest circuits for AES known. Note that it is possible to implement AES with fewer gates (113 total), but this results in 50% higher circuit depth [11].

<sup>1</sup>AES/SM4 ISA Extension: [https://github.com/mjosaarinen/lwaes\\_isa](https://github.com/mjosaarinen/lwaes_isa)

TABLE III

RV32 SoC AREA WITH AND WITHOUT ENC1S (AES, AES<sup>-1</sup>, SM4); “PLUTO” CORE ON AN ARTIX-7 FPGA. EXTAES IS A CPU-EXTERNAL MEMORY-MAPPED AES-ONLY MODULE, PRESENTED FOR COMPARISON.

Resource	Base	ENC1S ( $\Delta$ )	EXTAES ( $\Delta$ )
Logic LUTs	7,767	8,202 (+435)	9,795 (+2,028)
Slice regs	3,319	3,342 (+23)	4,361 (+1,042)
SLICEL	1,571	1,864 (+293)	2,068 (+497)
SLICEM	734	737 (+3)	851 (+117)

##### B. Experimental Instruction Encoding and Synthesis

For prototyping we interfaced the ENC1S logic using the *custom-0* opcode and R-type instruction encoding with `fn[4:0]` occupying lower 5 bits of the `funct7` field:

[31:30]	[29:25]	[24:20]	[19:15]	[14:12]	[11:7]	[6:0]
00	fn	rs2	rs1	000	rd	0001011

The implementation has been tested with PQShield’s “Pluto” RISC-V core. We synthesized the same core on low-end Xilinx Artix-7 FPGA target (XC7A35TICSG324-1L) with and without the ENC1S (AES, SM4) instruction extension and related execution pipeline interface.

For comparison, we also measured the size of a memory-mapped AES module “EXTAES”. This module implements AES encryption only, not inverse AES or SM4. Table III summarizes the relative area of ENC1S and EXTAES. Note that the SoC used in this synthesis has some additional logic that is not relevant to the current discussion. We estimate that the full (AES, AES<sup>-1</sup>, SM4) instruction proposal increases the amount of core logic (LUTs) by about 10% over a typical baseline RV32I core, but much less for more complex cores.

Implementors can experiment if it is beneficial to multiplex the S-Box linear layers with the shared middle layer. The required mux logic seems large and increases the circuit depth, so our current reference implementation does not use it.

We observe that the EXTAES module requires a large amount of additional slice registers. Such a memory-mapped state is more difficult to manage and share among processes than the ENC1S state which is always contained in the register file. While the EXTAES module has 16 parallel S-Boxes and executes the core AES itself in about a dozen cycles, loading and storing of blocks causes significant additional latency.

#### V. PERFORMANCE AND SECURITY ANALYSIS

The hand-optimized AES implementation<sup>2</sup> referenced in [12] requires 80 core arithmetic instructions per round, task that is accomplished by 16 ENC1S instructions. However, 16 of those 80 are memory loads, which typically require more cycles than a simple arithmetic instruction (or ENC1S). Each AES round additionally requires a few operations for setting sub-keys, managing loop counters and branching.

Overall, based on RV32 and RV64 instruction counts we estimate that the performance of an ENC1S AES can be more than 500% better when compared to the best speed-optimized

<sup>2</sup>Ko Stoffelen: “RISC-V Crypto” [12] <https://github.com/Ko-riscvcrypto>



AES implementations on baseline ISA. Much of the precise performance gain over a table-based implementation depends on the latency of memory load operations.

ENC1S-based AES and SM4 implementations are inherently constant-time and resistant to timing attacks. Stoffelen [12] also presents a constant-time, bitsliced AES implementation for RISC-V which requires 2.5 times more cycles when compared to the optimized table-based implementation. So ENC1S speedup over a timing side-channel hardened base ISA implementation is expected to be roughly 15-fold.

We are not aware of any definitive assembler benchmarks for SM4 on RISC-V, but based on instruction count estimates the performance improvement can be expected to be roughly similar or more (over 500 %). Without ENC1S simple SM4 software implementations would benefit from rotation instructions which have been proposed in the RISC-V bit manipulation extension, but are not widely implemented.

We have only discussed timing side-channel attacks. Since these instructions interact with the main register file, any electromagnetic emission countermeasures would probably have to be extended to additional parts of the CPU core.

It may be possible to address electromagnetic emissions with completely different types of “masking” instructions. We note that the low multiplicative complexity of our S-Box logic helps when building side-channel resistance beyond timing attacks. Goudarzi et al [13] found the Boyar-Peralta type S-Box to be ideal for masked implementations, a general countermeasure against emission side-channel attacks.

## VI. CONCLUSIONS

We propose a minimalistic RISC-V ISA extension for AES and SM4 block ciphers. The resulting speedup is 500% or more for both ciphers when compared to hand-optimized base ISA assembler implementations that use lookup tables.

In addition to saving energy and reducing latency in secure communications and storage encryption, the main security benefit of the instructions is their constant-time operation and resulting resistance against cache timing attacks. Such countermeasures are expensive in pure software implementations.

The instructions require logic only for a single S-Box, which is combined with additional linear layers for increased code density and performance. The hardware footprint of the instruction is very small as a result. If both AES and SM4 are implemented on the same target they can share data paths which is helpful for hardware size. However AES and SM4 are independent options. It is also possible to implement and use the forward AES without inverse AES. Common CTR-based AES modes do not require inverse cipher for decryption [14].

This proposal is targeted towards (ultra) lightweight MCUs and SoCs. A different type of ISA extension may provide additional speedups on 64-bit and vectorized platforms, but with the cost of significantly higher implementation area. Designers may still want to choose this minimal-footprint option if timing side-channel resistance is their primary concern.

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