

Strengths & Weaknesses of

# Genetic Algorithms

Reed Andreas and Matt Schwarz

## **OBJECTIVE**

Compare the performance of **genetic algorithms** versus **traditional approaches** for three different types of problems.

## **GENETIC ALGORITHMS (REVIEW)**

- Create random versions of a solution (population) that are almost certainly suboptimal
- Rank them by a utility (fitness) function
- Select versions to be parents
  - (Unfortunately) Kill non-parents
- Breed parents (can take many forms) with mutation
- Repeat over many generations

## **PROBLEM TYPES**

01

#### 0/1 Knapsack

Find the optimal packing of a knapsack with given weight capacity and a set of items with individual values and weights such that the value of the knapsack is maximized



#### **Class Scheduling**

Find a valid class ordering given a list of courses with prerequisites (and possibly some other constraints)



#### **N-Queens**

Find a valid placement of N Queens on an NxN chessboard such that no two queens threaten each other by lying in the same row, column, or diagonal



# 01.

# 0/1 KNAPSACK

Dynamic programming

#### **METHODS & RESULTS**

- DP solution effectively handled smaller-capacity examples
- Limitations of DP in terms of scalability and computation time
- Genetic algorithm more flexible and scalable
- BUT genetic algorithm did not always guarantee an optimal solution for large inputs

```
knapsack_gen(values, weights, capacity, num_generations = 50, verbose=False, log_times = False):
num_items = len(values)
population_size = 1000
population = [generate knapsack(num items) for in range(population size)]
for gen in range(num generations):
   fitness_scores = [calculate_fitness(k, values, weights, capacity) for k in population]
   sorted population = [x for , x in sorted(zip(fitness scores, population), reverse=True)]
   parents = sorted_population[:50]
   new population = parents[:]
   while len(new population) < population size:
       parent1, parent2 = random.sample(parents, 2)
       child1, child2 = crossover(parent1, parent2)
       new_population.extend([mutate(child1), mutate(child2)])
   population = new_population
       best_solution = max(population, key=lambda k: calculate_fitness(k, values, weights, capacity))
       best_fitness = calculate_fitness(best_solution, values, weights, capacity)
       print(f"Generation: {gen} | Best fitness: {best fitness}")
   if log times and gen % 10 == 0:
       times[time()] = [gen, best_fitness]
best_solution = max(population, key=lambda k: calculate_fitness(k, values, weights, capacity))
```

```
def knapsack(values, weights, capacity, verbose=False):
    num_items = len(values)

dp = []
    for i in range(num_items + 1):
        dp.append([0] * (capacity + 1))

for i in range(1, num_items + 1):
        if weights[i - 1] <= w:
            value_including_item = values[i - 1] + dp[i - 1][w - weights[i - 1]]
            value_excluding_item = dp[i - 1][w]
            dp[i][w] = max(value_including_item, value_excluding_item)
        else:
            dp[i][w] = dp[i - 1][w]

if verbose and i % 100 == 0:
            print(f"Finished {i} items")

return dp[num_items][capacity]</pre>
```

Figure 1. Dynamic programming implementation of 0/1 Knapsack problem

Figure 2. Genetic algorithm implementation for 0/1 Knapsack

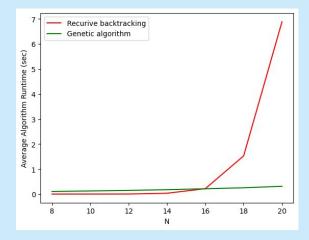
# 02.

# N-QUEENS

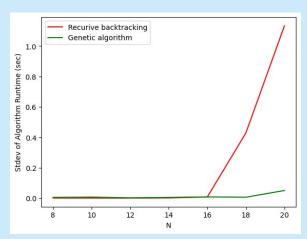
Recursive backtracking

### **METHODS & RESULTS**

- Tried N's of {8, 10, 12, 14, 16, 18, 20}
- Recursive backtracking runtime grows quickly
- Genetic algorithm superior for large inputs



**Figure 3.** Plot of Average Algorithm Runtime vs. N



**Figure 4.** Plot of Stdev of Average Algorithm Runtime vs. N

```
N-Oueens solver

    Solves N-Oueens problem using genetic algorithm

def n_queens_genetic(N, POPULATION_SIZE=50, MUTATION_RATE=0.1, MAX_GENERATIONS=100):
  MAX FITNESS = N * (N - 1) / 2
  population = [(generate_board_state(N), 0) for _ in range(POPULATION_SIZE)]
  # Loop over generations...
  for generation in range(MAX GENERATIONS):
      # Calculate fitness for each board state
      population = [(board_state, calculate_fitness(board_state)) for board_state, _ in population]
      # Check if solution is found
      best board state = max(population, kev=lambda x; x[1])[0]
      if calculate fitness(best board state) == MAX FITNESS:
          #print("Solution found in generation", generation)
      # Create the next generation
      new population = []
      # Elitism: Keep the best board state from the previous generation
      new_population.append(max(population, key=lambda x: x[1]))
      # Perform selection, crossover, and mutation
      while len(new population) < POPULATION SIZE:
          parent1 = tournament selection(population)
          parent2 = tournament_selection(population)
          child = crossover(parent1[0], parent2[0])
          if random.random() < MUTATION_RATE:
              child = mutate(child)
          new population.append((child, 0))
      # Update the population
      population = new_population
  return best board state
```

Figure 5. Genetic algorithm implementation of N-Queens problem

# 03.

# CLASS SCHEDULING

Topological sort

### **METHODS & RESULTS**

- Topological sort is limited to solving prerequisite problem
- Genetic algorithm allows additional constraints to be optimized through reward function
- "Mitosis" mutation function

```
# lets reward physics classes in the first two semesters
if "PHYS 1600" in [course.name for course in schedule.semesters[0].courses]:
    utility += 300
if "PHYS 1601" in [course.name for course in schedule.semesters[1].courses]:
    utility += 300
```

Figure 6. Genetic algorithm reward function modification

Figure 7. Genetic algorithm implementation of class scheduling problem

```
def schedule_mutate(schedule):
    # make a copy of the schedule
    schedule = deepcopy(schedule)
# swap two courses
semester1 = random.choice(schedule.semesters)
semester2 = random.choice(schedule.semesters)
while semester1 == semester2:
    semester2 = random.choice(schedule.semesters)
course1 = random.choice(semester1.courses)
course2 = random.choice(semester2.courses)
if course1 == course2:
    return schedule
semester1.courses.remove(course1)
semester2.courses.remove(course2)
semester2.courses.append(course2)
semester1.courses.append(course2)
```

return schedule

Figure 8. Genetic algorithm "mitosis" mutation function

### **DEMO**

#### **Peer Evaluation Executable**

```
-- Executable for peer evaluation --
You will need a relatively recent version of Python installed (likely 3.7+)

You may need to install a few packages if you have not already.
To do so, run the following commands in the terminal:

pip3 install numpy
pip3 install matplotlib

Using the terminal, enter into the directory containing this file and run the following command:

python3 peer_eval.py

Now, wait for the code to execute and you should see the output printed in the console.

"""
```

## Video (5x Speed)

(base) metts	schwarziMatts-MacBook-Pro-6 Desktop % p			

## CONCLUSION

#### Genetic algorithms are:

- versatile and powerful
- able to solve a wide range of problems
- good for quick, approximate solutions

#### Genetic algorithms are **not**:

- a one-size-fits all solution
- always able to find an optimal solution

#### **ANY QUESTIONS?**