

# Machine learning

ostateczne rozwiązania

#### Uczenie maszynowe

Duża liczba obserwacji (>50)

Duża liczba zmiennych (ale p<n zwykle)

Zwykle interesuje nas wynik a nie mechanizm\*

ale zwykle można poznać oba

rozpoznawanie twarzy

wyszukiwanie obrazów

ocena ryzyka kredytowego

ocena opłacalności działań windykacyjnych

#### Przykłady zastosowań



Contents lists available at ScienceDirect

#### Urban Forestry & Urban Greening

journal homepage: www.elsevier.com/locate/ufug



#### Original article

The utility of ancient forest indicator species in urban environments: A case study from Poznań, Poland

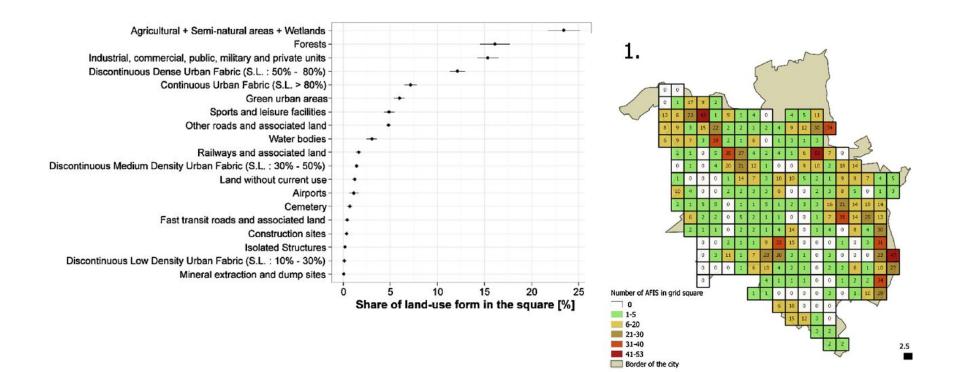


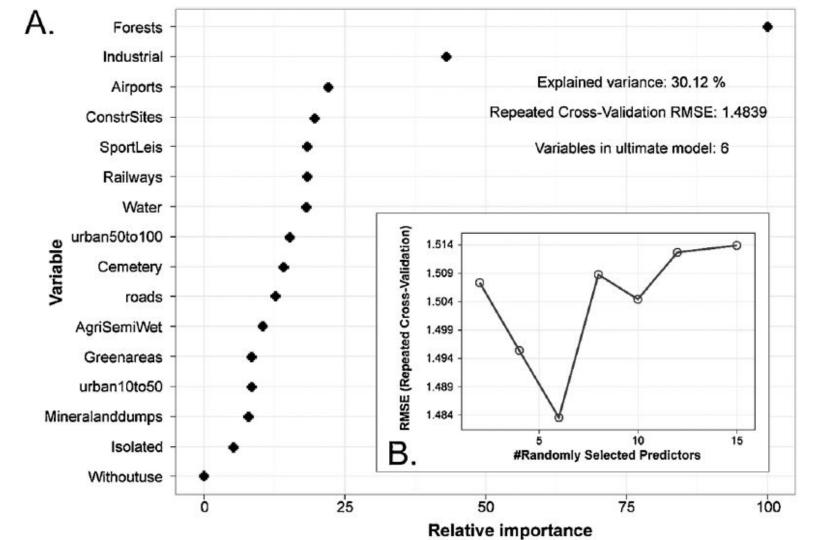
Marcin K. Dyderski<sup>a,b</sup>, Jarosław Tyborski<sup>c</sup>, Andrzej M. Jagodziński<sup>a,b,\*</sup>

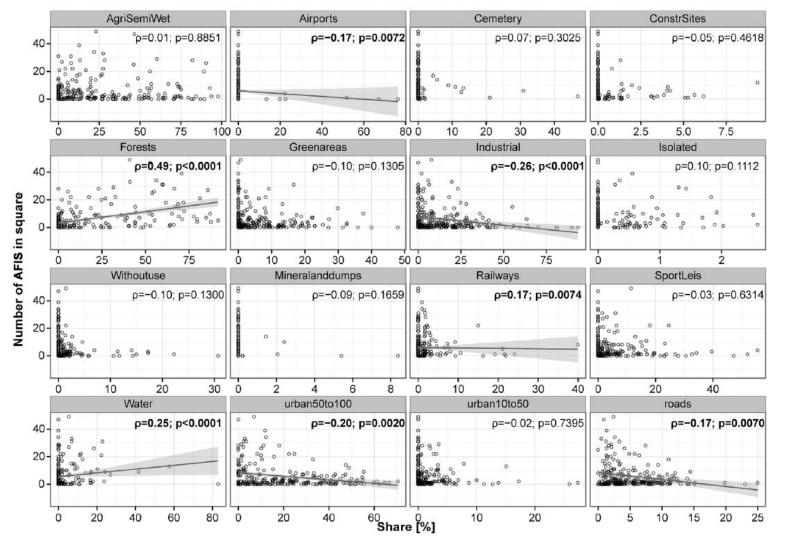
Institute of Dendrology, Polish Academy of Sciences, Parkowa 5, 62-035 Kórnik, Poland

b Poznań University of Life Sciences, Department of Game Management and Forest Protection, Wojska Polskiego 71c, 60-625 Poznań, Poland

<sup>&</sup>lt;sup>c</sup> Poznań University of Life Sciences, Faculty of Forestry, Wojska Polskiego 28, 60-637 Poznań, Poland







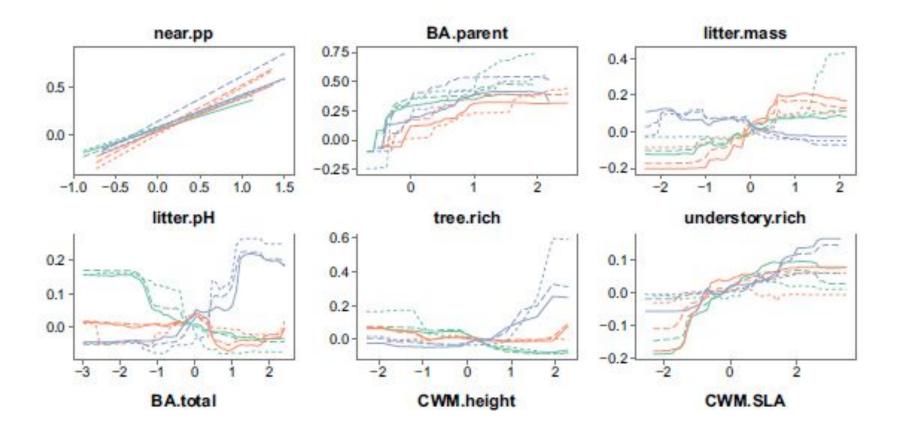
https://doi.org/10.1007/s10530-018-1706-3



#### ORIGINAL PAPER

# Drivers of invasive tree and shrub natural regeneration in temperate forests

Marcin K. Dyderski · Andrzej M. Jagodziński



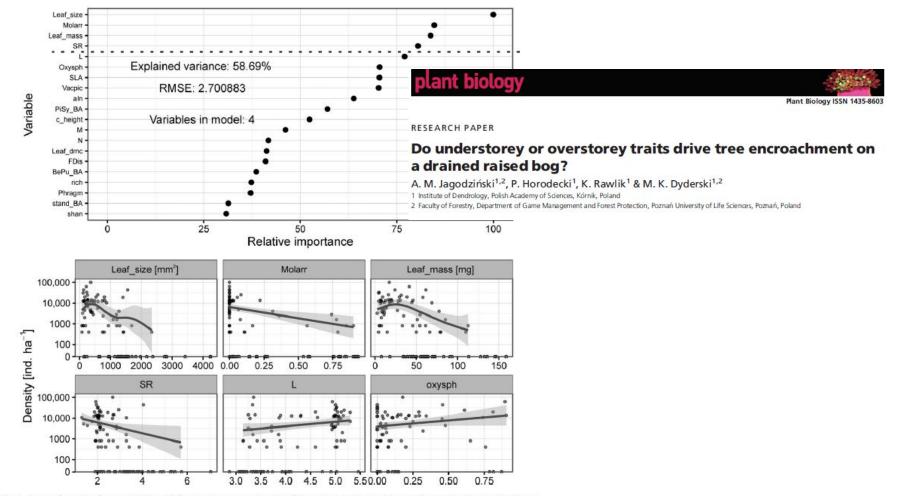


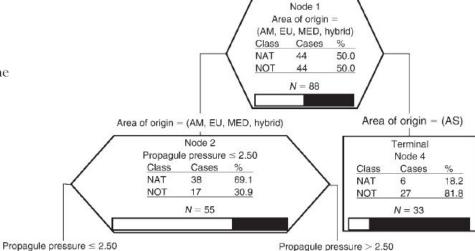
Fig. 4. Results of a random forest model (n = 104) for natural regeneration density of *Pinus sylvestris* ≥1 year old (up to 0.5-m height). Above: relative importance of parameters taken into account during model building; below: partial dependence plots of the six most important variables. Abbreviations: see Table S2. Dashed line cuts variables included in the final model.

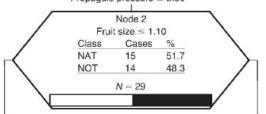
Ecology, 90(10), 2009, pp. 2734-2744 © 2009 by the Ecological Society of America

Planting intensity, residence time, and species traits determine invasion success of alien woody species

PETR PYŠEK, 1,2,3 MARTIN KŘIVÁNEK, 1,4 AND VOJTĚCH JAROŠÍK 1,2

<sup>1</sup>Institute of Botany, Academy of Sciences of the Czech Republic, CZ-252 43 Průhonice, Czech Republic <sup>2</sup>Department of Ecology, Faculty of Science, Charles University, Viničná 7, CZ-128 01 Praha 2, Czech Republic





Terminal Node 3

Class Cases %

NAT 23 88.5

NOT 3 11.5

N = 26

| Terminal | Node 1 | Class | Cases | % | NAT | 2 | 20.0 | NOT | 8 | 80.0 | N = 10

Fruit size ≤ 1.10

Fruit size > 1.10

### Klasyfikacja a regresja

charakter zmiennej - ciągła/dyskretna

metody mogą być dopasowane do klasyfikacji, regresji lub obu

lista modeli do wytrenowania za pomocą caret::train()

http://topepo.github.io/caret/train-models-by-tag.html

library(caret)

#### Przykład zoologiczny - klasyfikacja

Wildlife Biology 21(5):254-262. 2015

https://doi.org/10.2981/wlb.00105

A morphometric modeling approach to distinguishing among bobcat, coyote and gray fox scats

http://www.bioone.org/doi/full/10.2981/wlb.00105

dane z Appendixu



Figure A2. Examples of scats coded as 'flat' because they lack other distinctive and/or measurable morphological traits, including samples: (A) 012712ANNU22, (B) 012712ANNU21, (C) 012712ANNU23 and (D) 012712ANNU20.

```
> summary(Scat)
    Species Location
                                Number Length
                         Age
bobcat :50
             edge : 34
                         1:13
                                1:17
                                      Min. : 3.100
             middle :34
coyote :24
                        2: 4
                                2:30
                                      1st Qu.: 6.500
             off edge:23
                         3:32
                                3:20
gray fox:17
                                      Median : 9.000
                          4:16
                                4:13
                                      Mean : 9.553
                                5: 6
                                      3rd Qu.:11.750
                          5:26
                                6: 3
                                      Max. :20.500
                                7: 2
   Diameter
                Taper
                                  TI
                                                Mass
Min. : 7.80
               Min. : 2.30
                             Min. :0.230
                                           Min. : 0.940
1st Qu.:15.95
               1st Qu.:16.90
                             1st Qu.:0.990
                                           1st Qu.: 5.715
Median:18.00
               Median :25.80
                             Median :1.430
                                            Median : 9.750
Mean :18.36
               Mean :27.47
                             Mean :1.606
                                            Mean :12.508
 3rd Qu.:21.25
               3rd Qu.:37.50
                             3rd Qu.:1.940
                                            3rd Qu.:16.970
Max. :30.00
               мах. :91.50
                             Max.
                                   :8.680
                                            Max. :53.700
              ropey segmented flat
                                    scrape
      CN
Min. : 4.50
               0:35 0:36
                              0:91
                                    0:86
              1:56
                   1:55 1:0
1st Qu.: 6.15
                                    1: 5
Median : 7.00
Mean : 7.83
 3rd Qu.: 8.10
Max. :23.60
```

VIEW(Scal)

### preProcessing

```
pprec<-preProcess(dane, method=c(...))
methods: center, scale, BoxCox, YeoJohnson, ...
można podać kilka
rekomendowane:
center + scale
center + scale + YeoJohnson
```

http://topepo.github.io/caret/pre-processing.html

Scat.oryg<-Scat #kopia danych oryginalnych

Scat<-predict(prec,Scat)</pre>

prec<-preProcess(Scat, method=c('center','scale'))</pre>

### Jak przygotować dane?

zbiór treningowy i testowy

reguła podziału - brak 60, 66, 75, 80, 90%

im więcej do testów - tym wiarygodniejsza ocena niezależności

podział - wg zmiennej objaśnianej lub wg predyktorów

http://topepo.github.io/caret/data-splitting.html

### Jak przygotować dane?

wg zmiennej objaśnianej

set.seed(1111) #ziarno generatora liczb pseudolosowych - powtarzalność!

podzielscat<-createDataPartition(Scat\$Species,p=.75,list=FALSE)</pre>

scat.train<-Scat[podzielscat,]</pre>

scat.train<-Scat[-podzielscat,]</pre>

http://topepo.github.io/caret/data-splitting.html

```
> summary(scat.train$Species)
```

bobcat coyote gray fox

38 18 13

> summary(scat.test\$Species)

bobcat coyote gray fox

12 6 4

#### Drzewa decyzyjne

```
library(rpart)
```

set.seed(11)

rtr<-train(scat.train[,2:14],scat.train\$Species,method = 'ctree',metric='Accuracy')

train - klucz do data mining

składnia: predyktory, zmienna zależna, metoda, metric - wg czego ma dobrać najlepszy model

### Accuracy, Kappa

Accuracy - trafność klasyfikatora maleje z liczbą klas, nie zawsze daje dobry obraz punkt odniesienia - null model - no-information rate jako no-information rate - proporcja najliczniejszej kategorii -co by było gdybym zawsze przewidywał najczęstszy przypadek Kappa Cohena - współczynnik zbieżności, zakres -1 do 1 w praktyce 0 = losowość, <0 się nie powinno zdarzyć

```
> rtr
```

Conditional Inference Tree

69 samples

13 predictors

3 classes: 'bobcat', 'coyote', 'gray fox'

No pre-processing

Resampling: Bootstrapped (25 reps)

Summary of sample sizes: 69, 69, 69, 69, 69, 69, ...

Resampling results across tuning parameters:

mincriterion Accuracy Kappa

0.01 0.5238610 0.1919810

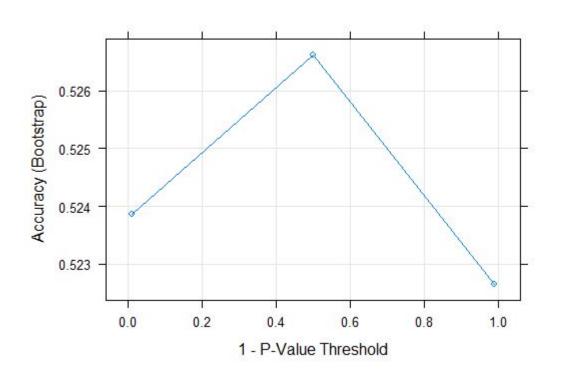
0.50 0.5266196 0.2005055

0.99 0.5226484 0.1550557

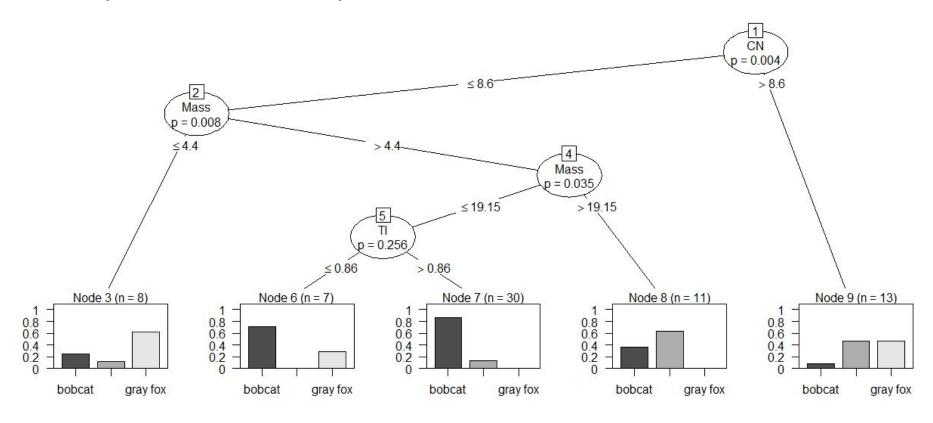
Accuracy was used to select the optimal model using the largest value.

The final value used for the model was mincriterion = 0.5.

## plot(rtr)



### plot(rtr\$finalModel)



#### Sprawdzam!

confusionMatrix(predict(rtr,scat.test),scat.test\$Species)
Confusion Matrix and Statistics

#### Reference

Prediction bobcat coyote gray fox

bobcat 8 0 1 coyote 2 6 2 gray fox 2 0 1

#### **Overall Statistics**

Accuracy: 0.6818

95% CI: (0.4513, 0.8614)

No Information Rate: 0.5455

P-Value [Acc > NIR] : 0.1419

Kappa: 0.4934

Mcnemar's Test P-Value: 0.2276

Class: bobcat Class: coyote Class: gray fox

Sensitivity 0.6667 1.0000 0.25000

Specificity 0.9000 0.7500 0.88889 Pos Pred Value 0.8889 0.6000 0.33333

Pos Pred Value 0.8889 0.6000 0.33333 Neg Pred Value 0.6923 1.0000 0.84211

Prevalence 0.5455 0.2727 0.18182
Detection Rate 0.3636 0.2727 0.04545

 Detection Rate
 0.3636
 0.2727
 0.04545

 Detection Prevalence
 0.4091
 0.4545
 0.13636

 Balanced Accuracy
 0.7833
 0.8750
 0.56944

?confusionMatrix

### Lasy losowe - random forest

jeśli jedno drzewo nie jest stabilne, to weźmy cały las...

drzewa "głosują" - klasyfikują poszczególne obserwacje

następnie głosy są uśredniane

lepsza stabilność, trudniejsza interpretacja - czarna skrzynka

### Jedno drzewo za mało - posadźmy las;)

```
set.seed(12)
```

```
mtry.grid=expand.grid(mtry=1:10)
```

```
ttt2<-train(scat.train[,2:14],scat.train$Species,method = 'rf', preProcess =
c('center','scale'),tuneGrid=mtry.grid,metric='Accuracy',importance=T,
keep.forest=T)</pre>
```

tuneGrid - siatka parametrów po której train szuka najlepszego modelu

preProcess - można zapodać w tym miejscu

keep.forest - przyda się później

#### Random Forest

91 samples 13 predictors 3 classes: 'bobcat', 'coyote', 'gray fox'

Pre-processing: centered (6), scaled (6), ignore (7) Resampling: Bootstrapped (25 reps)

Summary of sample sizes: 91, 91, 91, 91, 91, 91, ...

Resampling results across tuning parameters:

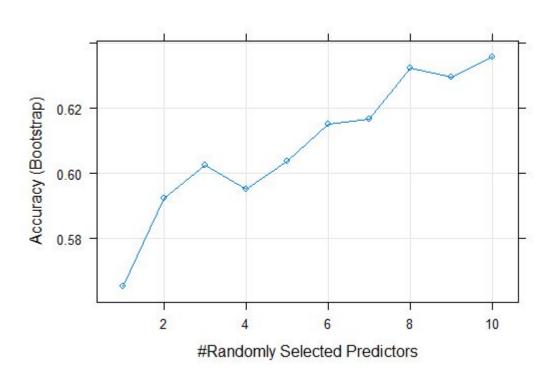
1 0.5652831 0.1136572 2 0.5922426 0.2388712 3 0.6025285 0.2714902 4 0.5950336 0.2763425 5 0.6037800 0.3002902 6 0.6152177 0.3239840 7 0.6166477 0.3307235 8 0.6323792 0.3591487 9 0.6297370 0.3540056 10 0.6357729 0.3662115

mtry Accuracy Kappa

Accuracy was used to select the optimal model using the largest value.

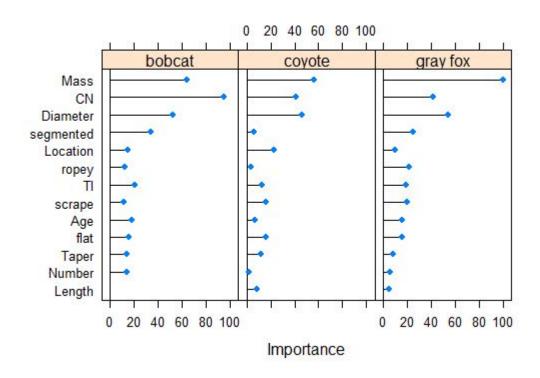
The final value used for the model was mtry = 10.

## plot(ttt)



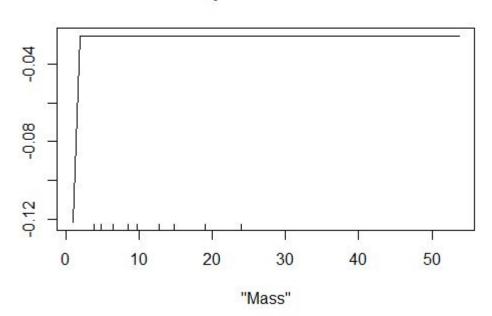
```
> varImp(ttt)
rf variable importance
 variables are sorted by maximum importance across the classes
         bobcat coyote gray fox
          64.37 55.993 100.000
Mass
          95.08 41.624 41.254
CN
          52.96 46.565 53.883
Diameter
          33.98 5.822 24.556
segmented
Location
          15.03 23.147 9.720
          12.60 4.086 21.828
ropey
          20.66 12.953
                        19.454
TI
          11.58 15.830
                        20.081
scrape
Age
          18.67 6.658
                         15.333
flat
          15.83 15.830
                        15.830
          13.99 12.237 7.819
Taper
          13.85 1.820
                          5.930
Number
           0.00 8.711
                          4.459
Length
```

### plot(varImp(ttt))



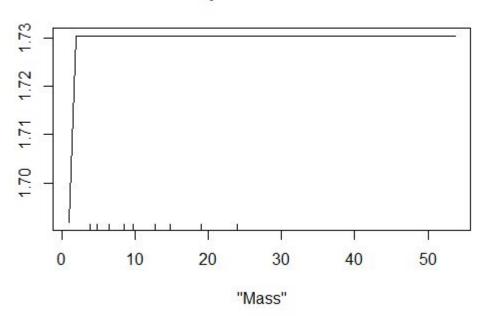
### partialPlot(ttt\$finalModel,Scat,'Mass')

#### Partial Dependence on "Mass"



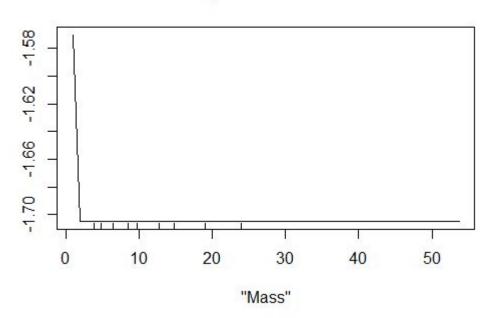
### partialPlot(ttt2\$finalModel,Scat,'Mass','coyote')

#### Partial Dependence on "Mass"



## partialPlot(ttt2\$finalModel,Scat,'Mass','gray fox')

#### Partial Dependence on "Mass"



#### **Confusion Matrix and Statistics**

Reference

Prediction bobcat coyote gray fox

bobcat 9 2 2 coyote 1 3 0

gray fox 2 1 2

#### **Overall Statistics**

Accuracy: 0.6364

95% CI: (0.4066, 0.828)

No Information Rate: 0.5455

P-Value [Acc > NIR] : 0.2622

Kappa: 0.3803

Mcnemar's Test P-Value: 0.7212

### Statistics by Class:

Class: bobcat Class: coyote Class: gray fox					
Sensitivity	0.7500	0.5000	0.50000		
Specificity	0.6000	0.9375	0.83333		
Pos Pred Value	0.6923	0.7500	0.40000		
Neg Pred Value	0.6667	0.8333	0.88235		
Prevalence	0.5455	0.2727	0.18182		
Detection Rate	0.4091	0.1364	0.09091		
Detection Prevalence	0.5909	0.1818	0.22727		
Balanced Accuracy	0.6750	0.7188	0.66667		

randomForest - łatwiej przedstawić przy regresji lub binomial

### **Gradient Boosted Modeling**

GBM, BRT, jak zwał tak zwał

wrzucamy dane, drzewa je przetwarzają - część z nich zaklasyfikowana dobrze

źle zaklasyfikowane - nowe drzewa

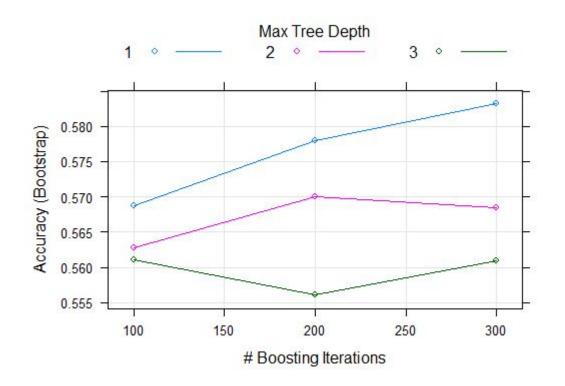
i tak do skutku;)

set.seed(111)

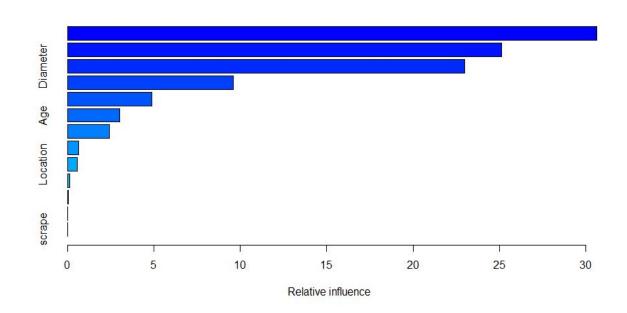
gbm.grid=expand.grid(n.trees=c(100,200,300),interaction.depth=1:3,shrinkage=.0 1,n.minobsinnode=5)

gbmscat<-train(scat.train[,2:14],scat.train\$Species,method = 'gbm',preProcess =
c('center','scale'),tuneGrid=gbm.grid,metric='Accuracy')</pre>

## plot(gbmscat)

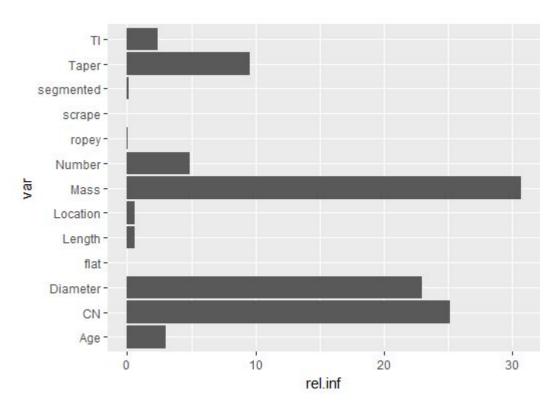


## summary(gbmscat)



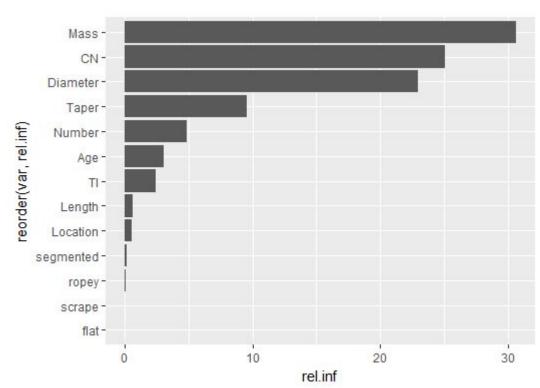
### lepiej ggplotem

ggplot(as.data.frame(summary(gbmscat)),aes(x=var,y=rel.inf))+geom\_col()+coord\_flip()



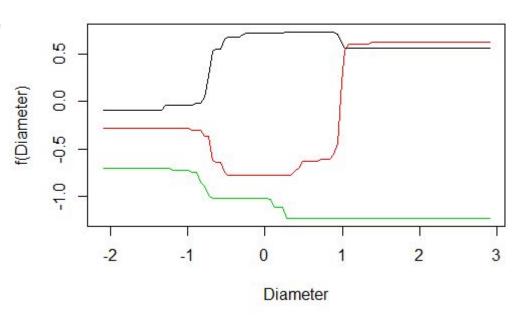
### lepiej ggplotem

ggplot(as.data.frame(summary(gbmscat)),aes(x=reorder(var,rel.inf),y=rel.inf))+geom\_col()+coord\_flip()



library(gbm)

plot.gbm(gbmscat\$finalModel,5)



> confusionMatrix(predict(gbmscat,scat.test),scat.test\$Species)
Confusion Matrix and Statistics

Refe	rence	)		
Prediction I	oobca	at coy	ote gra	ay fox
bobcat	11	3	3	
coyote	1	3	0	
gray fox	0	0	1	

Accuracy: 0.6818

95% CI: (0.4513, 0.8614)

No Information Rate: 0.5455

P-Value [Acc > NIR] : 0.1419

Kappa: 0.3889

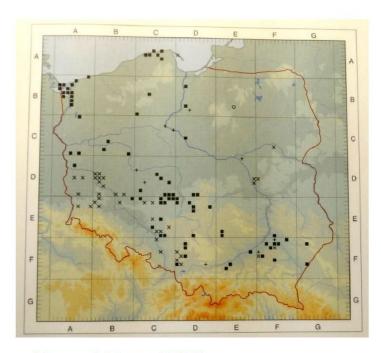
Mcnemar's Test P-Value: NA

### Class: bobcat Class: coyote Class: gray fox

Sensitivity	0.9167	0.5000	0.25000
Specificity	0.4000	0.9375	1.00000
Pos Pred Value	0.6471	0.7500	1.00000
Neg Pred Value	0.8000	0.8333	0.85714
Prevalence	0 5455	0 2727	0 18182

1 00 1 100 10100	0.0171	0.1000	1.00000	
Neg Pred Value	0.8000	0.8333	0.85714	
Prevalence	0.5455	0.2727	0.18182	
Detection Rate	0.5000	0.1364	0.04545	
<b>Detection Prevalence</b>	0.7727	0.1818	0.04545	
Balanced Accuracy	0.6583	0.7188	0.62500	

### Klasyfikacja binarna - Osmunda regalis



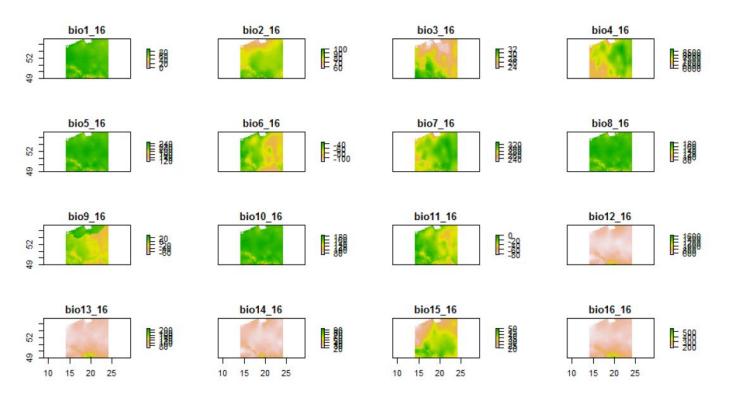
(Zając & Zając 2001)

- Atlas
   Rozmieszczenia
   Roślin Naczyniowych
   w Polsce [ATPOL]
- <100 stanowisk w Polsce
- Polska Czerwona Lista

# Skad dane o klimacie?

```
BIO1 = Annual Mean Temperature
BIO2 = Mean Diurnal Range (Mean of monthly (max temp - min temp))
BIO3 = Isothermality (BIO2/BIO7) (* 100)
BIO4 = Temperature Seasonality (standard deviation *100)
BIO5 = Max Temperature of Warmest Month
BIO6 = Min Temperature of Coldest Month
BIO7 = Temperature Annual Range (BIO5-BIO6)
BIO8 = Mean Temperature of Wettest Quarter
BIO9 = Mean Temperature of Driest Quarter
BIO10 = Mean Temperature of Warmest Quarter
BIO11 = Mean Temperature of Coldest Quarter
BIO12 = Annual Precipitation
BIO13 = Precipitation of Wettest Month
BIO14 = Precipitation of Driest Month
BIO15 = Precipitation Seasonality (Coefficient of Variation)
BIO16 = Precipitation of Wettest Quarter
BIO17 = Precipitation of Driest Quarter
BIO18 = Precipitation of Warmest Quarter
BIO19 = Precipitation of Coldest Quarter
```

#### można ściągnąć bez problemu funkcją raster::getData()



```
set.seed(11)
osm.dziel<-createDataPartition(osmunda$osmunda,p=.75,list=F)
osm.tr<-osmunda[osm.dziel,]
osm.te<-osmunda[-osm.dziel,]
ffitControl <- trainControl(method =
"repeatedcy",number=10,repeats=10,classProbs = TRUE,summaryFunction =
twoClassSummary)
model.osm<-train(osm.tr[,1:14],as.factor(osm.tr$osmunda),method =
'rf',metric='ROC',trControl = fitControl ,tuneGrid = mtry.grid)
```

Error: At least one of the class levels is not a valid R variable name; This will cause errors when class probabilities are generated because the variables names will be converted to X0, X1. Please use factor levels that can be used as valid R variable names (see ?make.names for help).

w caret random forest nie wchodzą do ROC 0-1

```
Random Forest
120 samples
14 predictor
  2 classes: 'brak', 'obecny'
No pre-processing
Resampling: Cross-Validated (10 fold, repeated 10 times)
Summary of sample sizes: 108, 108, 108, 108, 108, ...
Resampling results across tuning parameters:
 mtry
       ROC
                  Sens
                             Spec
       0.8025000 0.7300000 0.7416667
       0.8098611 0.7450000
                             0.7383333
       0.8043056 0.7466667
                             0.7433333
       0.8095833 0.7433333
                            0.7300000
       0.8081944 0.7483333 0.7366667
```

8 0.8083333 0.7433333 0.7433333
9 0.8041667 0.7400000 0.7433333
10 0.8090278 0.7333333 0.7433333

ROC was used to select the optimal model using the largest value.
The final value used for the model was mtry = 2.

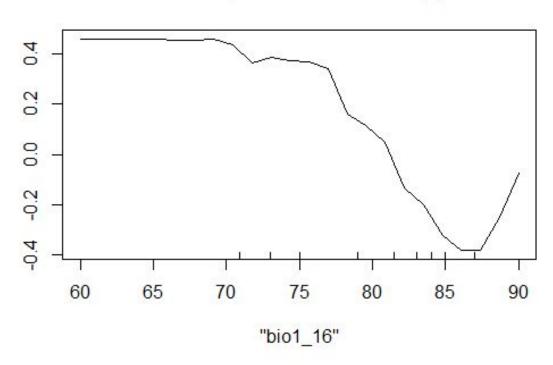
0.7333333

0.8050000 0.7416667 0.7350000

0.8084722 0.7416667

### partialPlot(model.osm\$finalModel,osm.tr,'bio1\_16')

#### Partial Dependence on "bio1\_16"



#### confusionMatrix(predict(model.osm\$finalModel,osm.te),osm.te\$osmunda)

Reference

Prediction brak obecny

brak 13 6

obecny 6 13

Accuracy: 0.6842

95% CI: (0.5135, 0.825)

No Information Rate: 0.5

P-Value [Acc > NIR] : 0.01678

Sensitivity: 0.6842

Specificity: 0.6842

Pos Pred Value: 0.6842

Neg Pred Value: 0.6842

Prevalence: 0.5000

Detection Rate: 0.3421

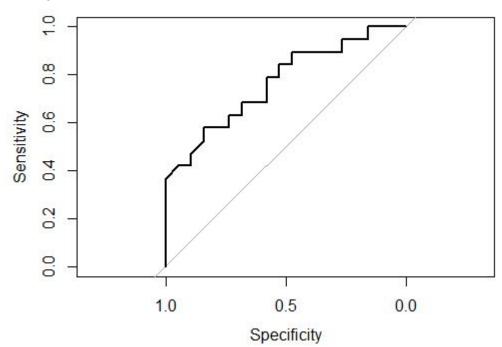
Detection Prevalence: 0.5000

Balanced Accuracy: 0.684

### o co chodzi z tym ROC?

receiver-operator curve - czułość vs. specyficzność

library(pROC) krzywa<-roc(osm.te\$osmunda,predykcja[,2]) plot(krzywa) krzywa



Area under the curve: 0.7673

### dużo? mało?

ważne że porównujemy zbiór testowy

<0.7 - słabo (ale też publikowalne;)

0.7-0.8 - w miarę

0.8-0.9 dobrze

0.9-0.95 - bardzo dobrze

0.95-0.98 - excellent

>.98 - coś jest nie tak!

## od czego zależy AUC?

od zbilansowania klas

od zbilansowania predyktorów

### inne podejście - gbm

```
set.seed(9)
```

```
osmgbm<-train(osm.tr[,1:14],as.factor(osm.tr$osmunda),method = 'gbm',metric='ROC',trControl = fitControl ,tuneGrid = gbm.grid)
```

```
No pre-processing
Resampling: Cross-Validated (10 fold, repeated 10 times)
Summary of sample sizes: 108, 108, 108, 108, 108, 108, ...
Resampling results across tuning parameters:
  interaction.depth n.trees
                             ROC
                                        Sens
                                                   Spec
                             0.7602778 0.6616667
                    100
                                                   0.7133333
                     200
                             0.7879167 0.6716667
                                                   0.7100000
  1222333
                     300
                             0.7995833 0.6833333 0.7183333
                    100
                             0.8058333 0.6950000 0.7266667
                    200
                             0.8180556 0.7083333 0.7500000
                             0.8222222 0.7250000 0.7566667
                     300
                    100
                             0.8184722 0.7066667 0.7433333
```

0.8280556 0.7166667 0.7616667

0.8377778 0.7250000 0.7783333

Tuning parameter 'shrinkage' was held constant at a value of 0.01

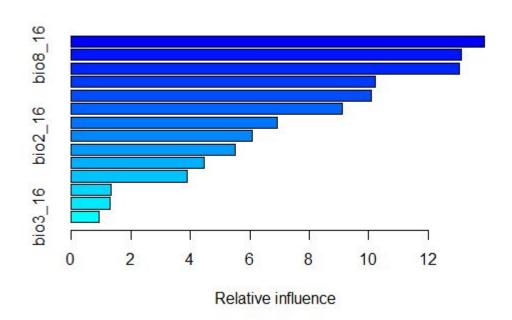
a value of 5 ROC was used to select the optimal model using the largest value. The final values used for the model were n.trees = 300, interaction.depth = 3, shrinkage = 0.01 and n.minobsinnode = 5.

Tuning parameter 'n.minobsinnode' was held constant at

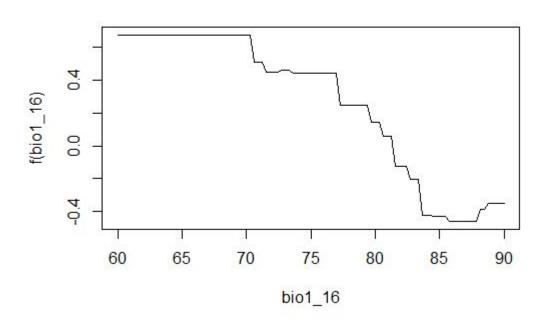
200

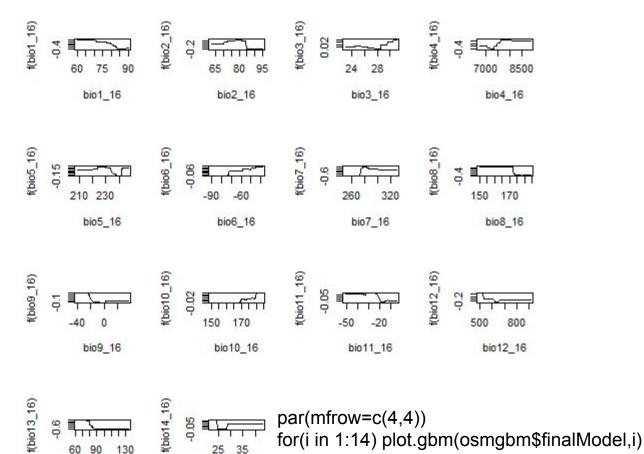
300

## summary(osmgbm)



## plot.gbm(osmgbm\$finalModel,1)





bio14\_16

bio13\_16

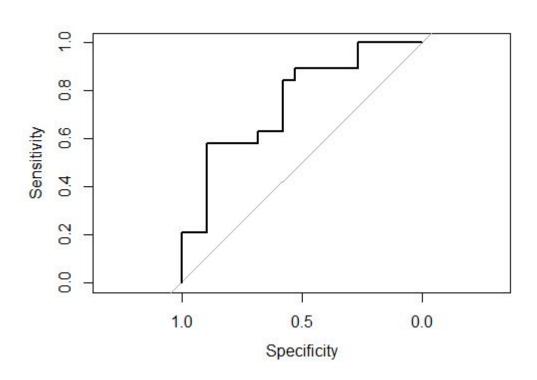
predykcja<-predict(osmgbm\$finalModel,osm.te,n.trees=200) krzywa<-roc(osm.te\$osmunda,predykcja) krzywa

Call: roc.default(response = osm.te\$osmunda, predictor = predykcja)

Data: predykcja in 19 controls (osm.te\$osmunda brak) > 19 cases (osm.te\$osmunda obecny).

Area under the curve: 0.7535

# plot(krzywa)



### Regresja

Zbiór danych z Poznania:

zmienna objaśniana - liczba gatunków starych lasów

predyktory - udział typów zagospodarowania terenu

mtryGrid<-expand.grid(mtry=c(2,4,6,8,10,12,15))#parametry RF - ile losowo dobranych ma być w modelu - który lepszy będzie

poznan<-train(x=zbtrainG[,c(2:14,17:19)],y=zbtrainG\$ile,

meth=c('rf'),preProcess=c('YeoJohnson','center','scale'),trControl=ctrl,

importance=TRUE,tuneGrid = mtryGrid)

```
> poznan#ogladamy model
Random Forest
182 samples
 16 predictor
Pre-processing: Yeo-Johnson transformation (11), centered
```

(16), scaled (16) Resampling: Cross-Validated (10 fold, repeated 1 times) Summary of sample sizes: 165, 165, 164, 163, 164, 164, ... Resampling results across tuning parameters:

MAE

```
7.363558 0.2245170 5.204747
     7.416160 0.2221702 5.258511
     7.474293 0.2183596 5.246684
     7.496270 0.2185214 5.244452
10
  7.504952 0.2230687 5.251739
12
    7.549857 0.2182108 5.279518
15
     7.607259 0.2183835 5.281102
```

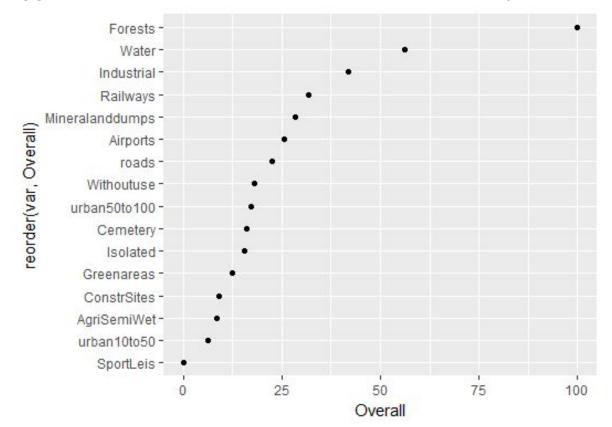
mtry RMSE

Rsquared

smallest value. The final value used for the model was mtry = 2.

RMSE was used to select the optimal model using the

poznanimp<-(varImp(poznan)\$importance)
poznanimp\$var<-rownames(poznanimp)
ggplot(poznanimp,aes(x=reorder(var,Overall),y=Overall))+geom\_point()+coord\_flip()</pre>



### test RMSE

> sqrt(mean((zbtrainG\$ile-(predict(poznan\$finalModel, zbtrainG)))^2))

[1] 7.684401

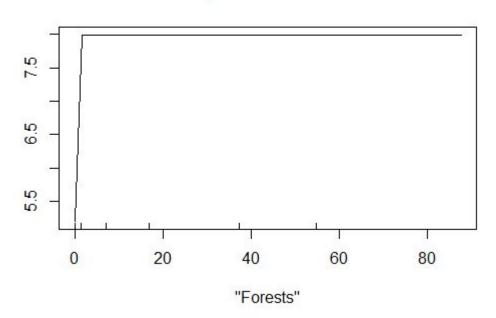
> sqrt(mean((zbtestG\$ile-(predict(poznan\$finalModel, zbtestG)))^2))

[1] 8.520902

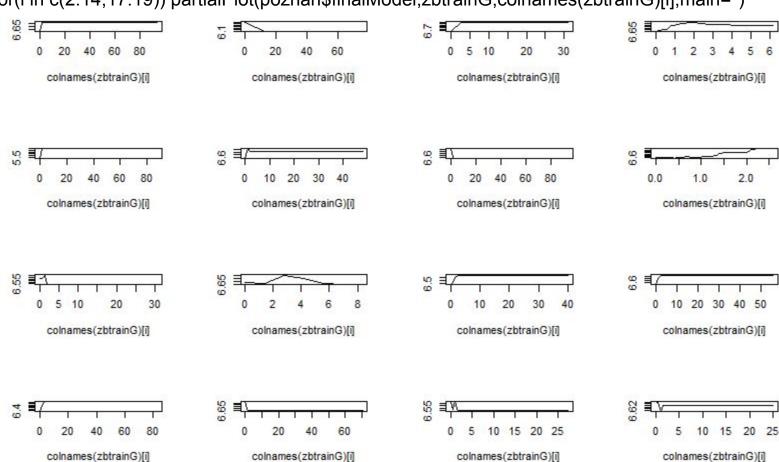
lekki overfitting

## partialPlot(poznan\$finalModel,zbtrainG,'Forests')

#### Partial Dependence on "Forests"



par(mfrow=c(4,4)) for(i in c(2:14,17:19)) partialPlot(poznan\$finalModel,zbtrainG,colnames(zbtrainG)[i],main=")



### Dobre źródła informacji

https://nowosad.github.io/files/presentations/pazur12/#1 - świetna prezentacja po polsku

http://topepo.github.io/caret/ - manual careta

publikacje, typy modeli, konkretne zastosowania

