

$$S = (4, 2)$$

$$F = (1, 1)$$

Visited

$$\text{cur} = (4, 1)$$

$$\text{queue} = [(5, 2) (4, 3) (3, 2)]$$

$$(5, 1) (3, 1) (4, 0) (4, 2)$$

$$(4, 2) \rightarrow (4, 1) \rightarrow (4, 2)$$

```

private List<FullMapNode> continuousPathBFS(
    Map<String, FullMapNode> parent,
    Map<String, Integer> score) {
    parent.put(startKey, value: null);
    score.put(startKey, value: 0);

    while (!queue.isEmpty()) {
        FullMapNode current = queue.poll();
        String cKey = keyOf.apply(current);

        if (cKey.equals(finishKey)) {
            break;
        }

        for (FullMapNode nb : gameHelper.getNeighbours4(current)) {
            String nKey = keyOf.apply(nb);
            if (!isPassable(nb)) continue;
            if (parent.get(nKey) == null)
            int newScore = score.get(cKey);
            if (goals.contains(nb)) {
                newScore++; // reward if path passes through goal
            }
            // if neighbor not visited OR new path has better score - explore
            if (newScore > score.getOrDefault(nKey, -1)) {
                parent.put(nKey, cKey);
                parent.put(nKey, cKey);
                score.put(nKey, newScore);
                queue.add(nb);
            }
        }
    }

    if (!visited.contains(finishKey)) throw new IllegalArgumentException();

    LinkedList<FullMapNode> path = new LinkedList<>();
    String walk = finishKey;
    while (walk != null) {
        FullMapNode node = byKey.get(walk);
        path.addFirst(node);
        walk = parent.get(walk);
    }
}

```

$\rightarrow \text{cur} = B$

$\text{neighbours} = [D, A]$

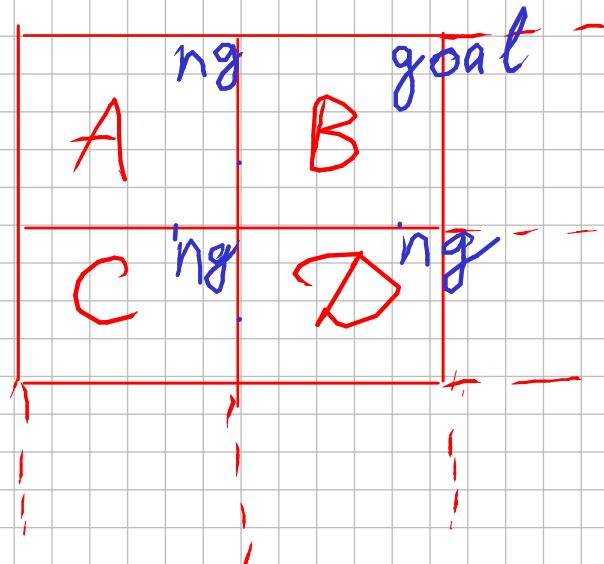
$nB = D$

$\text{new Score} = 1 + 0 = 1$

Start = D Finish = A

```
// if neighbor not visited OR new path has better score - explore  
if (!visited.contains(nKey), newScore > score.getOrDefault(nKey, -1)) {  
    1) visited.add(nKey);  
    2) parent.put(nKey, cKey);  
    3) score.put(nKey, newScore);  
    4) queue.add(nb);  
}
```

$$P = \begin{bmatrix} D: \text{null} & B:D \\ C:D & A:C \end{bmatrix}$$



$$Q = [\quad A \quad]$$

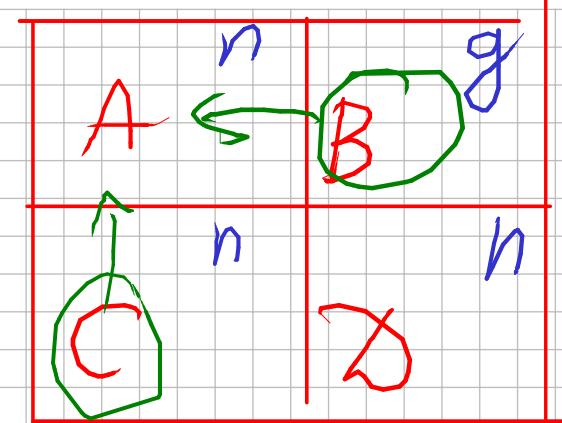
$$V = [D, C, B, A]$$

$$\text{Score} = [(D, 0), (C, 0), (B, 1), (A, 0)]$$

$$\text{cur} = B \quad nb = D$$

Start = D Finish = A

```
228     String startKey = keyOf.apply(start);
229     String finishKey = keyOf.apply(finish);
230     queue.add(start);
231     visited.add(startKey);
232     parent.put(startKey, value: null);
233     score.put(startKey, value: 0);
234
235
236
237     while (!queue.isEmpty()) {
238         FullMapNode current = queue.poll();
239         String cKey = keyOf.apply(current); = A
240
241         if (cKey.equals(finishKey)) {
242             break;
243         } nbs = [ ]
244
245         for (FullMapNode nb : gameHelper.getNeighbours4(current)) {
246             String nKey = keyOf.apply(nb); =
247             if (!isPassable(nb)) continue;
248             if (visited.contains(nKey)) continue;
249             int newScore = score.get(cKey);
250             if (goals.contains(nb)) {
251                 newScore++; // reward if path passes through goal
252             }
253             // if neighbor not visited OR new path has better score - explore
254             if [newScore > score.getOrDefault(nKey, -1)] {
255                 visited.add(nKey);
256                 parent.put(nKey, cKey);
257                 score.put(nKey, newScore);
258                 queue.add(nb);
259             }
260         }
261     }
```



Q = []

V = [D, C, B, A]

Score = D:0

C:0 B:1 A:0

P = [D:null, C:D, B:D

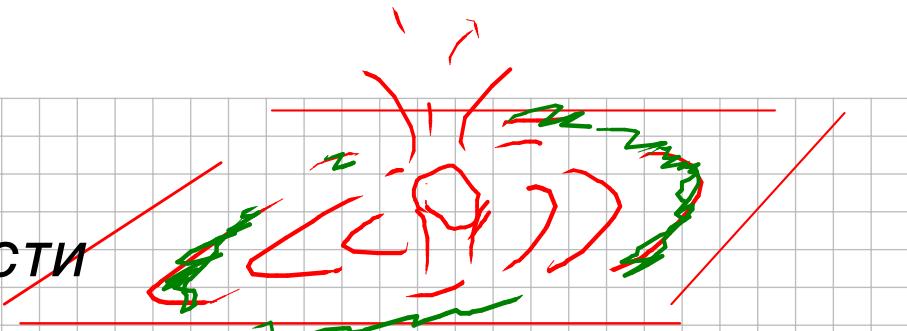
A:C

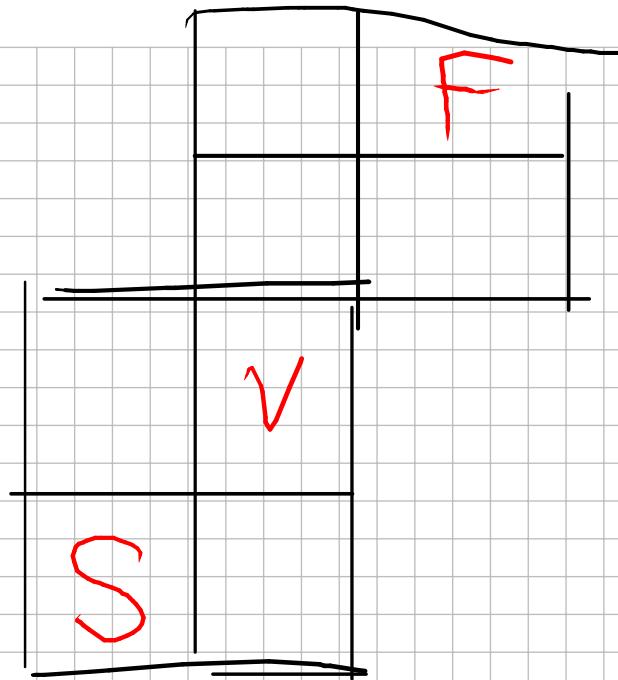
D → C → A

Волновой фронт (frontier)

камень падает в озеро, на поверхности воды появляются круги, концентрические (вложенные) окружности.

Та окружность, которая появилась самой первой, и находится в любой момент времени дальше всего от центра, называется волновой фронт.





uu

dd

ud

du

Path Priorities:

- 1) Path length (Terrain cost)
- 2) Intermed. goals
- 3) Random choice

getNeigh4(node) →
[V_N, V_E, V_S, V_W] → shuffle

Simple queue (w/o priority part) doesn't solve "shortest path" task when facing map with different terrain costs!

Q: is it true?

Provide an example that shows that simple queue fails the task.

Q: How do we need to modify the algorithm so that "shortest path" problem gets solved correctly?

Ter. cos 8 = ?

0	1	2	3	4	5	6
0				5	4	5
1				6	4	5
2		5	4	3	2	3
3	5	4	3	2	1	2
4		5	4	3	2	3
5		5	4	3	4	5

$F \rightarrow 5 \rightarrow 4 \rightarrow 3$

1
4 n 2
3

Q = [4, 3]

4,2

5,3 4,4 3,3

$$[5,3 \ 4,4 \ 3,3] + [nb(4,2)]$$

Priority Queue vs Simple Queue

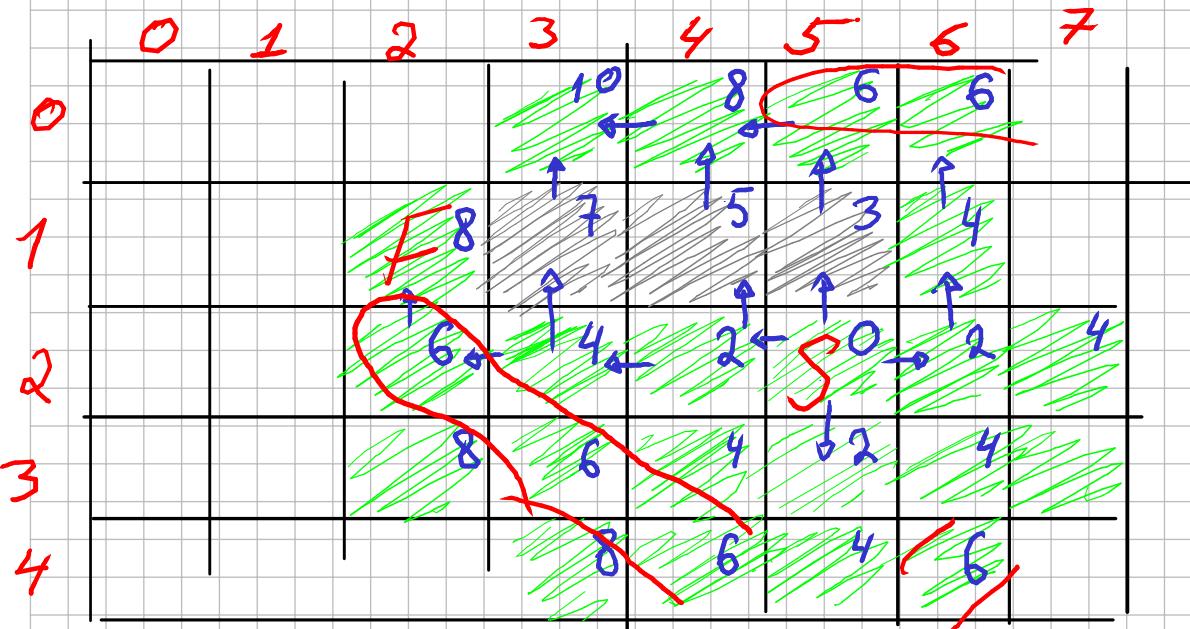
*Simple Queue: elements are retrieved in order they were added.
in other words FIFO, First In First Out*

* *LIFO, Last In Forst Out - stack protocol*

*Priority Queue: upon placement elements are being assigned
a priority value. Elements with lowerst pririty are being
retrieved fist.*

$$\begin{aligned} M_in &= 2 \\ M_out &= 2 \end{aligned}$$

$$\begin{aligned} G_in &= 1 \\ G_out &= 1 \end{aligned}$$



turn: frontier

0: (5,2)

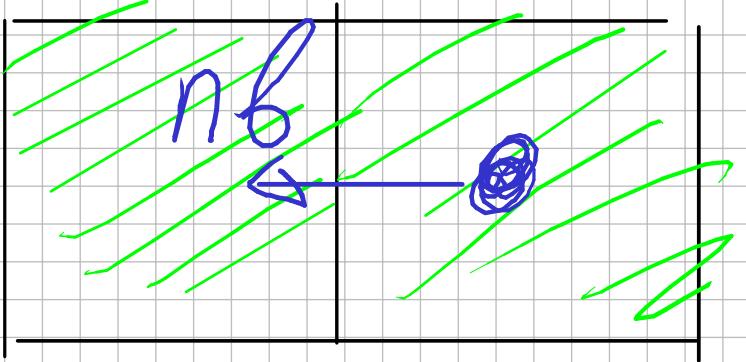
1: null

2: (4,2) (6,2) (5,3)

3: (5,1)

4: (3,2), (6,1), (7,2)
(4,3) (6,3), (5,4)

5: (4,1)



if (nb is a goal) \hookrightarrow

$$\text{terrain_cost} = TC - \frac{1}{1000}$$

$$3 \rightarrow 2.999$$

```

// --- small helper class for the priority queue ---
class PQItem {
    final FullMapNode node;
    final double cost;
    PQItem(FullMapNode n, double c) { node = n; cost = c; }
}

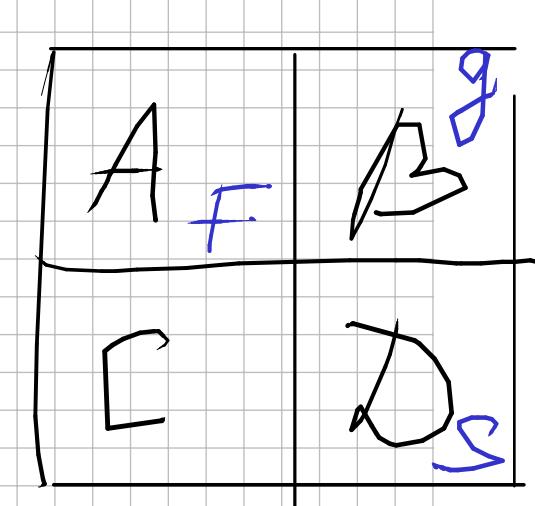
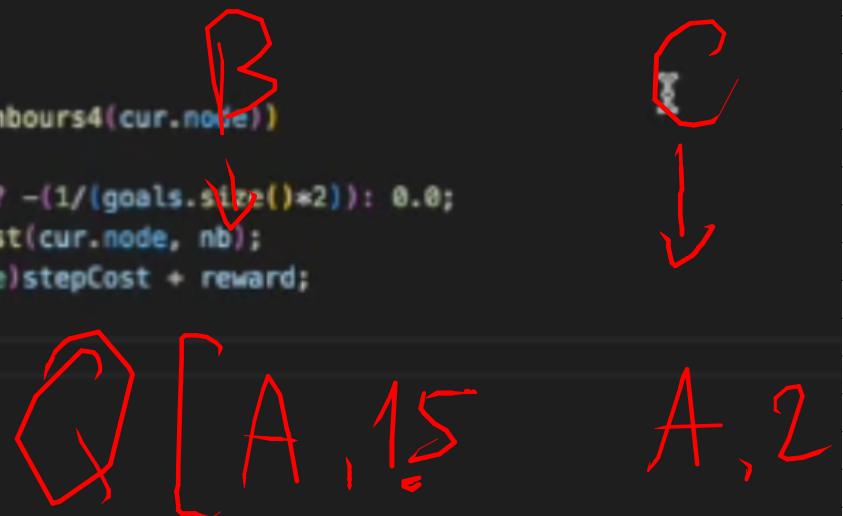
PriorityQueue<PQItem> pq = new PriorityQueue<>(Comparator.comparingDouble((it -> it.cost)));
Map<FullMapNode, FullMapNode> parent = new HashMap<>();

pq.add(new PQItem(start, c: 0.0));
parent.put(start, value: null);

while(!pq.isEmpty())
{
    PQItem cur = pq.poll();
    for(FullMapNode nb: gameHelper.getNeighbours4(cur.node))
    {
        double reward = goals.contains(nb)? -(1/(goals.size()*2)): 0.0;
        int stepCost = terrainTransitionCost(cur.node, nb);
        double newCost = cur.cost + (double)stepCost + reward;

        pq.add(new PQItem(nb, newCost));
    }
}
return null;

```



$$Q = \{(B, 0.5)\}$$

$nb = C$;
 $nb = B$;
 $nb = A$
 $cur = B, 0.5$

$Q.add(C, 1)$
 $Q.add(B, 0.5)$ \rightarrow $Q = [B, 0.5, C, 1]$

$Q.add(A, 1.5)$

ϵ	F	G	H	F
A	B	C	D	E

$Q = [V, B]$

$Q = [(V, 5), \dots]$

$C \rightarrow V$ cost = 4.7

$Q = [V(4.7), \dots]$ Parent
V:C

update both Q and Parent

Parent: V:B

no update
 $D \rightarrow V$ cost = 5.2

$Q = [V, 5, \dots]$
Parent: V:B