# 2b: PyTorch

# **PyTorch**

The following code fragments illustrate the typical structure of a PyTorch program, with further details and various options for each component.

### Typical Structure of a PyTorch Program

```
# create neural network according to model specification
net = MyModel().to(device) # CPU or GPU

# prepare to load the training and test data
train_loader = torch.utils.data.DataLoader(...)

test_loader = torch.utils.data.DataLoader(...)

# choose between SGD, Adam or other optimizer
optimizer = torch.optim.SGD(net.parameters,...)

# enter the training loop
for epoch in range(1, epochs):
    train(params, net, device, train_loader, optimizer)
    # periodically evaluate the network on the test data
    if epoch % 10 == 0:
        test(params, net, device, test_loader)
```

## Defining a model

```
class MyModel(torch.nn.Module):

    def __init__(self):
        super(MyModel, self).__init__()
        # define structure of the network here

def forward(self, input):
    # apply network and return output
```

### **Defining a Custom Model**

This code defines a module for computing a function of the form  $(x,y)\mapsto Ax\log(y)+By^2$ 

## Building a Net from Individual Components

```
class MyModel(torch.nn.Module):

    def __init__(self):
        super(MyModel, self).__init__()
        self.in_to_hid = torch.nn.Linear(2,2)
        self.hid_to_out = torch.nn.Linear(2,1)

    def forward(self, input):
        hid_sum = self.in_to_hid(input)
        hidden = torch.tanh(hid_sum)
        out_sum = self.hid_to_out(hidden)
        output = torch.sigmoid(out_sum)
        return output
```

## Defining a Sequential Network

# Sequential Components

#### Network Layers:

- nn.Linear()
- nn.Conv2d()

#### Intermediate Operators:

- nn.Dropout()
- nn.BatchNorm()

#### **Activation Functions:**

- nn.Tanh()
- nn.Sigmoid()
- nn.ReLU()

# **Declaring Data Explicitly**

```
import torch.utils.data

# input and target values for the XOR task
input = torch.Tensor([[0,0],[0,1],[1,0],[1,1]])
target = torch.Tensor([[0],[1],[1],[0]])

xdata = torch.utils.data.TensorDataset(input,target)
train_loader = torch.utils.data.DataLoader(xdata,batch_size=4)
```

## Loading Data from a .csv File

```
import pandas as pd

df = pd.read_csv("sonar.all-data.csv")

df = df.replace('R',0)

df = df.replace('M',1)

data = torch.tensor(df.values,dtype=torch.float32)

num_input = data.shape[1] - 1

input = data[:,0:num_input]

target = data[:,num_input:num_input+1]

dataset = torch.utils.data.TensorDataset(input,target)
```

#### **Custom Datasets**

```
from data import ImageFolder
    # load images from a specified directory
    dataset = ImageFolder(folder, transform)

import torchvision.datasets as dsets
    # download popular image datasets remotely
    mnistset = dsets.MNIST(...)
    cifarset = dsets.CIFAR10(...)
    celebset = dsets.CelebA(...)
```

### Choosing an Optimizer

## Training

```
def train(args, net, device, train_loader, optimizer):

for batch_idx, (data,target) in enumerate(train_loader):
    optimizer.zero_grad() # zero the gradients
    output = net(data) # apply network
    loss = ... # compute loss function
    loss.backward() # update gradients
    optimizer.step() # update weights
```

#### **Loss Functions**

```
import torch.nn.functional as F
loss = torch.sum((output-target)*(output-target))
loss = F.nll_loss(output,target)
loss = F.binary_cross_entropy(output,target)
loss = F.softmax(output,dim=1)
loss = F.log_softmax(output,dim=1)
```

### **Testing**

```
def test(args, model, device, test_loader):
with torch.no_grad(): # suppress updating of gradients
   net.eval() # toggle batch norm, dropout
   test_loss = 0
   for data, target in test_loader:
        output = model(data)
        test_loss += ...
print(test_loss)
net.train() # toggle batch norm, dropout back again
```

## Computational Graphs

PyTorch automatically builds a computational graph, enabling it to backpropagate derivatives.

Every parameter includes .data and .grad components, for example:

```
A.data
```

```
A.grad
```

optimizer.zero\_grad() sets all .grad components to zero.

loss.backward() updates the .grad component of all Parameters by backpropagating gradients through the computational graph.

optimizer.step() updates the .data components.

### Controlling the Computational Graph

If we need to stop the gradients from being backpropagated through a certain variable (or expression) A, we can exclude it from the computational graph by using:

```
A.detach()
```

By default, loss.backward() discards the computational graph after computing the gradients.

If needed, we can force it to keep the computational graph by calling it this way:

```
loss.backward(retain_graph=True)
```

Optional Video on PyTorch					

# **Exercise: Running PyTorch**

The following program solves the simplest possible machine learning task:

```
solve f(x) = Ax such that f(1) = 1
```

```
import torch
import torch.utils.data
import numpy as np
lr = 1.9 # learning rate
mom = 0.0 \# momentum
class MyModel(torch.nn.Module):
   def __init__(self):
        super(MyModel, self).__init__()
        self.A = torch.nn.Parameter(torch.zeros((1), requires_grad=True))
    def forward(self, input):
        output = self.A * input
        return(output)
device = 'cpu'
input = torch.Tensor([[1]])
target = torch.Tensor([[1]])
slope_dataset = torch.utils.data.TensorDataset(input,target)
train_loader = torch.utils.data.DataLoader(slope_dataset,batch_size=1)
# create neural network according to model specification
net = MyModel().to(device) # CPU or GPU
# choose between SGD, Adam or other optimizer
optimizer = torch.optim.SGD(net.parameters(),lr=lr,momentum=mom)
epochs = 1000
for epoch in range(1, epochs):
    for batch_id, (data,target) in enumerate(train_loader):
        optimizer.zero_grad() # zero the gradients
        output = net(data)
                             # apply network
        loss = 0.5*torch.mean((output-target)*(output-target))
        if type(net.A.grad) == type(None):
            print('Ep%3d: zero_grad(): A.grad= None A.data=%7.4f loss=%7.4f' \
                      % (epoch, net.A.data, loss))
        else:
            print('Ep%3d: zero_grad(): A.grad=%7.4f A.data=%7.4f loss=%7.4f' \
                      % (epoch, net.A.grad, net.A.data, loss))
                              # compute gradients
        loss.backward()
        optimizer.step()
                              # update weights
```

#### Question 1 Submitted Sep 7th 2022 at 11:16:16 pm

Run the code above and look at the output.

Change the learning rate lr to each of the following values by editing line 5 in the above code.

```
0.01, 0.1, 0.5, 1.0, 1.5, 1.9, 2.0, 2.1
```

Try running the code and describe what happens for each value of Ir, in terms of the success and speed of the algorithm.

```
at lr=0.01, A.data converges to 1 at epoch 988
at lr=0.1, A.data converges to 1 at epoch 97
```

at lr=0.5, A.data converges to 1 at epoch 16

```
at lr=1.0, A.data converges to 1 at epoch 2
```

at lr=1.5, A.data converges to 1 at epoch 16. It looks like it overshoots substantially then oscillates around 1 for a few epochs before settling.

```
at lr=1.9, A.data converges to 1 at epoch 97. similar pattern
```

at lr=2.0, A.data does not converge to 1. It consistently over (2) and under (0) shoots

at lr=2.1, A.data does not converge to 1. It gets pretty wild. It explodes to infinity then changes to Nan

### Question 2 Submitted Sep 7th 2022 at 11:29:41 pm

Now keep the learning rate at 1.9, but try each of the following values for momentum by changing the value of mom on line 6.

```
0.1, 0.2, 0.3, 0.4, 0.5, 0.6, 0.7, 0.8, 0.9
```

For which value of momentum is the task solved in the fewest epochs?

What happens when the momentum is 1.0? What happens when it is 1.1?

```
at mom=0.1, it converges to 1 at epoch 25
```

```
at mom=0.2, it converges to 1 at epoch 14
```

- at mom=0.3, it converges to 1 at epoch 13
- at mom=0.4, it converges to 1 at epoch 24
- at mom=0.5, it converges to 1 at epoch 30
- at mom=0.6, it converges to 1 at epoch 37
- at mom=0.7, it converges to 1 at epoch 59
- at mom=0.8, it converges to 1 at epoch 92
- at mom=0.9, it converges at epoch 190
- at mom=1.0 it does not converge
- at mom=1.1 it explodes

# **Exercise: XOR with PyTorch**

This program trains a two-layer neural network on the famous XOR task.

```
import torch
import torch.utils.data
import torch.nn.functional as F
lr = 0.1
mom = 0.0
init = 1.0
class MyModel(torch.nn.Module):
   def __init__(self):
        super(MyModel, self).__init__()
        # define structure of the network here
        self.in_hid = torch.nn.Linear(2,2)
        self.hid_out = torch.nn.Linear(2,1)
   def forward(self, input):
        # apply network and return output
        hid_sum = self.in_hid(input)
        hidden = torch.tanh(hid_sum)
        out_sum = self.hid_out(hidden)
        output = torch.sigmoid(out_sum)
        return(output)
device = 'cpu'
input = torch. Tensor([[0,0],[0,1],[1,0],[1,1]])
target = torch.Tensor([[0],[1],[1],[0]])
xor_dataset = torch.utils.data.TensorDataset(input,target)
train_loader = torch.utils.data.DataLoader(xor_dataset,batch_size=4)
# create neural network according to model specification
net = MyModel().to(device) # CPU or GPU
# initialize weight values
net.in_hid.weight.data.normal_(0,init)
net.hid_out.weight.data.normal_(0,init)
# choose between SGD, Adam or other optimizer
optimizer = torch.optim.SGD(net.parameters(), lr=lr, momentum=mom)
epochs = 10000
for epoch in range(1, epochs):
    #train(net, device, train_loader, optimizer)
    for batch_id, (data,target) in enumerate(train_loader):
        optimizer.zero_grad() # zero the gradients
```

```
output = net(data)  # apply network
loss = F.binary_cross_entropy(output,target)
loss.backward()  # compute gradients
optimizer.step()  # update weights
if epoch % 100 == 0:
    print('ep%3d: loss = %7.4f' % (epoch, loss.item()))
if loss < 0.01:
    print("Global Mininum")
    exit(0)
print("Local Minimum")</pre>
```

#### Question 1 Submitted Sep 7th 2022 at 11:38:22 pm

Run the code ten times. For how many runs does it reach the Global Minimum? For how many runs does it reach a Local Minimum?

#### Solution

It should reach the Global Minimum in approximately half of runs, and gets stuck in a Local Minimum for the other half.

#### Question 2 Submitted Sep 7th 2022 at 11:39:26 pm

Keeping the learning rate fixed at 0.1, adjust the values of momentum (mom) on line 6 and initial weight size (init) on line 7 to see if you can find values for which the code converges relatively quickly to the Global Minimum on virtually every run.

#### Solution

With mom = 0.9 and init = 0.01 it should successfully reach the Global Minimum in 99% of runs.

Coding Exercise: Basic PyTorch Operations



#### Objective

The **Tensor** is a fundamental structure in PyTorch which is very similar to an array or matrix. Tensors are used to encode the inputs and outputs of a model, as well as the model's parameters. In this exercise, you will learn how to implement basic tensor operations.

#### Instructions

Before starting the exercise, please go through the tutorial about tensors from the PyTorch website.

https://pytorch.org/tutorials/beginner/blitz/tensor\_tutorial.html#sphx-glr-beginner-blitz-tensor-tutorial-py

For some of the exercises, the torch. Tensor documentation should be very helpful.

https://pytorch.org/docs/stable/tensors.html