Skill Mastery Quiz 11 Communicating in Math (MTH 210-01) Winter 2020

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Name:
S3-3 Let $f: \mathbb{Z} \to \mathbb{Z}$ be defined by $f(m) = m + 3$.
1. State the domain, codomain, and range of f . (Clearly state which one is which.)
2. Find the image(s) of -1 under f .
3. Find the preimage(s) of 4.
S4-2 Let A and B be sets. Carefully complete the definitions of the following terms. (Note: "no collisions"
and "range=codomain" are helpful ways to think about these, but they are NOT the definitions.) 1. A function $f: A \to B$ is injective provided that
2. A function $f: A \to B$ is surjective provided that
3. A function $f: A \to B$ is bijective provided that
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S6-2 Let $x, y \in \mathbb{Z}$ and $n \in \mathbb{N}$. State the definitions of the following:

1.
$$x \mid y$$
 (for nonzero r)

2.
$$x \equiv y \pmod{n}$$
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Give an example of integers x and y such that $x \nmid y$ and y < 0.

S5-1 For all $a, b \in \mathbb{Z}$ say $a \sim b$ if and only if $a \mid b$. Is \sim an equivalence relation? Explain.