

$$\begin{array}{l} ? \\ 1ms \\ N \\ U \\ K \\ S \\ 0 \\ a_u \\ \mu \\ b_{su} \\ y \\ w_{ksu} \\ y \\ g \\ y \\ p_{ksu} \\ c_{vB,u} \\ C_{cBUP} \\ \omega_u \in \\ [0,1] \\ v_n \in \\ [0,1] \\ \sum_n v_n = \\ 1 \end{array}$$

$$\rho_{sku} = \frac{p_{sku}g_{sku}}{P_{AWGN} + \sum_{i \in S/\{s\}} \sum_{j \in U/\{u\}} a_j b_{ij} w_{ijk} p_{ijk} g_{ijk}}.$$

$$(1) \quad r_{sku} = B \log_2 \left( 1 + \rho_{sku} \right).$$

$$(2) \quad \begin{array}{l} I_{max,sku} \\ P_{max} \\ C_{fh} \\ C_{bh} \end{array} \max_{a_u,b_{su},w_{sku},p_{sku},c_{vB},u} \sum_{s \in S} \sum_{k \in K} \sum_{u \in U} v_n \omega_u a_u b_{su} w_{sku} r_{sku} subject to a_u \sum_{s \in S} \sum_{k \in K} b_{su} w_{sku} r_{sku} \geq a_u R_{min,u}, \forall u, a_u \sum_{s \in S} \sum_{k \in K} b_{su} w_{sku} r_s$$

$$(3) \quad \begin{array}{l} ? \\ c_{vB,u} \geq \\ R_{min,u} \end{array} \max_{b_{us}} \sum_{s \in S} \sum_{u \in U} W_u a_u subject to \sum_{u \in U} b_{su} R_{min,u} \leq C_{xh,s}, \forall s, \sum_{s \in S} b_{su} = 1 a_u \in \{0,1\} \forall u$$

$$(4)$$

$$\rho_{wb,su} = \frac{P_{max}\hat{g}_{su}}{P_{AWGN} + \sum_{i \in S/\{s\}} P_{max,i}\hat{g}_{iu}}.$$

$$(5) \quad \max_{b_{su}} \sum_{u \in U} \sum_{s \in S} W_u b_{su} \rho_{wb,su} subject to \sum_{u \in U} a_u R_{min,u} \leq R_{cBUP}, \forall u, b_{su} \in \{0,1\} \forall u \forall s$$

$$(6)$$

$$\max_{c_{v,BU}} \sum_{u \in U} W_u c_{v,BU} subject to \sum_{u \in U_{RRH}} c_{v,BU} \leq C_x, \forall u, R_{min,u} \leq c_{vB,u} \leq R_{max,u}, \forall u, \sum_{s \in S} c_{vB,u} \leq C_{cBUP} c_{vB,u} \geq 1 \forall u$$

$$(7)$$

$$\begin{array}{l} ? \\ ? \\ ? \\ ? \\ ? \\ ?? \\ N_U \\ N_R \\ \tilde{x}^{dl} \\ \tilde{s} = \\ [s_1; ...; s_{N_U}] \\ s_k \\ k \\ \tilde{x}^{dl} \\ \tilde{x}^{dl} = WP^{\frac{1}{2}}s, \end{array}$$

$$(8) \quad \tilde{x}^{dl} = [\tilde{x}_1^{dl}; ...; \tilde{x}_{N_R}^{dl}]$$

$$(9)$$

$$\begin{array}{l} W \\ N_R \times \\ N_U \\ W = \\ [w_1,...,w_{N_U}] \\ P^{\frac{1}{2}} = \\ diag(\sqrt{p_1},...,\sqrt{p_{N_U}}) \\ x^{dl} = \tilde{x}^{dl} + Q, \end{array}$$

$$(10) \quad \begin{array}{l} Q = \\ [q_1,\dots,q_{N_R}]^T \\ \forall i q_i \mathcal{N}(0,\sigma_{q_i}^2) \\ \vdots \end{array}$$