### TikZ Is All You Need

#### Miltos Kofinas

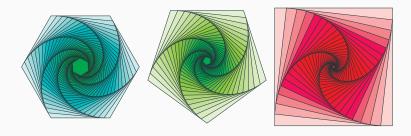
University of Amsterdam Amsterdam, Netherlands

Thinking Hour, 13 July 2022

## What is PGF/TikZ?

- · Author: Till Tantau (University of Lübeck)
- PGF: "Portable Graphics Format" (backend)
- TikZ: "TikZ ist kein Zeichenprogramm" (frontend)
   (German for "TikZ is not a drawing program")
- Current version: 3.1.9a, 1321 page manual, https://pgf-tikz.github.io/pgf/pgfmanual.pdf

## Showcase - Example #1

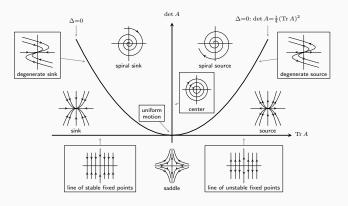


Source: https://texample.net/tikz/examples/rotated-polygons/

Size: 76 lines of code

## Showcase - Example #2

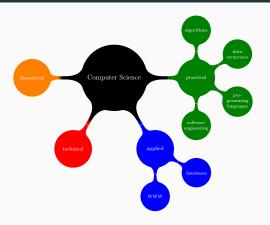
Poincaré Diagram: Classification of Phase Portraits in the  $(\det A, \operatorname{Tr} A)$ -plane



Source: https://texample.net/tikz/examples/poincare/

Size: 168 lines of code

## Showcase - Example #3



Source: https://texample.net/tikz/examples/computer-science-mindmap/

Size: 29 lines of code

#### $\mathrm{Ti}k\mathrm{Z}$ - Pros and Cons

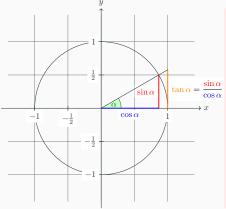
With  $\mathrm{Ti}k\mathrm{Z}$  you get all the **advantages** of the "TEX-approach to typesetting" for your graphics:

- + Quick creation of simple graphics
- + Precise positioning
- + Use of macros
- + Often superior typography
- + Code suggestions from CoPilot!

### You also inherit all the disadvantages:

- Steep learning curve
- No WYSIWYG
- Small changes require a long recompilation time
- The code does not really "show" how things will look like

#### Hello World++: A Picture for Karl's Students



The angle  $\alpha$  is  $30^{\circ}$  in the example ( $\pi/6$  in radians). The sine of  $\alpha$ , which is the height of the red line, is

$$\sin \alpha = 1/2$$
.

By the Theorem of Pythagoras we have  $\cos^2\alpha + \sin^2\alpha = 1$ . Thus the length of the blue line, which is the cosine of  $\alpha$ , must be

$$\cos \alpha = \sqrt{1 - 1/4} = \frac{1}{2}\sqrt{3}.$$

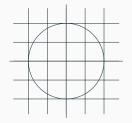
This shows that  $tan \alpha$ , which is the height of the orange line, is

$$\tan \alpha = \frac{\sin \alpha}{\cos \alpha} = 1/\sqrt{3}.$$

Source: https://texample.net/tikz/examples/tutorial/

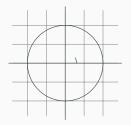
Size: 46 lines of code

## Hello World (1) - Drawing



```
1 \documentclass{article}
2 \usepackage{tikz}
3
4 \begin{document}
5 \begin{tikzpicture}
6 \draw (-1.5,0) -- (1.5,0);
7 \draw (0,-1.5) -- (0,1.5);
8 \draw (0,0) circle [radius=1];
9 \draw[step=0.5] (-1.4,-1.4) grid (1.4,1.4);
10 \end{tikzpicture}
11 \end{document}
```

## Hello World (2) - Arguments



```
6 \draw[step=.5cm,gray,very thin] (-1.4,-1.4) grid

→ (1.4,1.4);

7 \draw (-1.5,0) -- (1.5,0);

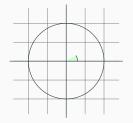
8 \draw (0,-1.5) -- (0,1.5);

9 \draw (0,0) circle [radius=1cm];

\draw (3mm,0mm) arc [start angle=0, end angle=30,

→ radius=3mm];
```

## Hello World (3) - Styles



#### Hello World++: A Picture for Karl's Students

```
\begin{tikzpicture}[
2
       scale=3. line cap=round.
       % Styles
       axes/.style=.
4
       important line/.style={very thick},
       information text/.style={rounded corners, fill=red!10, inner sep=1ex}
6
7
8
       % Colors
9
       \colorlet{anglecolor}{green!50!black}
       \colorlet{sincolor}{red}
       \colorlet{tancolor}{orange!80!black}
11
       \colorlet{coscolor}{blue}
12
       % The graphic
14
       \frac{\text{draw}[help lines, step=0.5cm]}{(-1.4,-1.4)} grid (1.4,1.4);
16
       \draw (0.0) circle [radius=1cm]:
       \begin{scope}[axes]
         \frac{--}{1.5,0} -- (1.5,0) \text{ node[right] } \{x$\} \text{ coordinate(x axis);}
18
         \frac{-}{0,-1.5} -- (0,1.5) node[above] {$y$} coordinate(y axis);
19
         foreach \x/\xtext in {-1, -.5/-\frac{1}{2}, 1}
           \draw[xshift=\x cm] (0pt,1pt) -- (0pt,-1pt) node[below,fill=white] {\$\xtext\$};
         foreach \y/\ytext in {-1, -.5/-\frac{1}{2}, .5/\frac{1}{2}, 1}
           \draw[vshift=\v cm] (1pt.0pt) -- (-1pt.0pt) node[left.fill=white] {\$\vtext\$\}:
23
       \end{scope}
24
25
       \filldraw[fill=green!20,draw=anglecolor] (0,0) -- (3mm,0pt) arc [start angle=0, end
26

→ angle=30, radius=3mm];
```

#### Hello World++: A Picture for Karl's Students

```
\draw (15:2mm) node[anglecolor] {\$\alpha\$};
       \draw[important line, sincolor] (30:1cm) -- node[left=1pt,fill=white] {$\sin
28
       → \alpha$} (30:1cm |- x axis):
       \draw[important line,coscolor] (30:1cm |- x axis) -- node[below=2pt,fill=white]
29
       \hookrightarrow {$\setminus cos \alpha$} (0,0);
       \path [name path=upward line] (1.0) -- (1.1):
30
       \path [name path=sloped line] (0,0) -- (30:1.5cm);
31
       \draw [name intersections={of=upward line and sloped line, by=t}]
32
          [very thick.orange] (1.0) -- node [right=1pt.fill=white]
         {$\displaystyle \tan \alpha \color{black}=\frac{{\color{\sincolor}\sin
34

    \alpha}}{\color{coscolor}\cos \alpha}$} (t);
       \draw (0,0) -- (t);
35
36
       \draw[xshift=1.85cm] node[right.text width=6cm.information text]
       {The {\color{anglecolor} angle $\alpha$} is $30^\circ$ in the example ($\pi/6$ in
37

→ radians).

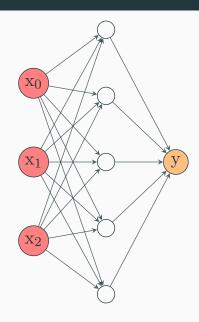
38
        The {\color{sincolor}sine of $\alpha$}, which is the height of the red line, is
        \{ \setminus \{ \setminus \{ \in \} \} \mid \{ \in \} \} = 1/2. \} 
39
        By the Theorem of Pythagoras we have $\\cos^2 \alpha\ +
40
        Thus the length of the blue line, which is the {\color{coscolor} cosine of
41
        \hookrightarrow $\alpha$}, must be
        [\{ \operatorname{color} \{ \operatorname{coscolor} \} \} = \operatorname{sqrt} \{1 - 1/4\} = \operatorname{frac} \{1\} \{2\} \}.
42
43
        This shows that {\color{tancolor}\setminus tan \alpha}, which is the height of the orange
        \hookrightarrow line, is
        \[{\color{tancolor}\tan \alpha} = \frac{{\color{sincolor}\sin
44

    \alpha}}{{\color{coscolor}\cos \alpha}} = 1/\sqrt{3}.\]

        };
45
46
     \end{tikzpicture}
```

#### $\mathrm{Ti}k\mathrm{Z}$ for Neural Networks

- · A simple MLP
- Transformers
- Graph Networks









```
begin{tikzpicture}[
inputnode/.style={draw, circle, fill=red!50, inner sep=2pt},

| node[inputnode] (x0) at (0, 1) {$\mathrm{x}_0$};
| node[inputnode] (x1) at (0, 0) {$\mathrm{x}_1$};
| node[inputnode] (x2) at (0, -1) {$\mathrm{x}_2$};
| end{tikzpicture}
```

```
\begin{tikzpicture}[
       inputnode/.style={draw, circle, fill=red!50, inner sep=2pt},
       hiddenunit/.style={draw, circle, minimum size=10pt},
       outnode/.style={draw, circle, fill=orange!50, inner sep=2pt},
       \node[input node] (x0) at (0, 1) {$\mathbb{N} = \mathbb{N} = 0$}
       \node[inputnode] (x1) at (0, 0) {$\mathrm{x} 1$};
       \\ \node[inputnode] (x2) at (0, -1) {\\ \mathrm{x}_2$};
9
       \node[hiddenunit] (h2) at (1, 2) {};
       \node[hiddenunit] (h1) at (1, 1) {};
       \node[hiddenunit] (h0) at (1, 0) {}:
       \node[hiddenunit] (h3) at (1, -1) {};
       \node[hiddenunit] (h4) at (1, -2) {};
14
15
16
       \node[outnode] (y0) at (2, 0) {$\mathrm{y}$};
     \end{tikzpicture}
```

```
outnode/.style={draw, circle, fill=orange!50, inner sep=2pt},
       hiddenunit/.style={draw, circle, minimum size=10pt},
       weights/.style={-stealth, thin, opacity=0.8},
       \node[inputnode] (x1) {$\mathrm{x}_1$};
       \node[inputnode, above=of x1] (x0) {$\mathrm{x} 0$};
       \node[inputnode, below=of x1] (x2) {$\mathrm{x} 2$};
       \node[hiddenunit. right=of x1] (h2) {}:
       \node[hiddenunit, above=of h2] (h1) {};
       \node[hiddenunit. above=of h1] (h0) {}:
       \node[hiddenunit. below=of h2] (h3) {}:
14
       \node[hiddenunit, below=of h3] (h4) {};
16
       \node[outnode, right=of h2] (y0) {$\mathrm{y}$};
19
       \foreach \x in \{x0, x1, x2\} {
         \foreach \h in \h0. h1. h2. h3. h4\ {
           \draw[weights] (\x) -- (\h);
       \foreach \h in {h0, h1, h2, h3, h4} {
24
         \foreach \v in {v0} {
25
           \draw[weights] (\h) -- (\y);
26
```

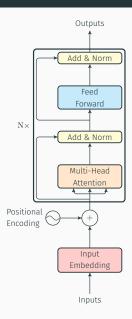
28

\end{tikzpicture}

\begin{tikzpicture}[

inputnode/.style={draw, circle, fill=red!50, inner sep=2pt},

17



```
Outputs
                        \begin{tikzpicture}[
                          module/.style={draw, very thick, rounded corners, minimum
Add & Norm

    width=15ex}.

                          embmodule/.stvle={module. fill=red!20}.
                    3
                          mhamodule/.style={module, fill=orange!20}.
                    4
                          lnmodule/.style={module, fill=yellow!20},
  Feed
                          ffnmodule/.stvle={module. fill=cvan!20}.
 Forward
                          arrow/.style={-stealth'. thick, rounded corners}.
                   8
                          \node (inputs) {Inputs};
                   9
Add & Norm
                          \node[above=of inputs, embmodule, align=center]
                          \node[above=of inputemb, draw, thick, circle] (embplus)
Multi-Head
                          Attention
                          \node[above=of embplus. mhamodule. align=center] (mha)

→ {Multi-Head\\Attention};
                          \node[above=of mha, lnmodule, align=center] (addnorm1)

→ {Add \& Norm}:

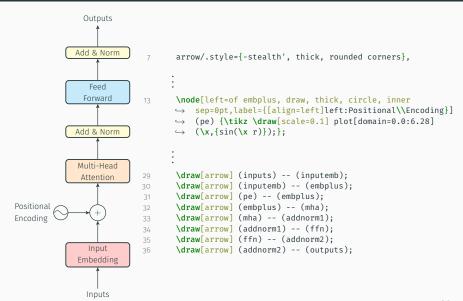
                          \node[above=of addnorm1, ffnmodule, align=center] (ffn)
                   14

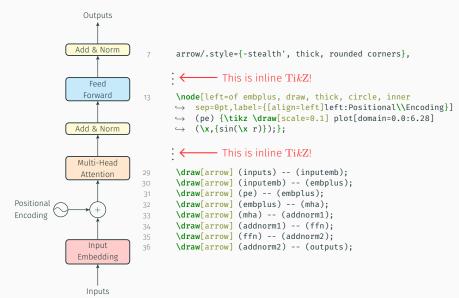
→ {Feed\\Forward}:

                          \node[above=of ffn. lnmodule. align=center] (addnorm2)
  Input

→ {Add \& Norm};

Embedding
                          \node[above=of addnorm2] (outputs) {Outputs};
                   16
                        \end{tikzpicture}
```

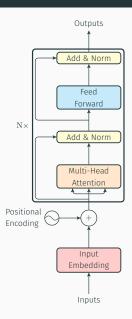




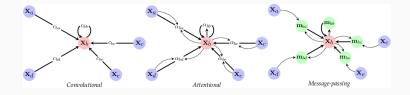
```
Outputs
                                \coordinate (mharesidual) at
                                \coordinate (ffnresidual) at

    ($(ffn.south)!0.5!(addnorm1.north)$);
            Add & Norm
                                \coordinate (mhafork) at

    ($(mha.south)!0.5!(mharesidual)$);
                                \coordinate[left=of addnorm1] (ln1residualleft):
                          24
               Feed
                                \coordinate[left=of addnorm2] (ln2residualleft):
                          25
             Forward
  N×
            Add & Norm
                                → \node[fit={(mha)(addnorm2)(mharesidual)(ln1residualleft)
                                    draw, ultra thick, rounded corners,
            Multi-Head
                                   label=left:$\mathrm{N\times}$] (encoder) {}:
             Attention
Positional
                                \draw[arrow]
                          38
Encoding
                                \draw[arrow]
                                    (ffnresidual)-|(ln2residualleft)--(addnorm2);
              Input
                                \draw[arrow] (mhafork)-|($(mha.south)!0.5!(mha.south)
                         40
            Embedding
                                \hookrightarrow west)\$);
                                \draw[arrow] (mhafork)-|($(mha.south)!0.5!(mha.south)
                                \hookrightarrow east)\$):
              Inputs
```



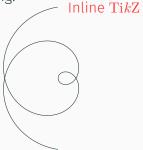
# **Graph Network Flavours**

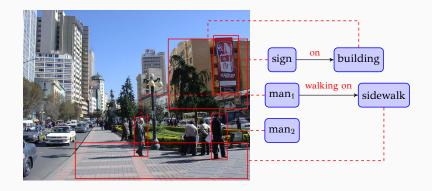


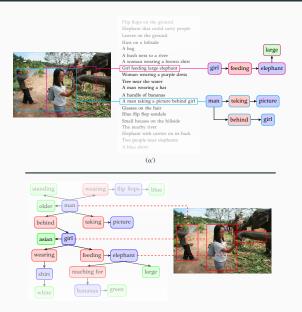
### Final notes

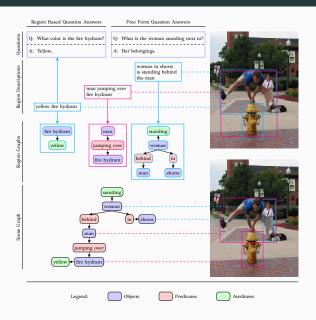
- You can use TikZ inline!
- · You can export Matplotlib to pgf!
  - https://matplotlib.org/stable/tutorials/ text/pgf.html

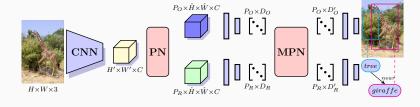
· Same with programming: Learn-by-doing!

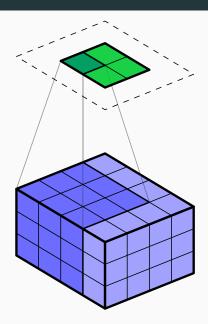


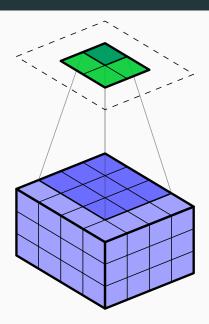


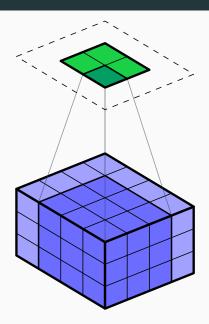


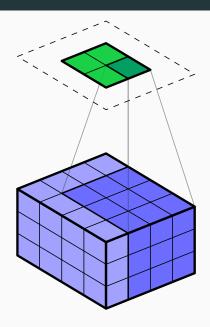


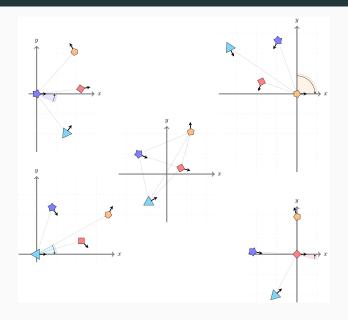












#### References i

[1] Till Tantau. *TikZ and PGF. Manual for version 3.1.9a.* URL: https://github.com/pgf-tikz/pgf.