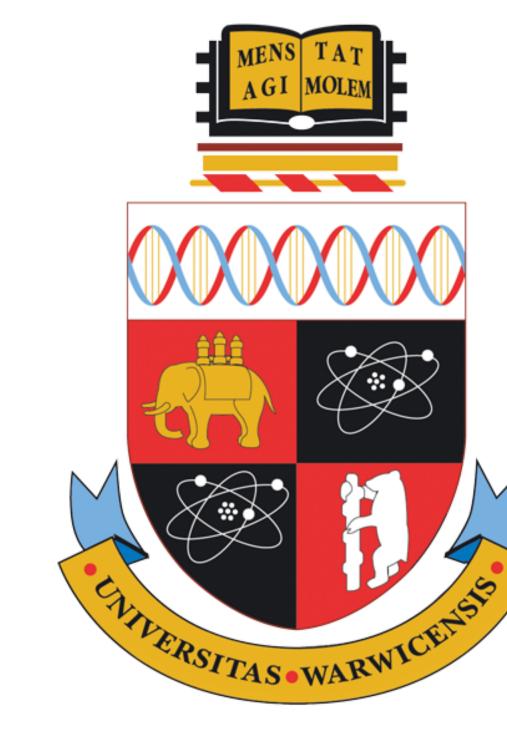


Counterfactual Fairness

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ML is making Life-Changing Decisions

Trump's Proposed Extreme Vetting Software

NATIONAL SECURITY INVESTIGATION DIVISION (NSID)
Vetting of the Future:
• Comprehensive utilization of innovative big-data programs to enhance current vetting procedures and processes.

[Biddle, 2017]

We Have Big Problems

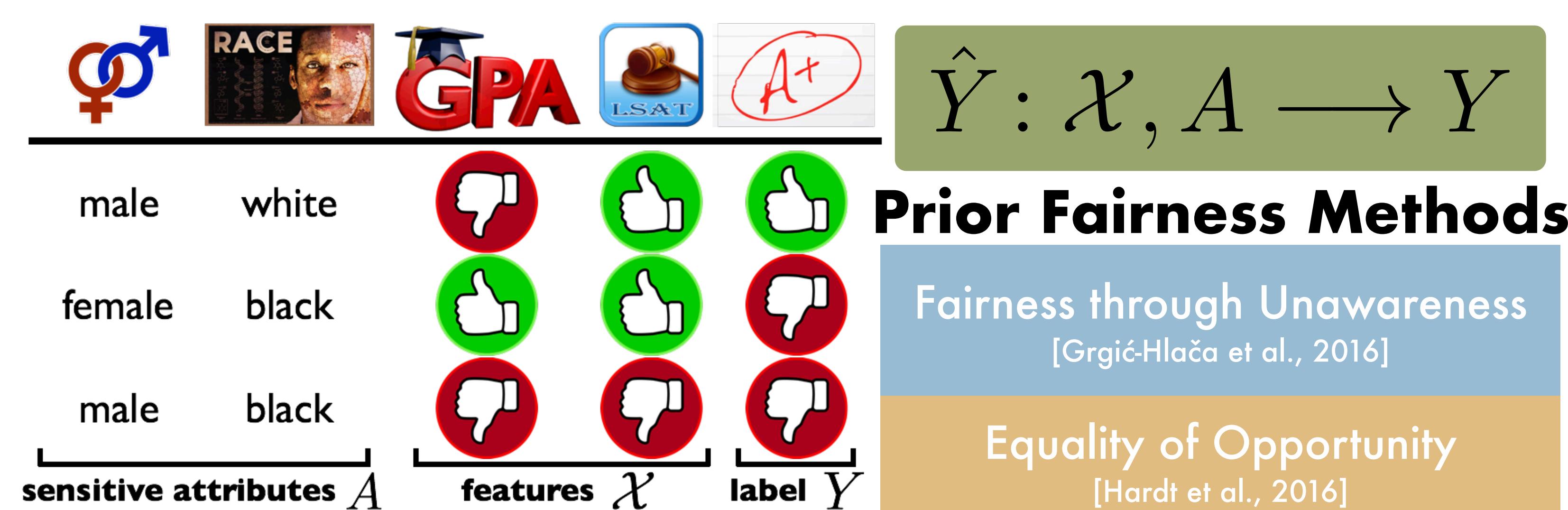


Our Solution

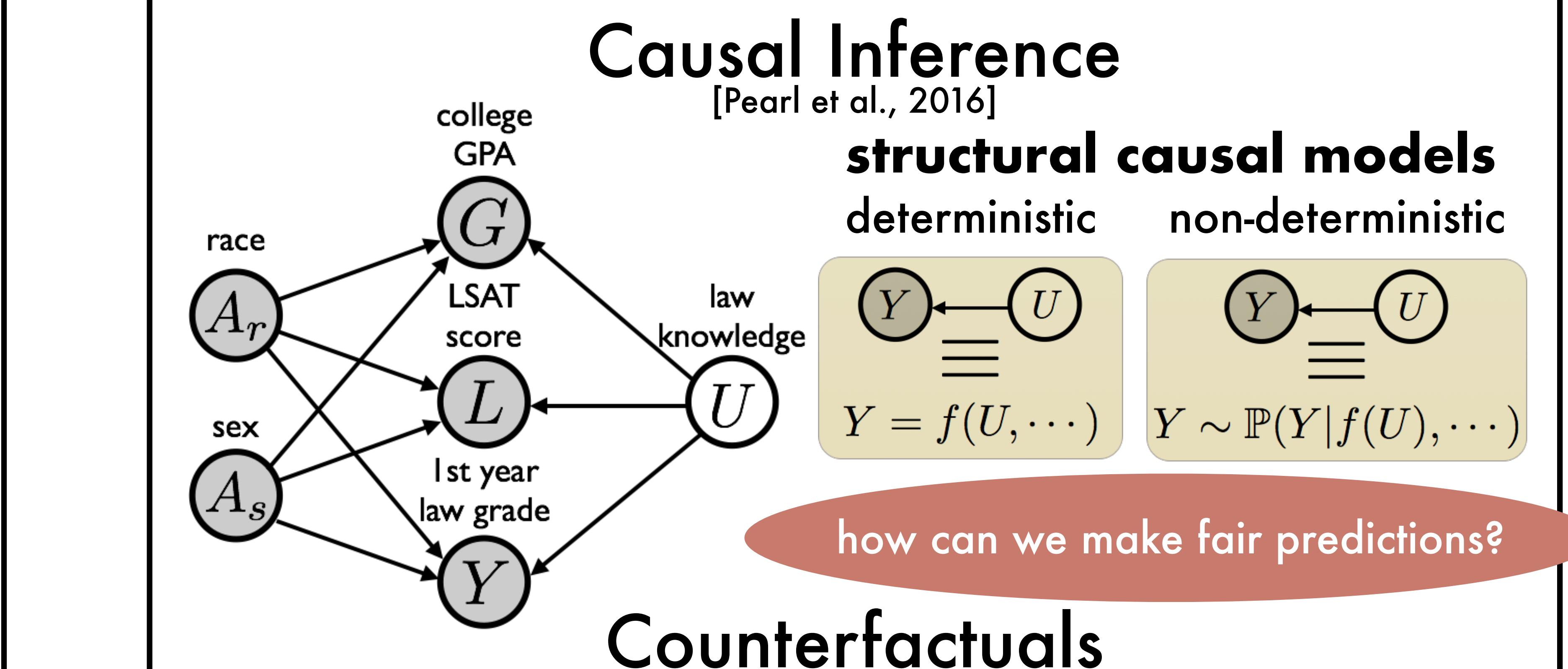
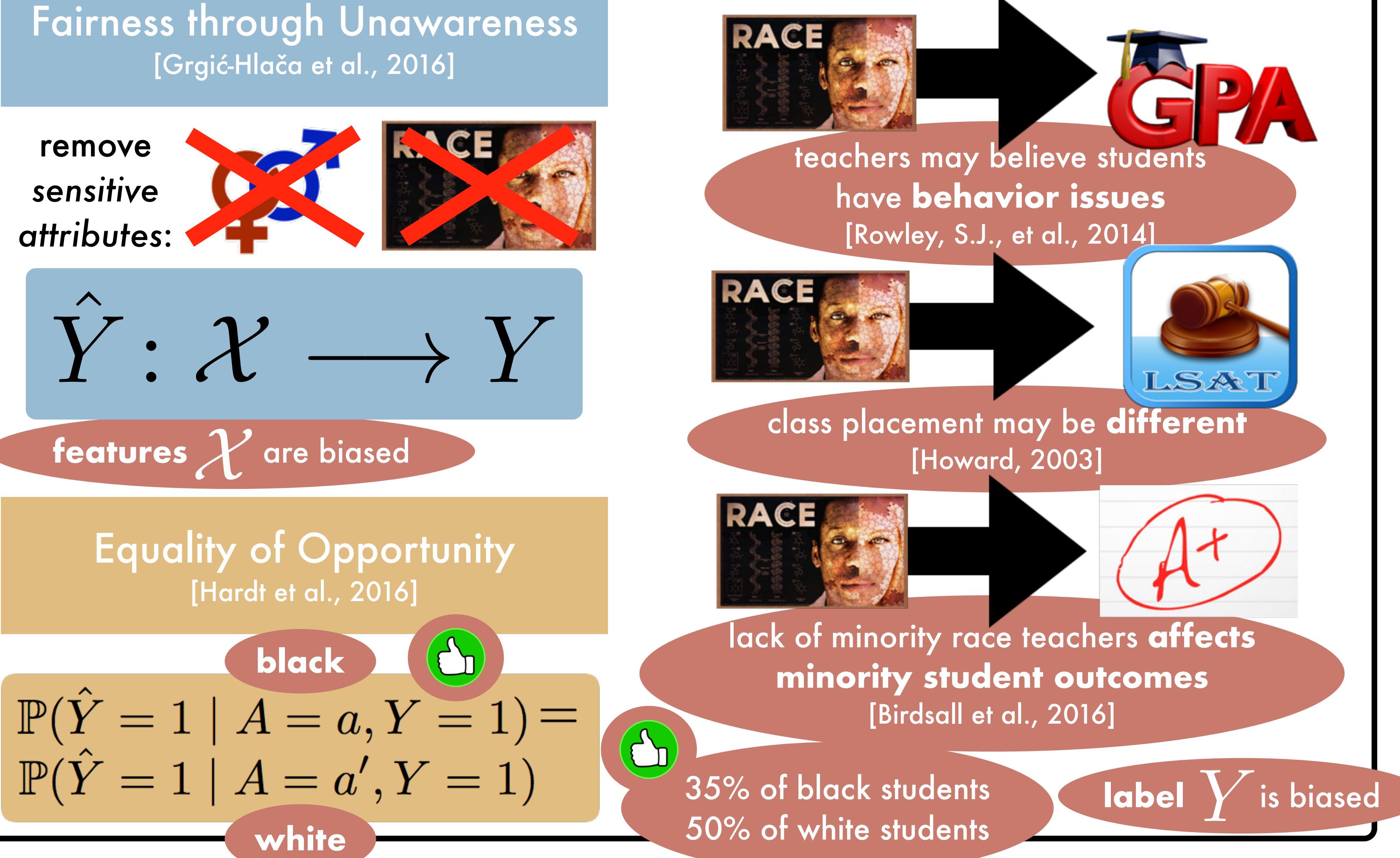
A fair classifier gives the same prediction had the person had a different race/sex.

We present a metric to check if any algorithm is fair
And an algorithm to learn fair classifiers

Law School Admissions Data Goal



Prior Fairness Definitions Are Insufficient Unfair Influences



Counterfactuals

Given an individual:	1. Change race attribute
$A_s \quad A_r \quad G \quad L \quad Y$	$A_s \quad a' \quad G \quad L \quad Y$
male black	male white
2. Compute unobserved variables in causal model	3. Recompute observed variables in causal model
$A_s \quad a' \quad G \quad L \quad Y \quad U$	$A_s \quad a' \quad G_{A_r \leftarrow a'} \quad L_{A_r \leftarrow a'} \quad Y_{A_r \leftarrow a'} \quad U$
male white	male white

Counterfactual Fairness

Definition. A predictor \hat{Y} is counterfactually fair if given observations $\mathcal{X} = \mathbf{x}$ and $A = a$ we have that,

$$\mathbb{P}(\hat{Y}_{A \leftarrow a} = y | \mathcal{X} = \mathbf{x}, A = a) = \mathbb{P}(\hat{Y}_{A \leftarrow a'} = y | \mathcal{X} = \mathbf{x}, A = a)$$

for all y and $a' \neq a$.

Compares the same individual with a different version of him/herself

Learning Fair Predictors
Counterfactuals alter descendants of A

Algorithm (non-deterministic models)

Given: $\mathcal{D} = \{(\mathbf{x}^{(i)}, y^{(i)}, a^{(i)})\}_{i=1}^d$

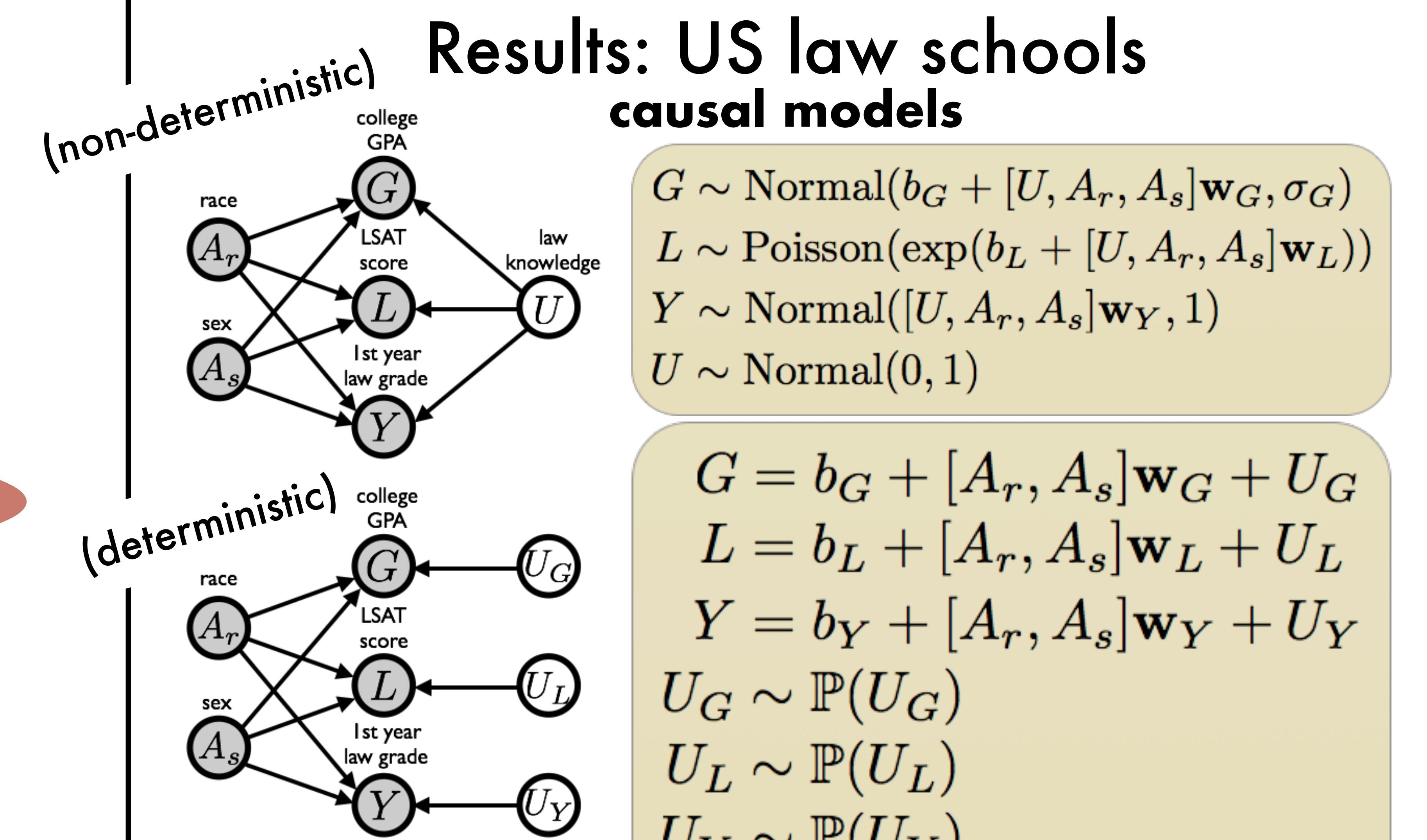
- For each data point $i \in \mathcal{D}$, sample $u_1^{(i)}, \dots, u_m^{(i)} \sim \mathbb{P}(U|\mathbf{x}^{(i)}, a^{(i)})$
- $\hat{\theta} \leftarrow \arg \min_{\theta} \sum_{i \in \mathcal{D}} \sum_{j=1}^m \ell(y^{(i)}, \hat{Y}_{\theta}(u_j^{(i)}, \mathbf{x}_{\setminus A}))$
- Return: $\hat{Y}_{\hat{\theta}}$

features that are not descendants of A

Related Work

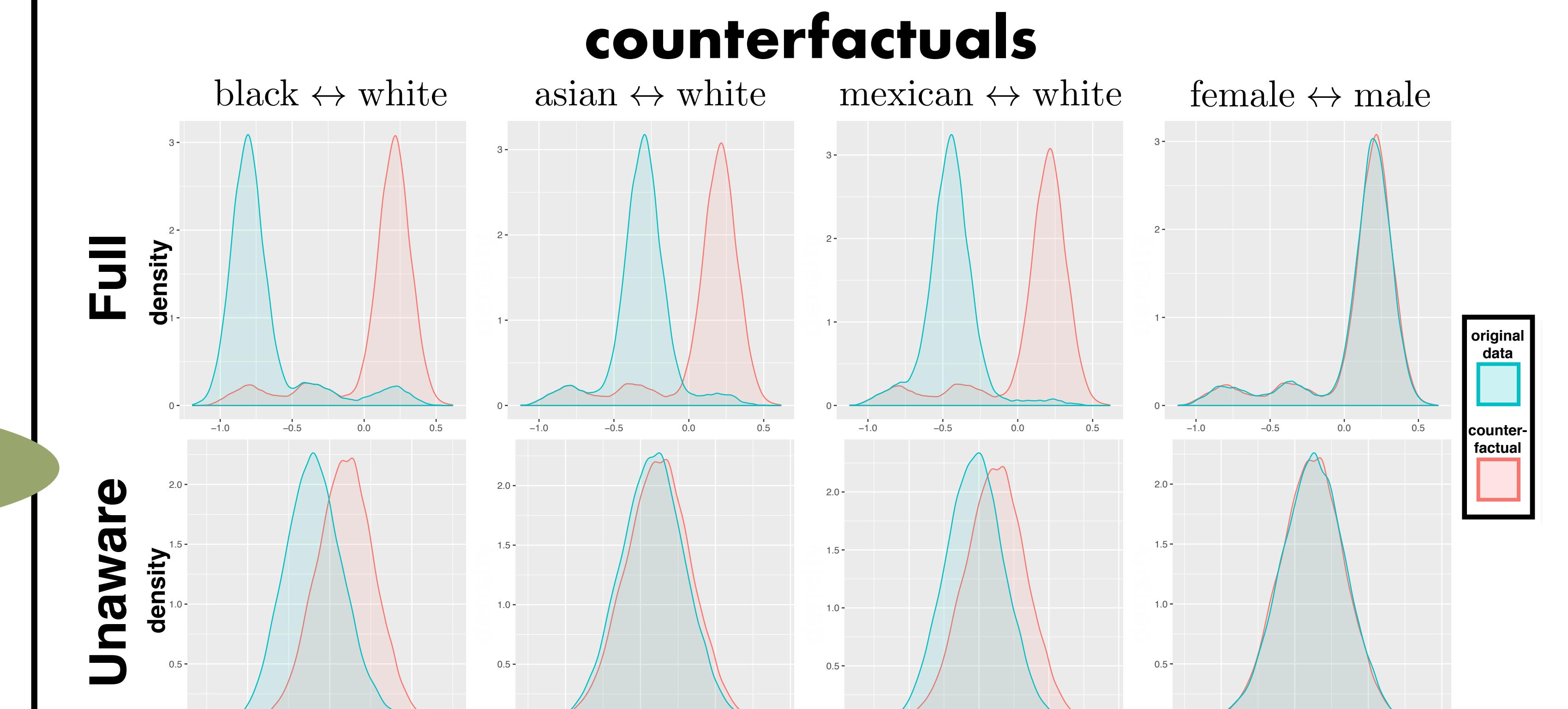
[Kilbertus et al., 2017] $\mathbb{P}(\hat{Y} = y | do(A = a), \mathcal{X} = \mathbf{x}) = \mathbb{P}(\hat{Y} = y | do(A = a'), \mathcal{X} = \mathbf{x})$

Compares different individuals with the same observed features



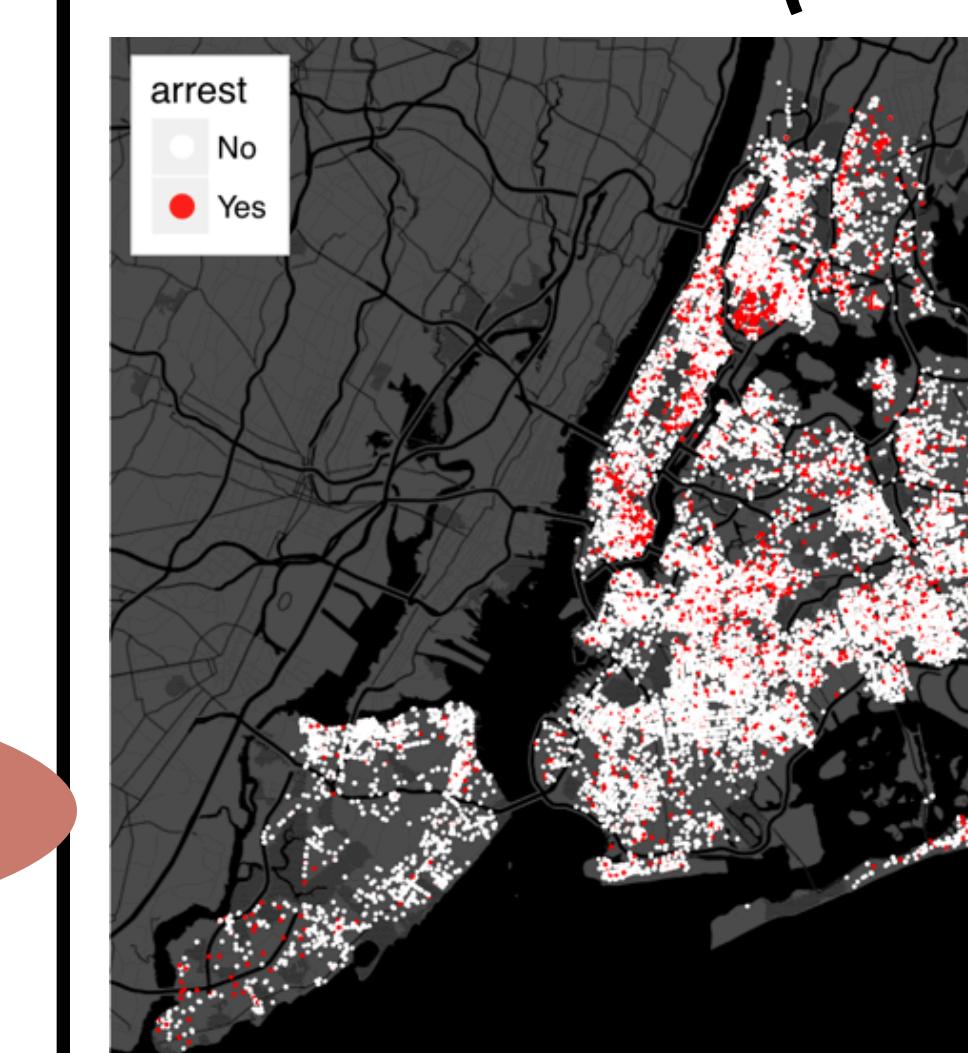
predictive error

Full	Unaware	C-Fair (Non-Det.)	C-Fair (Det.)
RMSE	0.873	0.894	0.929

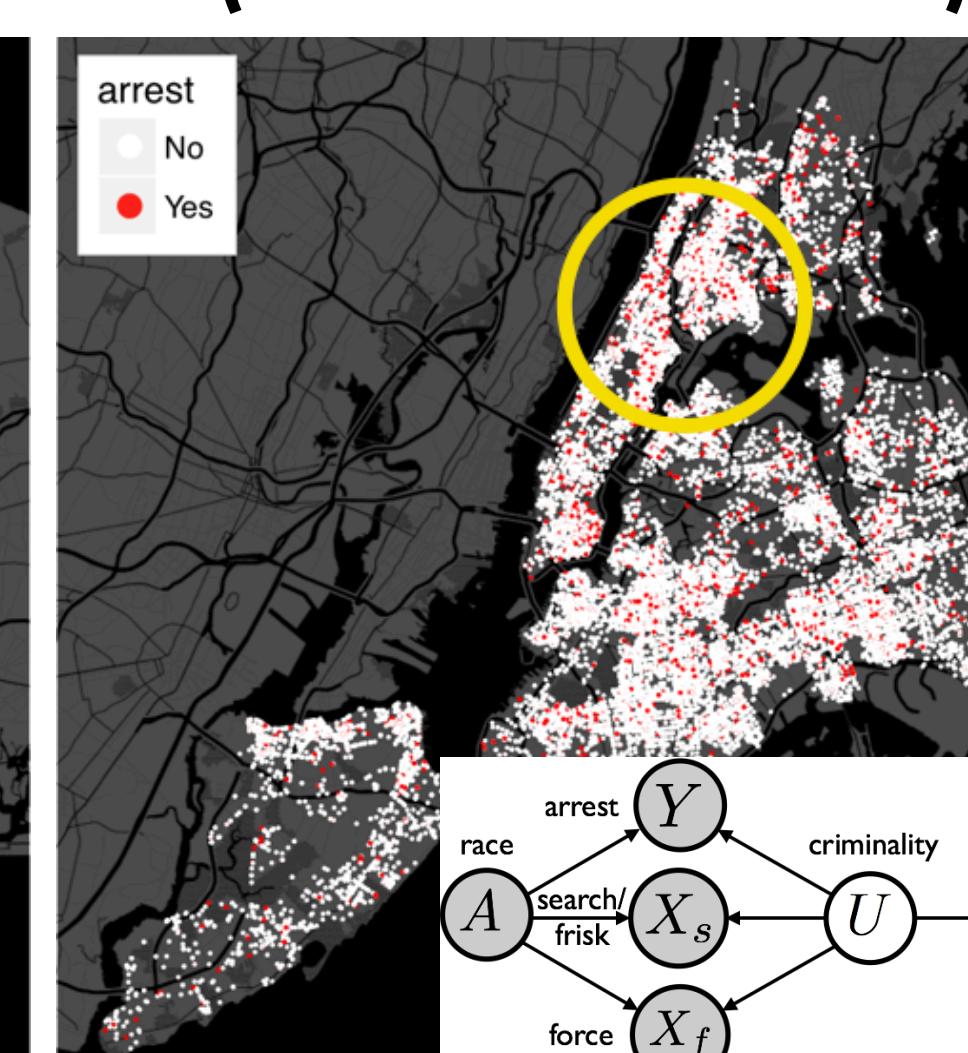


Results: NYC stop-and-frisk

Arrest rate (data)



Arrest if White (counterfactual)



Arrest if Black Hispanic (counterfactual)

