



SERBIAN AI SOCIETY

# Recommender Systems

**Mladen Jovanovic**



# Short biography



## Short biography

- Mathematical highschool / ETF bachelor degree
- 12 years software/web development -> 8 years DS/AI/ML
- SAIS Advisory Board Member / Business Group Lead
- Leisure time: Freediving / Freeclimbing
- Values a **good team** more than anything else



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[https://www.instagram.com/thedzo\\_](https://www.instagram.com/thedzo_)

# Recommender systems

- Recommender systems are considered as an **inevitable part** of any larger system that is offering some kind of **products/services** to the final user
- Recommender systems are **beneficial** to both **service providers** and **users**
- They provide **personalized experience**





## Industry

- **35%** of what consumers purchase on **Amazon**
  - **75%** of what they watch on **Netflix**
  - **60%** of what they watch on **YouTube**
- comes from **product recommendations**

# Industry

amazon

ebay YAHOO!

You Tube

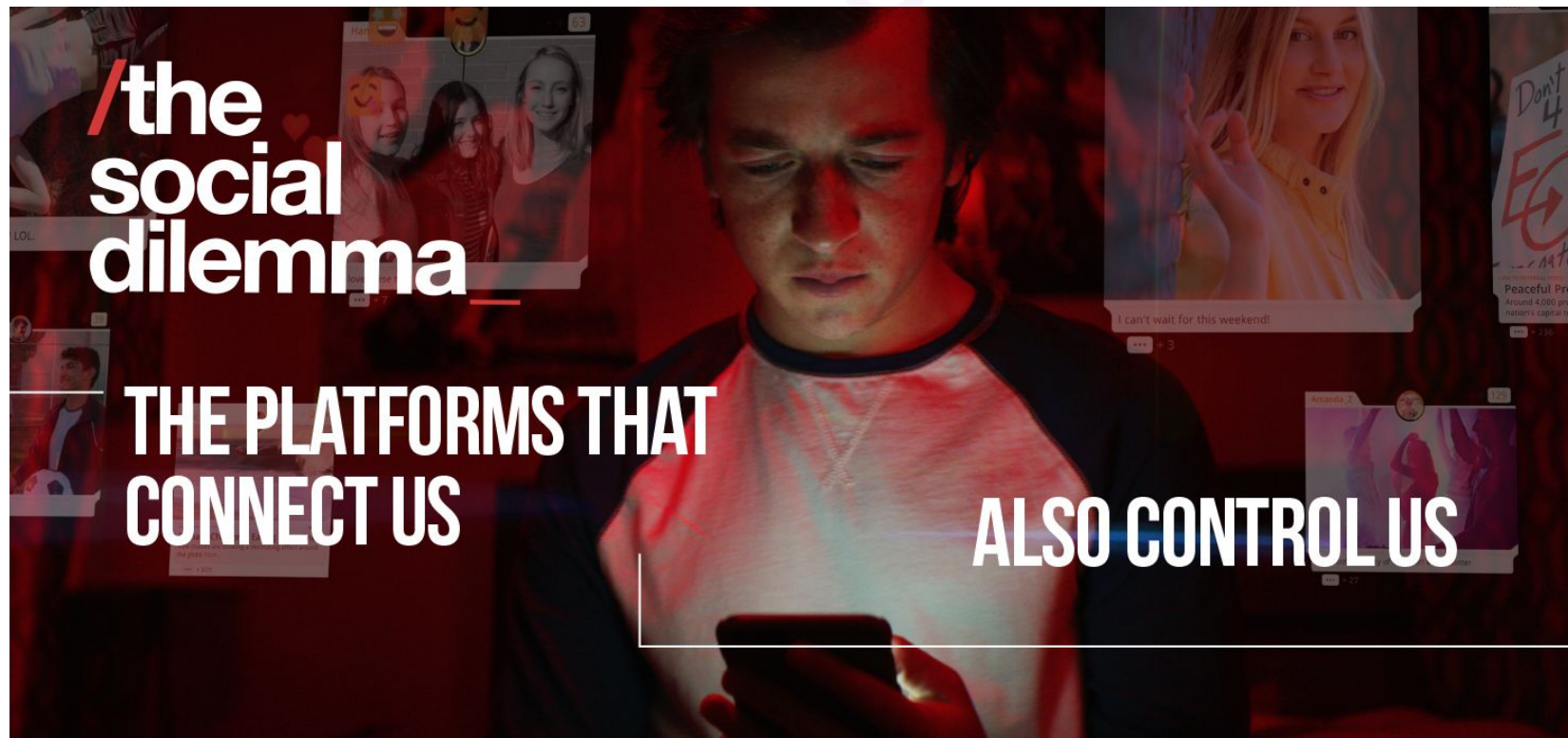
IMDb

NETFLIX

The New York Times



# The Social Dilemma [2020]





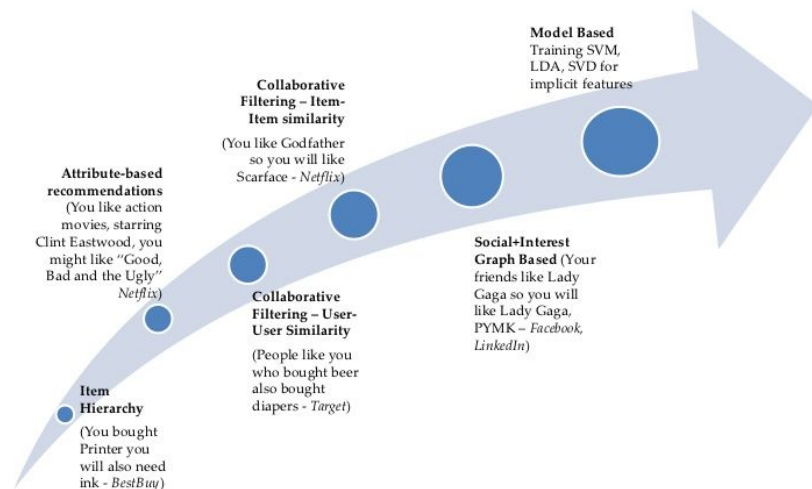
# Types of recommender systems



# Types of recommender systems

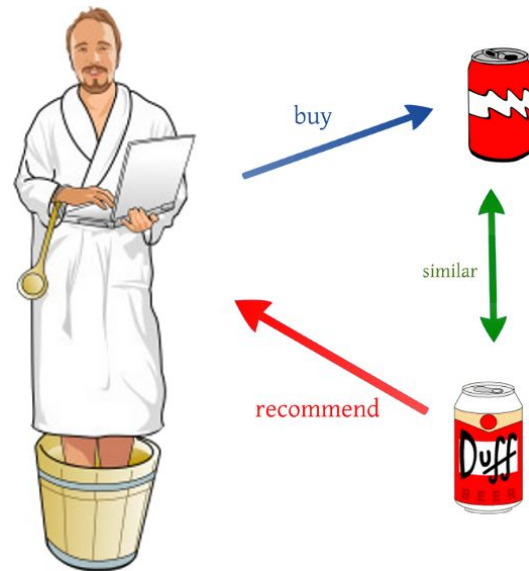
- **Content-based**
- **Collaborative**
  - User/Item
  - Neighbourhood/Latent vector
- **Hybrid models**

## Recommender Approaches



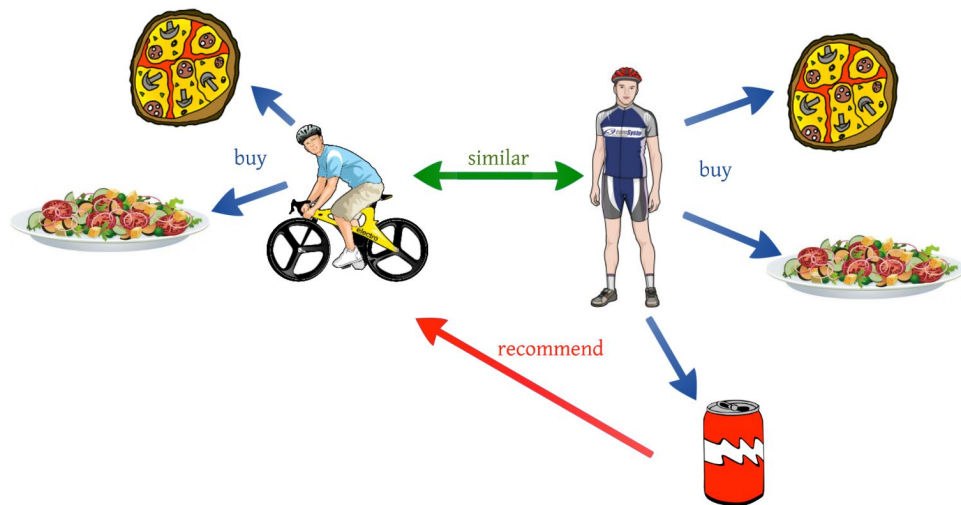
## Content-based recommenders

- **dependent on properties** of an item  
(*categorization, description etc.*)
- **independent** of other users' behavior
- **no cold-start** problem
- **cannot recommend** anything genuinely “new”

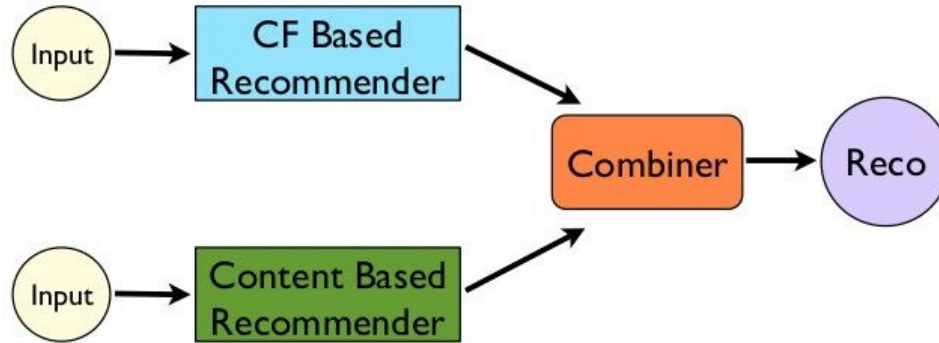


# Collaborative recommenders

- **better results** than content-based
- domain **free**
- suffer from **cold-start** problem
- **sparsity** of information



# Hybrid recommenders





Few words about tools/libraries



# SciPy stack

- **NumPy** // Provides an abundance of useful features for **operations on N-dimensional arrays** in Python. The library provides **vectorization** of mathematical operations on the NumPy array type, which **boosts performance** and **speeds up the execution**
- **Pandas** // Pandas is a Python package for **data wrangling**. It designed for quick and easy data manipulation, aggregation and visualization



pandas  
 $y_{it} = \beta' x_{it} + \mu_i + \epsilon_{it}$

# Machine learning

- **Scikit-learn**

Scikits are additional packages of SciPy Stack designed for specific functionalities like image processing and **machine learning** facilitation.

The library combines quality code and good documentation, ease of use and high performance and is de-facto **industry standard for machine learning with Python**.



## Jupyter notebooks

- The Jupyter Notebook is an **open-source web application** that allows you to create and share documents that contain **live code, equations, visualizations and narrative text**
- **Indispensable tool for exploratory data analysis in python**







# Dataset



## Dataset

MovieLens <https://grouplens.org/datasets/movielens/>

This dataset describes 5-star rating and free-text tagging activity from MovieLens, a movie recommender service.

**grouplens**

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UNIVERSITY OF MINNESOTA

**movielens**

## Dataset // movies table

movieid		title	genres
0	1	Toy Story (1995)	Adventure Animation Children Comedy Fantasy
1	2	Jumanji (1995)	Adventure Children Fantasy
2	3	Grumpier Old Men (1995)	Comedy Romance
3	4	Waiting to Exhale (1995)	Comedy Drama Romance
4	5	Father of the Bride Part II (1995)	Comedy
5	6	Heat (1995)	Action Crime Thriller
6	7	Sabrina (1995)	Comedy Romance
7	8	Tom and Huck (1995)	Adventure Children
8	9	Sudden Death (1995)	Action
9	10	GoldenEye (1995)	Action Adventure Thriller

## Dataset // ratings table

- Another representation of the following table can be in a form of a **sparse matrix**
- **Sparse matrix** -> most elements are **zero**
- Movie recommendations -> ~99% missing entries

	userId	movieId	rating	timestamp
17208	111	3608	3.5	1098374299
15886	102	3061	4.0	957980939
6527	36	32	5.0	847056901
15282	100	88	2.0	854194208
542	7	780	3.0	851866703
85159	572	52722	3.5	1436779789
11100	73	6953	3.5	1255588164
3241	19	441	3.0	855192455
23348	165	1923	3.5	1111482007
81851	558	4024	4.0	992788160

[illegible]

## Simplified dataset

- rows -> users
- columns -> movies
- **matrix R is sparse**  
(~99% missing entries)

$$R = \begin{pmatrix} 1 & ? & 2 & ? & ? \\ ? & ? & ? & ? & 4 \\ 2 & ? & 4 & 5 & ? \\ ? & ? & 3 & ? & ? \\ ? & 1 & ? & 3 & ? \\ 5 & ? & ? & ? & 2 \end{pmatrix} \begin{matrix} \text{Alice} \\ \text{Bob} \\ \text{Charlie} \\ \text{Daniel} \\ \text{Eric} \\ \text{Zoe} \end{matrix}$$

T  
i  
t  
a  
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T  
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r  
y

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g  
o



Content-based



# Recommender Systems

## Collaborative-based

### Neighbourhood methods

- User/item-based similarity (similarity between vectors)

### Latent factor models

- Model users in reduced multi-dimensional space

## Content-based



## Content-based

- New user is registered into the system
- The user **makes a selection** of **categories** of interest

[**Action**, Comedy, Crime, Documentary, **Drama**, Romance, **Thriller**]

- **Filter** movies from the **desired categories**
- Calculate **weighted ratings** and vote **counts**
- Offer **best rated items** from the chosen **categories**

## Weighted rating

An item with **rating 8** with **2 votes** cannot be considered better than an item with **rating 7.9** but with **200 votes**

$$WR = (v/(v + m)) * R + (m/(v + m)) * C$$

**v** - number of votes for the item

**m** - minimum votes required to be listed

**R** - average rating of an item

**C** - mean vote across the whole report

## # python code

```
In [56]: # choose only movies that are in at least one of the categories (but it can be in all)
dmr = dmr[dmr[user_cats].sum(axis=1) == len(user_cats)]
dmr = dmr[['movieId', 'title'] + user_cats]
```

```
In [57]: # calculate average rating and number of ratings for each of the movies
dmr['rating'] = dmr['movieId'].apply(lambda x: weighted_rating(x))
dmr['count'] = dmr['movieId'].apply(lambda x: dr[dr['movieId'] == x]['rating'].count())
```

```
In [60]: # filter and sort movie list
dmr[dmr['count'] > MIN_REVIEW].sort_values('rating', ascending=False).head(5)
```


Out[60]:

	movieId	title	Action	Drama	Thriller	rating	count
4432	6016	City of God (Cidade de Deus) (2002)	1	1	1	4.246190	69
2374	2959	Fight Club (1999)	1	1	1	4.162889	202
1018	1264	Diva (1981)	1	1	1	4.090423	14
263	293	Léon: The Professional (a.k.a. The Professiona...	1	1	1	4.052686	132
7253	69481	Hurt Locker, The (2008)	1	1	1	4.039292	26



## Content-based


- Later, categories can be **derived** from the **user behavior**
- We can use all sorts of item's additional **metadata** to make the recommendation list (*e.g actors, directors*)
- Using **NLP** (natural language processing) on the movie synopsis
- Using **timestamp** of the ratings, following monthly/yearly trends etc.



Collaborative filtering

# Neighbourhood methods

(user/item similarity)



# Recommender Systems

## Collaborative-based

### Neighbourhood methods

- User/item-based similarity (similarity between vectors)

### Latent factor models

- Model users in reduced multi-dimensional space

## Content-based

## Neighbourhood methods

- **user similarity**

items that are recommended to a user are based on an evaluation of items by users of the same neighborhood

- **item similarity**

similar items build neighborhoods based on appreciations of users

$$R = \begin{pmatrix} \begin{array}{cc|cc|c} 1 & ? & 2 & ? & ? \\ ? & ? & ? & ? & 4 \\ 2 & ? & 4 & 5 & ? \\ ? & ? & 3 & ? & ? \\ ? & 1 & ? & 3 & ? \end{array} & \begin{array}{l} \text{Alice} \\ \text{Bob} \\ \text{Charlie} \\ \text{Daniel} \\ \text{Eric} \\ \text{Zoe} \end{array} \end{pmatrix}$$

T	T		F
i	o		a
t	y		r
a	S		g
n	t		o
i	o		
c	r		

# Similarity measures

Plainly speaking, we're talking about similarity between two vectors

- Number of common rated items
- Manhattan distance
- Pearson correlation coefficient
- Cosine angle between vectors
- Adjusted cosine

$$R = \begin{pmatrix} \begin{array}{ccccc} 1 & ? & 2 & ? & ? \\ ? & ? & ? & ? & 4 \\ 2 & ? & 4 & 5 & ? \\ ? & ? & 3 & ? & ? \\ ? & 1 & ? & 3 & ? \end{array} & \begin{array}{l} \text{Alice} \\ \text{Bob} \\ \text{Charlie} \\ \text{Daniel} \\ \text{Eric} \\ \text{Zoe} \end{array} \end{pmatrix}$$

T	T	F
i	o	a
t	y	r
a	S	g
n	t	o
i	o	
c	r	
	y	



## Neighbourhood methods

- `len(users) >> len(items)`
- **Amazon** // users: ~310 MM, items: 12 MM

Users will have very few mutually rated items,  
while items will have a larger number of users who have  
co-rated them

## # user-based similarity

```
In [42]: # populate data from file
rating_matrix = pd.read_csv('cf_matrix.csv', index_col=0)
```

```
In [63]: rating_matrix.head(10)
```

```
Out[63]:
```

	31	1029	1061	1129	1172	1263	1287	1293	1339	1343	...	134528	134783	137595	138204	60832	64997	72380	129	4736	6425
1	2.5	3.0	3.0	2.0	4.0	2.0	2.0	2.0	3.5	2.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
2	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
3	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
4	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
5	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
6	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
7	3.0	0.0	0.0	3.0	0.0	0.0	4.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
8	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
9	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
10	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0

10 rows × 9066 columns

## # user-based similarity

```
In [44]: # calculate similarities between all users and selected user
# here we've used cosine similarity, but that's open for debate of the particular problem

sim = []
for i in range(len(rating_matrix)):
    sim.append(1 - spatial.distance.cosine(rating_matrix.iloc[USER_ID-1,:], rating_matrix.iloc[i,:]))
```

```
In [45]: # put similarities into a dataframe for easier manipulation later on
```

```
df_sim = pd.Series(sim,index=rating_matrix.index)
df_sim.sort_values(ascending=False, inplace=True)
df_sim.head()
```

```
Out[45]: 19      1.000000
514      0.610957
537      0.522613
21       0.494830
344      0.468342
dtype: float64
```

```
In [46]: # top rated user by defined similarity
top_sim_user = df_sim.index[1]
top_sim_user
```

```
Out[46]: 514
```

## # user-based similarity

```
In [64]: # quick look at two vectors (ratings from both of the users)
cf_sim = rating_matrix.loc[[top_sim_user, USER_ID]].T
cf_sim.columns = ['top_sim_user', 'user']
cf_sim.head(10)
```

Out[64]:

	top_sim_user	user
31	0.0	0.0
1029	3.0	5.0
1061	0.0	3.0
1129	3.0	3.0
1172	0.0	0.0
1263	0.0	4.0
1287	0.0	4.0
1293	5.0	0.0
1339	3.0	3.0
1343	4.0	4.0

## # user-based similarity

```
In [70]: # finding average rating of the top_similar_user (the threshold for the movies which we'll recommend)
# since we don't want to recommend all movies rated from a particular user

top_sim_user_avg = cf_sim[cf_sim['top_sim_user'] > 0]['top_sim_user'].mean()

# now the key is to find movies to recommend that are not rated by the user but are rated by the top_similar_user,
# since those are the films that are worth recommending

cf_sim['recommend'] = (cf_sim['top_sim_user'] > top_sim_user_avg) & (cf_sim['user'] == 0)
```

```
In [71]: cf_sim[cf_sim['recommend']].sort_values('top_sim_user', ascending=False).head()
```

Out[71]:

	top_sim_user	user	recommend
175	5.0	0.0	True
1289	5.0	0.0	True
909	5.0	0.0	True
233	5.0	0.0	True
1120	5.0	0.0	True

## # user-based similarity

```
In [72]: # getting movie ids
movie_ids = list(cf_sim[cf_sim['recommend']].sort_values('top_sim_user', ascending=False).index)
```

```
In [74]: res = dm[dm['movieId'].isin(movie_ids)].copy()

# append corresponding ratings
res['rating'] = dr[(dr['movieId'].isin(movie_ids)) & (dr['userId'] == top_sim_user)]['rating'].values
res.sort_values('rating', ascending=False).head(10)
```

Out[74]:

	movieId	title	genres	rating
3918	5060	M*A*S*H (a.k.a. MASH) (1970)	[Comedy, Drama, War]	5.0
395	446	Farewell My Concubine (Ba wang bie ji) (1993)	[Drama, Romance]	5.0
899	1120	People vs. Larry Flynt, The (1996)	[Comedy, Drama]	5.0
730	909	Apartment, The (1960)	[Comedy, Drama, Romance]	5.0
895	1111	Microcosmos (Microcosmos: Le peuple de l'herbe...	[Documentary]	5.0
997	1243	Rosencrantz and Guildenstern Are Dead (1990)	[Comedy, Drama]	5.0
285	319	Shallow Grave (1994)	[Comedy, Drama, Thriller]	5.0
607	720	Wallace & Gromit: The Best of Aardman Animatio...	[Adventure, Animation, Comedy]	5.0
244	272	Madness of King George, The (1994)	[Comedy, Drama]	5.0
205	233	Exotica (1994)	[Drama]	5.0

## User-based vs item-based

- Two users will generally have very few mutually rated items, while two **items will have a larger number of users who have co-rated them -> more stable**
- **User-based** approach requires frequent updates of the similarity matrix -> **very costly**
- **Item-based** methods recommend obvious items and items that are not novel from previous experience



Collaborative filtering

# Latent Factor Models

SVD // Singular Value Decomposition





# Recommender Systems

## Collaborative-based

### Neighbourhood methods

- User/item-based similarity (similarity between vectors)

### Latent factor models

- Model users in reduced multi-dimensional space

## Content-based



# Dimensionality reduction

PCA // Principal Component Analysis



# PCA

- **Principal component analysis (PCA)** is a mathematical procedure that **transforms** a number of (possibly) correlated variables **into a (smaller) number** of uncorrelated variables called principal components.
- The **first principal component** accounts for **as much of the variability** in the data as possible, and each succeeding component accounts for as much of the remaining variability as possible

# PCA

1. Compute the mean feature vector

$$\mu = \frac{1}{p} \sum_{k=1}^p x_k, \text{ where, } x_k \text{ is a pattern } (k = 1 \text{ to } p), p = \text{number of patterns, } x \text{ is the feature matrix}$$

2. Find the covariance matrix

$$C = \frac{1}{p} \sum_{k=1}^p \{x_k - \mu\} \{x_k - \mu\}^T \text{ where, } T \text{ represents matrix transposition}$$

3. Compute Eigen values  $\lambda_i$  and Eigen vectors  $v_i$  of covariance matrix

$$Cv_i = \lambda_i v_i \quad (i = 1, 2, 3, \dots, q), q = \text{number of features}$$

4. Estimating high-valued Eigen vectors

- (i) Arrange all the Eigen values ( $\lambda_i$ ) in descending order
- (ii) Choose a threshold value,  $\theta$
- (iii) Number of high-valued  $\lambda_i$  can be chosen so as to satisfy the relationship

$$\left( \sum_{i=1}^s \lambda_i \right) \left( \sum_{i=1}^q \lambda_i \right)^{-1} \geq \theta, \text{ where, } s = \text{number of high valued } \lambda_i \text{ chosen}$$

- (iv) Select Eigen vectors corresponding to selected high valued  $\lambda_i$
5. Extract low dimensional feature vectors (principal components) from raw feature matrix.  
 $P = V^T x$ , where,  $V$  is the matrix of principal components and  $x$  is the feature matrix

# PCA

**Original dataset**

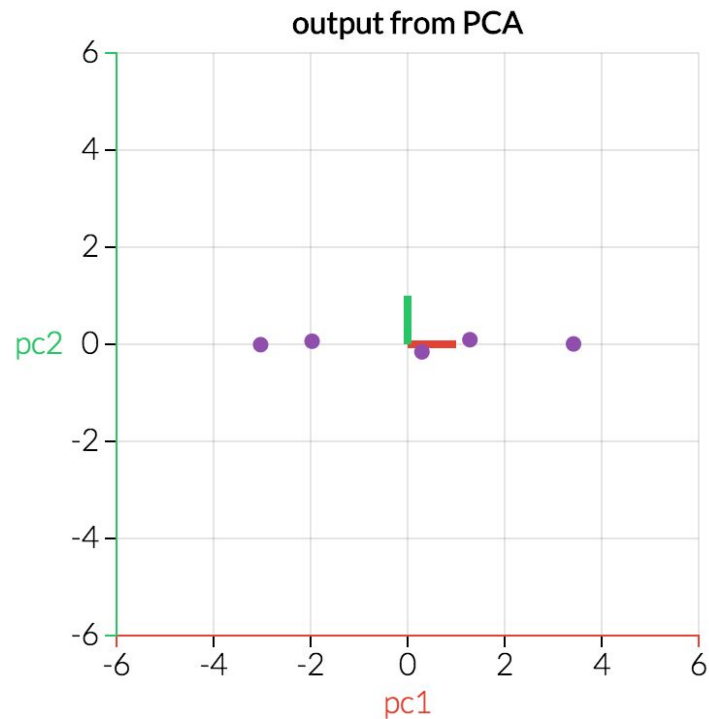
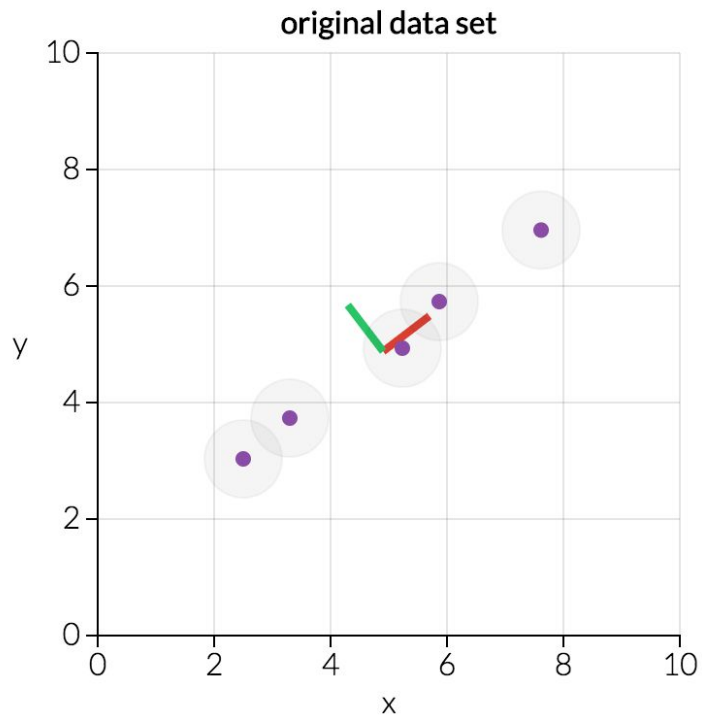
x	2.5	3.2	5.2	5.9	7.8
y	3.1	3.8	5	5.8	6.9



**Output from PCA**

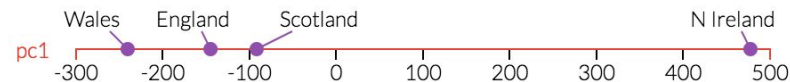
pc1	-3	-1.9	0.2	1.2	3.5
-----	----	------	-----	-----	-----

# PCA // simple example (2-dim data)



# PCA // 17-dim example

	England	N Ireland	Scotland	Wales
Alcoholic drinks	375	135	458	475
Beverages	57	47	53	73
Carcase meat	245	267	242	227
Cereals	1472	1494	1462	1582
Cheese	105	66	103	103
Confectionery	54	41	62	64
Fats and oils	193	209	184	235
Fish	147	93	122	160
Fresh fruit	1102	674	957	1137
Fresh potatoes	720	1033	566	874
Fresh Veg	253	143	171	265
Other meat	685	586	750	803
Other Veg	488	355	418	570
Processed potatoes	198	187	220	203
Processed Veg	360	334	337	365
Soft drinks	1374	1506	1572	1256
Sugars	156	139	147	175



# PCA

In a nutshell, this is what PCA is all about:

- Finding the directions of **maximum variance** in **high-dimensional data** and project it onto a **smaller dimensional subspace** while retaining most of the information
- $\text{Var}(\text{pc1}) > \text{Var}(\text{pc2}) > \text{Var}(\text{pc3}) \dots$



# Recommender Systems

## Collaborative-based

### Neighbourhood methods

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### Latent factor models

- Model users in reduced multi-dimensional space

## Content-based

## Collaborative filtering // Netflix

- **Open competition** to build a collaborative filtering algorithm
- **1,000,000 \$ prize**
- Winner beat Netflix's accuracy by **10.06%**
- **Over 500** different approaches used



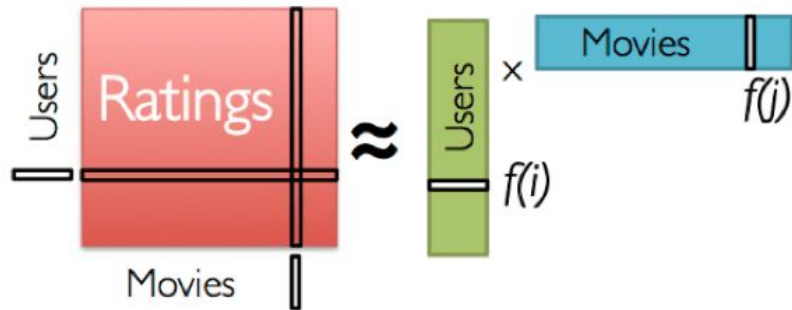


## Latent Factor Models

- **Latent** => **Hidden**
- **Better performance** than neighbourhood (similarity-based) methods
- The factors (*components*) are called **latent** because they are there in our data but are not really discovered until you run the low-rank **matrix factorization**, then the factors emerge and hence the "latency"

## SVD // Singular Value Decomposition

- **Matrix factorization** is breaking down of one matrix into a **product** of multiple matrices
- $R = MU^T$
- $c$  - number of latent factors



shape(R) = (u,m)

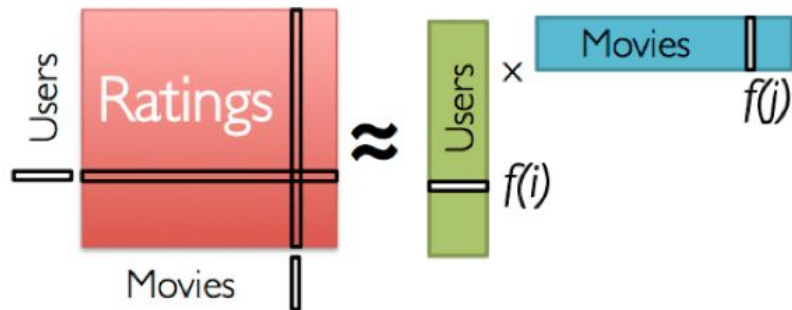
shape(U) = (u,c)

shape(M) = (c,m)

## SVD // Singular Value Decomposition

- PCA on  $R$  gives you the **typical users  $U$**
- PCA on  $R^T$  gives you the **typical movies  $M$**
- SVD gives you **both in one shot**
- $R = MU^T$

Low-Rank Matrix Factorization:



shape( $R$ ) = ( $u, m$ )

shape( $U$ ) = ( $u, c$ )

shape( $M$ ) = ( $c, m$ )

# SVD // Singular Value Decomposition

- Each principal component captures a specific latent factor
- Some of the factors can have semantics behind them

$$R = \begin{pmatrix} 1 & ? & 2 & ? & ? \\ ? & ? & ? & ? & 4 \\ 2 & ? & 4 & 5 & ? \\ ? & ? & 3 & ? & ? \\ ? & 1 & ? & 3 & ? \\ 5 & ? & ? & ? & 2 \end{pmatrix} \begin{matrix} \text{Alice} \\ \text{Bob} \\ \text{Charlie} \\ \text{Daniel} \\ \text{Eric} \\ \text{Zoe} \end{matrix}$$

T  
i  
t  
a  
n  
i  
c

T  
o  
y  
S  
t  
o  
r  
y

F  
a  
r  
g  
o

Alice	= 10% Action fan	+10% Comedy fan	+50% Romance fan	+...
Bob	= 50% Action fan	+30% Comedy fan	+10% Romance fan	+...
Titanic	= 20% Action	+00% Comedy	+70% Romance	+...
Toy Story	= 30% Action	+60% Comedy	+00% Romance	+...

# SVD // Singular Value Decomposition

The value of  $r_{ui}$  is the result of a **dot product** between two vectors:

**Vector**  $\mathbf{p}_u$  which is a row of  $\mathbf{M}$  and which is specific to the user  $u$   
and **vector**  $\mathbf{q}_i$  which is a column of  $\mathbf{U}^T$  and which is specific to the item  $i$

$$R = MU^T$$

$$\begin{pmatrix} r_{ui} \end{pmatrix} = \begin{pmatrix} \text{--- } p_u \text{ ---} \end{pmatrix} \begin{pmatrix} | \\ q_i \\ | \end{pmatrix}$$

$$r_{ui} = \sum_{c \in \text{concepts}} \overset{r_{ui} = p_u \cdot q_i}{\text{affinity of } u \text{ for } c \times \text{affinity of } i \text{ for } c}$$



## SVD

- The SVD of sparse matrix  $R$  is not defined
- If  $R$  was dense, we could compute  $M$  and  $U$  easily
- A first option that was used for some time is to fill the missing entries of  $R$  with some simple heuristic
- Find an approximate solution to the SVD problem using Stochastic Gradient Descent



# # SVD - using surprise library

```
In [75]: from surprise import Reader, Dataset, SVD, evaluate
```

```
reader = Reader()
dr.head()
```

Out[75]:

	userId	movieId	rating	timestamp
0	1	31	2.5	1260759144
1	1	1029	3.0	1260759179
2	1	1061	3.0	1260759182
3	1	1129	2.0	1260759185
4	1	1172	4.0	1260759205

```
In [76]: data = Dataset.load_from_df(dr[['userId', 'movieId', 'rating']], reader)
data.split(n_folds=5)
```

```
In [ ]: svd = SVD()
evaluate(svd, data, measures=['RMSE'])
```

```
In [213]: trainset = data.build_full_trainset()
svd.fit(trainset)
```

Out[213]: <surprise.prediction\_algorithms.matrix\_factorization.SVD at 0x7f4c58c7ad68>

## # SVD - using surprise library

```
In [82]: svd.predict(19, 2)
```

```
Out[82]: Prediction(uid=19, iid=2, r_ui=None, est=3.120983027200581, details={'was_impossible': False})
```

```
In [83]: dr[dr['userId'] == 19].head(10)
```

```
Out[83]:
```

	userId	movieId	rating	timestamp
<b>3105</b>	19	1	3.0	855190091
<b>3106</b>	19	2	3.0	855194773
<b>3107</b>	19	3	3.0	855194718
<b>3108</b>	19	4	3.0	855192868
<b>3109</b>	19	6	3.0	855190128
<b>3110</b>	19	7	3.0	855190128
<b>3111</b>	19	9	3.0	855190232
<b>3112</b>	19	10	3.0	855192496
<b>3113</b>	19	11	3.0	855192773
<b>3114</b>	19	14	5.0	855190167



## Closing remarks

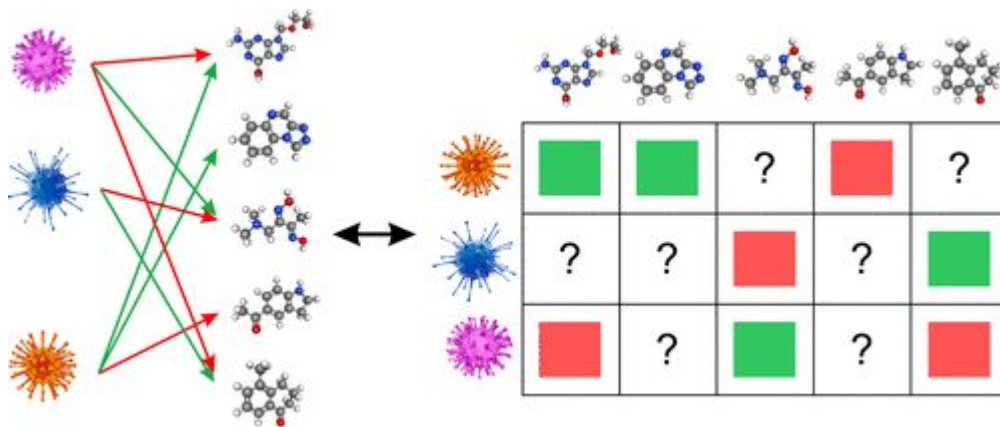
# Modeling interaction

- Recommender systems are not reserved only for the product/item recommendation
- It's a great tool to model any kind of **interaction** between items/services



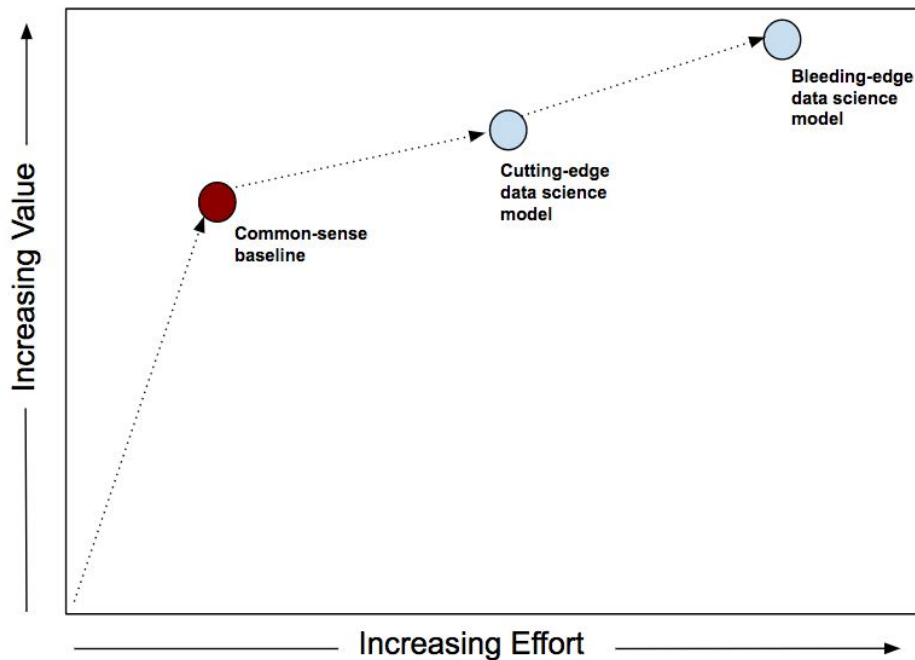
## Drug discovery etc.

- Recommender systems have great potential for drug discovery.
- Modeling interaction between molecules and pathogens



## Common-sense

Many real-world recommendation problems are best solved through thoughtful analysis, feature engineering, simple models and effective feedback systems.





Additional links



## Additional links

- <https://www.thesocialdilemma.com/>
- <http://setosa.io/ev/principal-component-analysis/>
- [https://www.youtube.com/watch?v=giIXNoiqO\\_U](https://www.youtube.com/watch?v=giIXNoiqO_U)
- <https://datajobs.com/data-science-repo/Recommender-Systems-%5BNetflix%5D.pdf>
- <https://www.coursera.org/specializations/recommender-systems>
- <https://www.quora.com/What-is-the-difference-between-content-based-filtering-and-collaborative-filtering>
- <https://www.youtube.com/watch?v=z0dx-YckFko>
- <https://grouplens.org/blog/similarity-functions-for-user-user-collaborative-filtering/>



## Additional links

- <https://www.youtube.com/watch?v=z0dx-YckFko>
- <http://thmsrey-ds.com/2017/06/27/recommender-systems-introduction-user-based-collaborative-filtering/>
- <https://stats.stackexchange.com/questions/2691/making-sense-of-principal-component-analysis-eigenvectors-eigenvalues>
- [https://arxiv.org/pdf/1404.1100.pdf?utm\\_content=bufferb37df&utm\\_medium=social&utm\\_source=facebook.com&utm\\_campaign=buffer](https://arxiv.org/pdf/1404.1100.pdf?utm_content=bufferb37df&utm_medium=social&utm_source=facebook.com&utm_campaign=buffer)
- <https://buildingrecommenders.wordpress.com/2015/11/10/the-components-of-a-recommender-system/>

# Questions ?

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