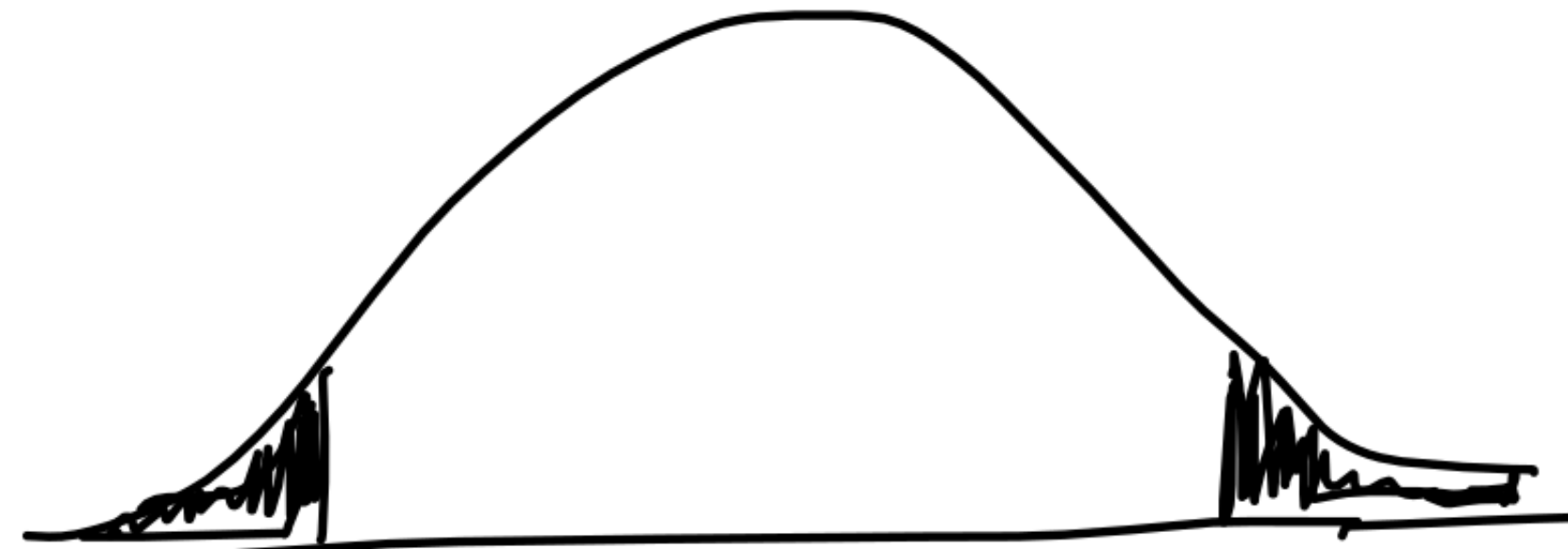
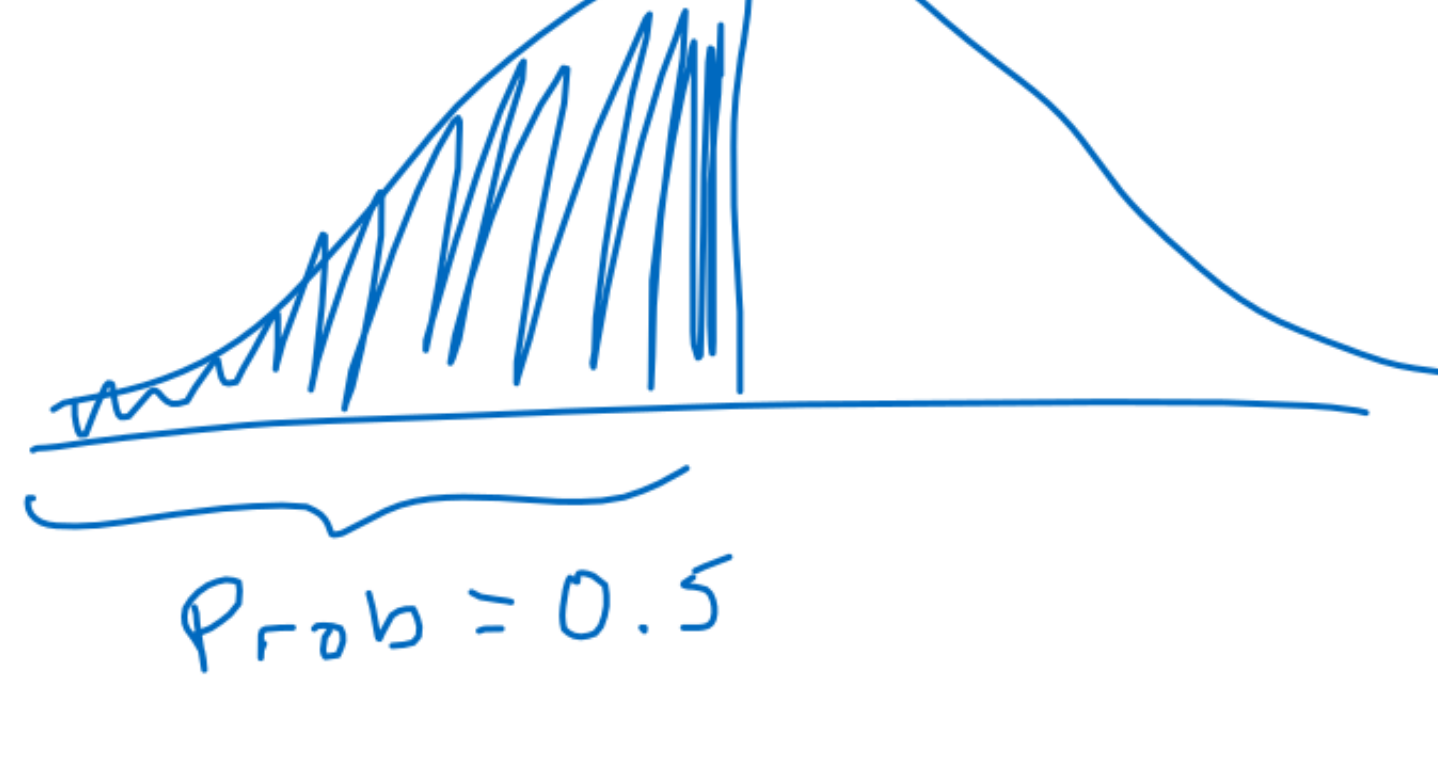


Area under curve = $f(\text{density})$



Area in black?

① $1 - \int_A^B f(x) dx$

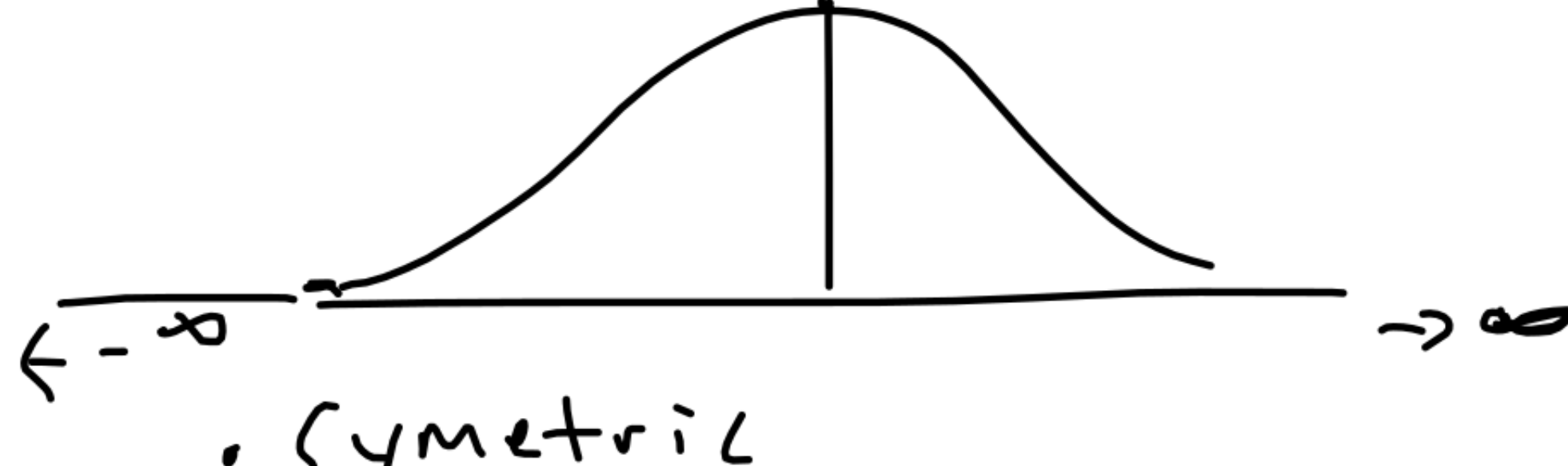
② $\int_{-\infty}^A f(x) dx + \int_B^{\infty} f(x) dx$

Important Dist'n's

Binomial - see week 6

Normal Dist'n

- continuous
- defined from $-\infty$ to $+\infty$ (support of a dist'n)
- unimodal



• Symmetric

• Mean = Median = Mode

• Prob density function

$f(x | \mu, \sigma) = \frac{1}{\sqrt{2\pi\sigma^2}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$

"given" μ σ parameters

Where μ = mean

σ = standard deviation

• As observation depart from the mean, they become less likely

Negative Binomial

• What is the prob of needing N trials to observe X successes, with prob of success = P .

• Discrete dist'n

• Density function

$P(N | X, P) = \binom{N-1}{X-1} P^X (1-P)^{N-X}$

Number of combos of $X-1$ success in $N-1$ trials

unique

Same as Binomial

• Where have we seen this?

→ How many coin tosses need to get to 100 heads?

• counts -

How many trap nights need for X photos of bobcats?

Poisson Dist'n

• Discrete dist'n

• Whats the probability of observing some count?

• Density function

$P(x | \lambda) = \frac{e^{-\lambda} \lambda^x}{x!}$

• Mean number of eggs in a nest is $= 3 \rightarrow \lambda = 3$

• Make λ a function

$\rightarrow \lambda = f(\lambda, T)$

$P(x | \lambda, T) = \frac{e^{-(\lambda T)} (\lambda T)^x}{x!}$

• Prob of observing X , when you expect x at some rate λT .

Normal - AUC

Where are 95% of values?

