Model Evalution

```
[1]: #Importing Liberies:
   import numpy as np
   import pandas as pd
   import matplotlib.pyplot as plt
   import os
   import cv2
   import time as t
```

Statement

The dataset comprising of dogs and cats images is uploaded to google drive. You will have to write a code that can use **KNNClassifier**, **SVC**, and logistic regression for classification. You can train the data using the train.zip folder and report the confusion matrix on test1.zip folder.

Answer:

1.1 Feature Extraction:

- 1. Read each image from the train image folder and convert into grayscale image.
- 2. Preprocess the images by resizing to (50×50) pixel value.
- 3. Calculating Gradients (direction x and y).
 - 1. Change in X direction: $\Delta X_{i,j} = a_{i,j-1} a_{i,j+1}$
 - 2. Change in Y direction: $\Delta Y_{i,j} = a_{i-1,j} a_{i+1,j}$
 - 3. Calculate the gradient magnitude: Total Gradient Magnitude = $\sqrt{(\Delta X^2 \Delta Y^2)}$
 - 4. Calculate the orientation (or direction): $\Phi = \arctan(\frac{\Delta Y}{\Delta X})$
- 4. Generate histogram having binsize of 16 and use the gradient magnitude to fill the values in the matrix(Histogram of Oriented Gradients (HOG)).
- 5. Assign the label for the images, where '0' represents 'Cat' and '1' represents 'Dog'.
- 6. Stack all the features and labels and store into the data variables.

```
[2]: '''
Feature Extraction:
```

```
def hog(img):
   gx = cv2.Sobel(img, cv2.CV_32F, 1, 0) #gradient in x
   gy = cv2.Sobel(img, cv2.CV_32F, 0, 1) #gradient in x
   mag, ang = cv2.cartToPolar(gx, gy)
                                           #magnitude and angle
   bin_n = 16
                                          # Number of bins
   bin = np.int32(bin_n*ang/(2*np.pi))
   bin_cells = []
   mag_cells = []
   # no of hog feature cells
   cellx = celly = 8
   for i in range(0,img.shape[0]//celly):
       for j in range(0,img.shape[1]//cellx):
           bin_cells.append(bin[i*celly : i*celly+celly, j*cellx :__
 →j*cellx+cellx])
            mag_cells.append(mag[i*celly : i*celly+celly, j*cellx :_

  j*cellx+cellx])
    # appending histogram
   hists = [np.bincount(b.ravel(), m.ravel(), bin_n) for b, m in_
 →zip(bin_cells, mag_cells)]
   hist = np.hstack(hists)
   return hist
def feature_extractor(path):
   feature = []
   label = []
   for file in os.listdir(path):
        # print(file)
        #importing the image and resize it to (50*50)
       img = cv2.resize(cv2.imread(os.path.join(path, file)), (50, 50))
       feature.append(hog(img))
       if (file[0:3]=="cat")==True:
                                          # cat indicated by 0
           label.append(0)
        elif (file[0:3]=="dog")==True:
                                                  # dog indicated by 1
           label.append(1)
                                                 #label array
   labels = np.array([label], dtype = int)
   features = np.array(feature, dtype = float) #feature array
   data = np.hstack((features,labels.T))
   return data
```

```
[3]: %%time
    # import the Resnet data
    image_folder = r"train/"
    data = feature_extractor(image_folder)

X,y = data[:,:-1], data[:,-1:].flatten().astype('int64')
    print('Dimention of Features into the data: ',X.shape)
    print('Dimention of label into the data: ',y.shape)

Dimention of Features into the data: (25000, 576)
    Dimention of label into the data: (25000,)
    CPU times: user 34.4 s, sys: 921 ms, total: 35.3 s
Wall time: 41 s
```

1.2 Scaling the dataset and split into test and train sets

```
[4]: '''
     Test Train split:
     {\it \# test train split for multi dimentional datasets}
     def train_test_split(X,y,k):
        x_test = []
         x_train = []
         y_test = []
         y_train = []
         A = np.column\_stack((X,y)) #stacking the feature and lables into single_\(\text{\text{L}}\)
      ⇔array A
         np.random.shuffle(A) #suffling data into random manner
         n = np.round(len(X)*k)
         for i in range (len(X)):
             #test data
             if i<n:
                 x_test.append(A[:,:-1][i])
                 y_test.append(A[:,-1:][i])
             #train data
             else:
                 x_train.append(A[:,:-1][i])
                 y_train.append(A[:,-1:][i])
         return np.array(x_train), np.array(x_test), np.ravel(y_train).
      →astype('int64'), np.ravel(y_test).astype('int64')
     111
     Standard Scaler:
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```

```
def Standard_Scaler(X):
        A = []
        B = X.T
        for row in B:
            A.append((row-np.mean(row))/np.std(row))
        x = np.array(A).T
        return x
[5]: # Scale the featureset
    X = Standard_Scaler(X)
     # 30% test train split
     Xtrain, Xtest, ytrain, ytest = train_test_split(X, y, 0.3)
     print('Dimention of train data: ',Xtrain.shape)
     print('Dimention of test data: ',Xtest.shape)
    Dimention of train data: (17500, 576)
    Dimention of test data: (7500, 576)
[6]:
     Confusion Matrix:
     def confusion_matrix(Y,y,a):
        pred = y #predicted values
        true = Y
                  #actual values
        classes = len(np.unique(ytest))
        #computing the confusion matrix
        conf_matrix = np.bincount(true * classes + pred).reshape((classes, classes))
        # Print the confusion matrix using Matplotlib
        fig, ax = plt.subplots(figsize=(8.5, 8.5))
        ax.matshow(conf_matrix, cmap=plt.cm.Blues, alpha=0.5)
        ticks = ['Cat','Dog']
        for i in range(conf_matrix.shape[0]):
            for j in range(conf_matrix.shape[1]):
                ax.text(x=j, y=i,s=conf_matrix[i, j], va='center', ha='center',
      ⇔size='xx-large')
        ax.set_xticks(np.arange(len(ticks)), labels=ticks, fontsize=12)
        ax.set_yticks(np.arange(len(ticks)), labels=ticks, fontsize=12)
        plt.xlabel('Predictions', fontsize=16)
        plt.ylabel('Actuals', fontsize=16)
        plt.title('Confusion Matrix '+ a, fontsize=22)
        plt.show()
        return np.ravel(conf_matrix)
     # computing the accuracy
     def accuracy(y_true, y_pred):
        accuracy = np.sum(y_true == y_pred)/len(y_true)*100
```

1.3 Support Vector Machine:

1.3.1 Algorithm:

1. Equation for the linear hyperplane:

$$y = w^T X - b$$
 >where, $w^T.x_i - b \geq 1$
$$if, \ y_i = 1 \ \text{``}w^T.x_i - b \leq 1 \qquad if, \ y_i = -1$$

2. Hinge Loss:

$$l = max(0, 1 - y_i(w.x_i - b))$$

> where,

$$l = \begin{cases} 0, & \text{if } y.f(x) \ge 1\\ 1 - y.f(x), & \text{otherwise} \end{cases}$$

3. After adding the Regulariser:

$$L = \lambda ||w||^2 + \frac{1}{n} \sum_{i=0}^n \max(0, 1 - y_i(w.x_i - b))$$

> where, $if y_i \cdot f(x) \ge 1$ then, $L = \lambda ||w||^2$ »else, $L = \lambda ||w||^2 + 1 - y_i(w \cdot x_i - b)$

4. Gradient: >where, »

$$if, \ y_i.f(x) \geq 1 \ then, \frac{\partial L}{\partial w} = 2\lambda w \ and \ \frac{\partial L}{\partial b} = 0$$

>>

$$else, \ \frac{\partial L}{\partial w} = 2\lambda w - y_i.x_i \ and \ \frac{\partial L}{\partial b} = y_i$$

5. Update rules:

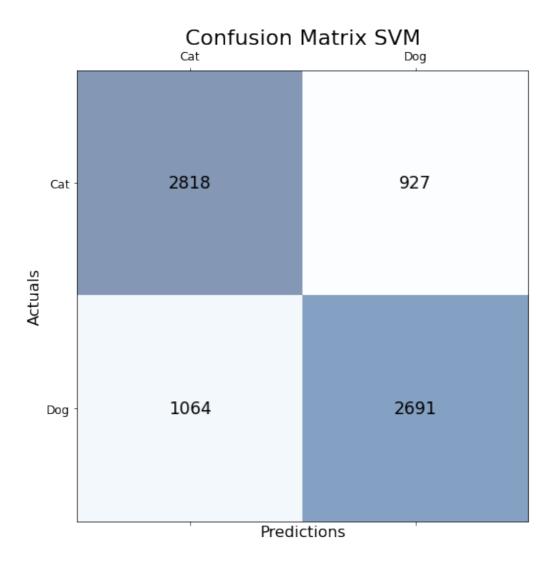
$$w_{i+1} = w_i - \alpha.\partial w$$
 and $b_{i+1} = b_i - \alpha.\partial b$

>where, $\alpha \rightarrow learning \ rate \gg \lambda \rightarrow regulariser$

```
# fit method
  def fit(self, X, y):
      n_samples, n_features = X.shape # assign the no of shamples and features
      y_{-} = np.where(y <= 0, -1, 1)
                                         # converting y=0,1 to y=-1,1
      self.w = np.zeros(n_features)
                                             # initilize the weights
      self.b = 0
                                               # initilize the bias
      for _ in range(self.n_iters):
           for i, x_i in enumerate(X):
               condition = y_[i] * (np.dot(x_i, self.w) - self.b) >= 1
               # update the weights and bias
               if condition:
                   self.w -= self.lr * (2 * self.lambda_ * self.w)
               else:
                   self.w -= self.lr * (2 * self.lambda_ * self.w - np.
\rightarrowdot(x_i, y_[i]))
                   self.b -= self.lr * y_[i]
  # predict method
  def predict(self, X):
      approx = np.dot(X, self.w) - self.b
      return np.where(np.sign(approx) <= 0, 0, 1)
```

```
[8]: tic = t.process_time()
    svm = SVM()
    svm.fit(Xtrain, ytrain)
    y_pred1 = svm.predict(Xtest)
    toc = t.process_time()
    a1 = accuracy(ytest, y_pred1)
    t1 = np.round(toc-tic,2)
    print('SVM model Accuracy on the test_set : ',a1,'%')
    print('Processing time taken for the SVM model: ',t1,' sec')
    conf1 = confusion_matrix(ytest, y_pred1, 'SVM')
```

SVM model Accuracy on the test_set : 73.453 % Processing time taken for the SVM model: 27.76 sec



$1.4 \quad K_NearestNeighbour:$

1.4.1 Algorithm:

- 1. Select the number K of the neighbors,
- 2. Calculate the Euclidean distance of K number of neighbors. > where, $D_{a,b}^2 = \sum_{k=0}^n (a_k b_k)^2$
- 3. Take the K nearest neighbors as per the calculated Euclidean distance.
- 4. Among these k neighbors, count the number of the data points in each category.
- 5. Assign the new data points to that category for which the number of the neighbor is maximum.

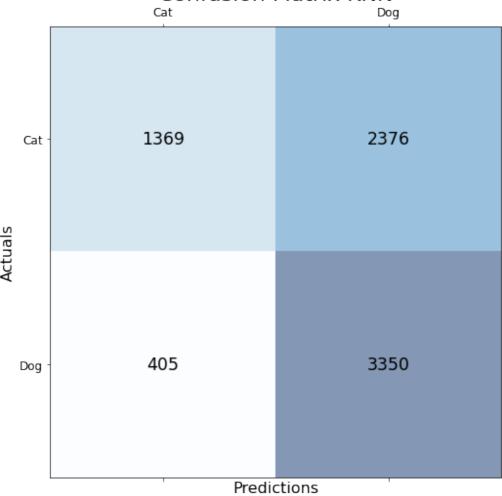
```
[9]: KNN Classifier:
```

```
class knn:
    #initilize the parameters
    def __init__(self, n_neighbours):
       self.k = n_neighbours
    # fit method
    def fit(self, X, y):
        self.X = X
        self.y = y
        return self
    #square euclidean norm
    def eluclidean_dist(self,a,b):
        return np.dot((a-b),(a-b))
    # predict method
    def predict(self, X, y):
        y_pred = []
        for row in X:
            # compute euclidean distance
            dist = []
            for X_row in self.X:
                dist.append(self.eluclidean_dist(X_row,row))
            \# get k nearest samples, lables
            neighbours = list(self.y[np.argsort(dist)[:self.k]])
            vote = np.bincount(neighbours)
                                                                    # voting the
 \hookrightarrow closest neighbours
                                                                     #assign to⊔
            pred = np.argmax(vote)
 ⇔the mojority
            y_pred.append(pred)
        return np.array(y_pred)
```

```
[10]: tic = t.process_time()
knn = knn(5)
knn.fit(Xtrain,ytrain)
y_pred2 = knn.predict(Xtest, ytest)
toc = t.process_time()
a2 = accuracy(ytest, y_pred2)
t2 = np.round(toc-tic,2)
print('KNN model Accuracy on the test_set : ',a2,'%')
print('Processing time taken for the KNN model: ',t2,' sec')
conf2 = confusion_matrix(ytest, y_pred2, 'KNN')
```

KNN model Accuracy on the test_set : 62.92 % Processing time taken for the KNN model: 407.96 sec

Confusion Matrix KNN



1.5 Logistic Regression:

1.5.1 Algorithm:

1. Linear model:

$$y = w^T x + b$$

2. Approximation:

$$\hat{y} = \frac{1}{1 + e^{-(w^T x + b)}}$$

3. Cross entropy:

$$L = \frac{1}{N} \sum_{i=1}^n [y_i \log(\hat{y}_i) + (1-y_i) \log(1-\hat{y}_i)]$$

4. Gradient Descent:

$$\frac{\partial L}{\partial w} = \frac{1}{N} \sum_{i=0}^{n} 2x_i^T (\hat{y} - y_i)$$

>and,

$$\frac{\partial L}{\partial b} = \frac{1}{N} \sum_{i=0}^{n} 2(\hat{y} - y_i)$$

5. Update rules:

$$w_{i+1} = w_i - \alpha . \partial w$$
 and $b_{i+1} = b_i - \alpha . \partial b$

>where, $\alpha \rightarrow learning \ rate$

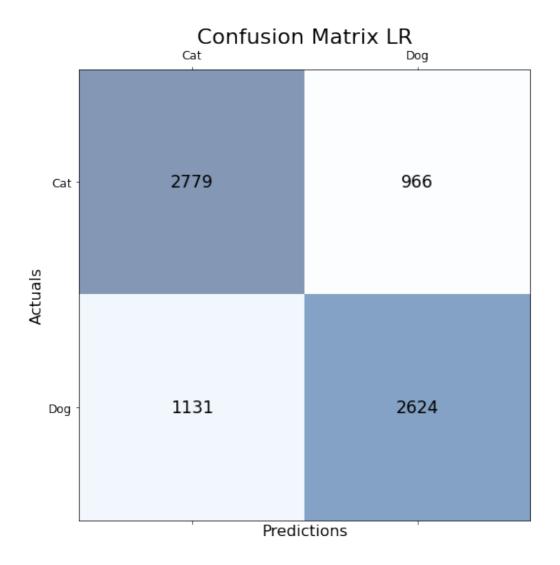
```
[11]:
      Logistics Regression:
      class LogisticRegression:
          # initilise the parameters
          def __init__(self, learning_rate, n_iter=125):
             self.n_iter = n_iter
              self.lr = learning_rate
              self.w = None
              self.b = None
          # fit methode
          def fit(self,X,y):
              n_samples, n_features = X.shape
              self.w = np.zeros(n_features) #initilise the weights
              self.b = 0
                                            #initilise the bias
              # gradient descent
              for _ in range(self.n_iter):
                  y_pred = self.sigmoid(X)
                  #calculate gradient of weights and bias
                  dw = (1/n_{samples}) * np.dot(X.T, (y_pred-y))
                  db = (1/n_samples) * np.sum(y_pred-y)
                  #update weights
                  self.w -= self.lr*dw
                  self.b -= self.lr*db
              return
          # sigmoid function
          def sigmoid(self, x):
              z = np.dot(x,self.w)+self.b
              return (1/(1+np.exp(-z)))
          # predict methode
```

```
def predict(self, x):
    y = self.sigmoid(x)
    return np.where(y <= 0.5, 0, 1)</pre>
```

```
[12]: tic = t.process_time()
   LR = LogisticRegression(learning_rate=0.01)
   LR.fit(Xtrain,ytrain)
   y_pred3 = LR.predict(Xtest)
   toc = t.process_time()

a3 = accuracy(ytest, y_pred3)
   t3 = np.round(toc-tic,2)
   print('Logistic Regression model Accuracy on the test_set : ',a3,'%')
   print('Processing time taken for the LR model: ',t3,' sec')
   conf3 = confusion_matrix(ytest, y_pred3, 'LR')
```

Logistic Regression model Accuracy on the test_set : 72.04 % Processing time taken for the LR model: $5.02 \ \text{sec}$



print dataframe. display(df)

	Classifi	cation Mode	l Procesing	g time(Sec)	Accuracy{%}	True Cat	\
0	Support Vector Machine			27.76	73.453	2818	
1	K-Nearest Neighbour			407.96	62.920	1369	
2	Logistics Regression			5.02	72.040	2779	
	False Cat	False Dog	True Dog				
0	927	1064	2691				
1	2376	405	2624				

2624

1.6 Conclusion:

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1 2

- 1. Training the model after performing the feature extraction give far better result, compare to the using the raw pixel values as the feature vector.
- 2. Also tested using PCA. But PCA delivered poor result as we loose too much infromation from the data sets after performing PCA.
- 3. Also tested using Keras resnet 50 feature extractor which delivered promissing results, but as it uses neuralnetwork for feature extraction so it is not use in the final answer {All the testing files are to be attached into the 'Experiment' folder}.
- 4. From the model output we can conclude that,

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- 1. Time complexity is highest for the KNN model compare to svm and logistic regression.
- 2. For this image classification svm delivered the best accuracy followed by Logistics Regression and KNN.
- 3. For similar no of itteration and learning rate SVM is superior than logistics regression.