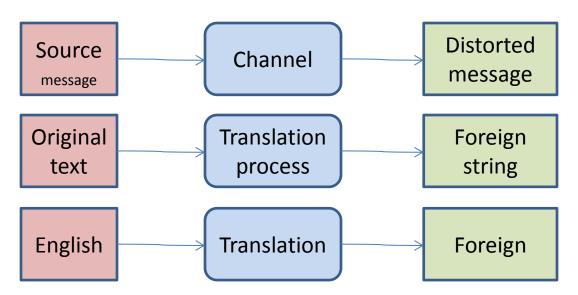
Lecture 5.1: phrase-based MT

Background: Noisy channel model

 An original message went through a distortion model (noisy channel) we get only the "distorted" message.



 Our goal: given a translation and a translation model, find the most probable original



Noisy channel model



We observe f (a foreign string). What would be the best e English sentence to generate f?

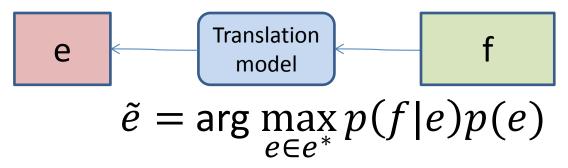
$$\tilde{e} = \arg \max_{e \in e^*} p(e|f)$$

Knowing Bayes rule: $p(e|f) = \frac{p(f|e)p(e)}{p(f)}$

• The best *e* would be:

$$\tilde{e} = \arg \max_{e \in e^*} p(f|e)p(e)$$

Noisy channel model



- -p(f|e) \rightarrow Phrase table (phrase translation probabilities) This will be "learned" out of parallel sentences
- p(e) Language model (probability of being "good" English)

This will be "learned" out of English texts

Linear model

$$\tilde{e} = \arg \max_{e \in e^*} (w_t T. w_l L. w_d D. w_s S)$$

- $-T \rightarrow$ translation probability
- Language model probability
- D→Distortion probability
- S→Sentence length probability
- Etc.

$$- \tilde{e} = \arg \max_{e \in e^*} (\prod_{i=1}^n w_i . H_i)$$

$$- \tilde{e} = \arg \max_{e \in e^*} (\sum_{i=1}^n \log w_i \times H_i)$$

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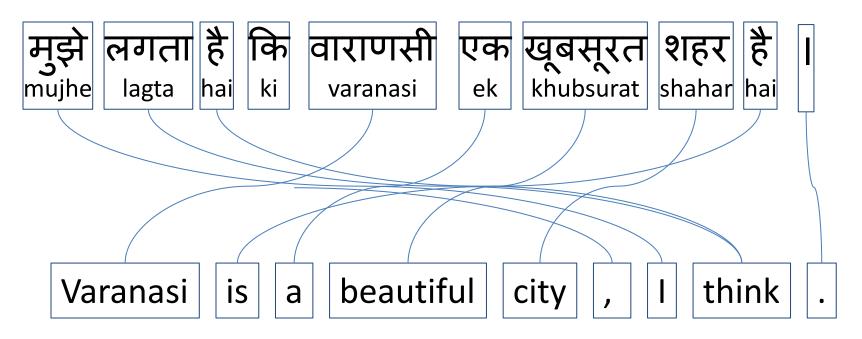
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Word-to-word translation model



- (word) translation probability
- (language model probability)
- (sentence length model)
- (distortion probability)

Model Estimation (for now, only translation probabilities)

 Word translation probabilities are easy to estimate from word alignment links:

$$t(e|f) = \frac{count(f \to e)}{\sum_{\hat{e}} count(f \to \hat{e})}$$

Model Estimation (for now, only translation probabilities)

Word translation probabilities are easy to estimate from word alignment links:

$$t(e || f) = \sum_{\vec{e}, \vec{f} \in Corpus} \sum_{i=1; e_i = e}^{|\vec{e}|} \sum_{k=0; f_k = f}^{|\vec{k}|} p(a_i = k | \vec{e}, \vec{f})$$

 Word translation probabilities can be inferred from word translation probabilities:

$$p(a_i = k) = \frac{t(e_i | f_k)}{\sum_{\hat{k}} t(e_i | f_{\hat{k}})}$$

Credits: U. Germann U. Edinburgh

IBM model 1

Model 1

- uniform sentence length probability
- uniform distortion probability

$$p(\vec{e} | \vec{f}) = \epsilon \sum_{\vec{a}} \prod_{i=1}^{|\vec{e}|} t(e_i | f_{a_i})$$

IBM model 2

Adds distortion probability in the model

- uniform sentence length probability
- distortion probability based on absolute positions within the sentence d(k | i).
- word translation probabilities as in Model 1

IBM models 3 to 5

New generative story

- for each source word f_k pick a fertility n_k with probability $p(n_k \mid f)$.
- copy $f_k n_k$ times
- translate each copy according to $t(e_{k:j} \mid f_k)$
- place translations into target sentence
- Model 3: distortion probabilities based on absolute positions
- Model 4: distortion probabilities based on positions relative to the target positions of previously placed word(s)
- Model 5: eliminates a deficiency of Models 3 and 4; not used in practice.

Nota bene:

- From Model 3, on, individual word translations are not independent of one another any more (because of fertility, relative distortions)!
- full marginalization $\sum_{\vec{a}} p(\vec{e}, \vec{a} | \vec{f})$ is too expensive
- initialize Viterbi Alignment from lower Model, consider only neighboring alignments during training

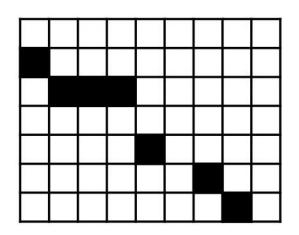
Hidden Markov Models for Alignment

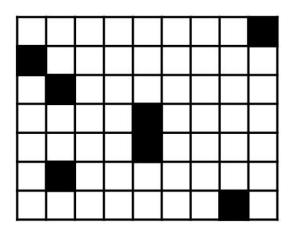
- source words f are hidden states
- emit target words according to t (e | f)
- distortion modeled via transition probabilities between states of Hidden Markov Model
- replaces Model 2 in the standard Giza++ setup

Examples of lexical table generated

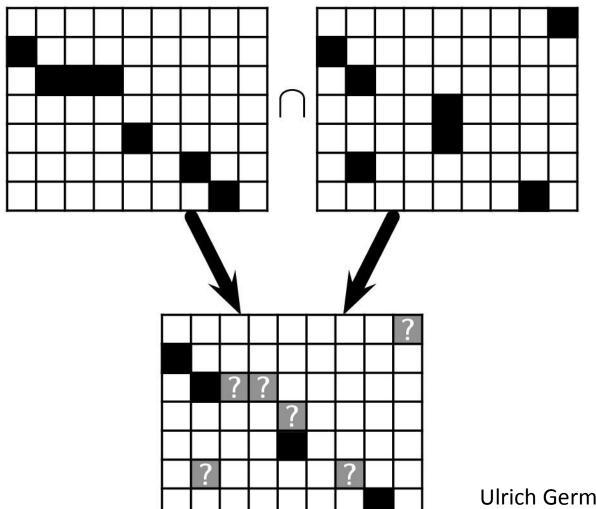
On Hindi→English
cat lex.e2f| grep 'world '|sort -k 3n|tail

Hindi	Probability
विश्वभर	0.0084
विश्वविख्यात	0.0084
विश्व	0.0108
चिद्वाजगत	0.0120
जगत	0.0240
वर्ल्ड	0.0335
विश्वयुद्ध	0.0479
संसार	0.0719
दुनिया विश्व	0.0898
विश्व	0.4982

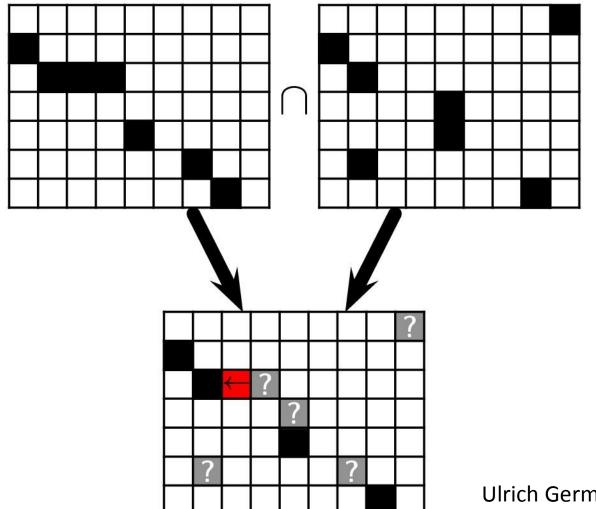




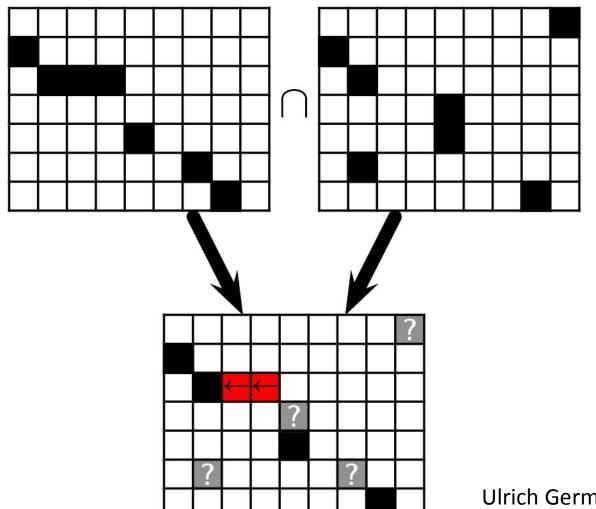
Step 1: Intersect the two alignments:



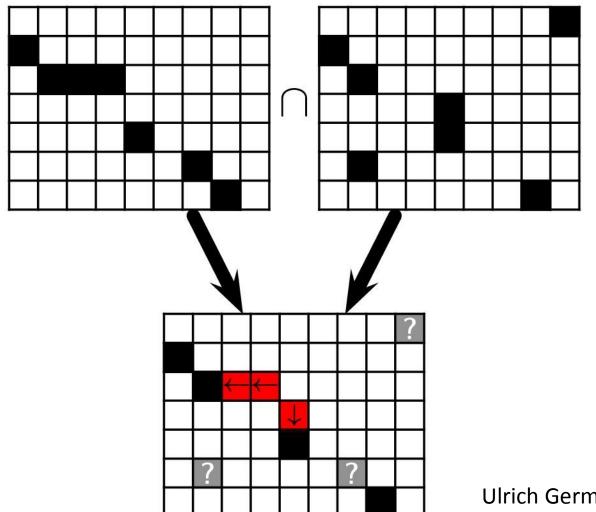
Step 1: Intersect the two alignments:



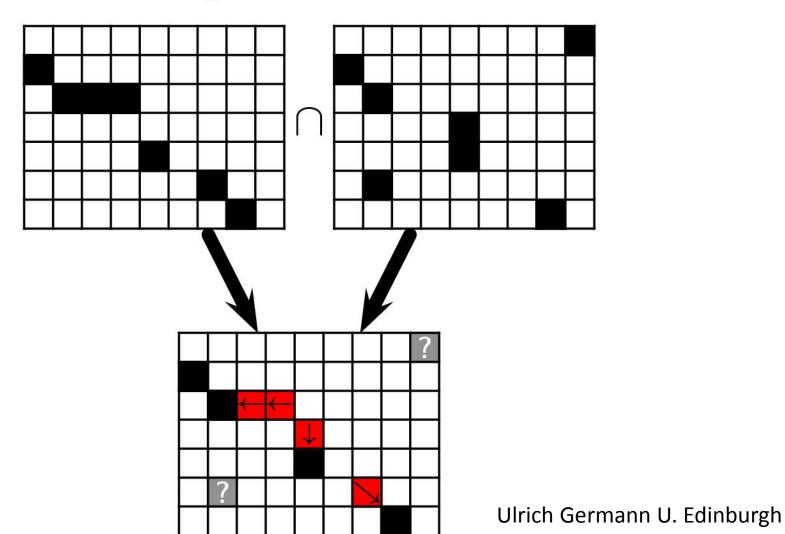
Step 1: Intersect the two alignments:



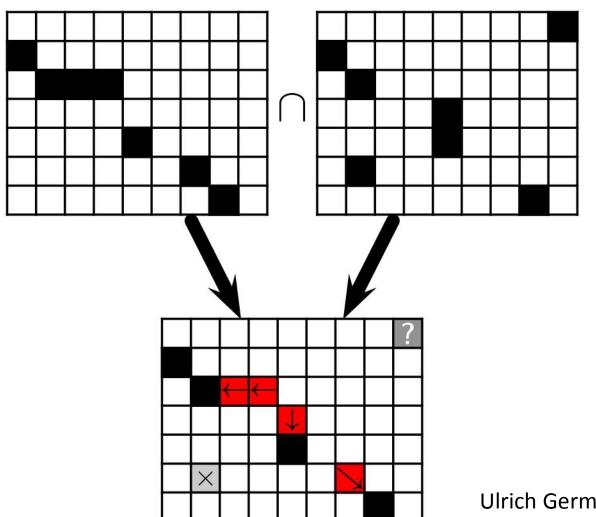
Step 1: Intersect the two alignments:



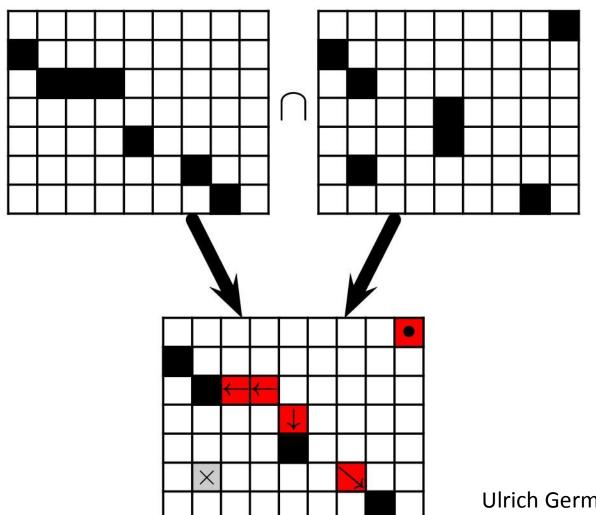
Step 1: Intersect the two alignments:

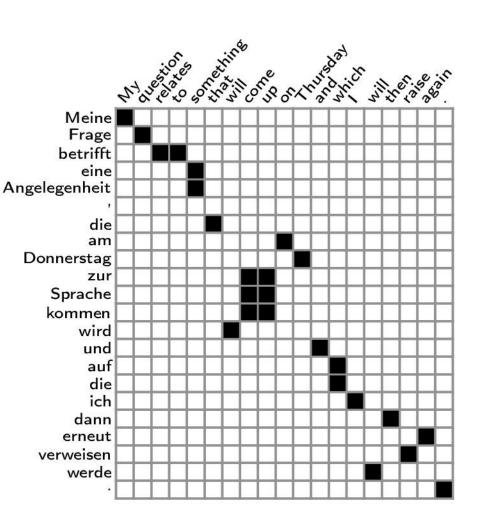


Step 1: Intersect the two alignments:



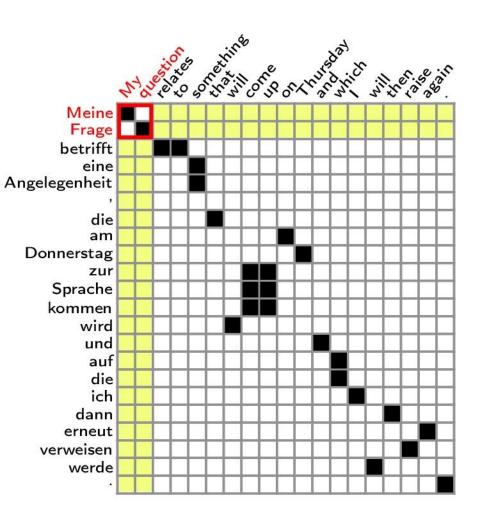
Step 1: Intersect the two alignments:





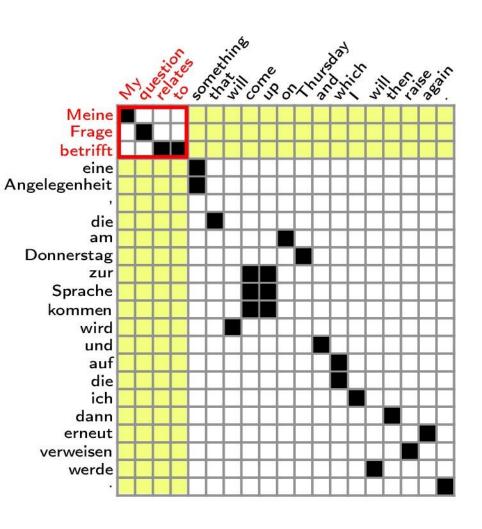
Phrase Table

meine ⇔ my Frage ⇔ question



Phrase Table

meine ⇔ my meine Frage ⇔ my question

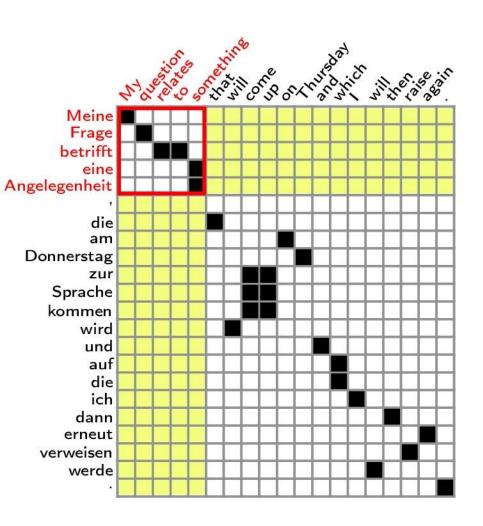


Phrase Table

meine ⇔ my

meine Frage ⇔ my question

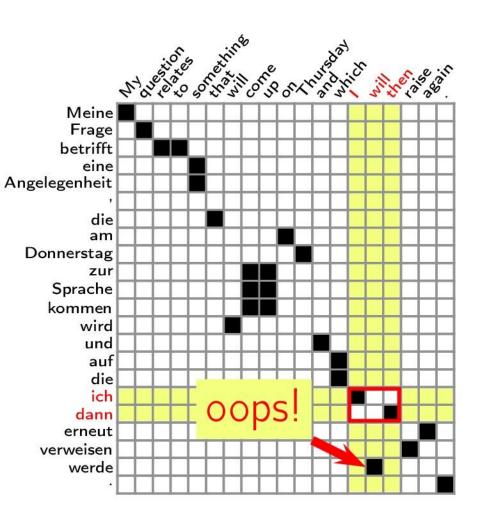
meine Frage betrifft \Leftrightarrow my question relates to



Phrase Table

meine ⇔ my
meine Frage ⇔ my question
meine Frage betrifft ⇔ my question relates to
meine Frage betrifft ⇔ my question relates to

eine Angelegenheit something



Phrase Table

```
meine ⇔ my
meine Frage ⇔ my question
meine Frage betrifft ⇔ my question relates to
meine Frage betrifft ⇔ my question relates to
eine Angelegenheit ⇔ my question relates to
something

∴

Frage ⇔ question
Frage betrifft ⇔ question relates to
∴

ich dann ⇔ I will then
∴
∴

...
...
```

Scoring phrase table entries

Weighted linear combination of features

$$P_{TM}(t | s) = exp\left(\sum_{j} \alpha_{j} f_{j}(s, t)\right)$$

Scoring phrase table entries

log of smoothed forward cond. prob.:

$$smooth\left(\frac{count\left(target\ phrase\right)}{count\left(source\ phrase\right)}\right)$$

• log of smoothed backward cond. prob.:

$$smooth\left(\frac{count\left(source\ phrase\right)}{count\left(target\ phrase\right)}\right)$$

"lexically smoothed" (Zens&Ney) forward probability

$$\sum_{t} \log P(t \mid source \ phrase[, alignment])$$

"lexically smoothed" backward probability

$$\sum_{s} \log P(s \mid target \ phrase[, alignment])$$

- length of target phrase ("word penalty")
- 1 ("phrase penalty")

Example of scores

Look at generated "phrase-table" file

```
किताब ||| book ||| 0.0590406 0.0469136 0.761905 0.730769 ||| 0-0 पुस्तक ||| book ||| 0.752768 0.528395 0.842975 0.732877 ||| 0-0 पवित्र पुस्तक ||| holy book ||| 1 0.140652 1 0.233762 ||| 0-0 1-1
```

Log-linear combination of:

```
Translation Model assesses the quality of phrase-level translations.

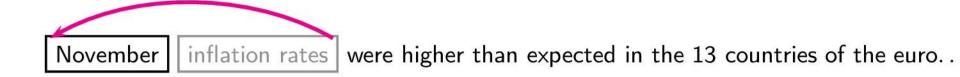
Distortion Model evaluates jumps between source phrases.

Language Model evaluates the fluency of the translation hypothesis
```

$$P\left(\textit{translation} \mid \textit{source}\right) = \exp \left(\begin{array}{c} \alpha_{\textit{TM}} \log P_{\textit{TM}}(\textit{translation} \mid \textit{source}) \\ + \alpha_{\textit{DM}} \log P_{\textit{DM}}(\textit{translation} \mid \textit{source}) \\ + \alpha_{\textit{LM}} \log P_{\textit{LM}}(\textit{translation} \mid \textit{source}) \end{array}\right)$$

November inflation rates were higher than expected in the 13 countries of the eurozone .

```
November inflation rates were higher than expected in the 13 countries of the euro. . . . Teuerungsraten \langle s \rangle Inflationsraten ... p(\mathfrak{t} \mid \mathfrak{i}, \mathcal{M}_{tr}, \mathcal{M}_{lm}, \mathcal{M}_{d}) = \exp\left( \alpha_{tr} \cdot \log p_{tr} \left( \text{Inflationsraten} \mid \text{inflation rates} \right) \right. + \alpha_{lm} \cdot \log p_{lm} \left( \text{Inflationsraten} \mid \langle s \rangle \right) \right)
```



| Inflations rate | $p(t | i, \mathcal{M}_{tr}, \mathcal{M}_{lm}, \mathcal{M}_{d}) = \exp \left(\begin{array}{c} \alpha_{tr} \cdot \log p_{tr} \text{ (Inflations raten } | \text{ inflation rates)} \\ + \alpha_{d} \cdot \log p_{d} (-2) \end{array} \right) + \alpha_{lm} \cdot \log p_{lm} \text{ (Inflations raten } |\langle s \rangle)$

November inflation rates were higher than expected in the 13 countries of the euro. . .

 $\langle s \rangle$ Inflationsraten im November $p(\mathfrak{t} | \mathfrak{i}, \mathcal{M}_{tr}, \mathcal{M}_{lm}, \mathcal{M}_{d}) =$

```
\exp \left( \begin{array}{l} \alpha_{tr} \cdot \log \mathsf{p}_{tr} \, (\mathsf{Inflationsraten} \, | \, \mathsf{inflation} \, \mathsf{rates}) \right. \\ + \, \alpha_{d} \cdot \log \mathsf{p}_{d} (-2) \\ + \, \alpha_{tr} \cdot \log \mathsf{p}_{tr} \, (\mathsf{im} \, \mathsf{November} \, | \, \mathsf{November}) \\ + \, \alpha_{lm} \cdot \log \mathsf{p}_{lm} \, (\mathsf{im} \, | \, \ldots \, \, \mathsf{Inflationsraten}) \\ + \, \alpha_{lm} \cdot \log \mathsf{p}_{lm} \, (\mathsf{November} \, | \, \ldots \, \, \mathsf{in}) \end{array} \right)
```

November inflation rates were higher than expected in the 13 countries of the euro. .

 $\langle s \rangle$ Inflations raten im November waren höher als erwartet in den $p(t | i, \mathcal{M}_{tr}, \mathcal{M}_{lm}, \mathcal{M}_{d}) =$

```
 \left( \begin{array}{l} \alpha_{tr} \cdot \log \mathsf{p}_{tr} \left( \mathsf{Inflationsraten} \, | \, \mathsf{inflation} \, \mathsf{rates} \right) \\ + \alpha_{d} \cdot \log \mathsf{p}_{d} (-2) \\ + \alpha_{tr} \cdot \log \mathsf{p}_{tr} \left( \mathsf{im} \, \mathsf{November} \, | \, \mathsf{November} \right) \\ + \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left( \mathsf{im} \, | \, \mathsf{...} \, \, \mathsf{Inflationsraten} \right) \\ + \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left( \mathsf{November} \, | \, \mathsf{...} \, \, \mathsf{in} \right) \\ + \alpha_{d} \cdot \log \mathsf{p}_{d} (+3) \\ + \alpha_{tr} \cdot \log \mathsf{p}_{tr} \left( \mathsf{waren} \, \; \mathsf{...} \, \, \mathsf{als} \, | \, \mathsf{were} \, \; \mathsf{...} \, \, \mathsf{than} \right) \\ + \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left( \mathsf{waren} \, | \, \mathsf{...} \, \, \mathsf{November} \right) \\ + \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left( \mathsf{h\"{o}her} \, | \, \mathsf{...} \, \, \, \mathsf{November} \right) \\ + \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left( \mathsf{h\"{o}her} \, | \, \mathsf{...} \, \, \, \, \mathsf{November} \right) \\ + \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left( \mathsf{als} \, | \, \mathsf{...} \, \, \, \, \, \mathsf{h\"{o}her} \right) \\ \end{array} \right)
```

November inflation rates were higher than expected in the 13 countries of the euro. .

Inflationsraten im November waren höher als erwartet in den 13 Ländern $p(t | i, \mathcal{M}_{tr}, \mathcal{M}_{lm}, \mathcal{M}_{d}) =$

```
+ \alpha_{lm} \cdot \log p_{lm} (höher | ... waren)
                                     + \alpha_{lm} \cdot \log p_{lm} (als \mid ... h\"{o}her)
```

... inflation rates were higher than expected in the 13 countries of the eurozone .

 $\langle \mathsf{s} \rangle \quad \text{Inflations raten} \quad \dots \quad \text{waren h\"oher als erwartet in den 13 L\"andern der Eurozone} \;.$ $\mathsf{p}(\mathfrak{t} | \mathfrak{i}, \mathcal{M}_{tr}, \mathcal{M}_{lm}, \mathcal{M}_{d}) = \\ \begin{pmatrix} \alpha_{tr} \cdot \log \mathsf{p}_{tr} \left(\mathsf{Inflations raten} \, | \, \mathsf{inflation \ rates} \right) \; \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{Inflations raten} \, | \, \langle \mathsf{s} \rangle \right) \\ \; + \; \alpha_{d} \cdot \log \mathsf{p}_{d} (-2) \\ \; + \; \alpha_{tr} \cdot \log \mathsf{p}_{tr} \left(\mathsf{im \ November} \, | \, \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{November} \, | \, \mathsf{...} \; \mathsf{Inflations \ raten} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{November} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{waren} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\"{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right) \\ \; + \; \alpha_{lm} \cdot \log \mathsf{p}_{lm} \left(\mathsf{h\'{o}her} \, | \, \mathsf{...} \; \mathsf{November} \right)$

 $+ \alpha_{lm} \cdot \log p_{lm} (als | ... h\"{o}her)$

Distortion modeling (reordering)

Exponential probability decay over distance:

$$p_d(x) = \gamma^{abs(x)}$$

- Lexicalized discrete model (Koehn et al., 2005)
 - Estimated separately for each phrase.
 - Three types of type(j) of jumps:
 - mono phrase immediately follows the previously translated phrase
 - swap phrase swaps positions with the previously translated phrase
 - other anything else

•