504HW2_Leibert

Newton's Method

```
MySqrt<-function(a){</pre>
    if (a == 0 ) { stop("Root is 0") }
    if (a < 0 ) { stop("Positive Numbers only") }</pre>
    fx < -function(x) \{(x^2) - a\}
    dfdx<-function(x){2*x}</pre>
    Xi<-a;</pre>
    iterations<-0
    repeat{
        xi<-Xi
        Xi<-Xi-(fx(Xi)/dfdx(Xi))</pre>
        iterations<-iterations+1
        if( abs(Xi-xi) < 10^-9 ) {break}
    }
    print(Xi);print(iterations)
    print(paste0("R sqrt function: ",sqrt(a))) }
MySqrt(1000)
## [1] 31.62278
## [1] 10
## [1] "R sqrt function: 31.6227766016838"
Bisection
MySqrt<-function(a){</pre>
    if (a == 0 ) { stop("Root is 0") }
    if (a < 0 ) { stop("Positive Numbers only") }</pre>
    fx < -function(x) \{(x^2)-a\}
    XL<-0
    XR<-a+1
    iterations<-0
    repeat{
        XM \leftarrow (.5 * (XL + XR))
        ifelse(fx(XM) > 0,XR<-XM,XL<-XM)</pre>
        iterations < -iterations + 1
        if( abs(XR-XL) < 10^-9 ) {break}
    }
    print(XM);print(iterations)
    print(paste0("R sqrt function: ",sqrt(a))) }
```

```
MySqrt(1000)
## [1] 31.62278
## [1] 40
## [1] "R sqrt function: 31.6227766016838"
\{uniroot\}
MySqrt<-function(a){</pre>
    if (a == 0 ) { stop("Root is 0") }
    if (a < 0 ) { stop("Positive Numbers only") }</pre>
    fx < -function(x) \{(x^2)-a\}
    print(uniroot( fx, c(0,a) )$root)
    print(uniroot( fx, c(0,a) )$iter)
    print(paste0("R sqrt function: ",sqrt(a))) }
MySqrt(1000)
## [1] 31.62277
## [1] 15
## [1] "R sqrt function: 31.6227766016838"
```