- -d Gradient Descent
- · Have some function J(w,b)
- · Want min J(w,b)
 w,b
- · 6 ut line:
 - Grant with some w, b
 - Keep changing w. b To reduce 3 (w.b) until we rettle at on mean a minimum (may have > 4 min)

- Tomplement Gradient Descent

$$w = \omega - d \frac{d}{d\omega} J(\omega, b)$$

$$b = b - d \frac{2}{2} J(\omega, b)$$

- Tomplement Gradient Descent algorithm

$$w = \omega - d \frac{d}{d\omega} J(\omega, b)$$

$$b = b - d \frac{2}{2b} J(\omega, b)$$

$$b = b - d \frac{2}{2b}$$

- Leanning Rate = D Gradient descent may be slow - If d'is to small => Gradient des cent may: - If dis to large - orenshoet, neven mach minimum - fail To commenge

- · Vour a local minimum
 - -s Derivatives become smaller
 - -> Update steps he come smaller

Can mach minimum without decreasing learning rate d

- De Gradient des ent for linear régression

- Cost Function
$$J(w_1b) = \frac{1}{2mn} \sum_{i=1}^{m} \left[f_{urb}(x^{(i)}) - y^{(i)} \right]^2$$

- Gradient Descent Algorithm

$$\omega = \omega - \chi \frac{\partial}{\partial \omega} J(\omega_{1b})$$
 (=> $\omega = \omega - \chi \frac{1}{m} \sum_{i=1}^{m} \left[f_{\omega_{1b}}(\chi^{(i)}) - \chi^{(i)} \right]^{2}$

$$b = b - d \frac{\partial}{\partial b} I(w, b)$$
 (=> $b = b - d - \frac{m}{m} \sum_{i=1}^{m} [f_{w, b}(\chi^{(i)}) - \chi^{(i)}]$