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% Open Loop system characterization, identification and
% representation.
% 1. State Space Representation
% 2. Transfer Function of Open Loop System
% 3. O.C.F, C.C.F, J.C.F.
% 4. Impulse Response & Step Response
% 5. Bode Plot & Root Locus

% 1. State Space Representation
% SISO, Location #1, Linearized Actuator, Linearized Sensor
% p.133 3a)
A = [0 1; 0 0];
B = [0; 826];
C = [1 0];

% Create state-space model
ss_ol = ss(A,B,C,0);

% 2. Transfer Function of Open Loop System
% Convert state-space representation to transfer function
[num,denom]= ss2tf(A,B,C,0)
tf_ol = tf(num,denom)

% Find poles of open-loop system
% by finding the eigenvalues of the
% system matrix A. These poles are
% equal to the poles of the transfer
% function, and determine stability.
%  $\det(sI - A) = 0$ 
poles = eig(A)

% 3. O.C.F, C.C.F, J.C.F.
% OCF
% Compute the observability matrix
Ox = obsv(A,C)
% Determine the number of unobservable states
nUnobservableStates = length(A)-rank(Ox)

% Determine characteristic polynomial
syms x
CP = charpoly(A,x)

% Observable Canonical Form
Ao = [0 0; 1 0]
Co = [0 1]

Oxo = obsv(Ao, Co)
Toinv = inv(Oxo) * Ox
Bo = Toinv * B
To = inv(Toinv)

% Check equality

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Ao
Toinv * A * To

% Observable Forms in State Space Representation
ss_ol_obs = ss(Ao,Bo,Co,0)

%C.C.F
% Compute the controllability matrix
Cx = ctrb(A,B)
% Determine the number of uncontrollable states
unco = length(A) - rank(Cx)

% Controllable Canonical Form
Ac = Ao.'
Bc = Co.'

Cxc = ctrb(Ac, Bc)
Tcinv = inv(Cxc) * Cx

Tc = inv(Tcinv)
Cc = C * Tc

% Check equality
Ac
Tcinv * A * Tc
isequal(Ac,Tcinv * A * Tc)

% Controllable Forms in State Space Representation
ss_ol_ctrl = ss(Ac,Bc,Cc,0)

% Create Jordan form of matrix A
JA = jordan(A)

% 4. Impulse Response & Step Response
% Impulse Response
figure (1)
subplot(2,1,1)
impz(ss_ol)
title('Impulse Reponse of Open-Loop Linearized Magnetic Levitation
System');

% Step Response
subplot(2,1,2)
step(ss_ol)
title('Step Reponse of Open-Loop Linearized Magnetic Levitation
System');

% 5. Bode Plot & Root Locus
% Bode Plot
figure (2)
subplot(2,1,1)
bodeplot(ss_ol)
title('Bode Plot of Open-Loop Linearized Magnetic Levitation System');

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% Root Locus
subplot(2,1,2)
rlocusplot(ss_ol)
title('Root Locus of Open-Loop Linearized Magnetic Levitation
      System');

num =

      0      0    826

denom =

      1      0      0

tf_ol =

      826
      ---
      s^2

Continuous-time transfer function.

poles =

      0
      0

Ox =

      1      0
      0      1

nUnobservableStates =

      0

CP =

x^2

Ao =

      0      0
      1      0

```

$Co =$

0	1
---	---

$Oxo =$

0	1
1	0

$Toinv =$

0	1
1	0

$Bo =$

826
0

$To =$

0	1
1	0

$Ao =$

0	0
1	0

$ans =$

0	0
1	0

$ss_ol_obs =$

$A =$

	$x1$	$x2$
$x1$	0	0
$x2$	1	0

$B =$

	$u1$
$x1$	826
$x2$	0

$$C = \begin{matrix} & x1 & x2 \\ y1 & 0 & 1 \end{matrix}$$

$$D = \begin{matrix} & u1 \\ y1 & 0 \end{matrix}$$

Continuous-time state-space model.

$$Cx =$$

$$\begin{matrix} 0 & 826 \\ 826 & 0 \end{matrix}$$

$$unco =$$

$$0$$

$$Ac =$$

$$\begin{matrix} 0 & 1 \\ 0 & 0 \end{matrix}$$

$$Bc =$$

$$\begin{matrix} 0 \\ 1 \end{matrix}$$

$$Cxc =$$

$$\begin{matrix} 0 & 1 \\ 1 & 0 \end{matrix}$$

$$Tcinv =$$

$$\begin{matrix} 826 & 0 \\ 0 & 826 \end{matrix}$$

$$Tc =$$

$$\begin{matrix} 0.0012 & 0 \\ 0 & 0.0012 \end{matrix}$$

$$Cc =$$

```

0.0012      0

Ac =
      0      1
      0      0

ans =
      0      1
      0      0

ans =
logical
1

ss_ol_ctrl =

A =
      x1  x2
x1      0      1
x2      0      0

B =
      u1
x1      0
x2      1

C =
      x1      x2
y1  0.001211      0

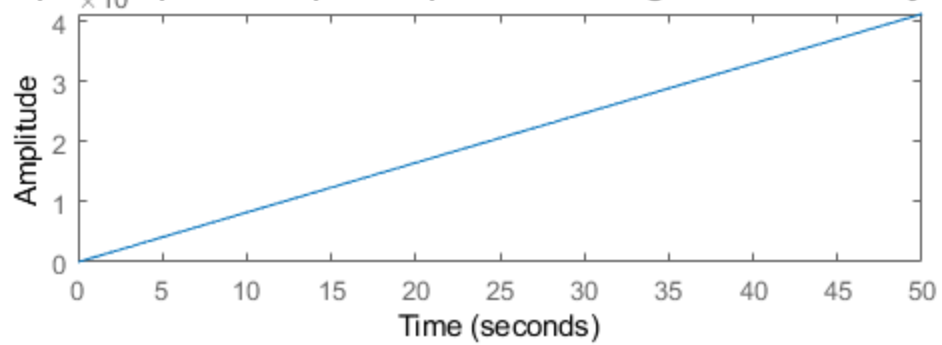
D =
      u1
y1      0

Continuous-time state-space model.

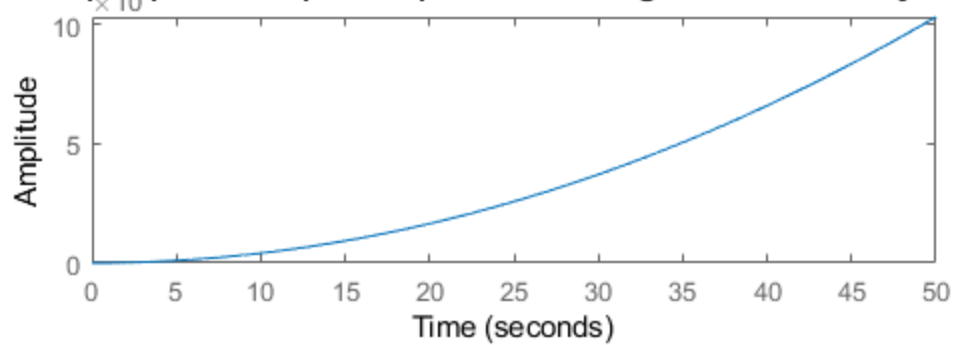
JA =
      0      1
      0      0

```

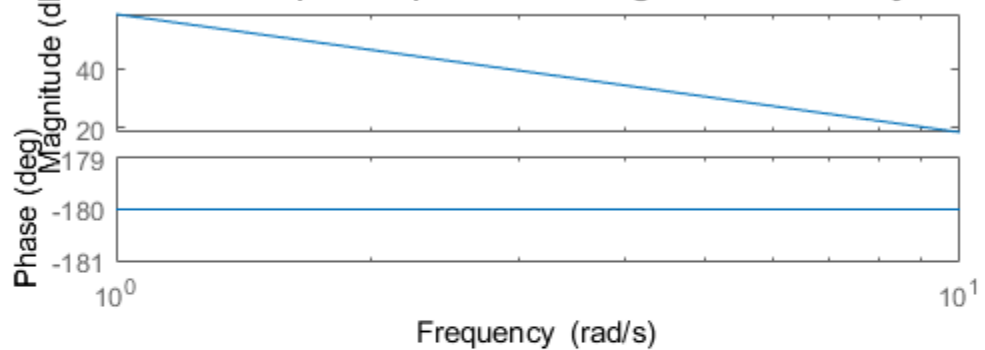
Impulse Reponse of Open-Loop Linearized Magnetic Levitation System



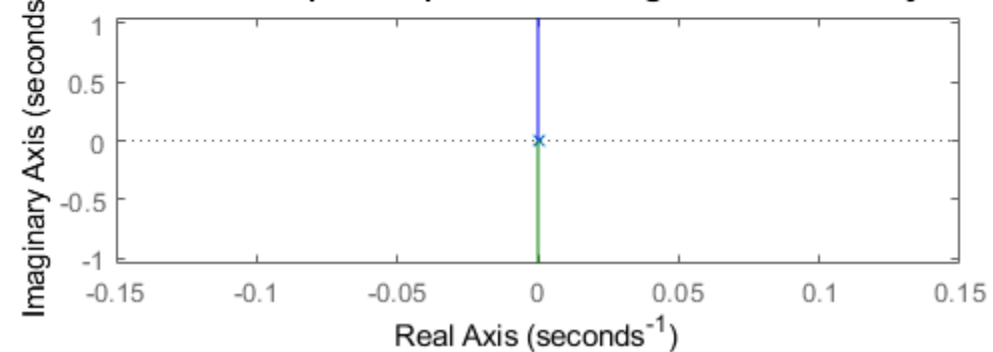
Step Reponse of Open-Loop Linearized Magnetic Levitation System



Bode Plot of Open-Loop Linearized Magnetic Levitation System



Root Locus of Open-Loop Linearized Magnetic Levitation System



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