

Inductive Biases for Robot Learning

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Why don't we have such robots?

Source: British TV (1969)

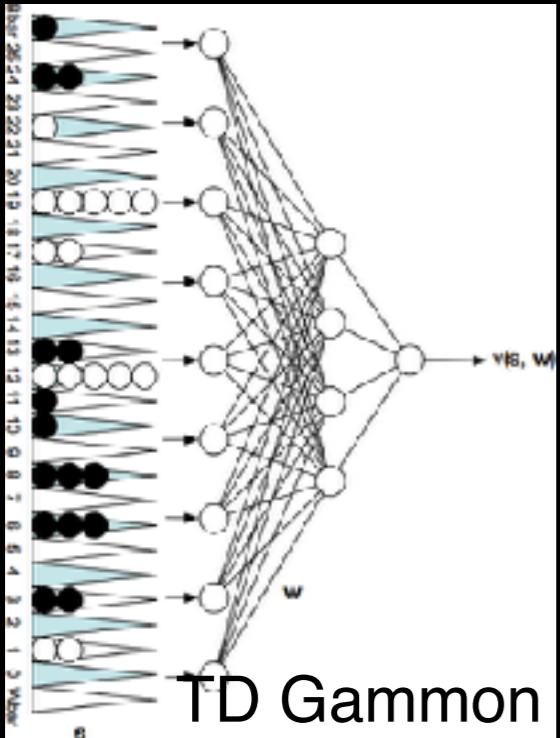
So where have robots been successful?



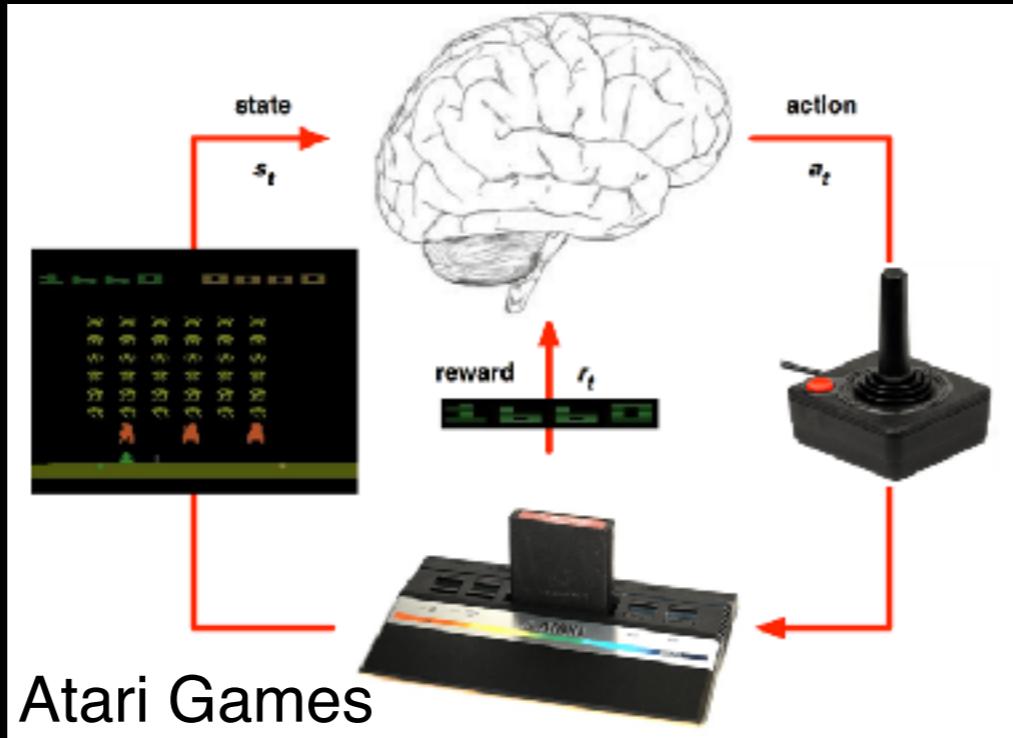
Whenever we adapt tasks to robots!

We need to adapt robots to tasks!

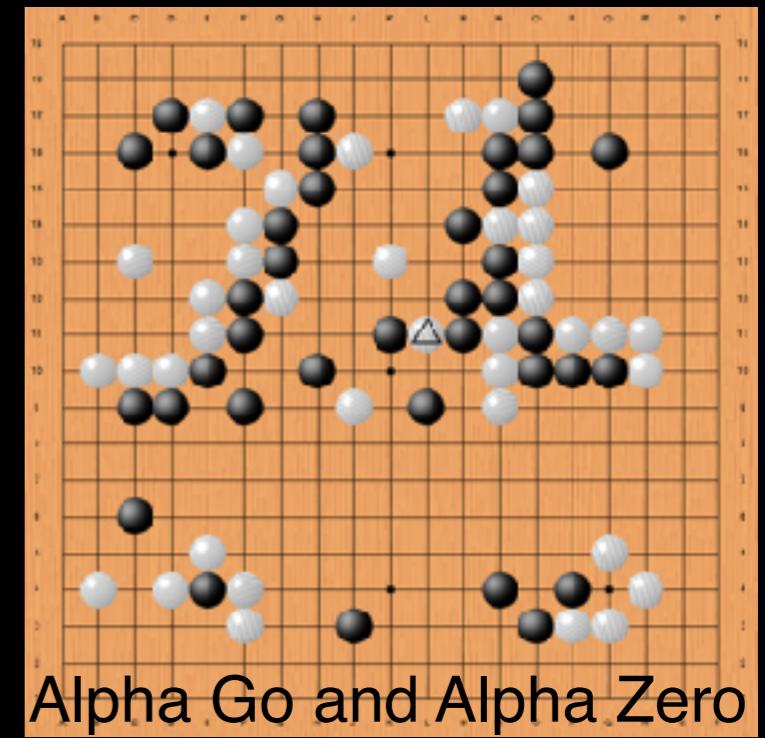
Adapting Robots to Tasks?



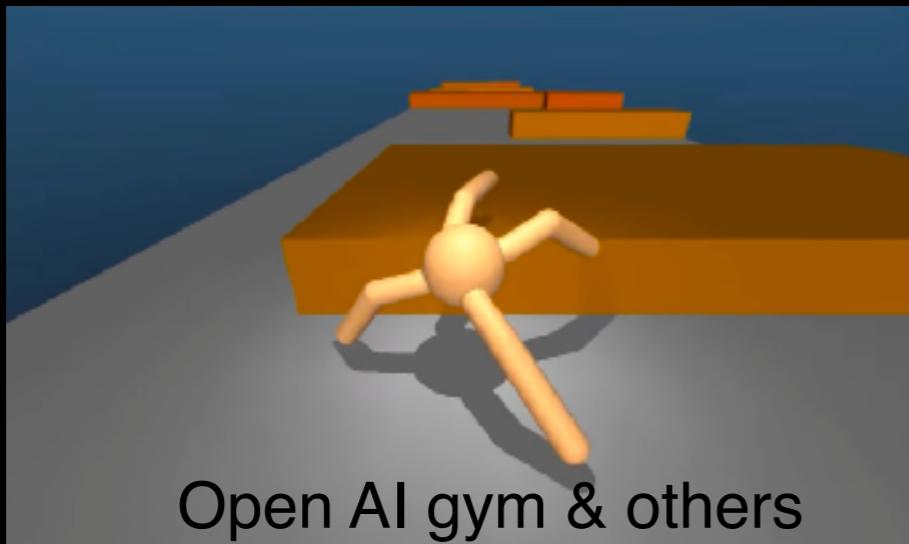
TD Gammon



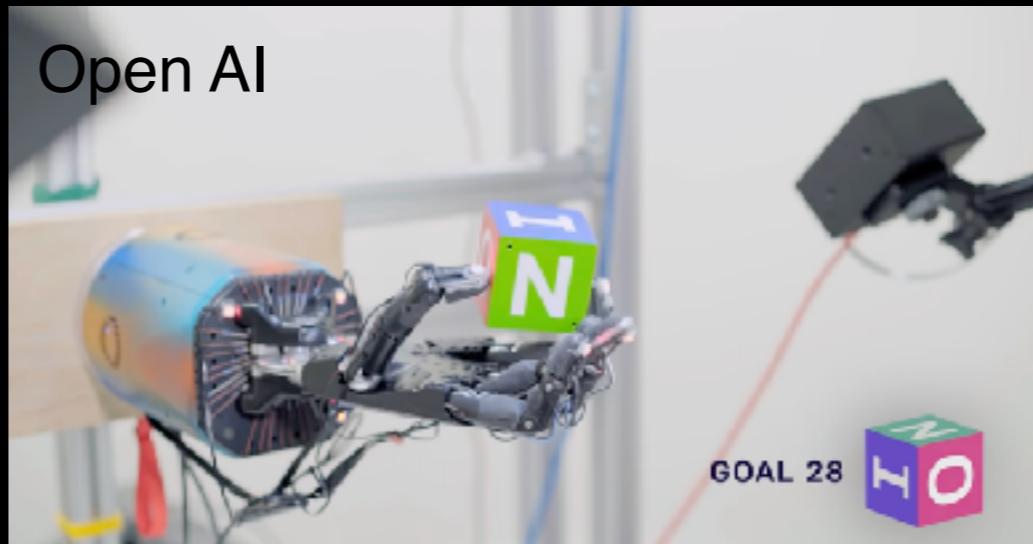
Atari Games



Alpha Go and Alpha Zero



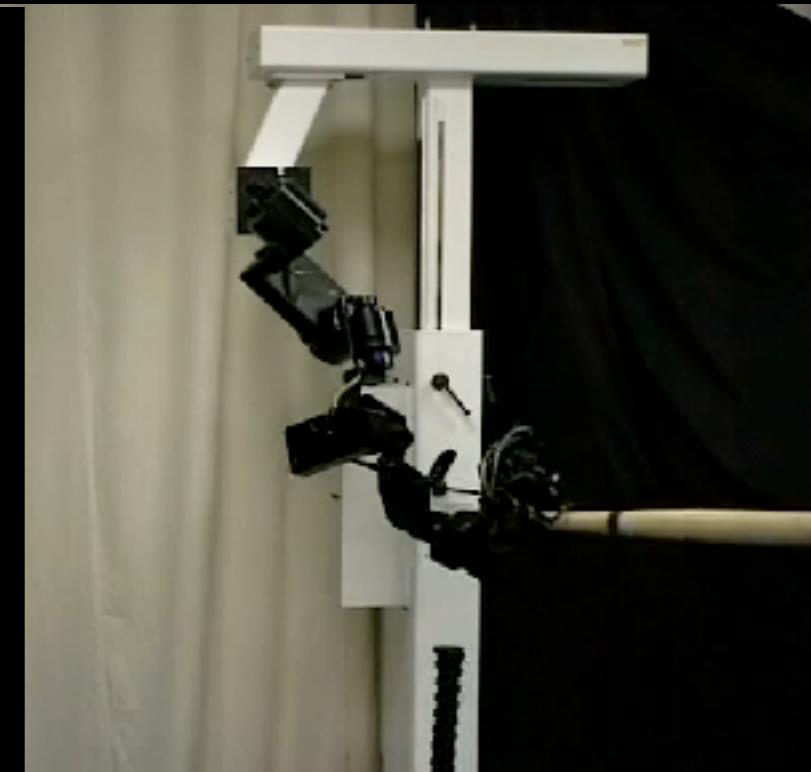
Open AI gym & others



Do Robot Learning?

Robot Learning...

- Classical robot engineering is really good at adapting tasks to the robot!
- Data is very expensive!
- If you can learn in a robot simulator, you don't need RL!
- Things break!
- Generalization is often impossible: “Golf does not help Hockey!” (John Milton)
- Learning in Real-Time
- Computation, communication and energy limitations...



...is not a straightforward answer!

Robotics Inductive Biases

Robot Reinforcement Learning requires...

An inductive bias allows a learning algorithm to prioritize one solution (or interpretation) over another, independent of the observed data. [...]

Inductive biases can express assumptions about either the data-generating process or the space of solutions.

(Mitchell, 1980; Battaglia et al., 2018)

Robot Reinforcement Learning requires...

Robotics
Inductive
Biases



What inductive biases does robotics offer? How can we use them for improving robot reinforcement learning?

Outline

1. Inductive Bias
2. Inductive Bias
3. Inductive Bias
4. Inductive Bias
5. Inductive Bias
6. Inductive Bias

Imitation Learning is
always easier than
Reinforcement Learning

Imitation Learning

Model-Based
Behavioral
Cloning
(Englert et al.)

Dual
Problem

Inverse Reinforcement
Learning

(Ziebart et al.; Boularias et al.)

Objective: Policy Similarity

$$\max_{\pi, \mu^\pi} J(\pi) = \sum_{s,a} \mu^\pi(s) \pi(a|s) \log \frac{\mu^\pi(s) \pi(a|s)}{q(s,a)}$$

Constraints: Assumptions on the Policy

$$\begin{aligned}\mu^\pi(s') &= \sum_{s,a} \mathcal{P}_{ss'}^a \mu^\pi(s) \pi(a|s) \\ 1 &= \sum_{s,a} \mu^\pi(s) \pi(a|s)\end{aligned}$$

Putermann (1998) implies:
IRL is harder than MBC!

} Model-Free
Behavioral
Cloning
(Michie & Chambers,
Sammut et al.)

↔ Dual
Function
for Minimal
Physics

Solve for the optimal
parametric policy class:
Motor primitives

(Schaal et al; Kober et al;
Paraschos et al; Gomez-Gonzalez)



Jens Kober

Learning Perception-adapted Probabilistic Motor Primitives

Learning from human demonstrations



Sebastian Gomez-Gonzalez

Gomez-Gonzalez, S.; Neumann, G.; Schölkopf, B.; Peters, J. (2020).
Adaptation and Robust Learning of Probabilistic Movement Primitives, IEEE
Transactions on Robotics (T-Ro), 36, 2, pp.366-379.

Reinforcement Learning Problem

Dual: RL
by Linear
Programming

Dual
Problem

Primal: RL by Linear
Programming

Objective: Expected Returns

$$\max_{\pi, \mu^\pi} J(\pi) = \sum_{s,a} \mu^\pi(s) \pi(a|s) \mathcal{R}_{sa}$$

Constraints: Assumptions on the Policy

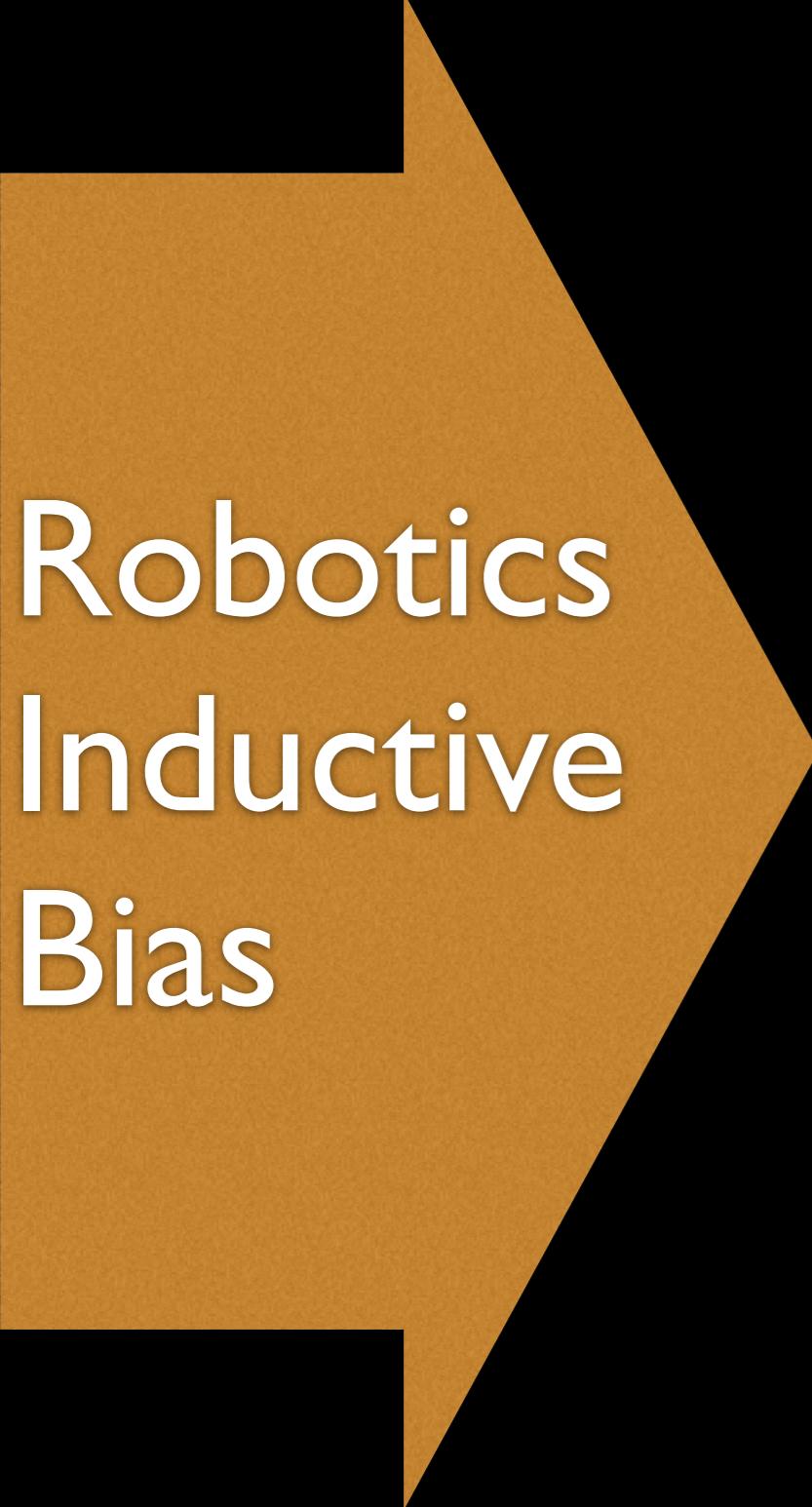
$$\begin{aligned}\mu^\pi(s') &= \sum_{s,a} \mathcal{P}_{ss'}^a \mu^\pi(s) \pi(a|s) \\ 1 &= \sum_{s,a} \mu^\pi(s) \pi(a|s)\end{aligned}$$

Bellman's
Principle of
Optimality

“Bellman Equation”:

$$V^*(s) = \max_a E_{s'} \{r(s, a, s') + \gamma V(s')\}$$

No natural notion of data!



Robotics
Inductive
Bias

I. Inductive Bias

Stay close to your
training data

Relative Entropy Policy Search

Dual: RL
by Linear
Programming

Objective: Expected Returns

$$\max_{\pi, \mu^\pi} J(\pi) = \sum_{s,a} \mu^\pi(s) \pi(a|s) \mathcal{R}_{sa}$$

Constraints: Assumptions on the Policy

$$\begin{aligned}\mu^\pi(s') &= \sum_{s,a} \mathcal{P}_{ss'}^a \mu^\pi(s) \pi(a|s) \\ 1 &= \sum_{s,a} \mu^\pi(s) \pi(a|s)\end{aligned}$$

Peters (2007). Relative Entropy
Policy Search, Tech. Rep.
Peters, Muelling, Altun (2010).
Relative Entropy Policy Search,
AAAI

Further Constraint: Policy Similarity

$$\epsilon \geq \sum_{s,a} \mu^\pi(s) \pi(a|s) \log \frac{\mu^\pi(s) \pi(a|s)}{q(s, a)}$$

Objective
from
Behavioral
Cloning

Different q yield analytical solution, mellow/softmax, entropy regularization, SAC, ...

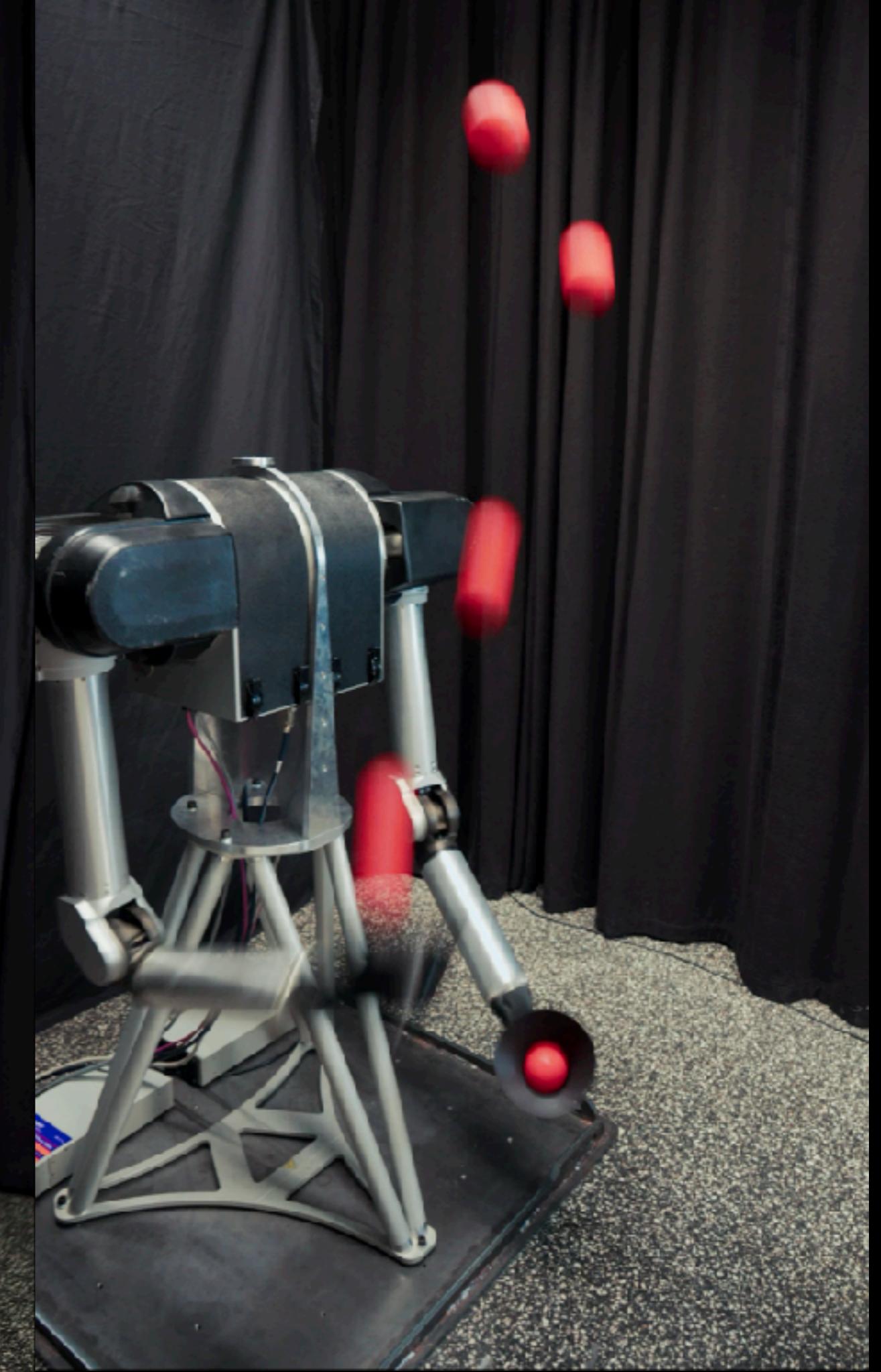
Natural policy gradients/NAC/TRPO are approximations!



Ploeger, K.; Lutter, M.; Peters, J. (2020). High Acceleration Reinforcement Learning for Real-World Juggling with Binary Rewards, Proceedings of the 4th Conference on Robot Learning (CoRL).



Ploeger, K.; Lutter, M.; Peters, J. (2020). High Acceleration Reinforcement Learning for Real-World Juggling with Binary Rewards, Proceedings of the 4th Conference on Robot Learning (CoRL).



Outline

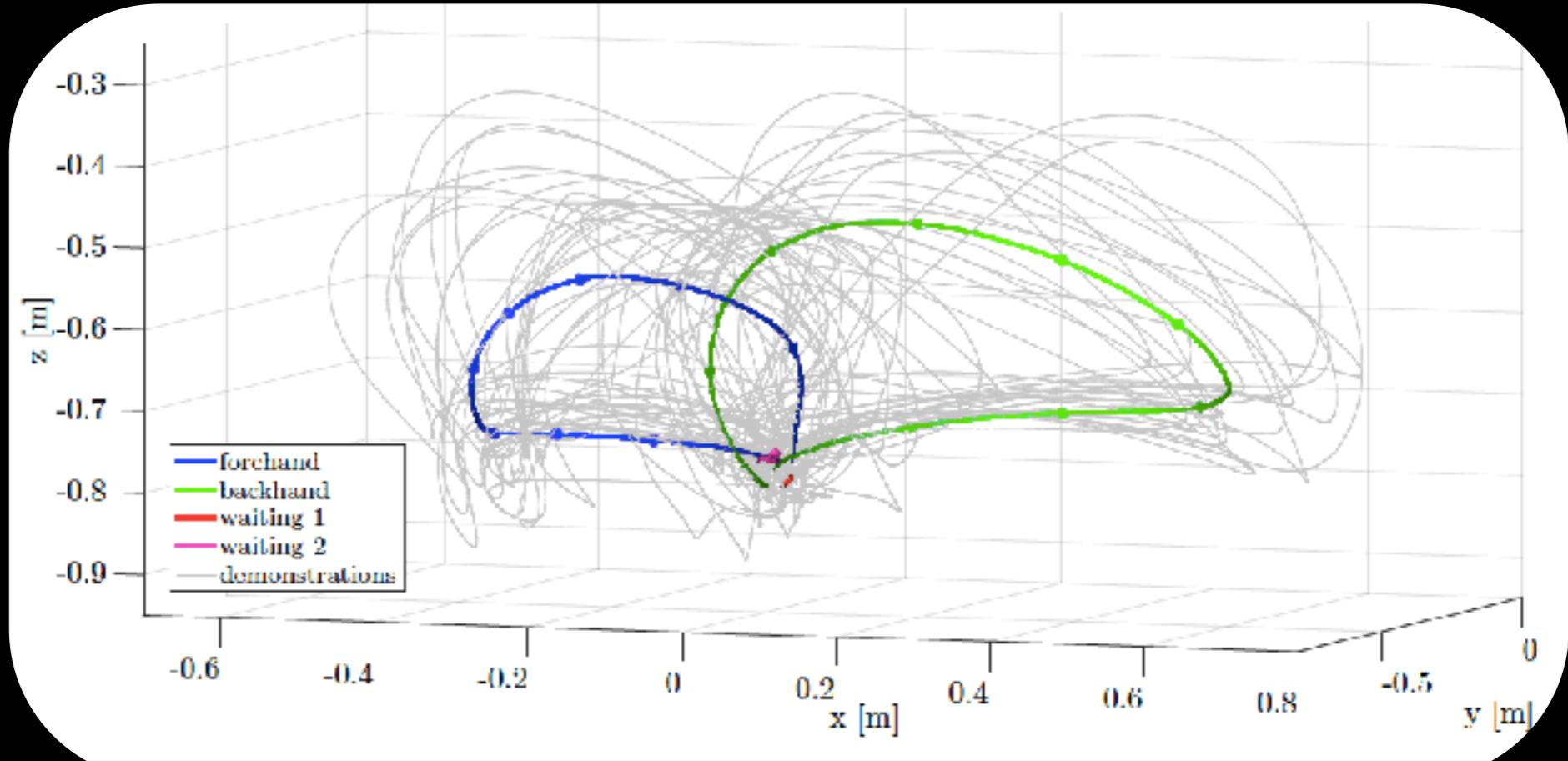
1. Inductive Bias: Stay close to your training data!
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5. Inductive Bias
6. Inductive Bias

(Robot) Movement is
composed only of strokes
or rhythmic behavior

Learning from a single long demonstration...



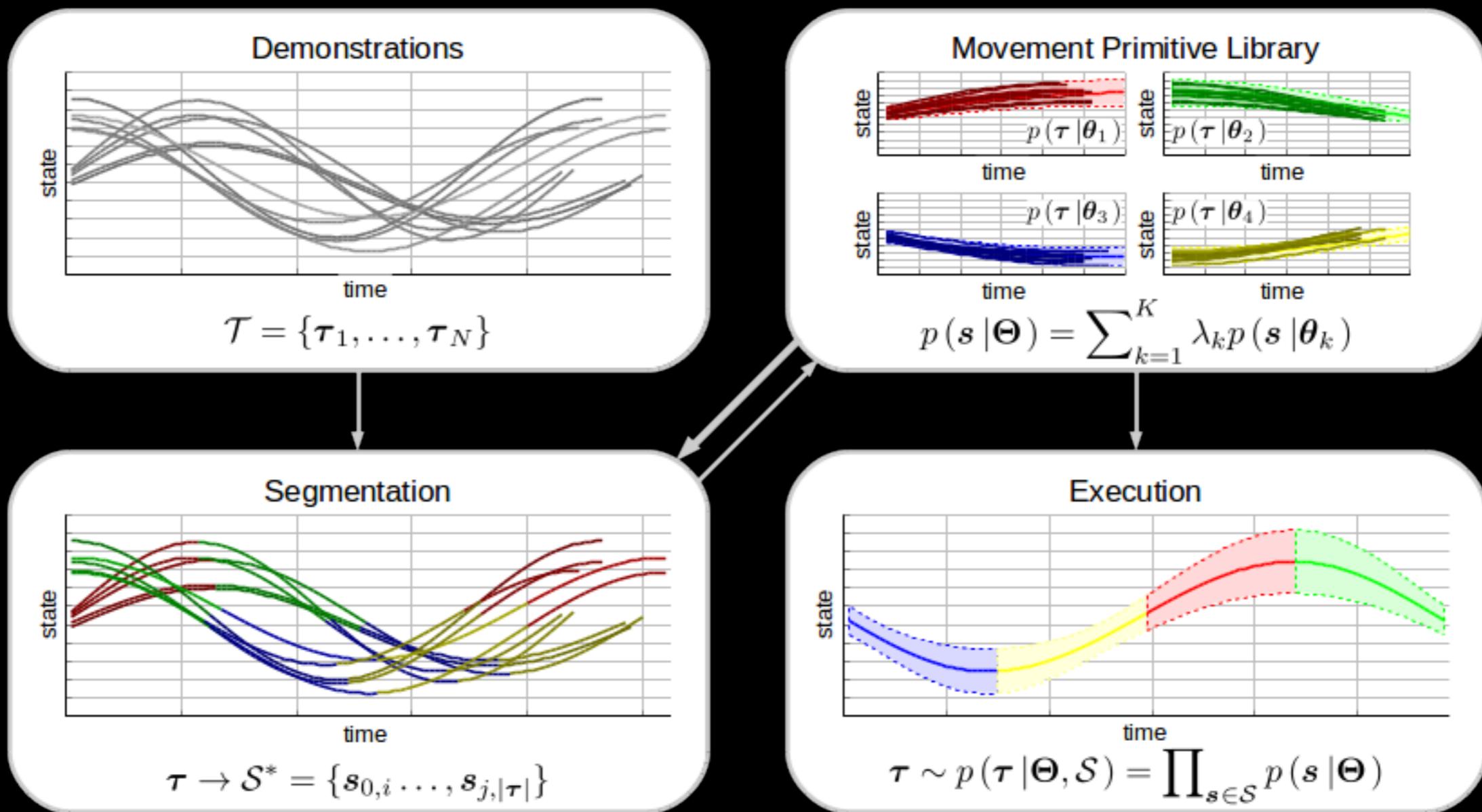
Rudolf Lioutikov



...generates modular movement libraries!



Rudolf Lioutikov



Lioutikov, R.; Neumann, G.; Maeda, G.; Peters, J. Learning Movement Primitive Libraries through Probabilistic Segmentation, International Journal of Robotics Research (IJRR).



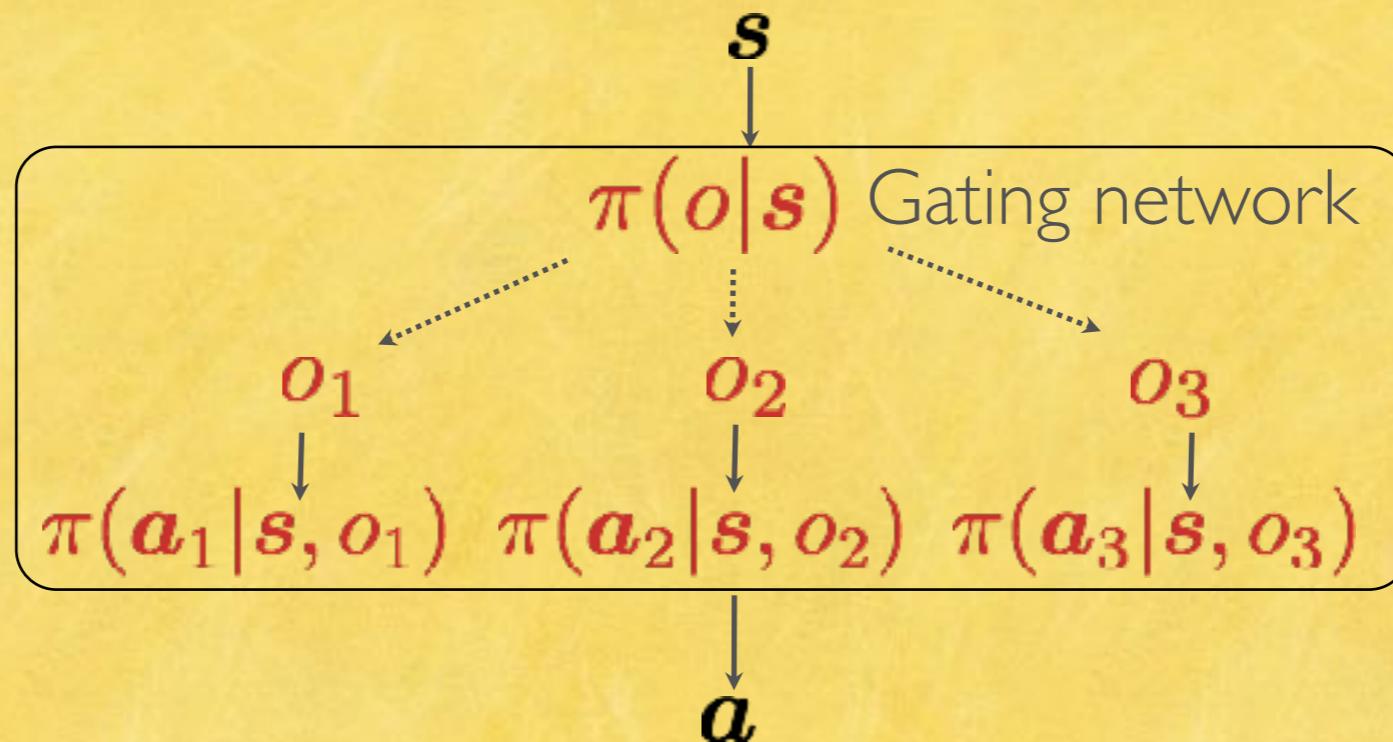
TECHNISCHE
UNIVERSITÄT
DARMSTADT

Robotics
Inductive
Bias

2. Inductive Bias

Use modular policy
structure for composition!

Modular Control Policies



Mülling, K.; Kober, J.; Kroemer, O.; Peters, J. Learning to Select and Generalize Striking Movements in Robot Table Tennis, International Journal on Robotics Research



“Naïve” Extension of REPS

Relative Entropy Policy Search (REPS)

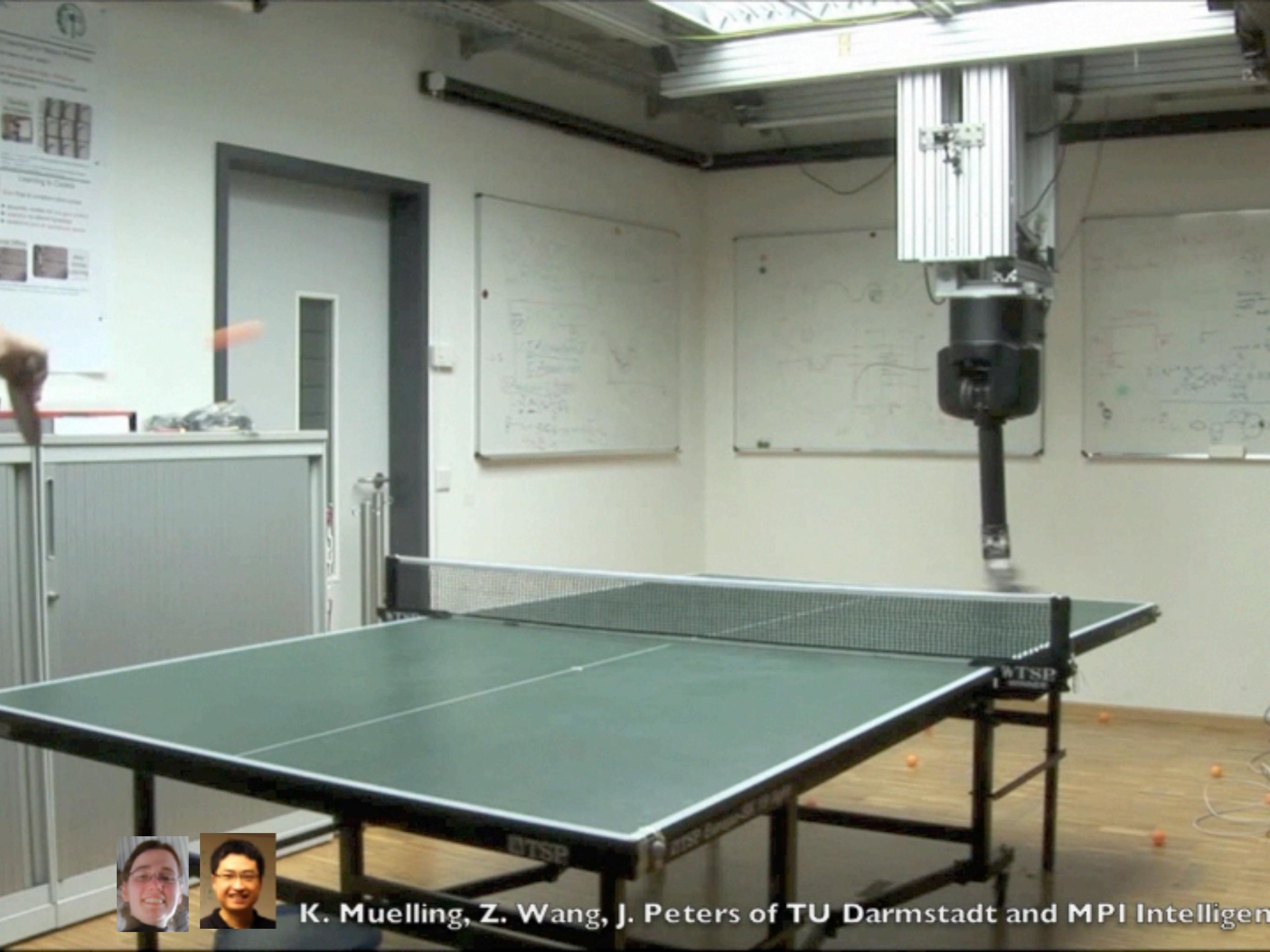
$$\max_{\pi, \mu^\pi} J(\pi) = \sum_{s,a} \mu^\pi(s)\pi(a|s)\mathcal{R}_{sa} \text{ Maximize reward}$$

$$1 = \sum_{s,a} \mu^\pi(s)\pi(a|s) \text{ Probability distribution}$$

$$\mu^\pi(s') = \sum_{s,a} P_{ss'}^a \mu^\pi(s)\pi(a|s) \text{ Follow system dynamics}$$

$$\epsilon \geq \sum_{s,a} \mu^\pi(s)\pi(a|s) \log \frac{\mu^\pi(s)\pi(a|s)}{q(s,a)} \text{ Close to training data (no wild exploration)}$$

Mülling, K.; Kober, J.; Kroemer, O.; Peters, J. Learning to Select and Generalize Striking Movements in Robot Table Tennis, International Journal on Robotics Research.

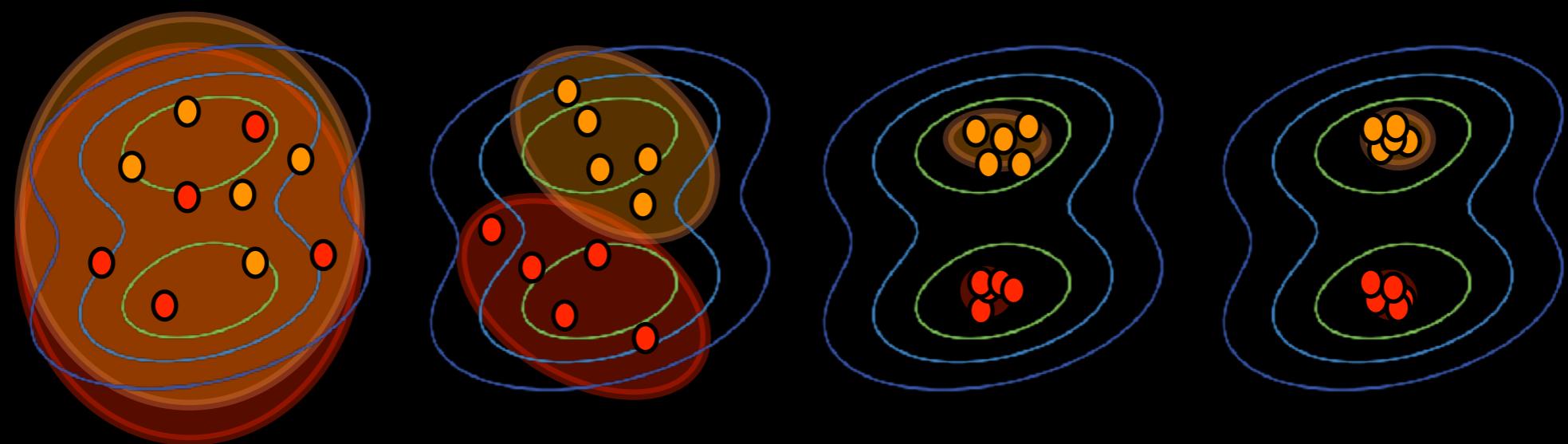
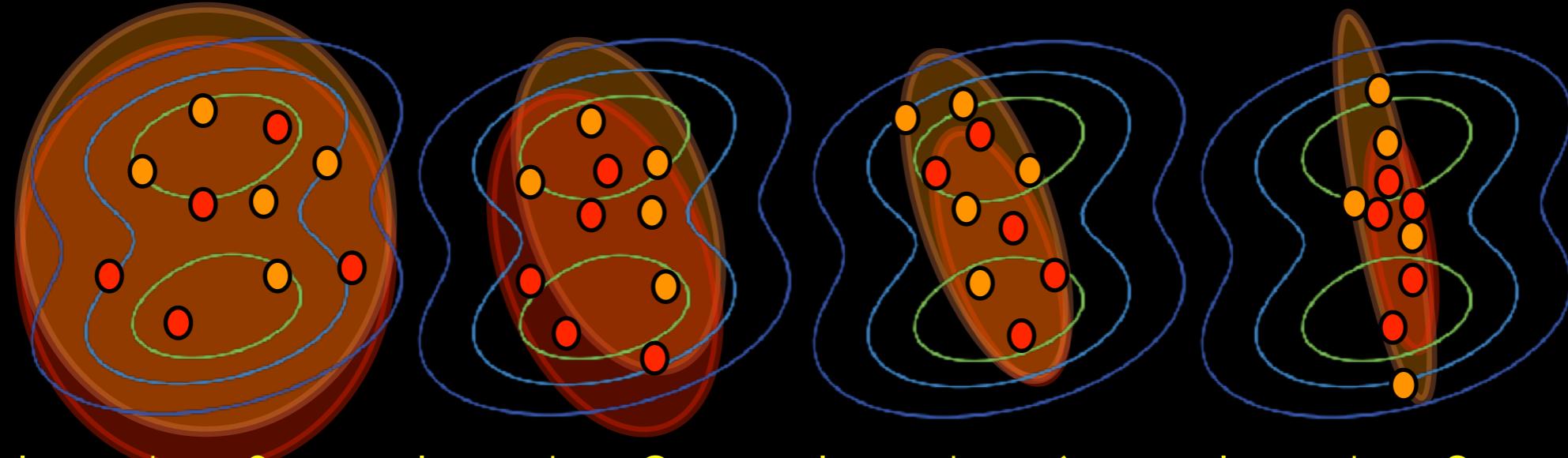


K. Muelling, Z. Wang, J. Peters of TU Darmstadt and MPI Intelligent



Christian Daniel

Problems with Naïvety



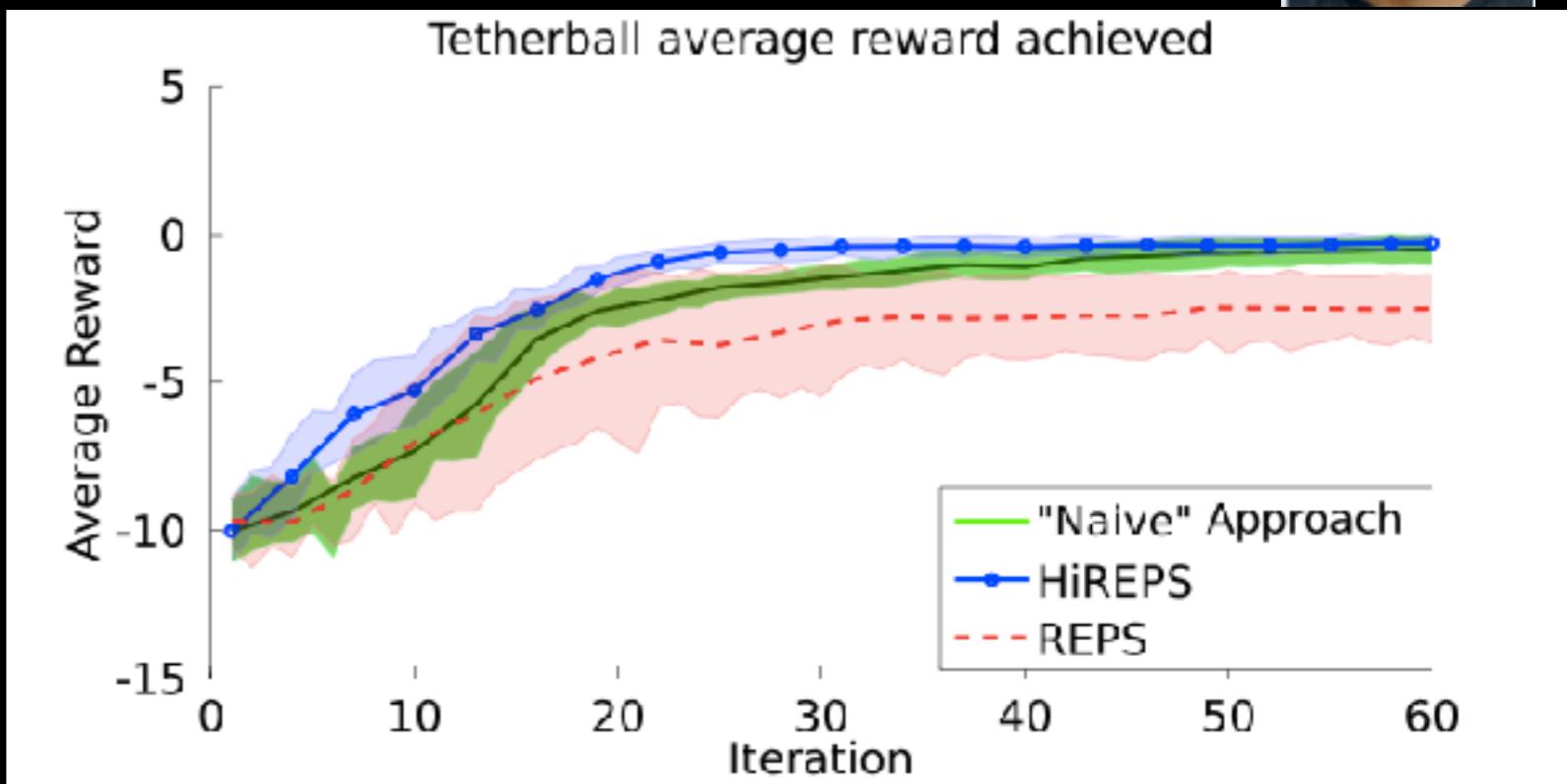
$$\kappa \geq \mathbb{E}_{s,a} \left[\sum_o -p(o|s, a) \log p(o|s, a) \right]$$

Force the primitives to limited responsibility

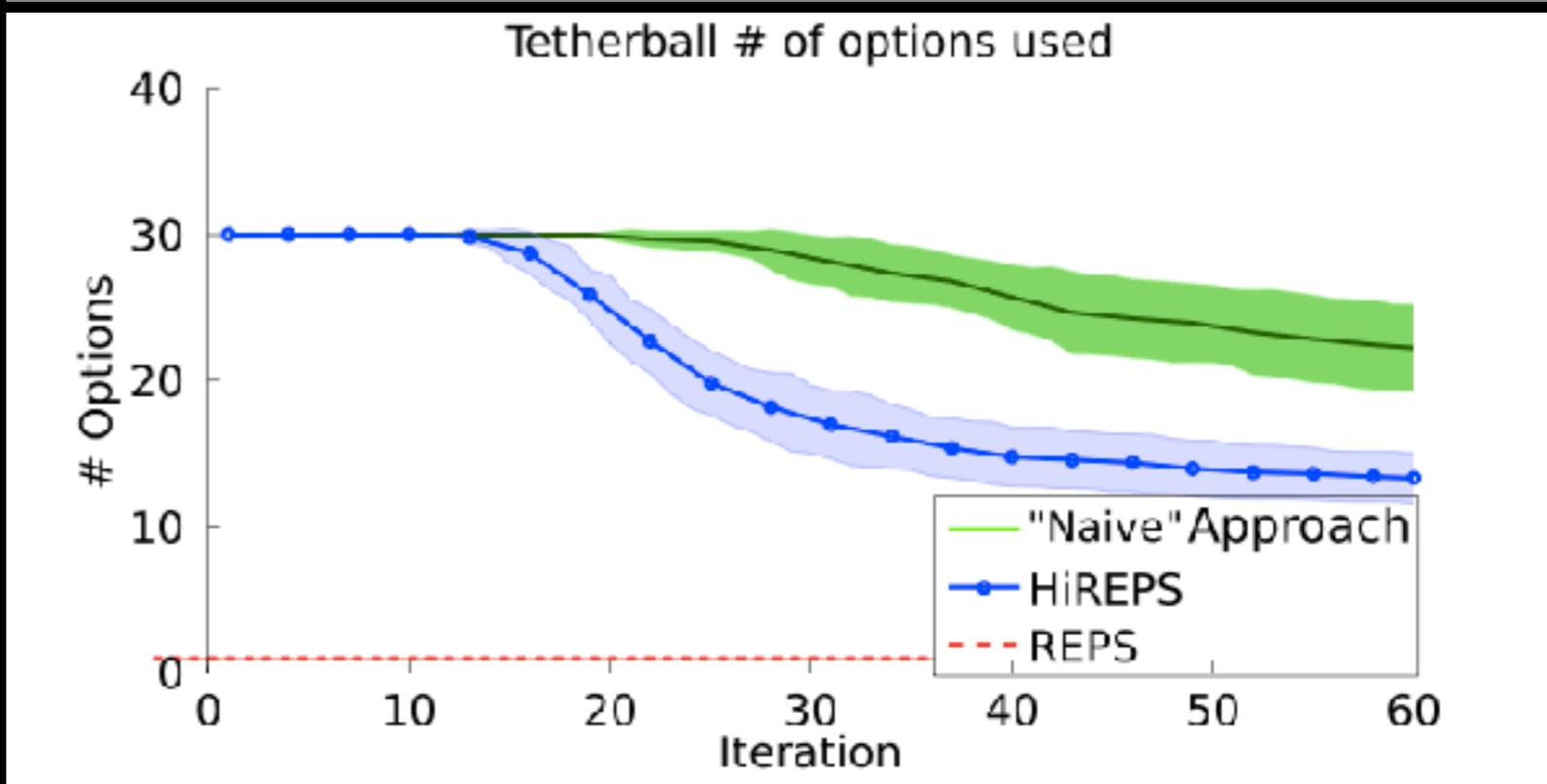
Localized behavior can be learned efficiently!



Good performance



Fast reduction in
the number of
primitives



Daniel, Neumann & Peters.
Hierarchical Relative Entropy
Policy Search, JMLR

Outline

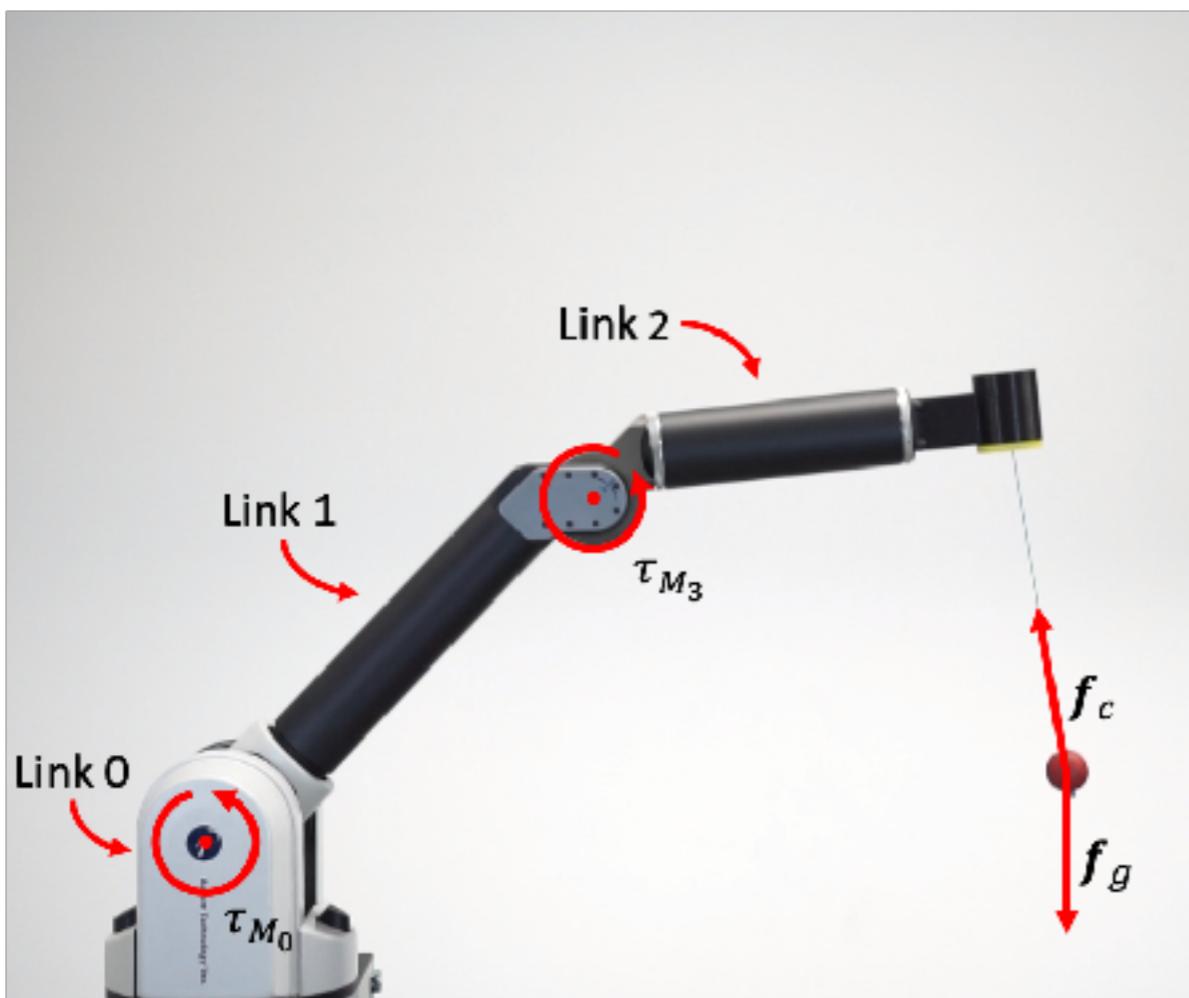
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Models can be very
powerful, but errors in
models are often
exploited by RL
algorithms...

Model-based RL with Differentiable Physics Models



Michael Lutter



Differentiable Newton Euler Algorithm:

$$\sum_{i=0}^N \mathbf{f}_i = \mathbf{I}_{\theta} \dot{\mathbf{v}} \quad \text{s.t.} \quad \mathbf{c}(\mathbf{q}; \theta) = 0, \quad \mathbf{c}(\mathbf{x}; \theta) \leq 0$$

with the physics parameters θ consisting of inertia, mass, lengths, center of mass, string length, etc..

Learn Ball in a Cup via offline MBRL:

- (1) Record dataset on the physical manipulator
- (2) Learn model using the recorded data
- (3) Learn trajectory with learned model & eREPS
- (4) Evaluate learnt trajectory on the real WAM

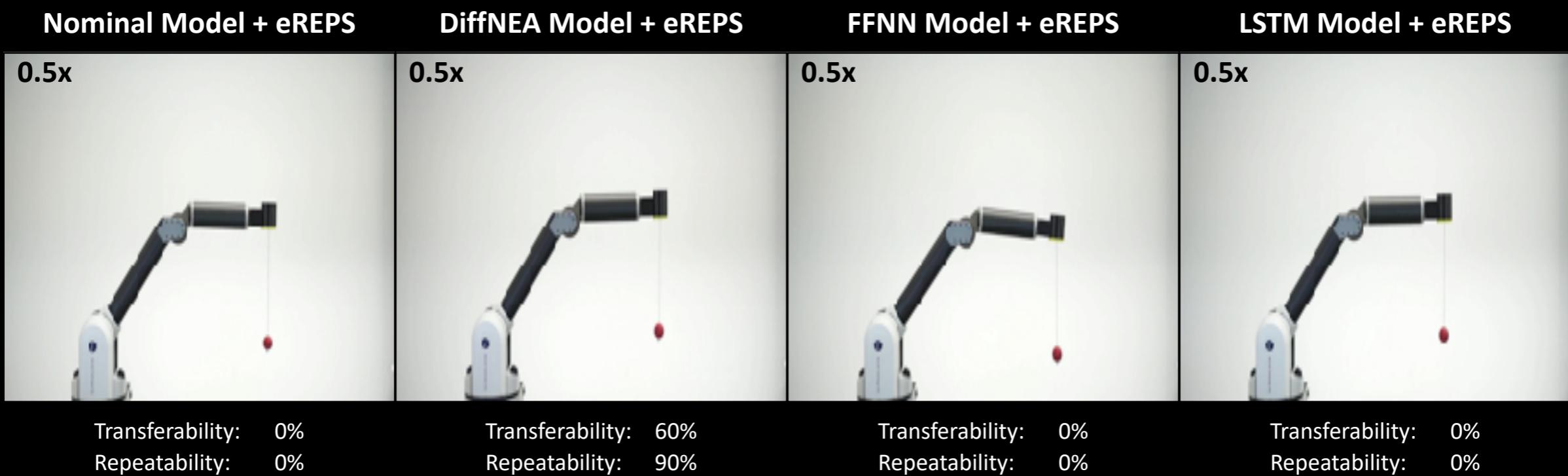
Performance based on 4min of Motor Babbling



Michael Lutter

Structured models enable out of distribution generalization.

- DiffNEA extrapolated to completely unseen states
- For MBRL generalization *might* be more important than perfect prediction

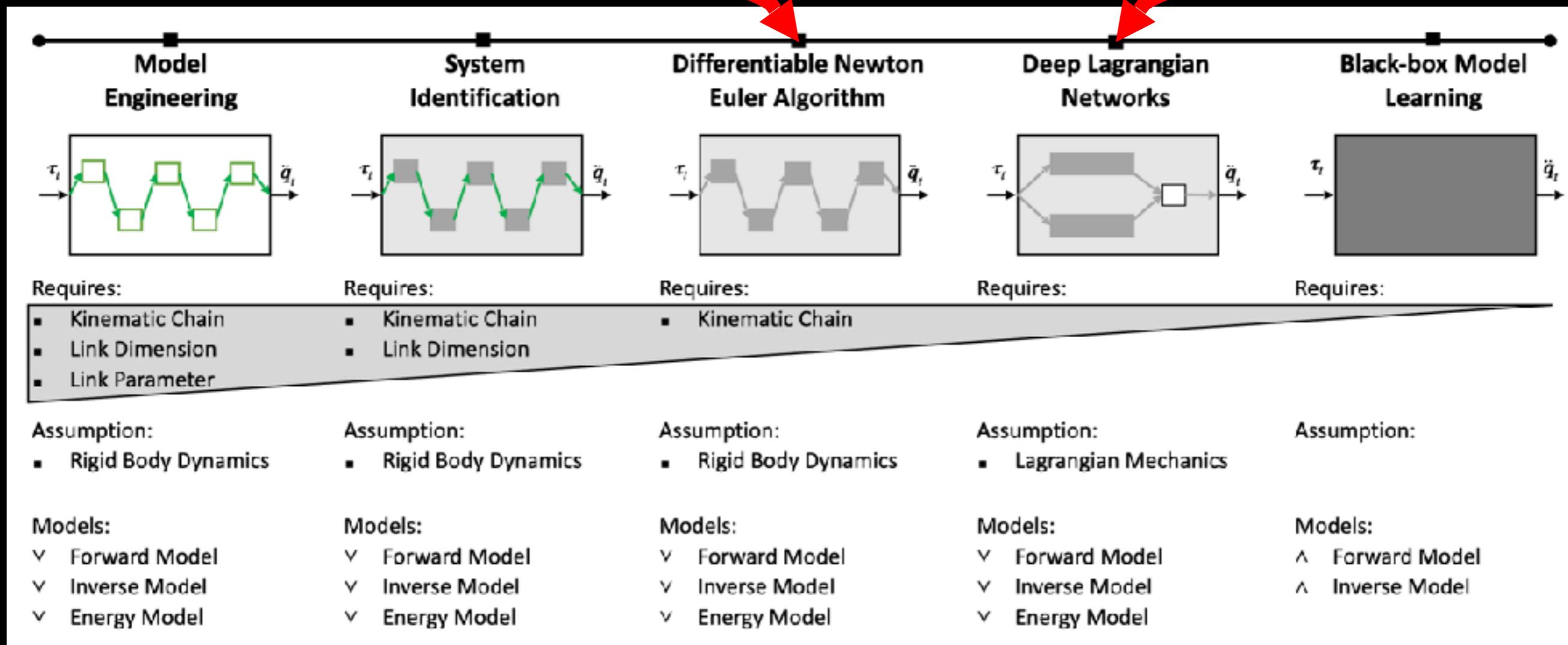




Michael Lutter

Lutter, M.; Silberbauer, J.; Watson, J.;
Peters, J. (2021). Differentiable
Physics Models for Real-world
Offline Model-based Reinforcement
Learning, ICRA.

Lutter, M.; Ritter, C.; Peters, J.
(2019). Deep Lagrangian
Networks: Using Physics as Model
Prior for Deep Learning,
International Conference on
Learning Representations (ICLR).



3. Inductive Bias

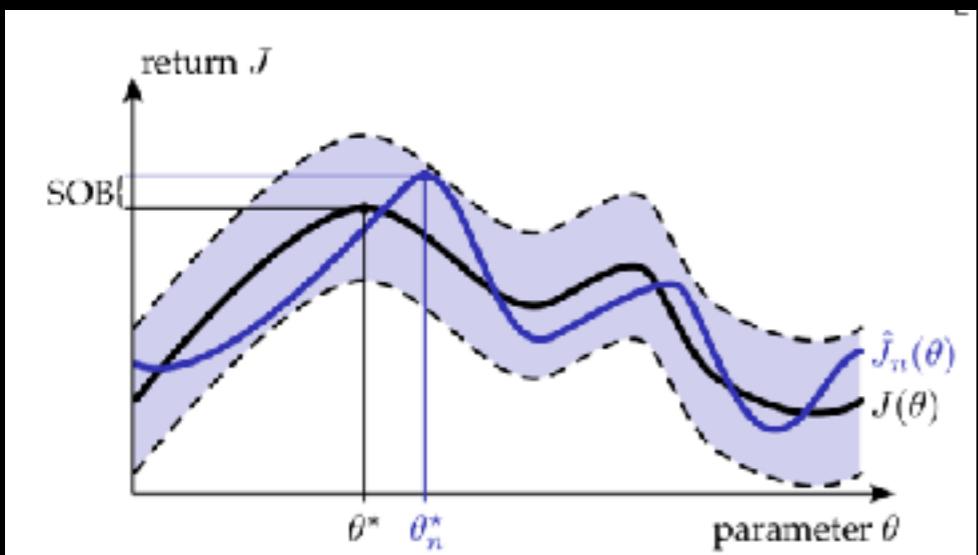
Use physically consistent
models!

Simplification Optimization Bias(Bias)?

$$G(\theta) = E_{\xi} \left\{ \max_{\hat{\theta}} \frac{1}{N} \sum_i^N J(\hat{\theta}, \xi) \right\} - \max_{\theta} E_{\xi} \left\{ \frac{1}{N} \sum_i^N J(\theta, \xi) \right\} \geq 0$$

Optimal Solution
for Samples

True Optimal
Solution



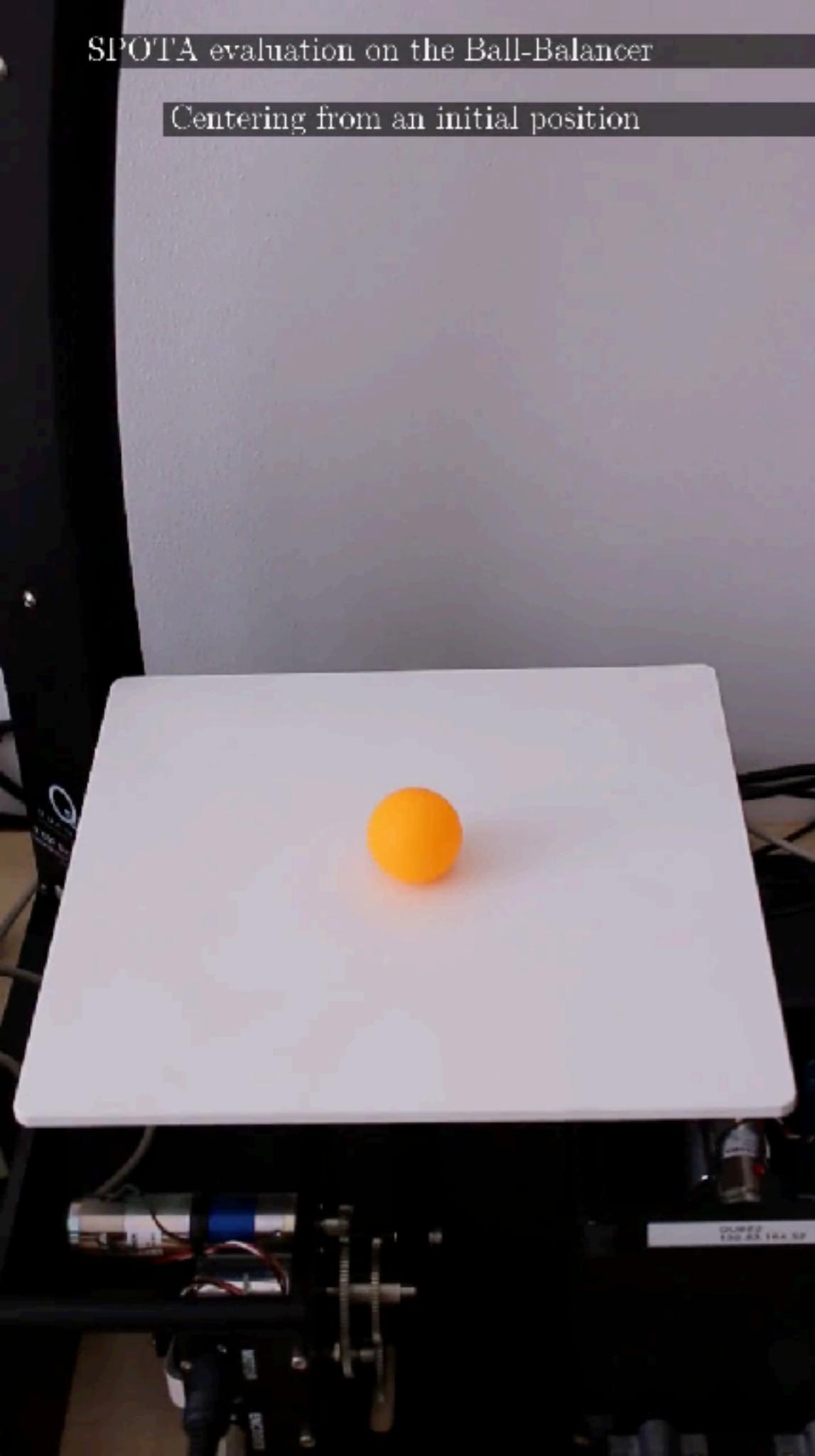
We are guaranteed to
be wrong!

Fabio
Muratore



Centering from an initial position

Fabio
Muratore



SPOTA controls the S.O.B.

Muratore, F. et al. (2022). Assessing Transferability
from Simulation to Reality for Reinforcement
Learning, PAMI

Robotics
Inductive
Bias

4. Inductive Bias

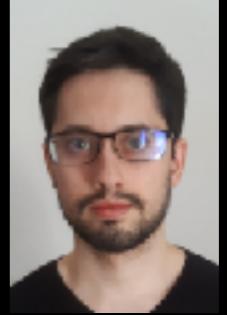
Control your
optimization bias

Outline

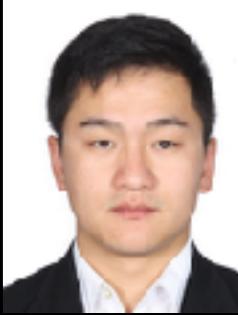
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4. Inductive Bias: Control your optimization biases!
5. Inductive Bias: Use your constraints to direct your exploration!
6. Inductive Bias

The fastest way to destroy
a robot system is by
exploration...

Safe Exploration



Davide
Tateo



Puze
Liu

$$\max_{\theta} \mathbb{E}_{s_t, a_t} \left[\sum_{t=0}^T \gamma^t r(s_t, a_t) \right],$$

s. t.

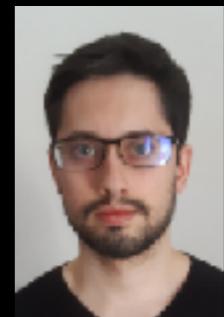
$$f(q_t) = 0, \quad g(q_t) \leq 0$$
$$s_t = [q_t \ x_t]^T$$

Robotics problems hide
their difficulties in the
constraints!

4. Inductive Bias

Use your constraints to
direct your exploration!

Exploration on the Constraint Manifold



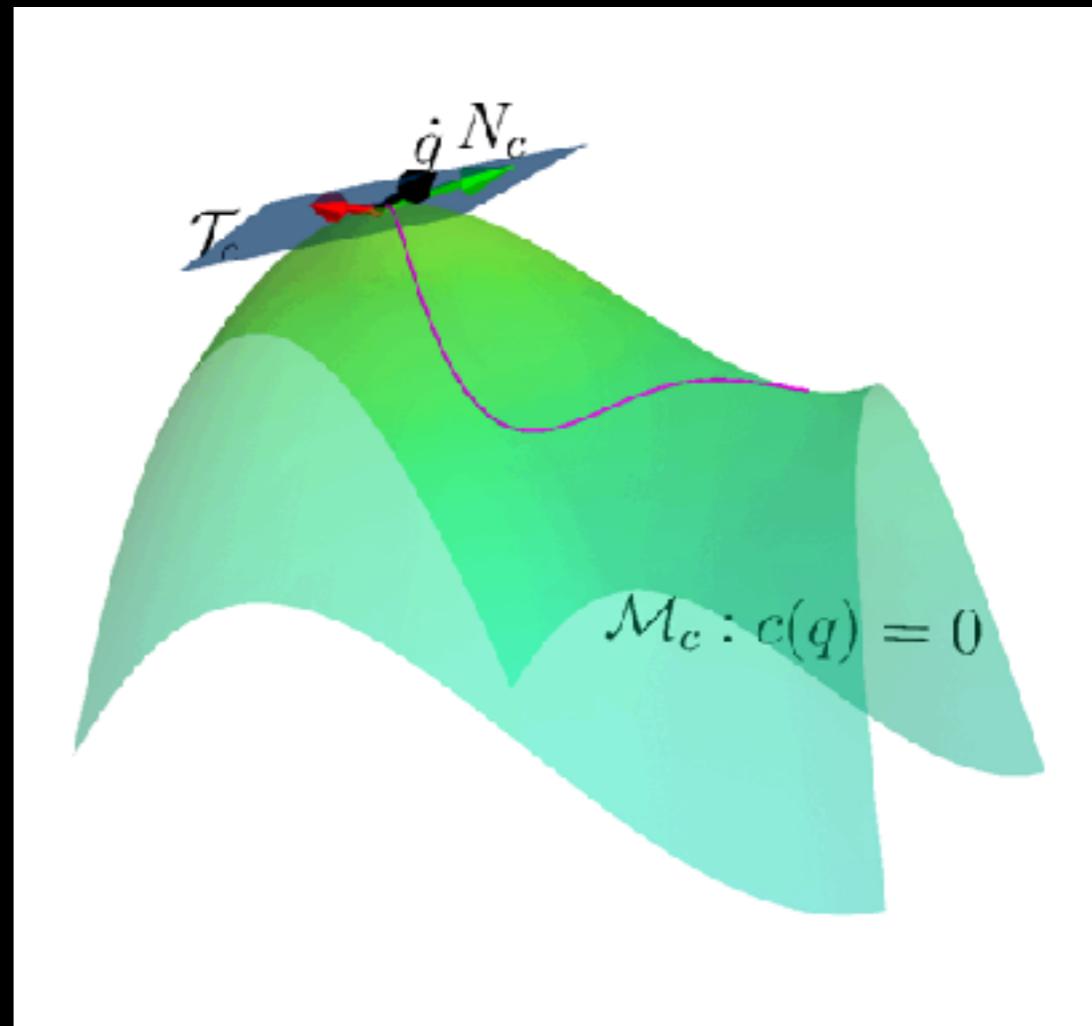
Davide
Tateo

Puze
Liu

- I. Construct the constraint manifold

$$\mathcal{M}_c : c(q) = 0$$

2. Determine the bases N_c of the tangent space \mathcal{T}_c
3. Sample state velocity in the tangent space



$$\begin{bmatrix} \ddot{q}_t \\ \dot{\mu}_t \end{bmatrix} = \underbrace{N_c(q_t, \mu_t) \alpha_t}_{\text{Tangent Space Action}} - \underbrace{J_c^\dagger(q_t, \mu_t) \psi(q_t, \dot{q}_t)}_{\text{Curvature Correction}} - \underbrace{J_c^\dagger(q_t, \mu_t) K_c c(q_t, \dot{q}_t, \mu_t)}_{\text{Error Correction}}$$

Manifold Maintenance

Learning Process



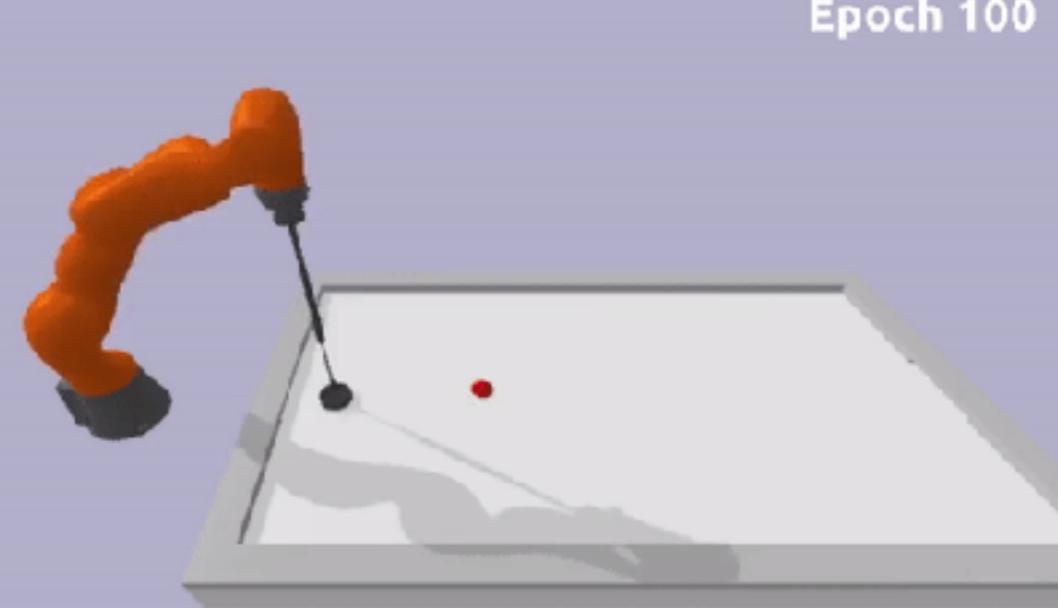
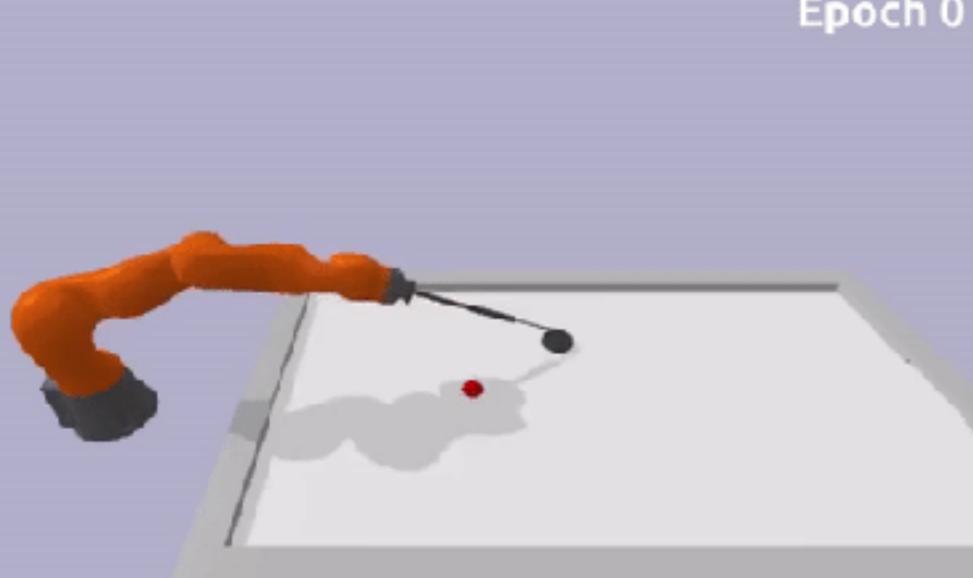
Piotr
Kicki

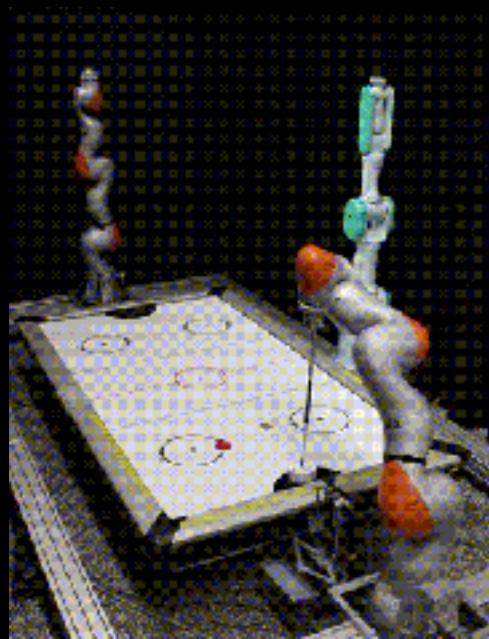


Davide
Tateo

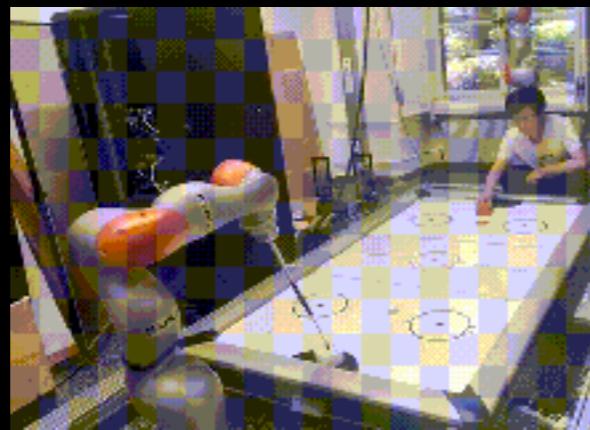


Puze
Liu

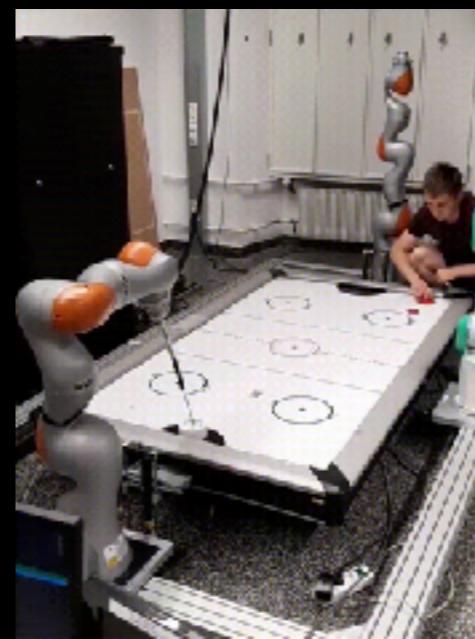




Smash



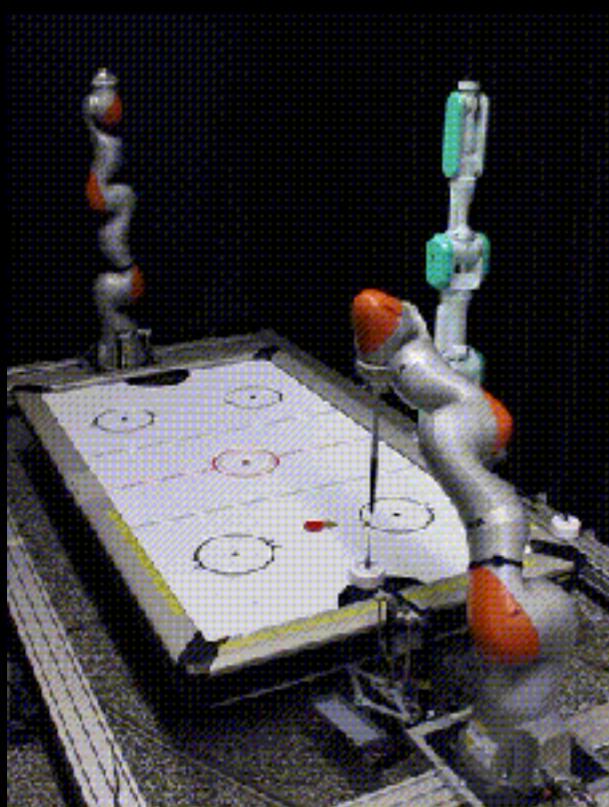
Cut



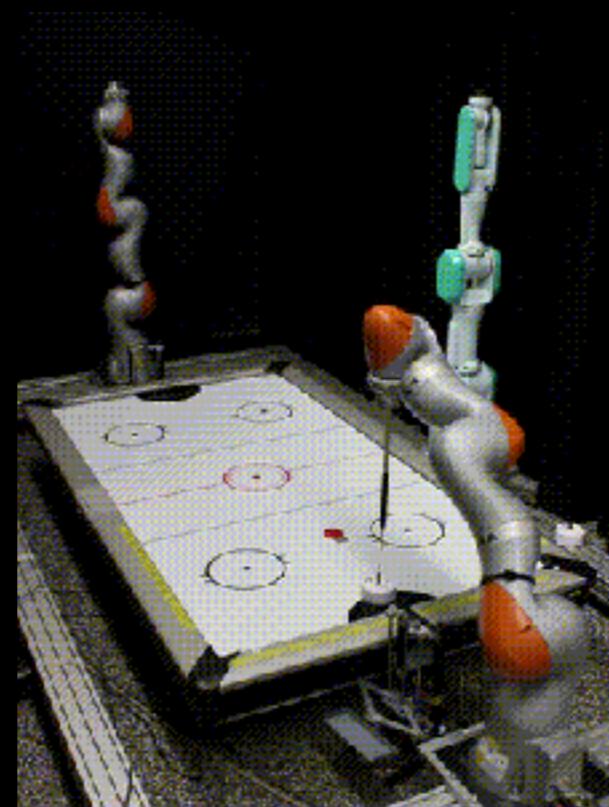
Repel



Prepare



Lissajous Hitting



Dynamic Hitting



Piotr
Kicki



Haitham
Bou Ammar



Davide
Tateo



Puze
Liu

Liu, P.; Tateo, D.; Bou-Ammar, H.; Peters, J. (2021). Robot Reinforcement Learning on the Constraint Manifold, Proceedings of the Conference on Robot Learning (CoRL).

Kicki, P.; Liu, P.; Tateo, D.; Bou Ammar, H.; Walas, K.; Skrzypczynski, P.; Peters, J. (2024). Fast Kinodynamic Planning on the Constraint Manifold with Deep Neural Networks, IEEE Trans. on Robotics

Outline

1. Inductive Bias: Stay close to your training data!
2. Inductive Bias: Use modular policy structure for composition!
3. Inductive Bias: Use physically consistent models!
4. Inductive Bias: Control your optimization biases!
5. Inductive Bias: Use your constraints to direct your exploration!
6. Inductive Bias

**Let your body go with the
flow...**



Dieter Büchler

Robot Bodies for Learning?



Classical robotics builds the best body that can be controlled with classical approaches!

Human bodies would defy such an approach but generate high accelerations in order to

- reach high velocities
- perform skillful motions

Humans learn (typically) without breaking!

➡ Human performance robot learning needs better bodies!

Bodies for Learning



Dieter Büchler

High accelerations require



- strong actuators (pneumatic artificial muscles; 1,2kN)
- small moving masses (700g)

Antagonistic actuation

- prevents damages to the robot
- enables compliance

➡ Built for performance and learning *not* feedback control!

Learning Robot Table Tennis from Scratch

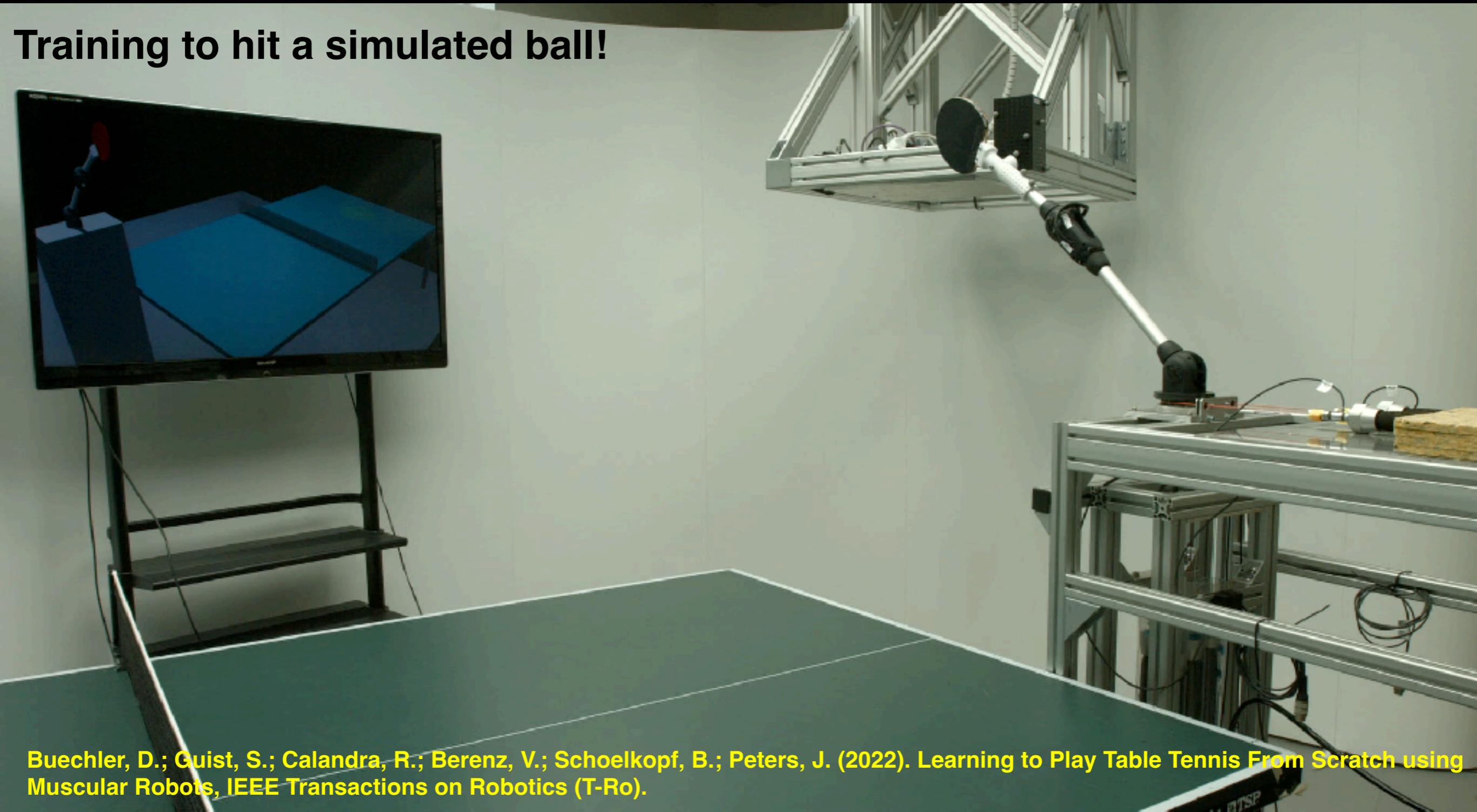


Dieter
Büchler



Simon
Guist

Training to hit a simulated ball!



Learning Robot Table Tennis from Scratch

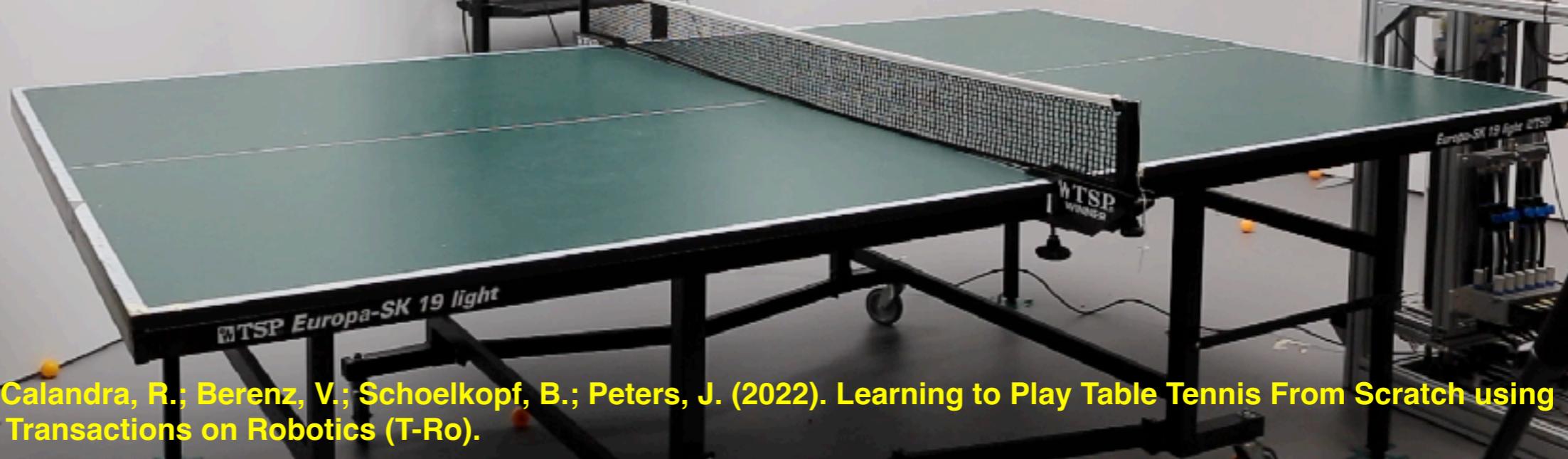
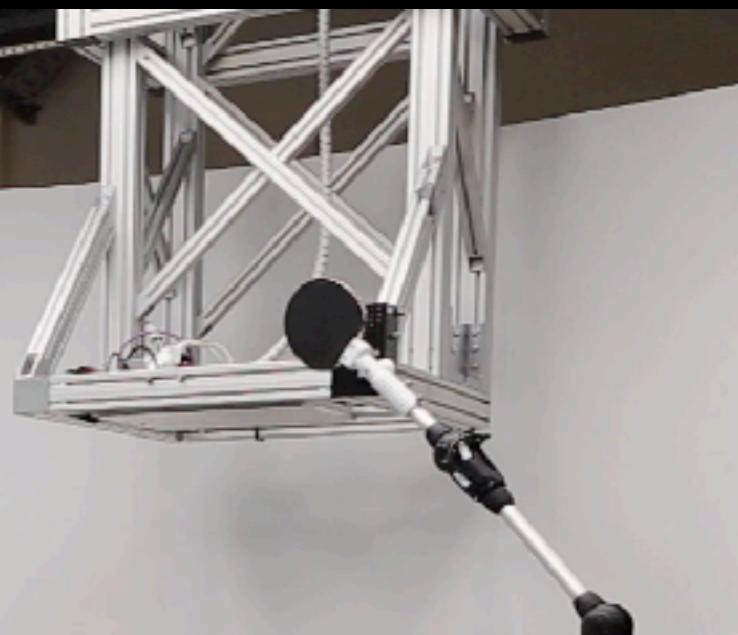


Dieter
Büchler

Simon
Guist



Training to hit
a real ball!



Robotics Inductive Bias

2. Inductive Bias

Let the natural robot dynamics guide your learning process!

Conclusion: Use your inductive biases!

1. Inductive Bias: Stay close to your training data!
2. Inductive Bias: Use modular policy structure for composition!
3. Inductive Bias: Use physically consistent models!
4. Inductive Bias: Control your optimization biases!
5. Inductive Bias: Use your constraints to direct your exploration!
6. Inductive Bias: Let the natural robot dynamics guide your learning process!

Thanks for your attention!



Learning Robots
with inductive biases



Thanks for your attention!

Outline

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**Even if we had a perfect
task model ...**

**... we still need to find a
solution to this task with
limited resources**

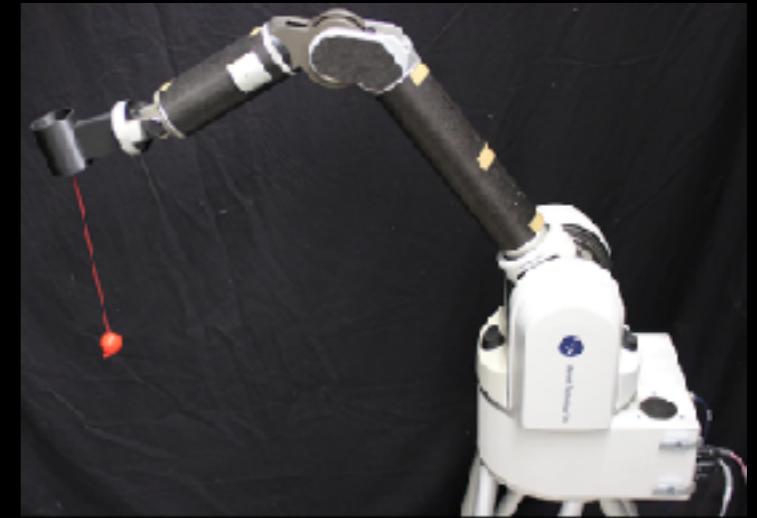
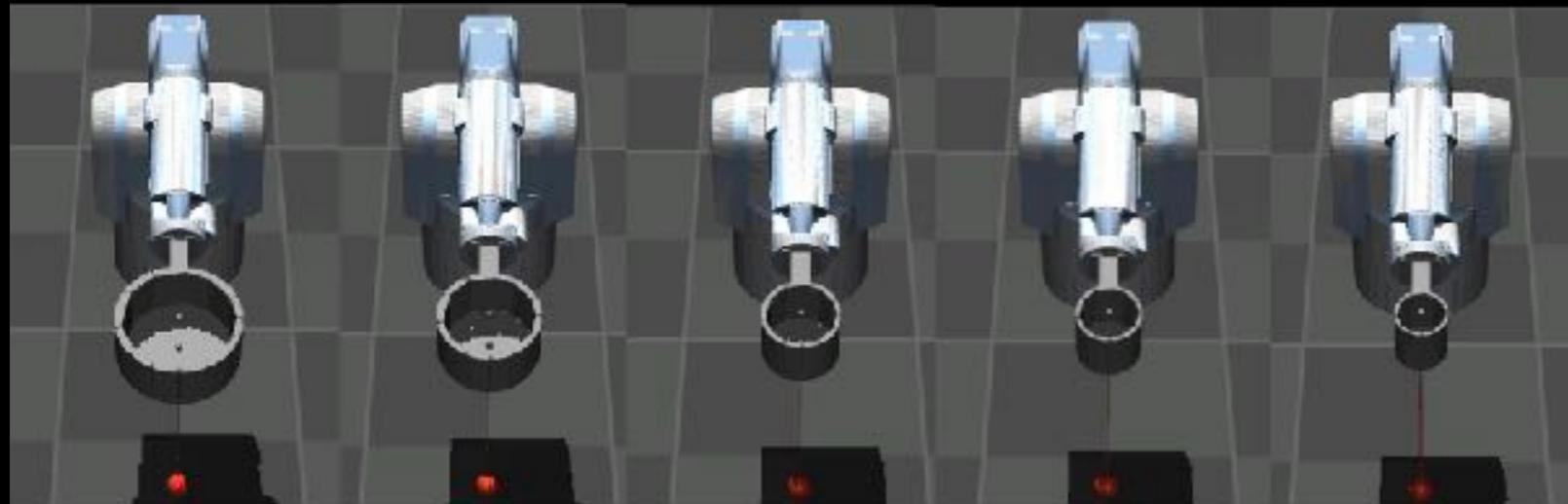
Pascal
Klink



Pascal
Klink



Curriculum Reinforcement Learning

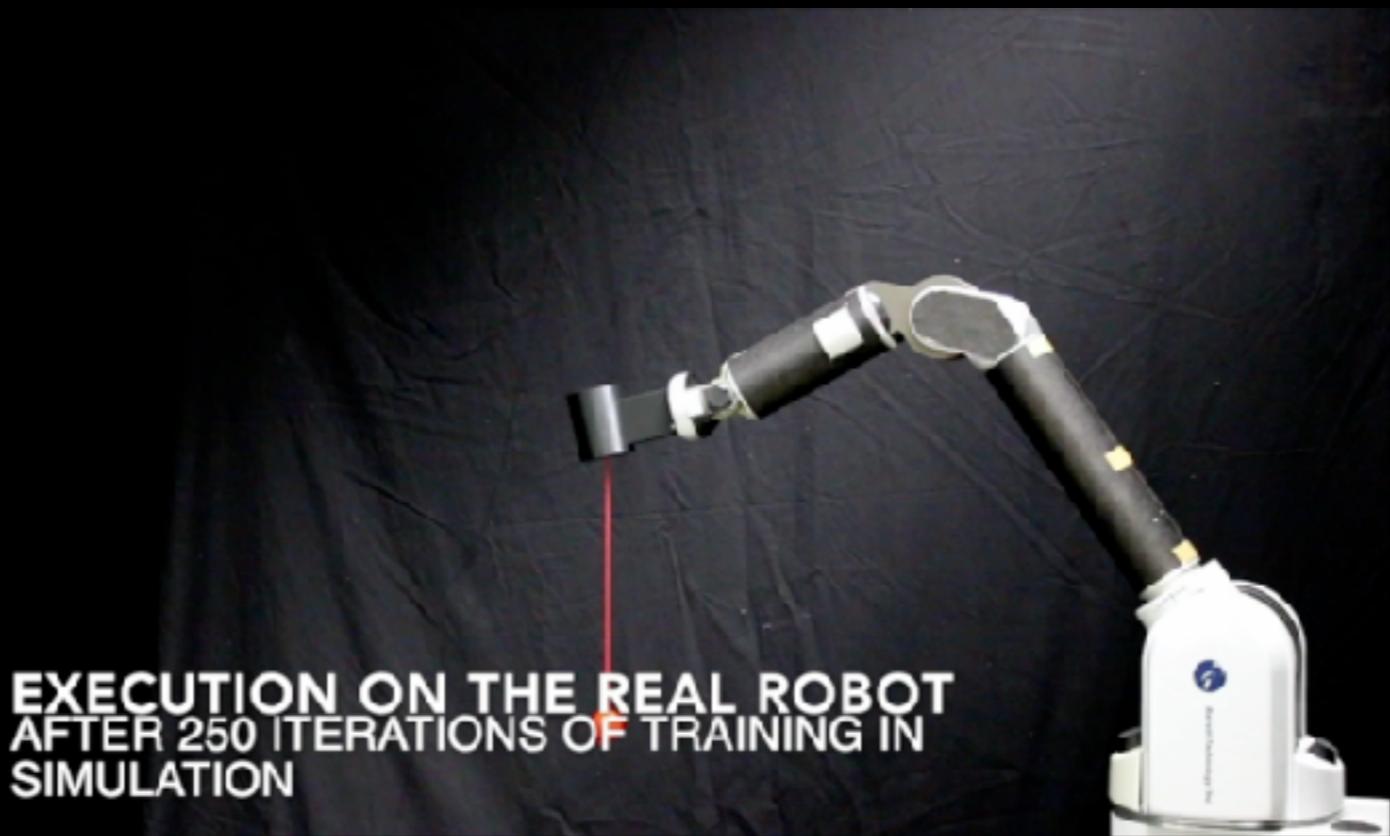


Task Complexity

Pascal
Klink



Curriculum Reinforcement Learning



N. Inductive Bias

(Robotics)
Inductive
Bias

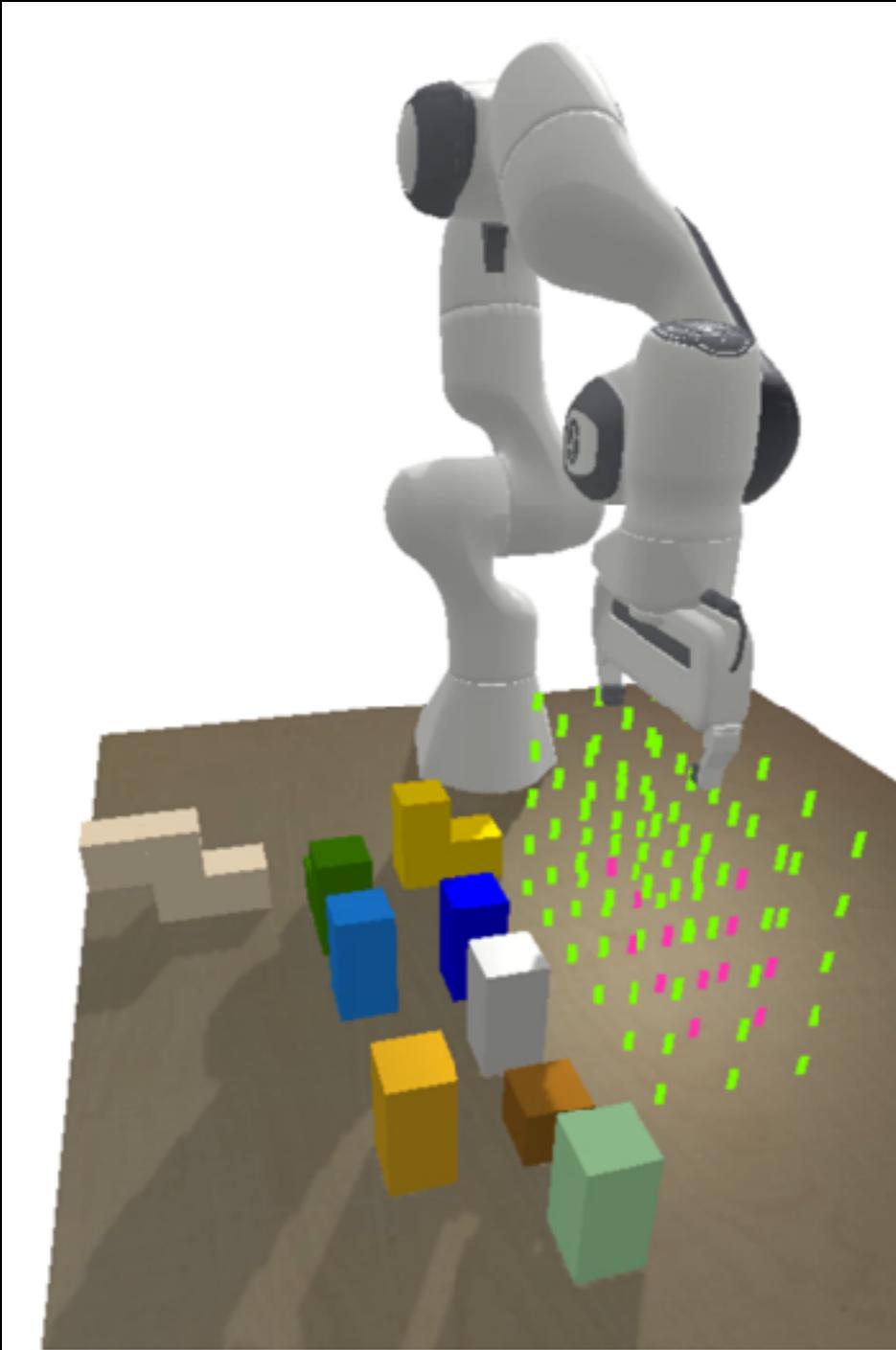
Control your optimization complexity

Long horizon
manipulation is
challenging ...

Robot Assembly Discovery (RAD)



Niklas Funk



- Having to build arbitrary 3D structures given a set of building blocks
- Robot-in-the-loop
- Ensuring structural stability

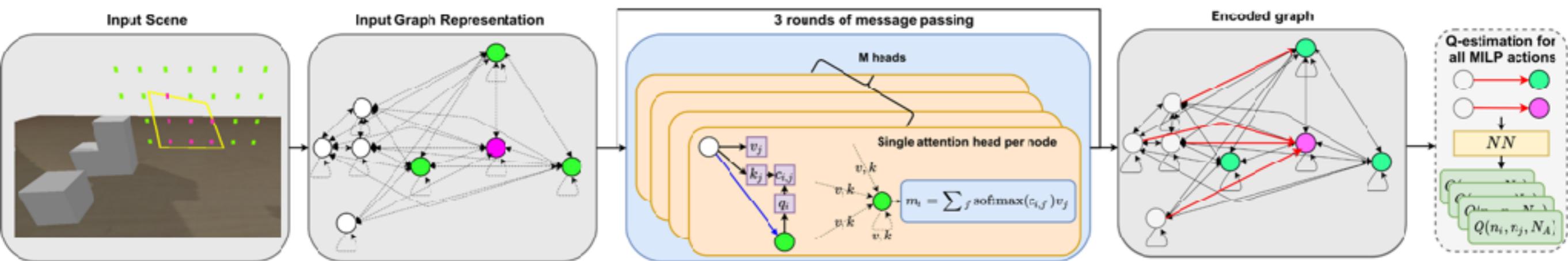
→ 2-fold Combinatorial Complexity:

- Which parts to place where
- Execution sequence



Niklas Funk

Graph-based RL for RAD



Exploit graph-based representation

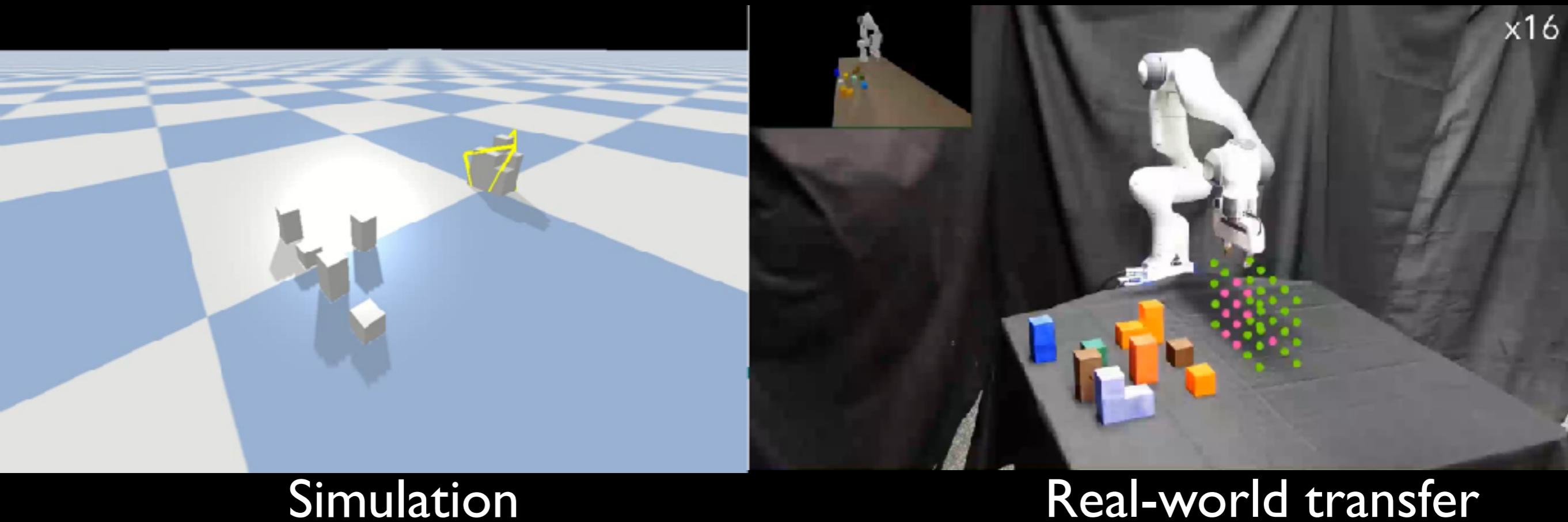
Eventually add prior knowledge from Mixed Integer Optimization

Funk, N.; Menzenbach, S.; Chalvatzaki, G.; Peters, J. (2022). Graph-based Reinforcement Learning meets Mixed Integer Programs: An application to 3D robot assembly discovery.

Resulting Assembly Policies



Niklas Funk



Simulation

Real-world transfer

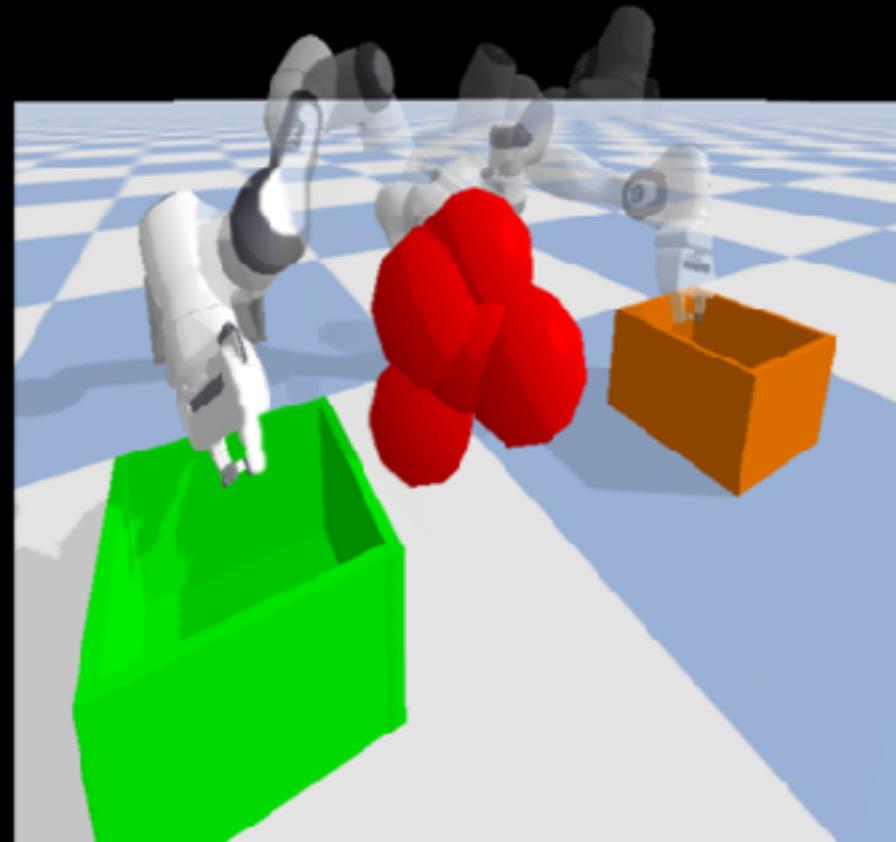
→ Graph-based representations allow generalization across scenes

2. Inductive Bias

Use structured
representations to enable
generalization!

What about
dynamic and dense
environment?

Hierarchical Policy Blending

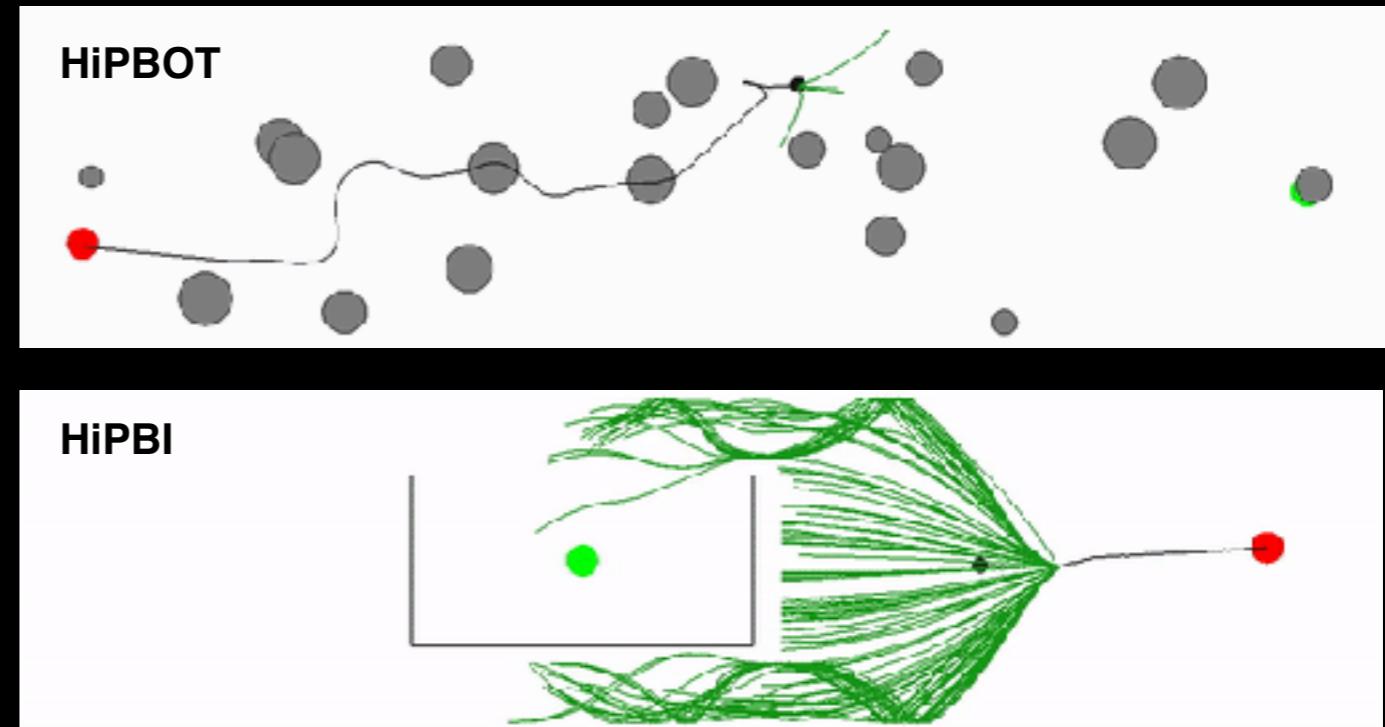
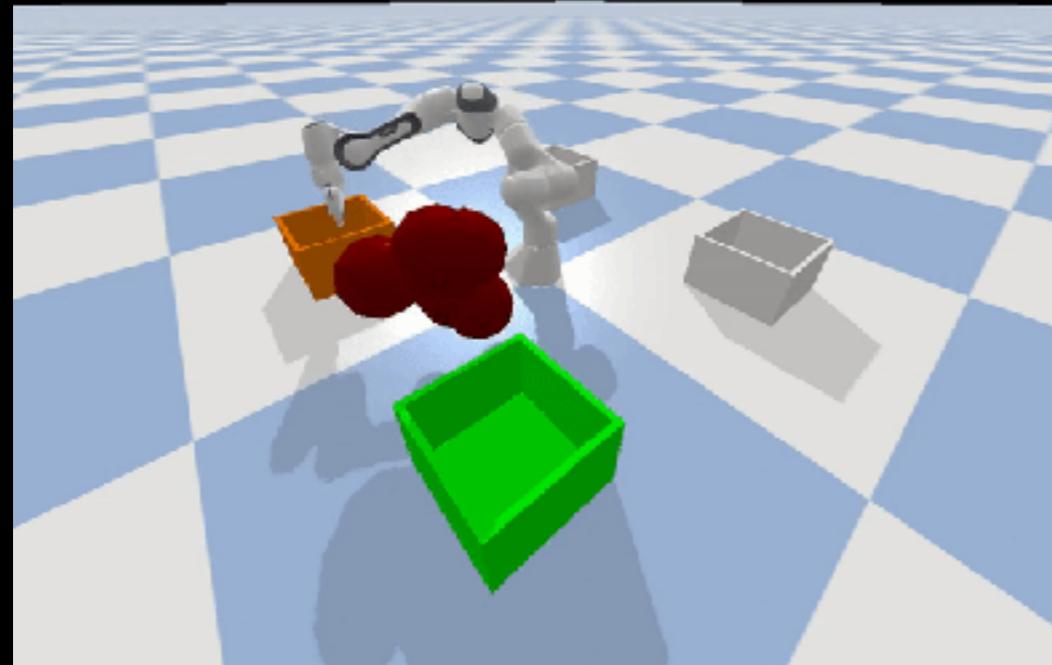


- Motion generation in dense and dynamic environments;
- Reactive policies:
 - Ensure fast response;
 - Risk of suboptimal behavior;
- Planning-based approaches:
 - Provide feasible trajectories;
 - High computational cost;
- Trade-off:
 - Safety vs Performance

Hansel, K.; Urain, J.; Peters, J.; Chalvatzaki, G. (2022). Hierarchical Policy Blending as Inference for Reactive Robot Control.

Le, A. T.; Hansel, K.; Peters, J.; Chalvatzaki, G. (2022). Hierarchical Policy Blending As Optimal Transport

Hierarchical Policy Blending



→ Adaptive Policy Blending enables safe and feasible robot motions across dense and dynamic environments.

HiPBI:

- Adopts Probabilistic Inference methods;
- Sampling-Based Stochastic Optimization;

Hansel, K.; Urain, J.; Peters, J.; Chalvatzaki, G. (2022). Hierarchical Policy Blending as Inference for Reactive Robot Control.

HiPOT:

- Leverages unbalanced optimal transport;
- Entropic-Regularized Linear Programming;

Le, A. T.; Hansel, K.; Peters, J.; Chalvatzaki, G. (2022). Hierarchical Policy Blending As Optimal Transport

2. Inductive Bias

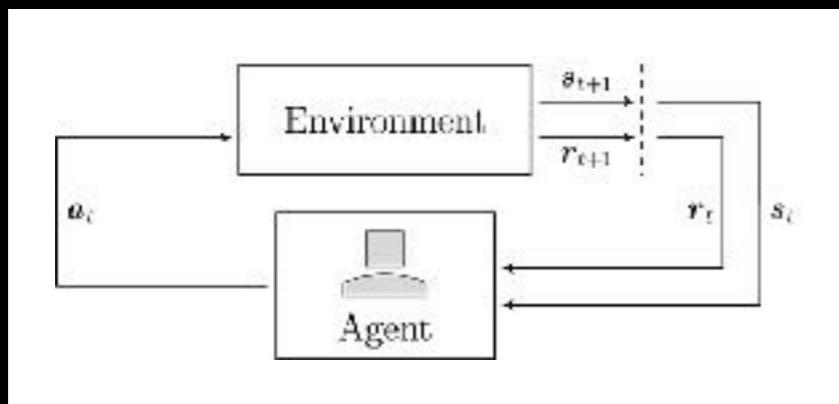
Inductive biases as
hierarchical optimization
for adaptive blending
experts!

Learning to deal with
environmental variations
or uncertainties?

Robust Reinforcement Learning



Nominal MDP

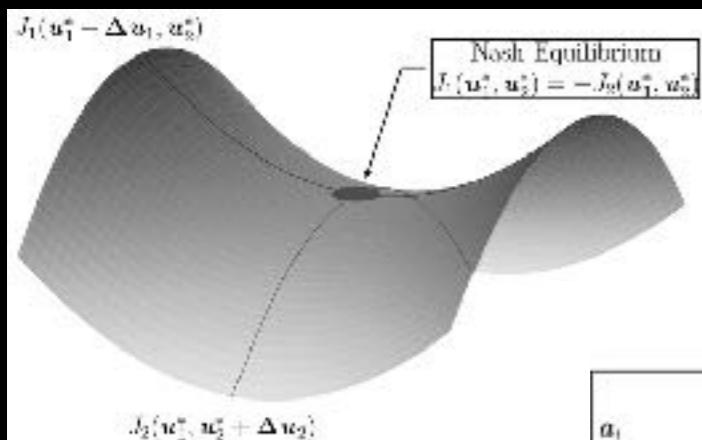


- Reinforcement Learning:

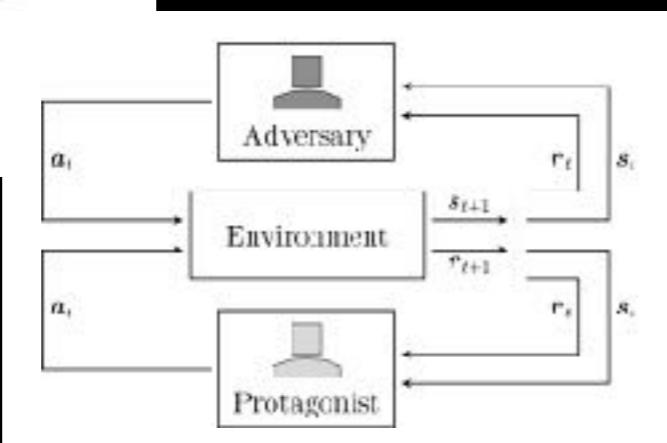
- Assumes underlying MDP
- Struggles with:
 - Uncertainties;
 - Disturbances;
 - or structural changes in env

- How to achieve "robustness"?

➡ Formalizing an Adversarial framework;



The Nash Equilibrium



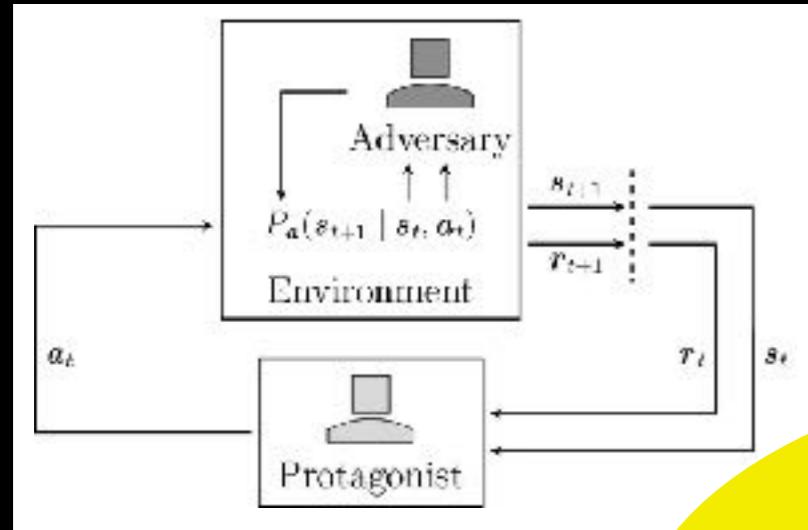
Adversarial MDP

- Worst-Case design
- How to define the adversary?

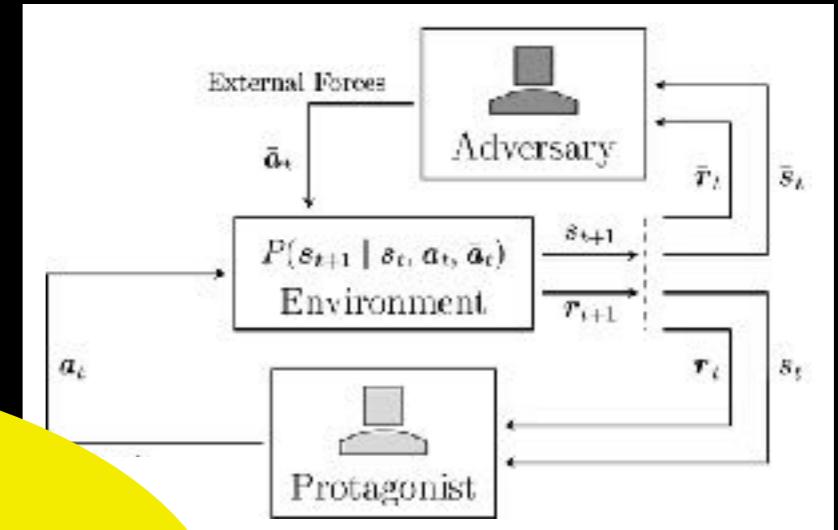
Robust Reinforcement Learning



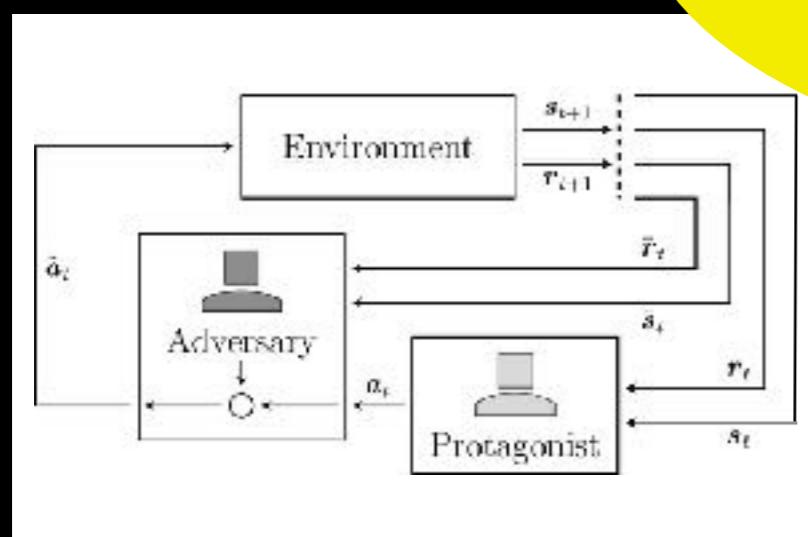
Transition-Robust-Design



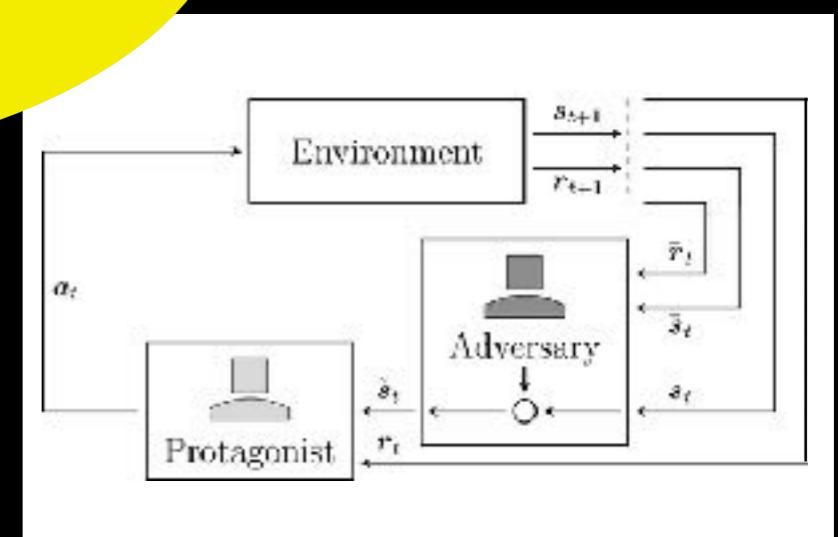
Disturbance-Robust-Design



Robustness in
Reinforcement Learning
via
Adversarial Design



Action-Robust-Design



Observation-Robust-Design

2. Inductive Bias

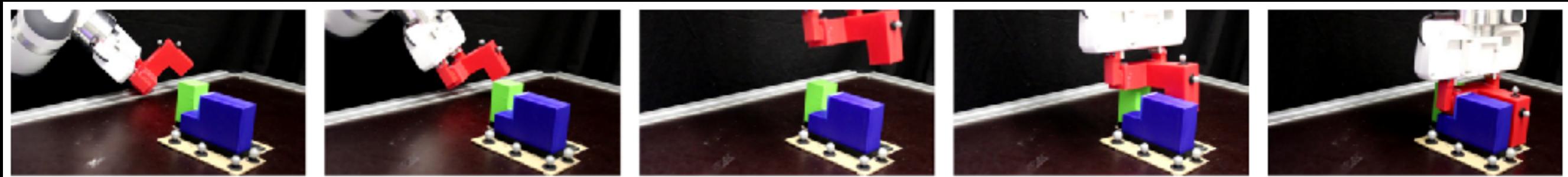
Use adversarial design as
inductive bias to improve
robustness!

Where to learn in
contact-rich tasks?

Imitation and Residual Learning



Joao Carvalho



- Learning contact-rich assembly tasks in simulation is hard and does not transfer well
- We need methods to learn directly in the real system
- Adapt demonstrations from imitation learning with residual learning

Use the variability in human-demonstrations as an inductive bias for exploration

Imitation and Residual Learning

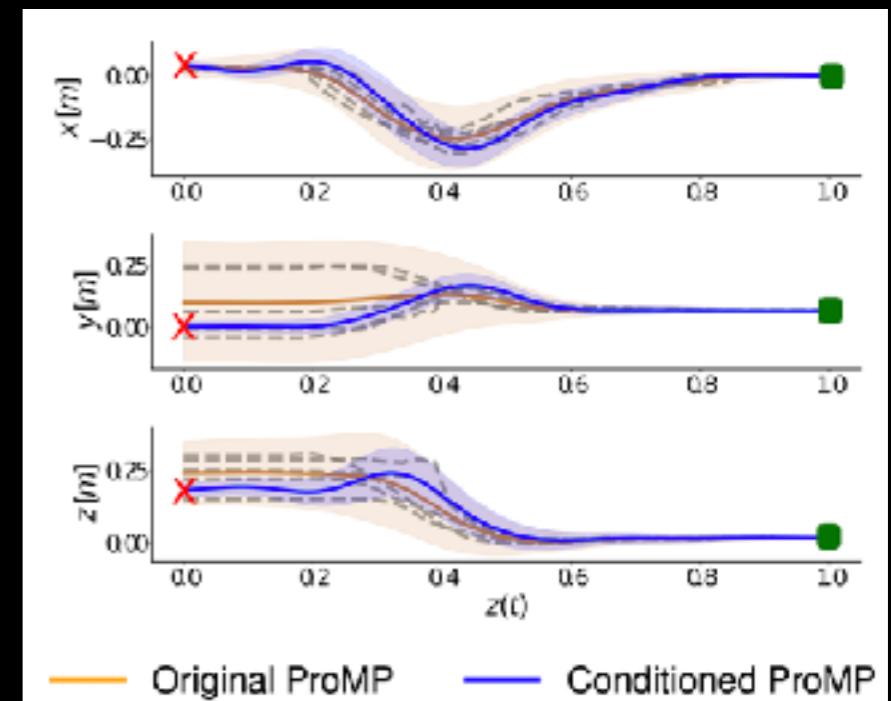


Joao Carvalho

- Residual learning combines a nominal policy π_{nom} and a learned policy π_θ

$$\begin{aligned}\pi(a|s, t) &= \Psi(\pi_{\text{nom}}, \pi_\theta, s, a, t) \\ &= \alpha(s, t)\pi_{\text{nom}}(s, t) \oplus \beta(s, t)\pi_\theta(a|s, t)\end{aligned}$$

- Given demonstrations of an insertion task, choose where to learn the residual based on the demonstrations' variance



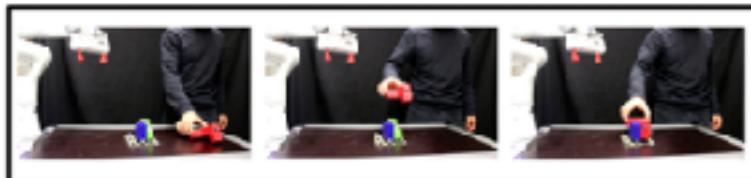
Imitation and Residual Learning



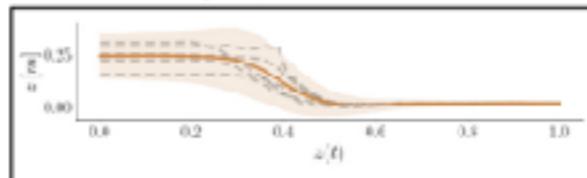
Joao Carvalho

DEMONSTRATIONS

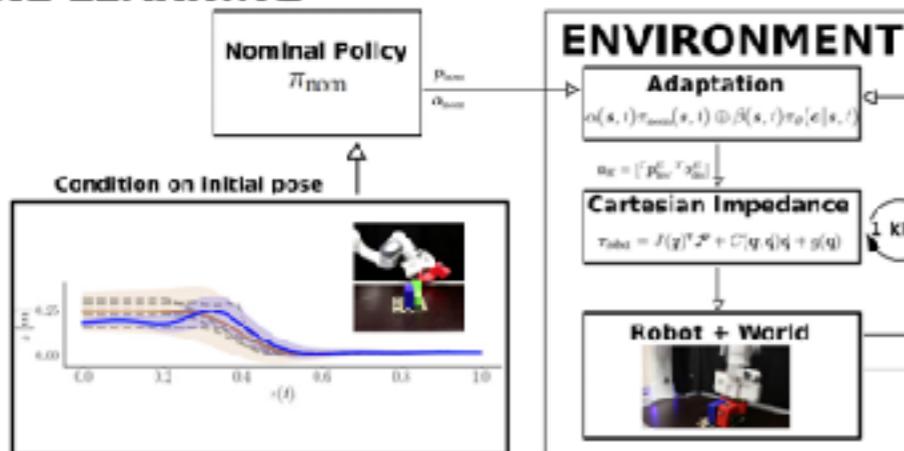
Collect Trajectories



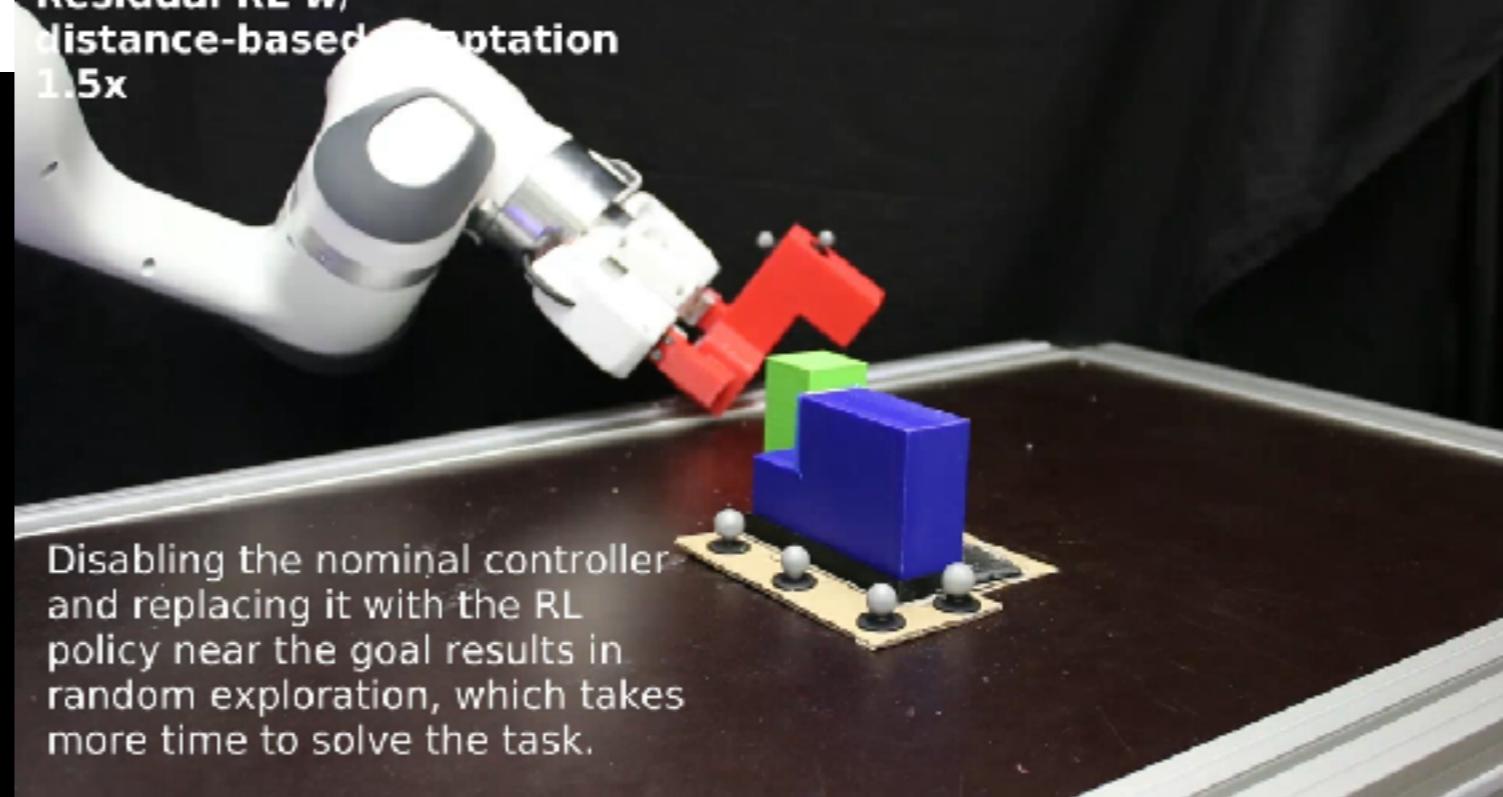
Object-Centric ProMP



ONLINE LEARNING



Residual RL w/
distance-based adaptation
1.5x

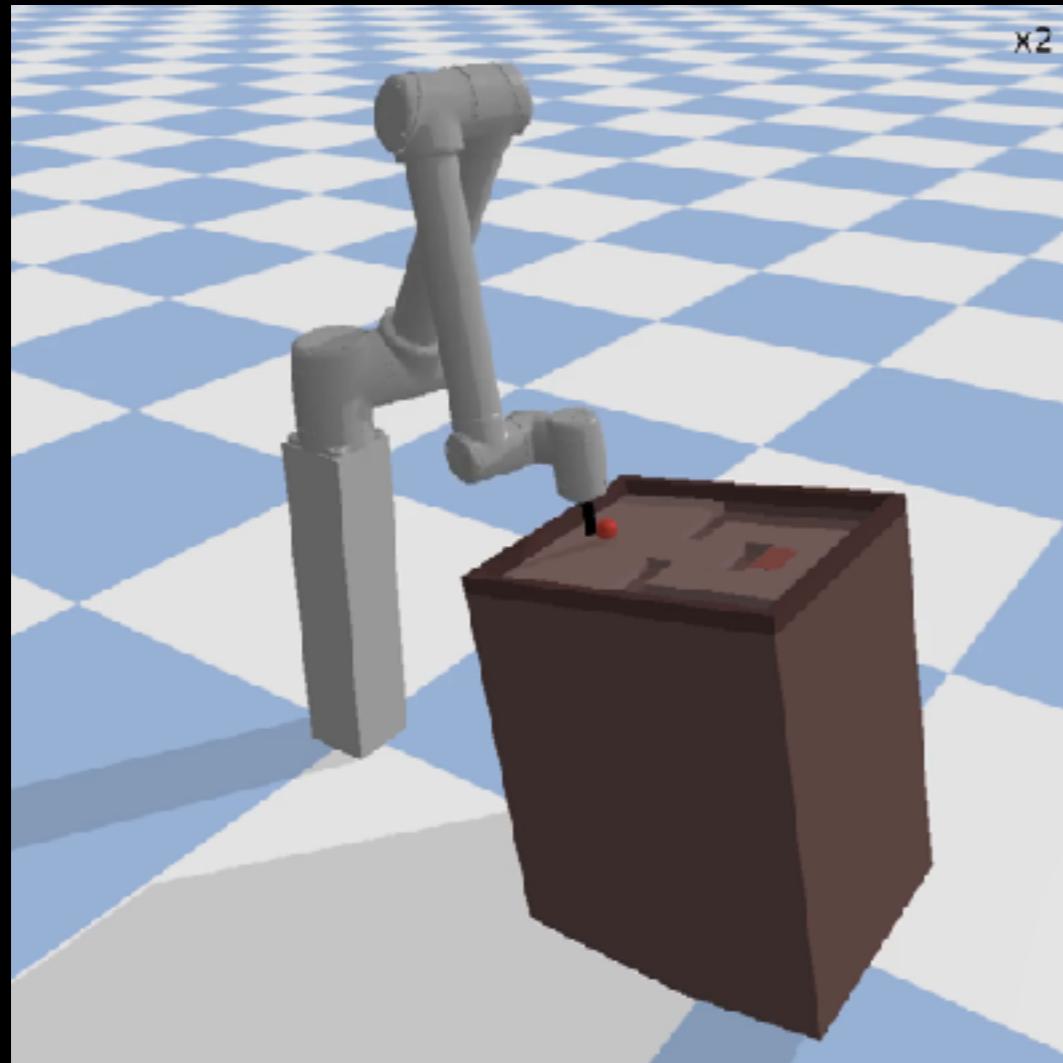


2. Inductive Bias

Use nominal policies and residual reinforcement learning to learn in the real system.

Data of real robotic
systems is extremely
scarce - we cannot afford
to be wasteful!

Active Model Learning



The robot has to push the red ball into the target zone at the top of the table. The tilted table and a sparse reward make this task impossible to solve for classical RL approaches.

- How do we make sure the data we collect of the system is as useful for model-learning as possible?
- Maximize Information Gain w.r.t the model!

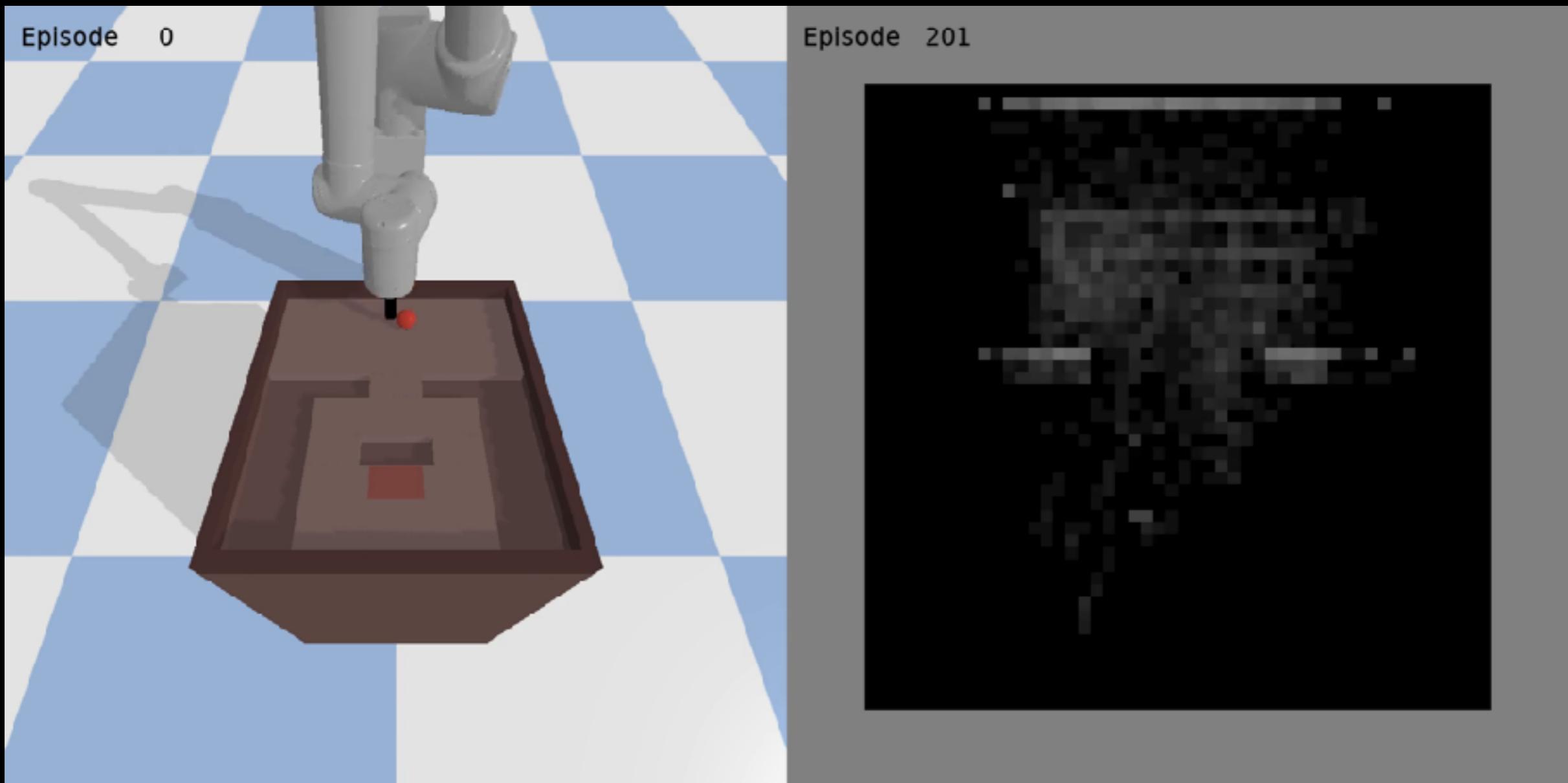
$$\max_{\pi} \underbrace{\text{MI}(\theta, (\mathbf{x}, \mathbf{r}, \mathbf{a}) \mid \pi, \mathbf{x}_t)}_{\text{Expected Information Gain}} + \beta \mathbb{E}_{P_\pi(r_{t+1:T})} \left[\sum_{\tau=t+1}^T \mathbf{r}_\tau \right] \underbrace{\quad}_{\text{Expected Reward}}$$

- Augment with expected reward to explore promising regions more thoroughly

Active Model Learning



Tim Schneider



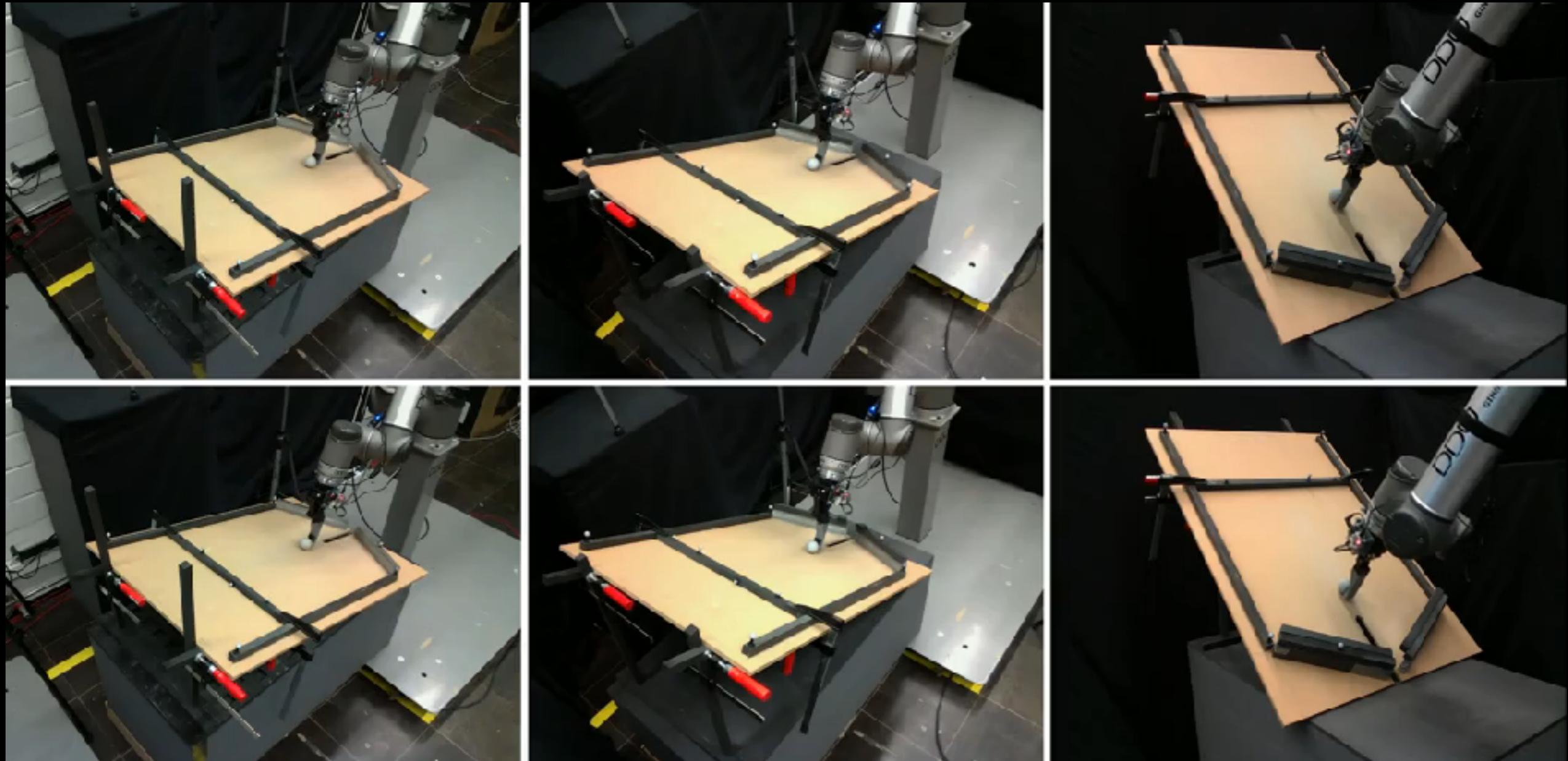
Our method explores this challenging environment efficiently and solves the task

Active Model Learning



Tim Schneider

fully automated training - ~25h of training each - **6 configurations**



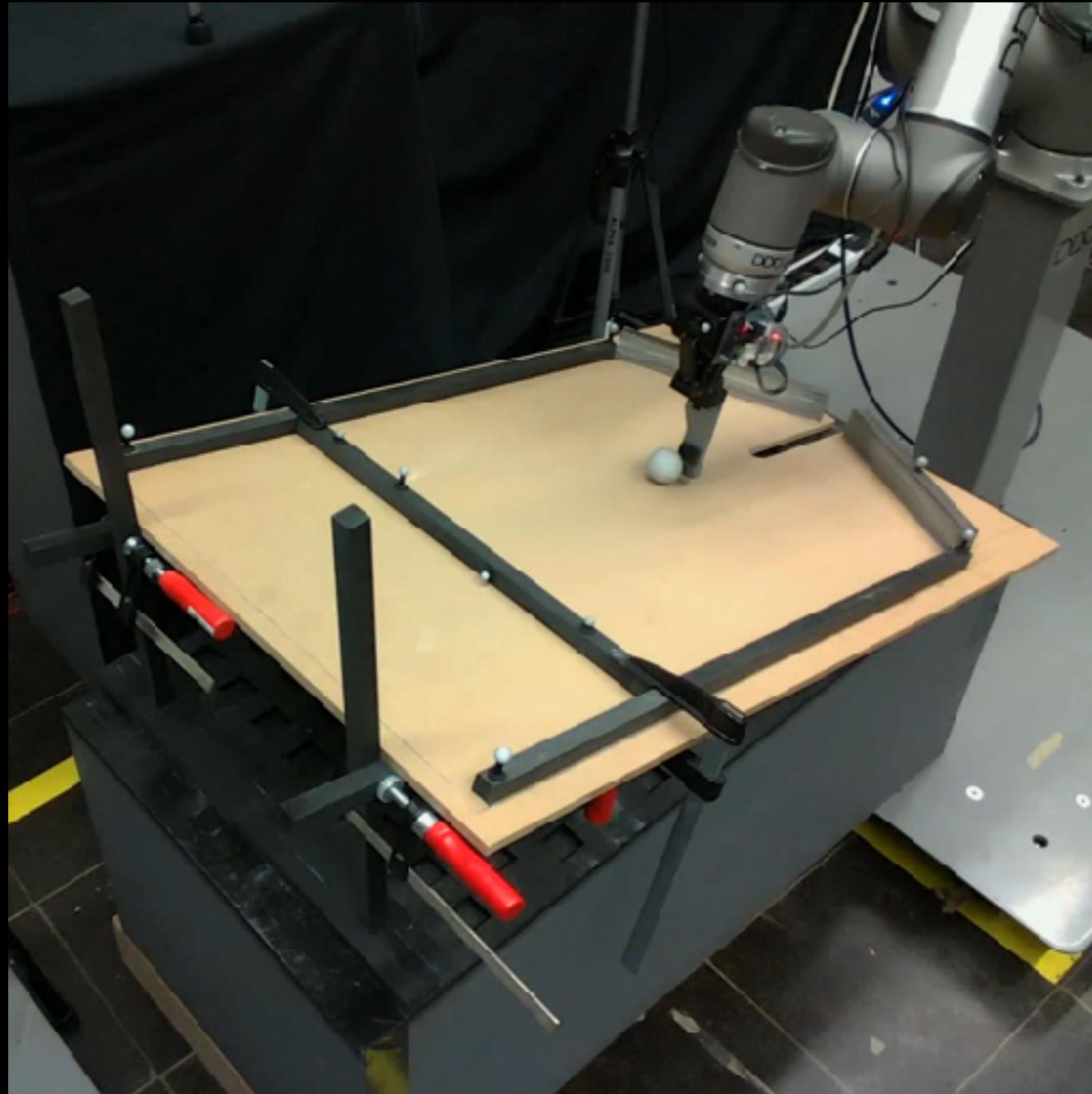
Our method solves this task by training on the real system from scratch for 5/6 configurations

Active Model Learning



Tim Schneider

How did we do it? Fully automated training!



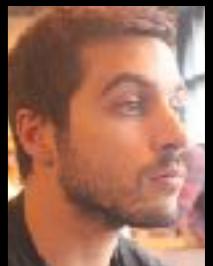
2. Inductive Bias

Control your system in a
maximally informative way
for model learning

Stable Vector Fields for Goal-Conditioned Tasks



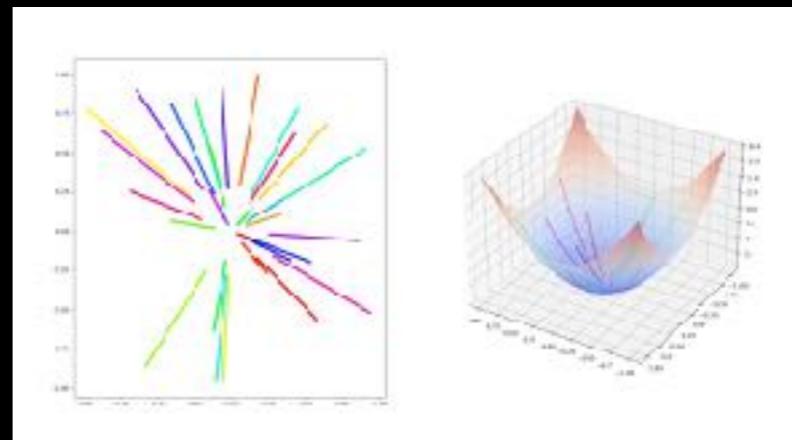
Davide
Tateo



Julen
Urain

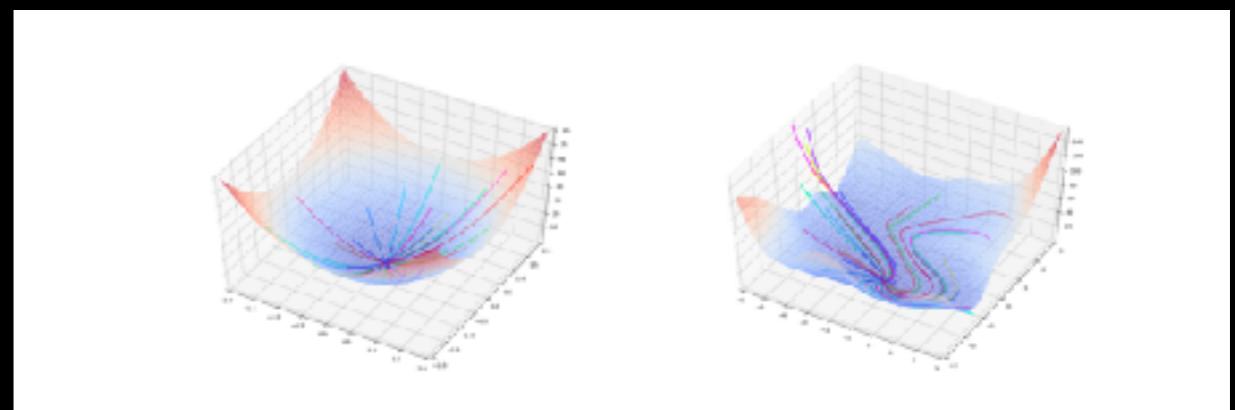
- Lot of desirable robot behaviours aims to arrive to a specific target.
- Simple solution: Linear attractor

$$\dot{\mathbf{x}} = -(\mathbf{x} - \mathbf{x}_{tar})$$



- How can we learn nonlinear attractors?
- Exploit the diffeomorphic function Φ of the Normalising Flows

$$\dot{\mathbf{x}} = -\mathbf{J}_\Phi(\Phi^{-1}(\mathbf{x}) - \Phi^{-1}(\mathbf{x}_{tar}))$$



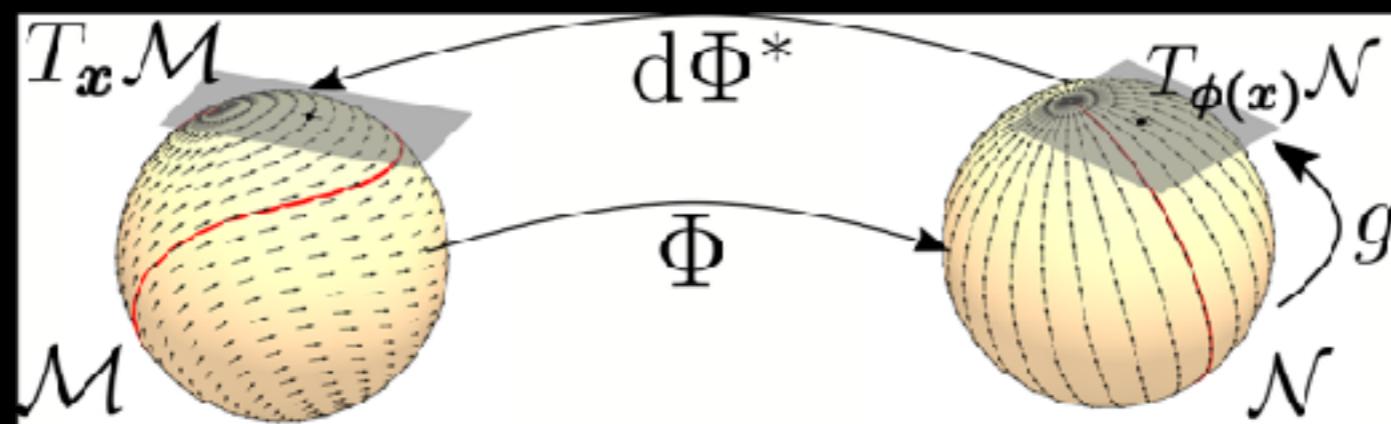
Stable Vector Fields in Manifolds



Davide
Tateo

Julen
Urain

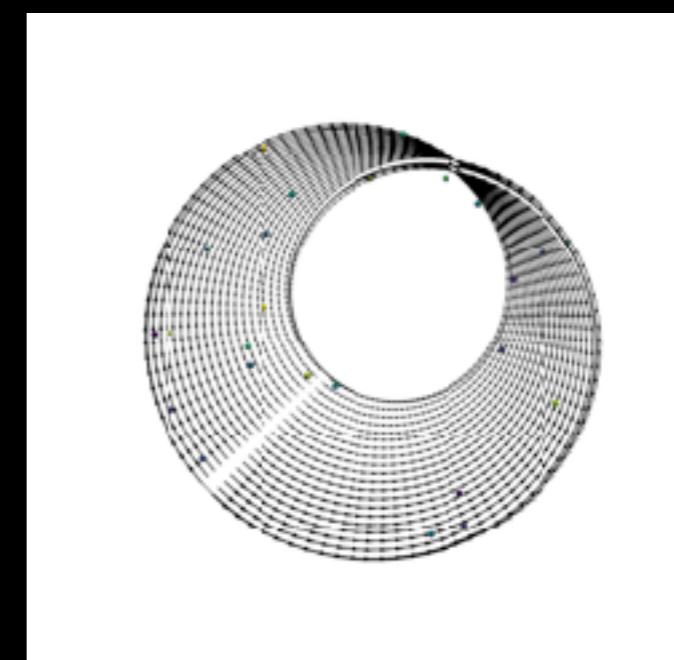
- To represent Stable Vector Fields for Orientations, we require to represent vector fields in non-Euclidean manifolds



Stable Vector Fields in SE(3) (Position + Orientation)



Stable Vector Fields in Möbius Strip



Diffusion Models in Robotics



Niklas Georgia Julien
Funk Chalvatzaki Urain

- Diffusion models are perfect candidates to represent **dense and smooth cost functions** in trajectory optimisation.
- Diffusion Models propose learning a function $\mathbf{S}_\theta(\tau)$ that represents the score function of a data distribution $\mathbf{S}_\theta(\tau) = \nabla_\tau \log q_{\mathcal{D}}(\tau)$
- Then, we can run an inverse diffusion process to generate samples from $q_{\mathcal{D}}(\tau)$
$$\tau_{k-1} = \tau_k + \frac{\alpha_k^2}{2} \nabla_\tau \log q_{\mathcal{D}}(\tau_k) + \alpha_k \epsilon \quad , \quad \epsilon \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$$
- Note that if we substitute $\log q(\tau_k) = \sum_k c_k(\tau)$ then, we have a gradient-based trajectory optimiser.

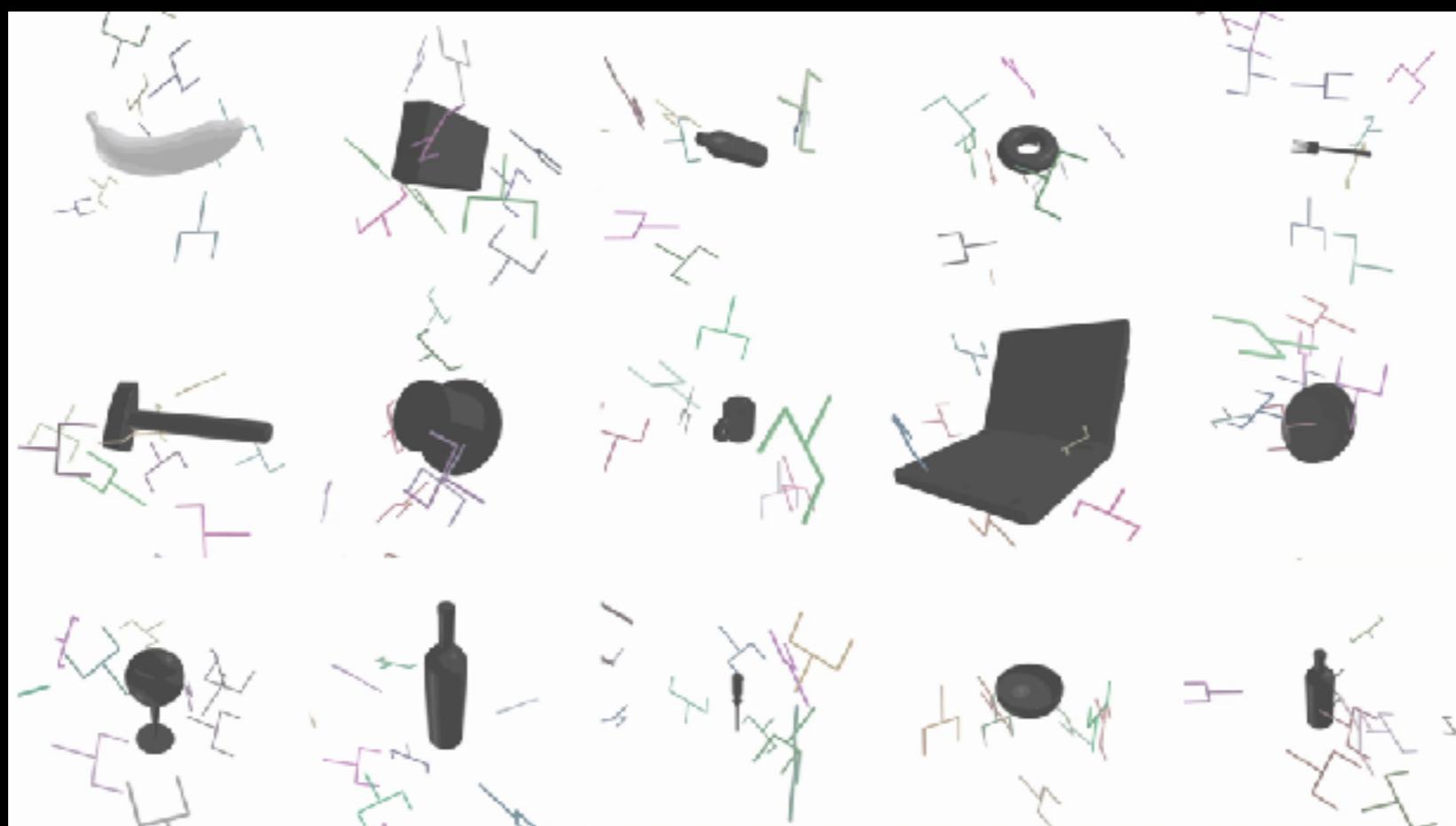
6D-Grasp Diffusion Models for joint grasp and motion optimization



Niklas Georgia Julen
Funk Chalvatzaki Urain

- We learn a diffusion model representing a distribution of $SE(3)$ grasp poses for a variety of objects

$$f_{\theta}(\mathbf{H}) = \log q_{\mathcal{D}}(\mathbf{H}) , \quad \mathbf{H} \in SE(3)$$

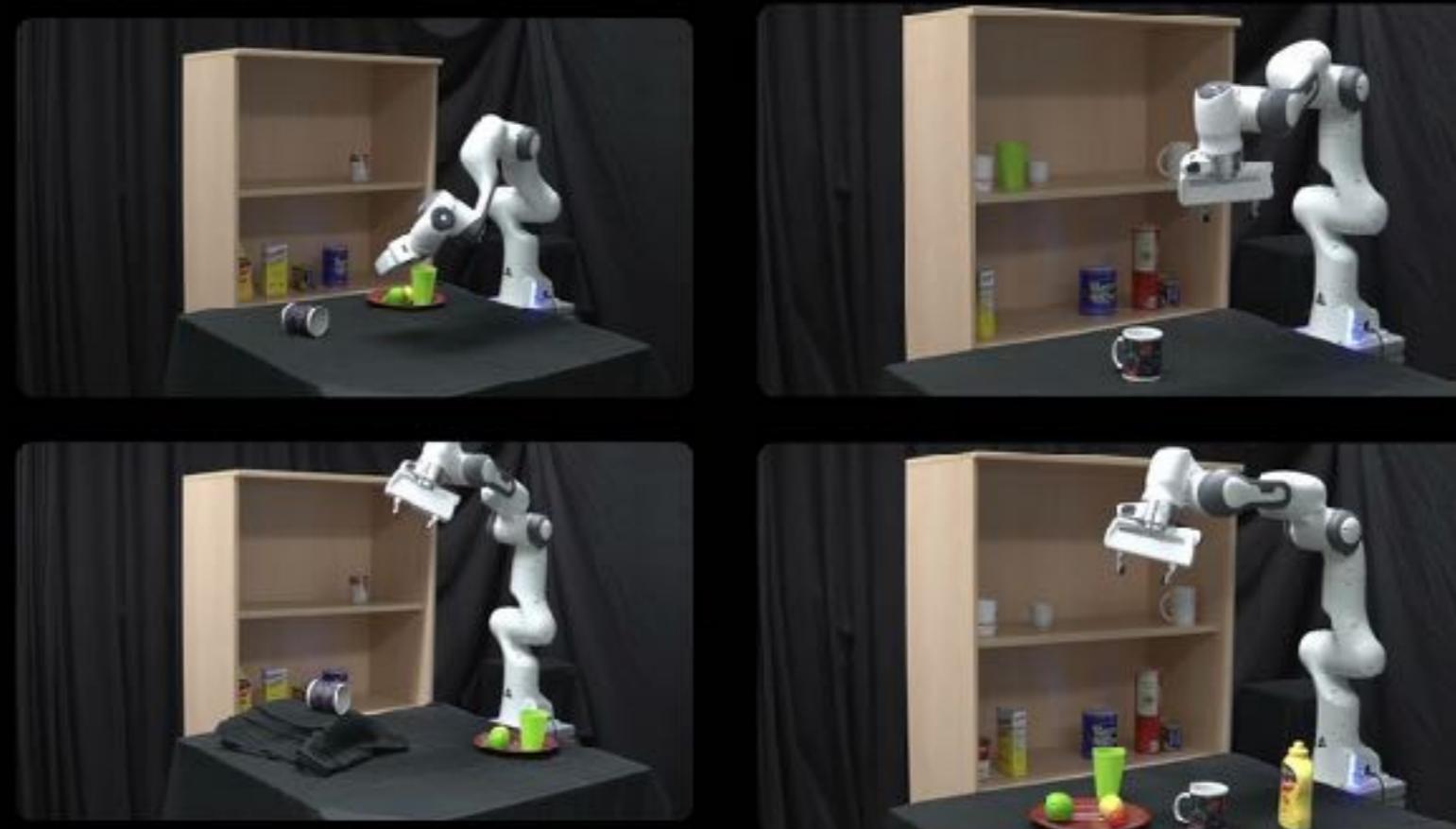


6D-Grasp Diffusion Models for joint grasp and motion optimization



Niklas Georgia Julen
Funk Chalvatzaki Urain

- We combine the learned grasp diffusion model with heuristic costs(obstacle avoidance, joint limits...) and generate trajectories to solve complex pick and place tasks



Learning smooth cost functions for complex tasks



An Thai Georgia Julen
Lee Chalvatzaki Urain

- We apply similar approaches to learn more complex behaviours such as pouring and combine it with additional cost functions



2. Inductive Bias

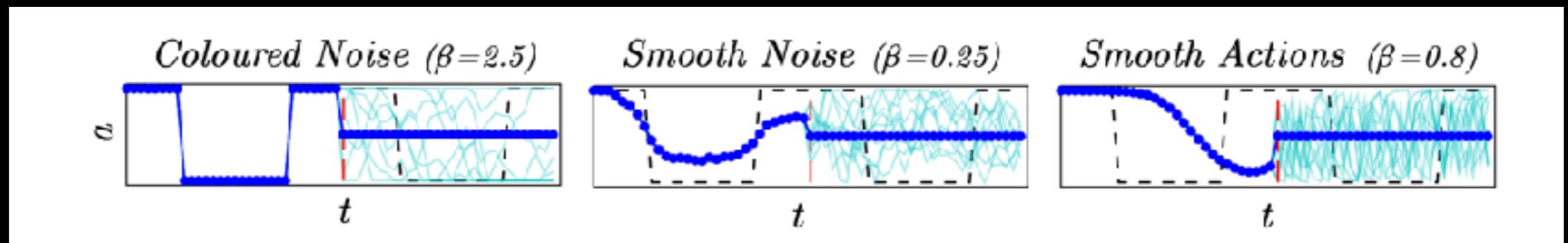
Temporal smoothness of
action sequences

Inferring smooth control



Joe
Watson

- Every good roboticist knows that robots like **smooth actions**, but this is hard to achieve in settings such as **sample-based model predictive control**.
- How can we achieve this?
 - **Filter** the actions — introduces delay!
 - Sample **smoothed** noise — won't preserve smoothness!
 - Movement **primitives** — requires handcrafted features!



Watson, J; Peters, J. (2022).

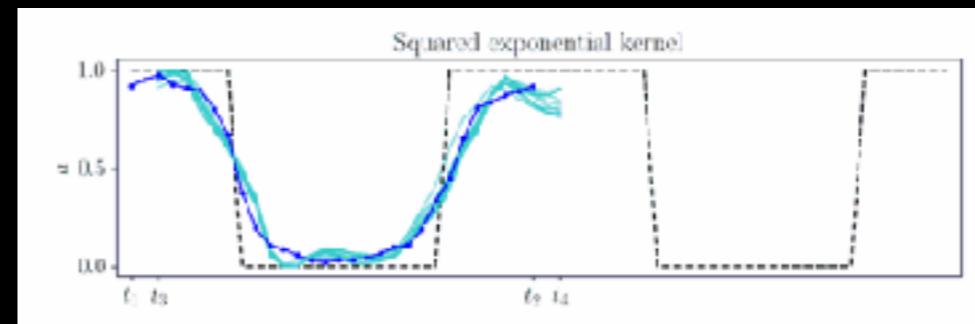
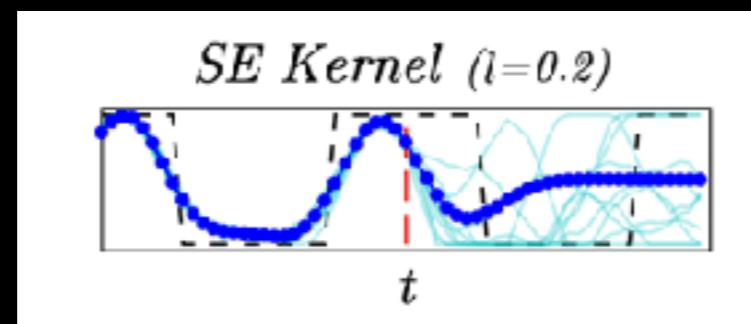
Inferring smooth control: Monte Carlo Posterior Policy Iteration with Gaussian Processes (CoRL) [oral].

Inferring smooth control



Joe
Watson

- When using REPS, our update looks like a Bayesian posterior $q(\theta) \propto \exp(\alpha R(\theta)) p(\theta)$, which we call a ‘pseudo’-posterior
- In the context of MPC, we are optimising an open-loop action sequence $A = [a_1, a_2, a_3, \dots]$
- To encode smoothness we can design a continuous-time Gaussian process (GP) prior, $p(a | t) = \text{GP}(\mu(t), \Sigma(t))$
- REPS-style optimization can be implemented as inference on the GP, with Kalman filter-like updates each time step



Watson, J; Peters, J. (2022).

Inferring smooth control: Monte Carlo Posterior Policy Iteration with Gaussian Processes (CoRL) [oral].



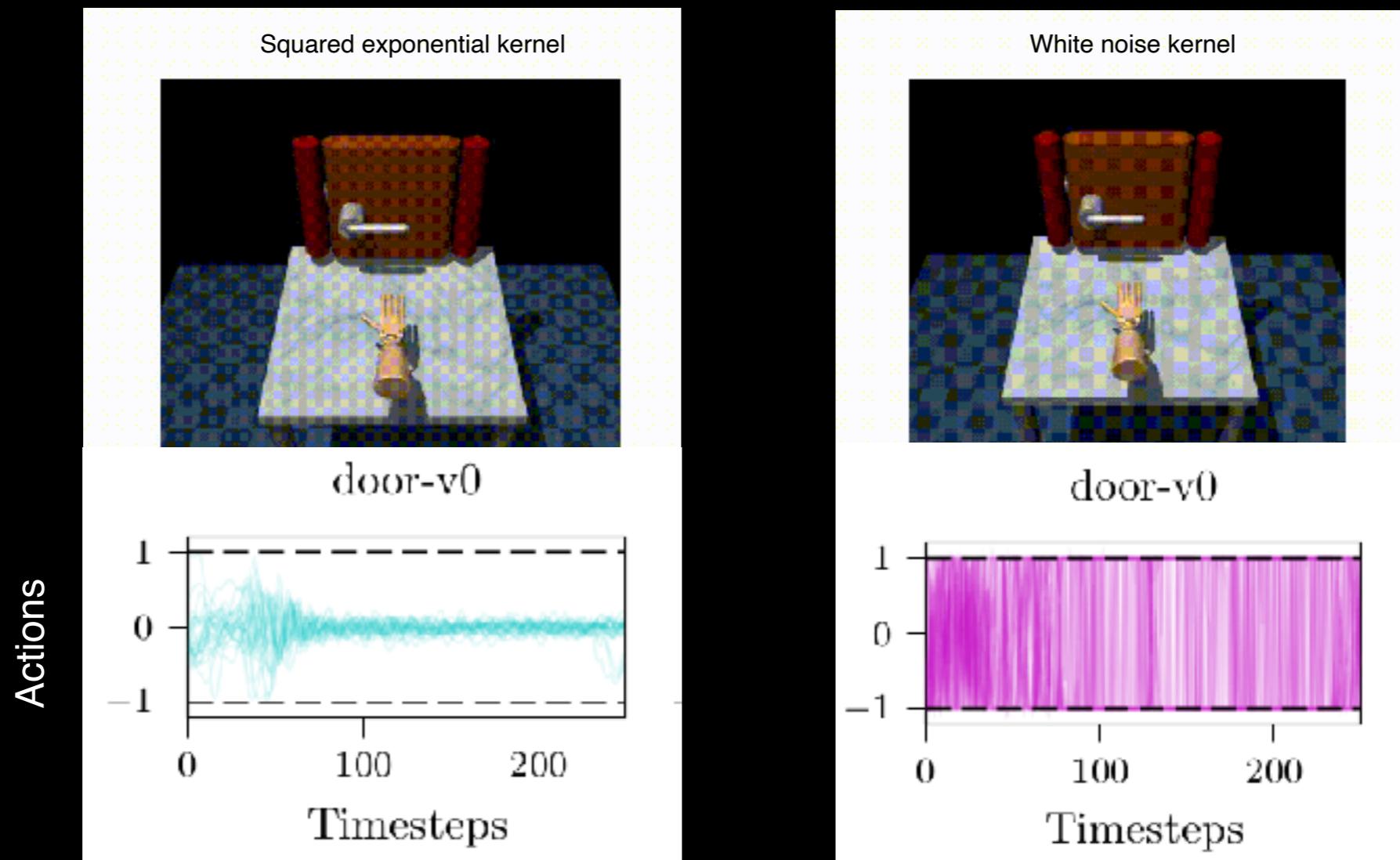
TECHNISCHE
UNIVERSITÄT
DARMSTADT

Inferring smooth control



Joe
Watson

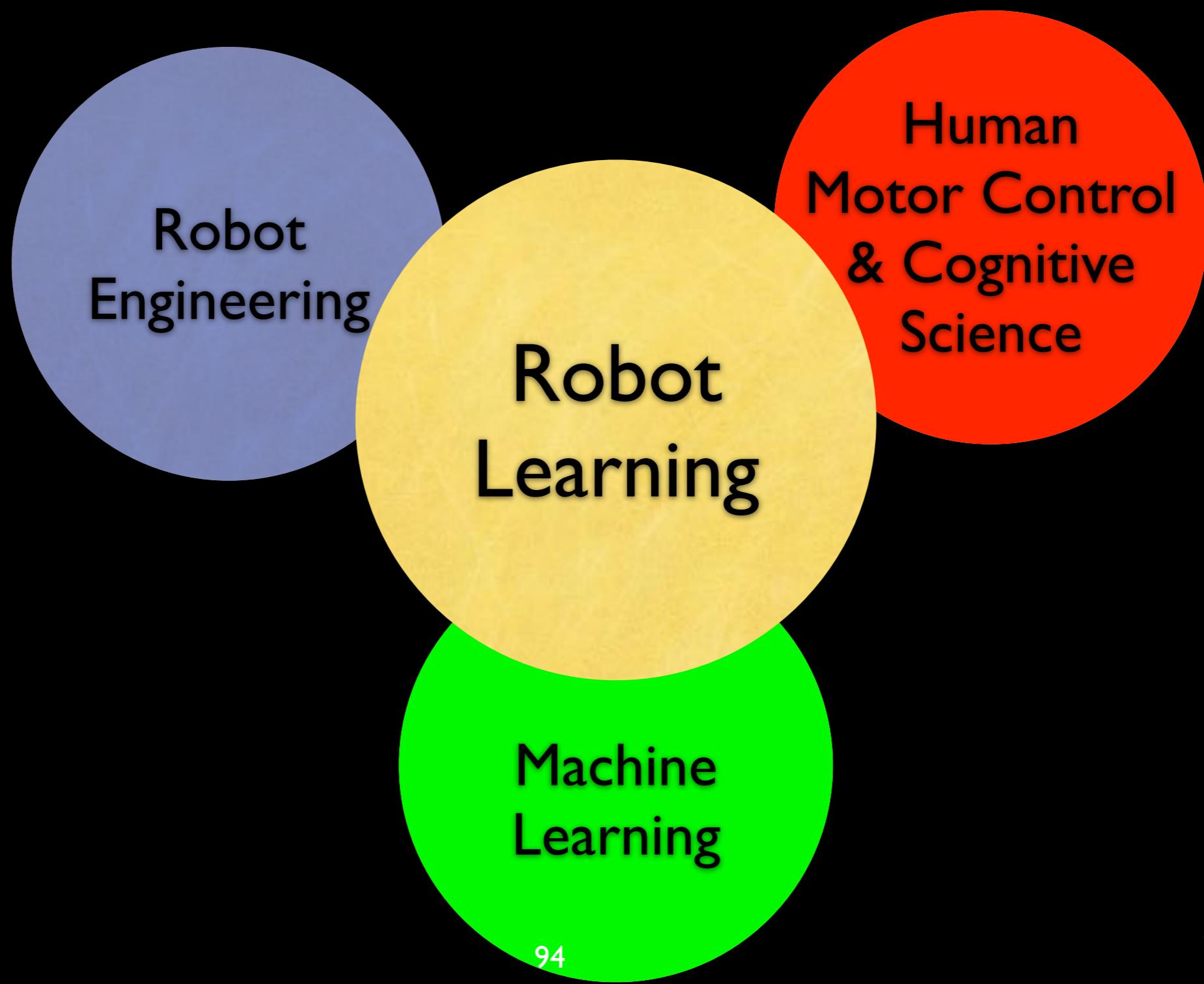
- This approach scales to high-dimensional MPC and dramatically changes the solution



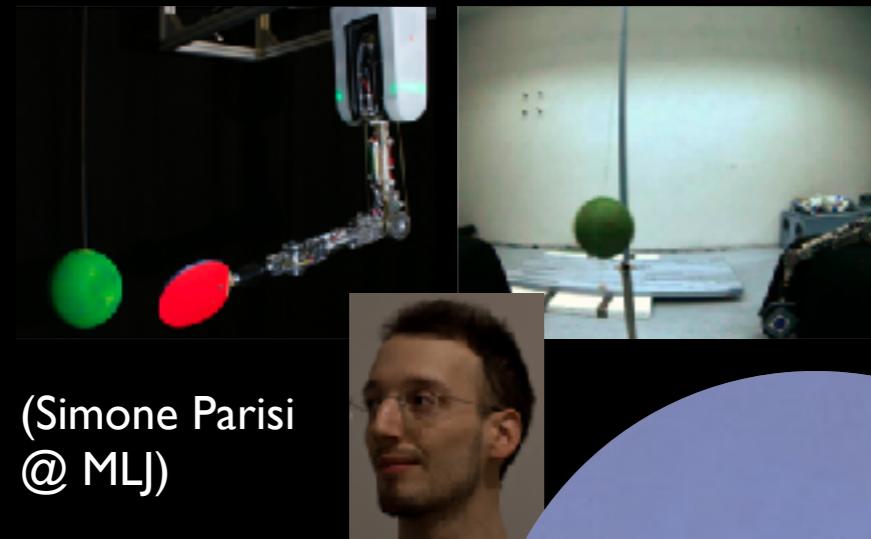
Watson, J; Peters, J. (2022).

Inferring smooth control: Monte Carlo Posterior Policy Iteration with Gaussian Processes (CoRL) [oral].

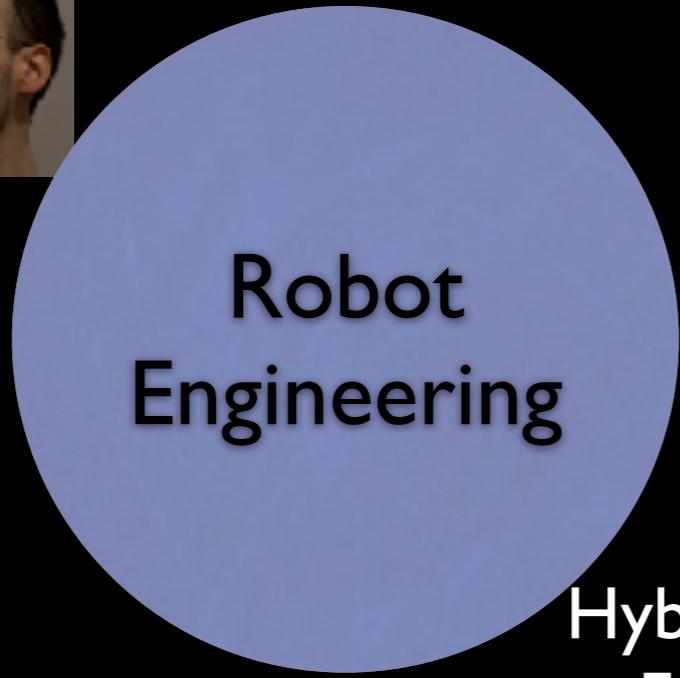
Outlook



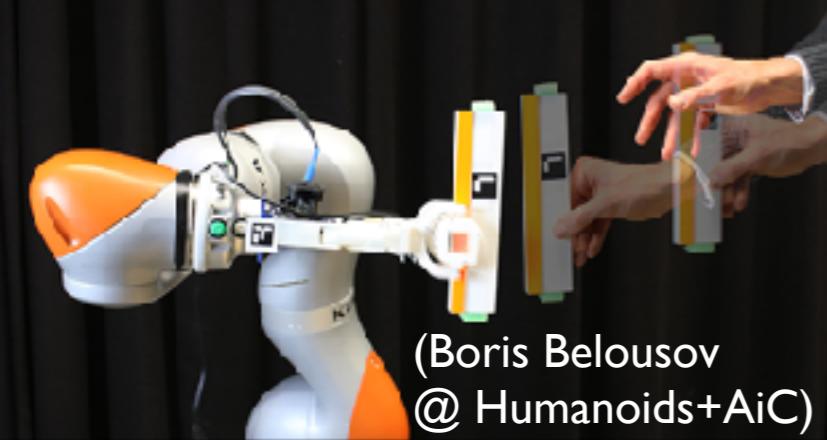
Learning State Representations for Robotics



(Simone Parisi
@ MLJ)

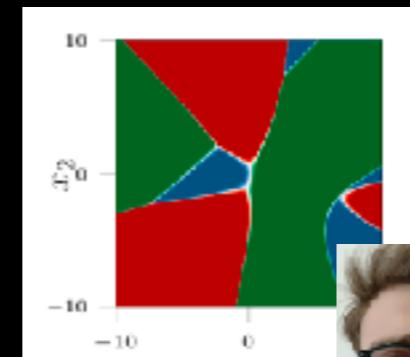


Tactile Skill Libraries



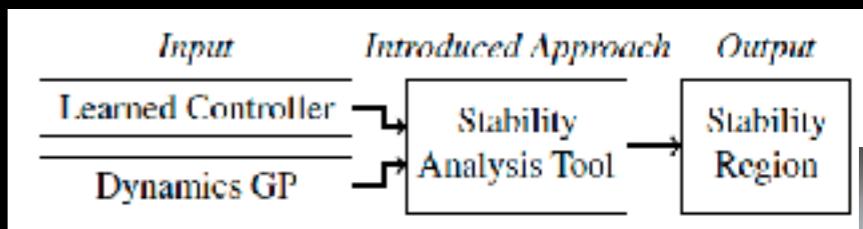
(Boris Belousov
@ Humanoids+AiC)

(Hany Abdulsamad
@ LCNS)



95

Automated Stability Proofs



(Julia Vinogradskaya @ ICML+JMLR)



Self-Paced Robot Reinforcement Learning

SELF-PACED CONTEXTUAL REINFORCEMENT LEARNING (SPRL)

Pascal Klink, Hany Abdulsamad, Boris Belousov, Jan Peters
Intelligent Autonomous Systems, TUM Darmstadt

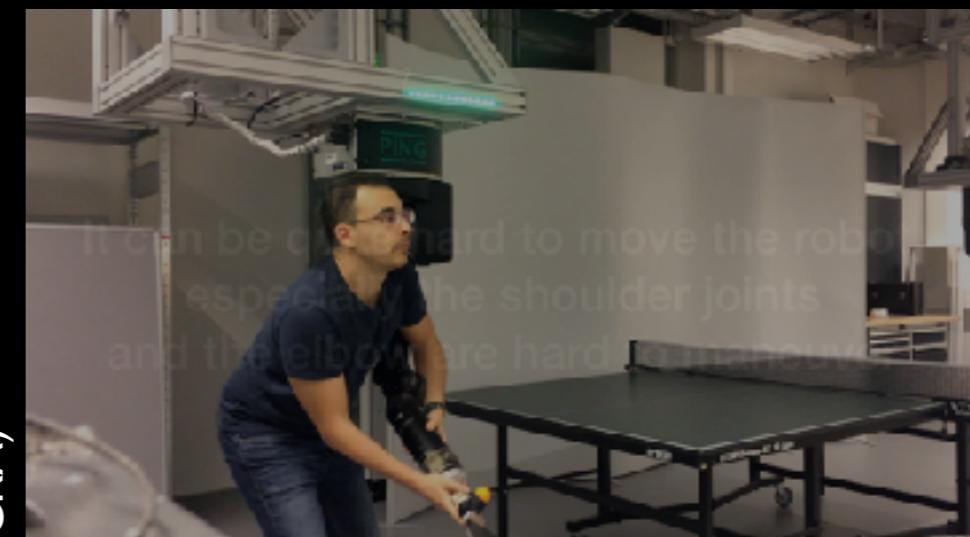
SPARSE BALL-IN-A-CUP TASK



(Pascal Klink @ CoRL+NeurIPS)

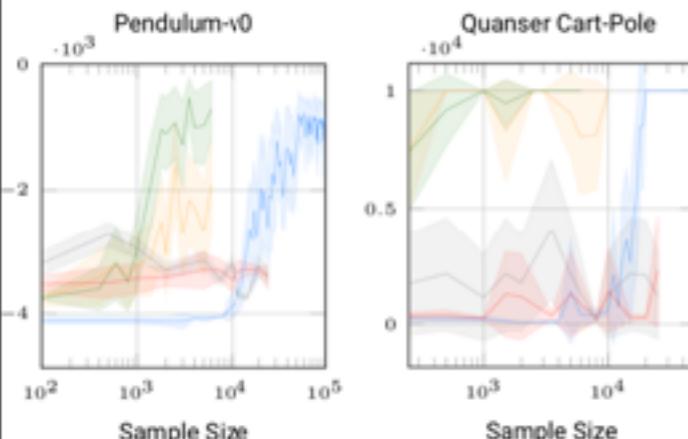
Inferring Hybrid Control From Data

(Learning) Control for Table Tennis



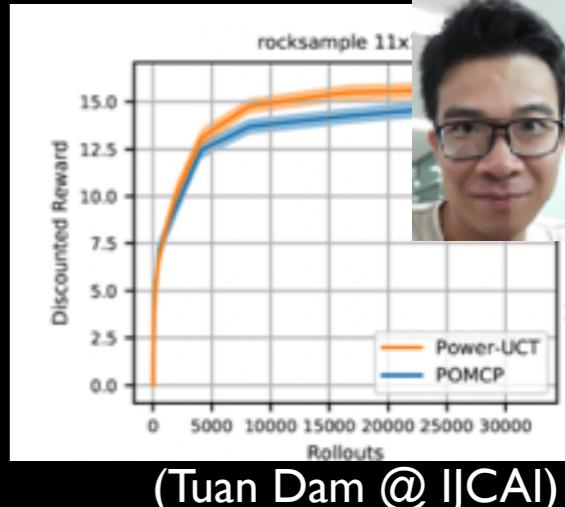
Okan Koç @ R-AL/
ICRA)

Sample Efficient Off-Policy Gradients



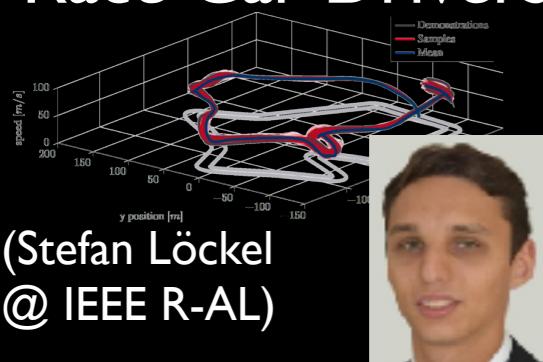
(Samuele Tosatto @ AIStats+PAMI)

Generalized Mean Estimation with MCTS



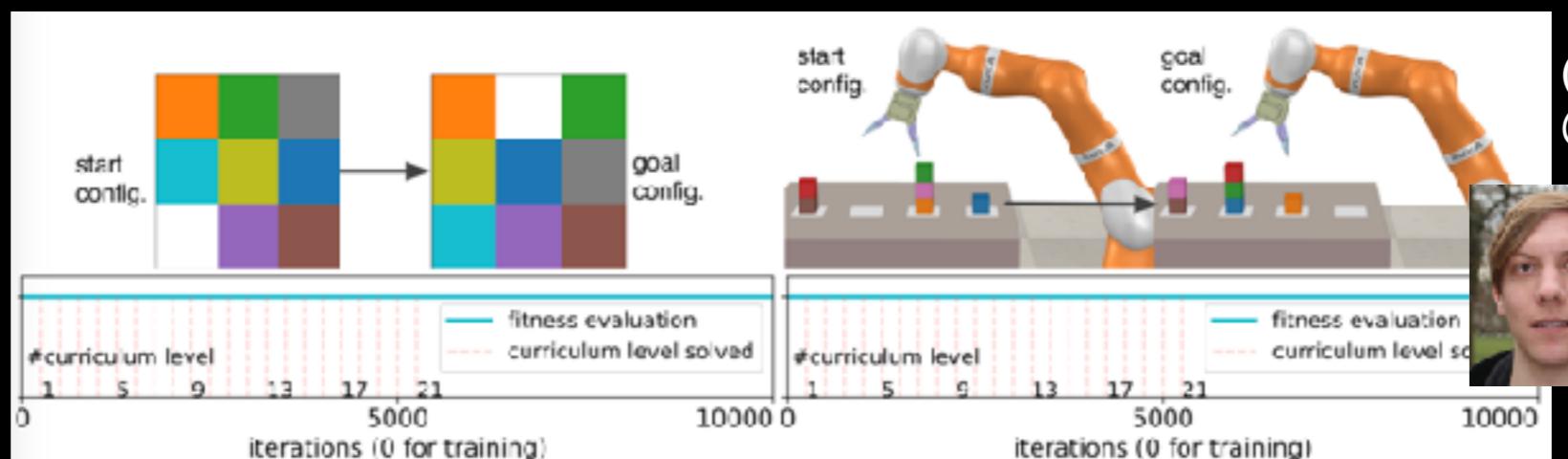
(Tuan Dam @ IJCAI)

Imitation of Race Car Drivers



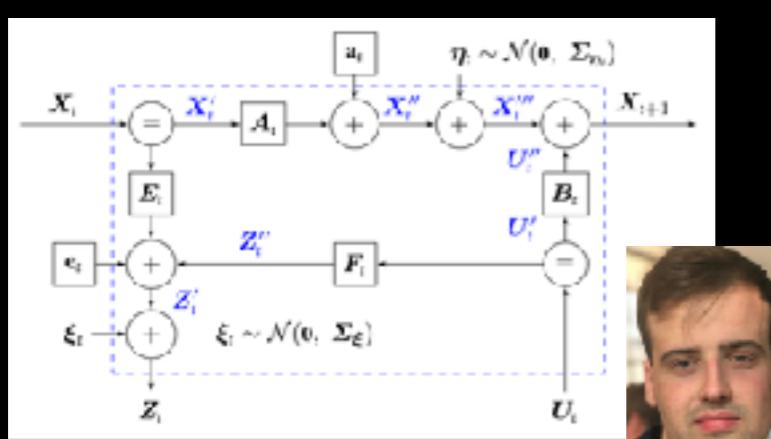
(Stefan Löckel
@ IEEE R-AL)

Learning Abstract Strategies independent of the Task Domain



(Daniel Tanneberg
@ Nature MI)

Stochastic Optimal Control by Approximate Input Inference

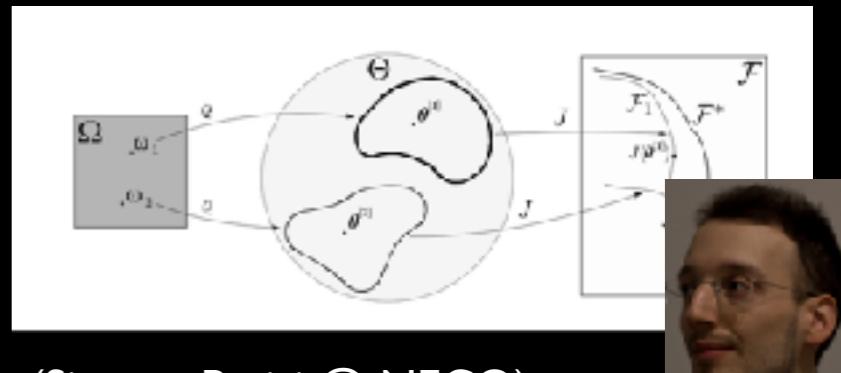


(Joe Watson @ CoRL 2019)

Machine Learning

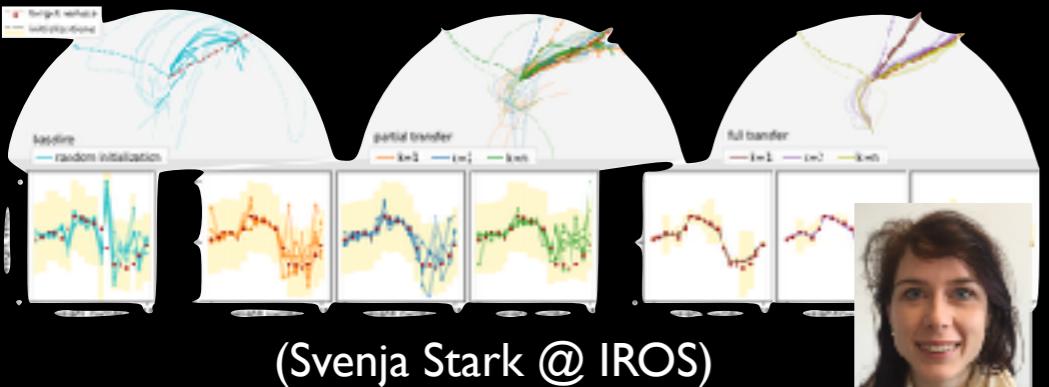
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Multi-Objective Reinforcement Learning

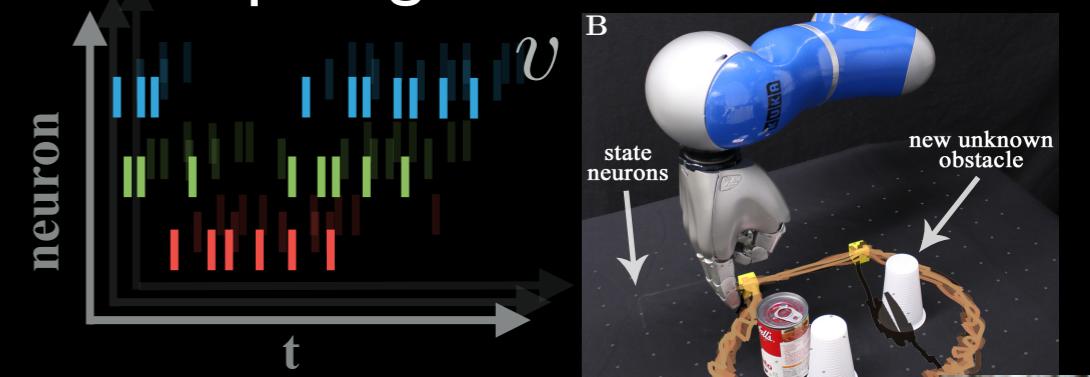


(Simone Parisi @ NECO)

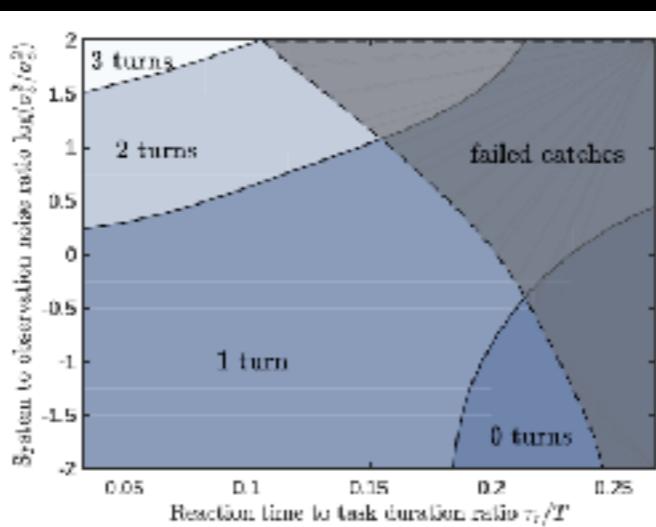
Human-like Experience Reuse



Spiking Neural Models



Human Ball Catching

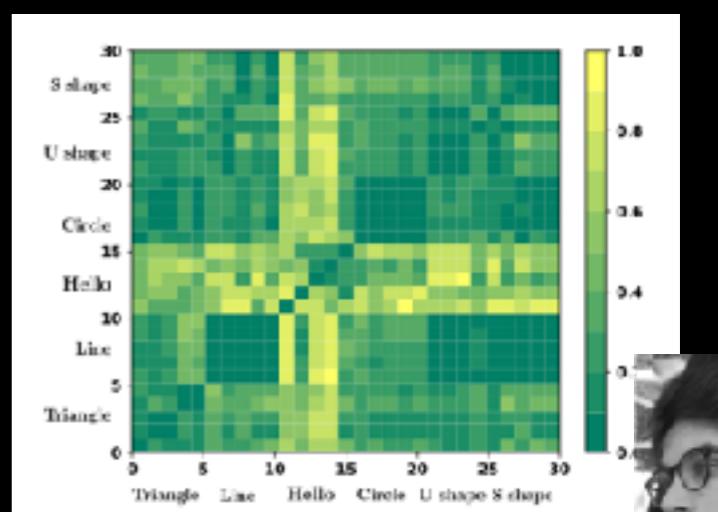


Human Intent Prediction



Human
Motor Control
& Cognitive
Science

Trajectory Similarity Measures



Robot Juggling

Thanks for
your
Attention!



Thanks for
your
Attention!

Robot
Beer Pong



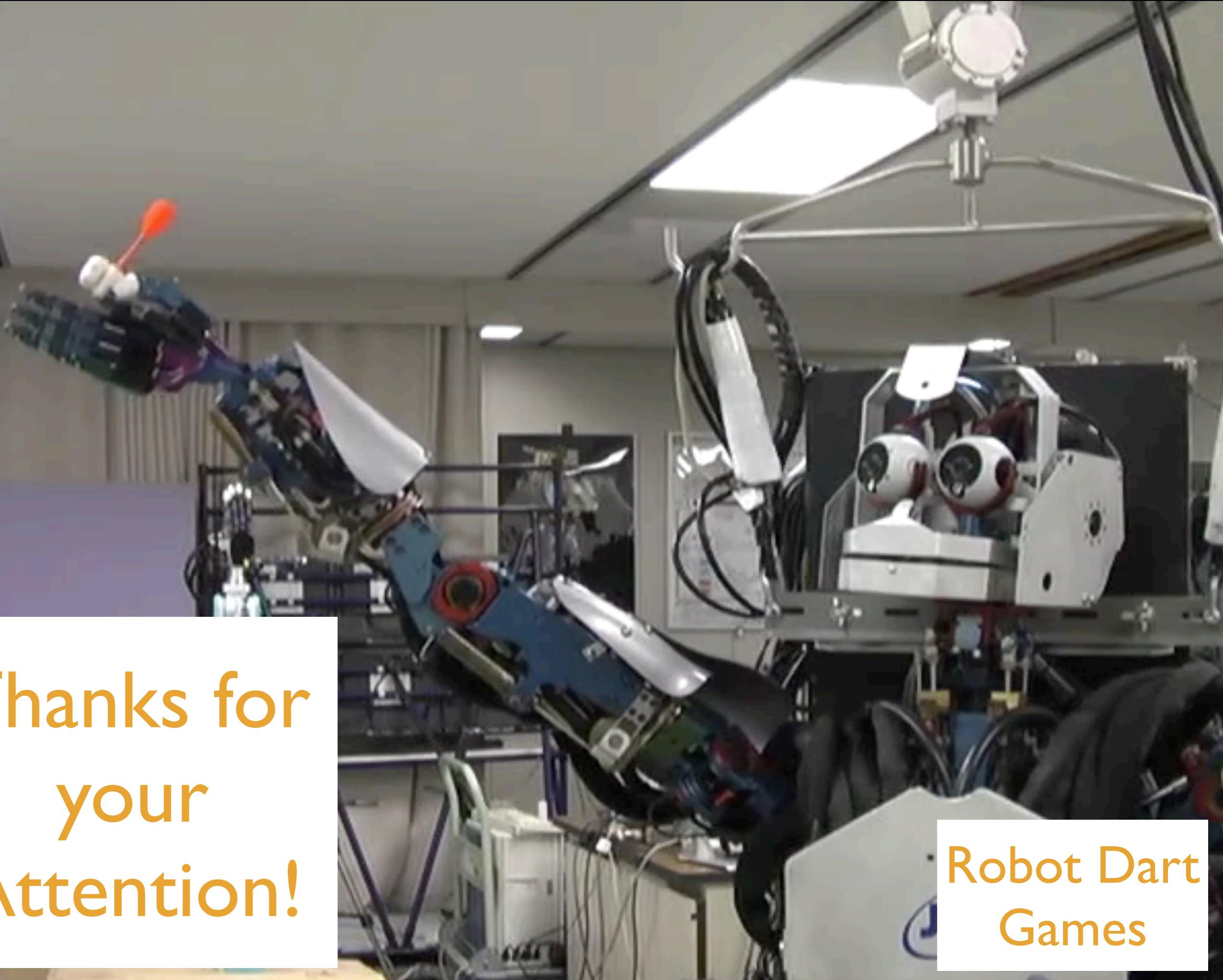
Thanks for your Attention!



Robot Coffee
Making

Thanks for
your
Attention!

Robot Dart
Games

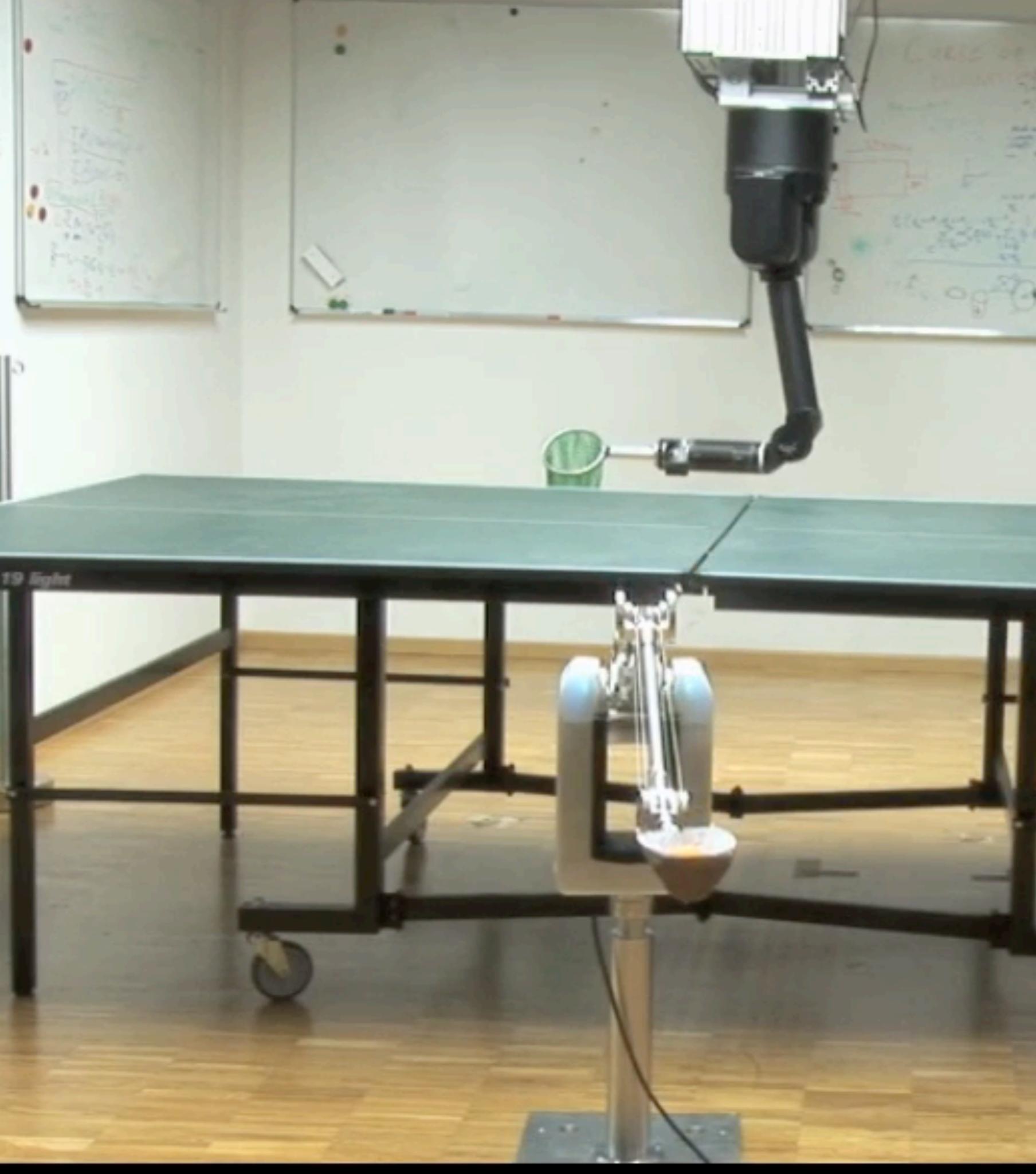


Changing a Light-Bulb



Thanks for your Attention!

Cooperative Throwing and Catching



Thanks for
your
Attention!

Thanks for your Attention!

Demonstration of Pouring

**Robot
Pouring**

Robot Juggling

Thanks for
your
Attention!



Thanks for
your
Attention!

Robot
Beer Pong



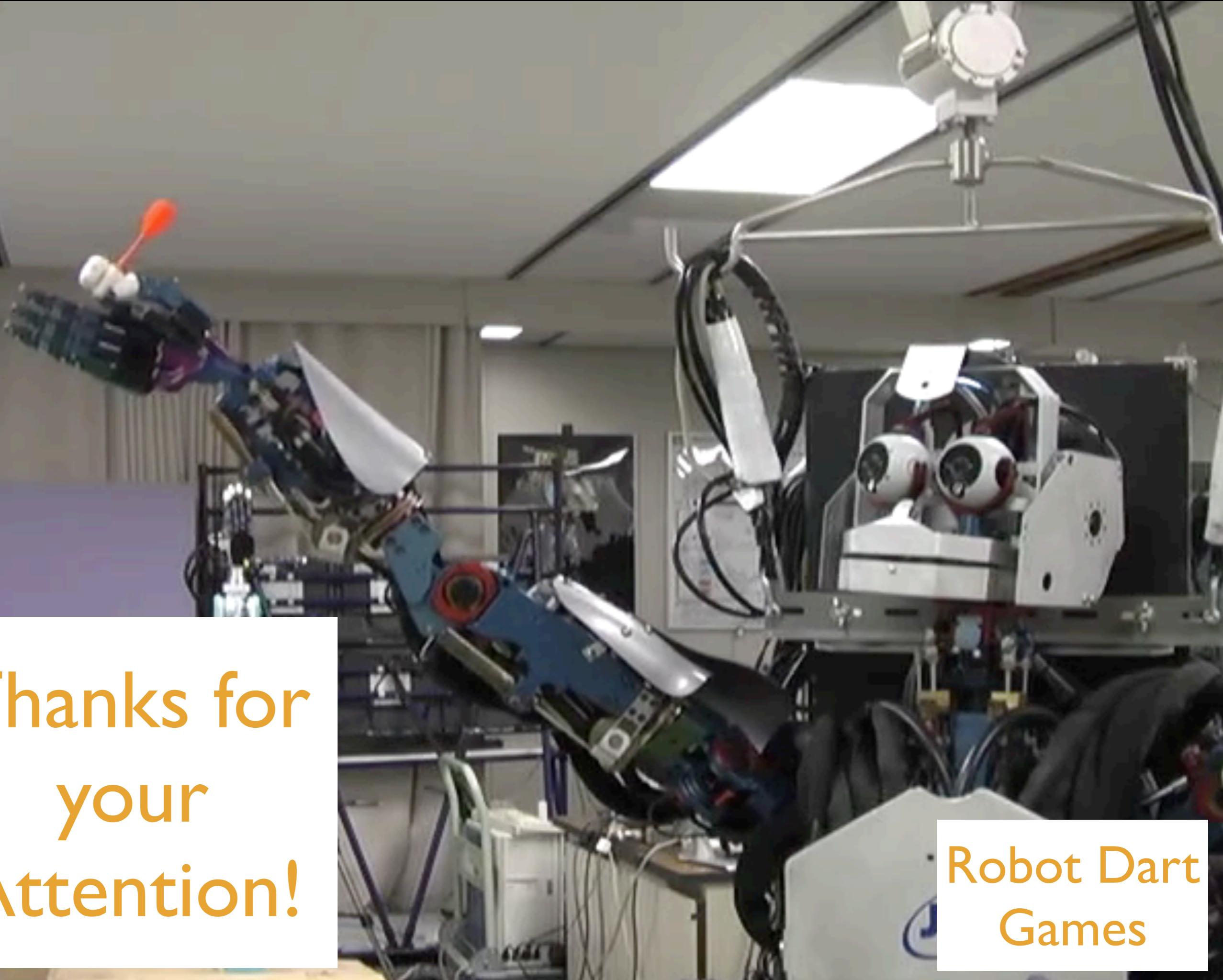
Thanks for your Attention!



Robot Coffee
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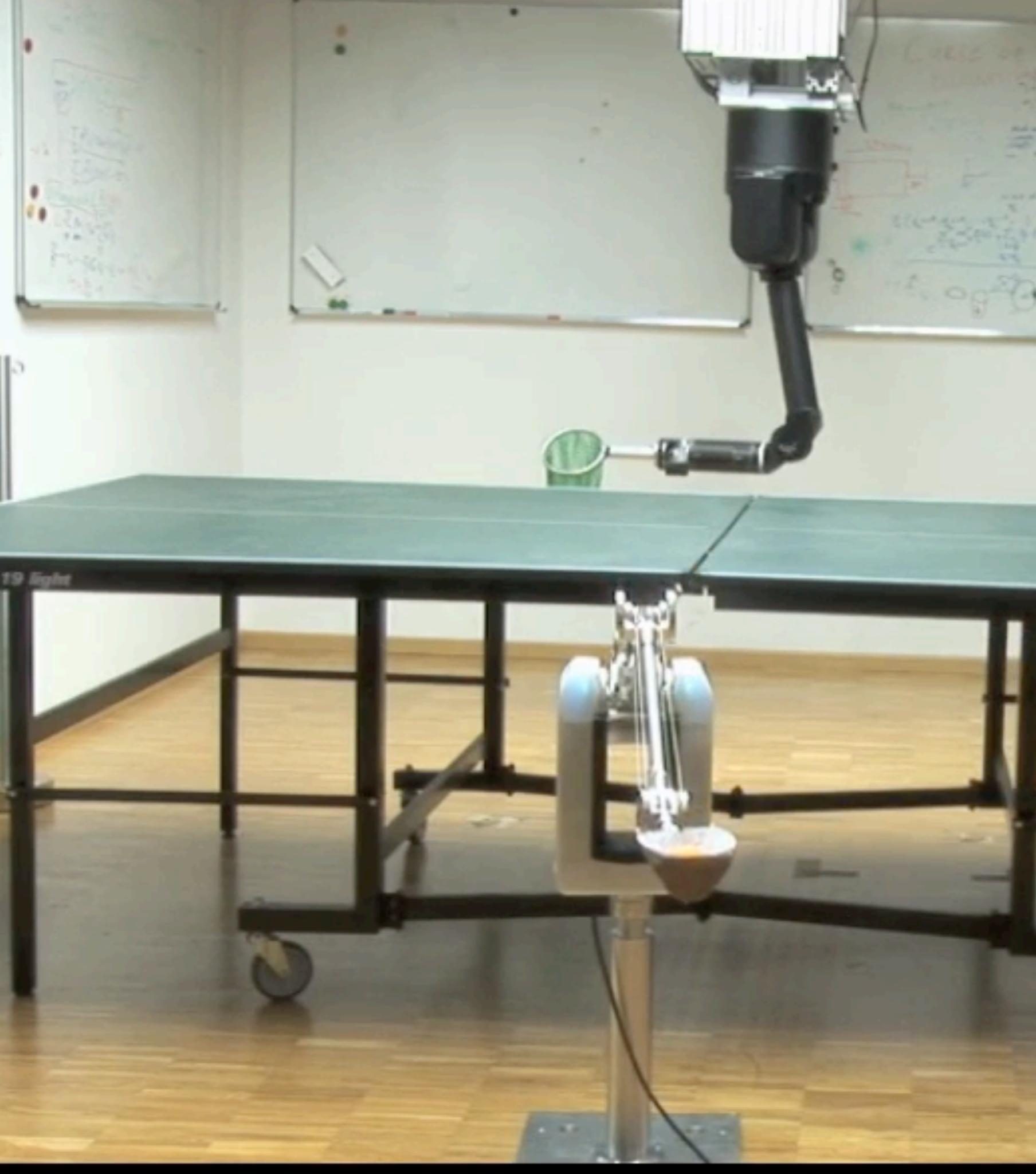


Changing a Light-Bulb



Thanks for your Attention!

Cooperative Throwing and Catching



Thanks for
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Attention!

Thanks for your Attention!

Demonstration of Pouring

**Robot
Pouring**