```
import numpy as np
import matplotlib.pyplot as plt
"""
```

This code was originally written for CS 231n at Stanford University (cs231n.stanford.edu). It has been modified in various areas for use in the ECE 239AS class at UCLA. This includes the descriptions of what code to implement as well as some slight potential changes in variable names to be consistent with class nomenclature. We thank Justin Johnson & Serena Yeung for permission to use this code. To see the original version, please visit cs231n.stanford.edu.

## class TwoLayerNet(object):

A two-layer fully-connected neural network. The net has an input dimension of N, a hidden layer dimension of H, and performs classification over C classes. We train the network with a softmax loss function and L2 regularization on the weight matrices. The network uses a ReLU nonlinearity after the first fully connected layer.

In other words, the network has the following architecture:

W1: First layer weights; has shape (H, D)

input - fully connected layer - ReLU - fully connected layer - softmax

The outputs of the second fully-connected layer are the scores for each class.

```
def __init__(self, input_size, hidden_size, output_size, std=1e-4):
```

Initialize the model. Weights are initialized to small random values and biases are initialized to zero. Weights and biases are stored in the variable self.params, which is a dictionary with the following keys:

```
b1: First layer biases; has shape (H,)
W2: Second layer weights; has shape (C, H)
b2: Second layer biases; has shape (C,)

Inputs:
    input_size: The dimension D of the input data.
    hidden_size: The number of neurons H in the hidden layer.
    output_size: The number of classes C.
"""

self.params = {}
self.params['W1'] = std * np.random.randn(hidden_size, input_size)
self.params['b1'] = np.zeros(hidden_size)
self.params['W2'] = std * np.random.randn(output_size, hidden_size)
self.params['W2'] = np.zeros(output_size)

def loss(self, X, y=None, reg=0.0):
```

Compute the loss and gradients for a two layer fully connected neural network.

Inputs:

```
- X: Input data of shape (N, D). Each X[i] is a training sample.
```

- y: Vector of training labels. y[i] is the label for X[i], and each y[i] is an integer in the range 0 <= y[i] < C. This parameter is optional; if it is not passed then we only return scores, and if it is passed then we instead return the loss and gradients.
- reg: Regularization strength.

## Returns:

If y is None, return a matrix scores of shape (N, C) where scores[i, c] is the score for class c on input X[i].

If y is not None, instead return a tuple of:

- loss: Loss (data loss and regularization loss) for this batch of training samples.
- grads: Dictionary mapping parameter names to gradients of those parameters with respect to the loss function; has the same keys as self.params.

```
# Unpack variables from the params dictionary
W1, b1 = self.params['W1'], self.params['b1']
W2, b2 = self.params['W2'], self.params['b2']
N, D = X.shape
```

# Compute the forward pass
scores = None

# ======== # # END YOUR CODE HERE

# If the targets are not given then jump out, we're done
if y is None:
 return scores

# Compute the loss

# Compute the loss loss = None

# ----- # WOUR CORE HERE:

# YOUR CODE HERE:

- # Calculate the loss of the neural network. This includes the # softmax loss and the L2 regularization for W1 and W2. Store the
- # total loss in teh variable loss. Multiply the regularization
- # loss by 0.5 (in addition to the factor reg).

```
reg loss = 0.5 *(np.linalg.norm(W1)**2 + np.linalg.norm(W2)**2)
 softmax_loss = np.mean(-np.log(np.exp(scores[np.arange(N),y])/np.sum(np.exp(scores),1)))
 loss = softmax loss + reg*reg loss
 # scores is num examples by num classes
 # END YOUR CODE HERE
 grads = \{\}
 # ----- #
 # YOUR CODE HERE:
   Implement the backward pass. Compute the derivatives of the
    weights and the biases. Store the results in the grads
    dictionary. e.g., grads['W1'] should store the gradient for
   W1, and be of the same size as W1.
 Z = np.exp(scores)/np.sum(np.exp(scores),1)[:,np.newaxis]
 dLdz = np.copy(Z)
 dLdz[np.arange(N),y] = dLdz[np.arange(N),y] - 1
 dLdb2 = np.mean(dLdz,0).T
 dLdW2 = 1/N * np.matmul(dLdz.T,l1.T)
 dLdb1 = np.mean((n1>0)*np.matmul(W2.T,dLdz.T),1)
 dLdW1 = 1/N * np.matmul((n1>0)*np.matmul(W2.T,dLdz.T),X)
 grads['W1'] = dLdW1 + 0.5*reg*2*W1
 grads['W2'] = dLdW2 + 0.5*reg*2*W2
 grads['b1'] = dLdb1
 grads['b2'] = dLdb2
 pass
 # =========== #
 # END YOUR CODE HERE
 # ----- #
 return loss, grads
def train(self, X, y, X_val, y_val,
        learning rate=1e-3, learning rate decay=0.95,
        reg=1e-5, num iters=100,
        batch size=200, verbose=False):
 Train this neural network using stochastic gradient descent.
 Inputs:
 - X: A numpy array of shape (N, D) giving training data.
 - y: A numpy array f shape (N,) giving training labels; y[i] = c means that
   X[i] has label c, where 0 <= c < C.
 - X val: A numpy array of shape (N val, D) giving validation data.
 - y_val: A numpy array of shape (N_val,) giving validation labels.
 - learning_rate: Scalar giving learning rate for optimization.
 - learning_rate_decay: Scalar giving factor used to decay the learning rate
   after each epoch.
 - reg: Scalar giving regularization strength.
```

```
- num iters: Number of steps to take when optimizing.
- batch size: Number of training examples to use per step.
- verbose: boolean; if true print progress during optimization.
num train = X.shape[0]
iterations_per_epoch = max(num_train / batch_size, 1)
# Use SGD to optimize the parameters in self.model
loss history = []
train acc history = []
val_acc_history = []
for it in np.arange(num iters):
 X batch = None
 y_batch = None
 # YOUR CODE HERE:
     Create a minibatch by sampling batch size samples randomly.
 # ----- #
 idx batch = np.random.choice(num train,batch size)
 X_batch = X[idx_batch,:]
 y_batch = y[idx_batch]
 pass
 # ------ #
 # END YOUR CODE HERE
 # Compute loss and gradients using the current minibatch
 loss, grads = self.loss(X_batch, y=y_batch, reg=reg)
 loss_history.append(loss)
 # YOUR CODE HERE:
     Perform a gradient descent step using the minibatch to update
     all parameters (i.e., W1, W2, b1, and b2).
 self.params['W1'] -= learning rate*grads['W1']
 self.params['W2'] -= learning_rate*grads['W2']
 self.params['b1'] -= learning_rate*grads['b1']
 self.params['b2'] -= learning rate*grads['b2']
 pass
 # END YOUR CODE HERE
 # ------ #
 if verbose and it % 100 == 0:
   print('iteration {} / {}: loss {}'.format(it, num_iters, loss))
 # Every epoch, check train and val accuracy and decay learning rate.
 if it % iterations_per_epoch == 0:
  # Check accuracy
  train_acc = (self.predict(X_batch) == y_batch).mean()
   val_acc = (self.predict(X_val) == y_val).mean()
```

```
train acc history.append(train acc)
    val acc history.append(val acc)
    # Decay learning rate
    learning_rate *= learning_rate_decay
 return {
   'loss history': loss history,
   'train_acc_history': train_acc_history,
   'val_acc_history': val_acc_history,
 }
def predict(self, X):
 Use the trained weights of this two-layer network to predict labels for
 data points. For each data point we predict scores for each of the C
 classes, and assign each data point to the class with the highest score.
 Inputs:
 - X: A numpy array of shape (N, D) giving N D-dimensional data points to
   classify.
 Returns:
 - y_pred: A numpy array of shape (N,) giving predicted labels for each of
   the elements of X. For all i, y pred[i] = c means that X[i] is predicted
   to have class c, where 0 <= c < C.
 y_pred = None
 # ----- #
 # YOUR CODE HERE:
 # Predict the class given the input data.
 # ----- #
 n1 = np.matmul(self.params['W1'],X.T) + self.params['b1'][:,np.newaxis]
 11 = np.clip(n1,a_min=0,a_max=float('inf'))
 12 = np.matmul(self.params['W2'],11) + self.params['b2'][:,np.newaxis]
 y_pred = np.argmax(12,0)
 pass
 # ----- #
 # END YOUR CODE HERE
 return y_pred
```