

Unconditional (Information-theoretic)

Conditional (Computational)

... security

An **adversary** with **no restrictions** (unbounded computational resources - time, memory) **cannot break the scheme**.

An **adversary** with **computational restrictions** (bounded time, memory) **can break the scheme** with **some (negligible) probability**.

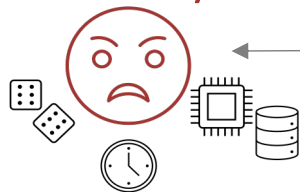
Stands against brute force



Good in theory, poor in practice



Adversary \mathcal{A}



Cryptographic scheme



Suitable for practice



Weaker than unconditional security

A cryptographic construction satisfies **computational security** if any adversary \mathcal{A} that runs the attack in a time $t(n)$ succeeds the attack with probability at most $\epsilon(n)$; t and ϵ are functions of a **computational security parameter** n .

Statistical Security

A cryptographic construction satisfies $\epsilon(\lambda)$ **statistical security** if any unbounded adversary \mathcal{A} succeeds the attack with probability at most $\epsilon(\lambda)$; ϵ is function of a **statistical security parameter** λ .

- Introduces a *small* advantage $\epsilon(\lambda)$ wrt the *a-priori* probability of winning



Statistical and computational security are both **relaxations** of information-theoretical security.

PPT (Probabilistic Polynomial Time) Adversary

- $t(n)$ is **polynomial** in n
- $\epsilon(n)$ is **negligible** in n

Negligibility:

$\forall p(n), \exists n_d$ such that $\forall n \geq n_d$ it holds $\epsilon(n) < 1/p(n)$
 $p(n) = n^d$ and d constant

Examples:



$1/2, 1/n^{100}$



$1/2^n, p(n)/2^n$