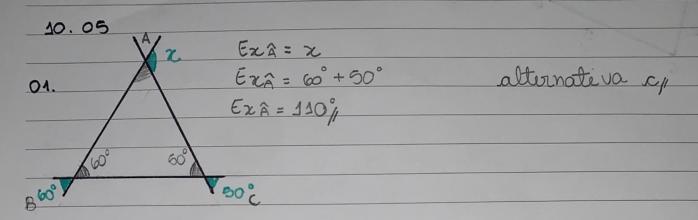
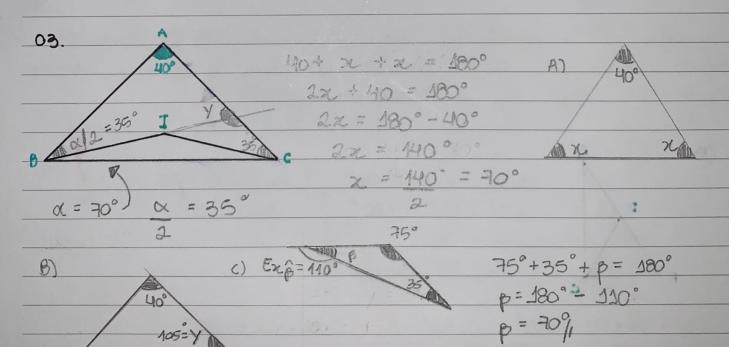
Extercicios geometrias



02.
$$3x + 4x + 5x = 180^{\circ}$$
 $12x = 180^{\circ}$
 $12 + 15$
 $12x = 160^{\circ}$
 $12 + 15$
 $12 + 160^{\circ}$
 $12 + 160^{\circ}$

alternativa ep



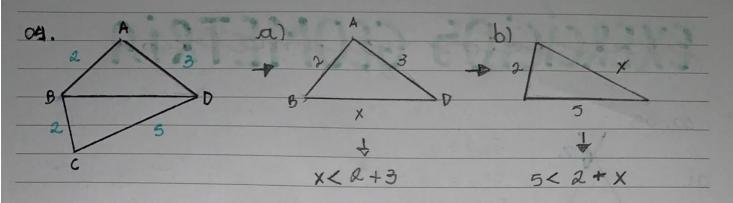
$$E \times \hat{y} = 75$$

$$40^{\circ} + 35^{\circ} + y = 180^{\circ}$$

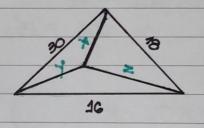
 $y = 180^{\circ} - 75^{\circ} = 105^{\circ}$

alternativa d/





usando a condição de existência dos triângulos e analisando as alturatevas, a única que se en caixaria no exemplo a), seria a alternativa ef



usando a condição de existência dos triângulos e analisando as alternativas, a unica que é maior que 32 seria a alternativa e/=33

00. A		
4	130 + x + x = 180°	Ex 2 = 25 + 25
D	22 = 180° - 130°	Exd = 50°
30	22 = 50	
y 08	x = 25%	
C	//	

$$y + 50 + 90 = 180^{\circ}$$
 $C = 90^{\circ} + 25^{\circ}$ $B = 40^{\circ}$
 $y = 40^{\circ}$ $C = 115^{\circ}$ $C = 115^{\circ}$ $C = 115^{\circ}$

__/__/_

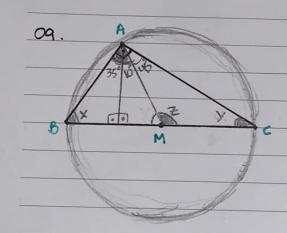
07.	
105° + 20° + x = 180°	$105^{\circ} + y = 180^{\circ}$
7C = 180° - 125°	y = 180° - 105°
2 = 55%	Y= 75%
	, //

$$75^{\circ} + 75^{\circ} \neq z = 180^{\circ} \quad \hat{z} = 75^{\circ} + 55^{\circ}$$

$$z = 180^{\circ} = 150^{\circ} \quad \hat{z} = 130^{\circ},$$

$$z = 30^{\circ}, = 20^{\circ}, = 20^{\circ},$$

$$z = 30^{\circ}, = 20^{\circ},$$



$$35^{\circ} + 90^{\circ} + \chi = 180^{\circ}$$
 $7 = 10^{\circ} + 90^{\circ}$ $7 = 100^{\circ}$ $7 = 55^{\circ}$