

## Example p. 21 / Beispiel S. 21

FK

automatic

### Working directory

```
> setwd("D:/kronthafranz/Documents/01Lehre/06Quantitative Forschungsmethoden  
dt en")
```

### Load data

```
> load("D:/kronthafranz/Documents/01Lehre/06Quantitative Forschungsmethoden  
dt en/05ANOVA/production.RData")
```

### Define factor

```
> production <- within(production, {  
+   f_method <- as.factor(method)  
+ })
```

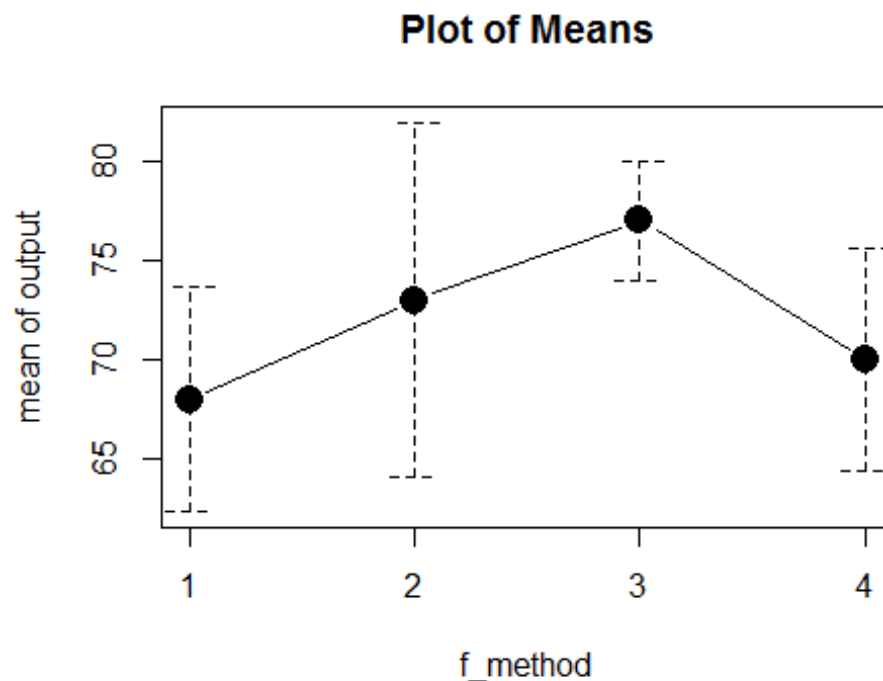
### Descriptive statistics

```
> library(abind, pos=15)  
> library(e1071, pos=16)  
> numSummary(production[, "output", drop=FALSE], groups=production$f_method,  
+   statistics=c("mean", "sd", "quantiles"), quantiles=c(0,.25,.5,.75,1))
```

	mean	sd	0%	25%	50%	75%	100%	output:n
1	68	5.366563	61	65.50	67.5	69.50	77	6
2	73	8.532292	62	66.00	75.0	78.75	83	6
3	77	2.898275	73	75.25	77.0	78.75	81	6
4	70	5.329165	62	67.25	70.0	74.25	76	6

### Plot means

```
> with(production, plotMeans(output, f_method, error.bars="conf.int",  
level=0.95,  
+   connect=TRUE))
```



## Check assumptions

### Independence of observations

Matter of design of the experiment

### Equality of variance

```
> with(production, tapply(output, f_method, var, na.rm=TRUE))

 1    2    3    4
28.8 72.8  8.4 28.4

> with(production, tapply(output, f_method, var, na.rm=TRUE))

 1    2    3    4
28.8 72.8  8.4 28.4

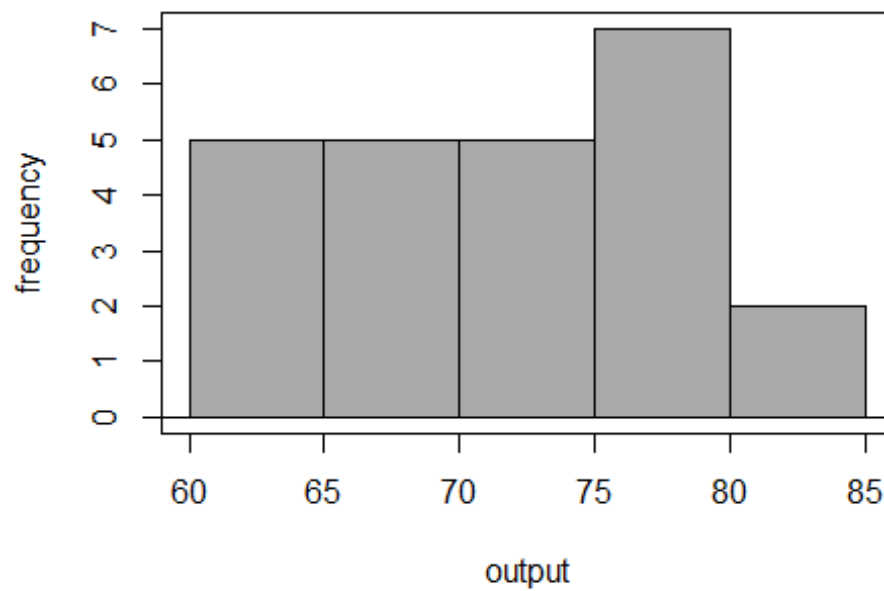
> leveneTest(output ~ f_method, data=production, center="mean")

Levene's Test for Homogeneity of Variance (center = "mean")
      Df F value Pr(>F)
group  3  2.6873  0.074 .
      20

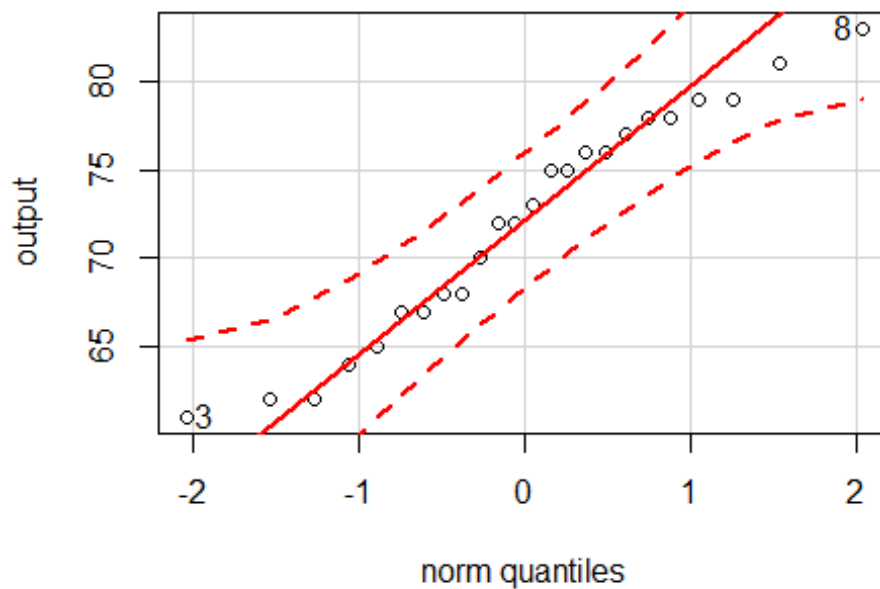
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

## Normal distribution

```
> with(production, Hist(output, scale="frequency", breaks="Sturges",  
col="darkgray"))
```



```
> with(production, qqPlot(output, dist="norm", id.method="y", id.n=2,  
+ labels=rownames(production)))
```



```
3 8
1 24
```

```
> normalityTest(~output, test="shapiro.test", data=production)
```

Shapiro-Wilk normality test

data: output

W = 0.95365, p-value = 0.3245

## ANOVA

```
> AnovaModel.1 <- aov(output ~ f_method, data=production)
```

```
> summary(AnovaModel.1)
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
f_method	3	276	92.0	2.659	0.0761 .
Residuals	20	692	34.6		

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

```
> with(production, numSummary(output, groups=f_method, statistics=c("mean",
"sd")))
```

	mean	sd	data:n
1	68	5.366563	6
2	73	8.532292	6

```
3    77 2.898275      6
4    70 5.329165      6
```

```
> TukeyHSD(AnovaModel.1)
```

```
Tukey multiple comparisons of means
 95% family-wise confidence level
```

```
Fit: aov(formula = output ~ f_method, data = production)
```

```
$f_method
      diff      lwr      upr      p adj
2-1      5 -4.5054003 14.5054 0.4717578
3-1      9 -0.5054003 18.5054 0.0674888
4-1      2 -7.5054003 11.5054 0.9342653
3-2      4 -5.5054003 13.5054 0.6472435
4-2     -3 -12.5054003  6.5054 0.8134157
4-3     -7 -16.5054003  2.5054 0.1998434
```

Interpretation:

H0 is rejected (significance level of 10%)

There is a difference in the productivity of production methods

Tukey Post Hoc shows that there is a difference between method 1 and method 3