

Linear Control - HW2

Problem 1

```
clear;clc
s = tf('s');
% zeta = 0.25 , w_n = 11.347
format long
T = tf ([202.1432],[1 5.6736 127.9387])
```

T =

$$\frac{202.1}{s^2 + 5.674 s + 127.9}$$

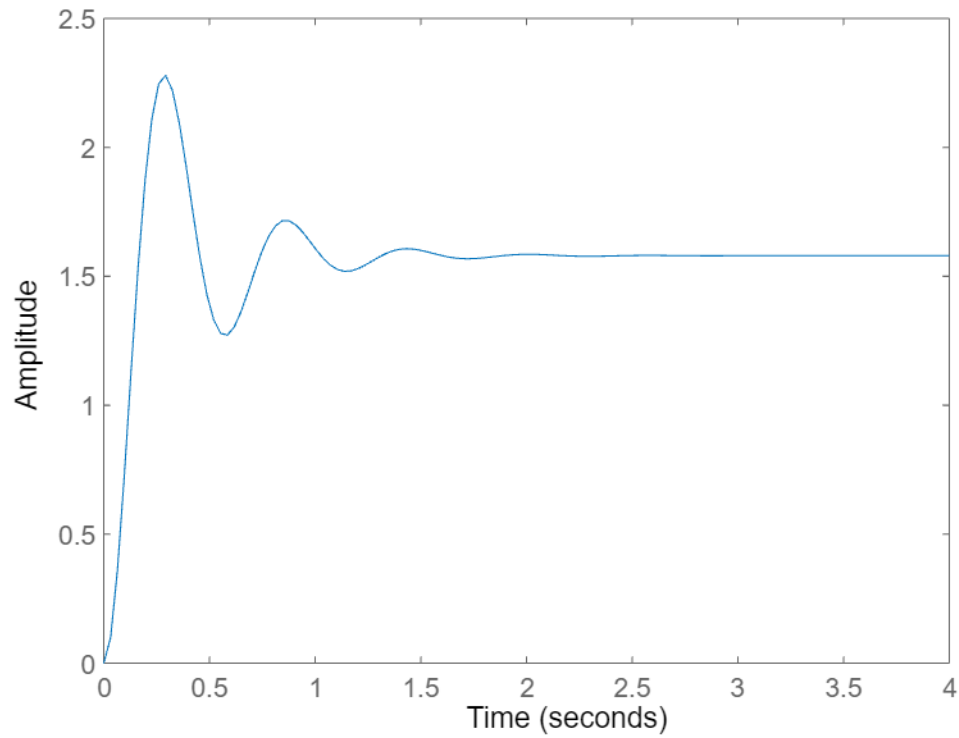
Continuous-time transfer function.
Model Properties

stepinfo(T)

```
ans = struct with fields:
    RiseTime: 0.112243410275209
    TransientTime: 1.247560512912281
    SettlingTime: 1.247560512912281
    SettlingMin: 1.270407081741653
    SettlingMax: 2.278882221361836
    Overshoot: 44.233013454890170
    Undershoot: 0
    Peak: 2.278882221361836
    PeakTime: 0.292206230075364
```

```
step (T,4);
title('Close loop response','FontSize',20);
```

Close loop response



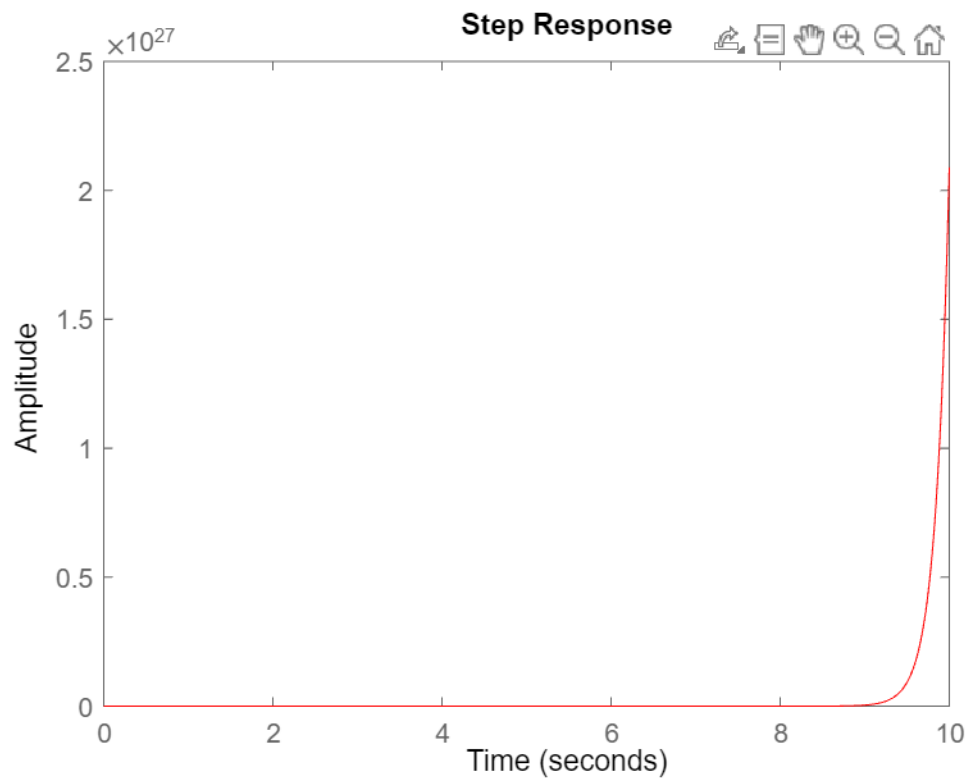
```
G = feedback(T,-1)
```

```
G =
```

```
      202.1  
-----  
s^2 + 5.674 s - 74.2
```

```
Continuous-time transfer function.  
Model Properties
```

```
step(G,'r')
```



Problem 2

```
clc;clear
s = tf('s') ;
Ka = 1 ;
Km = 0.8 ;
Ra = 2 ;
Kb = 0.5 ;
Kt = 1 ;
G = ((1)/(s+0.2)) ;
Gop = series(feedback(series(Km/Ra,G),Kb),Ka)
```

Gop =

$$\frac{0.4}{s + 0.4}$$

Continuous-time transfer function.
Model Properties

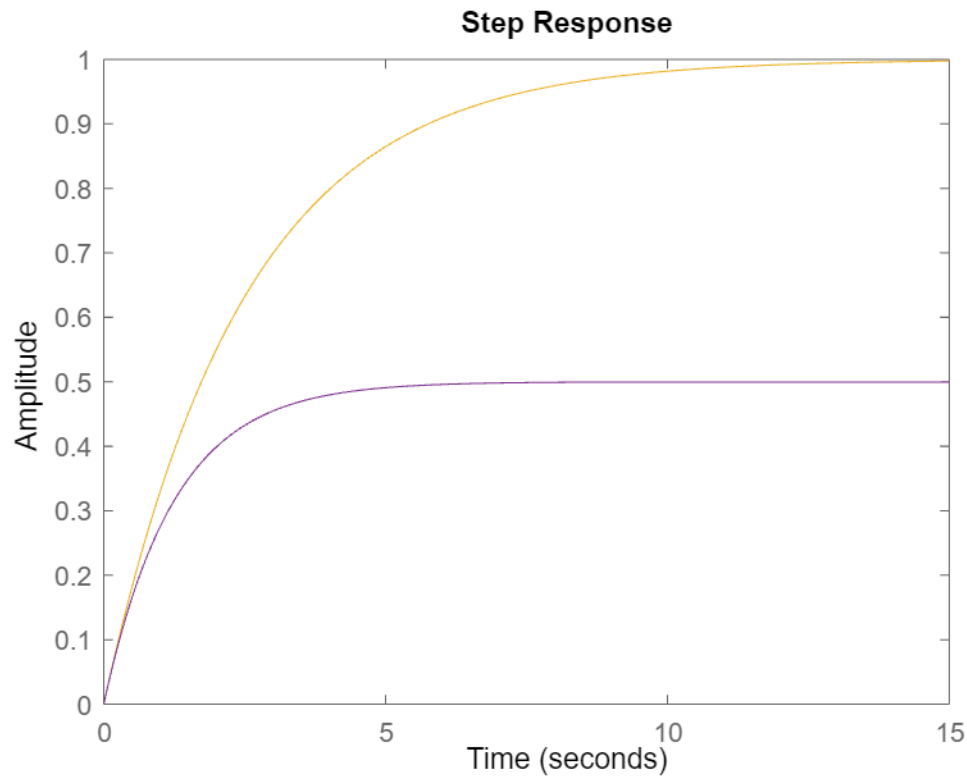
```
Gcl = feedback(series(feedback(series(Km/Ra,G),Kb),Ka),Kt)
```

Gcl =

$$\frac{0.4}{s + 0.8}$$

Continuous-time transfer function.
Model Properties

```
step(Gop)
hold on
step(Gcl)
hold off
```



```
stepinfo(Gop)
```

```
ans = struct with fields:
    RiseTime: 5.492516241579684
    TransientTime: 9.780186113349385
    SettlingTime: 9.780186113349385
    SettlingMin: 0.904500741397731
    SettlingMax: 0.999339306551989
    Overshoot: 0
    Undershoot: 0
    Peak: 0.999339306551989
    PeakTime: 18.305551489292501
```

```
stepinfo(Gcl)
```

```
ans = struct with fields:
    RiseTime: 2.746258120789819
    TransientTime: 4.890093056674668
    SettlingTime: 4.890093056674668
    SettlingMin: 0.452250370698897
    SettlingMax: 0.499669653275996
    Overshoot: 0
    Undershoot: 0
```

Peak: 0.499669653275996
PeakTime: 9.152775744648791

Problem 3

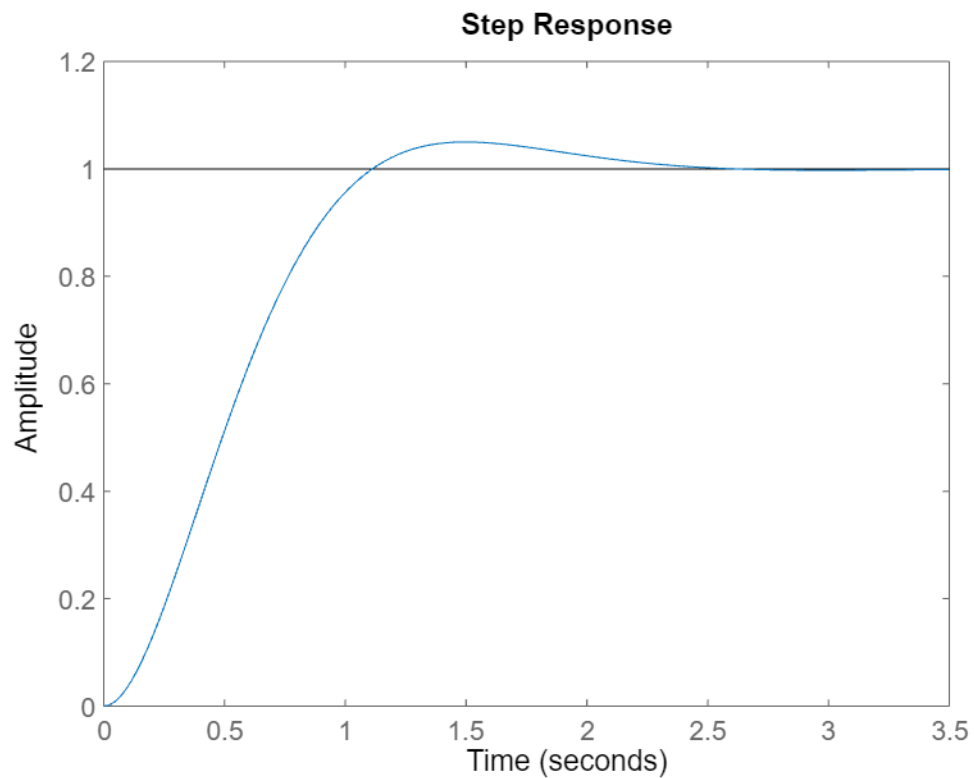
```
clc;  
clear;  
s = tf('s') ;  
G = ((1)/(s^2+4*s)) ;  
K = 8.399 ;  
Gc1 = feedback(series(G,K),1)
```

Gc1 =

$$\frac{8.399}{s^2 + 4s + 8.399}$$

Continuous-time transfer function.
Model Properties

```
step(Gc1)
```



```
G = ((1)/(s^2+4*s)) ;  
K = 13.675 ;  
Gc12 = feedback(series(G,K),1)
```

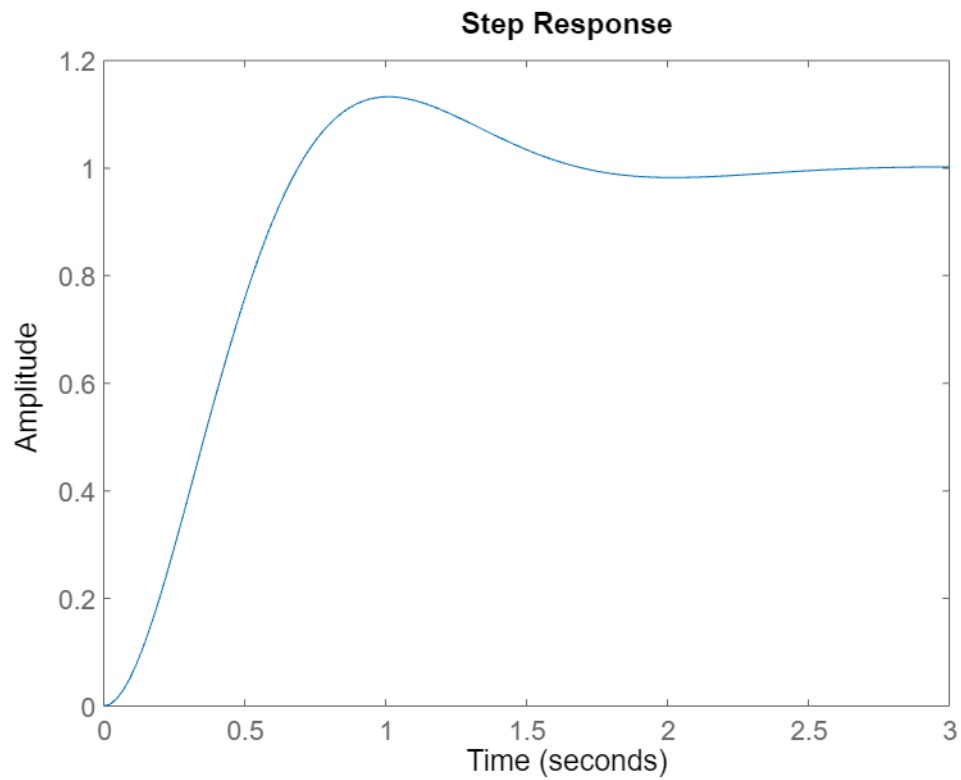
Gc12 =

13.68

$$\frac{13.68}{s^2 + 4s + 13.68}$$

Continuous-time transfer function.
Model Properties

step(Gc12)



```
G = ((1)/(s^2+4*s)) ;  
K = 11.037 ;  
Gc13 = feedback(series(G,K),1)
```

Gc13 =

$$\frac{11.04}{s^2 + 4s + 11.04}$$

Continuous-time transfer function.
Model Properties

step(Gc12)

