## Fast Matrix Element recent tests

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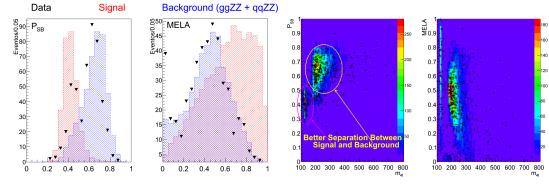
## We Defined the Following Discriminant

$$P_{SB} = \frac{DR_{min}^{Sig}}{DR_{min}^{Sig} + DR_{min}^{Bkg}}$$

- ▶ By definition,  $P_{SB}$  gets values only between [0,1]:
  - ▶ If  $DR_{min}^{Sig} = 0$  and  $DR_{min}^{Bkg} \neq 0$ ,  $P_{SB} = 0$ ;
  - ▶ If  $DR_{min}^{Bkg} = 0$  and  $DR_{min}^{Sig} \neq 0$ ,  $P_{SB} = 1$ ;
- Usually the discriminat have a purity of 84-95%;
- ▶ Because the definition, the ideal cut is  $P_{SB} = 0.5$ :
  - ▶ If testing event is signal  $DR_{min}^{Sig} < DR_{min}^{Bkg}$ , so the denominator in  $P_{SB}$  is less than  $2DR_{min}^{Sig}$ . Then,  $P_{SB} < 0.5$ ;
  - ▶ In the inverse way, if testing event is background the denominator is  $< 2DR_{min}^{Sig}$ . Then,  $P_{SB} > 0.5$ ;

## Comparing $P_{SB}$ with MELA

 $ightharpoonup P_{SB}$  separates most clearly signal and background (both 1D and 2D cases);



 $\triangleright$   $P_{SB}$  have more eficiency in reject background without substantial loss of signal;

