

Imbalanced Data

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Outline

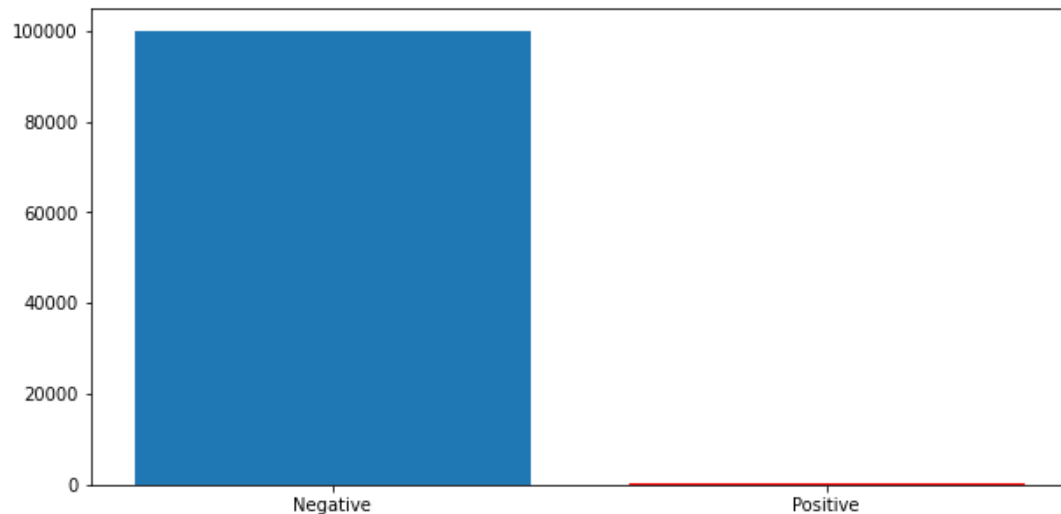
- **Introduction**
- **Focal Loss**
- **Metrics**
- **Data Augmentation**
- **Experiments**

Classification on Imbalanced Data

❖ Imbalanced Data vs. Balanced Data

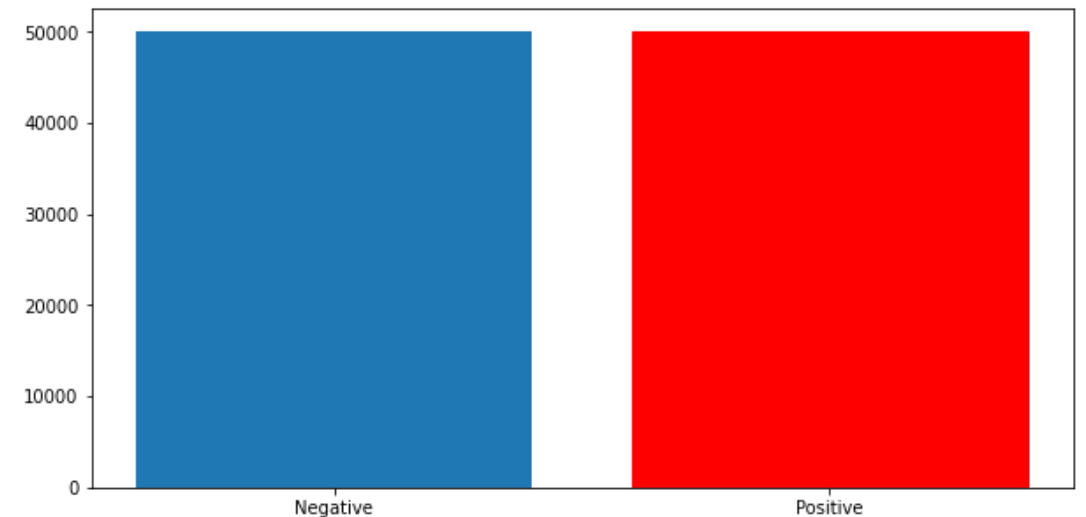
Imbalanced Data

Negative	100000
Positive	200



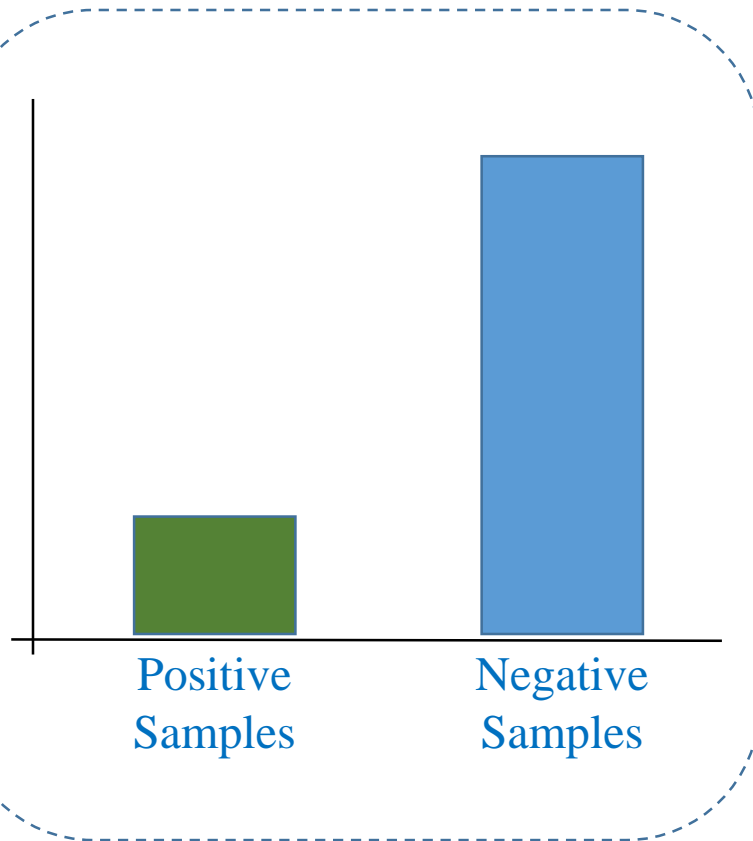
Balanced Data

Negative	50100
Postive	50100

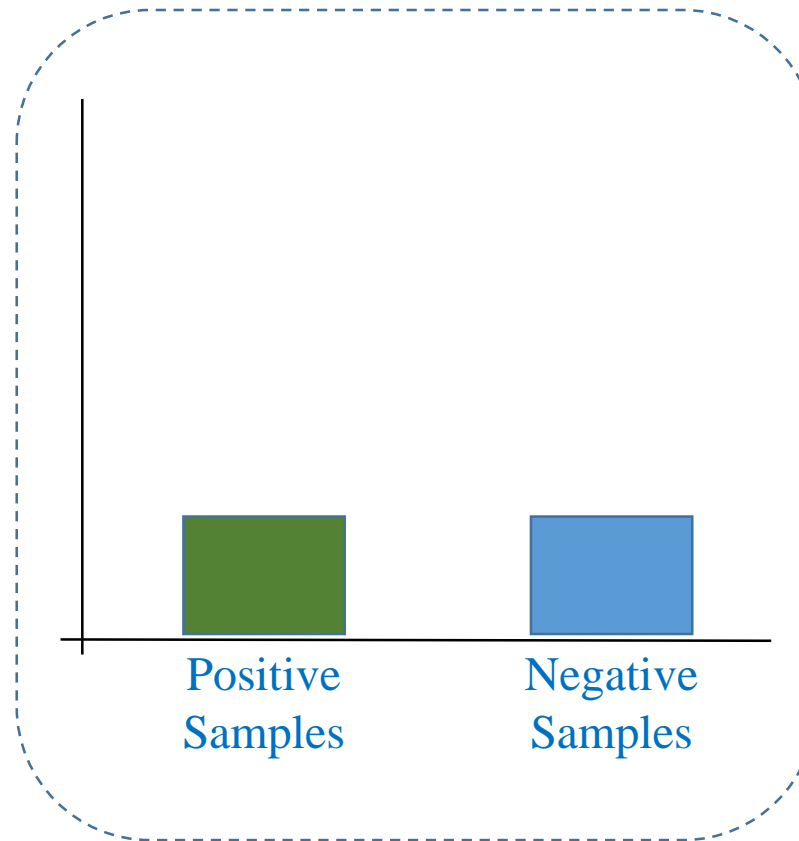


Imbalanced Data

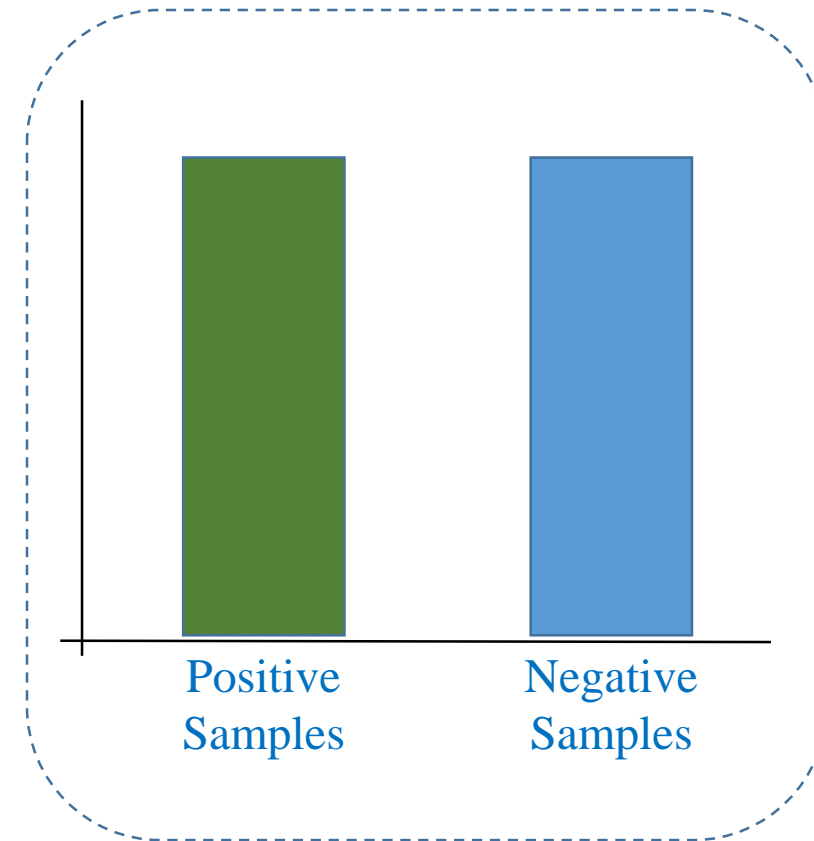
❖ Approach 1: Data manipulation



Original Data



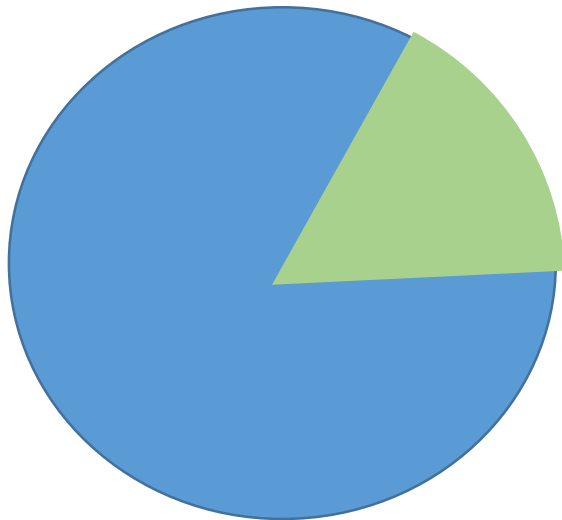
Undersampling Data



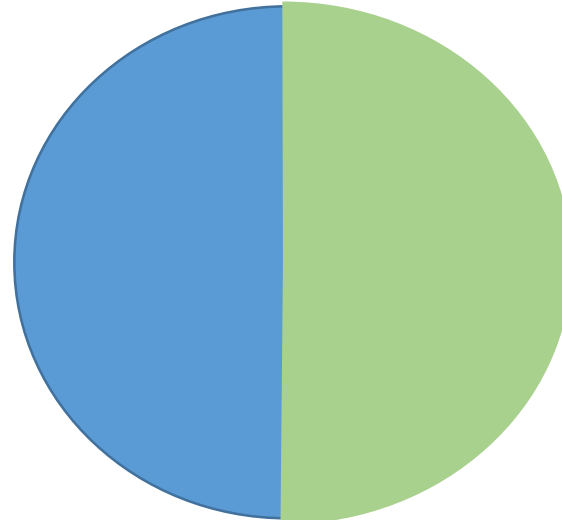
Oversampling Data

Imbalanced Data

❖ Approach 2: Loss Functions



Total loss



Total loss

■ Negative loss ■ Positive loss

Class weight

$$w_p = \frac{N}{2N_p}$$

Tell the model to "pay more attention" to samples from an under-represented class

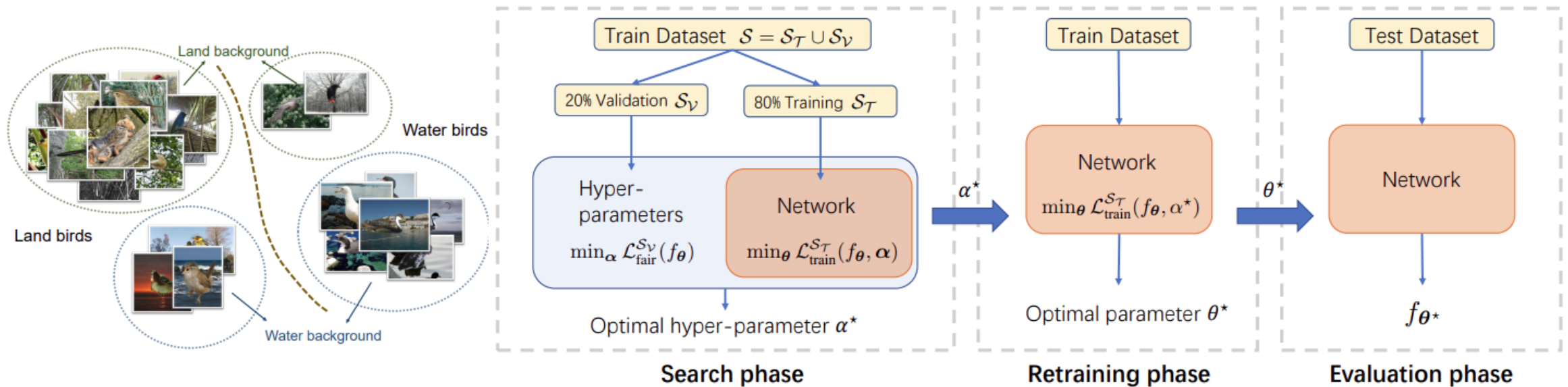
A higher loss means higher optimization which results in efficient classification

Focal loss

$$FL(p_t) = -(1 - p_t)^{\gamma} \log(p_t)$$

Imbalanced Data

❖ Approach 3: Optimization



<https://arxiv.org/pdf/2201.01212.pdf>

AutoBalance: Optimized Loss Functions for Imbalanced Data, 2022

Outline

- **Introduction**
- **Focal Loss**
- **Metrics**
- **Data Augmentation**
- **Experiments**

Binary Crossentropy

❖ Linear regression

Area-based House Price Data

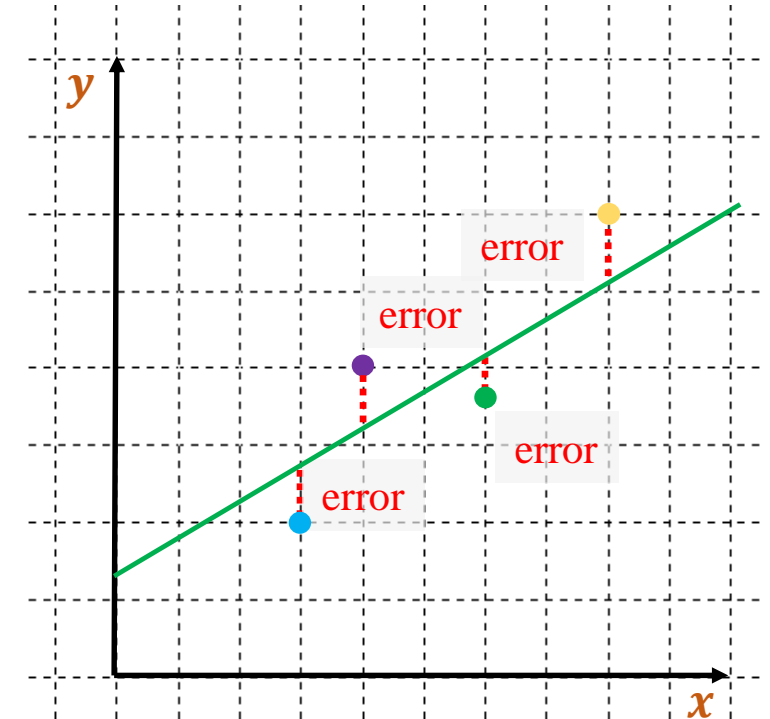
Feature	Label
area	price
6.7	9.1
4.6	5.9
3.5	4.6
5.5	6.7

Training data

construct

$$\hat{y} = \theta^T x = ax + b$$
$$\hat{y} \in (-\infty + \infty)$$

Model



Find the line $\hat{y} = \theta^T x$ that is best fit given data,
then use y to predict for new data

Binary Crossentropy

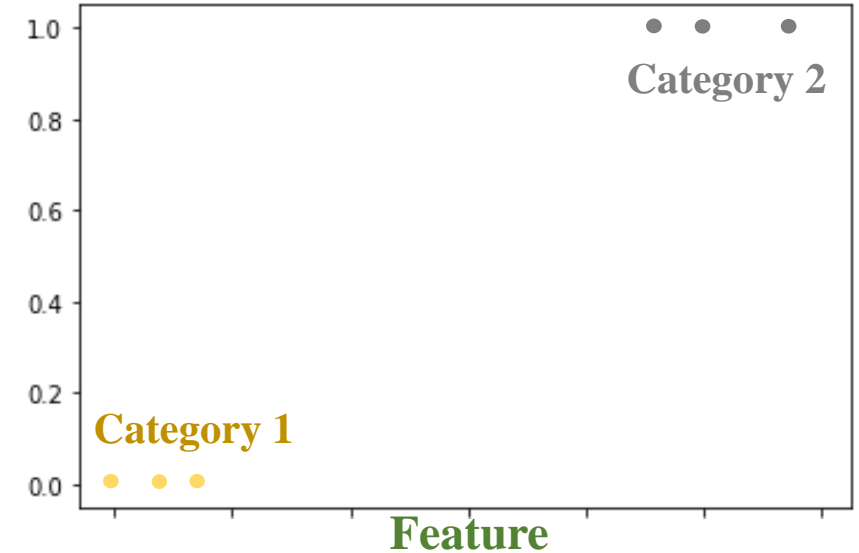
❖ Given a new kind of data

Feature	Label	
Petal_Length	Category	
1.4	Flower A	Category 1
1	Flower A	
1.5	Flower A	
3	Flower B	Category 2
3.8	Flower B	
4.1	Flower B	

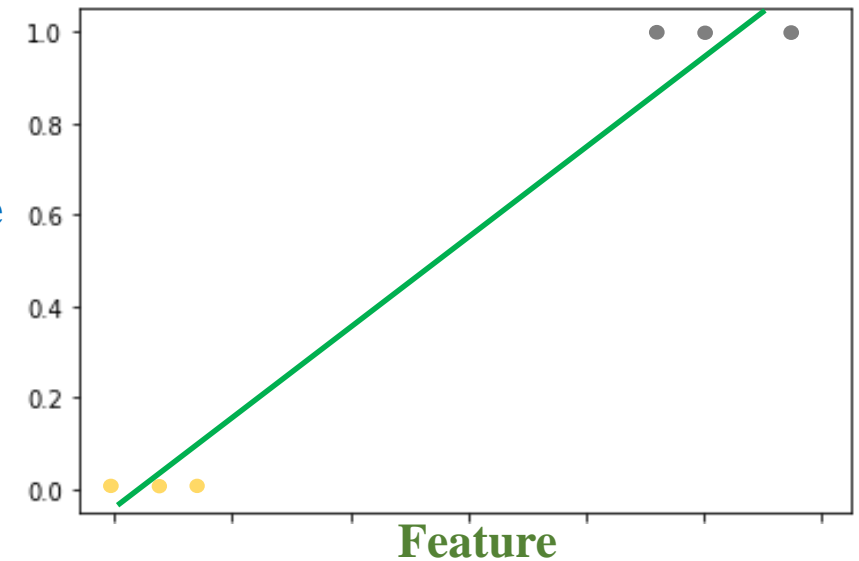
↓ Assign numbers to categories

Feature	Label	
Petal_Length	Category	
1.4	0	Category 1
1	0	
1.5	0	
3	1	Category 2
3.8	1	
4.1	1	

Plot data



A line is not suitable for this data



Binary Crossentropy

❖ Given a new kind of data

Feature	Label	
Petal_Length	Category	
1.4	Flower A	Category 1
1	Flower A	
1.5	Flower A	
3	Flower B	Category 2
3.8	Flower B	
4.1	Flower B	

Assign numbers
to categories

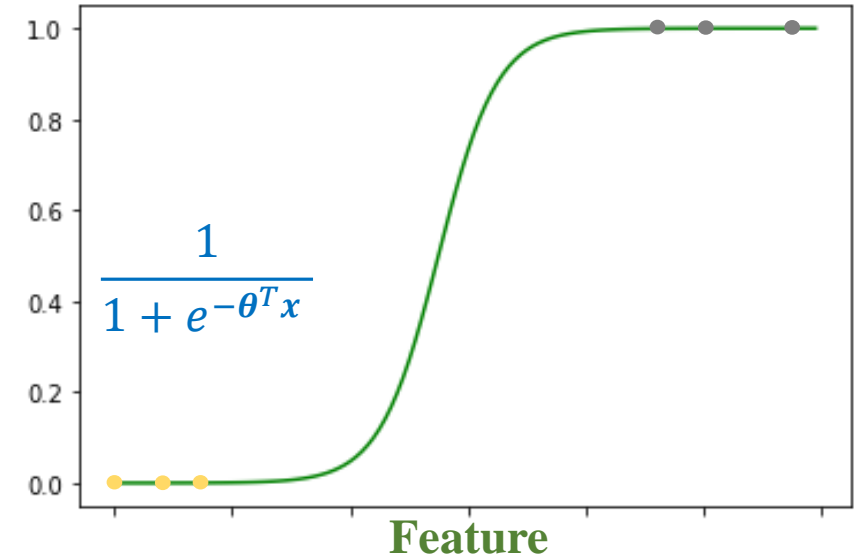
Feature	Label	
Petal_Length	Category	
1.4	0	Category 1
1	0	
1.5	0	
3	1	Category 2
3.8	1	
4.1	1	

Sigmoid function
could fit the data

$$z = \theta^T x = x^T \theta$$

$$\hat{y} = \sigma(z) = \frac{1}{1 + e^{-z}}$$

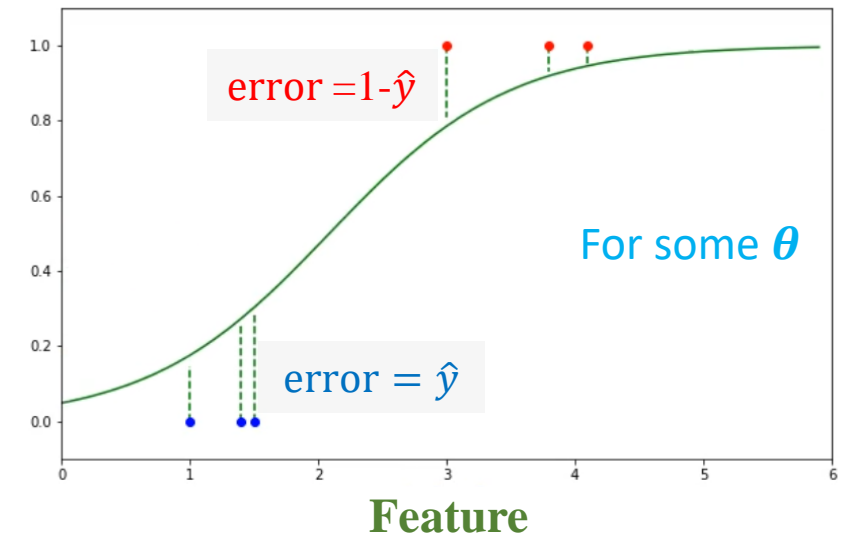
$$\hat{y} \in (0 \ 1)$$



Error

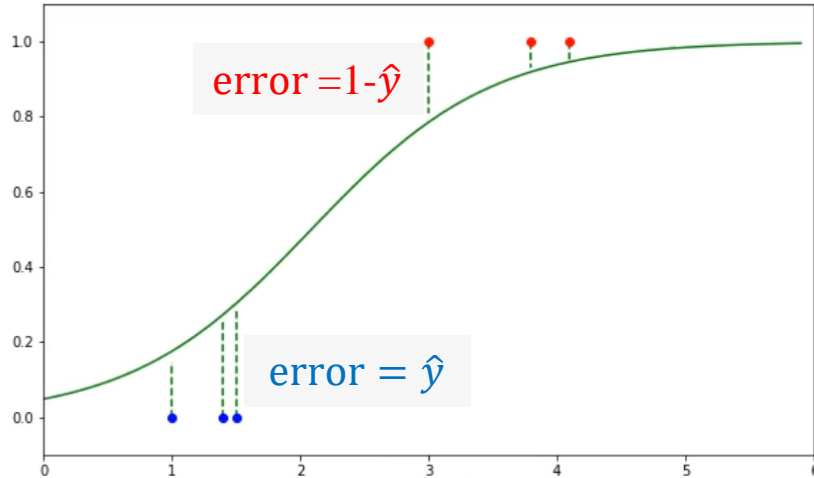
$$\text{if } y = 1 \\ \text{error} = 1 - \hat{y}$$

$$\text{if } y = 0 \\ \text{error} = \hat{y}$$



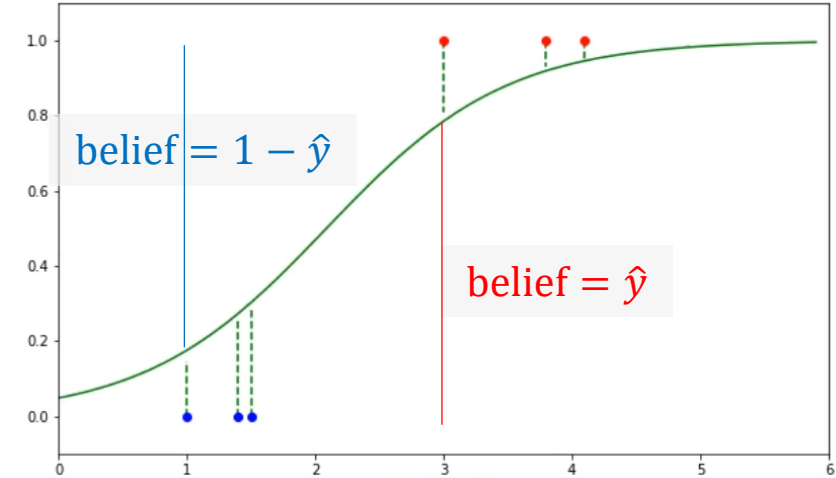
Binary Crossentropy

❖ Construct loss



Error

if $y = 1$
error = $1 - \hat{y}$
if $y = 0$
error = \hat{y}



Belief

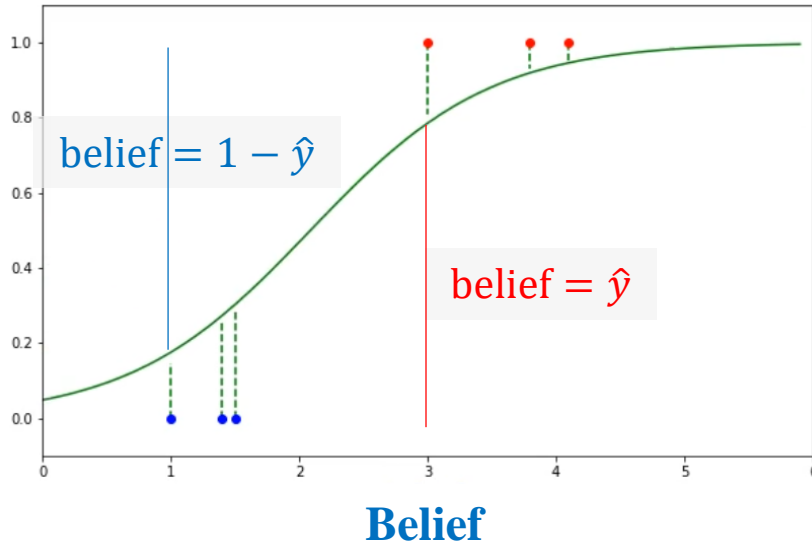
if $y = 1$
belief = \hat{y}
if $y = 0$
belief = $1 - \hat{y}$

$$P = \hat{y}^y (1 - \hat{y})^{1-y}$$

Minimize error ~ maximize belief ~ Minimize (-belief)

Binary Crossentropy

❖ Construct loss



if $y = 1$

$\text{belief} = \hat{y}$

if $y = 0$

$\text{belief} = 1 - \hat{y}$

$$P = \hat{y}^y (1 - \hat{y})^{1-y}$$

$$\text{belief} = P$$

$$\log_belief = \log P$$

$$\log_belief = y \log \hat{y} + (1 - y) \log(1 - \hat{y})$$

$$\text{loss} = -\log_belief$$

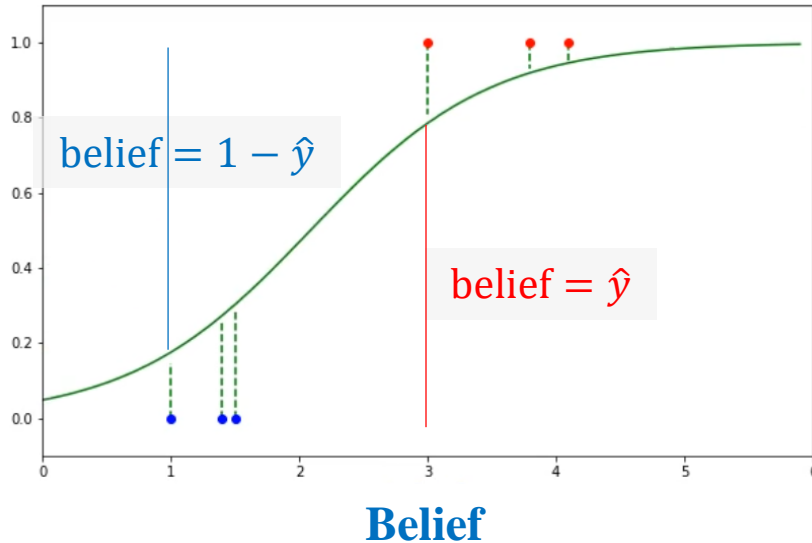
$$= -[y \log \hat{y} + (1 - y) \log(1 - \hat{y})]$$

$$L = -y \log \hat{y} - (1 - y) \log(1 - \hat{y})$$

Binary cross-entropy

Binary Crossentropy

❖ Construct loss



if $y_i = 1$

$$\text{belief} = \hat{y}_i$$

if $y_i = 0$

$$\text{belief} = 1 - \hat{y}_i$$

$$P_i = \hat{y}_i^{y_i} (1 - \hat{y}_i)^{1-y_i}$$

$$\text{belief} = \prod_{i=1}^n P_i \quad \text{since iid}$$

$$\log_belief = \sum_{i=1}^n \log P_i$$

$$\log_belief = \sum_{i=1}^n [y_i \log \hat{y}_i + (1 - y_i) \log (1 - \hat{y}_i)]$$

$$\text{loss} = -\log_belief$$

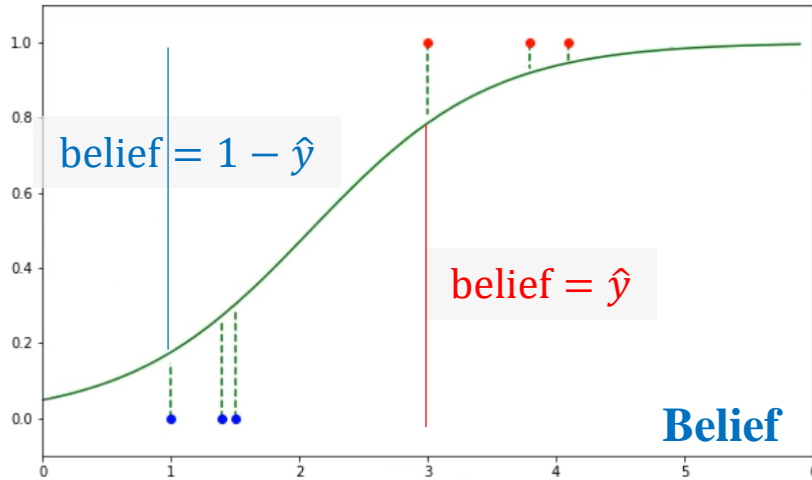
$$= -\sum_{i=1}^n [y_i \log \hat{y}_i + (1 - y_i) \log (1 - \hat{y}_i)]$$

$$L = \frac{1}{N} (-\mathbf{y}^T \log(\hat{\mathbf{y}}) - (1 - \mathbf{y}^T) \log(1 - \hat{\mathbf{y}}))$$

Binary cross-entropy

Binary Crossentropy

❖ Construct loss



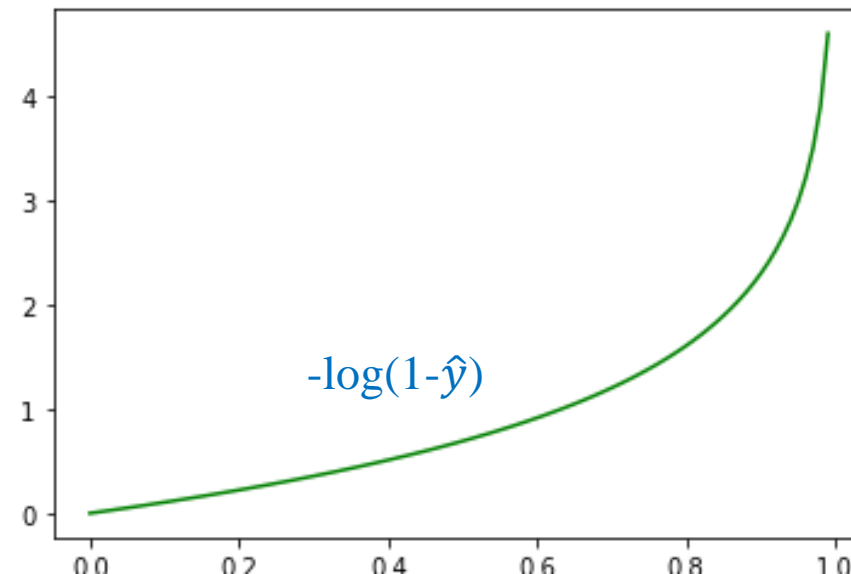
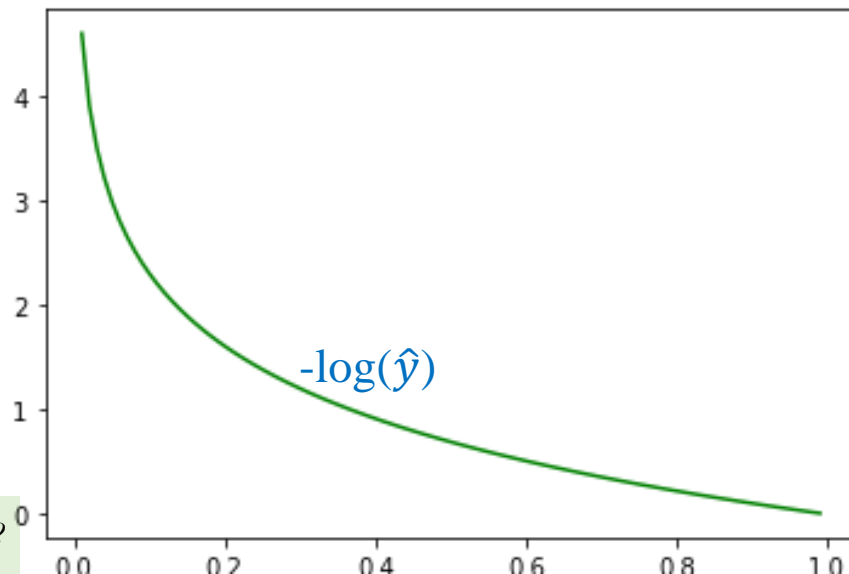
$$L = \frac{1}{N} (-\mathbf{y}^T \log(\hat{\mathbf{y}}) - (1 - \mathbf{y}^T) \log(1 - \hat{\mathbf{y}}))$$

Binary cross-entropy

if $y_i = 1$
belief = \hat{y}_i

if $y_i = 0$
belief = $1 - \hat{y}_i$

$$P_i = \hat{y}_i^{y_i} (1 - \hat{y}_i)^{1-y_i}$$



Binary Crossentropy

❖ Construct loss

$$z = \theta^T x$$

Model and Loss

$$\hat{y} = \sigma(z) = \frac{1}{1 + e^{-z}}$$

$$L = -y \log(\hat{y}) - (1 - y) \log(1 - \hat{y})$$

$$\frac{\partial L}{\partial \theta} = \frac{\partial L}{\partial \hat{y}} \frac{\partial \hat{y}}{\partial z} \frac{\partial z}{\partial \theta}$$

Derivative

$$\frac{\partial L}{\partial \hat{y}} = -\frac{y}{\hat{y}} + \frac{1 - y}{1 - \hat{y}} = \frac{\hat{y} - y}{\hat{y}(1 - \hat{y})}$$

$$\frac{\partial \hat{y}}{\partial z} = \hat{y}(1 - \hat{y})$$

$$\frac{\partial z}{\partial \theta} = x$$

$$\frac{\partial L}{\partial \theta} = x(\hat{y} - y)$$

Focal Loss

❖ Binary Cross Entropy Loss

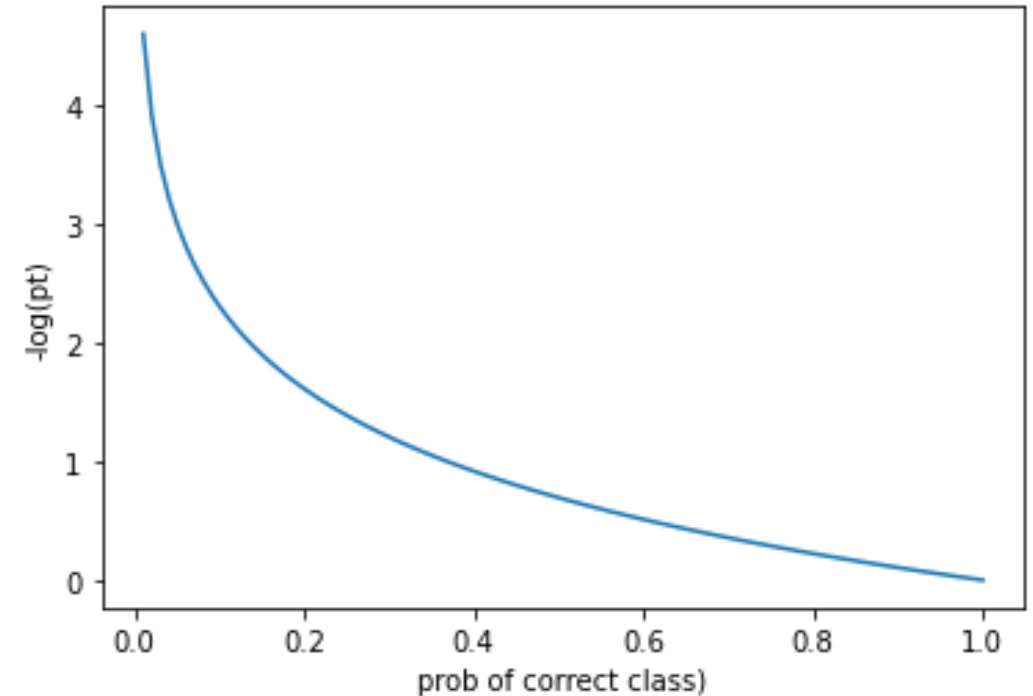
$$\text{BCE}(p, y) = \begin{cases} -\log(p) & \text{if } y = 1 \\ -\log(1 - p) & \text{otherwise} \end{cases}$$

Rewrite

$$p_t = \begin{cases} p & \text{if } y = 1 \\ 1 - p & \text{otherwise} \end{cases}$$

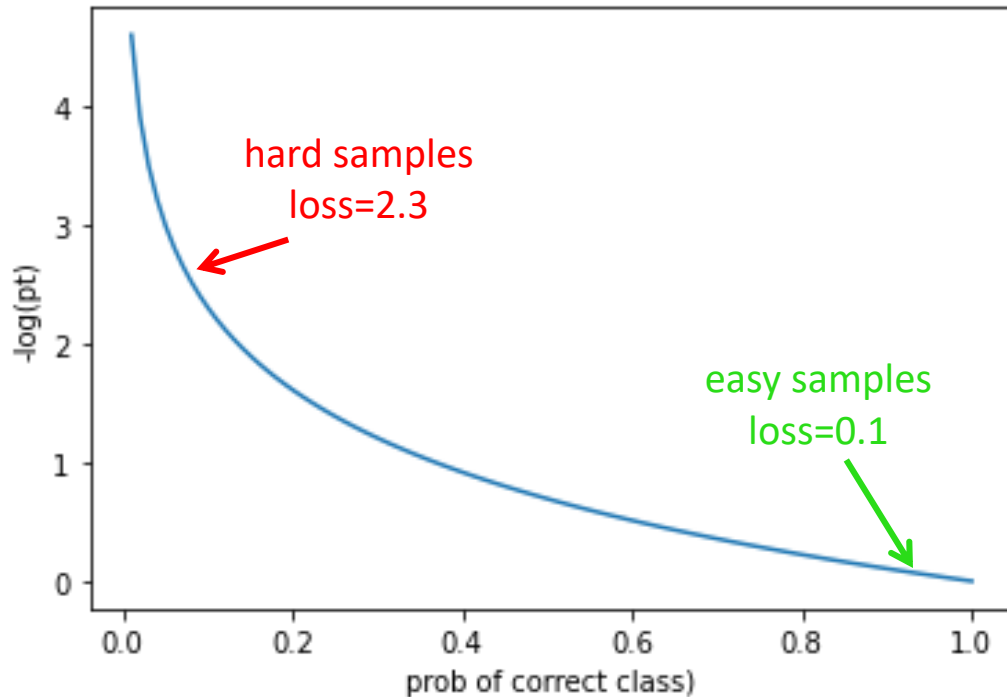
$$\text{BCE}(p, y) = \text{BCE}(p_t) = -\log(p_t)$$

$y \in \{0, 1\}$ label cho negative và positive class
 $p \in [0, 1]$ xác suất model predict cho một class



Focal Loss

❖ Binary Cross Entropy Loss



Imbalanced Case:

- 100000 easy samples vs 100 hard samples

Easy samples loss = $100000 \times 0.1 = 10000$

Hard samples loss = $100 \times 2.3 = 230$

Loss = Easy samples loss + Hard samples loss

Easy samples loss : Hard samples loss = $10000:230 \approx 43$

=> Loss phần lớn bị ảnh hưởng của Easy samples và model có thể bỏ qua hard samples.

=> BCE không tốt cho trường hợp data bị imbalance nặng

Focal Loss

❖ Balanced Binary Cross Entropy Loss

$$\text{BCE}(p, y) = \text{BCE}(p_t) = -\log(p_t)$$



weighting
factor

$$\text{Balanced BCE}(p_t) = -\alpha_t \log(p_t)$$

class 1: $\alpha_t \in [0, 1]$

class 0 : $1 - \alpha_t$

Thêm weighting factor: thông thường là tần suất xuất hiện của class

Số lượng sample >> thì weighting factor <<

Số lượng sample << thì weighting factor >>

=> Giúp cân bằng lại đóng góp vào loss của các class

=> Điều này chỉ giúp cho thay đổi trọng số trên loss của từng class. Chưa giải quyết vấn đề tập trung vào học các class khó học

Focal Loss

❖ Focal Loss

$$\text{BCE}(p, y) = \begin{cases} -\log(p) & \text{if } y = 1 \\ -\log(1 - p) & \text{otherwise} \end{cases}$$

Rewrite

$$p_t = \begin{cases} p & \text{if } y = 1 \\ 1 - p & \text{otherwise} \end{cases}$$

$$\text{BCE}(p, y) = \text{BCE}(p_t) = -\log(p_t)$$

$$\text{BCE}(p, y) = \text{BCE}(p_t) = -\log(p_t)$$

modulating
factor

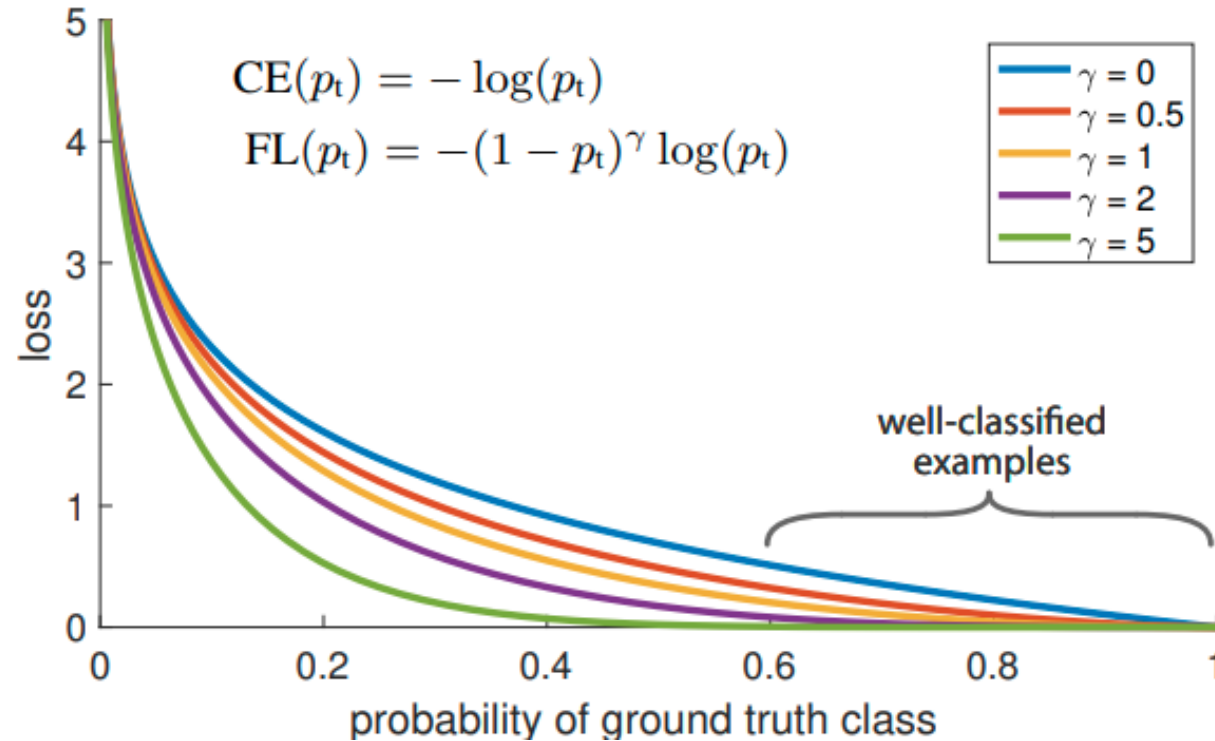
$$\text{Focal Loss } (p_t) = -(1 - p_t)^\gamma \log(p_t)$$

γ theo paper test [0, 5]

- Khi model predict **xác suất càng gần với label**, p_t sẽ **tiến về 1** thể hiện model đã **học tốt** cho class này và **modulating factor tiến về 0**, đóng góp vào loss giảm (easy samples)
- Khi model predict **xác suất càng xa với label** p_t sẽ **tiến về 0** thể hiện model đã **học không tốt** cho class này và **modulating factor tiến về 1**, đóng góp vào loss tăng (hard samples)

Focal Loss

❖ Focal Loss



– $\gamma = 0$ chính là cross entropy loss

Focal Loss

❖ α -balanced Variant of The Focal Loss

$$\text{Focal Loss } (p_t) = -(1 - p_t)^\gamma \log(p_t)$$

γ theo paper test [0, 5]



weighting
factor

$$\text{Focal Loss } (p_t) = -\alpha_t (1 - p_t)^\gamma \log(p_t)$$

Thực nghiệm khi thêm α_t performance
có cải thiện

Khi sử dụng sigmoid activation để tính
 p_t thì kết quả stable hơn

γ giúp loss tập trung vào hard samples

α_t trọng số giúp cân bằng loss theo số
lượng samples

Focal Loss

❖ α -balanced Variant of The Focal Loss

α	AP	AP ₅₀	AP ₇₅
.10	0.0	0.0	0.0
.25	10.8	16.0	11.7
.50	30.2	46.7	32.8
.75	31.1	49.4	33.0
.90	30.8	49.7	32.3
.99	28.7	47.4	29.9
.999	25.1	41.7	26.1

(a) Varying α for CE loss ($\gamma = 0$)

γ	α	AP	AP ₅₀	AP ₇₅
0	.75	31.1	49.4	33.0
0.1	.75	31.4	49.9	33.1
0.2	.75	31.9	50.7	33.4
0.5	.50	32.9	51.7	35.2
1.0	.25	33.7	52.0	36.2
2.0	.25	34.0	52.5	36.5
5.0	.25	32.2	49.6	34.8

(b) Varying γ for FL (w. optimal α)

Kết quả thực nghiệm so sánh giữa Cross Entropy và Focal Loss
trên cùng một network cho task Object Detction

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- **Introduction**
- **Focal Loss**
- **Metrics**
- **Data Augmentation**
- **Experiments**

Metrics

Confusion Matrix

		Actual Value	
		Positive	Negative
Predicted Value	Positive	TP (True Positive)	FP (False Positive)
	Negative	FN (False Negative)	TN (True Negative)

- True Positive (TP) : Observation is positive, and is predicted to be positive.
- False Negative (FN) : Observation is positive, but is predicted negative.
- True Negative (TN) : Observation is negative, and is predicted to be negative
- False Positive (FP) : Observation is negative, but is predicted positive.

Result

Prediction

True Positive (TP): A correct detection.

False Positive (FP): A wrong detection.

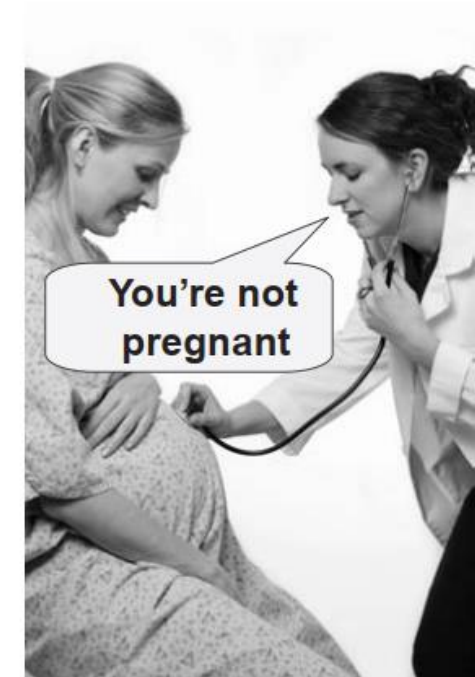
False Negative (FN): A ground truth not detected

True Negative (TN): Does not apply.

**Type I error
(false positive)**



**Type II error
(false negative)**



The Essential Guide to Effect Sizes

<https://www.kdnuggets.com/2020/04/performance-evaluation-metrics-classification.html>

Metrics

❖ Precision

- ❖ Ability of a model to identify only the relevant objects

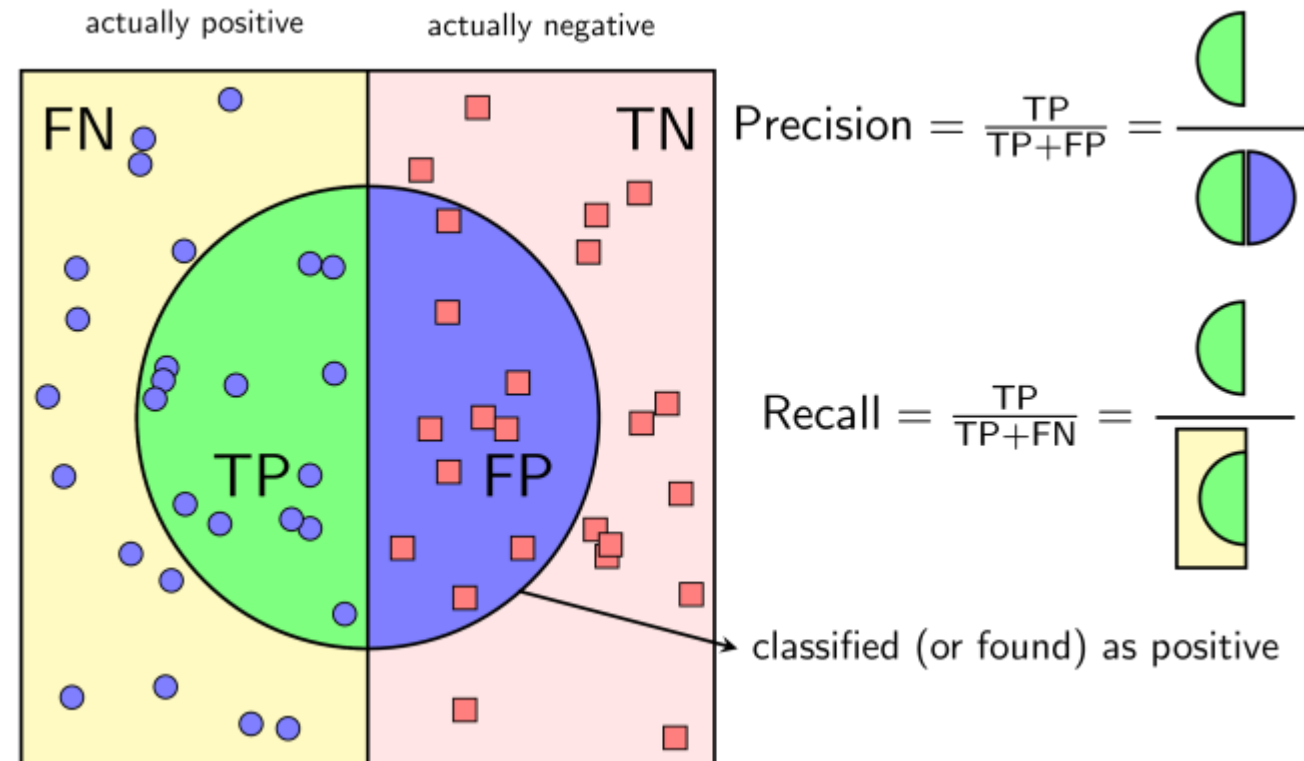
$$\text{Precision} = \frac{TP}{TP + FP} = \frac{TP}{\text{all detections}}$$

❖ Recall

- ❖ Ability of a model to find all the relevant cases (all ground truth bounding boxes)

$$\text{Recall} = \frac{TP}{TP + FN} = \frac{TP}{\text{all ground truths}}$$

Result	Prediction
True Positive (TP): A correct detection.	
False Positive (FP): A wrong detection.	
False Negative (FN): A ground truth not detected	
True Negative (TN): Does not apply.	



Metrics

❖ Precision

- ❖ Ability of a model to identify only the relevant objects

$$Precision = \frac{TP}{TP + FP} = \frac{TP}{all\ detections}$$

❖ Recall

- ❖ Ability of a model to find all the relevant cases (all ground truth bounding boxes)

$$Recall = \frac{TP}{TP + FN} = \frac{TP}{all\ ground\ truths}$$

n=165	Predicted: NO	Predicted: YES	
Actual: NO	TN = 50	FP = 10	60
Actual: YES	FN = 5	TP = 100	105
	55	110	

Recall: When it's actually yes, how often does it predict yes?

$$TP/actual\ yes = 100/105 = 0.95$$

Precision: When it predicts yes, how often is it correct?

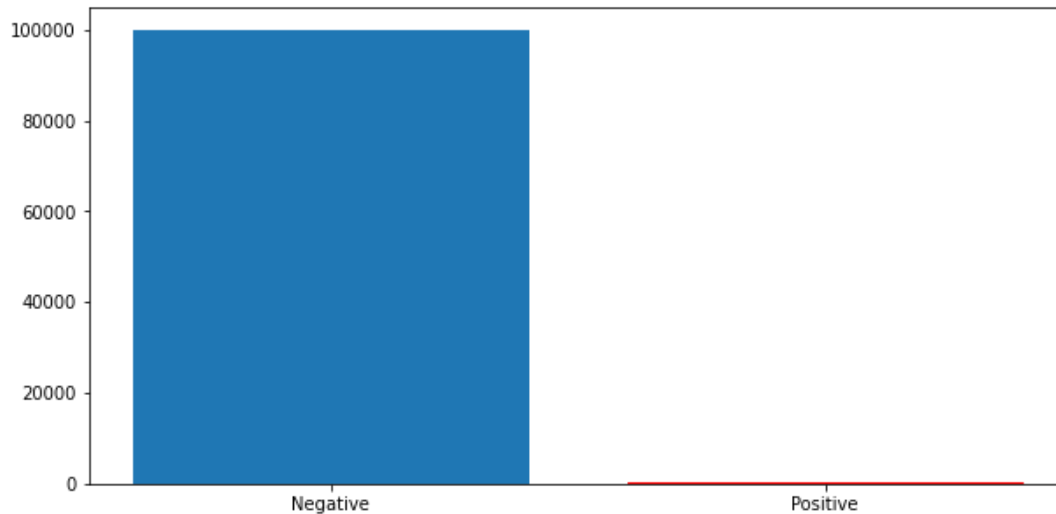
$$TP/predicted\ yes = 100/110 = 0.91$$

Classification on Imbalanced Data

❖ Imbalanced Data vs Balanced Data

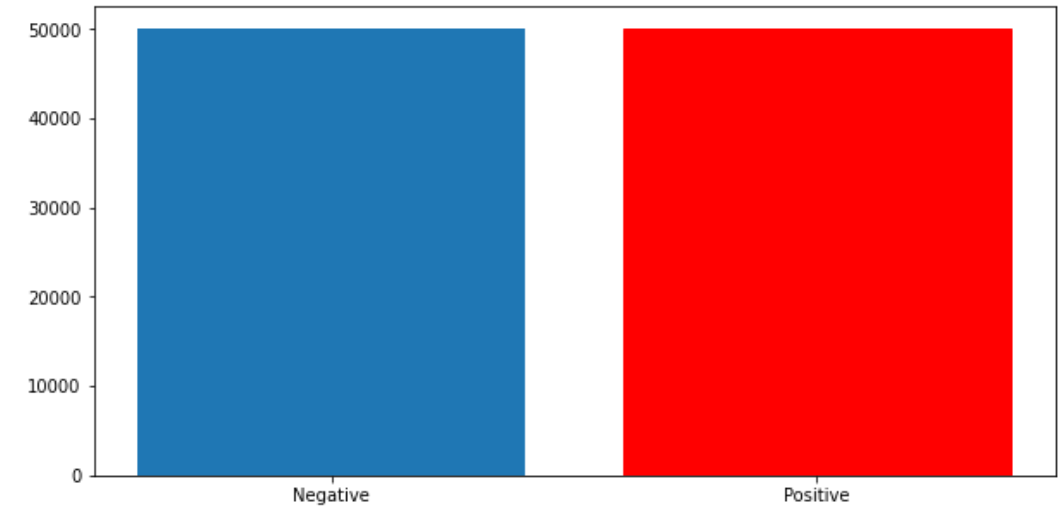
Imbalanced Data

	Labels	Model Predict Negative	Model Predict Positive
Negative	100000	99900	100
Positive	200	100	100



Balanced Data

	Labels	Model Predict Negative	Model Predict Positive
Negative	50100	50000	100
Positive	50100	100	50000



Classification on Imbalanced Data

❖ Imbalanced Data vs Balanced Data

Imbalanced Data				Balanced Data			
	Labels	Model Predict Negative	Model Predict Positive		Labels	Model Predict Negative	Model Predict Positive
Negative	100000	99900	100	Negative	50100	50000	100
Positive	200	100	100	Positive	50100	100	50000

Diagram illustrating classification results for Imbalanced Data and Balanced Data, showing True Negative (TN), False Positive (FP), False Negative (FN), and True Positive (TP) counts.

Imbalanced Data:

- TN (True Negative):** 99900 (Negative label, Negative prediction)
- FP (False Positive):** 100 (Negative label, Positive prediction)
- FN (False Negative):** 100 (Positive label, Negative prediction)
- TP (True Positive):** 100 (Positive label, Positive prediction)

Balanced Data:

- TN (True Negative):** 50000 (Negative label, Negative prediction)
- FP (False Positive):** 100 (Negative label, Positive prediction)
- FN (False Negative):** 100 (Positive label, Negative prediction)
- TP (True Positive):** 50000 (Positive label, Positive prediction)

True positive (**TP**): sample có **label** là **positive** và **model** phân loại là **positive**

True negative (**TN**): sample có **label** là **negative** và **model** phân loại là **negative**

False positive (**FP**): sample có **label** là **negative** và **model** phân loại là **positive**

False negative (**FN**): sample có **label** là **positive** và **model** phân loại là **negative**

Classification on Imbalanced Data

❖ Precision

- ❖ Ability of a model to identify only the relevant objects

$$Precision = \frac{TP}{TP + FP} = \frac{TP}{\text{all detections}}$$

❖ Recall

- ❖ Ability of a model to find all the relevant cases (all ground truth bounding boxes)

$$Recall = \frac{TP}{TP + FN} = \frac{TP}{\text{all ground truths}}$$

❖ Metric for Imbalanced Class

$$Accuracy = \frac{TP + TN}{TP + TN + FP + FN}$$

$$Recall = \frac{TP}{TP + FN}$$

$$Precision = \frac{TP}{TP + FP}$$

$$F1 = \frac{2 * Precision * Recall}{Precision + Recall}$$

Precision: tỉ lệ model predict các positive sample đúng là positive

Recall: tỉ lệ model có thể nhận dạng được các positive sample

F1-score: Trung bình điều hòa giữa accuracy và precision

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Augmentation Library

❖ Imgaug Library

Có thể làm việc được với nhiều loại image data và groundtruth:

- Keypoints/Landmarks
- Bounding Boxes, Polygons
- Line Strings
- Heatmaps, Segmentation Maps

<https://github.com/aleju/imgaug#documentation>

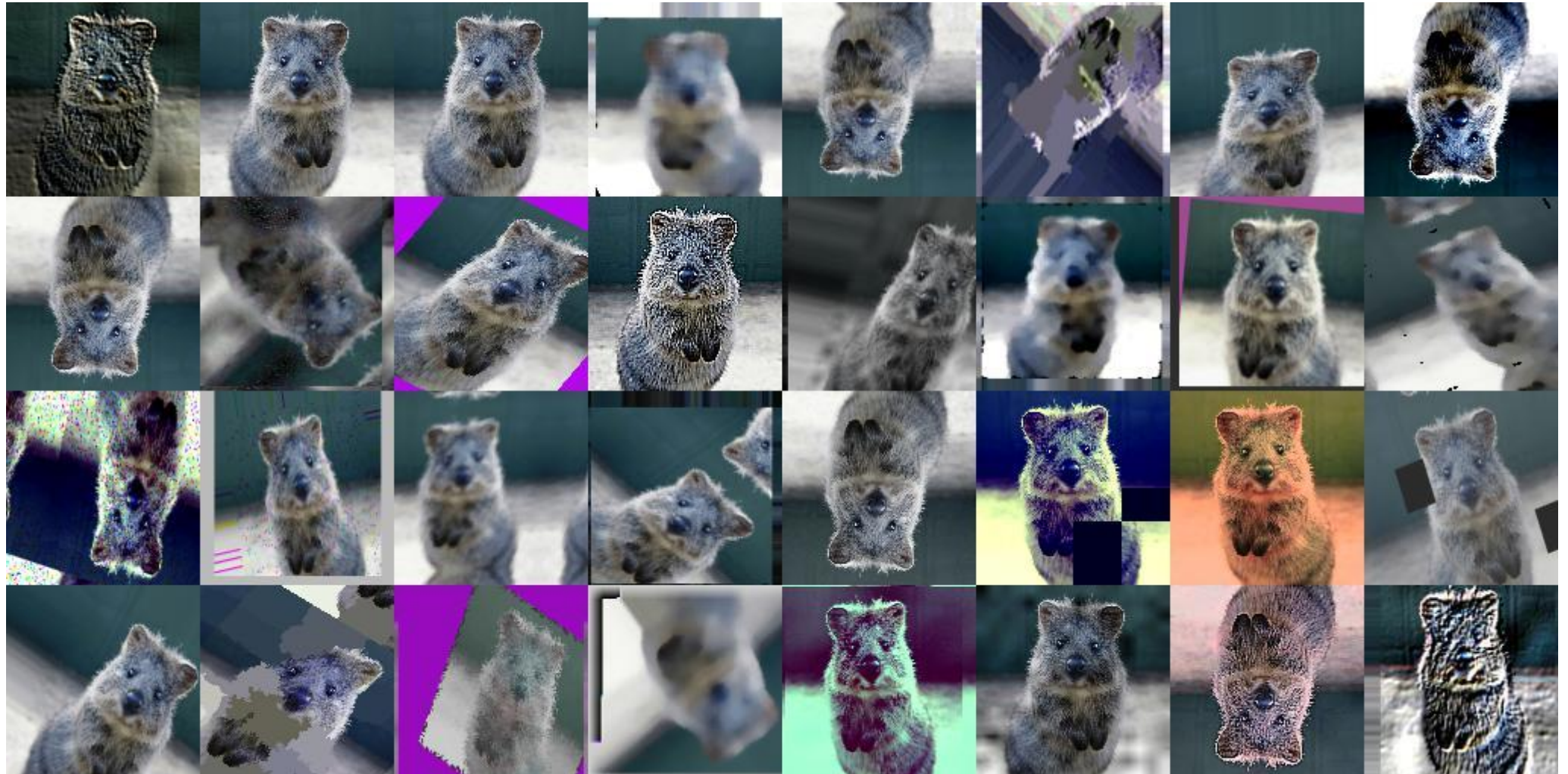
	Image	Heatmaps	Seg. Maps	Keypoints	Bounding Boxes, Polygons
<i>Original Input</i>					
Gauss. Noise + Contrast + Sharpen					
Affine					
Crop + Pad					
Fliplr + Perspective					

Augmentation Library

❖ Image Augmentation



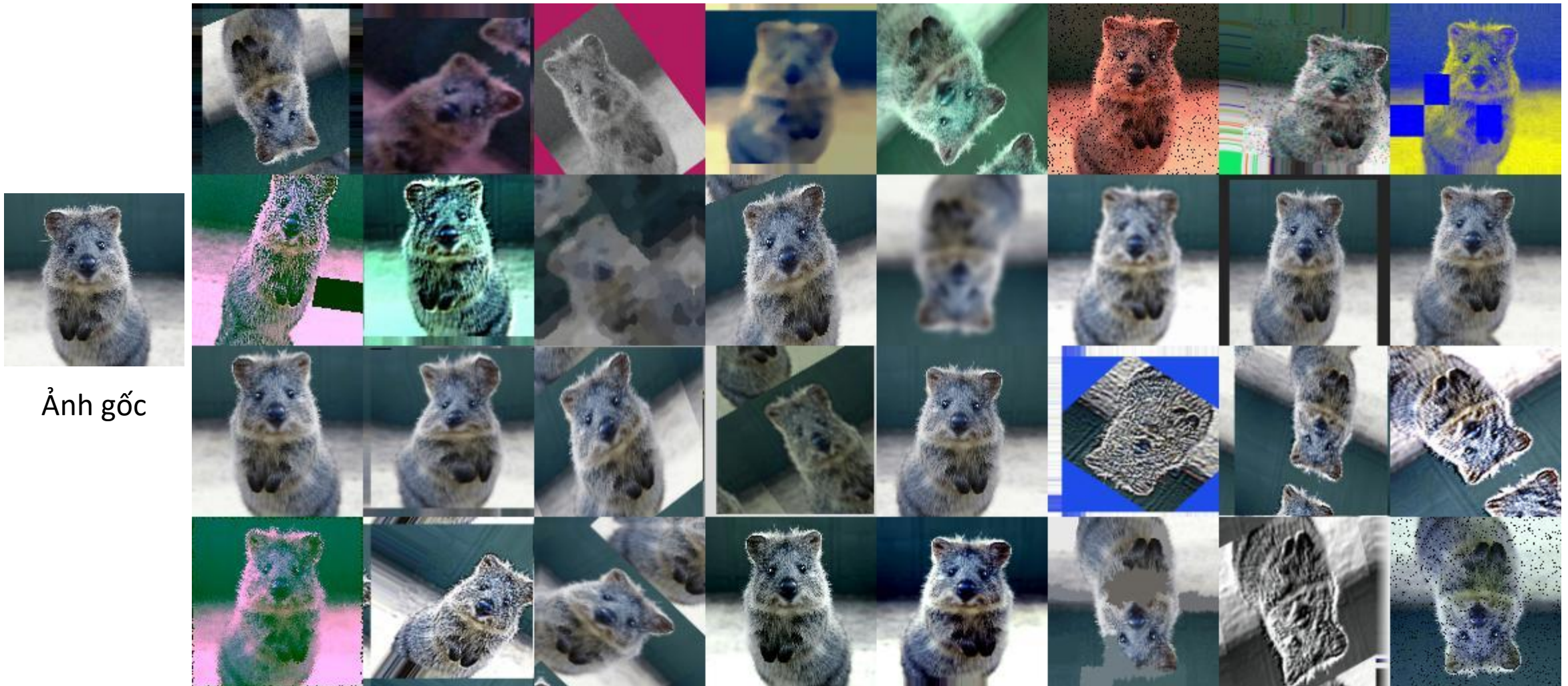
Ảnh gốc



Sau Augmentation

Augmentation Library

❖ Image Augmentation



Ảnh gốc

Sau Augmentation

Augmentation Library

❖ Image Augmentation

- Có chức năng augmentation 1 batch ảnh (batch, height, width, channel)
- Cho phép sử dụng một chuỗi các kỹ thuật augmentation và khai báo như Sequential mode của Tensorflow

```
import imgaug.augmenters as iaa
```

 ← import thư viện

```
# Pipeline:
# (1) Crop images from each side by 1-16px, do not resize the results
#     images back to the input size. Keep them at the cropped size.
# (2) Horizontally flip 50% of the images.
# (3) Blur images using a gaussian kernel with sigma between 0.0 and 3.0.
seq = iaa.Sequential([
    iaa.Crop(px=(1, 16), keep_size=False),
    iaa.Fliplr(0.5),
    iaa.GaussianBlur(sigma=(0, 3.0))
])
```

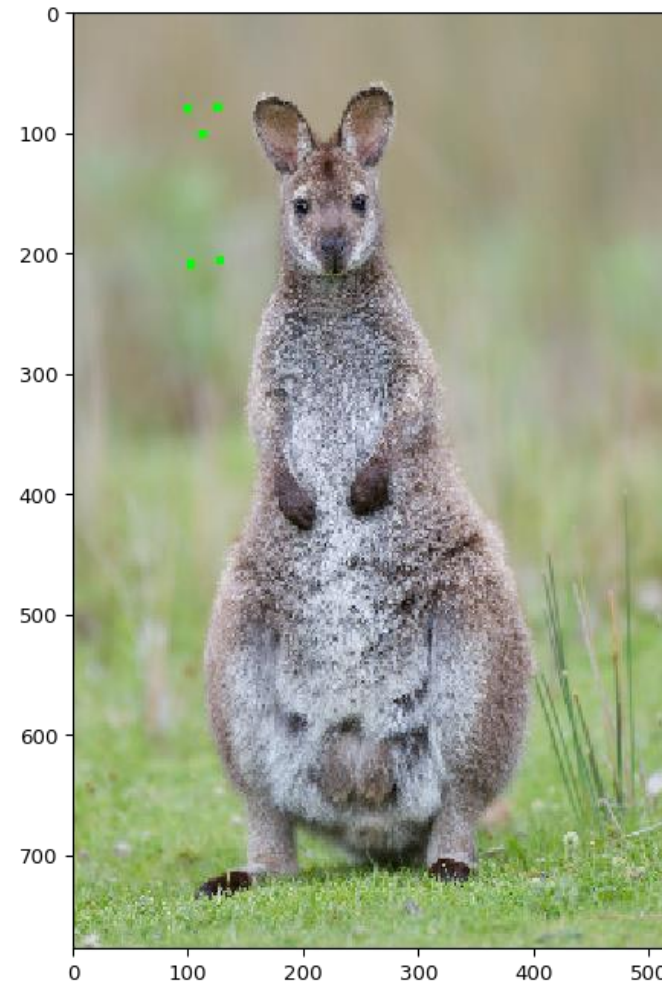
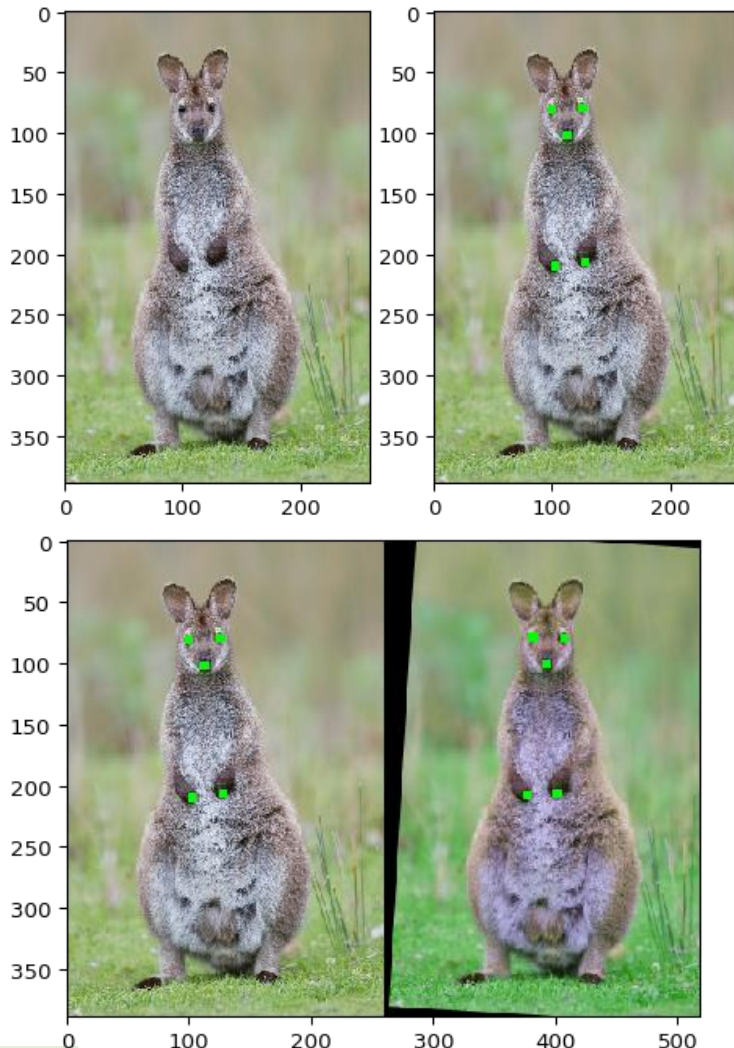
Khai báo các chuỗi kỹ thuật augmentations sẽ được sử dụng

```
images_aug = seq(images=images) # done by the library
```

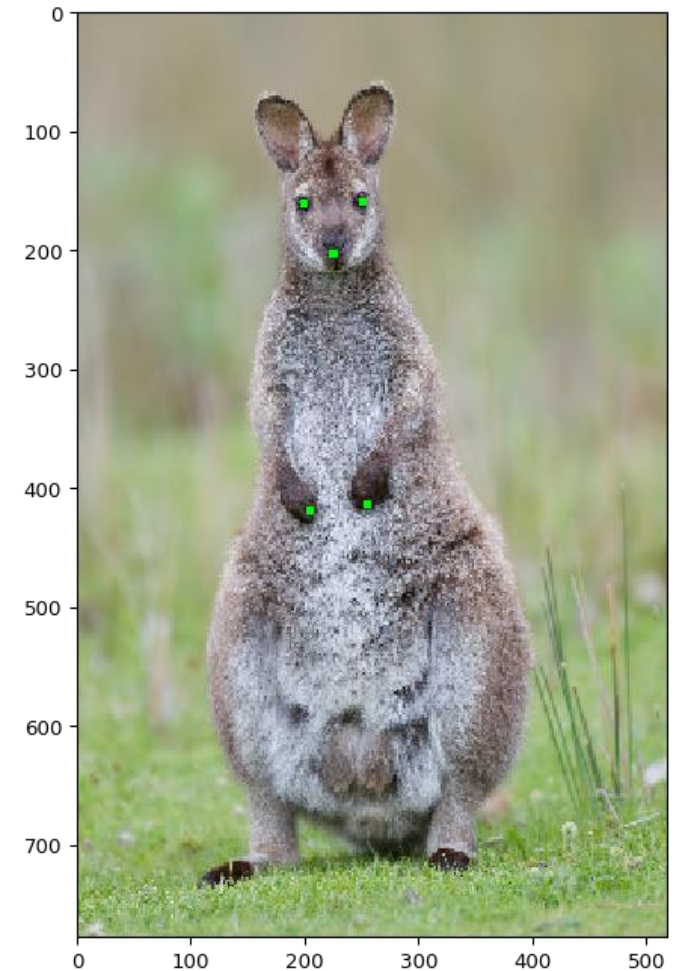
Áp dụng chuỗi các kỹ thuật augmentation cho 1 batch ảnh

Augmentation Library

❖ Augment Keypoints/Landmarks



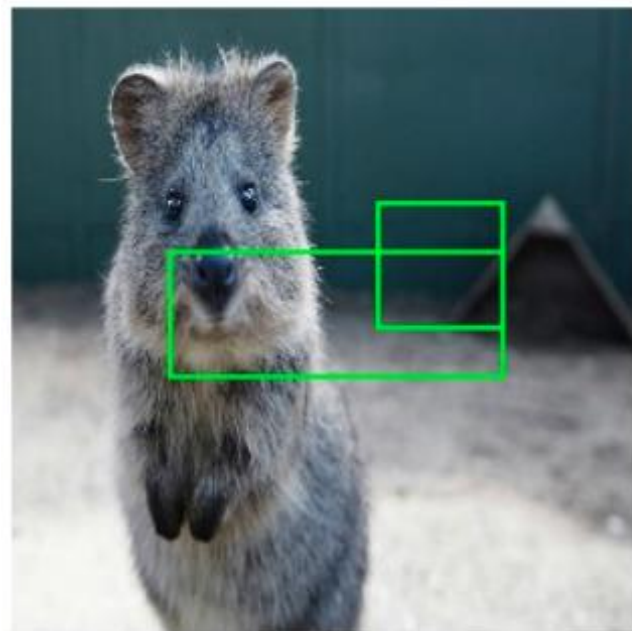
Resize ảnh lỗi



Resize ảnh đúng

Augmentation Library

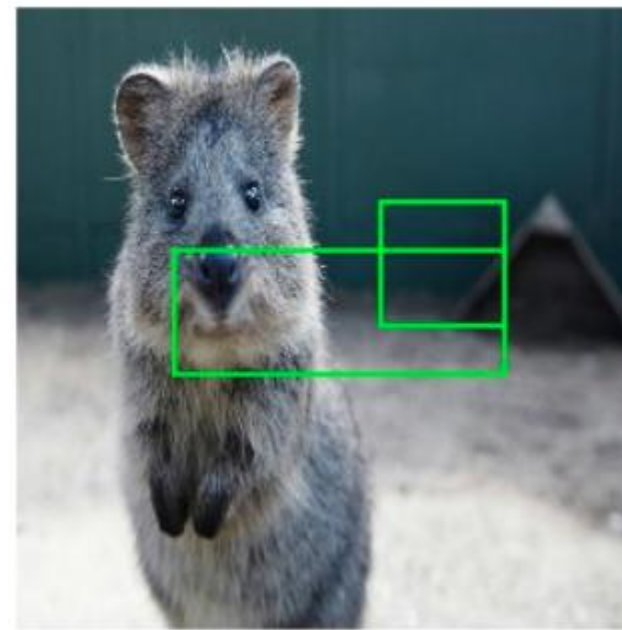
❖ Bounding Boxes



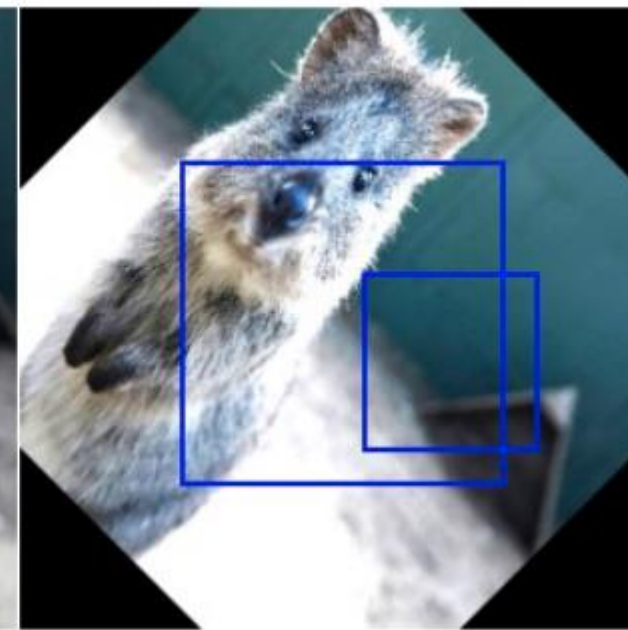
Trước
Augmentation



Sau
Augmentation



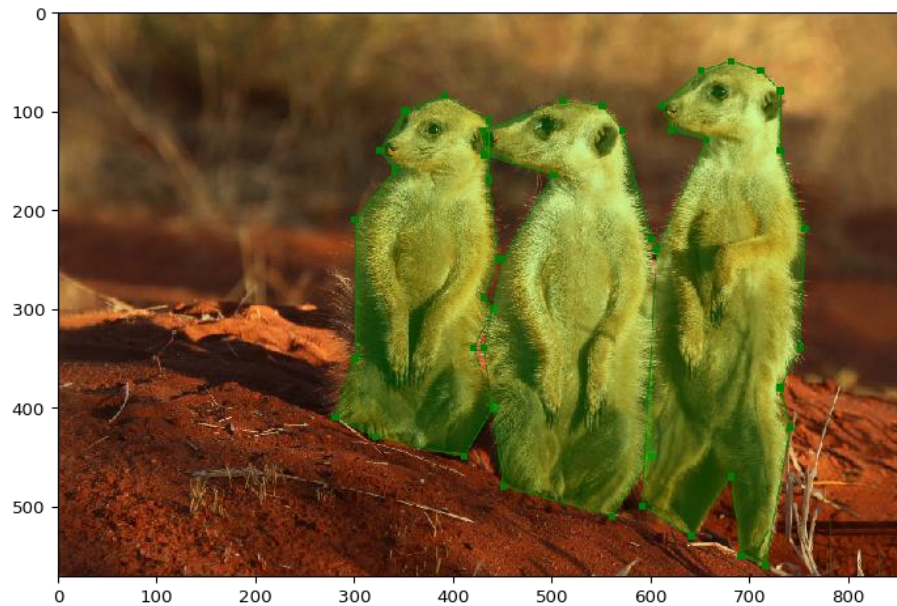
Trước
Augmentation



Sau
Augmentation

Augmentation Library

❖ Polygon



Trước
Augmentation



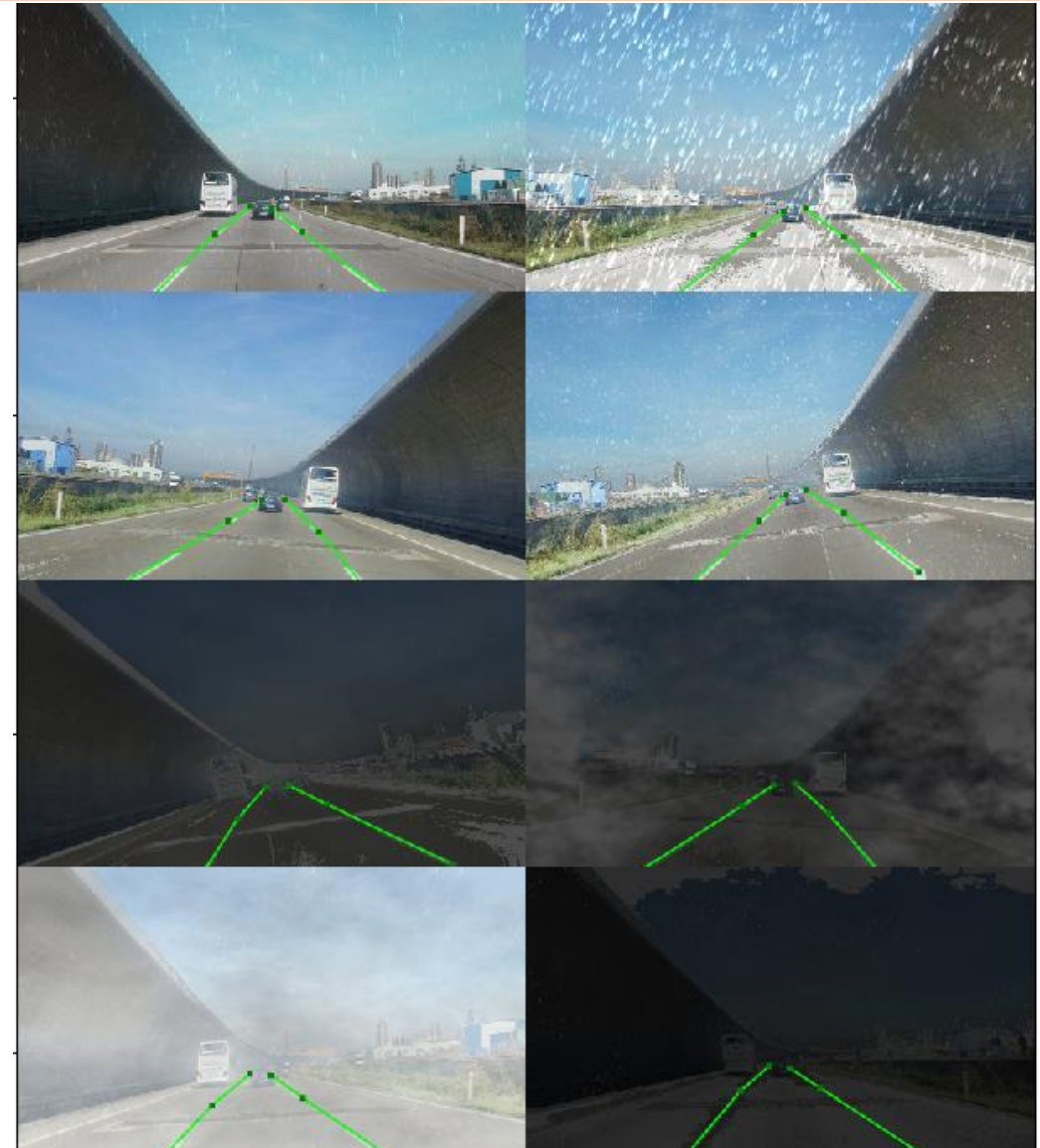
Sau Augmentation

Augmentation Library

❖ Line Strings



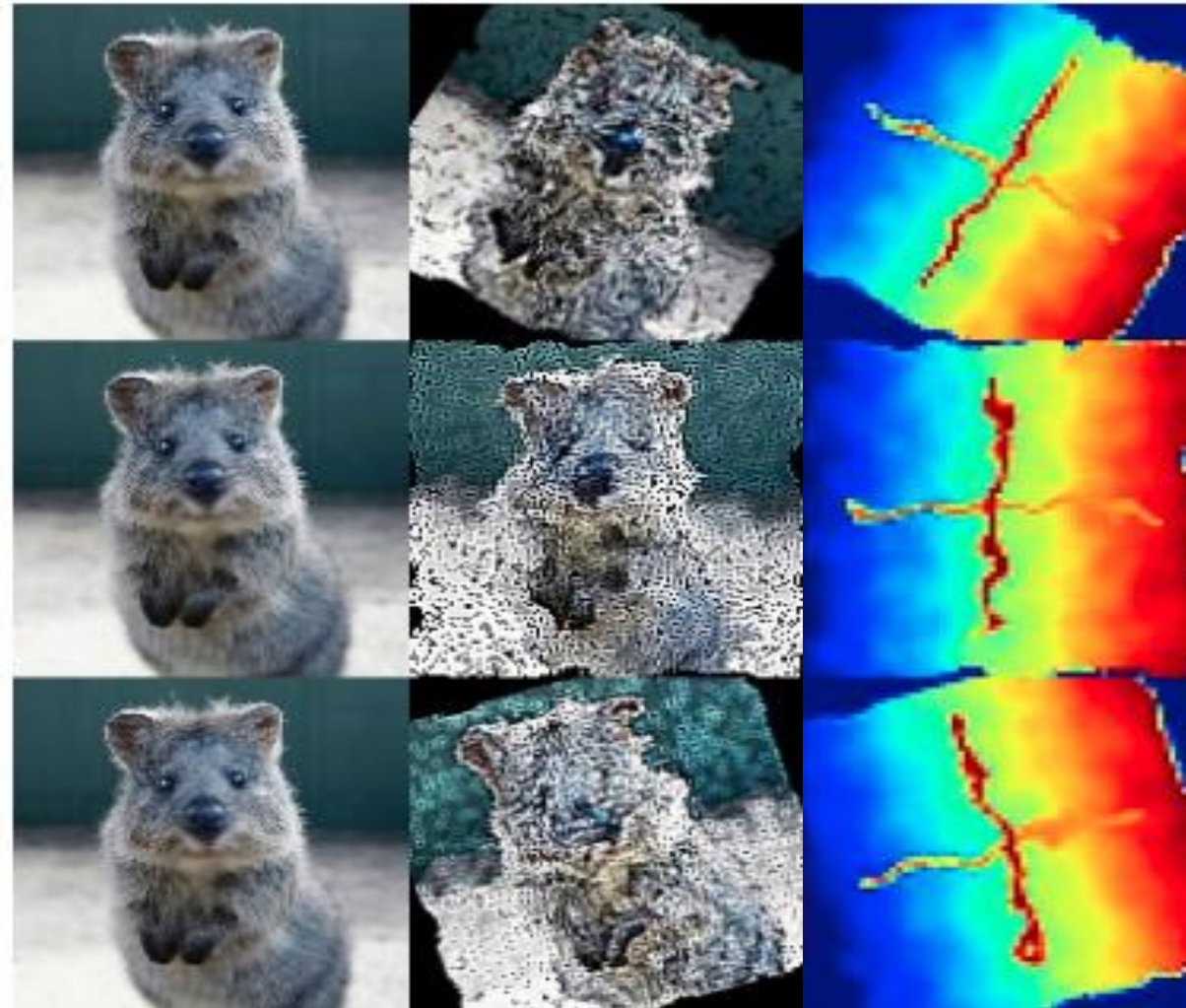
Trước
Augmentation



Sau Augmentation

Augmentation Library

❖ Heat Map



ảnh gốc

ảnh
augmentation

heat map
augmenation

Augmentation Library

❖ Segmentation



Trước Augmentation



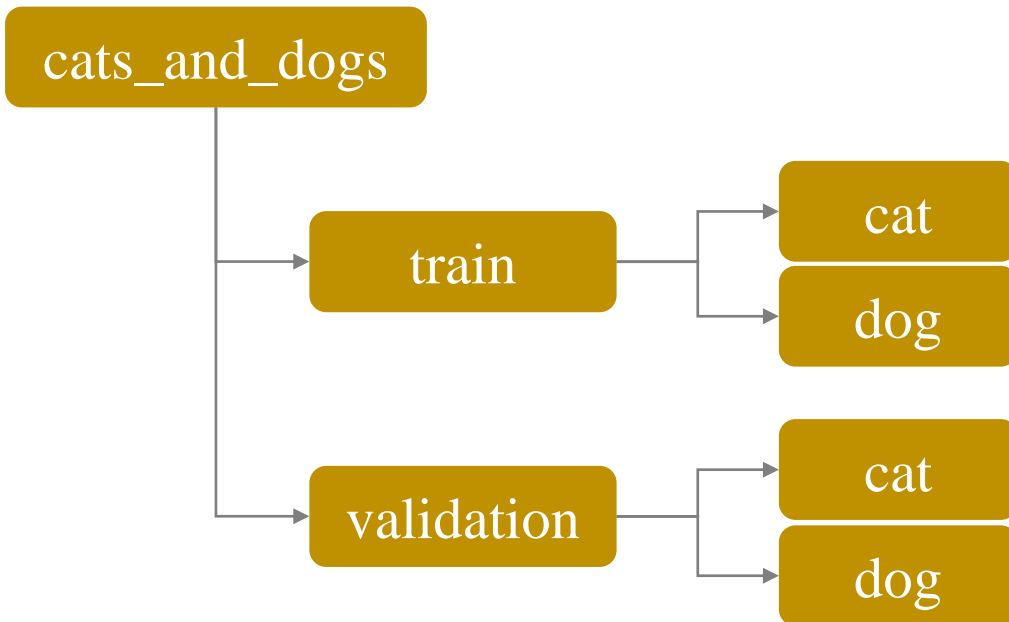
Sau Augmentation

Outline

- **Introduction**
- **Focal Loss**
- **Metrics**
- **Data Augmentation**
- **Experiments**

Experiments

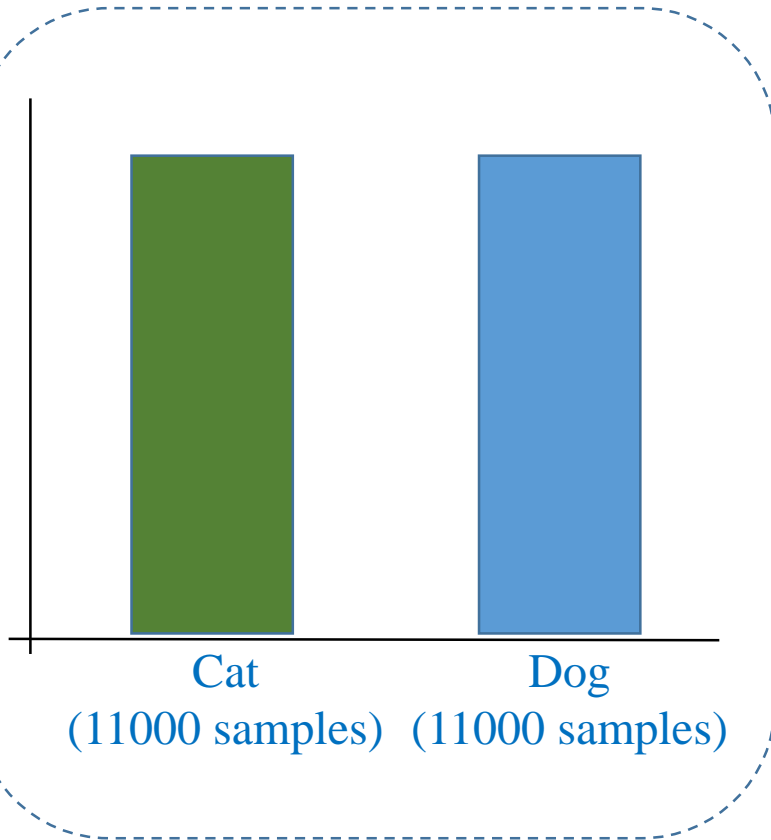
❖ Cat-Dog dataset



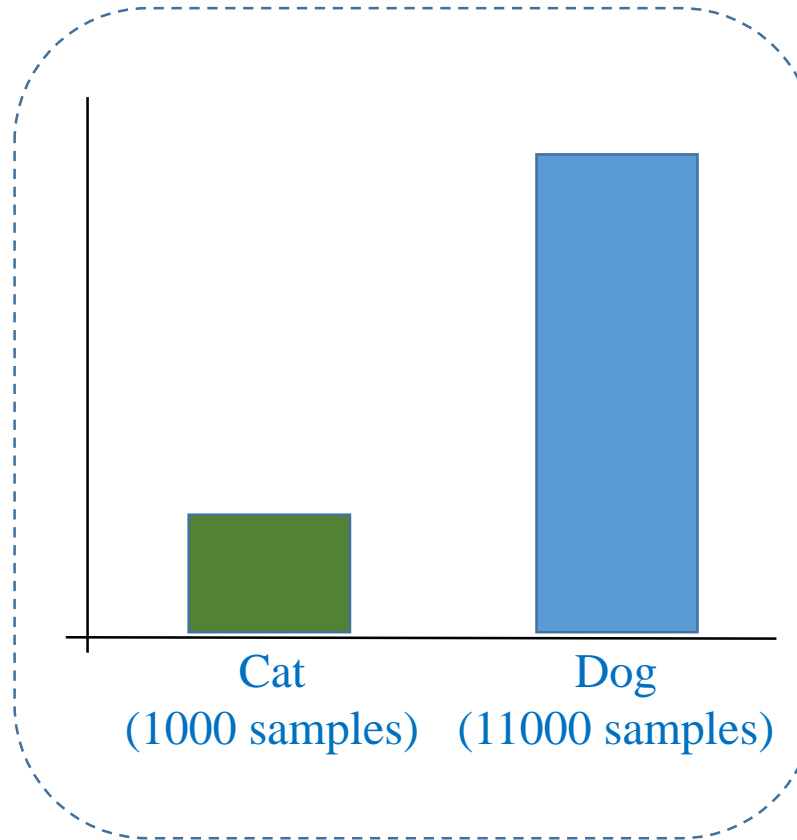
Experiments

❖ Cat-Dog dataset

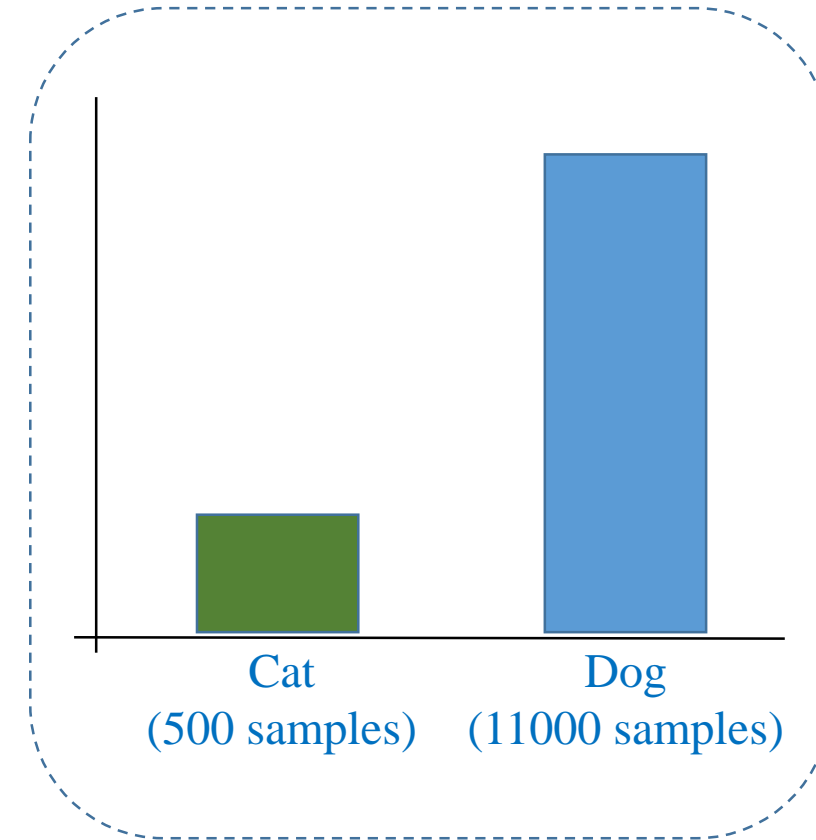
■ Validation data (3000 samples)



Balanced Data



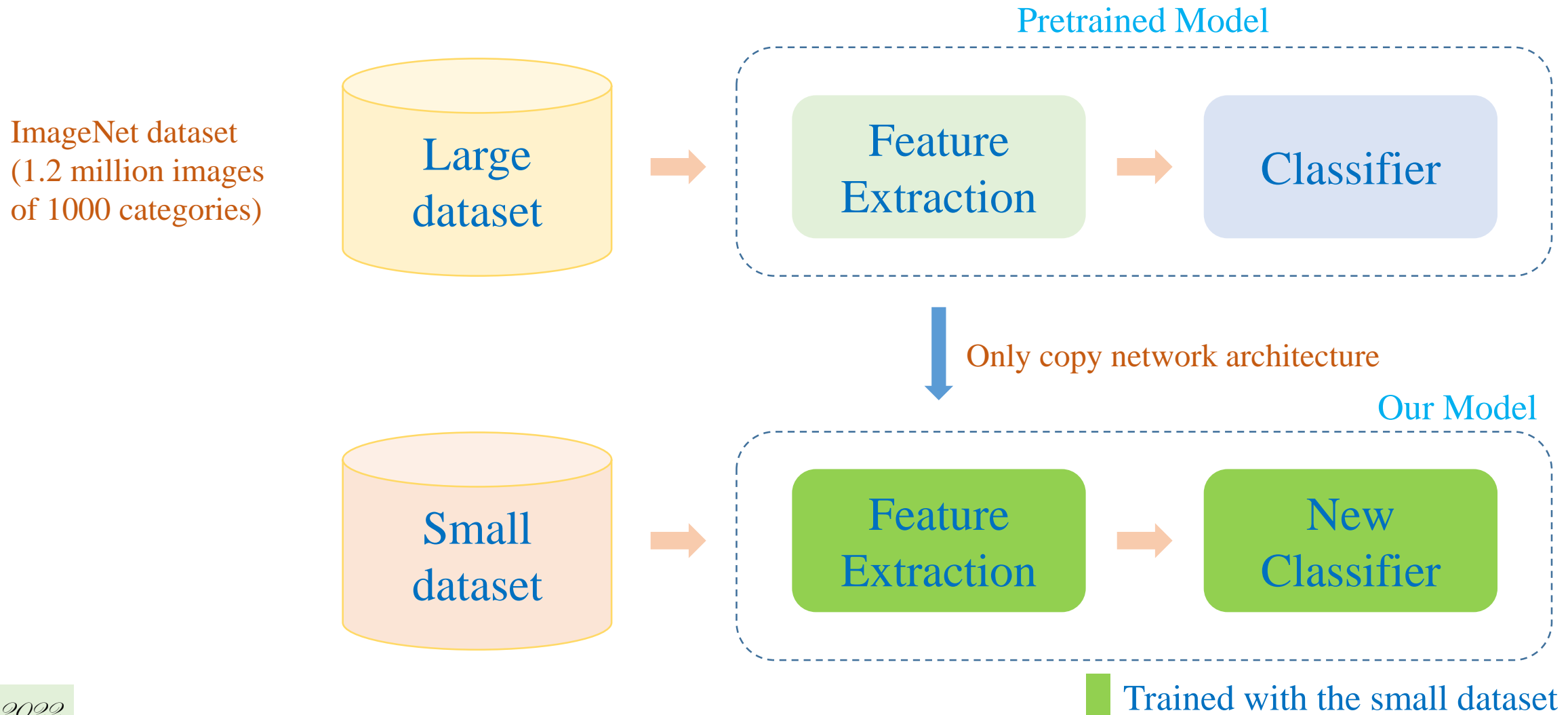
Imbalanced Data 1

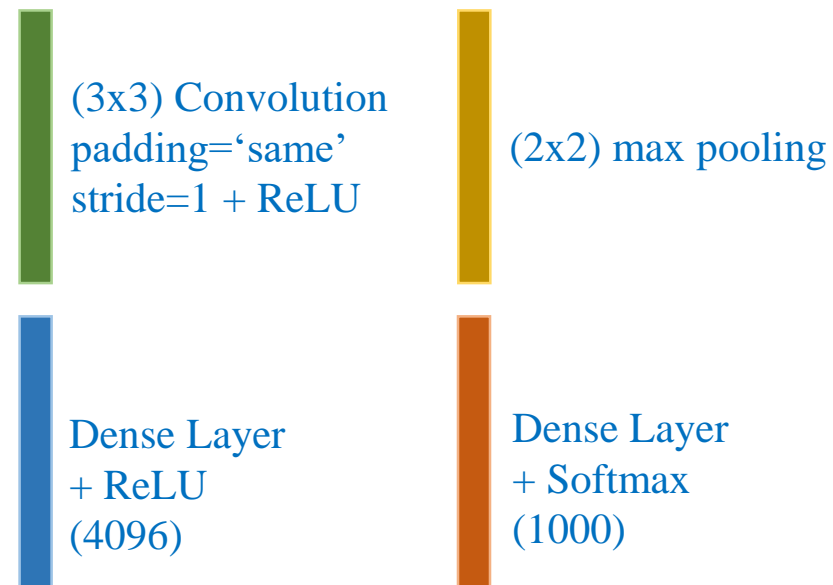
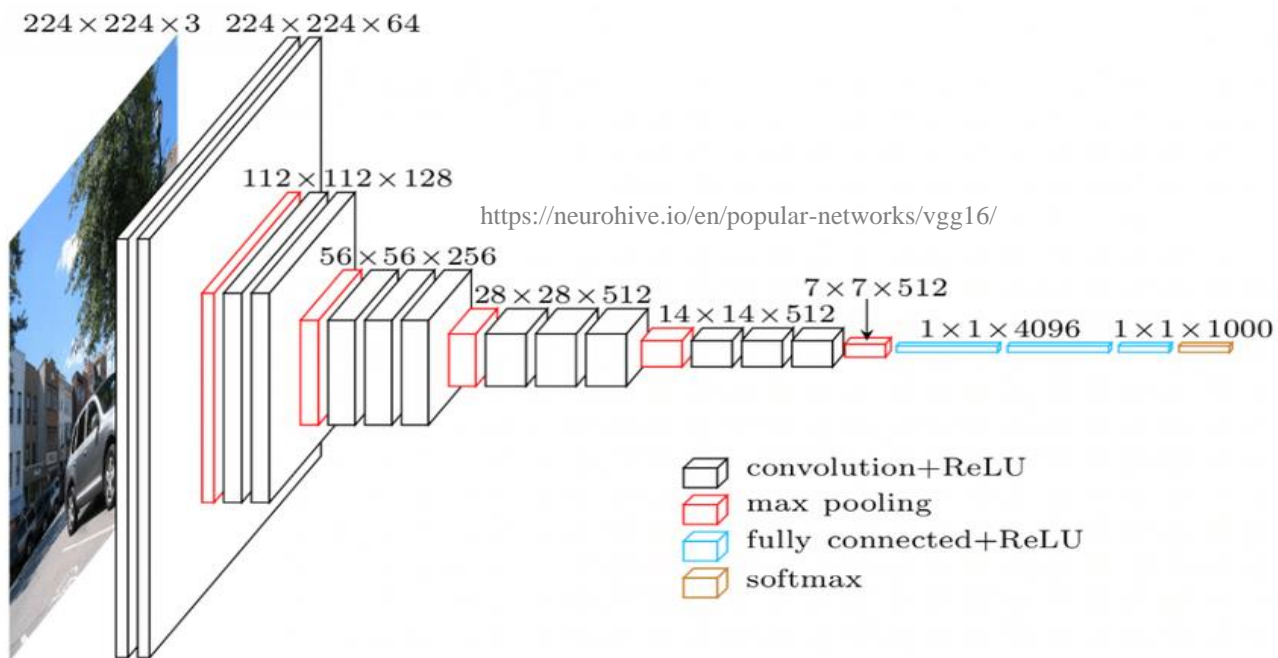


Imbalanced Data 2

Experiments

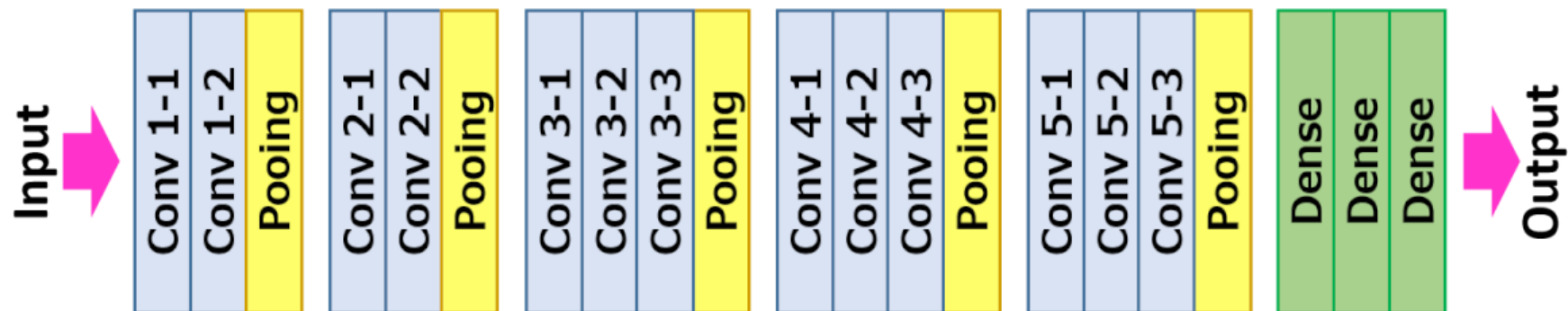
❖ Train from scratch





VGG16

VGG-16



Experiments

❖ Cat-Dog dataset

❖ Train from scratch

```
1  PATH = 'cats_and_dogs_small/'
2
3  train_dir = os.path.join(PATH, 'train')
4  validation_dir = os.path.join(PATH, 'validation')
5
6  BATCH_SIZE = 256
7  IMG_SIZE = (160, 160)
8  BUFFER_SIZE = BATCH_SIZE*5
9
10 train_dataset = image_dataset_from_directory(train_dir,
11                                              shuffle=True,
12                                              batch_size=BATCH_SIZE,
13                                              image_size=IMG_SIZE)
```

Found 2000 files belonging to 2 classes.

```
1  validation_dataset = image_dataset_from_directory(validation_dir,
2                                                    shuffle=True,
3                                                    batch_size=BATCH_SIZE,
4                                                    image_size=IMG_SIZE)
```

Found 1000 files belonging to 2 classes.

Experiments

❖ Cat-Dog dataset

❖ Train from scratch

```
1 # top=False
2 model = tf.keras.applications.VGG16(input_shape=(160,160,3),
3                                     include_top=False,
4                                     weights=None)
5 model.summary()
```

Model: "vgg16"

Layer (type)	Output Shape	Param #
=====		
input_1 (InputLayer)	[(None, 160, 160, 3)]	0
block1_conv1 (Conv2D)	(None, 160, 160, 64)	1792
block1_conv2 (Conv2D)	(None, 160, 160, 64)	36928
block1_pool (MaxPooling2D)	(None, 80, 80, 64)	0
block2_conv1 (Conv2D)	(None, 80, 80, 128)	73856
block2_conv2 (Conv2D)	(None, 80, 80, 128)	147584
block2_pool (MaxPooling2D)	(None, 40, 40, 128)	0
block3_conv1 (Conv2D)	(None, 40, 40, 256)	295168
block3_conv2 (Conv2D)	(None, 40, 40, 256)	590080
block3_conv3 (Conv2D)	(None, 40, 40, 256)	590080
block3_pool (MaxPooling2D)	(None, 20, 20, 256)	0

block4_conv1 (Conv2D)	(None, 20, 20, 512)	1180160
block4_conv2 (Conv2D)	(None, 20, 20, 512)	2359808
block4_conv3 (Conv2D)	(None, 20, 20, 512)	2359808
block4_pool (MaxPooling2D)	(None, 10, 10, 512)	0
block5_conv1 (Conv2D)	(None, 10, 10, 512)	2359808
block5_conv2 (Conv2D)	(None, 10, 10, 512)	2359808
block5_conv3 (Conv2D)	(None, 10, 10, 512)	2359808
block5_pool (MaxPooling2D)	(None, 5, 5, 512)	0
=====		
Total params: 14,714,688		
Trainable params: 14,714,688		
Non-trainable params: 0		

Experiments

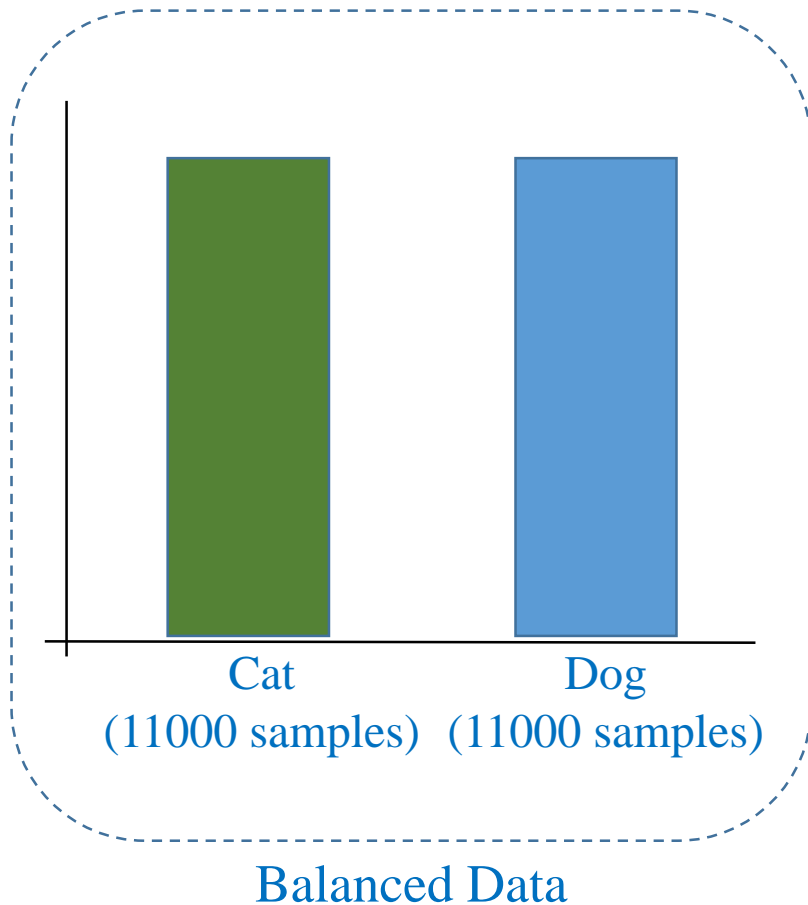
❖ Cat-Dog dataset

❖ Train from scratch

```
1  # process data
2  data_augmentation = tf.keras.Sequential([
3      tf.keras.layers.experimental.preprocessing.RandomFlip('horizontal'),
4      tf.keras.layers.experimental.preprocessing.RandomRotation(0.2),
5      tf.keras.layers.experimental.preprocessing.Rescaling(1./127.5, offset= -1)
6  ])
7
8  # flattening
9  flatten = tf.keras.layers.Flatten()
10
11 # final layer
12 prediction_layer = tf.keras.layers.Dense(1)
13
14 # construct a new network
15 inputs = tf.keras.Input(shape=(160, 160, 3))
16 x = data_augmentation(inputs)
17 x = base_model(x)
18 x = flatten(x)
19 outputs = prediction_layer(x)
20 model = tf.keras.Model(inputs, outputs)
```


Experiments

❖ Cat-Dog dataset



Validation data (3000 samples)

Balanced Loss

$$L_b = L_c + L_d$$

Correct prediction

$$\#_{cat} = 1445$$

$$\#_{dog} = 1436$$

$$F_1 = 0.96$$

Imbalanced Loss 1

$$L_b = L_c + 100 \times L_d$$

Correct prediction

$$\#_{cat} = 1076$$

$$\#_{dog} = 1499$$

$$F_1 = 0.835$$

Imbalanced Loss 2

$$L_b = L_c + 1000 \times L_d$$

Correct prediction

$$\#_{cat} = 670$$

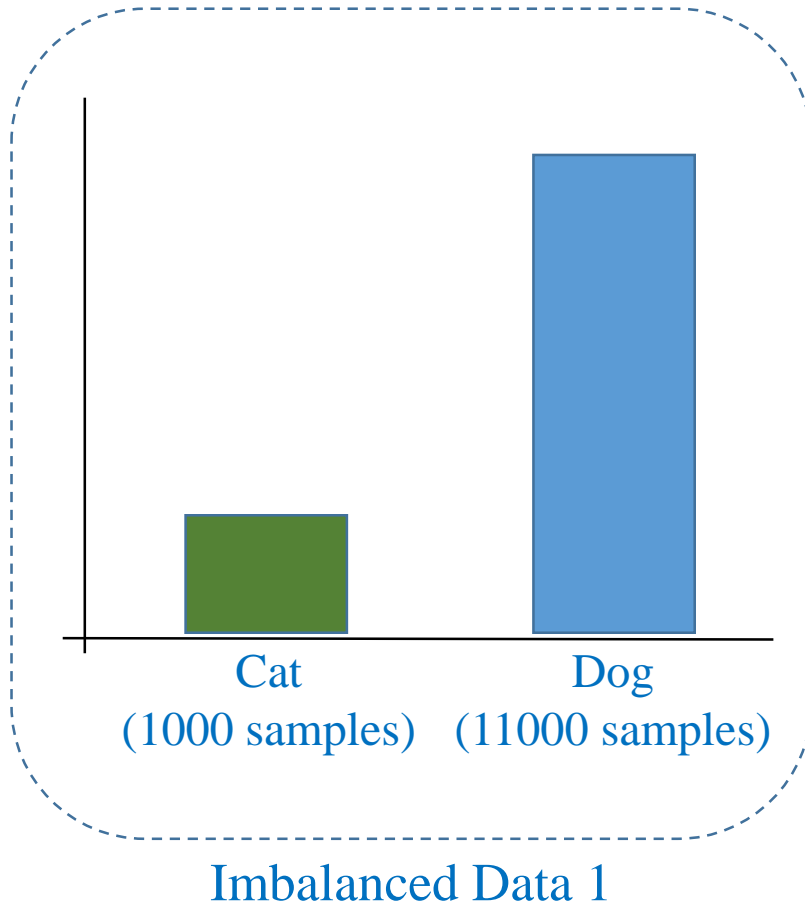
$$\#_{dog} = 1498$$

$$F_1 = 0.617$$

Experiments

❖ Cat-Dog dataset

Validation data (3000 samples)



Balanced Loss

$$L_b = L_c + L_d$$

Correct prediction

$$\#_{cat} = 1082$$

$$\#_{dog} = 1483$$

$$F_1 = 0.833$$

Imbalanced Loss

$$L_b = 6 \times L_c + 0.55 \times L_d$$

Correct prediction

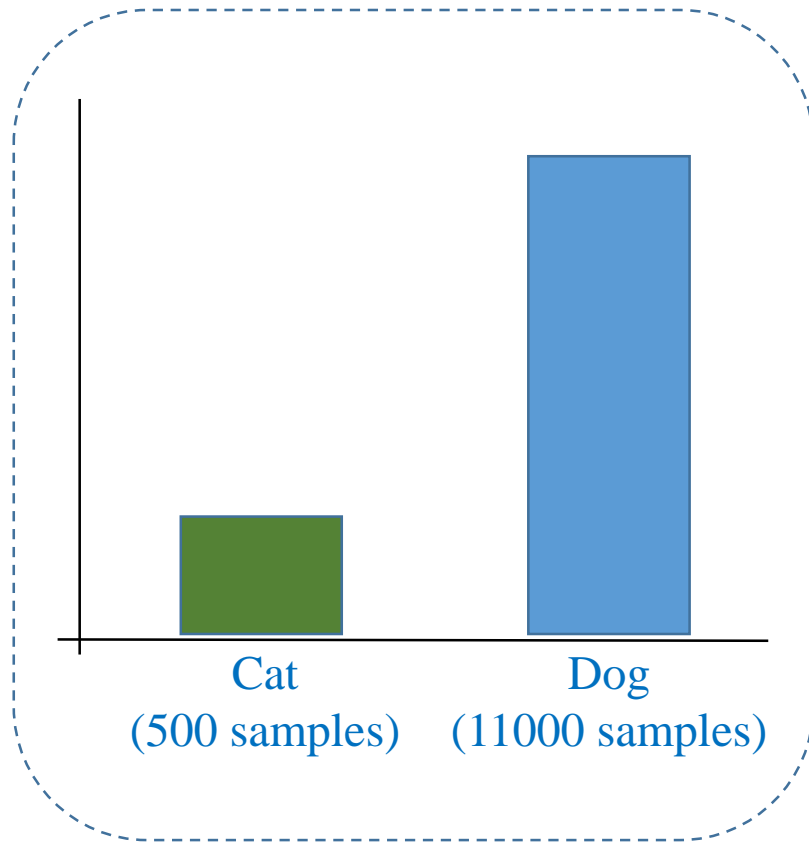
$$\#_{cat} = 1163$$

$$\#_{dog} = 1379$$

$$F_1 = 0.835$$

Experiments

❖ Cat-Dog dataset



Imbalanced Data 2

Correct prediction

$$\#_{cat} = 821$$

$$\#_{dog} = 1489$$

Validation data (3000 samples)

n=3000	Predicted: NEGATIVE	Predicted: POSITIVE	
Actual: NEGATIVE	TN=1489	FP=11	1500
Actual: POSITIVE	FN=679	TP=821	1500
	2168	832	

$$\text{Recal} = \frac{TP}{TP + FN} = \frac{821}{821 + 679} \approx 0.547$$

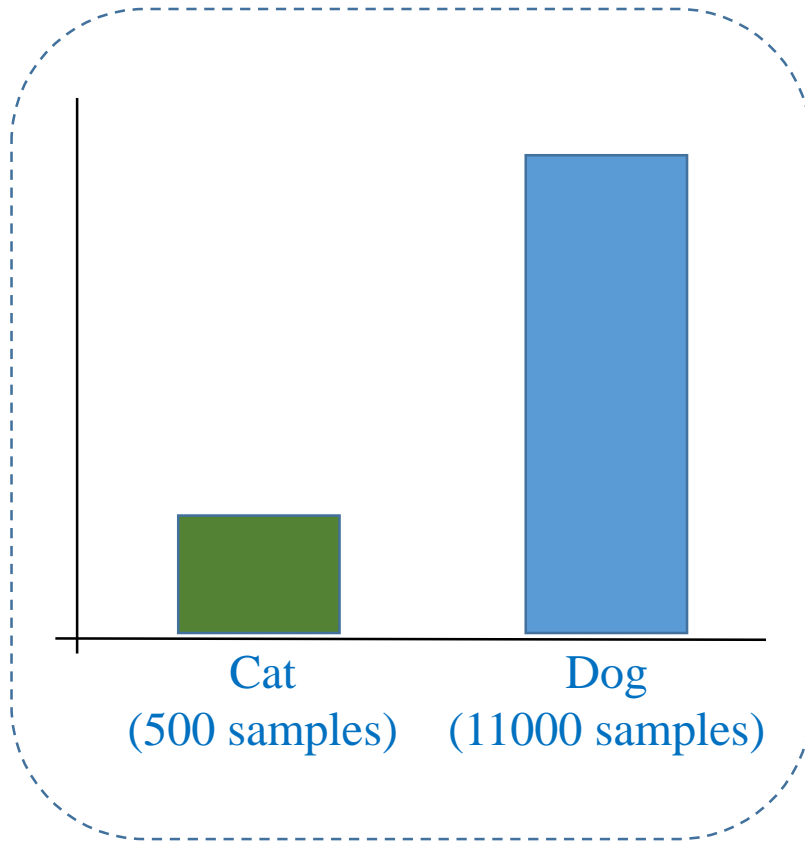
$$\text{Precision} = \frac{TP}{TP + FP} = \frac{821}{821 + 11} \approx 0.987$$

$$F1 = \frac{2 * \text{Recal} * \text{Precision}}{\text{Recal} + \text{Precision}} = \frac{2 * 0.547 * 0.987}{0.547 * 0.987} \approx 0.704$$

Experiments

❖ Cat-Dog dataset

Validation data (3000 samples)



Imbalanced Data 2

Balanced Loss

$$L_b = L_c + L_d$$

Correct prediction

$$\#_{cat} = 821$$

$$\#_{dog} = 1489$$

$$F_1 = 0.704$$

Imbalanced Loss

$$L_b = 11.5 \times L_c + 0.52 \times L_d$$

Correct prediction

$$\#_{cat} = 1123$$

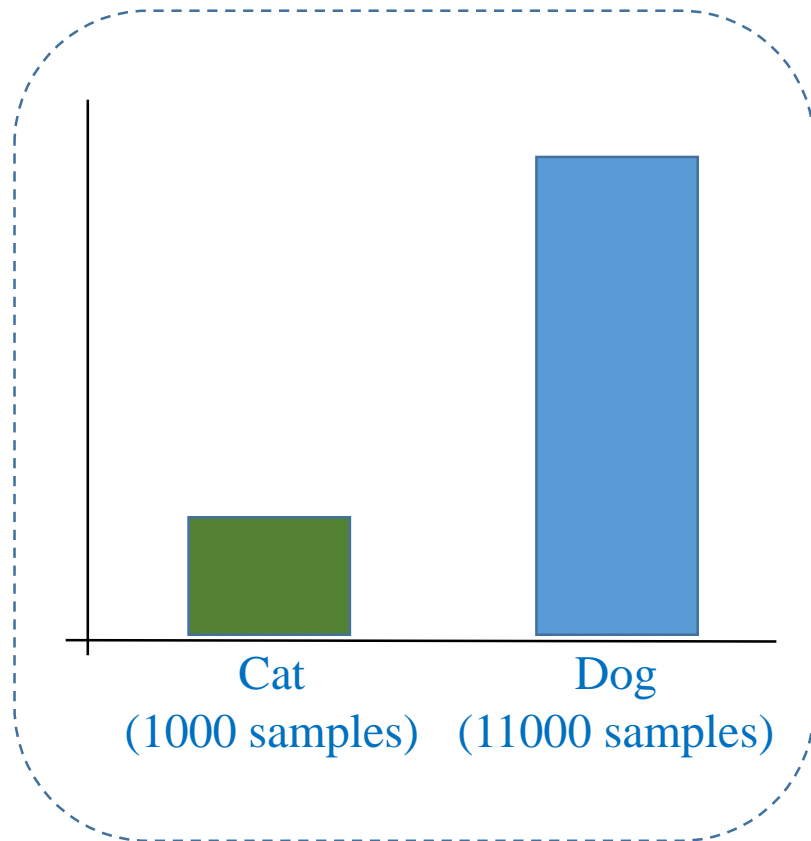
$$\#_{dog} = 1309$$

$$F_1 = 0.798$$

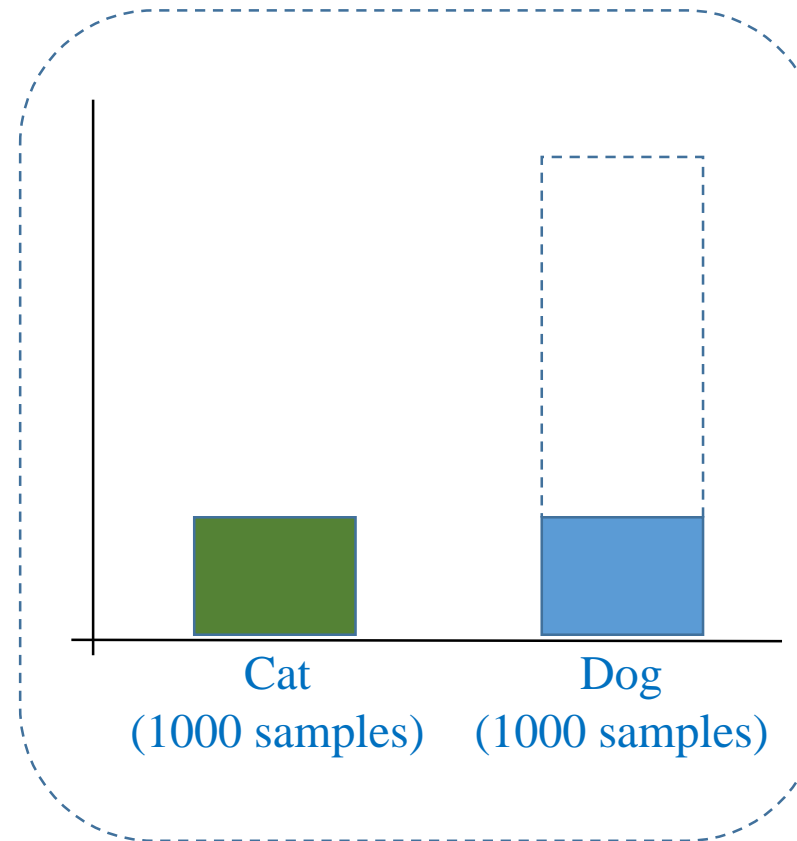
Experiments

❖ Cat-Dog dataset: Undersampling

Validation data (3000 samples)



Imbalanced Data 1



Undersampling Data

Imbalanced Data 1

$$\#_{cat} = 1082$$

$$\#_{dog} = 1483$$

$$F_1 = 0.833$$

Undersampling Data

$$\#_{cat} = 1282$$

$$\#_{dog} = 1017$$

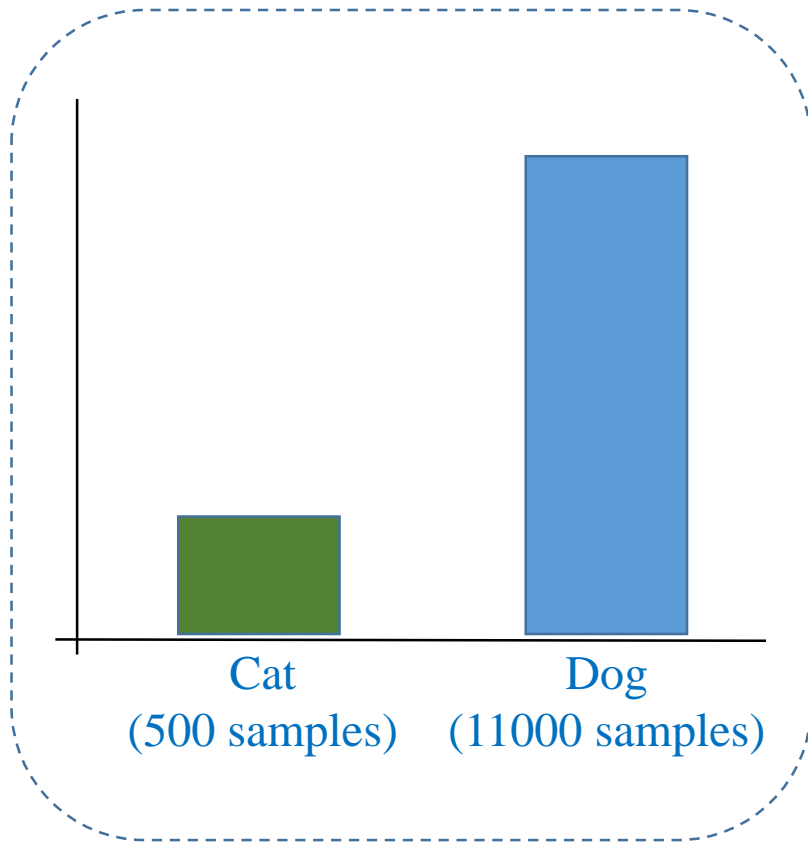
$$F_1 = 0.785$$

!

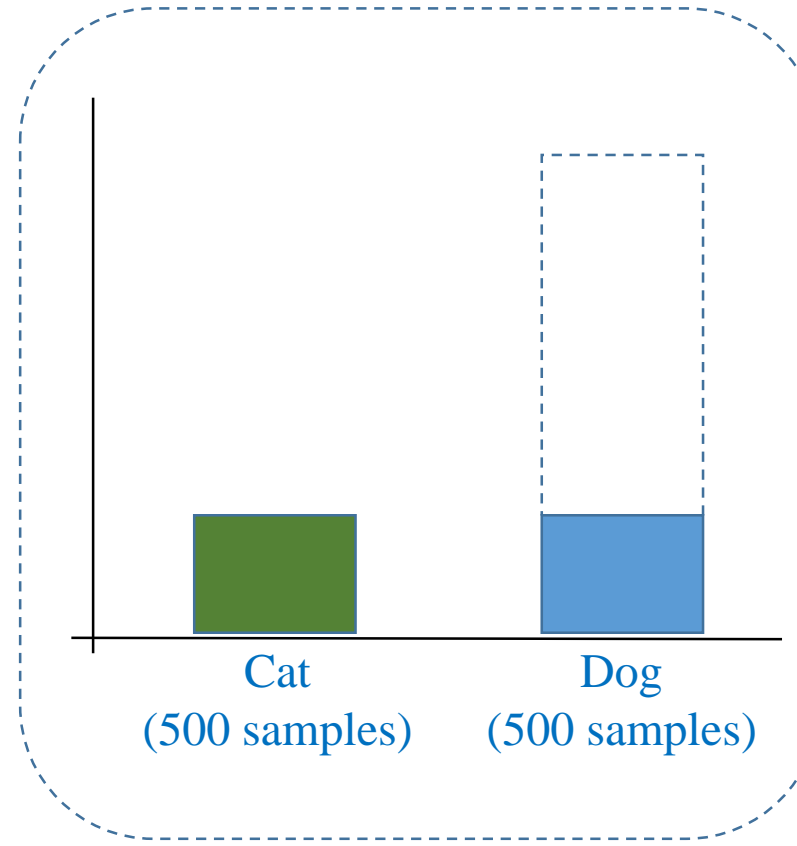
Experiments

❖ Cat-Dog dataset: Undersampling

Validation data (3000 samples)



Imbalanced Data 2



Undersampling Data

Imbalanced Data 2

$$\#_{cat} = 821$$

$$\#_{dog} = 1489$$

$$F_1 = 0.704$$

Undersampling Data

$$\#_{cat} = 1335$$

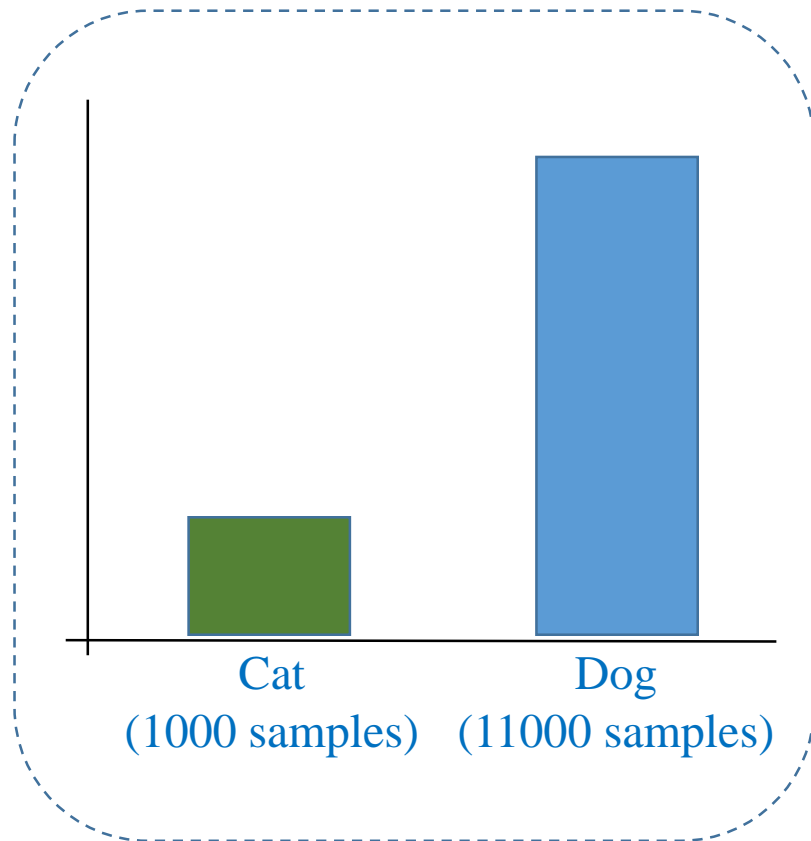
$$\#_{dog} = 734$$

$$F_1 = 0.741$$

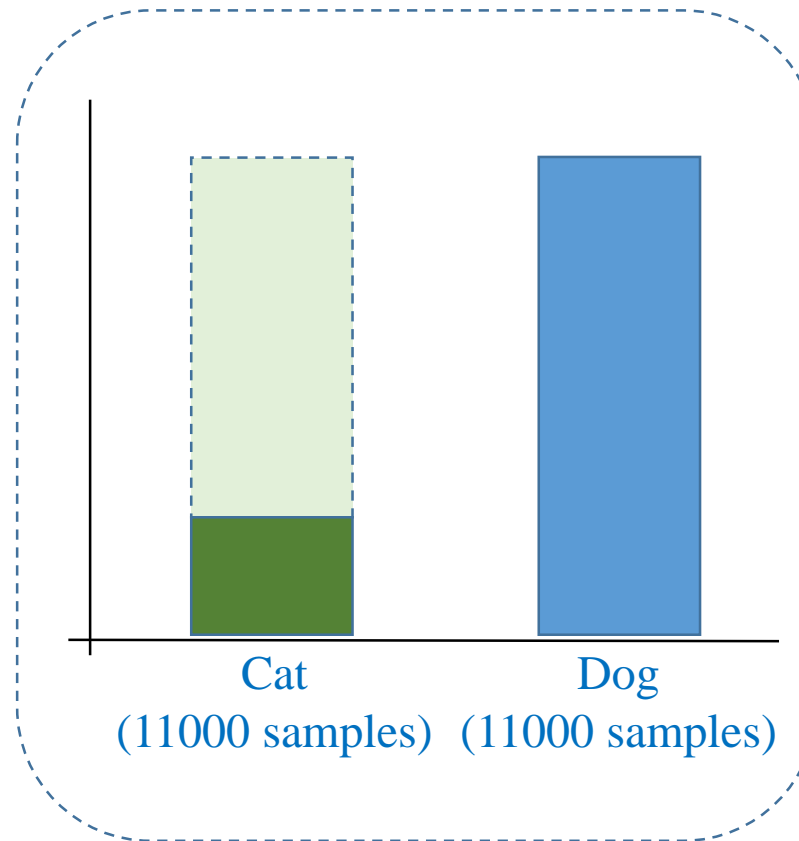
Experiments

❖ Cat-Dog dataset: Oversampling

■ Validation data (3000 samples)



Imbalanced Data 1



Oversampling Data

Imbalanced Data 1

$$\#_{cat} = 1082$$

$$\#_{dog} = 1483$$

$$F_1 = 0.833$$

Oversampling Data

$$\#_{cat} = 1167$$

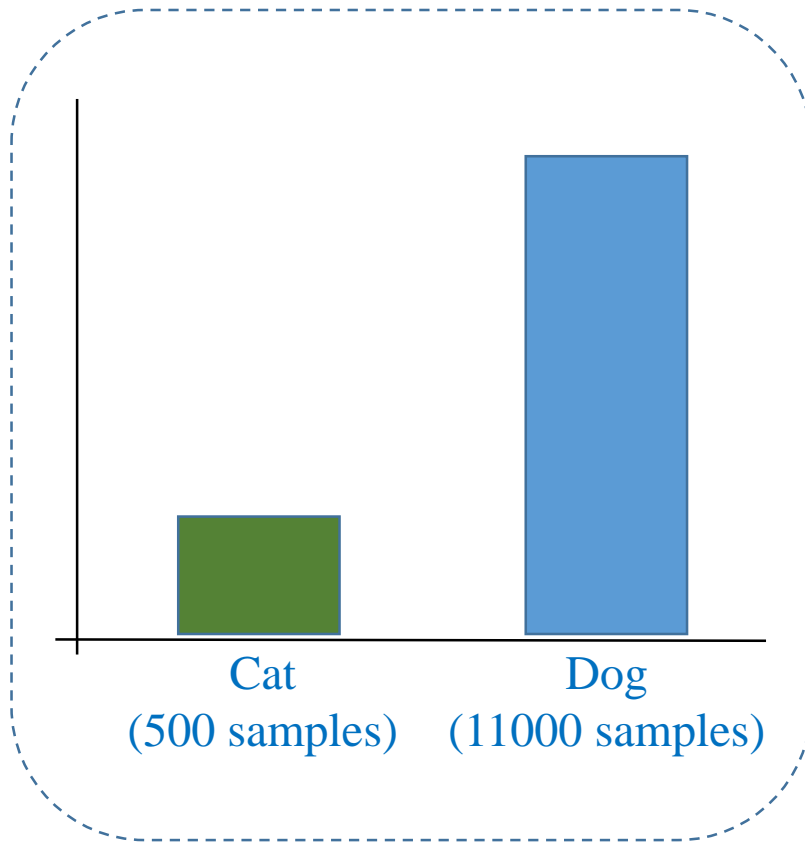
$$\#_{dog} = 1438$$

$$F_1 = 0.855$$

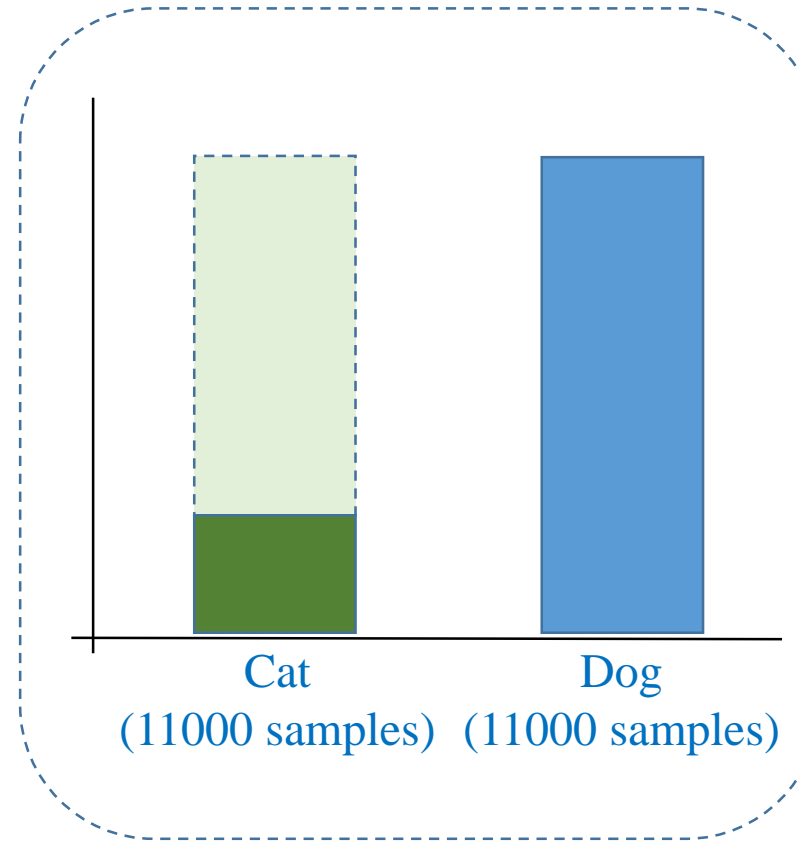
Experiments

❖ Cat-Dog dataset: Oversampling

■ Validation data (3000 samples)



Imbalanced Data 2



Oversampling Data

Imbalanced Data 2

$$\#_{cat} = 821$$

$$\#_{dog} = 1489$$

$$F_1 = 0.704$$

Oversampling Data

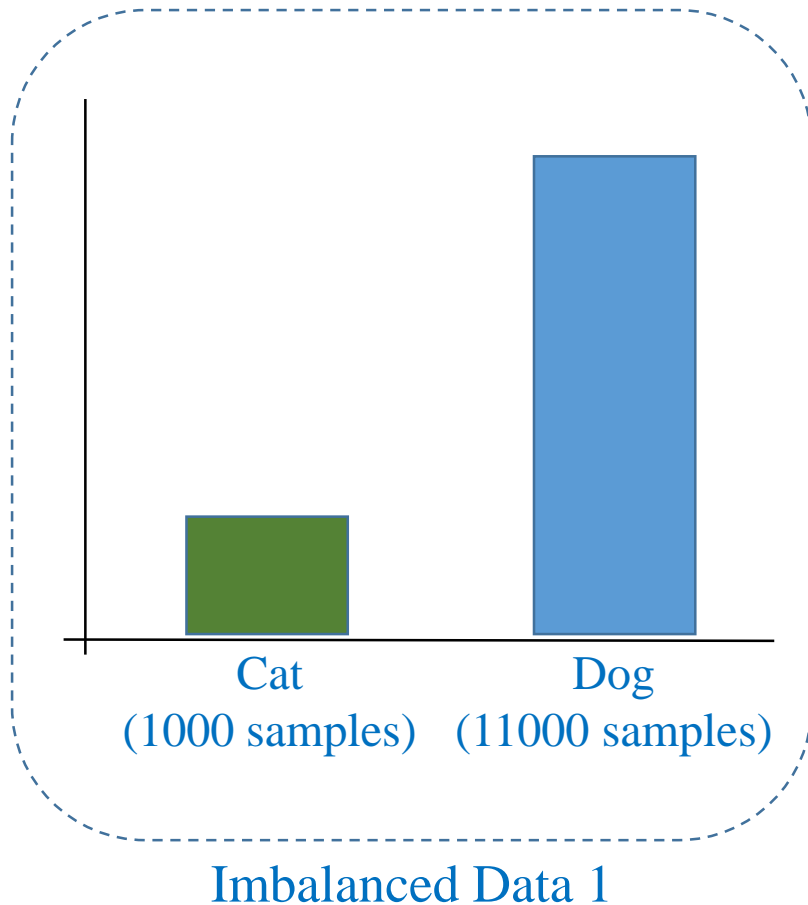
$$\#_{cat} = 1159$$

$$\#_{dog} = 1386$$

$$F_1 = 0.836$$

Experiments

❖ Cat-Dog dataset: Focal loss



Normal crossentropy

$$\#_{cat} = 1082$$

$$\#_{dog} = 1483$$

$$F_1 = 0.833$$

Focal loss

$$\#_{cat} = 1210$$

$$\#_{dog} = 1447$$

$$F_1 = 0.876$$

