

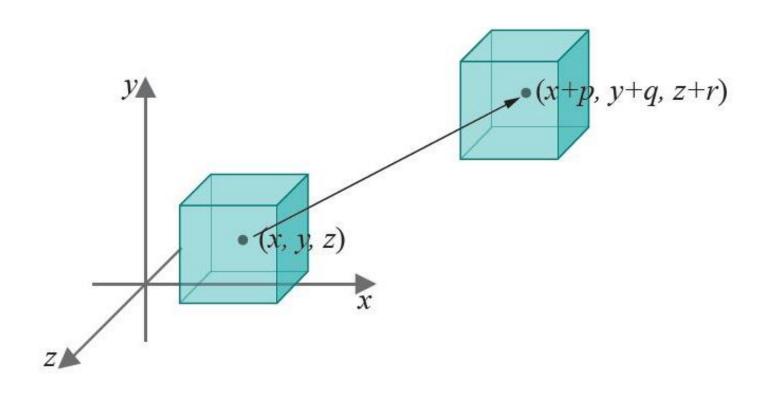
COMPUTER GRAPHICS

Modeling Transformation of OpenGL

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Translation

□ glTranslatef(p, q, r)



Translation

□ glutWireCube(5.0)

□ glFrustum(-5.0,5.0, -5.0, 5.0, 5.0, 100.0)

□ glTranslatef(0, 0, -15)

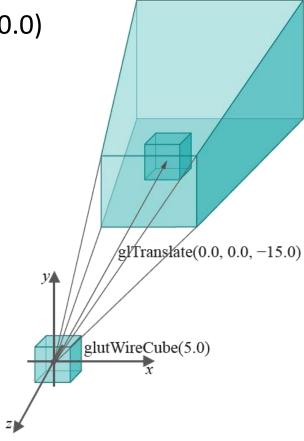
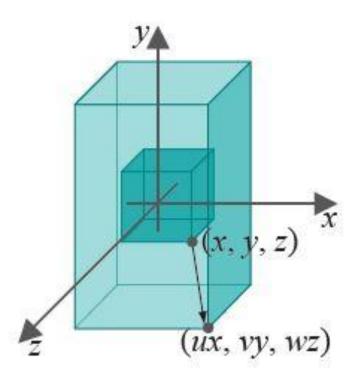


Figure 4.3: Translating into the viewing frustum.

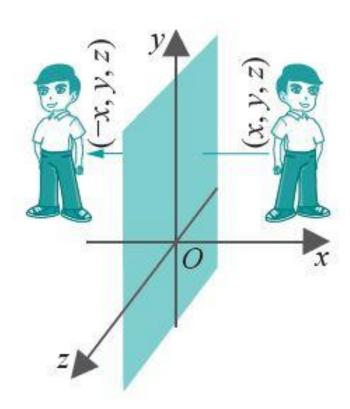
Scaling

glScalef(u,v,w)



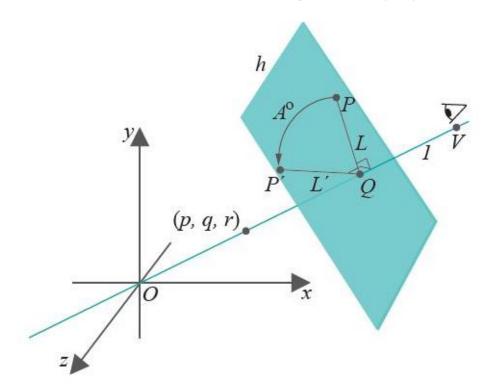
Scaling

 \square glScalef(-1 , 1 , 1) – Reflection in the yz-plane



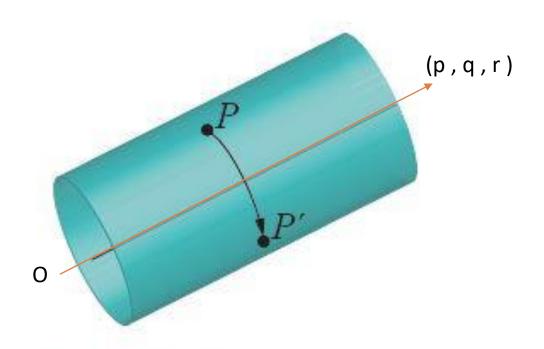
Rotation

- glRotatef(A , p , q , r)
 - Rotate an object about an axis from the origin O to the point (p,q,r)
 - The amount of rotation is A°
 - Measured counter-clockwise looking from (p,q,r) to the origin



Rotation

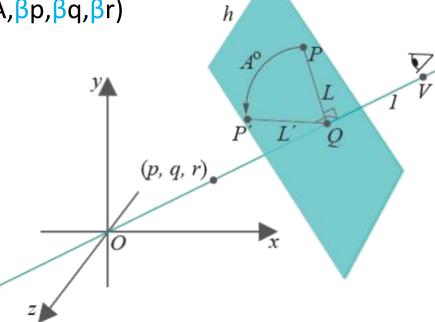
- glRotatef(A , p , q , r)
- □ Intuitive explanation: point turning along an imaginary cylinder on that axis from the origin O to the point (p,q,r)



Rotation

□ glRotatef(A,p,q,r) = glRotatef(A, α p, α q, α r) where α is any positive scalar

□ glRotatef(-A,p,q,r) = glRotatef(A, β p, β q, β r) where β is any negative scalar



- Example box.cpp
- Apply two modeling transformations to the box:

```
// Modeling transformations.
glTranslatef(0.0, 0.0, -15.0);
glRotatef(30.0, 1.0, 0.0, 0.0);
glutWireCube(5.0); // Box.
```

 \square A vertex V is represented in OpenGL as a 4 imes 1 column matrix

$$\left[\begin{array}{c} x \\ y \\ z \\ 1 \end{array}\right]$$

ullet OpenGL maintains a 4 imes 4 modelview matrix, call it M , which initially is the identity

$$M = \begin{bmatrix} a_{11} & a_{12} & a_{13} & a_{14} \\ a_{21} & a_{22} & a_{23} & a_{24} \\ a_{31} & a_{32} & a_{33} & a_{24} \\ a_{41} & a_{42} & a_{43} & a_{44} \end{bmatrix}$$

 The matrix of each successive modeling transformation is multiplied from the left by the current modelview matrix

```
\label{eq:modelingTransformation} \begin{tabular}{ll} $//$ $M$ & = $I$, initially \\ $//$ $M$ & = $IM_1$ & = $M_1$ \\ modelingTransformation 2; & $//$ $M$ & = $M_1M_2$ \\ modelingTransformation 3; & $//$ $M$ & = $M_1M_2M_3$ \\ ... \\ modelingTransformation n-1; & $//$ $M$ & = $M_1M_2\dots$ $M_{n-1}$ \\ modelingTransformation n; & $//$ $M$ & = $M_1M_2\dots$ $M_{n-1}M_n$ \\ object; \end{tabular}
```

multiply the object's vertices V from the left by the current modelview matrix M:

$$V \mapsto MV = (M_1 M_2 \dots M_{n-1} M_n)V$$
$$= M_1(M_2(\dots M_{n-1}(M_n V) \dots))$$

Placing Multiple Objects

Example:

■ Replace the entire display routine of the original box.cpp with:

```
void drawScene(void)
     glClear(GL COLOR BUFFER BIT);
     glColor3f(0.0, 0.0, 0.0);
     glLoadIdentity();
    // Modeling transformations.
     glTranslatef(0.0, 0.0, -15.0);
     glTranslatef(5.0, 0.0, 0.0);
     glutWireCube(5.0); // Box.
     //More modeling transformations.
     glTranslatef(0.0, 10.0, 0.0);
     glutWireSphere(2.0, 10, 8); // Sphere.
     glFlush();
```