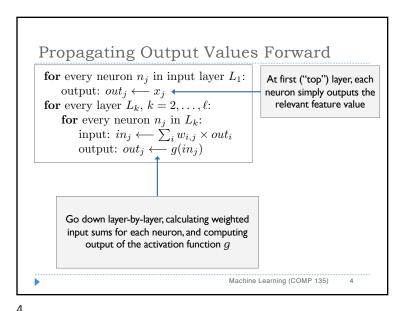
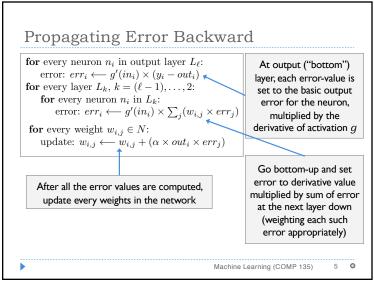
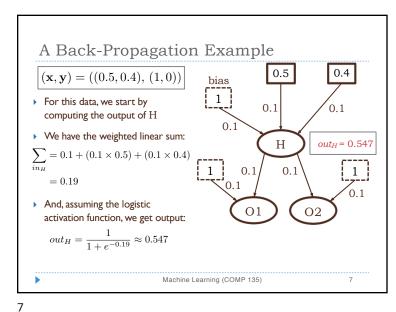


Learning in Neural Networks A neural network can learn a classification function by adjusting its weights to compute different responses This process is another version of gradient descent: the algorithm moves through a complex space of partial solutions, always seeking to minimize overall error

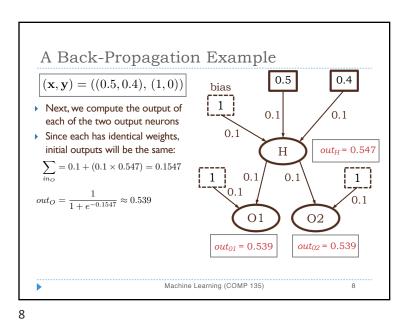
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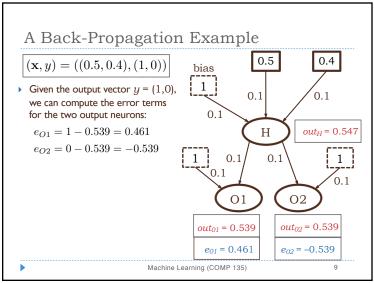


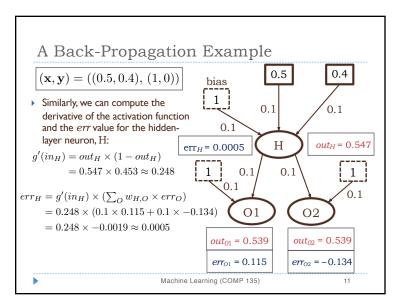


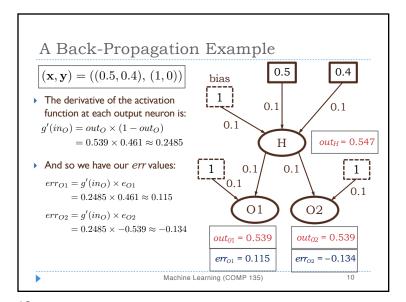


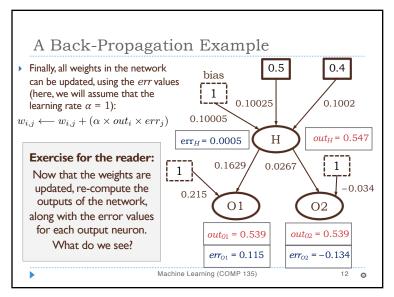
A Back-Propagation Example Consider the following bias simple network, with: 1 0.1 I. Two inputs 2. A single hidden layer, consisting of one neuron Η Two output neurons 0.1 Initial weights as shown ▶ Suppose we have the following data-point: $(\mathbf{x}, \mathbf{y}) = ((0.5, 0.4), (1, 0))$ Machine Learning (COMP 135)











Hyperparameters for Neural Networks

- Multi-layer (deep) neural networks involve a number of different possible design choices, each of which can affect classifier accuracy:
- Number of hidden layers
- Size of each hidden layer
- Activation function employed
- ▶ Regularization term (controls over-fitting)
- ▶ This is not unique to neural networks
 - ▶ Logistic regression: regularization (C parameter in sklearn), class
 - > SVM: kernel type, kernel parameters (like polynomial degree), error penalty (C again), etc.

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Question is often how we can tune these model control parameters effectively to find best combinations

13

Modifying Model Parameters

- Using heldout validation techniques, we can begin to explore various parts of the hyperparameter-space
- In each case, we try to maximize average performance on the heldout validation data
- For example: **number** of layers in a neural network can be explored iteratively, starting with one layer, and increasing one at a time (up to some reasonable) limit until over-fitting is detected
- ▶ Similarly, we can explore a range of layer sizes, starting with hidden layers of size equal to the number of input features, and increasing in some logarithmic manner until over-fitting occurs, or some practical limits reach

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13

Review: Heldout Cross-Validation

- \blacktriangleright We can use k-fold cross-validation techniques to estimate the real effectiveness of various parameter settings:
- I. Divide labeled data into k folds, each of size 1/k
- 2. Repeat k times:
- a. Hold aside one of the folds; train on the remaining (k-1); test on the heldout data
- b. Record classification error for both training and heldout data
- 3. Average over the k trials
- This can give us a more robust estimate of real effectiveness
- It can also allow us to better detect over-fitting: when average heldout error is significantly worse than average training error, model has grown too complex or otherwise problematic

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14

Using Grid Search for Tuning

- One basic technique is to list out the different values of each parameter that we want to test, and systematically try different combinations of those values
 - For P distinct tuning parameters, defines a P-dimensional space (or "grid"), that we can explore, one combination at a time
- In many cases, since building, training, and testing the models for each combination all take some time, we may find that there are far too many such combinations to try
 - One possibility: many such models can be explored in **parallel**, allowing large numbers of combinations to be compared at the same time, given sufficient resources

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15

16

Costs of Grid Search

- ▶ When we have large numbers of combinations of possible parameters, we may decide to limit the range of some of the parts of our "grid" for feasibility
- For example, we might try:
 - I. # Hidden layers: 1, 2, ..., 10
 - Layer size: N, 2N, 5N, 10N, 20N (N: # input features)
- 3. Activation: Sigmoid, ReLU, tanh
- Regularization (alpha): 10^{-5} , 10^{-3} , 10^{-1} , 10^{1} , 10^{3}
- ▶ Produces $(10 \times 5 \times 3 \times 5) = 750$ different models
 - If we are doing 10-fold validation, need to run 7,500 total tests
 - ▶ Still only a small fragment of the possible parameter-space

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17

Performance of Random Search

- ▶ This technique can sometimes out-perform grid search
 - When using a grid, it is sometimes possible that we just *miss* some intermediate, and important, value completely
 - ▶ The random approach can often hit upon the better combinations with the same (or far less) testing involved
 - J. Bergstra & Y. Bengio, "Random search for hyper-parameter optimization," Journal of Machine Learning Research 13 (2012).
- ▶ Compare random search to grid search over 100 possible network hyperparameter configurations
- As few as 8 randomly selected configurations showed statistically significant improvement in model performance

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Random Search

- Instead of limiting our grid even further, or trying to spend even more time on more combinations, we might try to randomize the process
- Instead of limiting values, we choose randomly from any of a (larger) range of values:
- i. # Hidden layers: [1, 20]
- Layer size: [8, 1024]
- Activation: [Sigmoid, ReLU, tanh]
- Regularization (alpha): [10-7,107]
- For each of these, we assign a probability distribution over its values (uniform or otherwise)
 - We may presume these distributions are independent of one another
- For T tests, we sample each of the ranges for **one** possible value, giving us T different combinations of those values

Machine Learning (COMP 135) 18