

	1	2	3	4	5	6	7	8	9	10	11
A =	6	0	2	0	1	3	4	6	1	3	2

for $i = 1$ to A.length
 $++\text{count}[A[i]]$

2	2	2	2	1	0	2
---	---	---	---	---	---	---

For $i = 1$ to C.length.

$$\text{count}[i] = \text{count}[i] + \text{count}[i + 1]$$

	0	1	2	3	4	5	6
C =	2	4	6	8	9	9	11

At index 1 we will store the sum of count at index 0 and 1
 at index 2 we will store the sum of count at new index 1 and index 2 and so on.

- 4) Take each element of the array, see its count value (element = index) in the table and place the element at that place.
 Update the count of each index by $\text{count} - 1$, as we come across an element with the value of that index

$A[1] = 6 \rightarrow \text{index} - C[6] = 11$, count at index 6 becomes 10
 Therefore

placing 0 at position 2, count index 0 becomes 1.

0						6
---	--	--	--	--	--	---

placing 2 at position 6, count at index 2 becomes 5

0 2 6

placing 0 at position 1, count at index 0 becomes 0

0 0 2 6

placing 1 at position 4, count at index 1 becomes 3

0 0 1 2 6

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placing 3 at position 8, count at index 3 becomes 6

0 0 1 2 3 6

placing 4 at position 9, count at index 4 becomes 9

0 0 1 2 3 4 6

placing 6 at position 10, count at index 6 becomes 10

0 0 1 2 3 4 6 6

placing 1 at position 3, count at index 1 becomes 11

0 0 1 1 2 3 4 6 6

placing 3 at position 7, count at index 3 becomes 6

0 0 1 1 — 2 3 3 4 6 6

Placing 2 at position 5, count at index 2 becomes 4

0	0	1	1	2	2	3	3	4	6	6
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Thus we have obtained a sorted array, in $O(n+k)$ and space, where n is the number of elements ^{times} and k is the range of elements.