$$C_{pk} = Minimum \ of \ [\frac{\bar{x}-Lower \ Specification}{3\sigma}, \frac{Upper \ Specification-\bar{x}}{3\sigma}]$$

$$C_p = \frac{\textit{Upper Specification} - \textit{Lower Specification}}{\textit{Oscillation}}$$

$$Utilization = \frac{\textit{Actual Output}}{\textit{Design Capacity}}$$

$$Efficiency = \frac{\textit{Actual Output}}{\textit{Effective Capacity}}$$

$$Break - \textit{even in units} = \frac{F}{P - V}$$

$$Break - \textit{even in dollars} = \frac{F}{1 - (\frac{V}{P})}$$

$$\textit{Multiproduct break} - \textit{even in dollars} = \frac{F}{\sum \left[\left(1 - \frac{V_i}{P_i}\right) * (W_i)\right]}$$

Labor cost per unit= Labor cost per day ÷ production (units per day)

*x* – *coordinate of the center of gravity* =  $\sum_i x_i Q_i / \sum_i Q_i$ 

*y* – coordinate of the center of gravity =  $\sum_i y_i Q_i / \sum_i Q_i$ 

$$Minimize\ Cost = \sum_{i=1}^{n} \sum_{j=1}^{n} X_{ij}C_{ij}$$

 $Takt \ time = \frac{total \ work \ time \ available}{units \ required \ to \ satisfy \ customer \ demand}$ 

 $Workers Required = \frac{total operation time required}{takt time}$ 

 $cycle\ time = \frac{production\ time\ available\ per\ day}{units\ required\ per\ day}$ 

Minimum Number of Workstations =  $\frac{\sum_{i=1}^{n} time \text{ for task } i}{cycle \text{ time}}$ 

 $efficiency = \frac{\sum task\ times}{actual\ number\ of\ workstations*largest\ assigned\ cycle\ time}$ 

Idle Time = (actual number of workstations) X (Largest assigned cycle time) -  $\sum task$  times

$$P(n) = S + (1 - S)U^n$$
 Bullwhip =  $\frac{Variance in orders}{Variance of demand} = \frac{\sigma_{orders}^2}{\sigma_{demand}^2}$