

1. Define Problem Statement and perform Exploratory Data Analysis

Yulu Case Study

```
#import essential libraries
```

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
import scipy.stats as stats
import datetime as dt
from datetime import datetime
```

Importing the Yulu Data from google cloud to notebook

```
#!wget "https://drive.google.com/uc?export=download&id=1-qDO7oNwzQn0RV44YtpqWdYS4SO3GkQg" -O Yulu_data.csv
!wget "https://drive.google.com/uc?export=download&id=1o94fXnmvrX6jRgl6S-SeZ3tfnKjCDY0i" -O Yulu_data.csv
```

```
--2025-02-04 02:45:01-- https://drive.google.com/uc?export=download&id=1o94fXnmvrX6jRgl6S-SeZ3tfnKjCDY0i
Resolving drive.google.com (drive.google.com)... 172.217.204.139, 172.217.204.102, 172.217.204.113, ...
Connecting to drive.google.com (drive.google.com)|172.217.204.139|:443... connected.
HTTP request sent, awaiting response... 303 See Other
Location: https://drive.usercontent.google.com/download?id=1o94fXnmvrX6jRgl6S-SeZ3tfnKjCDY0i&export=download
--2025-02-04 02:45:01-- https://drive.usercontent.google.com/download?id=1o94fXnmvrX6jRgl6S-SeZ3tfnKjCDY0i&e
Resolving drive.usercontent.google.com (drive.usercontent.google.com)... 172.217.204.132, 2607:f8b0:400c:c15::84
Connecting to drive.usercontent.google.com (drive.usercontent.google.com)|172.217.204.132|:443... connected.
HTTP request sent, awaiting response... 200 OK
Length: 648353 (633K) [application/octet-stream]
Saving to: 'Yulu_data.csv'
```

```
Yulu_data.csv 100%[=====>] 633.16K --.-KB/s in 0.005s
```

```
2025-02-04 02:45:04 (113 MB/s) - 'Yulu_data.csv' saved [648353/648353]
```



```
#Read csv dataset
```

```
data=pd.read_csv('Yulu_data.csv')
```

```
#display data to verify
data.head()
```



	datetime	season	holiday	workingday	weather	temp	atemp	humidity	windspeed	casual	re
0	2011-01-01 00:00:00	1	0	0	1	9.84	14.395	81	0.0	3	
1	2011-01-01 01:00:00	1	0	0	1	9.02	13.635	80	0.0	8	
2	2011-01-01 02:00:00	1	0	0	1	9.02	13.635	80	0.0	5	
3	2011-01-01 03:00:00	1	0	0	1	9.84	14.395	75	0.0	3	
4	2011-01-01 04:00:00	1	0	0	1	9.84	14.395	75	0.0	0	



Next steps:

[Generate code with data](#)[View recommended plots](#)[New interactive sheet](#)

#create another copy of data, so that original data would not change while manipulating data.

```
df=data.copy()
```

Start coding or [generate](#) with AI.

Find the all columns name from Yulu dataset

```
df.columns
```



```
Index(['datetime', 'season', 'holiday', 'workingday', 'weather', 'temp',
      'atemp', 'humidity', 'windspeed', 'casual', 'registered', 'count'],
      dtype='object')
```

Find the total number of rows and columns

```
df.shape
```




```
(10886, 12)
```

- The total number of columns are 12 and total rows are 10886

Find the null values if any available in dataset

```
df.isnull().sum()
```




	0
datetime	0
season	0
holiday	0
workingday	0
weather	0
temp	0
atemp	0
humidity	0
windspeed	0
casual	0
registered	0
count	0

10886 entries

- there is no null values available in Yulu dataset

find the data types of the all columns

df.info()



```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 10886 entries, 0 to 10885
Data columns (total 12 columns):
#   Column      Non-Null Count  Dtype
---  ---
0   datetime    10886 non-null object
1   season      10886 non-null int64
2   holiday     10886 non-null int64
3   workingday  10886 non-null int64
4   weather     10886 non-null int64
5   temp        10886 non-null float64
6   atemp       10886 non-null float64
7   humidity    10886 non-null int64
8   windspeed   10886 non-null float64
9   casual      10886 non-null int64
10  registered  10886 non-null int64
11  count       10886 non-null int64
dtypes: float64(3), int64(8), object(1)
memory usage: 1020.7+ KB
```

Check any duplicate values

```
print("If any duplicate values in dataset :", np.any(df.duplicated()))
```



```
If any duplicate values in dataset : False
```

```
#convert data type of datetime column from object to datetime64
df['datetime']=df['datetime'].astype('datetime64[ns]')
```

Describe the basic statistical information about the data

```
df.describe()
```

	datetime	season	holiday	workingday	weather	temp	
count	10886	10886.000000	10886.000000	10886.000000	10886.000000	10886.000000	10886.000000
mean	2011-12-27 05:56:22.399411968	2.506614	0.028569	0.680875	1.418427	20.23086	
min	2011-01-01 00:00:00	1.000000	0.000000	0.000000	1.000000	0.82000	
25%	2011-07-02 07:15:00	2.000000	0.000000	0.000000	1.000000	13.94000	
50%	2012-01-01 20:30:00	3.000000	0.000000	1.000000	1.000000	20.50000	
75%	2012-07-01 12:45:00	4.000000	0.000000	1.000000	2.000000	26.24000	
max	2012-12-19 23:00:00	4.000000	1.000000	1.000000	4.000000	41.00000	
std	NaN	1.116174	0.166599	0.466159	0.633839	7.79159	

- Describe actually help us to find the statistical information of given columns like count,mean,min,max,percentile standard deviation of the perticular columns.
- For e.g. the total count of rows of all the columns is 10886
- For **temp** column the minimum temperature is 0.82, max temerature is 45.456,average temperature is 20.23.standard deviation of temp column is 7.79.
- The 25th percentile(Q1),25% of the data points are below the value13.94 in temp column.
- The 50th percentile(Q2),50% of the data points are below the value 20.5 in temp column.
- The 75th percentile(Q3),75% of the data points are below the value 26.24 in temp column.

```
df.head(2)
```

	datetime	season	holiday	workingday	weather	temp	atemp	humidity	windspeed	casual	registered
0	2011-01-01 00:00:00	1	0	0	1	9.84	14.395	81	0.0	3	
1	2011-01-01 01:00:00	1	0	0	1	9.02	13.635	80	0.0	8	

Next steps:

[Generate code with df](#)
[View recommended plots](#)
[New interactive sheet](#)

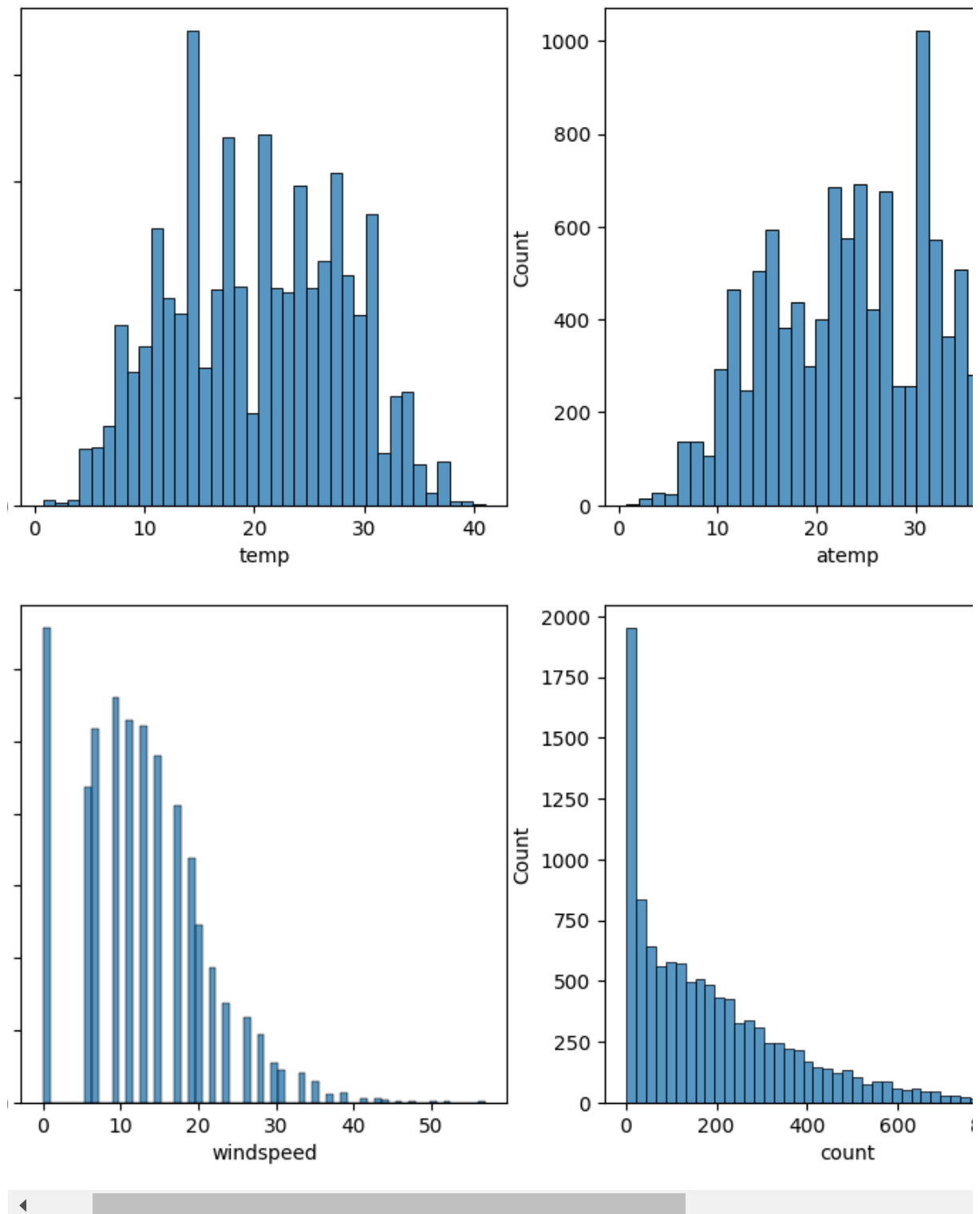
Continuous univariate distribution

```
fig,axis=plt.subplots(2,3,figsize=(15,10))
sns.histplot(data=df,x=df['temp'],ax=axis[0,0])
```

```

sns.histplot(data=df,x=df['atemp'],ax=axis[0,1])
sns.histplot(data=df,x=df['humidity'],ax=axis[0,2])
sns.histplot(data=df,x=df['windspeed'],ax=axis[1,0])
sns.histplot(data=df,x=df['count'],ax=axis[1,1])
sns.histplot(data=df,x=df['registered'],ax=axis[1,2])
plt.show()

```



- the most use of bicycles in the range of tempeature is 10-30
- same for the atemp range of most rented bicyclke is 10-35.

Column Profiling:

- datetime: datetime

- season: season (1: spring, 2: summer, 3: fall, 4: winter)
- holiday: whether day is a holiday or not workingday: if day is neither weekend nor holiday is 1, otherwise is 0.
- weather:
 1. Clear, Few clouds, partly cloudy, partly cloudy
 2. Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist
 3. Light Snow, Light Rain + Thunderstorm + Scattered clouds, Light Rain + Scattered clouds
 4. Heavy Rain + Ice Pallets + Thunderstorm + Mist, Snow + Fog

df.columns

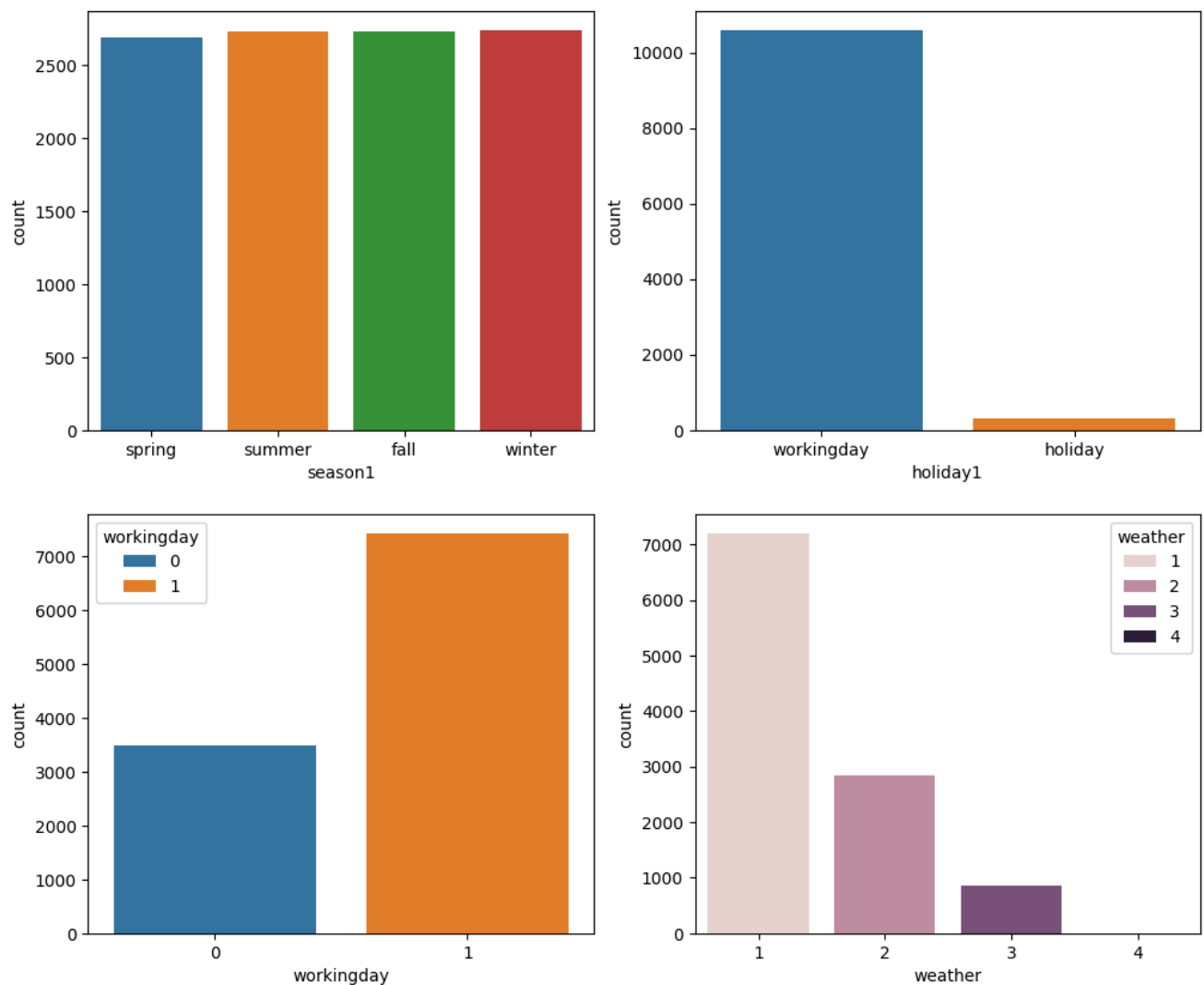
```
Index(['datetime', 'season', 'holiday', 'workingday', 'weather', 'temp',
      'atemp', 'humidity', 'windspeed', 'casual', 'registered', 'count'],
      dtype='object')
```

converting holiday and season column values into meaningful data

```
df['season1']=df['season'].map({1:'spring',2:'summer',3:'fall',4:'winter'})
df['holiday1']=df['holiday'].map({1:'holiday',0:'workingday'})
```

Categorical bivarient or multivarient distribution

```
fig,axis=plt.subplots(2,2,figsize=(12,10))
sns.countplot(data=df,x=df['season1'],ax=axis[0,0],hue=df['season1'])
sns.countplot(data=df,x=df['holiday1'],ax=axis[0,1],hue=df['holiday1'])
sns.countplot(data=df,x=df['workingday'],ax=axis[1,0],hue=df['workingday'])
sns.countplot(data=df,x=df['weather'],ax=axis[1,1],hue=df['weather'])
plt.show()
```



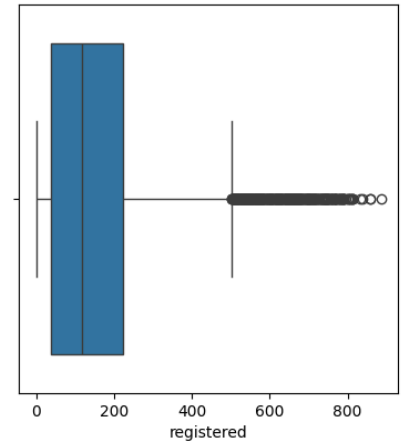
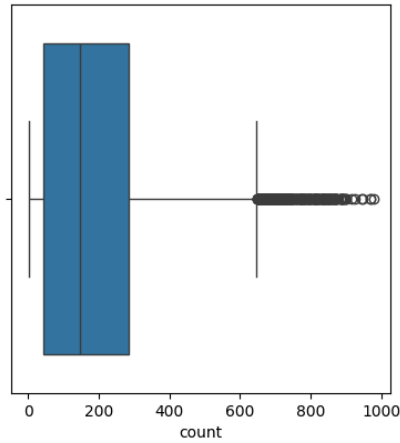
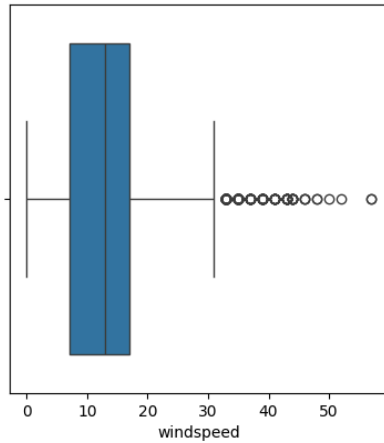
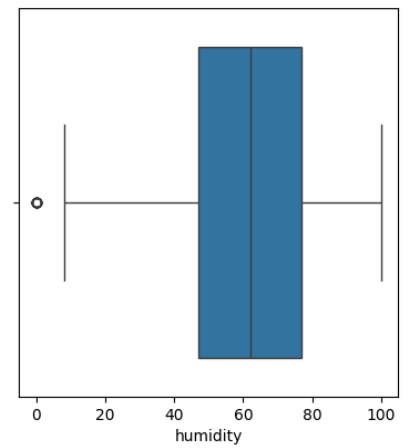
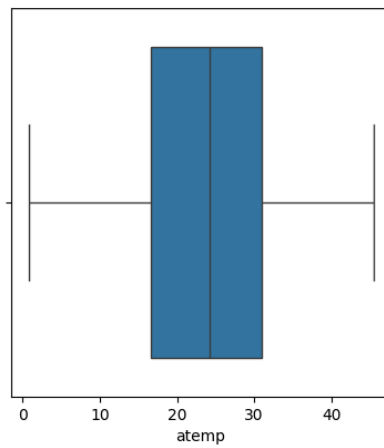
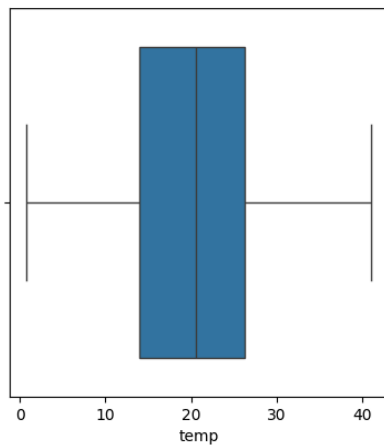
- in the season plot all the rented cycle count are same.
- In holiday we can understand that number uses of rented are more in working days and less in holiday.

Weather :

1. Clear, Few clouds, partly cloudy, partly cloudy
 2. Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist
 3. Light Snow, Light Rain + Thunderstorm + Scattered clouds, Light Rain + 4.4.Scattered clouds
 4. Heavy Rain + Ice Pallets + Thunderstorm + Mist, Snow + Fog
- The more number of rented cycles are in weather 1 (Clear, Few clouds, partly cloudy, partly cloudy)

Check for Outliers and deal with them accordingly

```
fig,axis=plt.subplots(2,3,figsize=(15,10))
sns.boxplot(data=df,x=df['temp'],ax=axis[0,0])
sns.boxplot(data=df,x=df['atemp'],ax=axis[0,1])
sns.boxplot(data=df,x=df['humidity'],ax=axis[0,2])
sns.boxplot(data=df,x=df['windspeed'],ax=axis[1,0])
sns.boxplot(data=df,x=df['count'],ax=axis[1,1])
sns.boxplot(data=df,x=df['registered'],ax=axis[1,2])
plt.show()
```



- As per the above plots we can understand that there is no outlier in temp and atemp columns.
- In humidity column there is an outlier at left side.
- There are so many outliers in windspeed, count and registered columns at right sides.

Lets find out the outlier value in humidity column with the help of Inter Quartile Range(IQR)

```
df.head()
```




	datetime	season	holiday	workingday	weather	temp	atemp	humidity	windspeed	casual	re
0	2011-01-01 00:00:00	1	0	0	1	9.84	14.395	81	0.0	3	
1	2011-01-01 01:00:00	1	0	0	1	9.02	13.635	80	0.0	8	
2	2011-01-01 02:00:00	1	0	0	1	9.02	13.635	80	0.0	5	
3	2011-01-01 03:00:00	1	0	0	1	9.84	14.395	75	0.0	3	
4	2011-01-01 04:00:00	1	0	0	1	9.84	14.395	75	0.0	0	

Next steps:

[Generate code with df](#)[View recommended plots](#)[New interactive sheet](#)

#Calculate quantiles

q1=df['humidity'].quantile(0.25)

q3=df['humidity'].quantile(0.75)

IQR=q3-q1

#Calculate upper and lower bound

upper_bound=q3+1.5*IQR

lower_bound=q1-1.5*IQR

print(upper_bound,lower_bound)

#Find out outlier value below the lower bound and above the upper bound

outliers=df["humidity"][(df["humidity"]<lower_bound)|(df["humidity"]>upper_bound)]

print('outliers',outliers)

#removing the outliers and storing it in humidity_no_outlier column

df['humidity_no_outlier']=df['humidity'][(df['humidity']>lower_bound) & (df['humidity']<upper_bound)]



122.0 2.0

outliers Series([], Name: humidity, dtype: int64)

outlier value is zero '0' in humidity column

print('Displaying humidity column with or without outliers')

fig,axis=plt.subplots(1,2,figsize=(12,4))

sns.boxplot(data=df,x=df['humidity'],ax=axis[0])

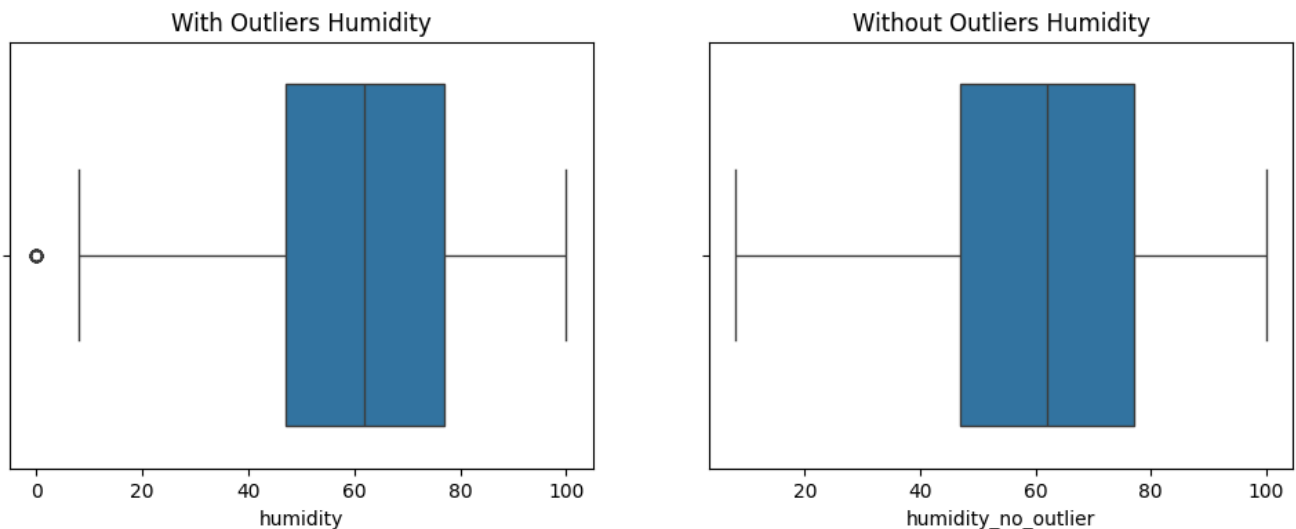
axis[0].title.set_text('With Outliers Humidity')

sns.boxplot(data=df,x=df['humidity_no_outlier'],ax=axis[1])

axis[1].title.set_text('Without Outliers Humidity')

plt.show()

→ Displaying humidity column with or without outliers



- In the above plot we can see the difference between with outlier plot and no-outlier plot.
- after we removed the outlier no outlier plot looks like this.
- As we can see in the above boxplot the outlier has been removed from the humidity

Find the outlier value in windspeed column

```
#find the quantile values
q1=df['windspeed'].quantile(0.25)
q3=df['windspeed'].quantile(0.75)
IQR_windspeed=q3-q1

#Calculate upper bound and lower bound
lower_bound_windspeed=round(q1-1.5*IQR_windspeed,1)
upper_bound_windspeed=round(q3+1.5*IQR_windspeed,1)
print('lower_bound_windspeed :',lower_bound_windspeed)
print('upper_bound_windspeed :',upper_bound_windspeed)

#Find outlier value
outliers_windspeed=df['windspeed'][(df['windspeed']<lower_bound_windspeed) | (df['windspeed']>upper_bound_windspeed)]
print('Total values in Windspeed :',len(df['windspeed']))
print('Total outliers in Windspeed :',len(outliers_windspeed))
print('Min value of outlier:',outliers_windspeed.min())
print('Max value of outlier:',outliers_windspeed.max())

#Remove outlier values from windspeed column
df['windspeed_no_outlier']=df['windspeed'][(df['windspeed']>lower_bound_windspeed) & (df['windspeed']<upper_bound_windspeed)]

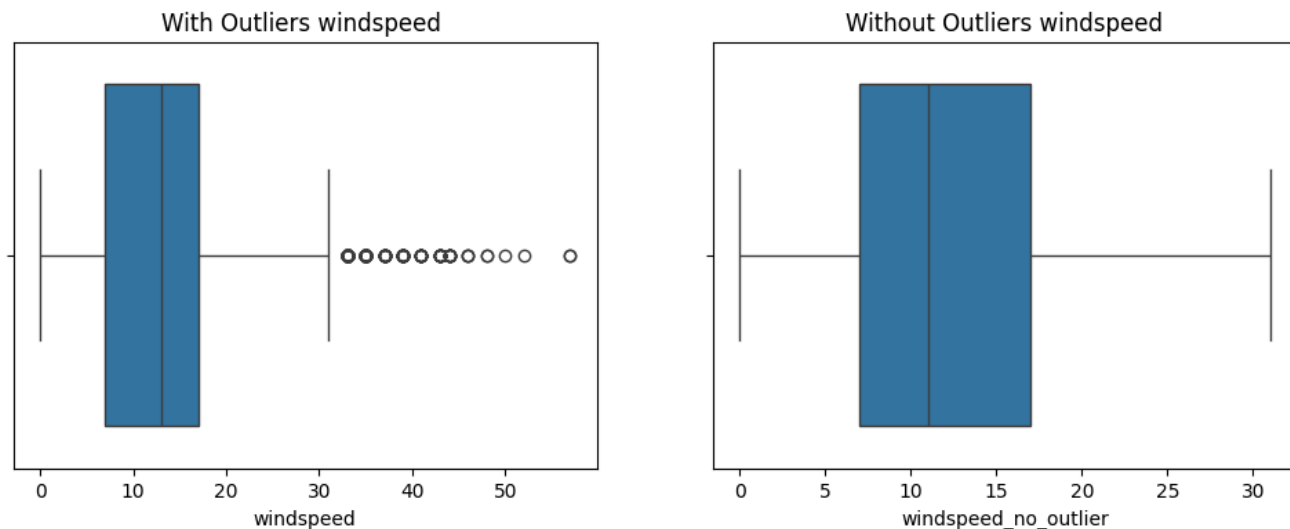
→ lower_bound_windspeed : -8.0
upper_bound_windspeed : 32.0
Total values in Windspeed : 10886
Total outliers in Windspeed : 227
Min value of outlier: 32.9975
Max value of outlier: 56.9969
```

```
print('Displaying windspeed column with or without outliers')
```

```
fig,axis=plt.subplots(1,2,figsize=(12,4))
```

```
sns.boxplot(data=df,x=df['windspeed'],ax=axis[0])
axis[0].title.set_text('With Outliers windspeed ')
sns.boxplot(data=df,x=df['windspeed_no_outlier'],ax=axis[1])
axis[1].title.set_text('Without Outliers windspeed')
plt.show()
```

↔ Displaying windspeed column with or without outliers



- In the above plot we can see the difference between with outlier plot and no-outlier plot.
- after we removed the outlier no outlier plot looks like this.
- In the above plot we can see that there is no outlier present after removing the outliers

Find the outliers in count column

#Calculate the quantile value for q1 and q3

```
q1=df['count'].quantile(0.25)
```

```
q3=df['count'].quantile(0.75)
```

```
IQR_count=q3-q1
```

```
print('IQR_count :',IQR_count)
```

#calculate lower bound and upper bound

```
lower_bound_count=q1-1.5*IQR_count
```

```
upper_bound_count=q3+1.5*IQR_count
```

```
print('lower_bound_count :',lower_bound_count)
```

```
print('upper_bound_count :',upper_bound_count)
```

#find the outlier values

```
outlier_count=df['count'][(df['count']<lower_bound_count) | (df['count']>upper_bound_count)]
```

```
print('Original count of Count column :',len(df['count']))
```

```
print('Total outliers in count column :',len(outlier_count))
```

```
print('Min value of outlier:',outlier_count.min())
```

```
print('Max value of outlier:',outlier_count.max())
```

#Removing the outlier and storing new values in count_no_outlier

```
df['count_no_outlier']=df['count'][(df['count']>=lower_bound_count) & (df['count']<=upper_bound_count)]
```



IQR_count : 242.0

lower_bound_count : -321.0

upper_bound_count : 647.0

Original count of Count column : 10886

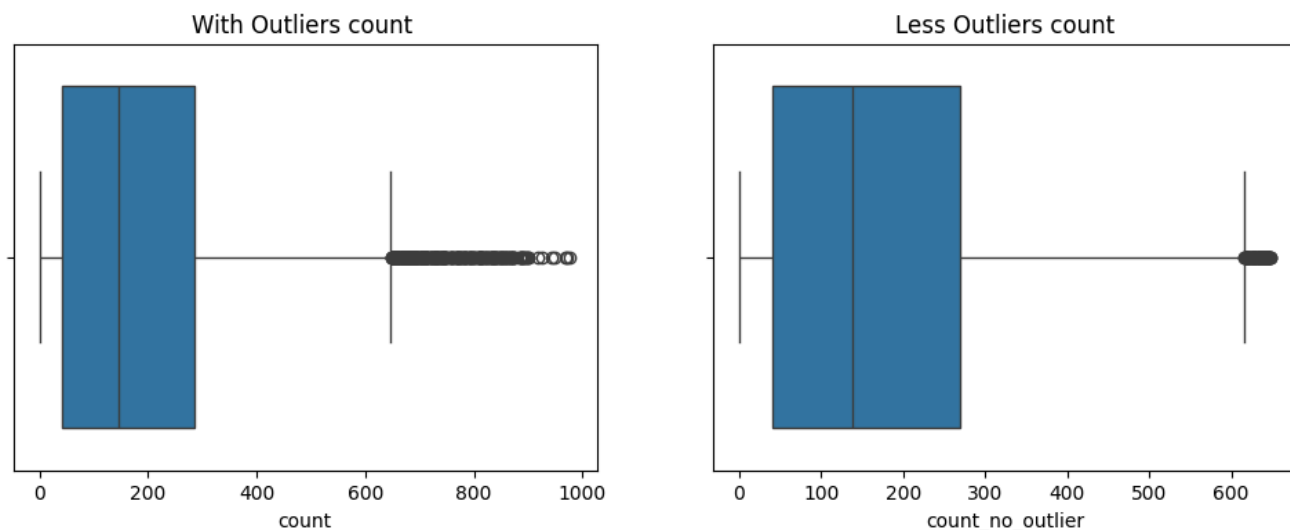
Total outliers in count column : 300

Min value of outlier: 648

Max value of outlier: 977

```
print('Displaying count column with or without outliers')
fig,axis=plt.subplots(1,2,figsize=(12,4))
sns.boxplot(data=df,x=df['count'],ax=axis[0])
axis[0].title.set_text('With Outliers count ')
sns.boxplot(data=df,x=df['count_no_outlier'],ax=axis[1])
axis[1].title.set_text('Less Outliers count')
plt.show()
```

➡ Displaying count column with or without outliers



- In the above plot we can see the difference between with outlier plot and no-outlier plot.
- after we removed the outlier no outlier plot looks like this.

Finding and Removing outliers from Registered column

#Calculate the quantile value for q1 and q3

```
q1=df['registered'].quantile(0.25)
```

```
q3=df['registered'].quantile(0.75)
```

```
IQR_registered=q3-q1
```

```
print('IQR_registered :',IQR_registered)
```

#calculate lower bound and upper bound

```
lower_bound_registered=q1-1.5*IQR_registered
```

```
upper_bound_registered=q3+1.5*IQR_registered
```

```
print('lower_bound_registered :',lower_bound_registered)
```

```
print('upper_bound_registered :',upper_bound_registered)
```

#find the outlier values

```
outlier_registered=df['registered'][(df['registered']<lower_bound_registered) | (df['registered']>upper_bound_registered)]
```

```
print('Original count of registered column :',len(df['registered']))
```

```
print('Total outliers in registered column :',len(outlier_registered))
```

```
print('Min value of outlier:',outlier_registered.min())
```

```
print('Max value of outlier:',outlier_registered.max())
```

#Removing the outlier and storing new values in count_no_outlier

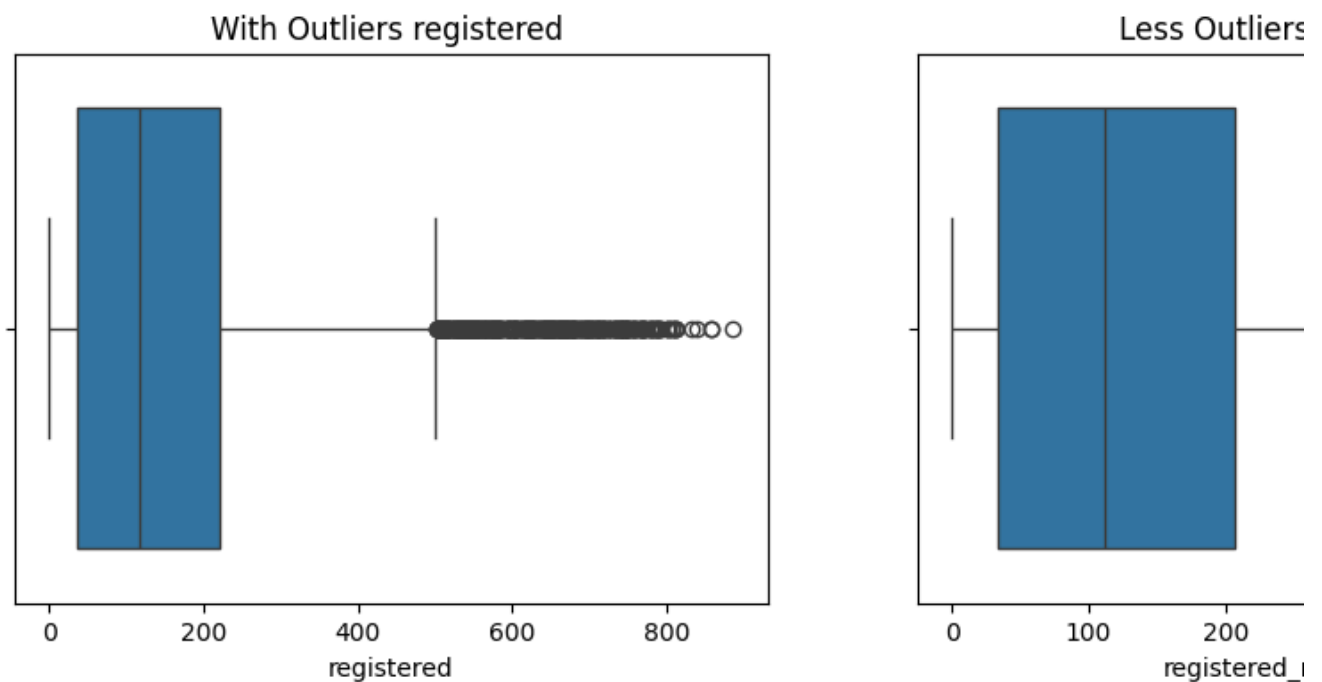
```
df['registered_no_outlier']=df['registered'][(df['registered']>=lower_bound_registered )& (df['registered']<=upper_bound_reg
```

```
→ IQR_registered : 186.0
lower_bound_registered : -243.0
upper_bound_registered : 501.0
Original count of registered column : 10886
Total outliers in registered column : 423
Min value of outlier: 502
Max value of outlier: 886
```

```
print('Displaying registered column with or without outliers')
```

```
fig,axis=plt.subplots(1,2,figsize=(12,4))
sns.boxplot(data=df,x=df['registered'],ax=axis[0])
axis[0].title.set_text('With Outliers registered ')
sns.boxplot(data=df,x=df['registered_no_outlier'],ax=axis[1])
axis[1].title.set_text('Less Outliers registered')
plt.show()
```

```
→ Displaying registered column with or without outliers
```



- In the above plot we can see the difference between with outlier plot and no-outlier plot.
- after we removed the outlier no outlier plot looks like this.

Finding the correlation between the columns

```
round(df['temp'].corr(df['atemp']),2) # Positive correlation between temp and atemp column
```

```
→ 0.98
```

- when correlation value of two column is nearest to 1 that mean both columns are strongly correlated with each other

```
corr_data=df[['datetime', 'season', 'holiday', 'workingday', 'weather', 'temp', 'atemp', 'humidity', 'windspeed', 'casual', 'registered']]
corr_data.corr()
```

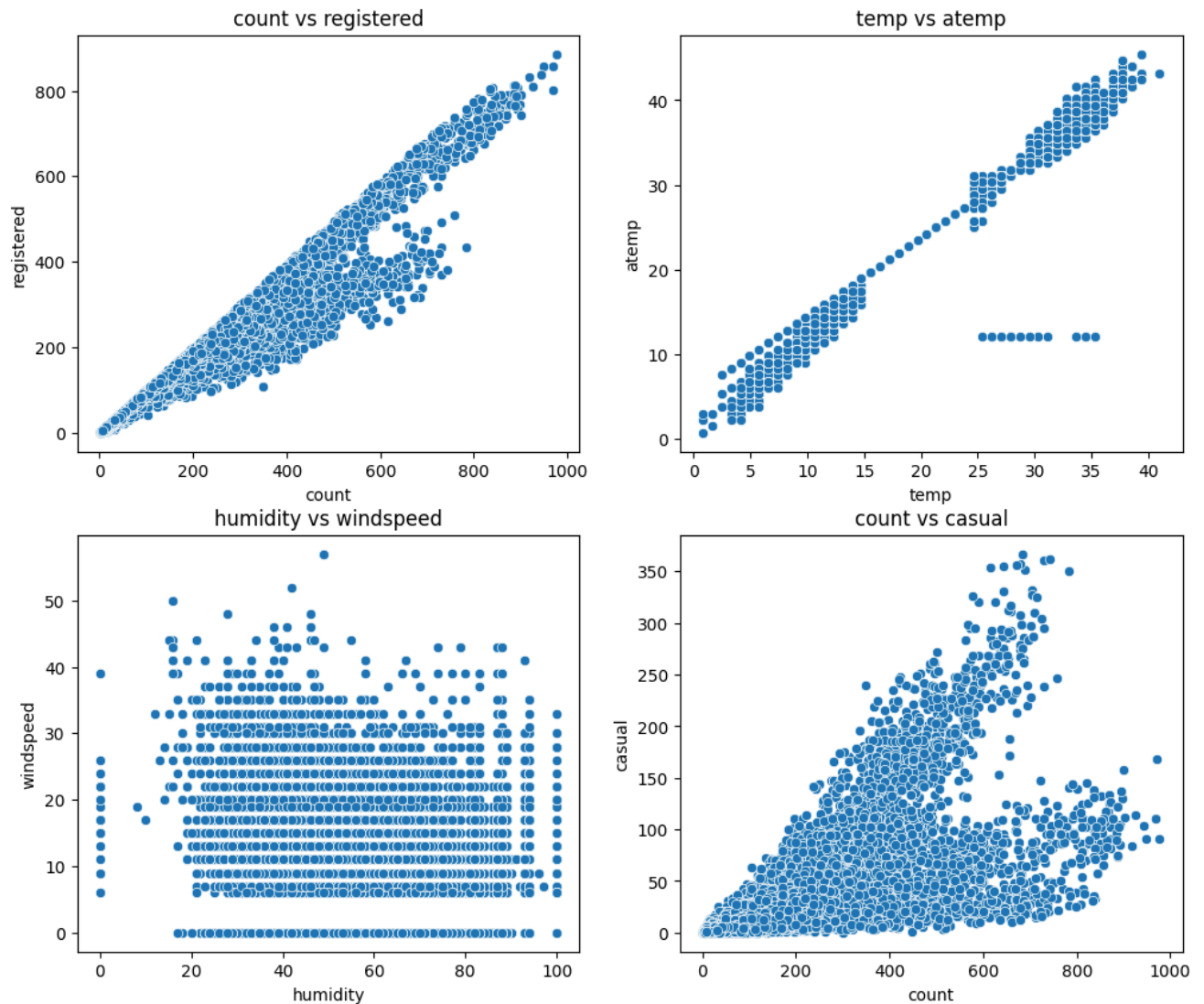


	datetime	season	holiday	workingday	weather	temp	atemp	humidity
datetime	1.000000	0.480021	0.010988	-0.003658	-0.005048	0.180986	0.181823	0.032856
season	0.480021	1.000000	0.029368	-0.008126	0.008879	0.258689	0.264744	0.190610
holiday	0.010988	0.029368	1.000000	-0.250491	-0.007074	0.000295	-0.005215	0.001929
workingday	-0.003658	-0.008126	-0.250491	1.000000	0.033772	0.029966	0.024660	-0.010880
weather	-0.005048	0.008879	-0.007074	0.033772	1.000000	-0.055035	-0.055376	0.406244
temp	0.180986	0.258689	0.000295	0.029966	-0.055035	1.000000	0.984948	-0.064949
atemp	0.181823	0.264744	-0.005215	0.024660	-0.055376	0.984948	1.000000	-0.043536
humidity	0.032856	0.190610	0.001929	-0.010880	0.406244	-0.064949	-0.043536	1.000000
windspeed	-0.086888	-0.147121	0.008409	0.013373	0.007261	-0.017852	-0.057473	-0.318607
casual	0.172728	0.096758	0.043799	-0.319111	-0.135918	0.467097	0.462067	-0.348187
registered	0.314879	0.164011	-0.020956	0.119460	-0.109340	0.318571	0.314635	-0.265458
count	0.310187	0.163439	-0.005393	0.011594	-0.128655	0.394454	0.389784	-0.317371

- **Strong Correlation** means the corr value of two columns is >0.7.
- **Weak Correlation** means the corr value of two columns is <0.4.
- If correlation value of two columns is nearest to 0, that mean it is not correlated to each other.
- If correlation value of two columns is nearest to 1, that mean those are strongly correlated to each other.
- In the above table **workingday and datetime** column corr value is -0.003658 that mean both columns have **Weak Correlation**.
- The Columns count and registered has 0.97 corr value that mean both are strongly correlated with each other.
- We can display the co-relation of the two columns by using scatter plot.

```
fig,axis=plt.subplots(2,2,figsize=(12,10))
sns.scatterplot(data=df,x=df['count'],y=df['registered'],ax=axis[0,0])
axis[0,0].title.set_text('count vs registered')
sns.scatterplot(data=df,x=df['temp'],y=df['atemp'],ax=axis[0,1])
axis[0,1].title.set_text('temp vs atemp')
sns.scatterplot(data=df,x=df['humidity'],y=df['windspeed'],ax=axis[1,0])
axis[1,0].title.set_text('humidity vs windspeed')
sns.scatterplot(data=df,x=df['count'],y=df['casual'],ax=axis[1,1])
axis[1,1].title.set_text('count vs casual')

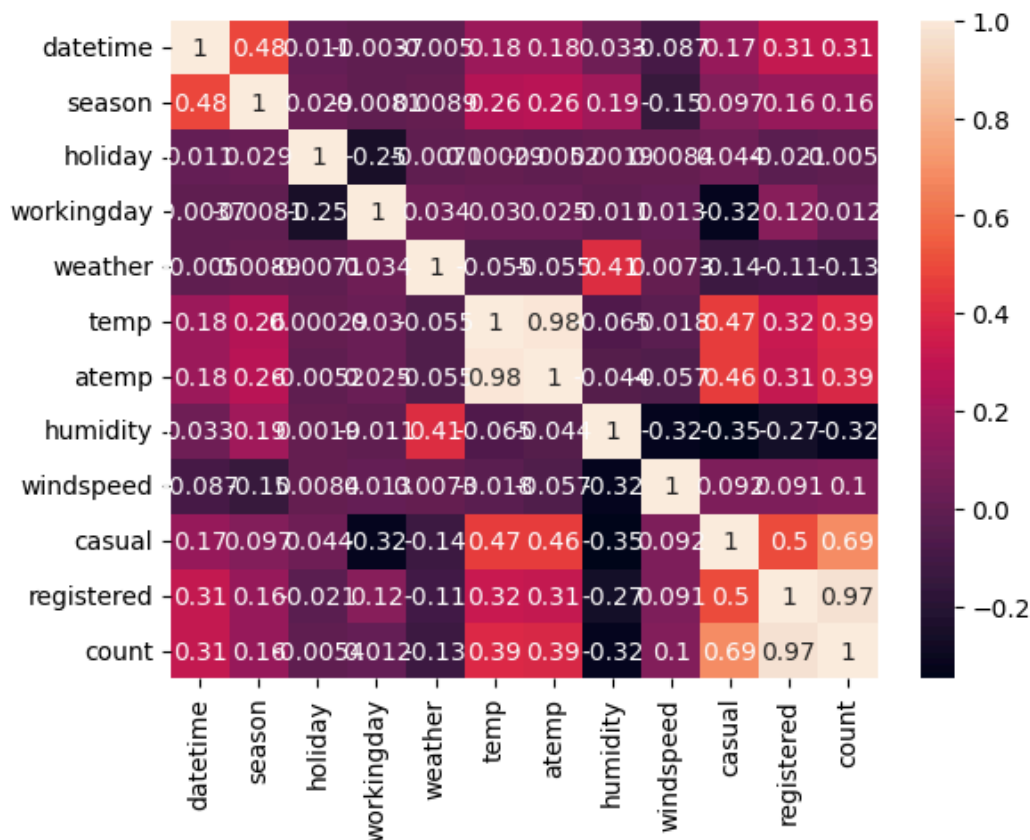
plt.show()
```



- In above first plot(**count vs registered**) we can see that when count values are increasing at the same time registered values are also increasing that mean both are strongly correlated to each other.
- **temp and atemp** both columns also strongly correlated to each other.
- **count vs casual** both have moderate correlation to each other.
- **humidity vs windspeed** both are weakly correlated to each other.

Displaying correlation in Heatmap

```
plot=sns.heatmap(data=corr_data.corr(),annot=True)
plt.show()
```



- In the above correlation map the strong correlation between two columns indicates in lighter(whitish color)
- Correlation map the weak correlation between two columns indicates in darkish(blackish color)

```
corr_data.head()
```



	datetime	season	holiday	workingday	weather	temp	atemp	humidity	windspeed	casual	re
0	2011-01-01 00:00:00	1	0	0	1	9.84	14.395	81	0.0	3	
1	2011-01-01 01:00:00	1	0	0	1	9.02	13.635	80	0.0	8	
2	2011-01-01 02:00:00	1	0	0	1	9.02	13.635	80	0.0	5	
3	2011-01-01 03:00:00	1	0	0	1	9.84	14.395	75	0.0	3	
4	2011-01-01 04:00:00	1	0	0	1	9.84	14.395	75	0.0	0	

Next steps:

[Generate code with corr_data](#)
[View recommended plots](#)
[New interactive sheet](#)

✓ 2.Hypothesis Testing

✓ I. Check if there any significant difference between the no. of rented bike rides on Weekdays and Weekends

#Homogeneity of Variance

#The variances of the two groups being compared should be approximately equal. This assumption is called homogeneity of variance.

```
levene_stat, p_value = stats.levene(df.loc[df['workingday'] == 1, 'count'], df.loc[df['workingday'] == 0, 'count'])
```

```
print(f"The p value is {p_value}")
```

```
if p_value < 0.05:
```

```
    print("Reject the Null hypothesis, Variances are not equal")
```

```
else:
```

```
    print("Fail to Reject the Null hypothesis, Variances of two groups are equal. T-Test can be performed")
```



The p value is 0.9437823280916695

Fail to Reject the Null hypothesis, Variances of two groups are equal. T-Test can be performed

#First find out the separate data for bike rides on Weekdays and bike rides on Weekends

```
df_weekday=df[df['workingday']==1]
```

```
df_weekend=df[df['workingday']==0]
```

```
print("Population Size:",len(df_weekday['count']),'- ',len(df_weekend['count']))
```



Population Size: 7412 - 3474

Import the essential libraries.

```
from scipy import stats
```

#STEP1. Define the Null Hypothesis(H_0) and Alternative Hypothesis(H_a)

H_0 : $\mu_1 = \mu_2$ --> There is no difference between the number of bike rides on weekdays and weekend.

H_a : $\mu_1 \neq \mu_2$ --> There is a difference between the number of bike rides on weekdays and weekend.

#As size is too large to perform sample t test, we will find out the 30 random samples

```
group1_sample=df_weekday['count'].sample(n=30,random_state=42)
```

```
group2_sample=df_weekend['count'].sample(n=30,random_state=42)
```

```
print("group1_sample size :",len(group1_sample),'-group2_sample size :',len(group2_sample))
```

#calculate statistics and P Value

```
stat,pvalue=stats.ttest_ind(a=group1_sample, b=group2_sample, equal_var=True)
```

```
alpha=0.05
```

```
print('stats:',stat,' pvalue:',pvalue)
```

```
if pvalue<alpha:
```

```
    print('Reject the Null Hypothesis : There is a difference between the number of bike rides on weekdays and weekend.')
else:
```

```
    print('Accept the Null Hypothesis: There is no difference between the number of bike rides on weekdays and weekend')
```



group1_sample size : 30 -group2_sample size : 30

stats: 0.1790195390842205 pvalue: 0.8585462597309559

Accept the Null Hypothesis: There is no difference between the number of bike rides on weekdays and weekend

Accept the Null Hypothesis: There is difference between the number of bike rides on weekdays and weekend

df.head()



	datetime	season	holiday	workingday	weather	temp	atemp	humidity	windspeed	casual	registered
0	2011-01-01 00:00:00	1	0	0	1	9.84	14.395	81	0.0	3	0
1	2011-01-01 01:00:00	1	0	0	1	9.02	13.635	80	0.0	8	0
2	2011-01-01 02:00:00	1	0	0	1	9.02	13.635	80	0.0	5	0
3	2011-01-01 03:00:00	1	0	0	1	9.84	14.395	75	0.0	3	0
4	2011-01-01 04:00:00	1	0	0	1	9.84	14.395	75	0.0	0	0

Next steps:

[Generate code with df](#)
[View recommended plots](#)
[New interactive sheet](#)

II. ANNOVA to check if No. of cycles rented is similar or different in different 1. weather 2. season

- Check if the demand of bicycles on rent is the same for different Weather conditions?
- H0: The demand of bicycles on rent is the same for different Weather and conditions
- H1: The demand of bicycles on rent are not same for different Weather and conditions
- Significance level=0.05

Conditions for one way test

1. Independence:-

- The observations within each group must be independent of each other.
- This means that the individuals or items in one group should not be related to those in another group.

2. Normality:-

- The data within each group should be approximately normally distributed. If the sample sizes are large (typically $n > 30$), the ANOVA is considered robust to violations of normality due to the Central Limit Theorem.

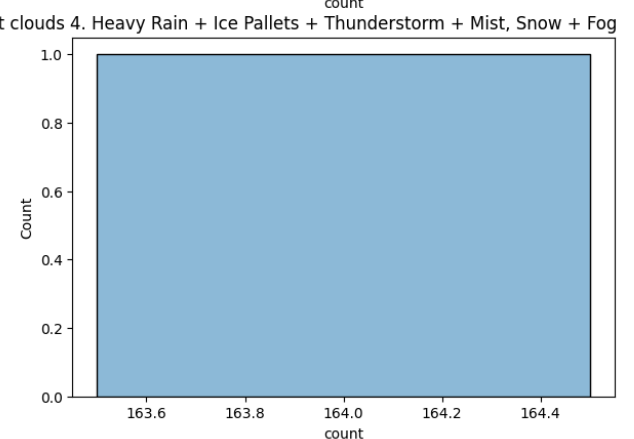
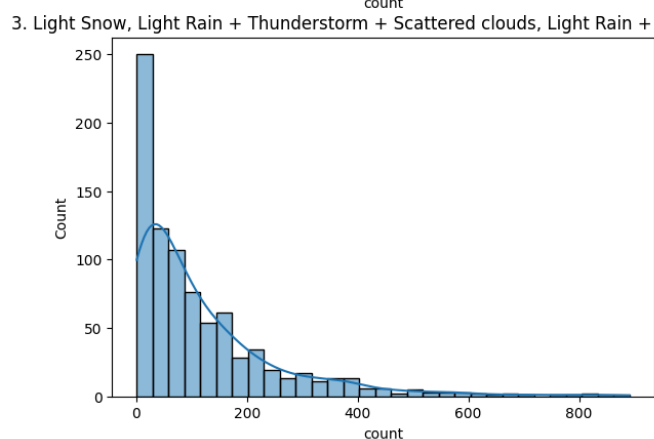
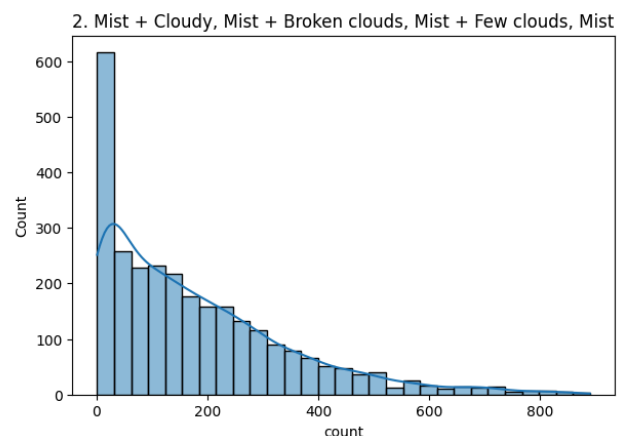
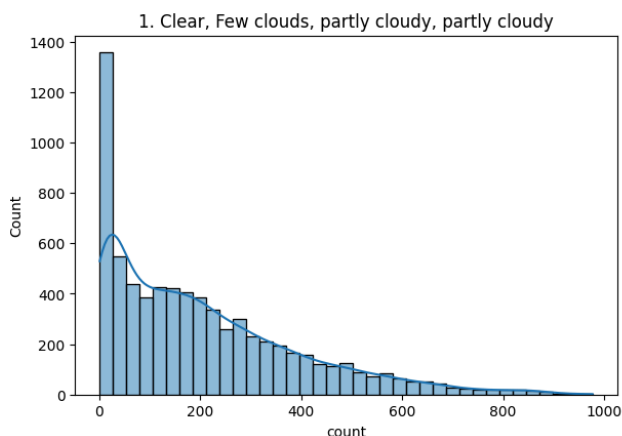
3 Homogeneity of Variance:-

- The variances of the groups being compared should be approximately equal. This is known as homogeneity of variance.

Visualization of different types of weathers

```
weather1=df[df['weather']==1]['count']
weather2=df[df['weather']==2]['count']
weather3=df[df['weather']==3]['count']
weather4=df[df['weather']==4]['count']
```

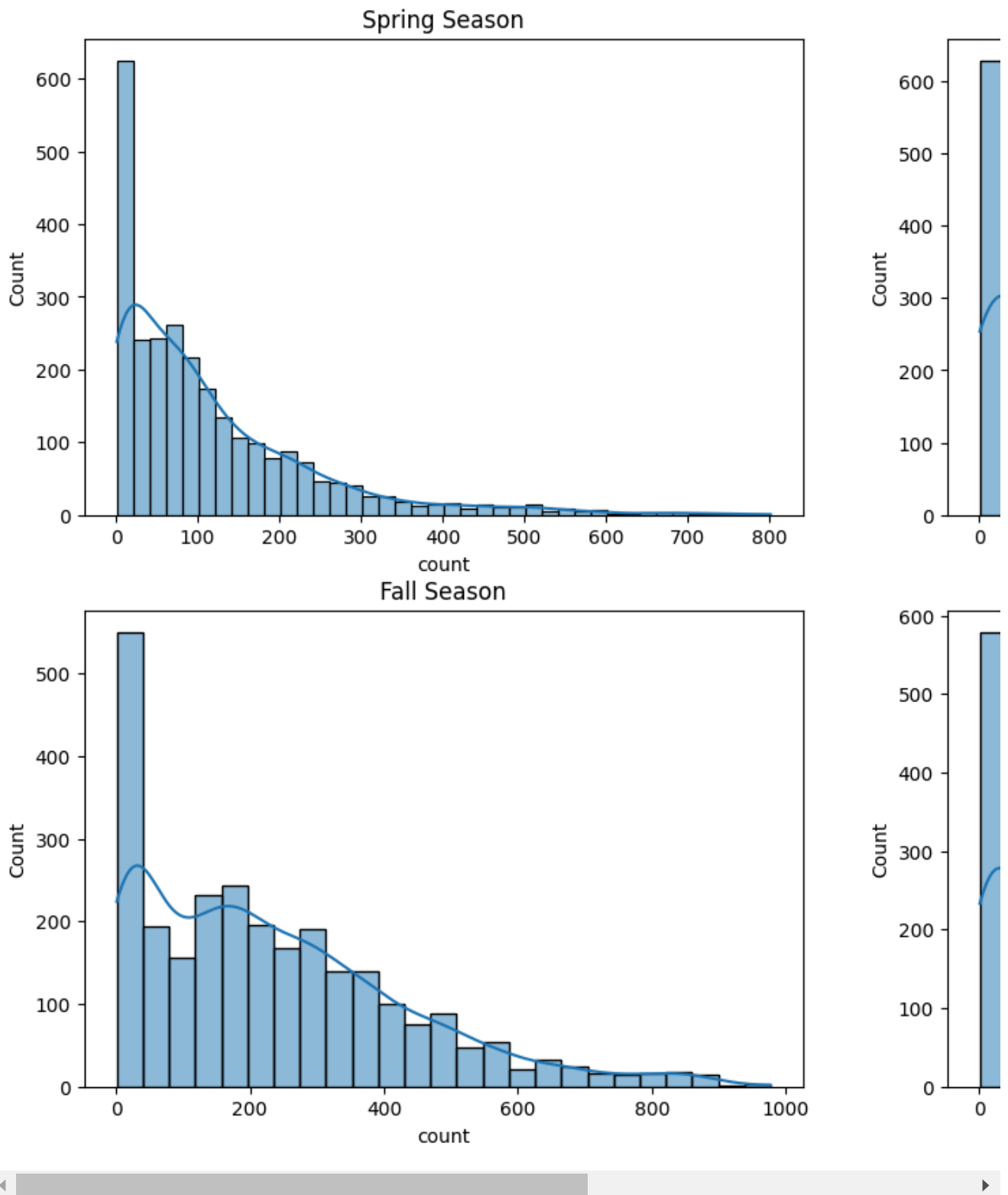
```
plt.figure(figsize=(15,10))
plt.subplot(2,2,1)
sns.histplot(data=weather1,kde=True)
plt.title('1. Clear, Few clouds, partly cloudy, partly cloudy')
plt.subplot(2,2,2)
sns.histplot(data=weather2,kde=True)
plt.title('2. Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist')
plt.subplot(2,2,3)
sns.histplot(data=weather3,kde=True)
plt.title('3. Light Snow, Light Rain + Thunderstorm + Scattered clouds, Light Rain + Scat clouds')
plt.subplot(2,2,4)
sns.histplot(data=weather4,kde=True)
plt.title('4. Heavy Rain + Ice Pallets + Thunderstorm + Mist, Snow + Fog')
plt.show()
```



Visualization of different types of Seasons

```
season_1=df[df['season1']=='spring']['count']  
season_2=df[df['season1']=='summer']['count']  
season_3=df[df['season1']=='fall']['count']  
season_4=df[df['season1']=='winter']['count']
```

```
plt.figure(figsize=(15,10))  
plt.subplot(2,2,1)  
sns.histplot(data=season_1,kde=True)  
plt.title('Spring Season')  
plt.subplot(2,2,2)  
sns.histplot(data=season_2,kde=True)  
plt.title('Summer Season')  
plt.subplot(2,2,3)  
sns.histplot(data=season_3,kde=True)  
plt.title('Fall Season')  
plt.subplot(2,2,4)  
sns.histplot(data=season_4,kde=True)  
plt.title('Winter Season')  
plt.show()
```



Conclusion :

- This data visualization for different Weathers and Seasons shows that there is no normal distribution so we have to do further analysis by performing QQ Plot

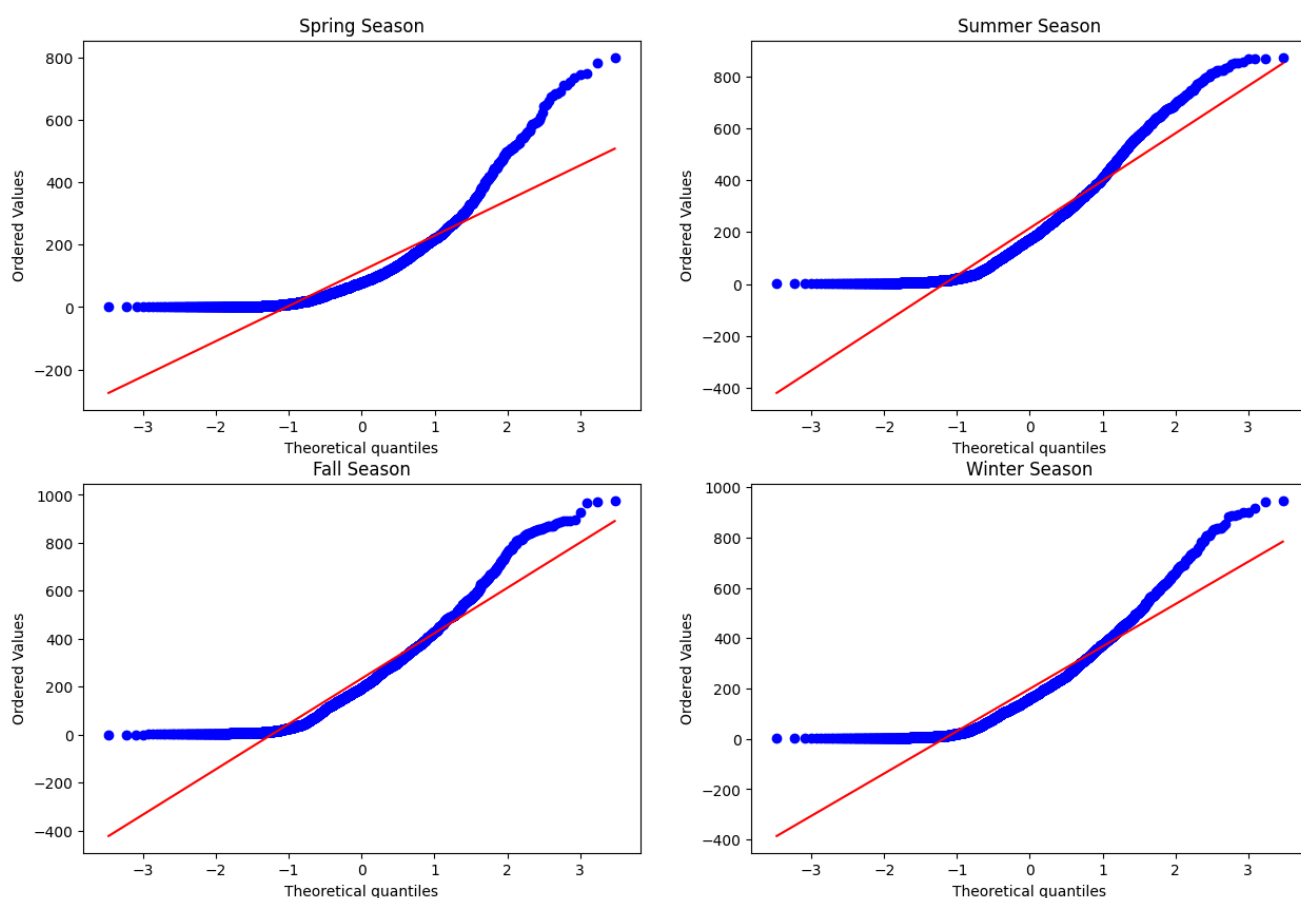
QQ Plot Test for checking normal distribution :

1. QQ Plot for Seasons

```
from statsmodels.graphics.gofplots import qqplot
df_season_spring1=df[df['season1']=='spring']['count']
df_season_summer1=df[df['season1']=='summer']['count']
```

```
df_season_fall1=df[df['season']=='fall']['count']
df_season_winter1=df[df['season']=='winter']['count']
```

```
plt.figure(figsize=(15,10))
plt.subplot(2,2,1)
stats.probplot(df_season_spring1,plot=plt)
plt.title('Spring Season')
plt.subplot(2,2,2)
stats.probplot(df_season_summer1,plot=plt)
plt.title('Summer Season')
plt.subplot(2,2,3)
stats.probplot(df_season_fall1,plot=plt)
plt.title('Fall Season')
plt.subplot(2,2,4)
stats.probplot(df_season_winter1,plot=plt)
plt.title('Winter Season')
plt.show()
```



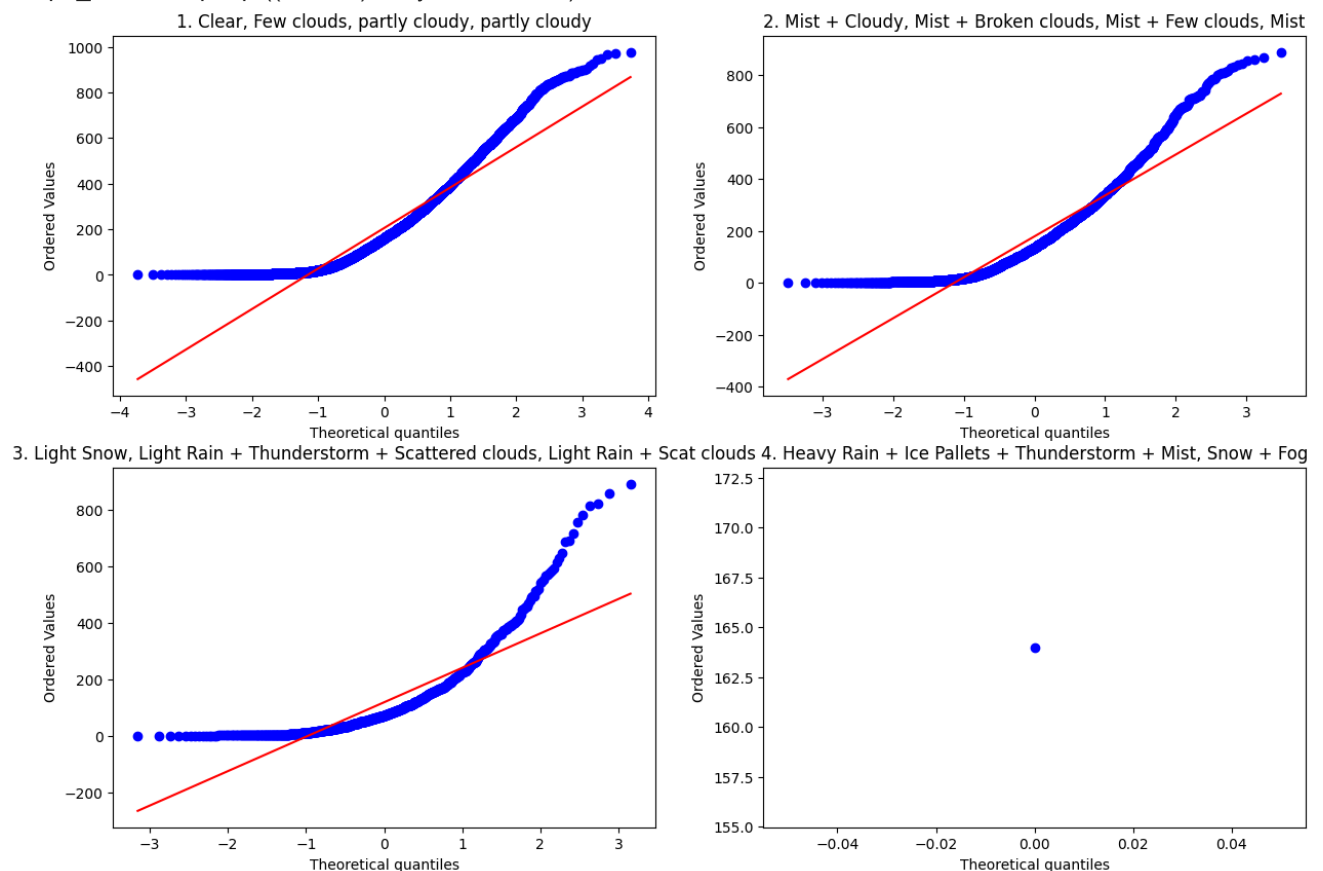
QQ plot for weathers

```
weather1=df[df['weather']==1]
weather2=df[df['weather']==2]
weather3=df[df['weather']==3]
weather4=df[df['weather']==4]
```

```
plt.figure(figsize=(15,10))
plt.subplot(2,2,1)
stats.probplot(weather1['count'],plot=plt)
plt.title('1. Clear, Few clouds, partly cloudy, partly cloudy')
```

```
plt.subplot(2,2,2)
stats.probplot(weather2['count'],plot=plt)
plt.title('2. Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist')
plt.subplot(2,2,3)
stats.probplot(weather3['count'],plot=plt)
plt.title('3. Light Snow, Light Rain + Thunderstorm + Scattered clouds, Light Rain + Scat clouds')
plt.subplot(2,2,4)
stats.probplot(weather4['count'],plot=plt)
plt.title('4. Heavy Rain + Ice Pallets + Thunderstorm + Mist, Snow + Fog')
plt.show()
```

```
→ /usr/local/lib/python3.11/dist-packages/scipy/stats/_stats_mstats_common.py:182: RuntimeWarning: invalid value encountered in divide
  slope = ssym / ssxm
/usr/local/lib/python3.11/dist-packages/scipy/stats/_stats_mstats_common.py:196: RuntimeWarning: invalid value encountered in divide
  t = r * np.sqrt(df / ((1.0 - r + TINY)*(1.0 + r + TINY)))
/usr/local/lib/python3.11/dist-packages/scipy/stats/_stats_mstats_common.py:199: RuntimeWarning: invalid value encountered in divide
  slope_stderr = np.sqrt((1 - r**2) * ssym / ssxm / df)
```



- **Shapiro's Test to check normal/Gaussain Distribution**After plotting qq plot for season and weather, we can analyse that weather and season are not following the normal distributions so we need to perform the Shapiro's test to check the normal distributions.

Shapiro's Test to check normal/Gaussain Distribution

1.Shapiro's test for season

i.Shapiro's test for Spring Season.

```
test_stat,pvalue=stats.shapiro(df_season_spring1)
print('test_stat:',test_stat,' pvalue:',pvalue)
```

```
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: The spring season data is not normally distributed')
else:
    print('Accept the Null Hypothesis: The spring season data is normally distributed')

↔ test_stat: 0.8087378401253588 pvalue: 8.749584618867662e-49
    Reject the Null Hypothesis: The spring season data is not normally distributed
```

ii.Shapiro's test for summer Season.

```
test_stat,pvalue=stats.shapiro(df_season_summer1)
print('test_stat:',test_stat,' pvalue:',pvalue)
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: The summer season data is not normally distributed')
else:
    print('Accept the Null Hypothesis: The summer season data is normally distributed')

↔ test_stat: 0.9004818080893252 pvalue: 6.039374406270491e-39
    Reject the Null Hypothesis: The summer season data is not normally distributed
```

iii.Shapiro's test for fall Season.

```
test_stat,pvalue=stats.shapiro(df_season_fall1)
print('test_stat:',test_stat,' pvalue:',pvalue)
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: The fall season data is not normally distributed')
else:
    print('Accept the Null Hypothesis: The fall season data is normally distributed')

↔ test_stat: 0.9148166372899196 pvalue: 1.043680518918597e-36
    Reject the Null Hypothesis: The fall season data is not normally distributed
```

iv.Shapiro's test for Winter Season.

```
test_stat,pvalue=stats.shapiro(df_season_winter1)
print('test_stat:',test_stat,' pvalue:',pvalue)
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: The winter season data is not normally distributed')
else:
    print('Accept the Null Hypothesis: The winter season data is normally distributed')

↔ test_stat: 0.8954637482095505 pvalue: 1.1299244409282836e-39
    Reject the Null Hypothesis: The winter season data is not normally distributed
```

2. Shapiro's Test for Winters

- i. Shapiro's Test for Winter Category 1

```
tstat,pvalue=stats.shapiro(weather1['count'])
print('test_stat:',test_stat,' pvalue:',pvalue)
alpha=0.05
```



```

if pvalue<alpha:
    print('Reject the Null Hypothesis: The weather1 data is not normally distributed')
else:
    print('Accept the Null Hypothesis: The weather1 data is normally distributed')

test_stat: 0.8954637482095505  pvalue: 1.5964921477006555e-57
Reject the Null Hypothesis: The weather1 data is not normally distributed
/usr/local/lib/python3.11/dist-packages/scipy/stats/_axis_nan_policy.py:531: UserWarning: scipy.stats.shapiro: For N >
    res = hypotest_fun_out(*samples, **kws)

```

- ii. Shapiro's Test for Winter Category 2

```

tstat,pvalue=stats.shapiro(weather2['count'])
print('test_stat:',test_stat,' pvalue:',pvalue)
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: The weather2 data is not normally distributed')
else:
    print('Accept the Null Hypothesis: The weather2 data is normally distributed')

test_stat: 0.8954637482095505  pvalue: 9.777839106111785e-43
Reject the Null Hypothesis: The weather2 data is not normally distributed

```

- iii. Shapiro's Test for Winter Category 3

```

tstat,pvalue=stats.shapiro(weather3['count'])
print('test_stat:',test_stat,' pvalue:',pvalue)
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: The weather3 data is not normally distributed')
else:
    print('Accept the Null Hypothesis: The weather3 data is normally distributed')

test_stat: 0.8954637482095505  pvalue: 3.875893017396149e-33
Reject the Null Hypothesis: The weather3 data is not normally distributed

```

- iv. Shapiro's Test for Winter Category 4

```

weather4_data_count=weather4.count()
print('data for weather 4 category is :', weather4_data_count)
tstat,pvalue=stats.shapiro(weather4_data_count)
print('test_stat:',test_stat,' pvalue:',pvalue)

```

```

data for weather 4 category is : datetime      1
season          1
holiday          1
workingday       1
weather         1
temp            1
atemp           1
humidity        1
windspeed       1
casual          1
registered      1
count           1
season1         1

```

```

holiday1          1
humidity_no_outlier  1
windspeed_no_outlier  1
count_no_outlier    1
registered_no_outlier  1
dtype: int64
test_stat: 0.8954637482095505 pvalue: 1.0
/usr/local/lib/python3.11/dist-packages/scipy/stats/_axis_nan_policy.py:531: UserWarning: scipy.stats.shapiro: Input da
res = hypotest_fun_out(*samples, **kws)

```

Note: Since there is only one record for weather category 4 so cannot perform Shapiro's test on it.

Conclusion: The results of the Shapiro's test suggest that the distributions of weather and seasons deviate from the normal distribution.

Perform Levene test for checking homogeneity of variance:

- Null Hypothesis (H0) = Variances of two groups are same.
- Alternative Hypothesis (HA) = Variances of two groups are different

```

levenstate, pvalue=stats.levene(weather1['count'],weather2['count'],weather3['count'],weather4['count'],df_season_spring1,
print('levenstate:',levenstate,' pvalue:',pvalue)
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: Variances of two groups are not same')
else:
    print('Accept the Null Hypothesis: Variances of two groups are same')

```

```

➡ levenstate: 102.5026306304148 pvalue: 3.463531888897594e-148
Reject the Null Hypothesis: Variances of two groups are not same

```

Conclusion: Since QQ Test, Shapiro's Test as well as Levene's Test has been failed so we cannot perform Anova Test. But as an alternative we can perform krushkal test

Krushkal Test for Weathers

```

krushkal_stat,pvalue=stats.kruskal(weather1['count'],weather2['count'],weather3['count'],weather4['count'])
print('krushkal_stat:',krushkal_stat,' pvalue:',pvalue)
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: There is no difference between the number of bike rides on weekdays and weekend.')
else:
    print('Failed to reject the Null Hypothesis: There is a difference between the number of bike rides on weekdays and weekend.')

```

```

➡ krushkal_stat: 205.00216514479087 pvalue: 3.501611300708679e-44
Reject the Null Hypothesis: There is no difference between the number of bike rides on weekdays and weekend.

```

Krushkal Test for season

```

krishkal_stat,pvalue=stats.kruskal(df_season_spring1,df_season_summer1,df_season_fall1,df_season_winter1)
print('krishkal_stat:',krishkal_stat,' pvalue:',pvalue)
alpha=0.05
if pvalue<alpha:
    print('Reject the Null Hypothesis: We reject the null hypothesis. This suggests that the rental count varies across different

```

else:

```
print('We failed to reject the null hypothesis. This suggests that the rental count are not varies across different seasonal c
```



krishkal_stat: 699.6668548181988 pvalue: 2.479008372608633e-151

Reject the Null Hypothesis: We reject the null hypothesis. This suggests that the rental count varies across different seasons.



Conclusion:

- From krushkal test it can be cocluded that the count of rented bikes across different weather and seasons.

✓ III. Chi-square test to check if Weather is dependent on the season

```
df[['season','weather']].describe()
```



	season	weather
count	10886.000000	10886.000000
mean	2.506614	1.418427
std	1.116174	0.633839
min	1.000000	1.000000
25%	2.000000	1.000000

