Muhammad Nauman Daniel Huck Alex Bogdan Patrick Zhong ENGR 102 - 213 26 November 2018

# Lab 13: Debugging

## Roots.py:

#### line 39:

```
for i in range(n + 1):
for i in range(n + 1):
```

## Syntax error

The alphanumeric character *I* is written instead of the number 1, causing python to call an undefined variable into the equation and crash.

## Line 160:

```
xr = newton_step(x0, fun, fun_prime)
xr = newton step(x0, fun, fun prime, args)
```

## Runtime error

The function *newton\_step* did not call the arguments that function *polynomial* and *poly\_der* required. The coefficients to the polynomial equations.

## Line 113:

```
xr = x0 + f / fp

xr = x0 - f / fp
```

## Logic Error

The formula for Newton's method equation is wrong here. It should be subtraction rather than addition.

#### Line 159:

```
while error > TOL and i < imax:
while abs(error) > TOL and i < imax:</pre>
```

## **Logic Error**

Does not take negative numbers into account and causes the program to end prematurely in the computation.

## Root\_script.py:

## Line 67:

```
for i in range(len(n)):
for i in range(n + 1):
```

#### Runtime error

*n* is an integer not a list, so the *len()* function will not be able to count the number of items in it and will fail because of an incompatible type.

#### Logic error

A polynomial of *nth order* requires n+1 coefficients rather than n.

## Line 71:

```
done = True
done = False
```

## Logic error

Initially the root finding code should not be marked as *done*. This will cause the program to exit without crashing, but also without printing the desired output.

## Line 80:

```
else
else:
```

## Syntax error

else statement requires a colon after it.

## Line 83:

```
ans = print('\nDo you want to try again? (y/n): ') ans = input('\nDo you want to try again? (y/n): ')
```

#### Runtime error

Uses *print* statement rather than *input* statement and does not store a value for next line's boolean operation.

## Lab 13: Test Cases

#### **Test Case 1**

Inputs:

Coefficient input: -7, 4, 32

Resultant Polynomial:  $f(x) = -7x^2 + 4x + 32$ Derivative of polynomial: f'(x) = -14x + 4

Outputs:

$$f(13) = 1267$$
  $f(0) = 32$   $f(-13) = 1215$   
 $f'(13) = -178$   $f'(0) = 4$   $f'(-13) = 186$   
Roots:  $x \approx -1.871381267$ , 2.44280939

10003. X ~ -1.01 1301201, 2.44200933

## **Test Case 2**

Input:

Coefficient input: 9, -13, 0.5, -150

Resultant Polynomial:  $g(x) = 9x^3 - 13x^2 + 0.5x - 150$ Derivative of polynomial:  $g'(x) = 27x^2 - 26x + 0.5$ 

Output:

$$g(13) = 17432.5$$
  $g(0) = -150$   $g(-13) = -22126.5$   $g'(13) = 4224.5$   $g'(0) = 0.5$   $g'(-13) = 4901.5$ 

Roots:  $x \approx 3.12997775$ 

## **Test Case 3**

Input:

Coefficient input: 1, -1, -6

Resultant Polynomial:  $h(x) = x^2 - x - 6$ Derivative of polynomial: h'(x) = 2x - 1

Output:

$$h(2) = -4$$
  
 $h'(2) = 3$ 

Roots: x = 3, -2