

# Experiment 1

## 1 Aim of the experiment

Familiarization of elementary functions and simple manipulations on the signals.

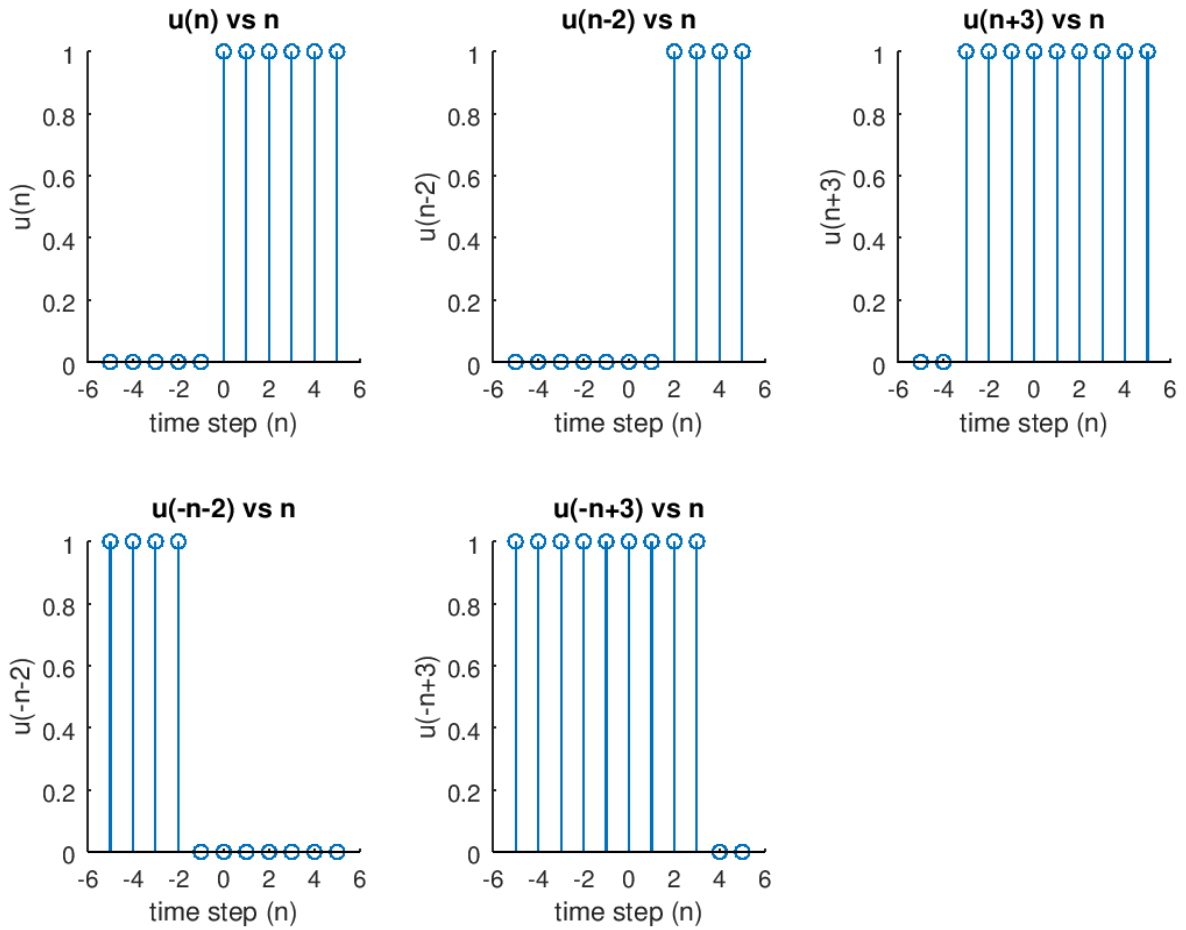
## 2 Results/Graphs

### 2.1 Question 1

Create a user-defined function mystepfun(n) to generate discrete time step function  $u(n)$  for  $-5 \leq n \leq 5$  and plot the following signals.

The obtained plots are shown below :-

Figure 1: For Question 1



### 2.2 Question 2

Plots of function  $e^{-0.01n} \sin(0.02\pi n) \forall -100 \leq n \leq 100$  and odd & even parts of the same.

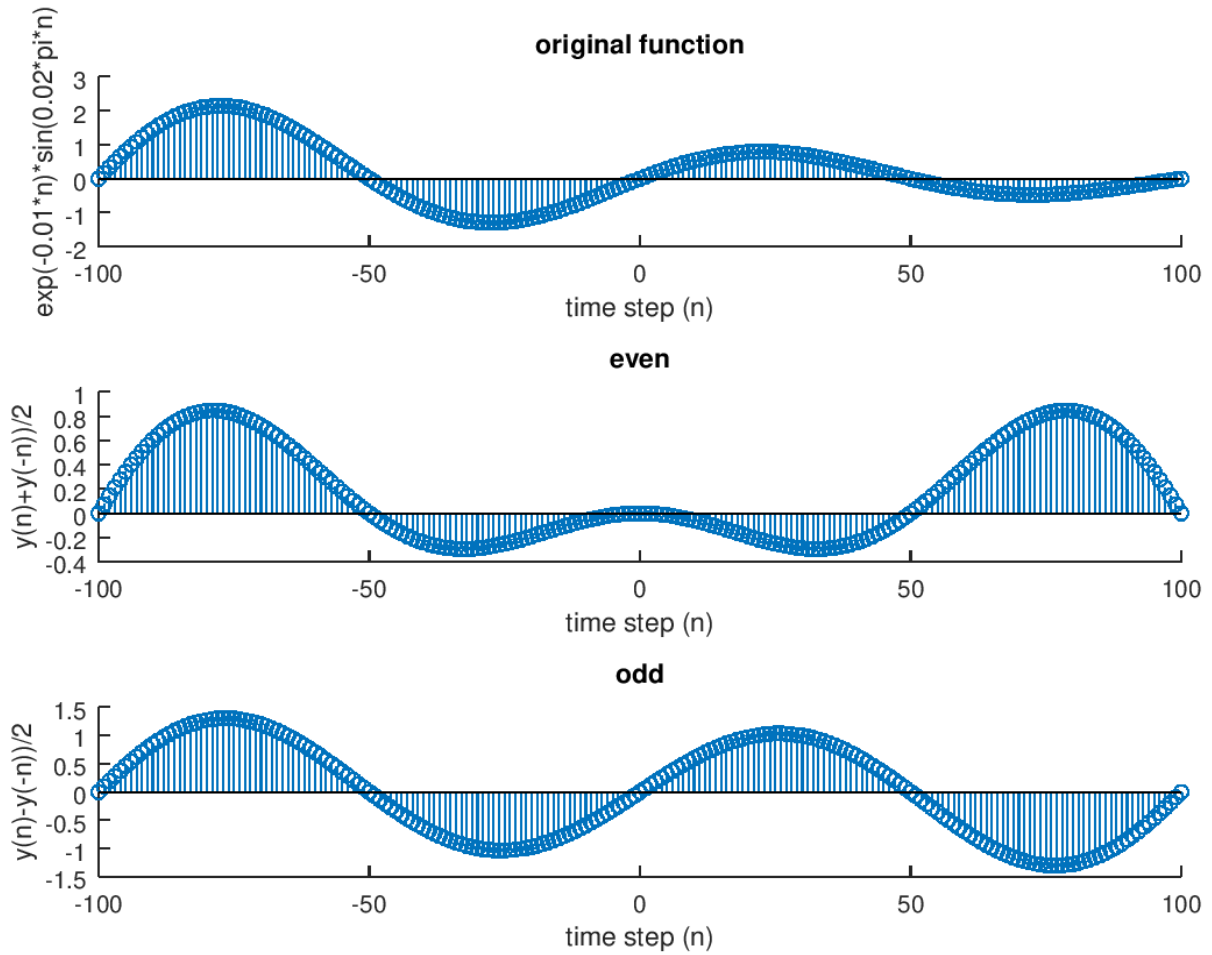


Figure 2: For Question 2

From the above figures we can observe that the signal is converging. The odd part of signal is antisymmetric and the even part is symmetric about  $x=0$  line.

### 2.3 Question 3

Result obtained by convolving the following sequences  $x(n) = 1 \forall 0 \leq n \leq 3$  and  $y(n) = n \forall 0 \leq n \leq 4$  is the following sequence  $z = [0 \ 1 \ 3 \ 6 \ 10 \ 9 \ 7 \ 4]$

The length is given by  $Length(z) = Length(x) + Length(y) - 1 = 4 + 5 - 1 = 8$

$\text{conv}([1 \ 1 \ 1 \ 1], [0 \ 1 \ 2 \ 3 \ 4]) = [0 \ 1 \ 3 \ 6 \ 10 \ 9 \ 7 \ 4]$

### 2.4 Question 4

An audio file is convolved with 2 different filters. After listening to the output wave files, obtained from convolution with the 2 filters, we can observe that one of them was a high pass filter while the other was a low pass filter.

The following are their plots (Unscaled) in frequency domain. We can clearly see that they are low pass and high pass filters respectively.

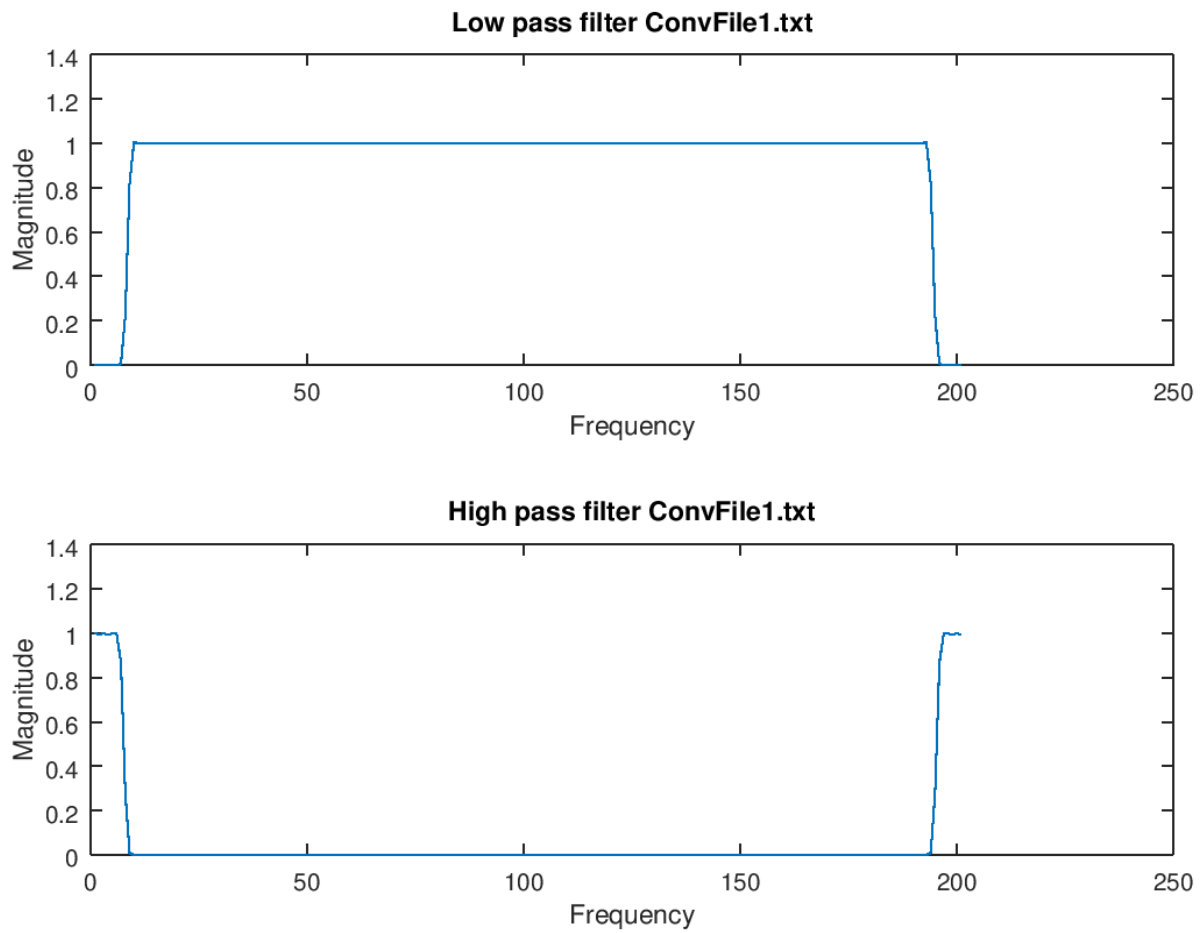


Figure 3: For Question 4

### 3 Conclusions

By performing the above experiments and plotting the graphs, we get familiar with using functions (and using time reversal and shifting), plots & subplots, using the conv function for performing convolution, and getting a practical feel of convolution by listening to the output of high & low pass filters applied on a music track.