

①

department	age	salary	status	count
sales	31_35	46K_50K	senior	30
sales	26_30	26K_30K	junior	40
sales	31_35	31K_35K	junior	40
systems	21_25	46K_50K	junior	20
systems	31_35	66K_70K	senior	5
systems	26_30	46K_50K	junior	3
systems	41_45	66K_70K	senior	3
marketing	36_40	46K_50K	senior	10
marketing	31_35	41K_45K	junior	4
secretary	46_50	36K_40K	senior	4
secretary	26_30	26K_30K	junior	6

 $C_1 = \text{Junior}$ $C_2 = \text{Senior}$

Data to be classified:

 $X = (\text{dep} = \text{systems},$
 $\text{age} = 26_30, \text{salary} = 46_50)$

1. Given a data tuple having the values "systems", "26_30", and "46K_50K" for the attributes department, age, and salary, respectively, what would a naive Bayesian classification of the status according to the data above? Notice that Count column is **NOT** an attribute. It just tells how many times a row occurs in our database and status is our target variable.

$$P(C_i): P(\text{junior}) = \frac{40 + 40 + 20 + 3 + 4 + 6}{165} = \frac{113}{165} = 0.684848$$

$$P(\text{Senior}) = \frac{30 + 5 + 3 + 10 + 4}{165} = \frac{52}{165} = 0.315152$$

 $P(x|C_i):$

$$P(\text{dep} = \text{systems} | \text{junior}) = \frac{20 + 3}{113} = \frac{23}{113} = 0.20354$$

$$P(\text{systems} | \text{senior}) = \frac{8}{52} = 0.153846$$

$$P(26_30 | \text{junior}) = \frac{49}{113} = 0.433628$$

$$P(26_30 | \text{senior}) = \frac{0}{52} = 0$$

$$P(46K_50K | \text{junior}) = \frac{23}{113} = 0.20354$$

$$P(46K_50K | \text{senior}) = \frac{40}{52} = 0.769231$$

$$P(X | \text{junior}) = 0.20354 \times 0.433628 \times 0.20354 = 0.017965$$

$$P(X | \text{senior}) = 0.153846 \times 0 \times 0.769231 = 0$$

$$P(x|L_i) \cdot P(L_i) = P(x|\text{junior}) \cdot P(\text{junior}) = 0.012303$$

$$P(x|\text{senior}) \cdot P(\text{senior}) = 0$$

X belongs to class "junior"