Aufgabe 2

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 π_{LName}

Aufgabe 1

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1. \mathbf{RA}: \pi_{TNr}(\mathbf{T}) - \pi_{TNr}(\mathbf{LL})

\mathbf{TK}: \{ t \mid (\exists u: \mathbf{T}(\mathbf{u}) \wedge t = \mathbf{u}[\mathbf{TNr}]) \}

\wedge (\exists k: \mathbf{LL}(\mathbf{k}))

\wedge (\forall k: \neg \mathbf{k}[\mathbf{TNr}] = \mathbf{u}[\mathbf{Tnr}]) \}

2. \mathbf{RA}: \pi_{PNr}(\sigma_{OrtL \neq OrtP}(LL \bowtie \rho_{OrtL \leftarrow Ort}(L) \bowtie \rho_{OrtP \leftarrow Ort}(P)))

\mathbf{TK}: \{ t \mid (\exists u: \mathbf{LL}(\mathbf{u}) \wedge t = \mathbf{u}[\mathbf{Pnr}]) \}

\wedge (\exists v: \mathbf{L}(\mathbf{v}) \wedge \mathbf{v}[\mathbf{LNr}] = \mathbf{u}[\mathbf{LNr}])

\wedge (\exists k: \mathbf{P}(\mathbf{k}) \wedge \mathbf{k}[\mathbf{PNr}] = \mathbf{u}[\mathbf{PNr}])

\wedge \neg (\mathbf{v}[\mathbf{Ort}] = \mathbf{k}[\mathbf{Ort}]) \}

3. \mathbf{RA}: \pi_{PName}((\pi_{PNr,TNr}(LL) \div \pi_{TNr}(T)) \bowtie (P))

\mathbf{TK}: \{ t \mid (\exists u: \mathbf{P}(\mathbf{u}) \wedge t = \mathbf{u}[\mathbf{PName}])

\wedge (\exists k: \mathbf{LL}(\mathbf{k}) \wedge \mathbf{k}[\mathbf{PNr}] = \mathbf{u}[\mathbf{PNr}])

\wedge (\exists v: \mathbf{T}(\mathbf{v}))

\wedge (\forall v: \mathbf{v}[\mathbf{TNr}] = \mathbf{k}[\mathbf{TNr}]) \}
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Aufgabe 2

$$\begin{aligned} &\{t \mid (\exists \ u: \ L(u) \land t = u[LName] \land \neg u[Ort] = `Marburg' \) \\ &\land (\ \exists \ k: \ T(k) \land k[Gewicht] < 15) \\ &\land (\ \exists \ v: \ LL(v) \land v[LNr] = u[LNr] \land v[TNr] = k[TNr]) \} \end{aligned}$$

Aufgabe 3

1.
$$count_{PNr}(\sigma_{Gewicht \geq 50}(T \bowtie LL))$$

2.
$$\tau_{c,LName}(\gamma_{LName,c \leftarrow sum(Menge)}(L \bowtie LL))$$

3.
$$\pi_{Ort}(\sigma_{c<8}(L\bowtie\gamma_{LNr,c\leftarrow count(LNr)}(LL)))$$

4.

$$A_1 = \gamma_{PNr,c \leftarrow count(LNr)}(LL)$$

$$A_2 = \gamma_{PNr, m \leftarrow sum(Menge)}(LL \bowtie (\sigma_{Farbe='Schwarz'}(T)))$$

$$\pi_{PNr}(\sigma_{(m/c>60)}(A_1\bowtie A_2))$$